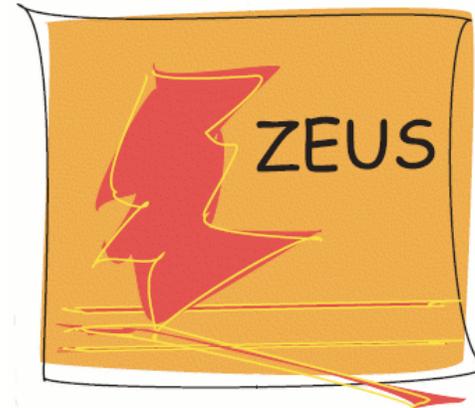


Combination of D^* differential cross sections measurements in DIS at HERA

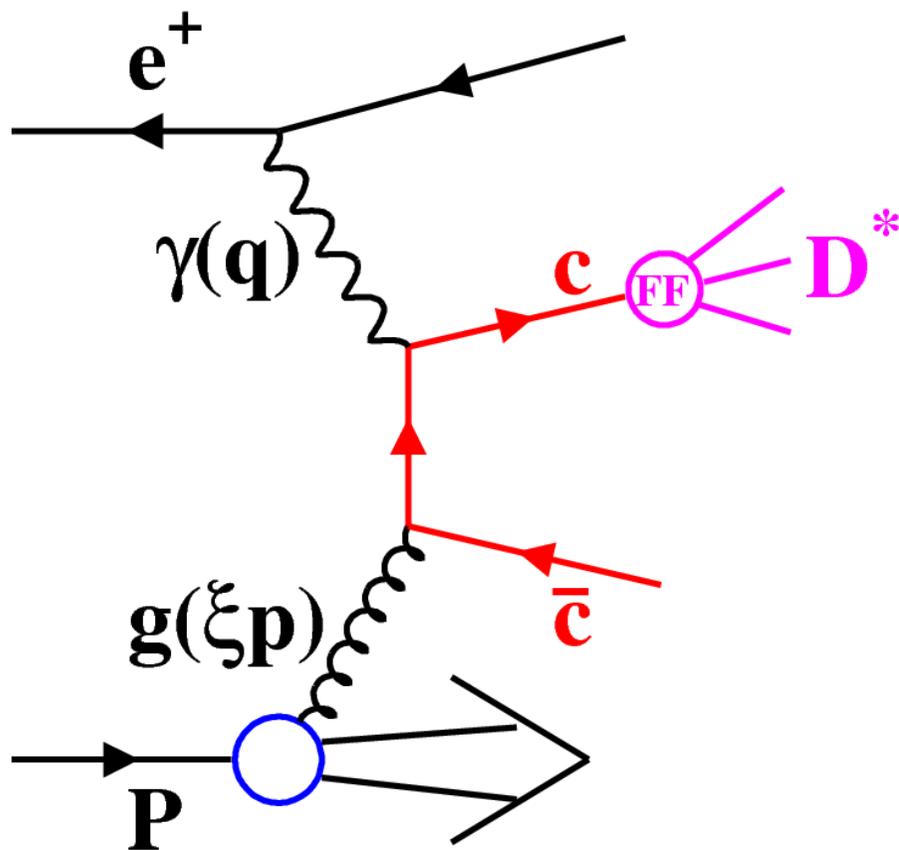
DIS2015, Dallas, USA, 28th april 2015

Olaf Behnke (DESY)
on behalf of



Results published as DESY-15-037, submitted to JHEP (arXiv:1503.06042)

Charm production in DIS at HERA



Photon kinematics:

$$Q^2 = -q^2$$

$$y = (E_\nu/E_e)|_{p\text{-frame}}$$

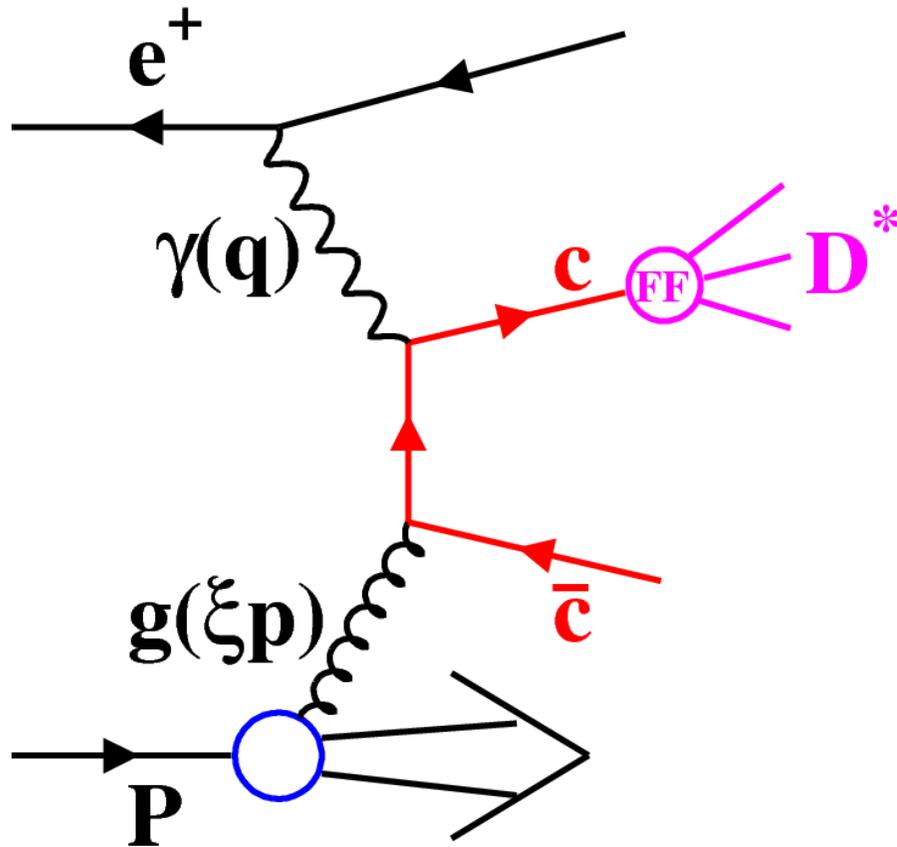
DIS: $Q^2 > \text{few GeV}^2$

Motivation:

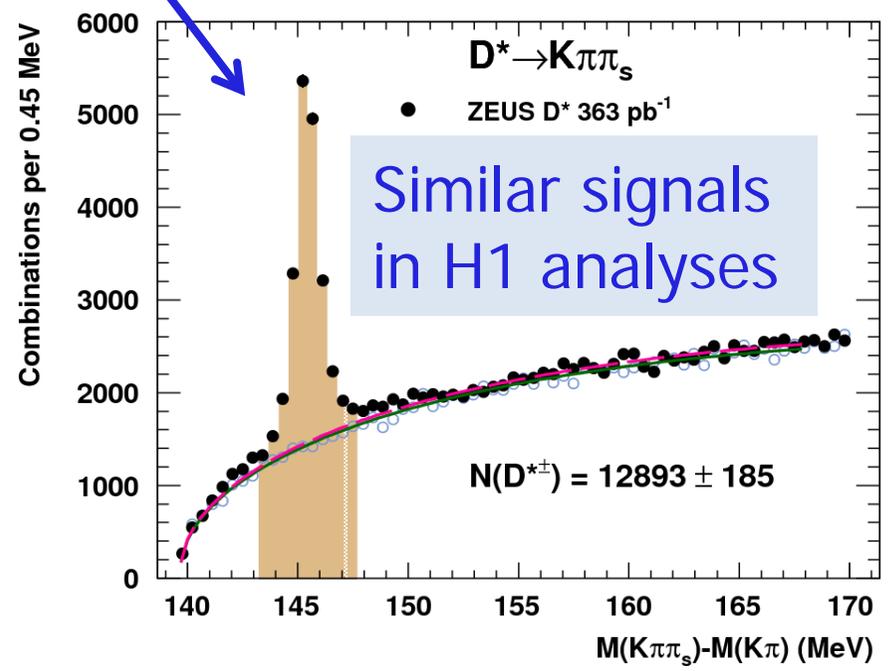
- Test of pQCD (multiple hard scales: Q^2 , $p_T(c)$, m_c)
- Sensitive to gluon density in p and to m_c

