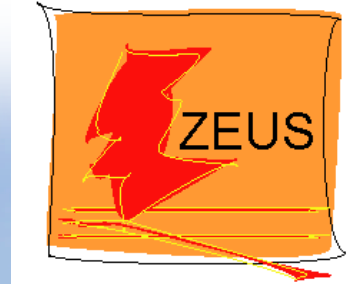




PANIC11
24-29 July 2011
MIT, Cambridge - MA



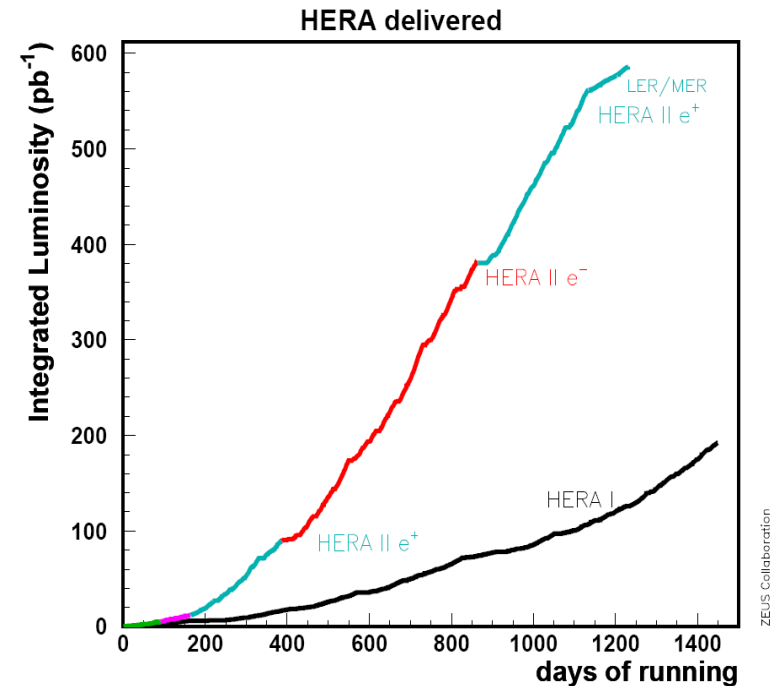
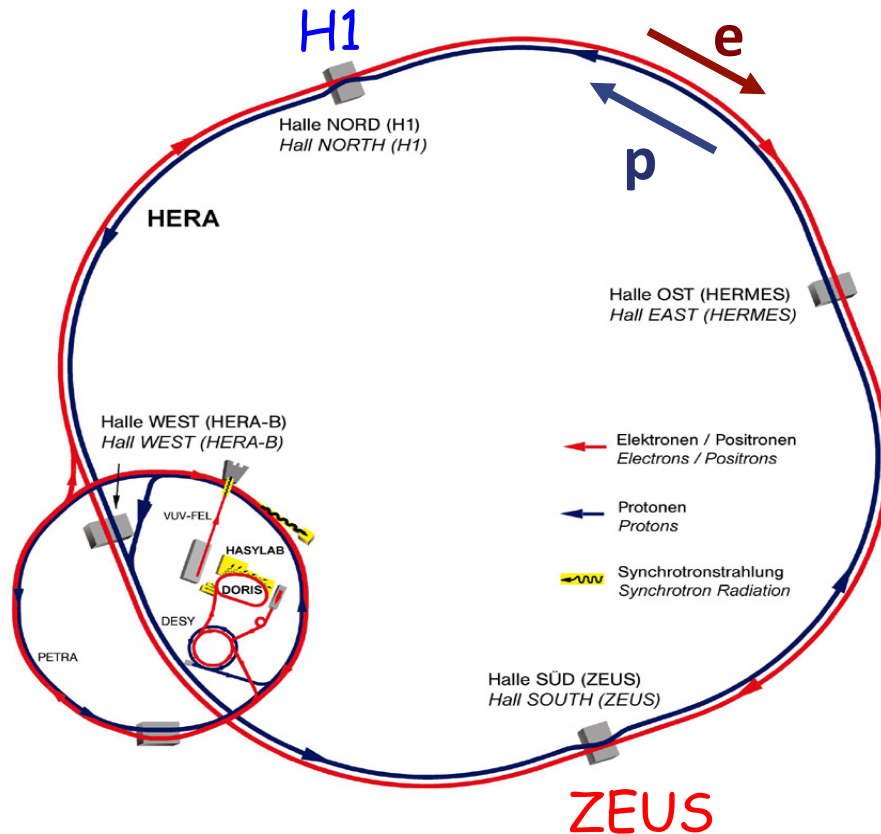
Combined Measurement of the Inclusive Diffractive Cross Sections at HERA

