

Charm and beauty production (in DIS) at HERA

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on behalf of the H1 and ZEUS collaborations



Outline:

- ~ HERA, H1 and ZEUS
- ~ heavy quark production in DIS at HERA
- ~ charm DIS cross sections and charm quark mass
- ~ beauty quark mass
- ~ additional observables for charm
- ~ conclusions

The HERA collider and the H1 and ZEUS detectors: short introduction



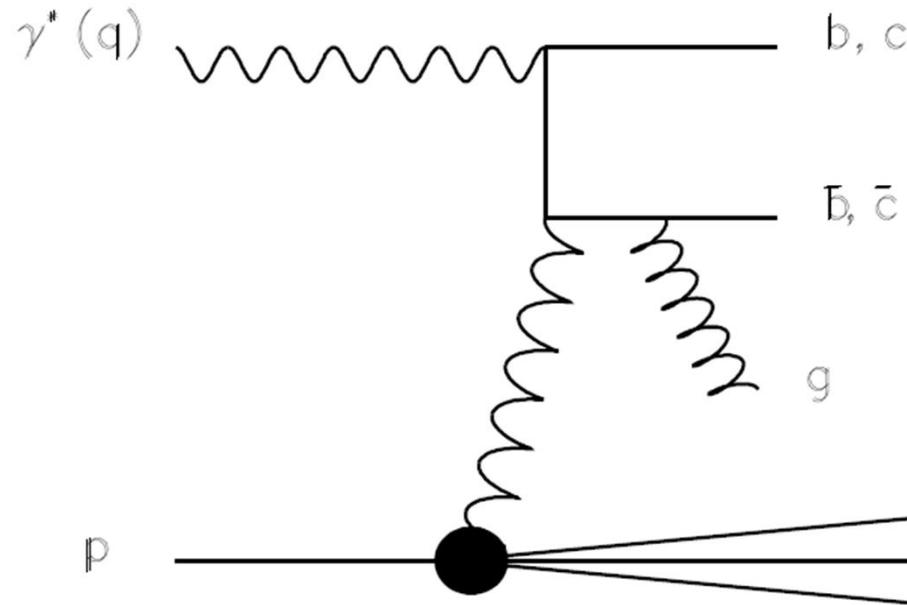
HERA was an $e p$ collider, γp center of mass energy was up to 320 GeV (equivalent to a ~ 50 TeV e beam on fixed target)

H1 and ZEUS were $\sim 4\pi$ -coverage multipurpose experiments (calorimetry, tracking, $\tilde{\sigma}$)

Running started in 1992 and ended in 2007 $\tilde{\sigma}$ over time significant detector upgrades: silicon vertex detectors that boosted charm and beauty performances

integrated luminosity: $\sim 500 \text{ pb}^{-1}$ per experiment, huge for an $e p$ collider

Deep Inelastic Scattering (DIS) kinematic variables



referring to the diagram shown above:

~ $Q^2 = -q^2$

virtually of the exchanged γ

~ $x = Q^2 / 2 P q$

fraction of the proton momentum taken by the incoming gluon

~ $y = P q / P k$

fraction of the electron momentum taken by the incoming γ

P: proton 4-momentum

k: electron 4-momentum

~ DIS regime: $Q^2 > 1 \text{ GeV}^2$

(photoproduction regime: $Q^2 \sim 0 \text{ GeV}^2$)

Heavy quark (charm and beauty) production in DIS at HERA

- important playground for pQCD: the heavy quark mass, m_Q $Q=c,b$, provides a hard scale that allows pQCD calculations to be made
- dominant heavy quark production process in DIS: boson gluon fusion

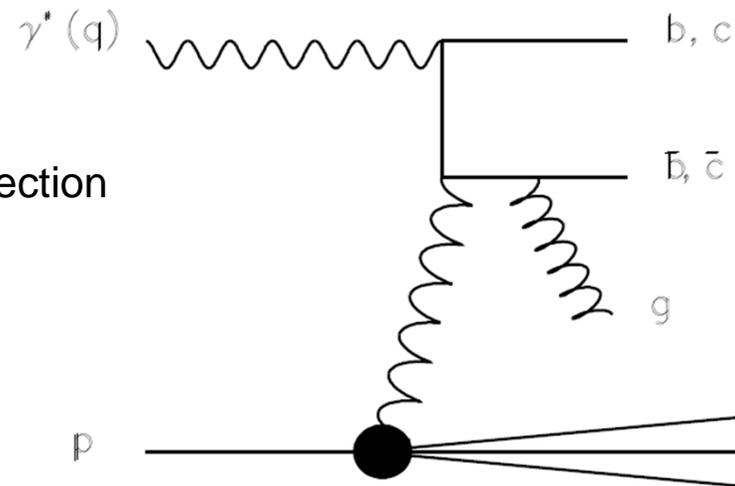
cross section = gluon density \otimes hard sub-process cross section

$m_Q(\mu)$

$\alpha_S(\mu)$

...

$\mu = Q^2$ or $f(Q^2, p_T^2, \tilde{\alpha})$



hottest questions for pQCD:

- how accurate is the prediction of the hard sub-process cross section ?
- if you plug in the gluon density from inclusive DIS measurements do you get the right results for the heavy quark cross sections ?
- is the running of the charm and beauty quark masses as expected ?