D* combination

Combine most precise D* measurements in DIS

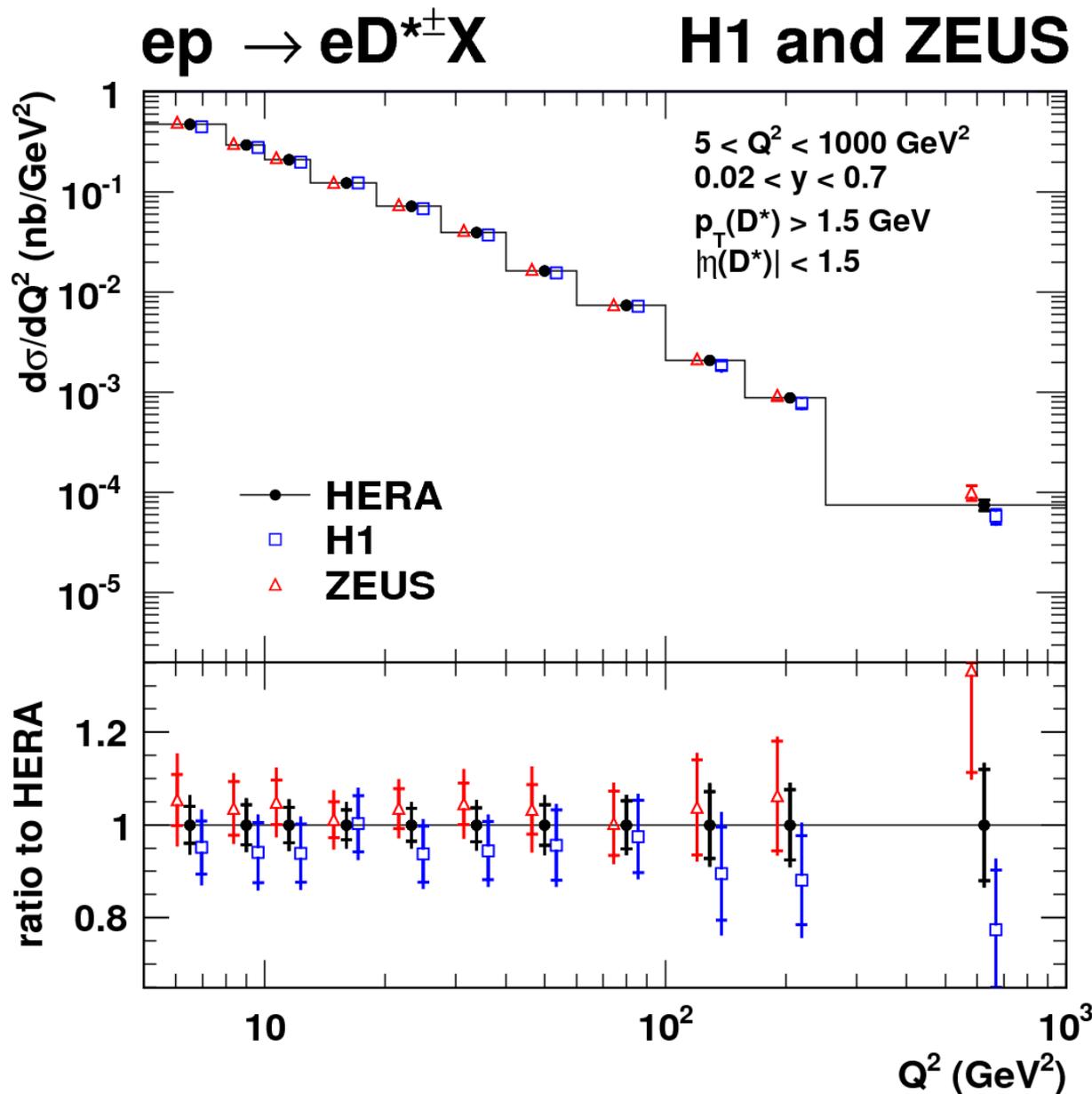


EPJ C71 (2011) 1769 H1 medium Q^2
 PL B686 (2010) 91 H1 high Q^2
 JHEP 05 (2013) 097 ZEUS all Q^2



- Combine D* visible cross sections
- Common phase space: $1.5 < p_T(D^*) < 20 \text{ GeV}$, $|\eta(D^*)| < 1.5$, $5 < Q^2 < 1000 \text{ GeV}^2$, $0.02 < y < 0.07$
- Small extrapolation uncertainties (unlike full phase space combi EPJ C73 (2013) 2311)
- Compare to HVQDIS NLO QCD (also used to calculate small phase space corrections)

Combination example: Q^2



Performed with
HERAverager code

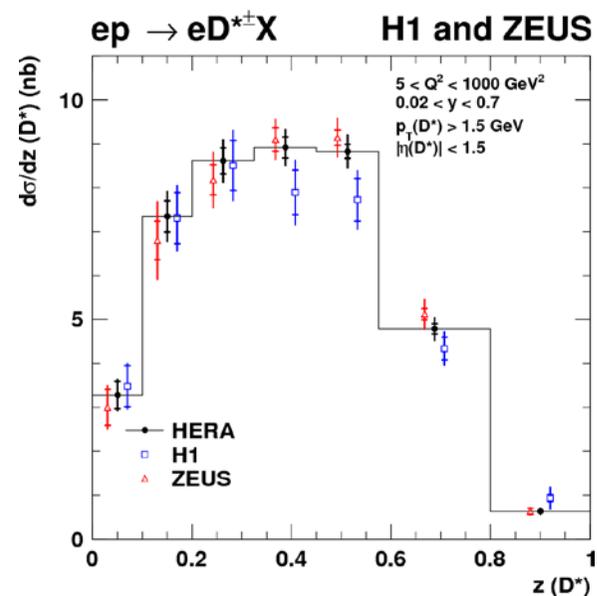
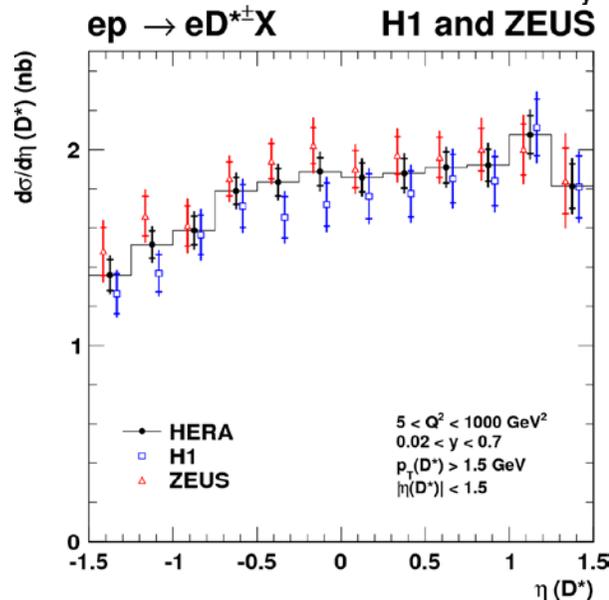
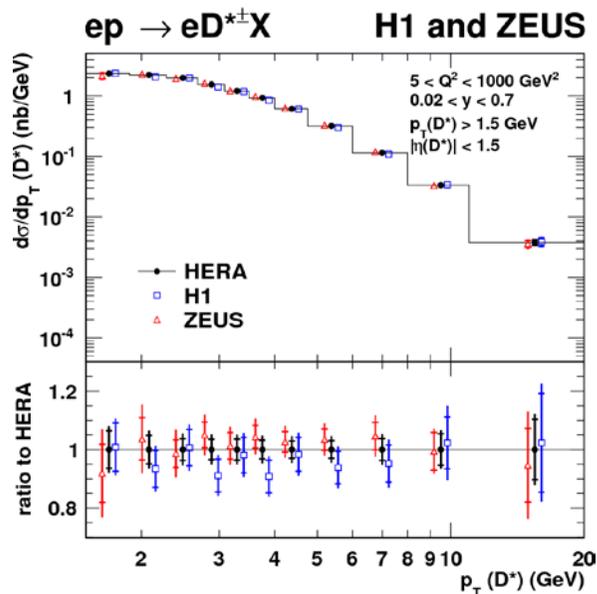
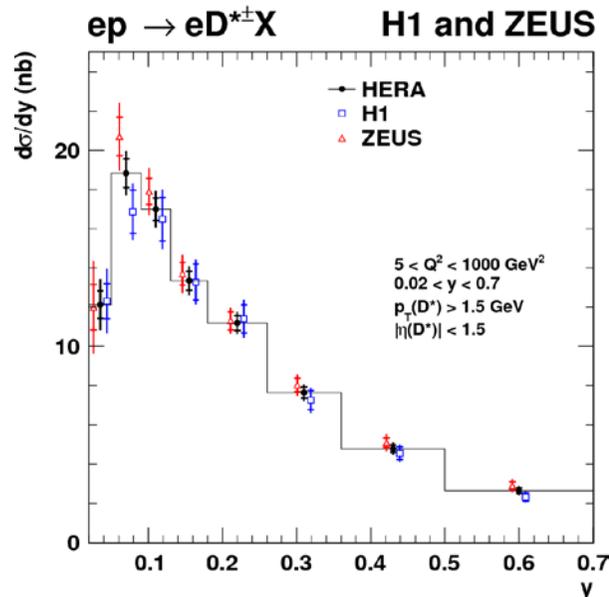
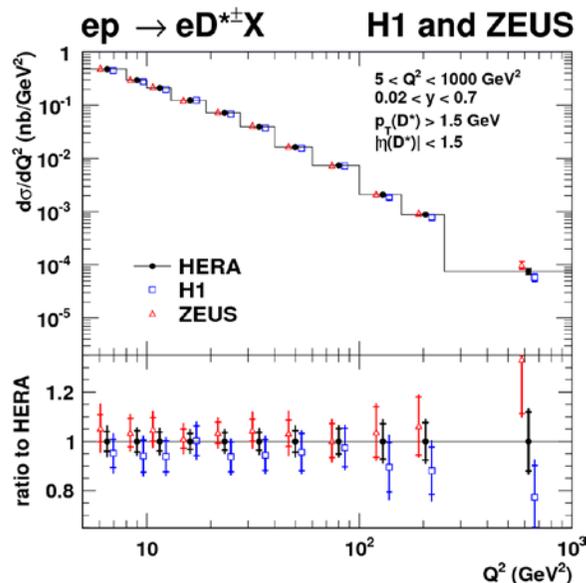
Systematics:

- Correlations: fully taken into account
- Experimental: uncorrelated between H1 and ZEUS
- Theoretical: very small

→ Consistent data
→ Combined data reach precision of $\sim 5\%$

Combinations:

Performed separately for each variable



- Consistent data
- Combined data reach precision ~5%

NLO QCD predictions: HVQDIS

Massive scheme \rightarrow only light flavours in pdf: u,d,s,g; NLO = $o(\alpha_s^2)$

HVQDIS setup for $ep \rightarrow cc X \rightarrow D^* X$ (uncertainties):

- $\mu_r = \mu_f = \sqrt{Q^2 + 4m_c^2}$ vary independently by factor 0.5 and 2
- $m_c^{\text{pole}} = 1.50 \pm 0.15$ GeV
- $\alpha_s^{\text{nf}=3}(m_Z) = 0.105 \pm 0.002$ (corresponds to $\alpha_s^{\text{nf}=5}(m_Z) = 0.116 \pm 0.002$)

• HERAPDF1.0 FFNS

• Fragmentation:

- Longitudinal:
Karvelishvili FF
with $\alpha_K(D^*)$

\hat{s} range	$\alpha_K(D^*)$
$\hat{s} \leq \hat{s}_1$	6.1 ± 0.9
$\hat{s}_1 < \hat{s} \leq \hat{s}_2$	3.3 ± 0.4
$\hat{s} > \hat{s}_2$	2.67 ± 0.31

$$\hat{s}_1 = 70 \pm 40 \text{ GeV}^2$$

$$\hat{s}_2 = 324 \text{ GeV}^2$$

- Transverse: $f(k_T) = k_T \exp(-\frac{2k_T}{\langle k_T \rangle})$; $\langle k_T \rangle = 0.35 \pm 0.15$ GeV
- $f(c \rightarrow D^*) = 0.2287 \pm 0.0056$

Use HVQDIS also to predict small additional component: $ep \rightarrow bb X \rightarrow D^* X$

Customised NLO QCD predictions: HVQDIS

Try to find parameters such that calculation describes normalisation & shapes of all differential cross sections presented in the following

• $\mu_r = \sqrt{Q^2 + 4m_c^2} \rightarrow 0.5 \sqrt{Q^2 + 4m_c^2} \rightarrow$ Increase cross section

• $m_c^{\text{pole}} = 1.50 \text{ GeV} \rightarrow 1.40 \text{ GeV} \rightarrow$ Increase cross section

- Fragmentation:
• Longitudinal:
Karvelishvili FF
with $\alpha_K(D^*)$

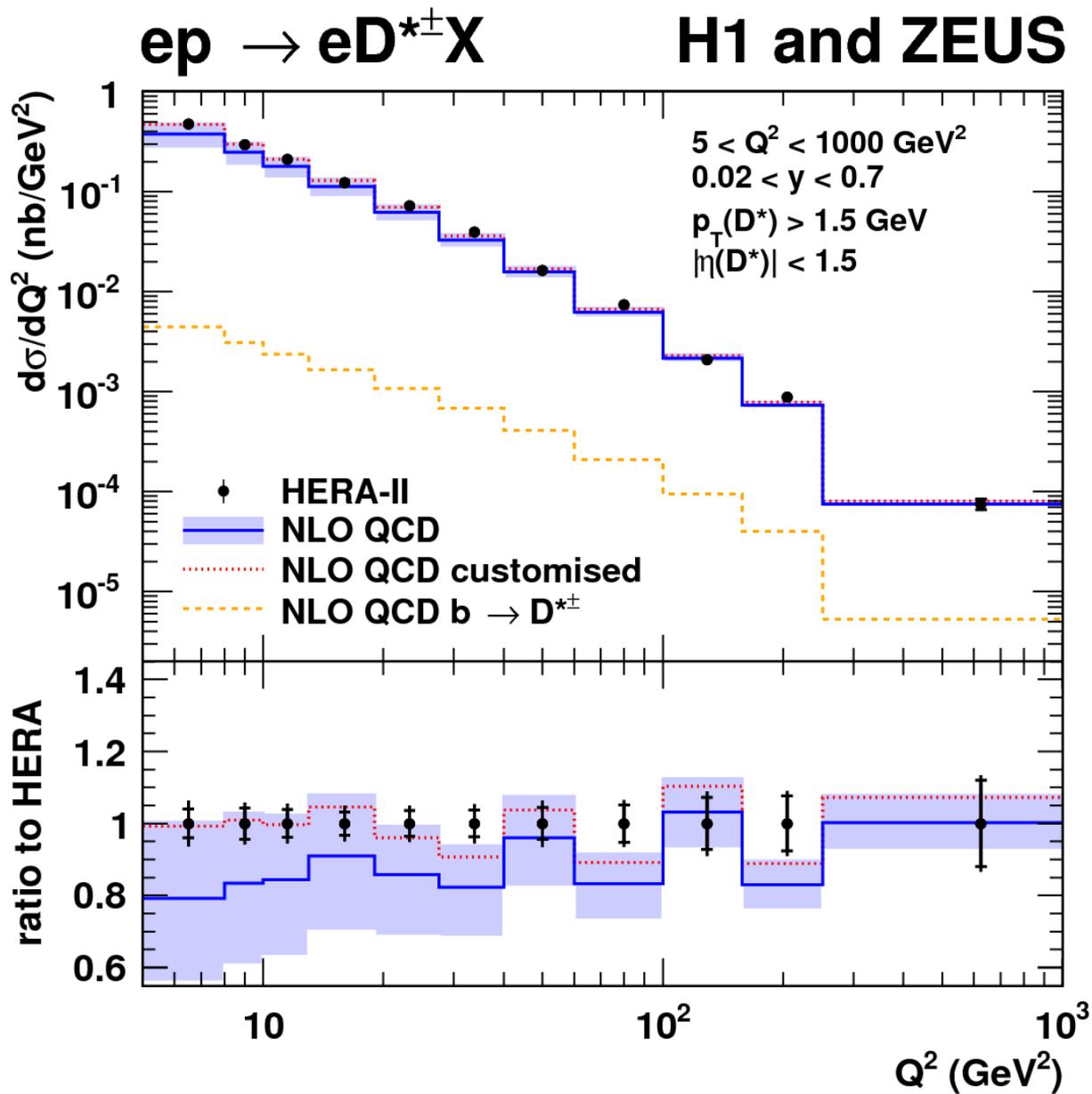
\hat{s} range	$\alpha_K(D^*)$
$\hat{s} \leq \hat{s}_1$	6.1 ± 0.9
$\hat{s}_1 < \hat{s} \leq \hat{s}_2$	3.3 ± 0.4
$\hat{s} > \hat{s}_2$	2.67 ± 0.31