Valentina Sola
(Torino University and INFN)
on behalf of the H1 and ZEUS Collaborations

- ❖ Diffraction in ep scattering
- ❖ Latest inclusive diffractive ep results
- ❖ Combination of diffractive cross sections



HERA = Hoch Energie Ring Anlage

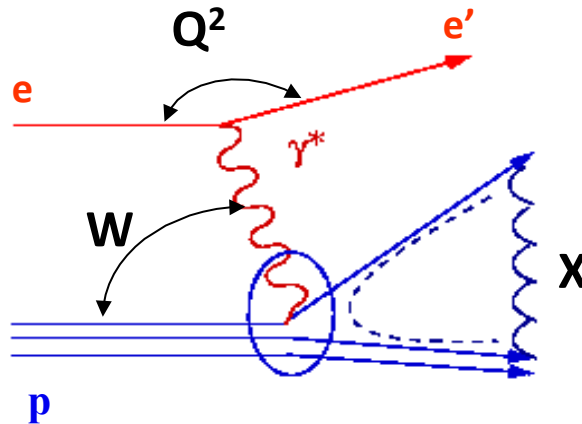


HERA I	1993-2000	$E_p = 820-920 \text{ GeV}$
HERA II	2003-2007	$E_p = 920-460-575 \text{ GeV}$
HERA I - II		$E_e = 27.5 \text{ GeV}$

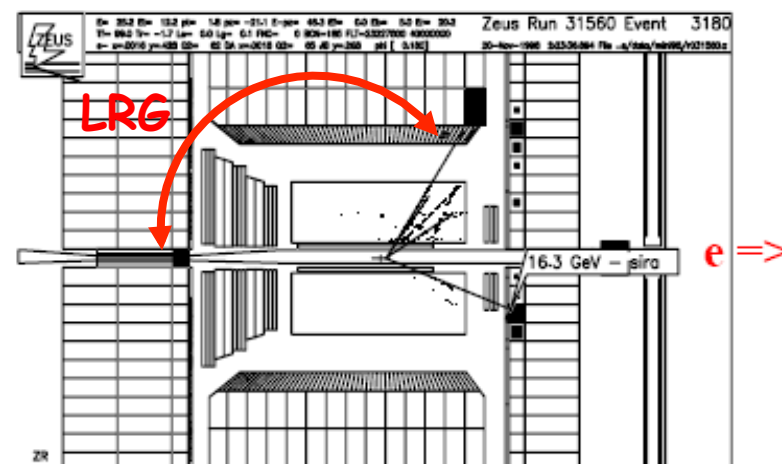
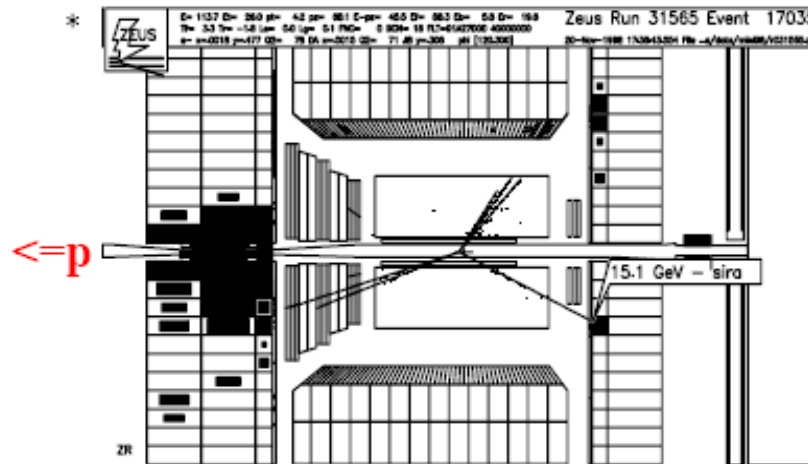
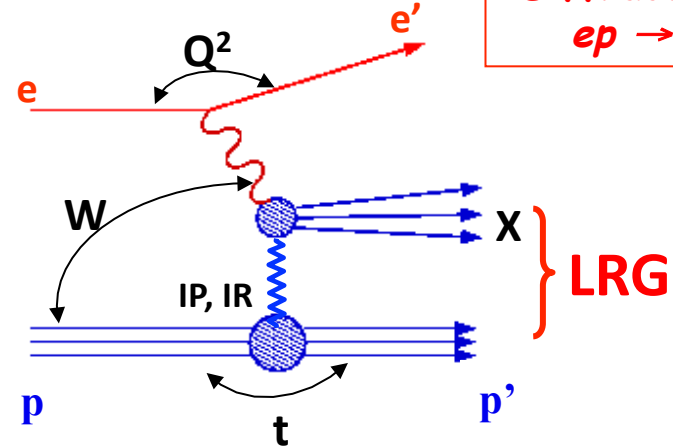
0.5 fb⁻¹ collected by H1 and ZEUS experiments