Available data and tagging techniques

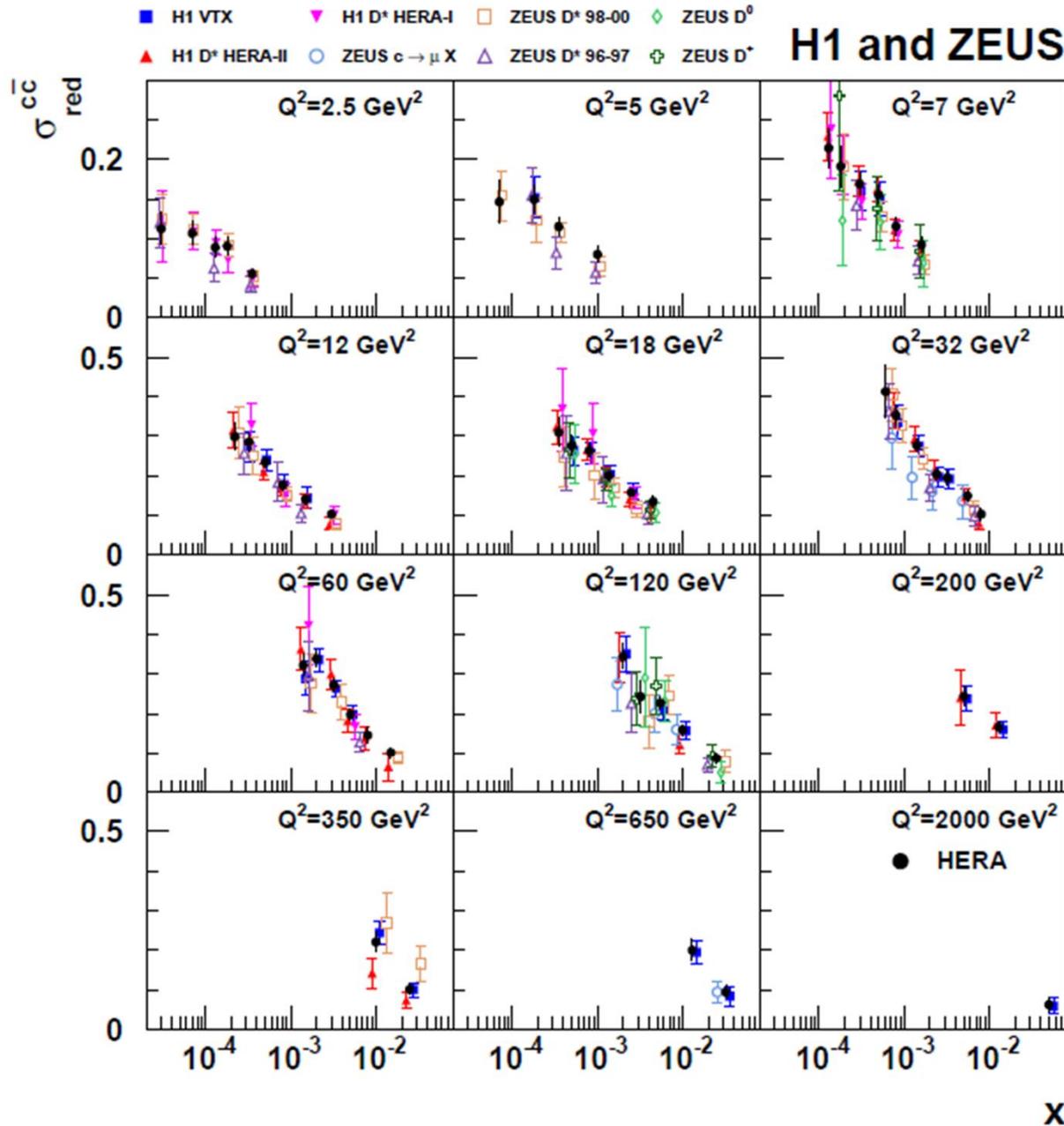
Data set	Tagging method	Q^2 range [GeV ²]	N	\mathcal{L} [pb ⁻¹]
1 H1 VTX [14]	Inclusive track lifetime	5 – 2000	29	245
2 H1 D^* HERA-I [10]	D^{*+}	2 – 100	17	47
3 H1 D^* HERA-II [18]	D^{*+}	5 – 100	25	348
4 H1 D^* HERA-II [15]	D^{*+}	100 – 1000	6	351
5 ZEUS D^* (96-97) [4]	D^{*+}	1 – 200	21	37
6 ZEUS D^* (98-00) [6]	D^{*+}	1.5 – 1000	31	82
7 ZEUS D^0 [12]	$D^{0,\text{no}D^{*+}}$	5 – 1000	9	134
8 ZEUS D^+ [12]	D^+	5 – 1000	9	134
9 ZEUS μ [13]	μ	20 – 10000	8	126

- “ two independent experiments
- “ a large variety of tagging techniques: inclusive methods using the large lifetime of charmed hadrons, inclusive track lifetime, complete reconstruction of charmed mesons, D^{*+} , charm semileptonic decay, μ
- “ a large number of measurements, $\sum N = 155$ data points, in a common grid spanning the $x \cdot Q^2$ plane (except for [14] where scaling factors, always smaller than 18 %, have been applied to migrate the original measurements to the closest point of the common grid)
- “ developed a combination method taking into account properly correlated and uncorrelated uncertainties (155 data points in 52 bins)

key observable:

$$\sigma_{\text{red}}^{c\bar{c}} = \frac{d^2\sigma^{c\bar{c}}}{dx dQ^2} \cdot \frac{xQ^4}{2\pi\alpha^2(Q^2)(1+(1-y)^2)}$$