• $\hat{s}_1 = 70 \text{ GeV}^2 \rightarrow 30 \text{ GeV}^2 \rightarrow$ Soften fragmentation

Leave all other parameters at their default values

This is no prediction \rightarrow but may give hints in which direction to develop theory

Results: Q^2



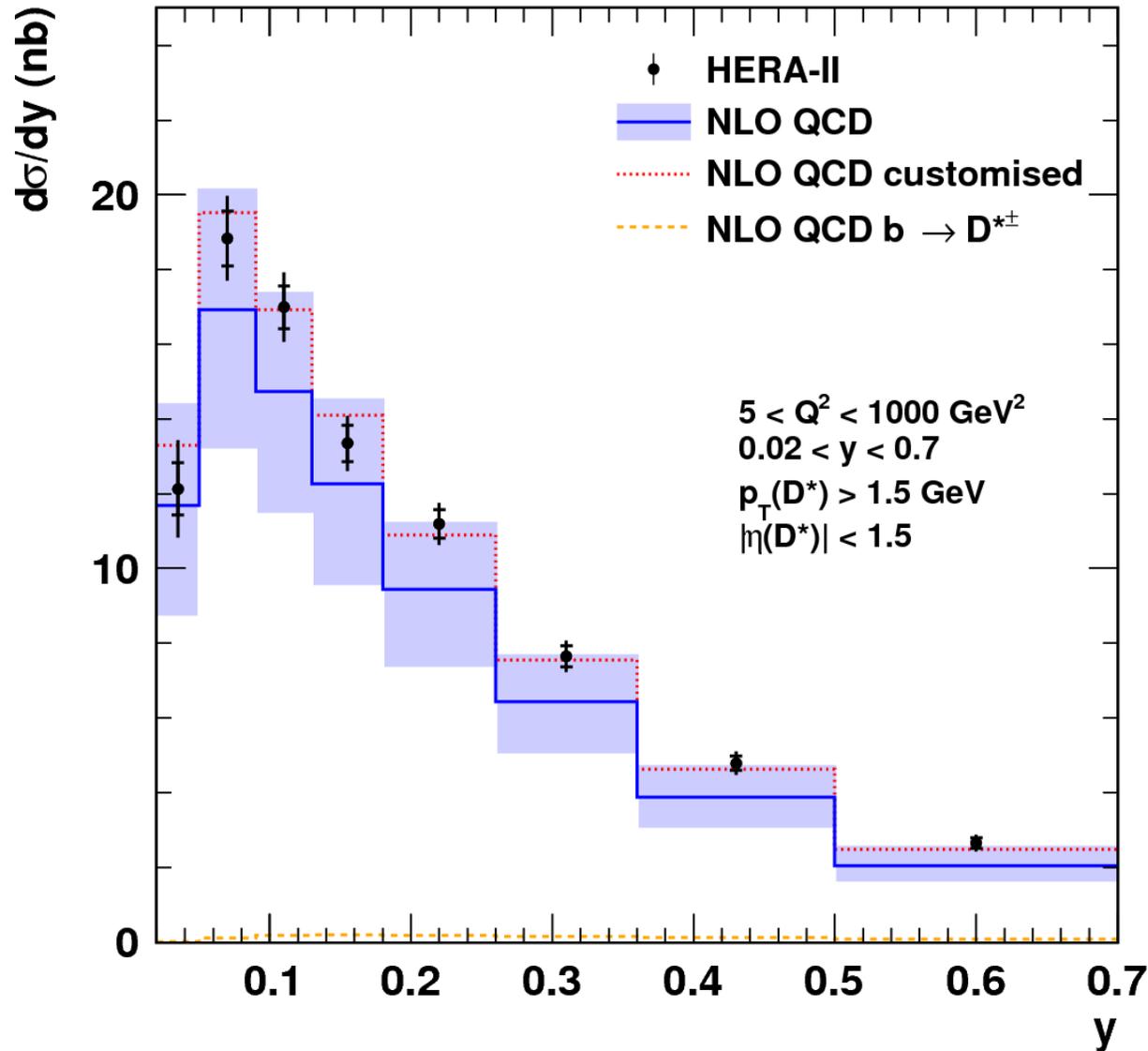
NLO prediction:

→ describes data

→ large uncertainties

→ customised variant: 😊

$ep \rightarrow eD^{*\pm}X$ H1 and ZEUS



NLO prediction:

→ describes data

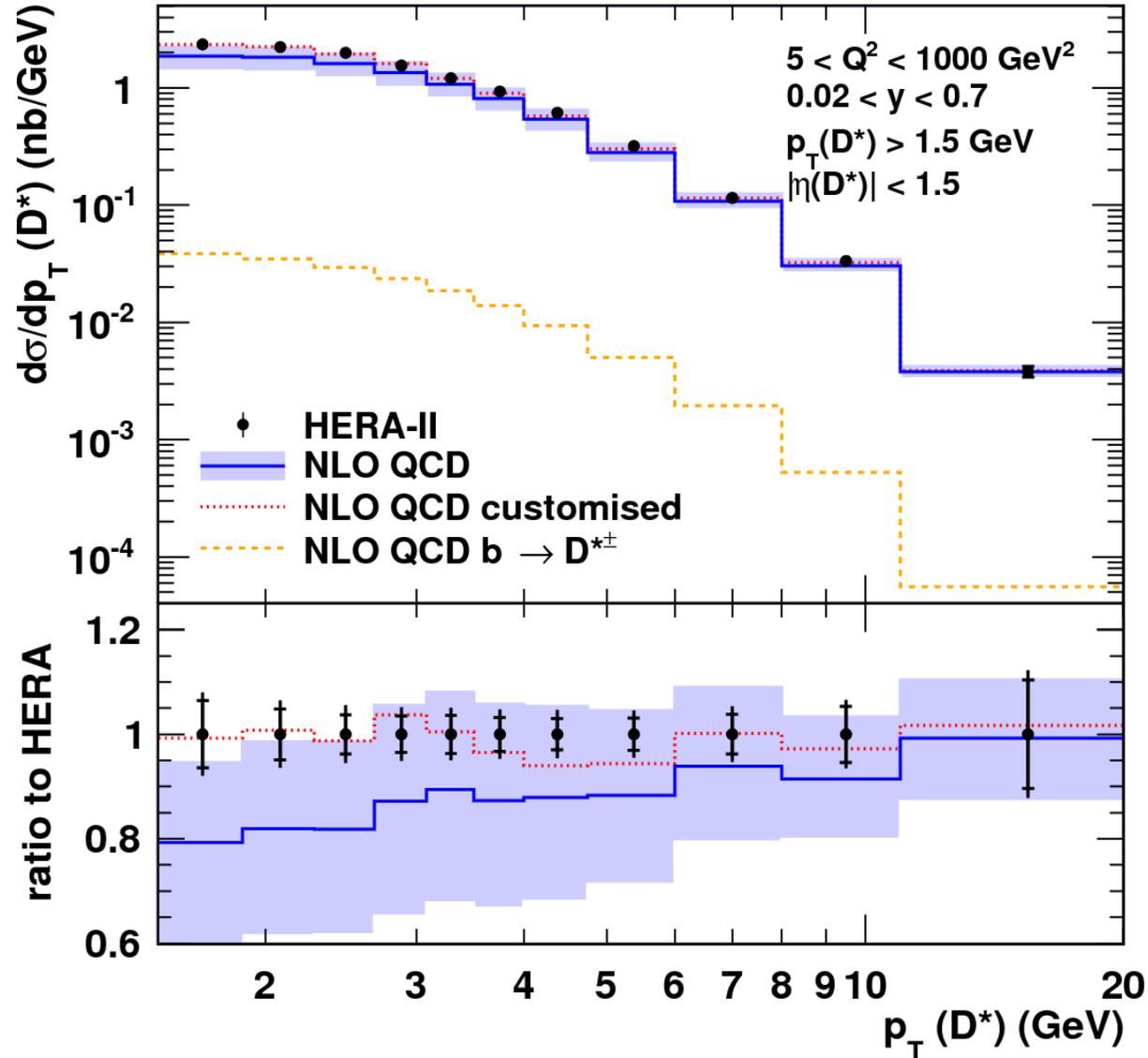
→ large uncertainties

→ customised variant: 😊

Results: $p_T(D^*)$

$ep \rightarrow eD^{*\pm}X$

H1 and ZEUS



NLO prediction:

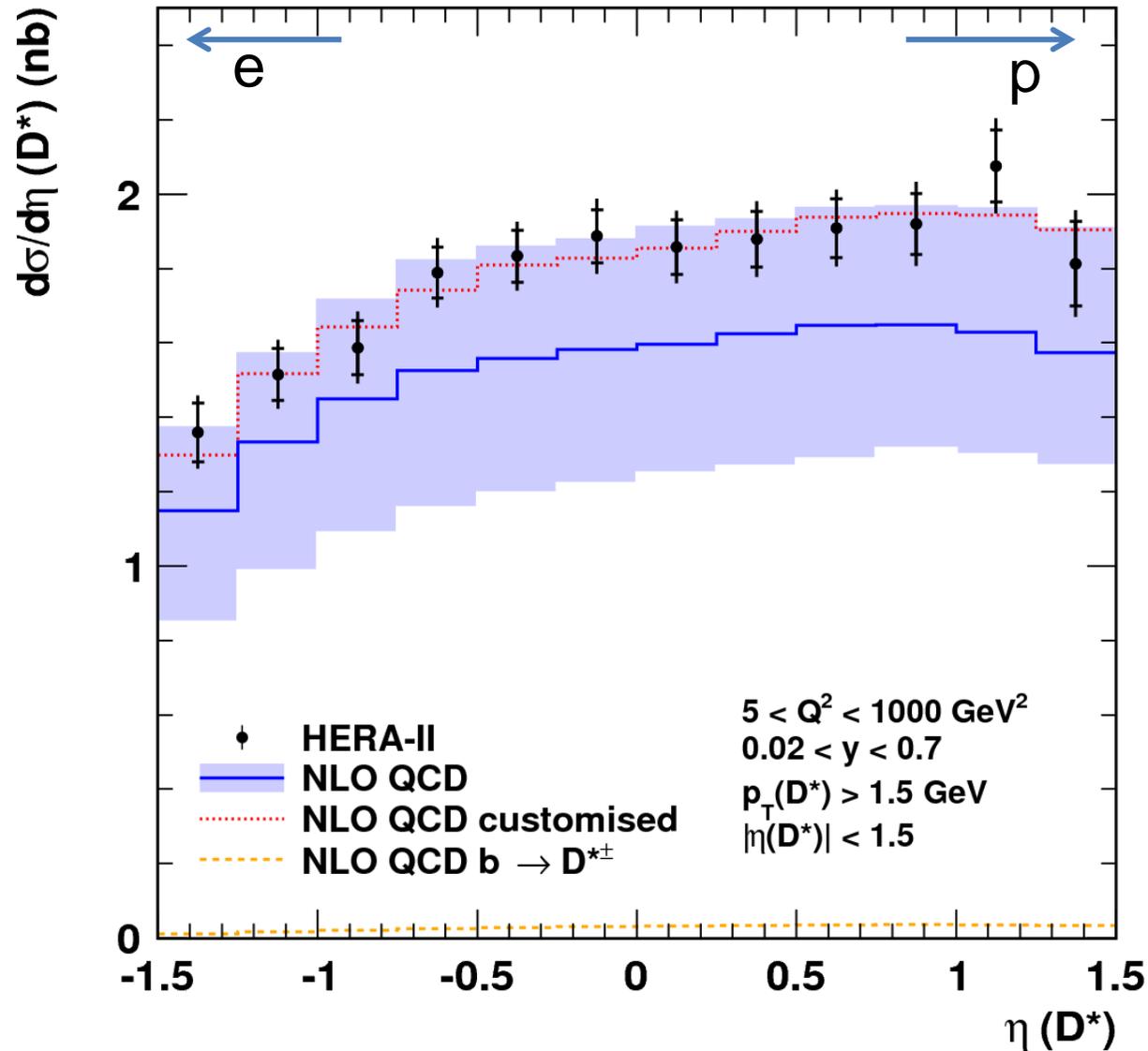
→ describes data

→ large uncertainties

→ customised variant: 😊

Results: $\eta(D^*)$

$ep \rightarrow eD^{*\pm}X$ H1 and ZEUS



NLO prediction:

→ describes data

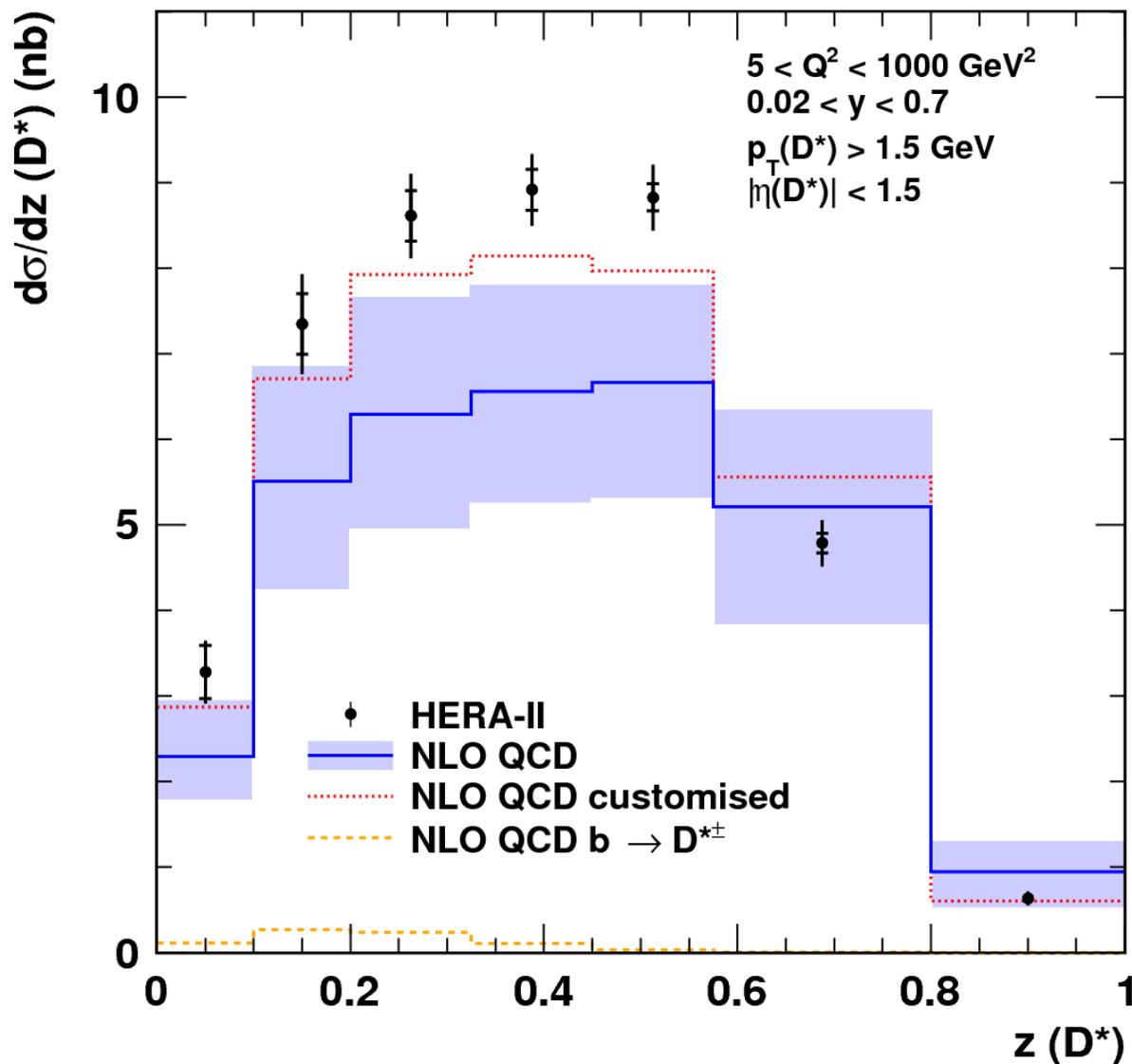
→ large uncertainties

→ customised variant: 😊

Results: $z(D^*)$

$ep \rightarrow eD^{*\pm}X$

H1 and ZEUS



$$Z(D^*) = E_{D^*}/E_\nu|_{p\text{-frame}}$$

- Also sensitive to fragmentation $c \rightarrow D^*$

NLO prediction:

- "harder" than data
- large uncertainties
- customised variant: better but not perfect