Diffraction at HERA

Standard DIS
 $ep \rightarrow e'X$



Diffractive DIS
 $ep \rightarrow e'Xp'$



Diffractive events contribute up to 15% of the inclusive DIS cross section

Kinematics and Cross Sections

Q^2 = virtuality of exchanged photon

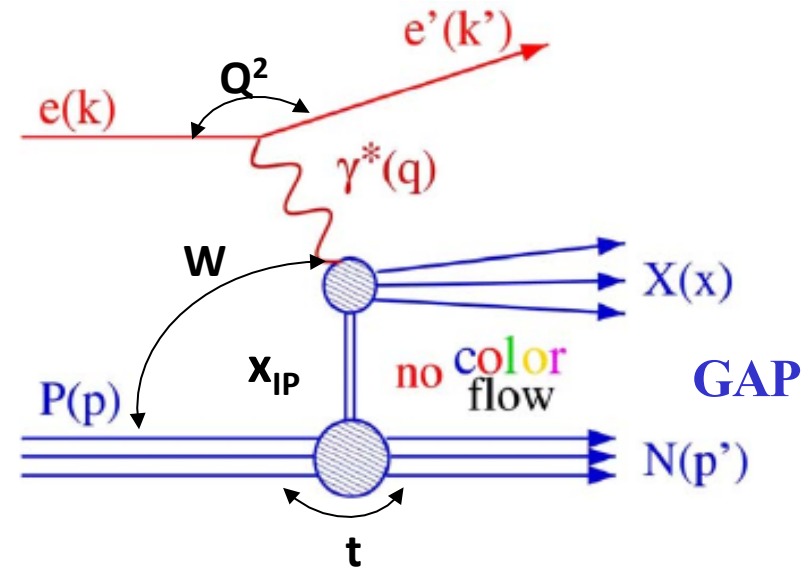
x = Bjorken scaling variable

y = inelasticity of virtual photon

x_{IP} = fraction of proton momentum carried by IP

$\beta = x/x_{IP}$ = fraction of IP momentum carried by struck parton

t = (4-momentum exchanged at p vertex)²
typically: $|t| < 1 \text{ GeV}^2$



When N is a resonance or a low mass state

↪ proton dissociation (p-diss)

$$\frac{d^4\sigma_{ep \rightarrow e'Xp'}}{d\beta dQ^2 dx_{IP} dt} = \frac{2\pi\alpha^2}{\beta Q^4} Y_+ [F_2^{D(4)}(\beta, Q^2, x_{IP}, t) - \frac{Y_-^2}{Y_+} F_L^{D(4)}(\beta, Q^2, x_{IP}, t)]$$