Combined reduced charm cross section



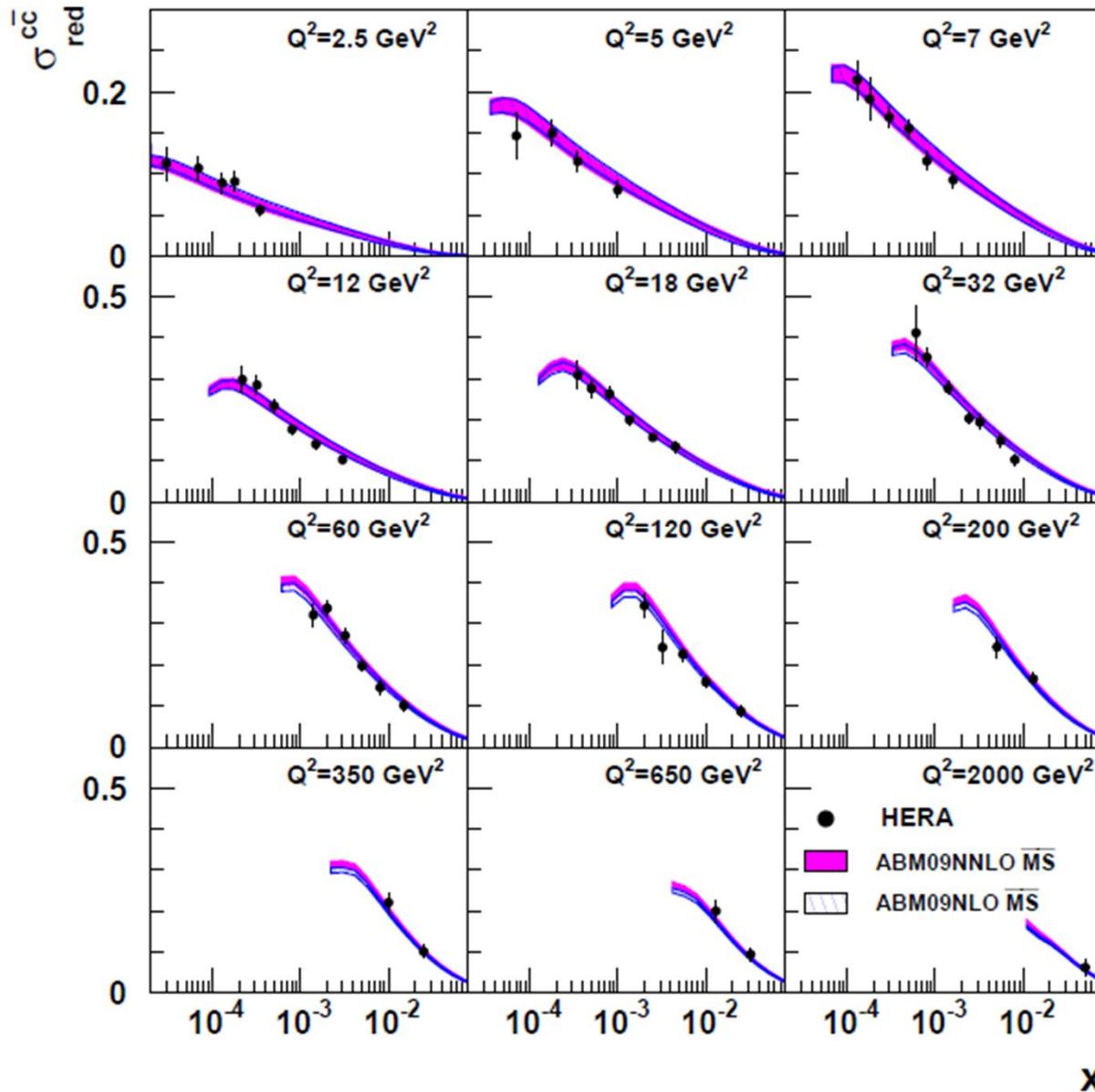
✓ good consistency of data
among the several possible tests
 $\chi^2 / \text{ndf} = 62 / 103$

✓ good complementarity of data

✓ 10 % uncertainty on average,
6 % at small x and medium Q^2

Reduced charm cross section: data vs N(N)LO QCD

H1 and ZEUS

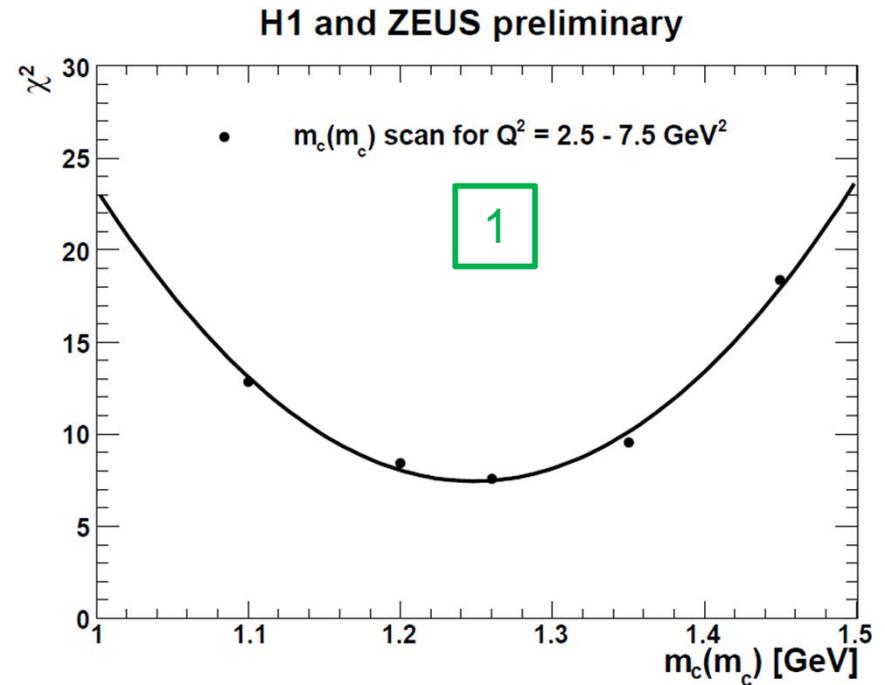
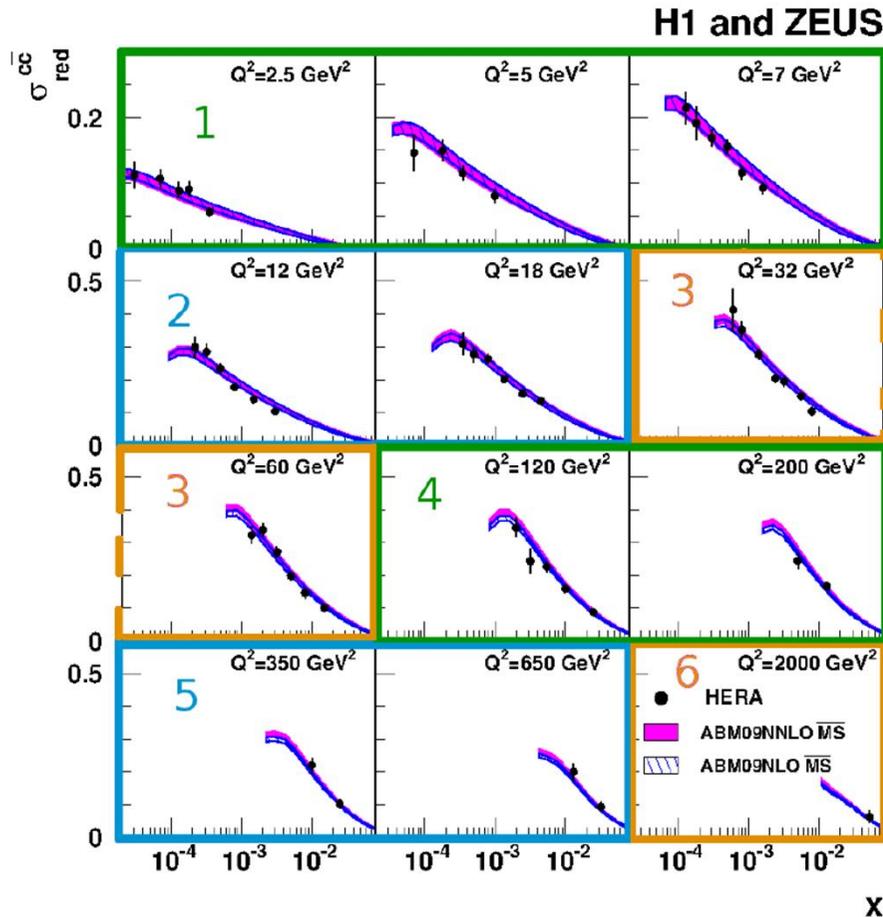