Combination of 2d cross sections: Q^2, y

$ep \rightarrow eD^{*\pm}X$

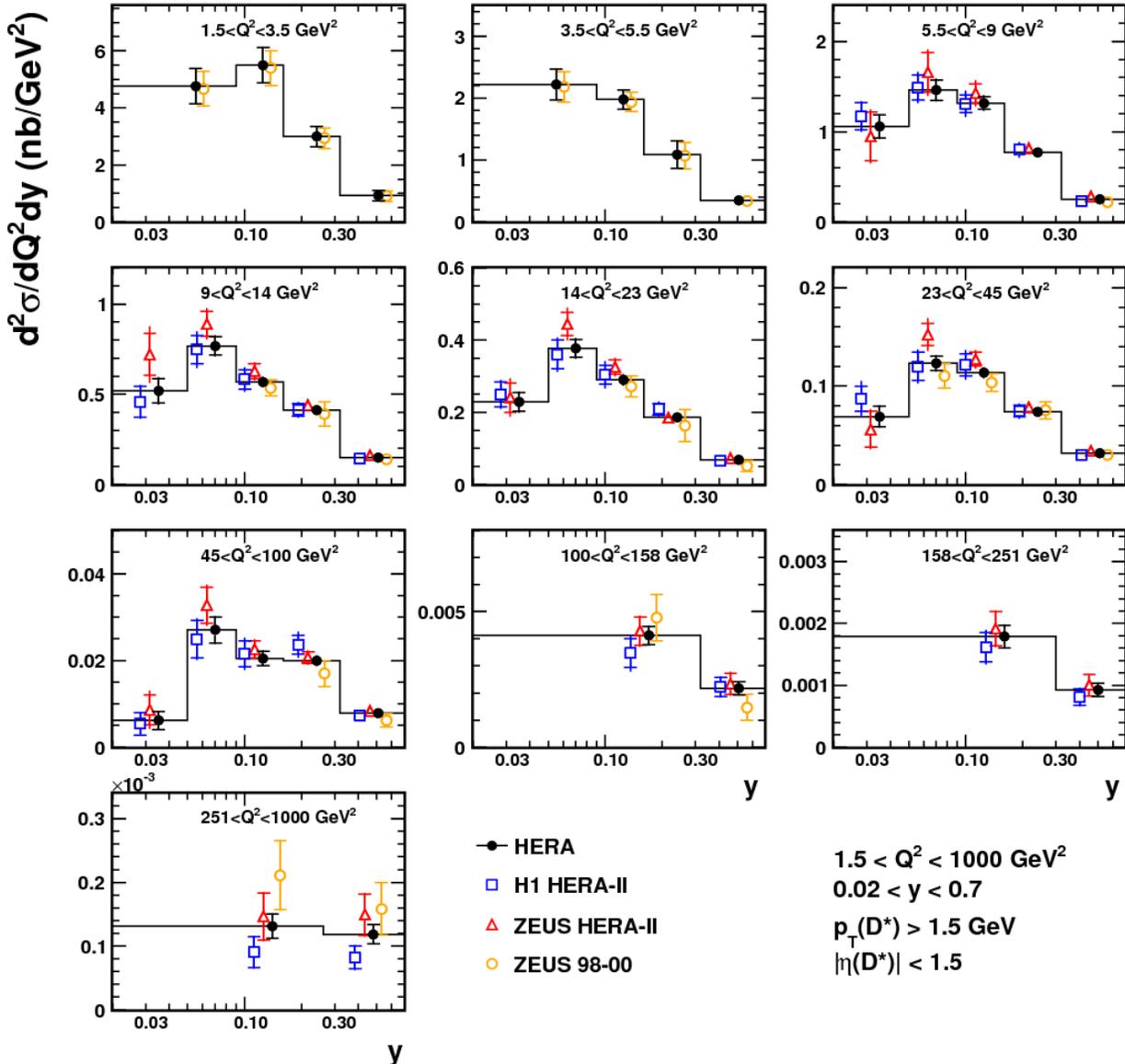
H1 and ZEUS

Input data: as before

EPJ C71 (2011) 1769 H1
 PL B686 (2010) 91 H1
 JHEP 05 (2013) 097 ZEUS

plus ZEUS HERA I data

PR D69 (2004) 012004 ZEUS

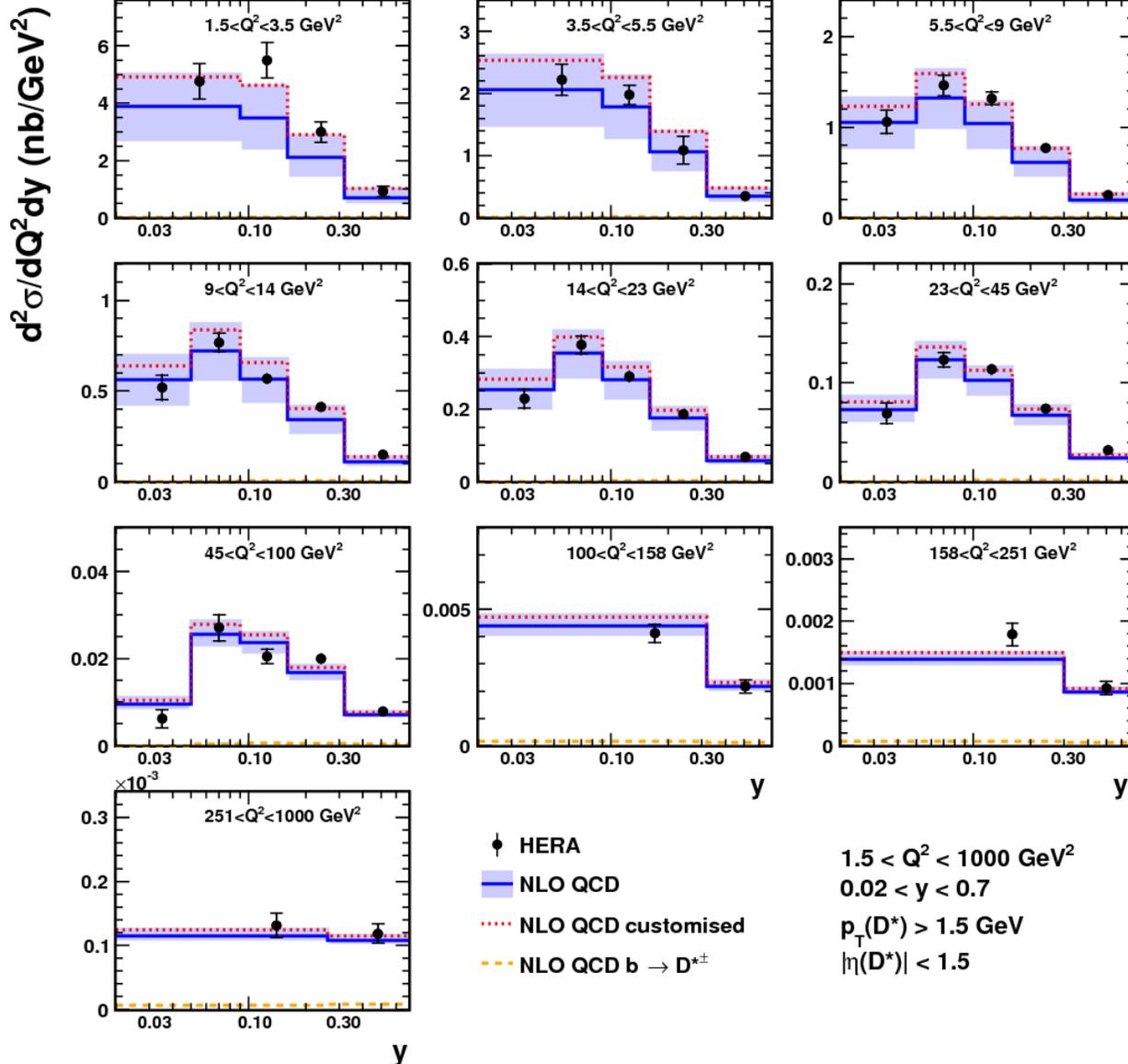


→ Consistent data
 → Combined data reach precision of $\sim 5\%$

Results: Q^2, y

$ep \rightarrow eD^{*\pm} X$

H1 and ZEUS



NLO prediction:

→ describes data

→ large uncertainties

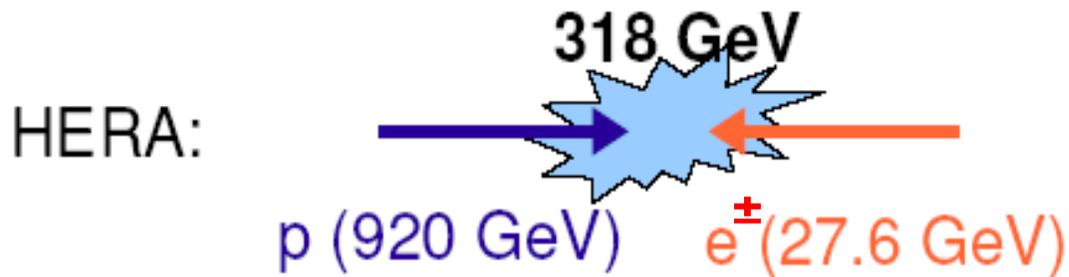
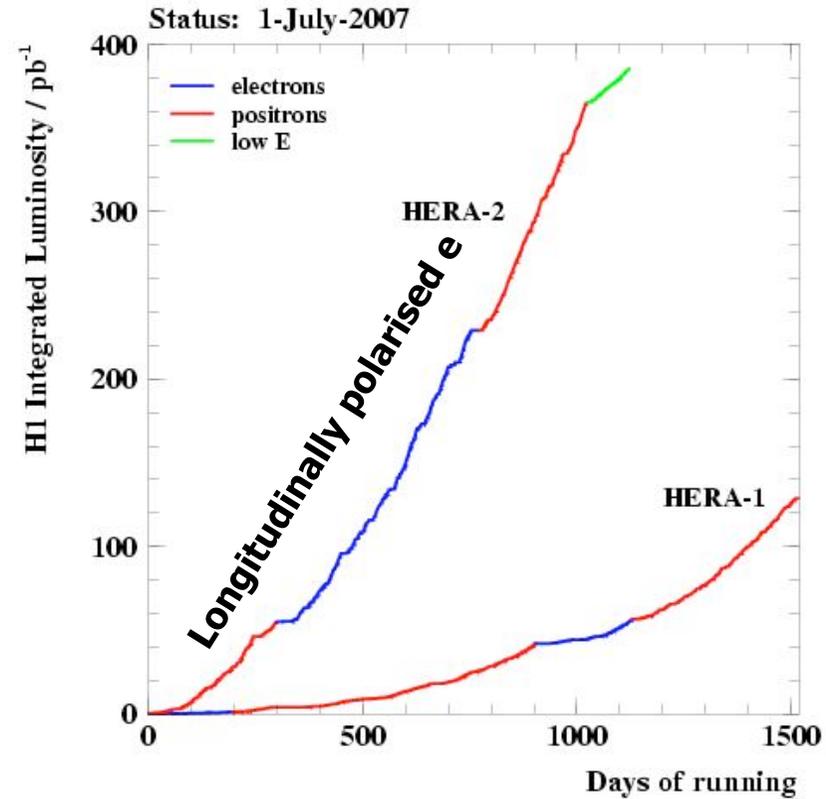
→ customised variant: 😊

Summary

- **Most precise differential D^* measurements in DIS** by H1 and ZEUS **combined**:
 - Q^2 , y and for the first time D^* final state distributions:
 $p_T(D^*)$, $\eta(D^*)$ and $z(D^*)$
 - Significantly improved precisions $\rightarrow \sim 5\%$
- HVQDIS NLO QCD predictions:
 - Describe data reasonably
 - Large uncertainties **10-30%** \rightarrow **need NNLO and improved fragmentation models**
 - Customised prediction with varied m_c , μ_r and fragmentation hardness \rightarrow hints in which direction to improve the calculation

Backup slides

The HERA ep collider (1992-2007)



$\sim 0.5 \text{ fb}^{-1}$ per experiment

Customised NLO QCD predictions: HVQDIS

Find parameters \rightarrow calculation describes norm./shapes of data

HVQDIS setup for $ep \rightarrow cc X \rightarrow D^* X$ (uncertainties): $\mu_r = 0.5 \sqrt{Q^2 + 4m_c^2}$

- $\mu_r = \mu_f = \sqrt{Q^2 + 4m_c^2}$ vary independently by factor 0.5 and 2

- $m_c^{\text{pole}} = 1.50 \pm 0.15 \text{ GeV}$ $m_c^{\text{pole}} = 1.4 \text{ GeV}$

- $\alpha_s^{\text{nf}=3}(m_Z) = 0.105 \pm 0.002$

- HERAPDF1.0 FFNS

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- Longitudinal:
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$$\hat{s}_1 = 70 \pm 40 \text{ GeV}^2$$