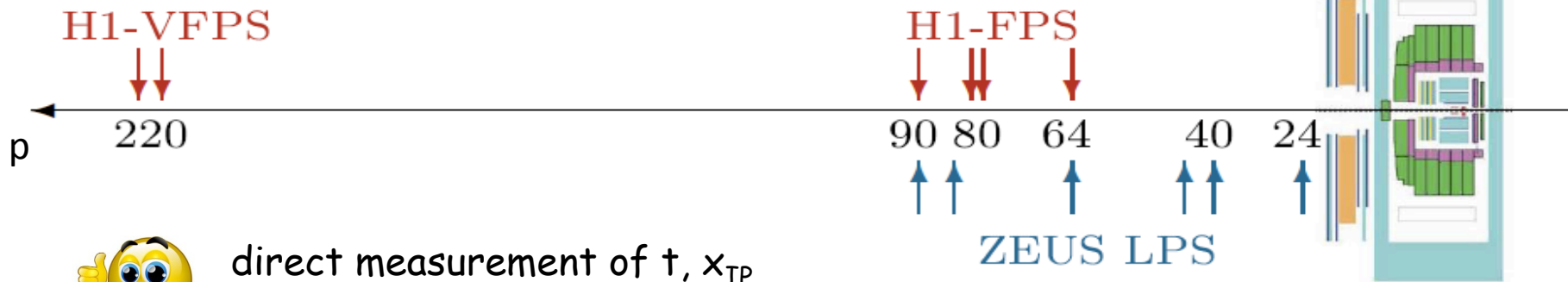
where $Y_+ = 1 + (1-y)^2$

$$= \sigma_r^{D(4)}(\beta, Q^2, x_{IP}, t)$$

$$\sigma_r^{D(3)}(\beta, Q^2, x_{IP}) = \int \sigma_r^{D(4)}(\beta, Q^2, x_{IP}, t) dt$$

Signatures and Selection Methods

Proton Spectrometer (PS) method



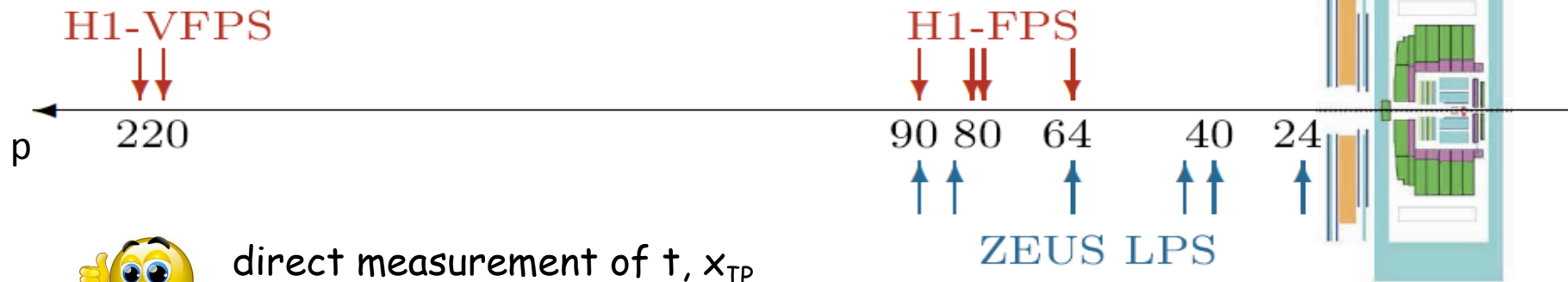
direct measurement of t , x_{IP}
high x_{IP} accessible
no p-diss contribution