data compared to ABM predictions in the Fixed Flavor Number Scheme at NLO and NNLO

- ✓ NLO and NNLO are similar
- ✓ provide a good description of the data in the whole range
- ✓ at small Q^2 m_c is the dominant source of theoretical uncertainties

so why don't we use these data to constrain m_c ?

Extraction of the charm quark mass



conceptually simple method:

“ work out an array of FFNS NLO QCD predictions changing CONSISTENTLY $m_c(m_c)$ in the theory

“ find out, using a χ^2 , which $m_c(m_c)$ gives the best description of the data

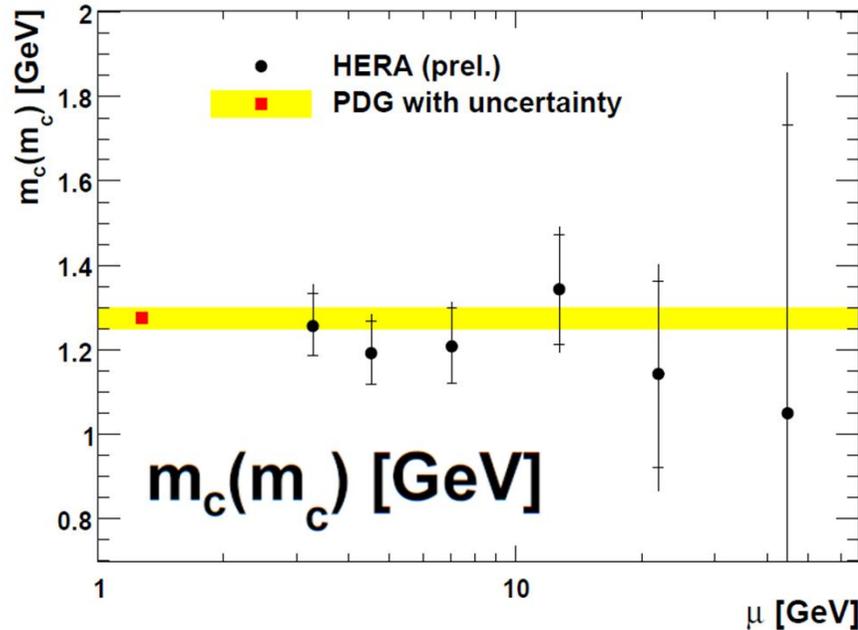
“ parabolic fit

χ^2_{\min} : $m_c(m_c)$, fit uncertainty: $\chi^2_{\min} + 1$

Extraction of the charm quark mass (cont.)

$$\mu = \sqrt{\langle Q^2 \rangle + 4m_c(m_c)^2} \quad \text{scale being used}$$

H1 and ZEUS preliminary

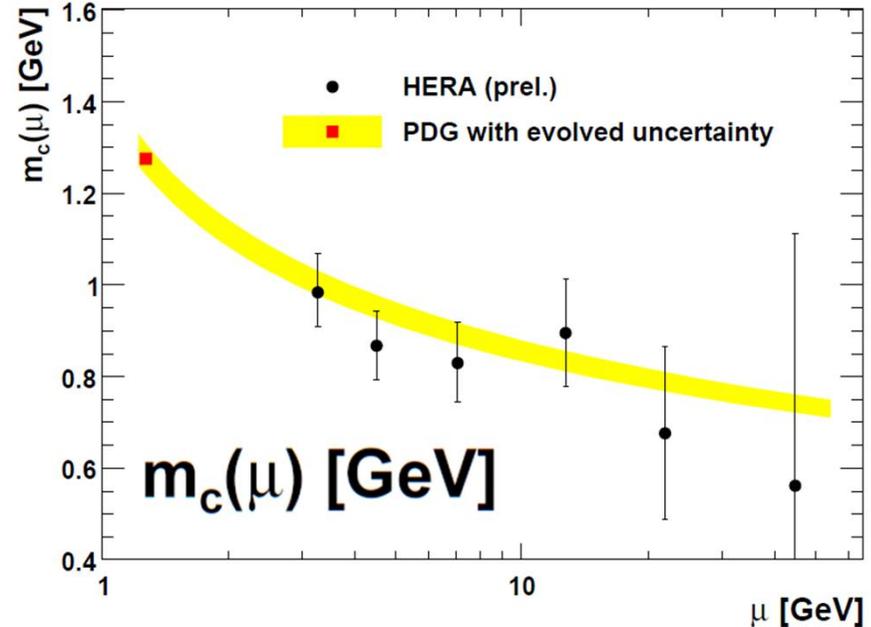


does $m_c(m_c)$ depend on which of the 6 data set is being used ?

i.e. does it depends on Q^2 ?