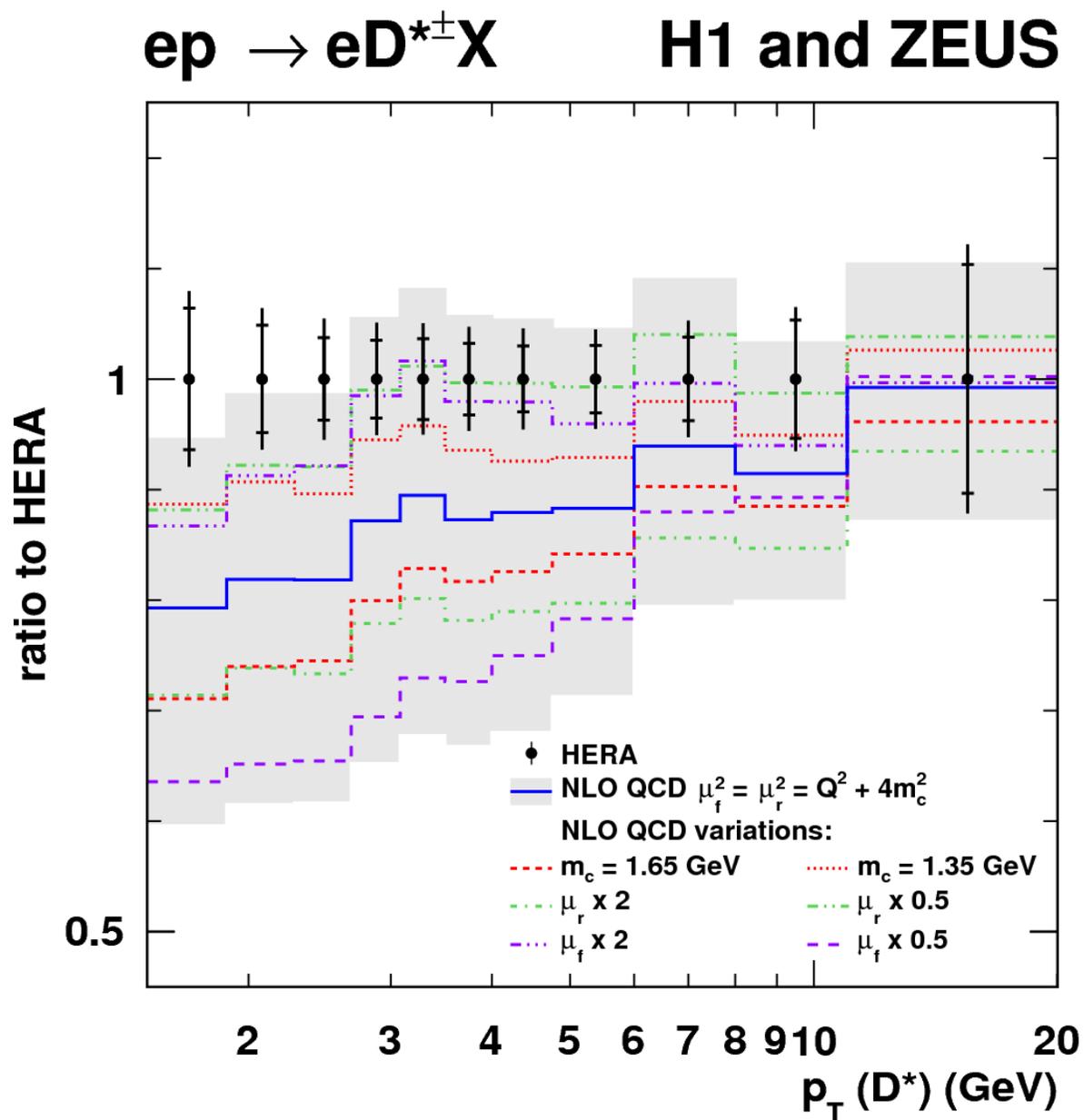
$$\hat{s}_2 = 324 \text{ GeV}^2$$

- Transverse: $f(k_T) = k_T \exp(-\frac{2k_T}{\langle k_T \rangle})$; $\langle k_T \rangle = 0.35 \pm 0.15 \text{ GeV}$

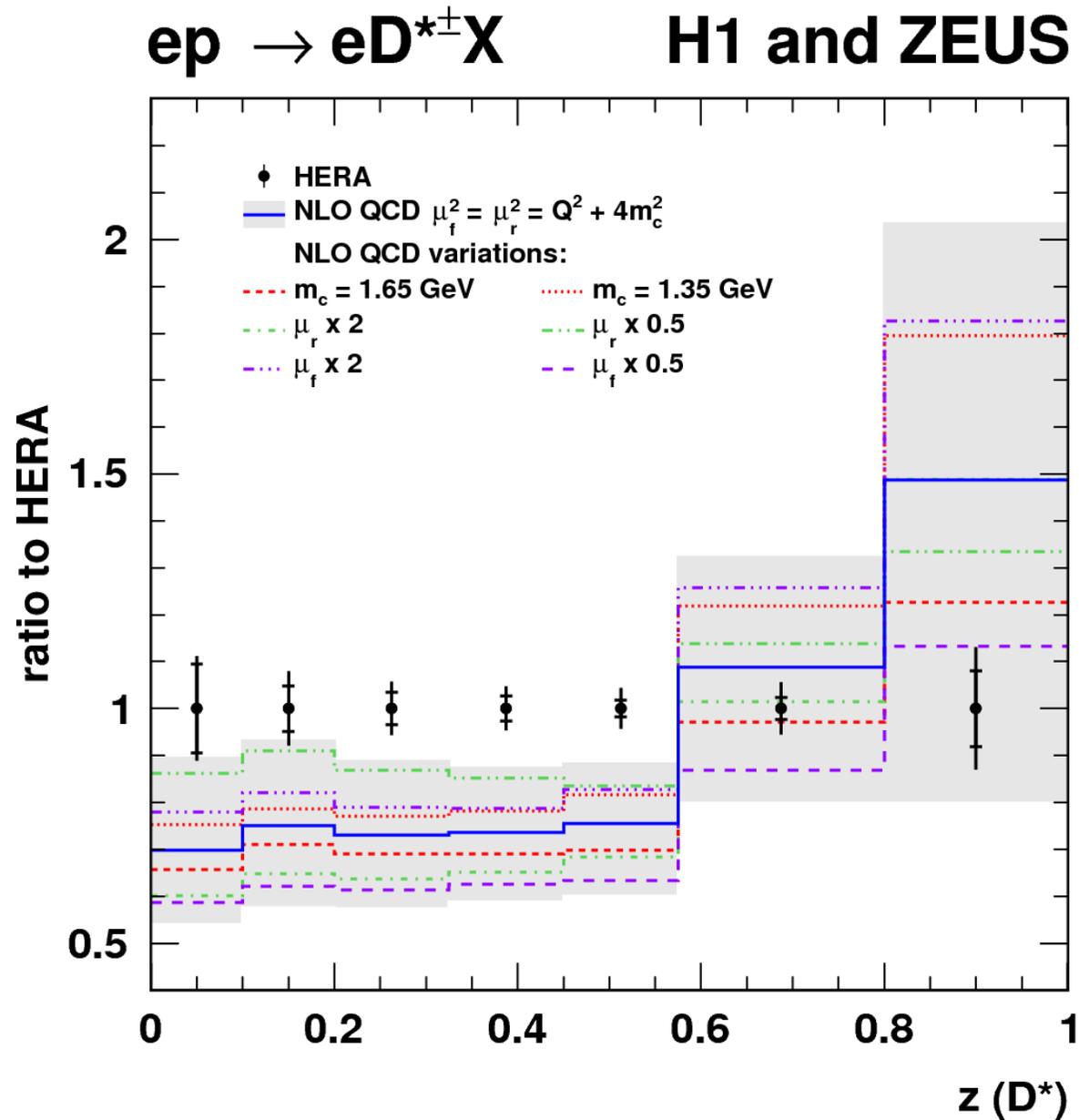
- $f(c \rightarrow D^*) = 0.2287 \pm 0.0056$

No prediction \rightarrow may give hints in which direction to develop theory

Results: data vs NLO with parameter variations



Results: data vs NLO with parameter variations



Results: data vs NLO with parameter variations