low statistics

Signatures and Selection Methods

Proton Spectrometer (PS) method



direct measurement of t , x_{IP}
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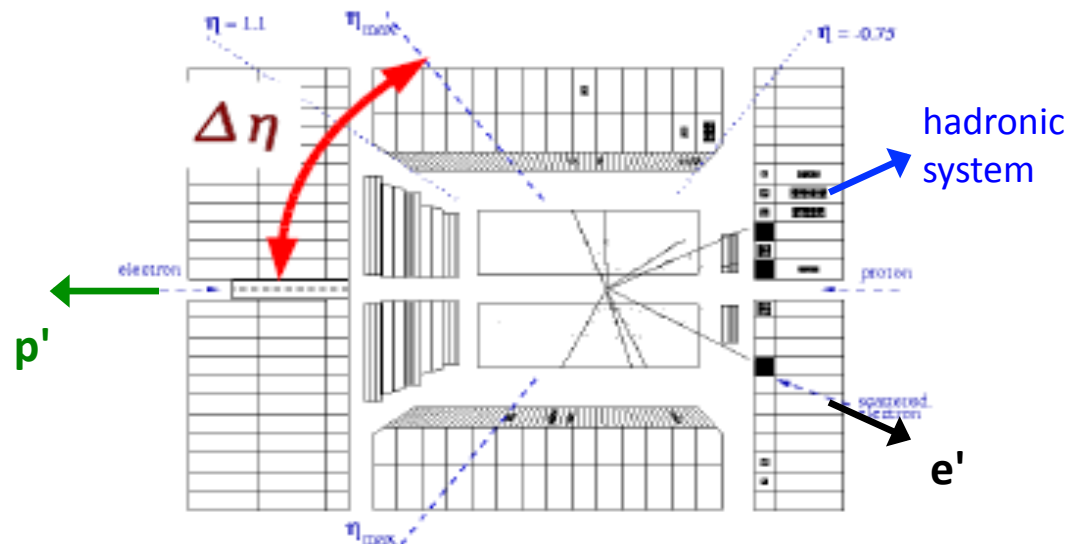


near perfect acceptance
at low x_{IP}



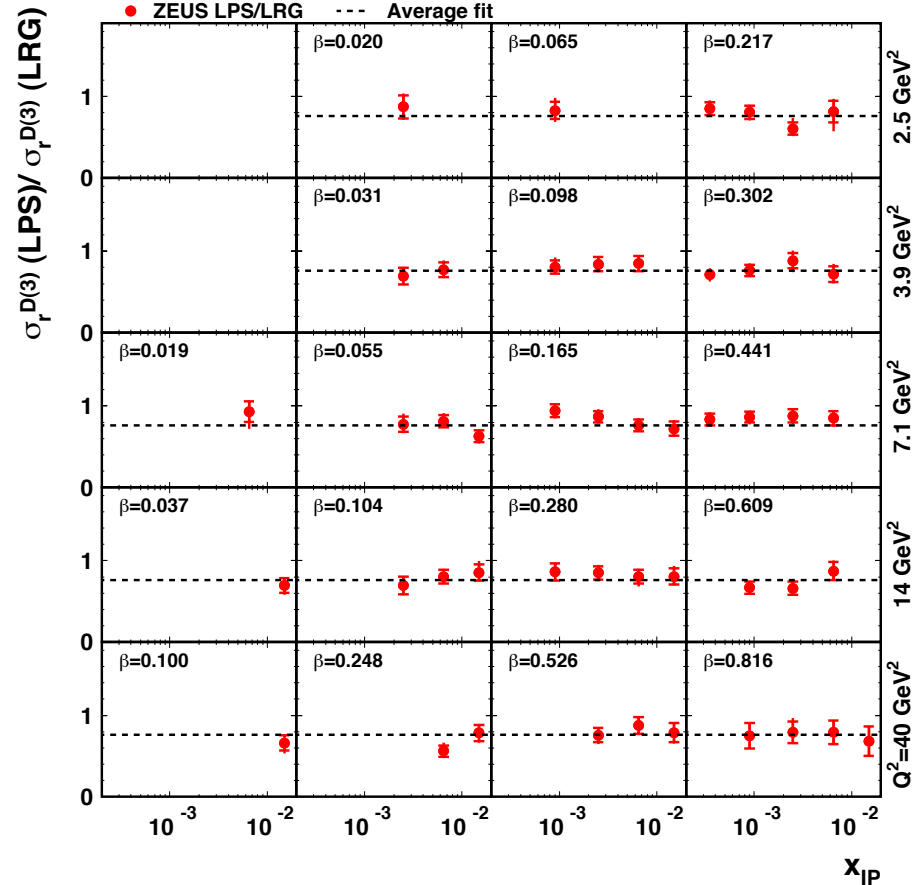
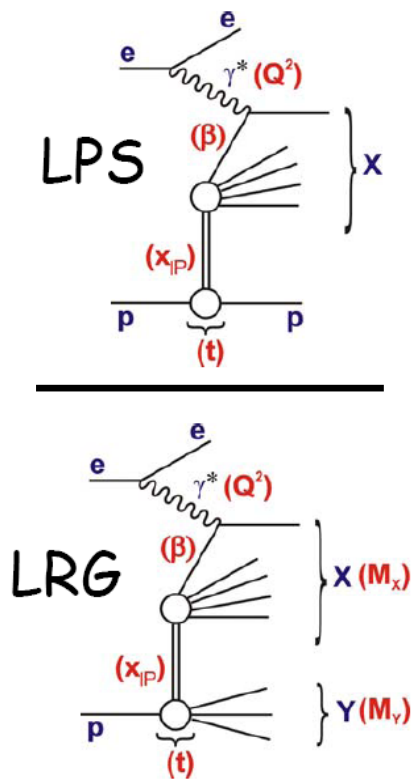
p-diss contribution
no t measurement