✓ no

H1 and ZEUS preliminary



final result: running of the charm quark mass with the scale μ

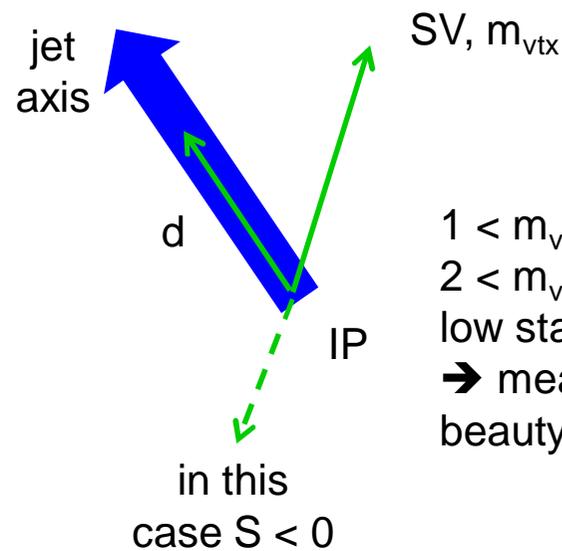
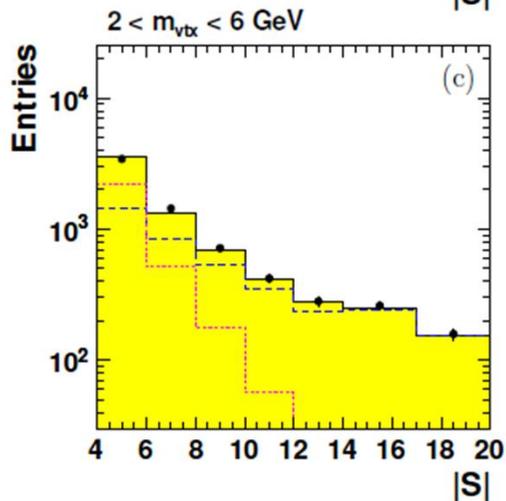
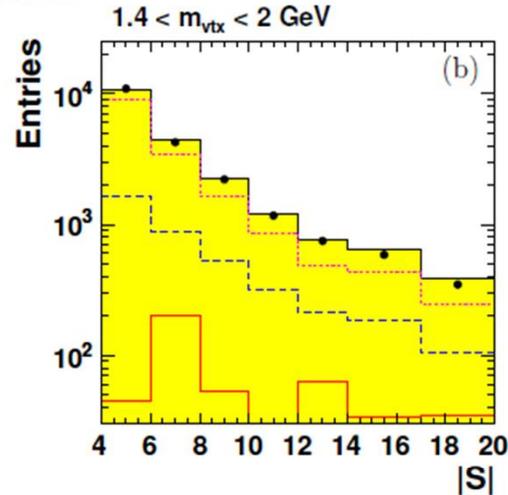
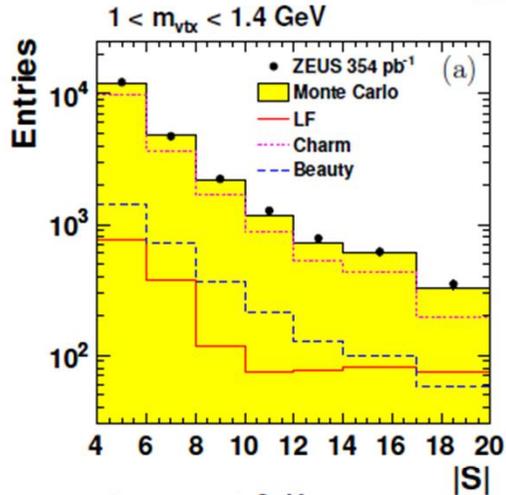
m_Q running was available only for beauty from LEP data

✓ thanks to HERA now available also for charm !

✓ be aware that at large scales, $M_{Z/W}$ or M_{top} , charm can be significantly lighter than you would naively expect !!!

Can we do the same for beauty ?

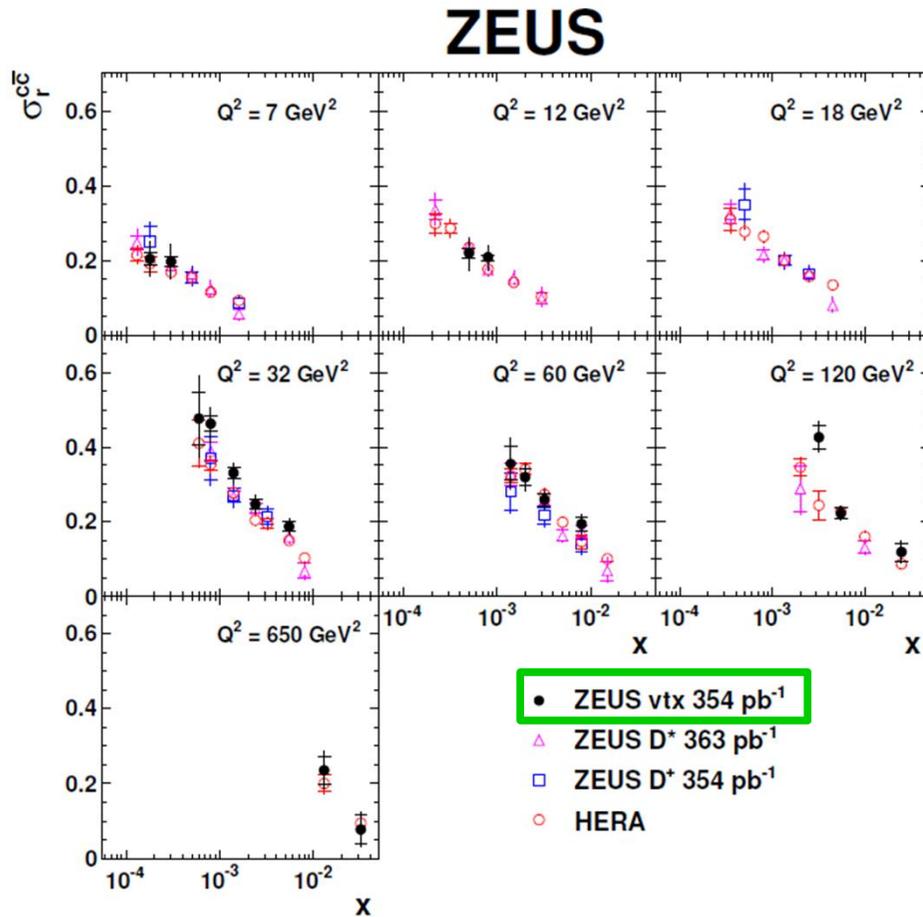
ZEUS



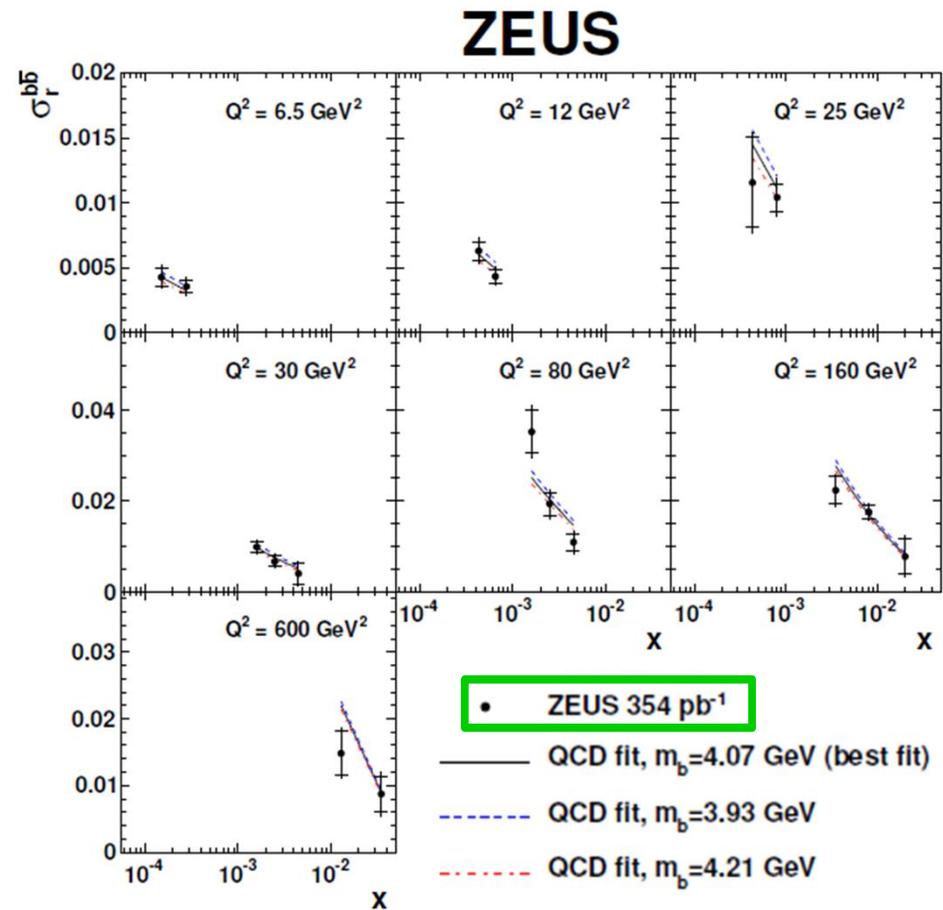
- " DIS selection:
 - " $5 < Q^2 < 1000 \text{ GeV}^2$
 - " $0.02 < y < 0.7$
- " > 0 jet(s):
 - " $E_T^{\text{jet}} > 4$
 - " $-1.6 < \eta^{\text{jet}} < 2.2$
- " heavy flavor(s) separation:
 - " $S = d / \delta d$,
 - $S > 0 - S < 0$ and finally take $|S|$
 - " m_{vtx}

1 < m_{vtx} < 2 GeV: mostly charm
 2 < m_{vtx} < 6 GeV && $|S| > 8$: mostly beauty but low stat.
 → measure both and separate charm and beauty statistically

Reduced charm and beauty cross sections

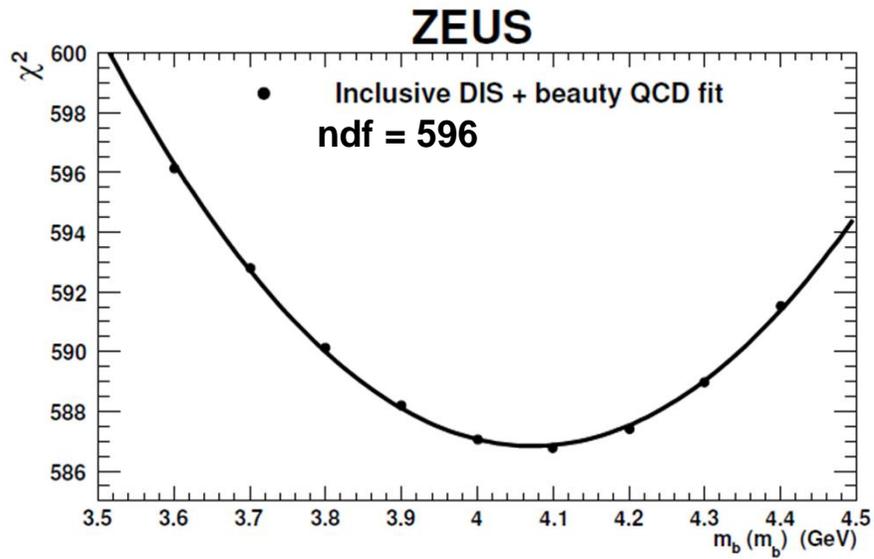


results for **charm** compared to:
 ~ 2 ZEUS D* measurement
 ~ a HERA charm combination
 ✓ good agreement with different methods



results for **beauty** compared to:
 ~ 3 NLO QCD predictions obtained
 for different m_b (m_b)
 which value best matches the data ?