Large Rapidity Gap (LRG) method



LRG vs PS

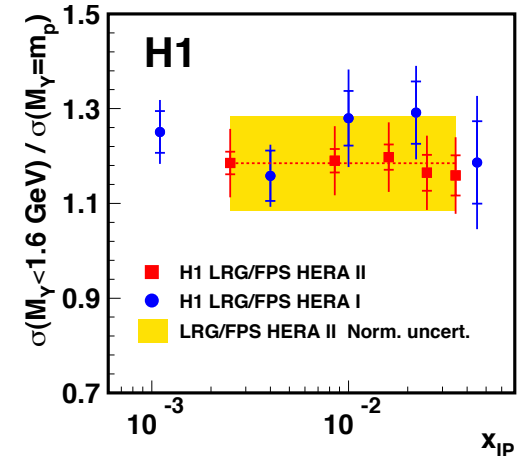
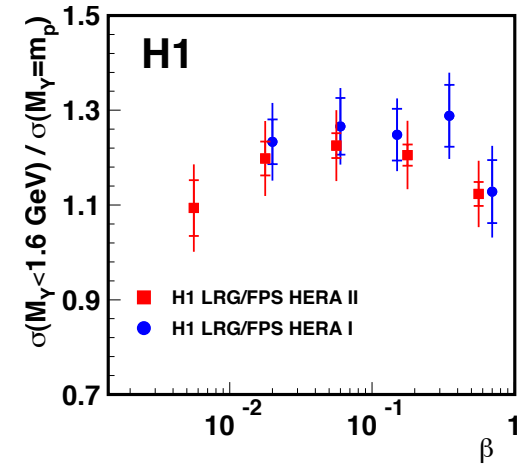
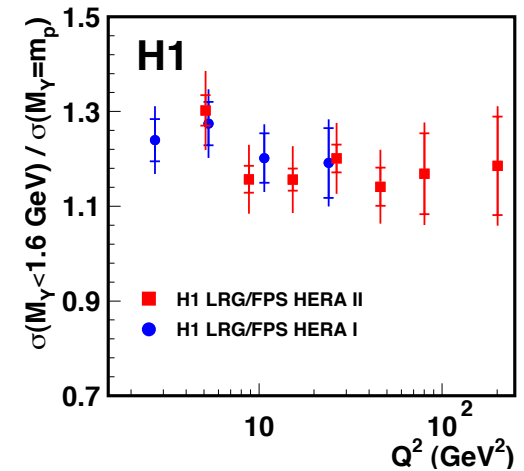
ZEUS



Estimation of p-diss contribution in LRG method

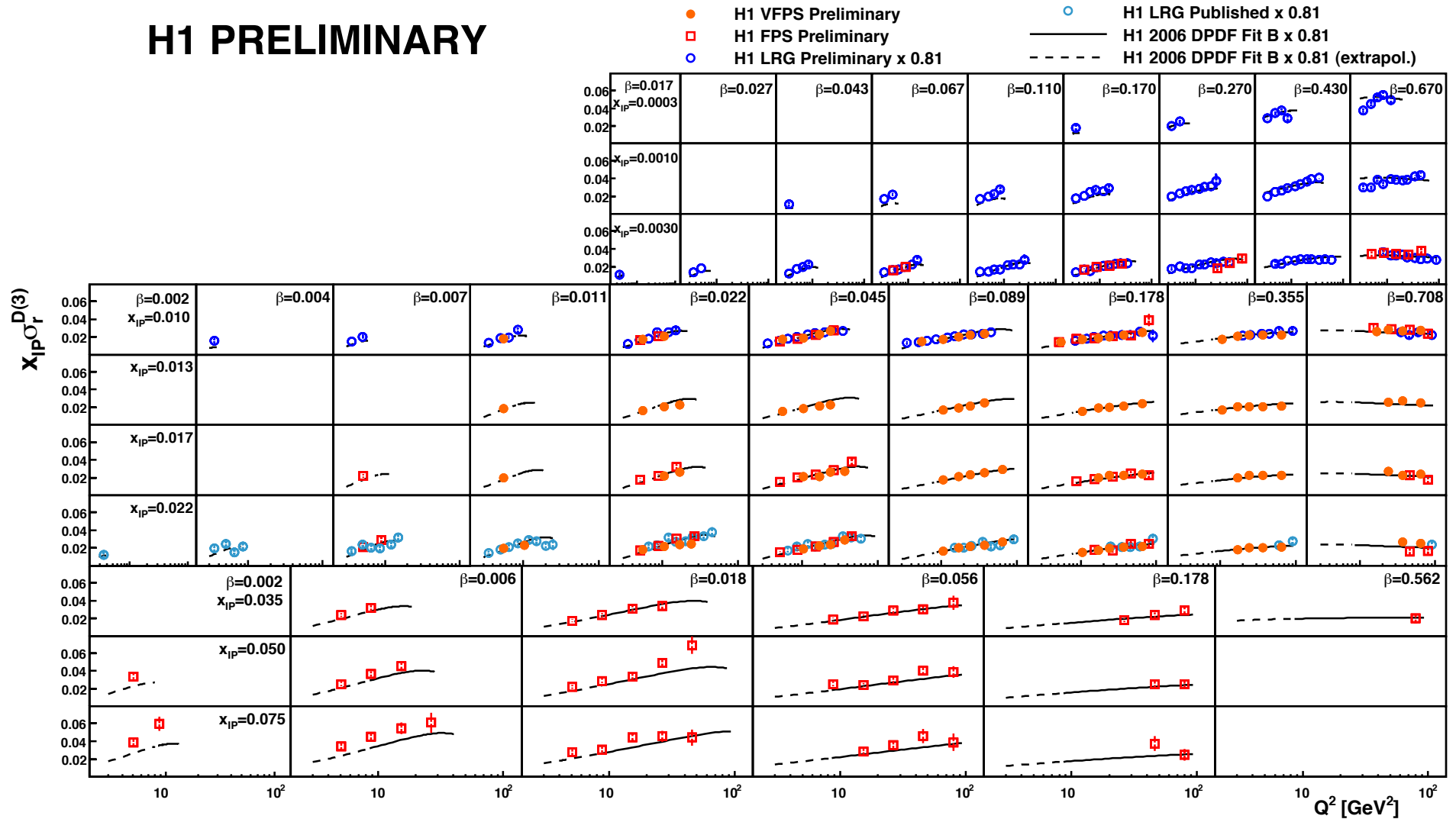
→ ratio flat both in ZEUS and H1

⇒ PS data give the absolute normalization of $\sigma_r^{D(3)}$