Extraction of the beauty quark mass



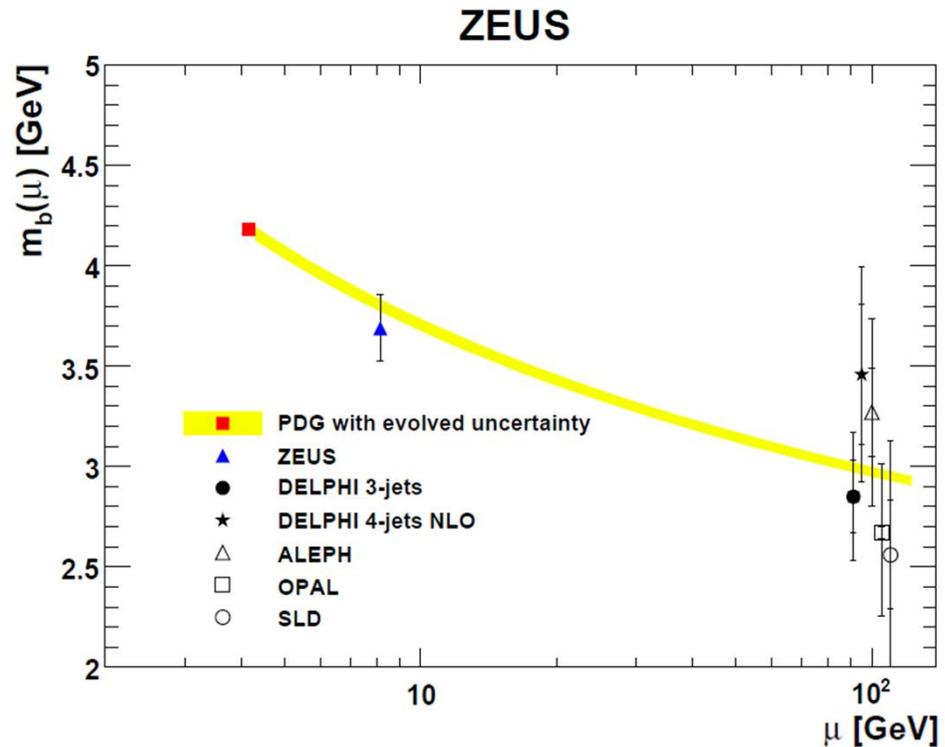
beauty quark mass fit

input:

- ~ reduced beauty cross section
- ~ inclusive DIS data

fitted quantities:

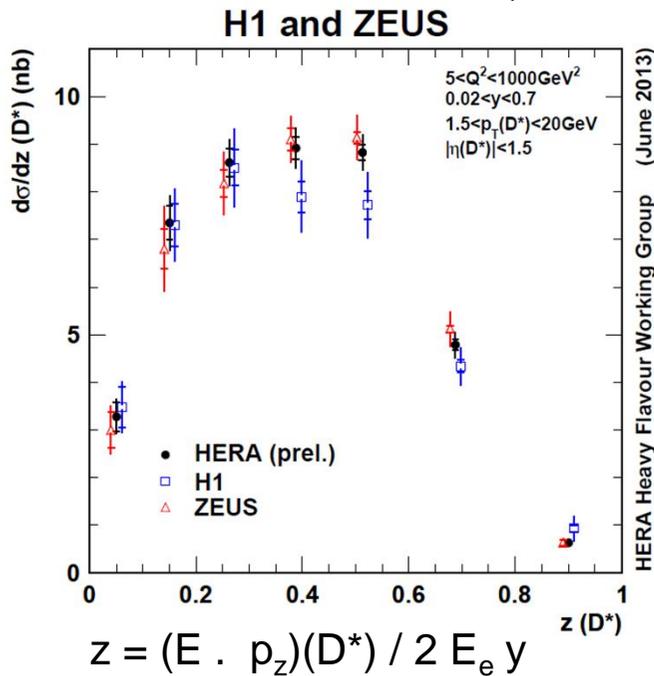
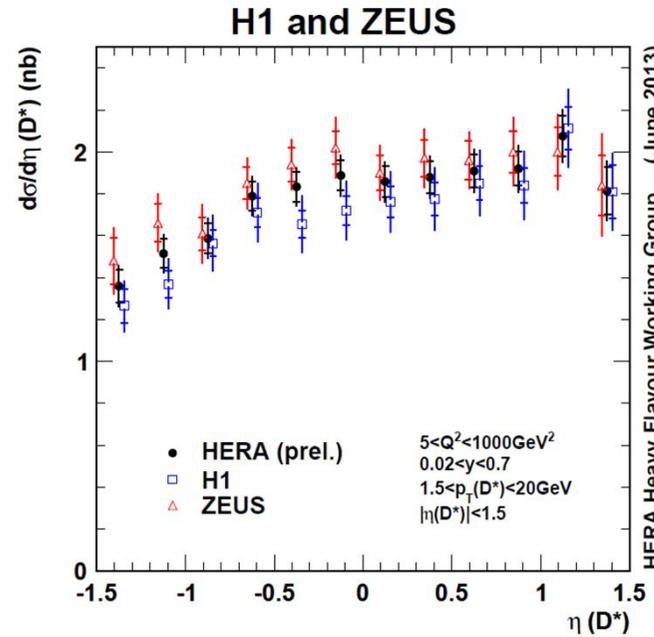
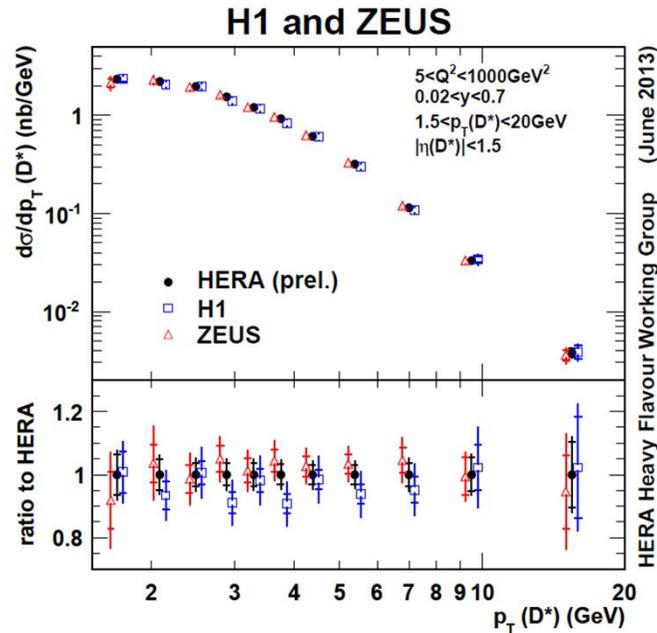
- ~ $m_b(m_b)$
- ~ parton densities



- ✓ ZEUS + LEP + SLD proof the running of m_b
- ✓ ZEUS uncertainties are very competitive
- ✓ be aware that at large scales, M_Z / W or M_{top} , beauty can be significantly lighter than you would naively expect !!!

$$m_b(m_b) = 4.07 \pm 0.14 \text{ (fit)}^{+0.01}_{-0.07} \text{ (mod.)}^{+0.05}_{-0.00} \text{ (param.)}^{+0.08}_{-0.05} \text{ (theo.) GeV}$$

Additional observables in the charm case



DIS selection:

~ $5 < Q^2 < 1000 \text{ GeV}^2$

~ $0.02 < y < 0.7$

D^* ($K \pi \pi_s$) selection:

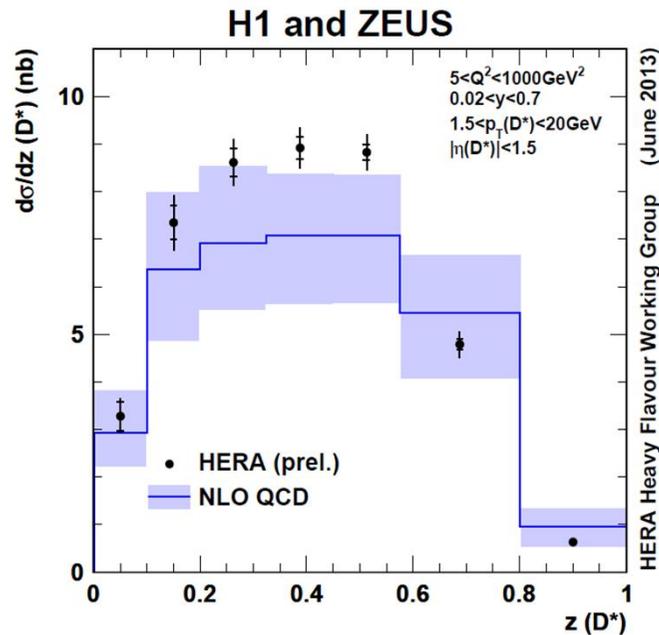
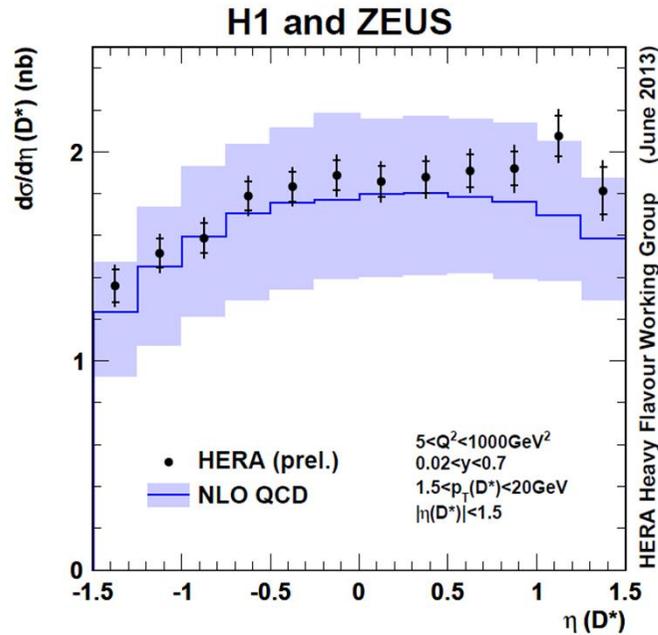
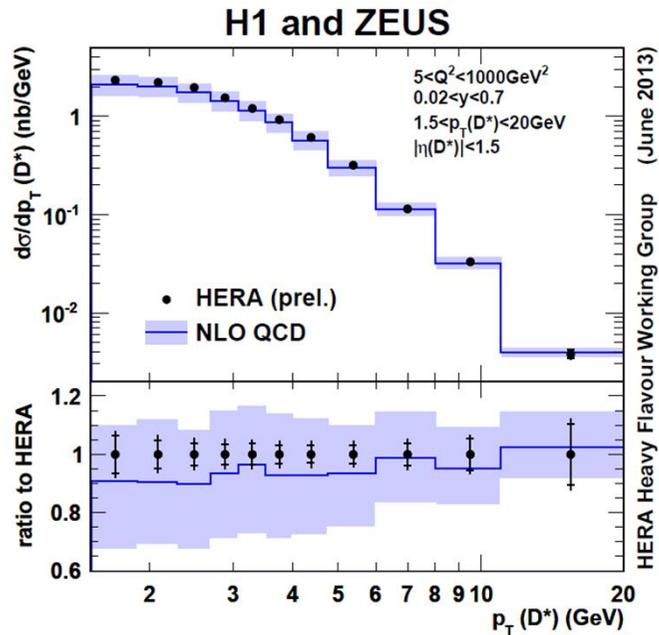
~ $1.5 < p_T(D^*) < 20 \text{ GeV}$

~ $|\eta(D^*)| < 1.5$

3 % beauty contribution

combination treating consistently correlated and uncorrelated uncertainties

Additional observables in the charm case: data vs NLO QCD



combined data are compared to FFNS NLO QCD predictions ($m_c(m_c)=1.5 \text{ GeV}$, HERAPDF1.0)

NLO predictions:

- ✓ describe the data rather well
- ✓ are affected by large normalization uncertainties
- ✓ can be further improved in some aspects

Conclusions

“ accurate charm and beauty cross section measurements have been performed by the H1 and ZEUS collaborations

“ same measurements are performed using different experimental techniques: each technique has its own advantages and disadvantages

“ $m_c(m_c)$ extracted for the first time and running clearly measured

“ $m_b(m_b)$ extracted as well

“ charm data are significantly more precise than NLO predictions which suffers from large scale variation uncertainties δ **we need NNLO for charm !!!**

“ have already started to combine:

_ different experimental techniques

_ H1 and ZEUS results

to achieve the best accuracy not only for cross section measurement ! see $m_c(m_c)$!