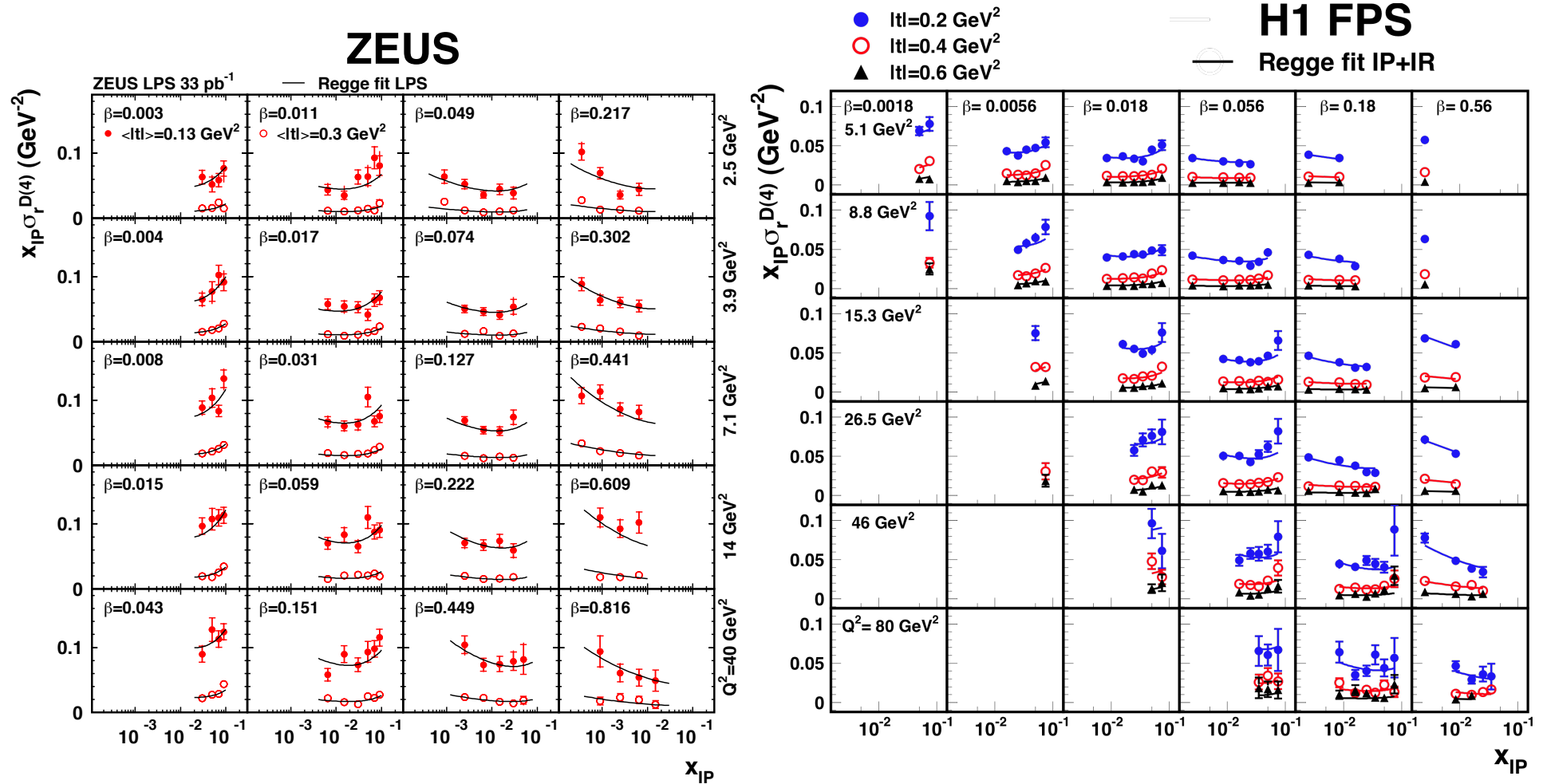
$\sigma_r^{D(3)}$ from LRG, FPS and VFPS

H1 PRELIMINARY



LRG, FPS and VFPS data agree (once p-diss is subtracted)

$\sigma_r^{D(4)}$ from Proton Spectrometers



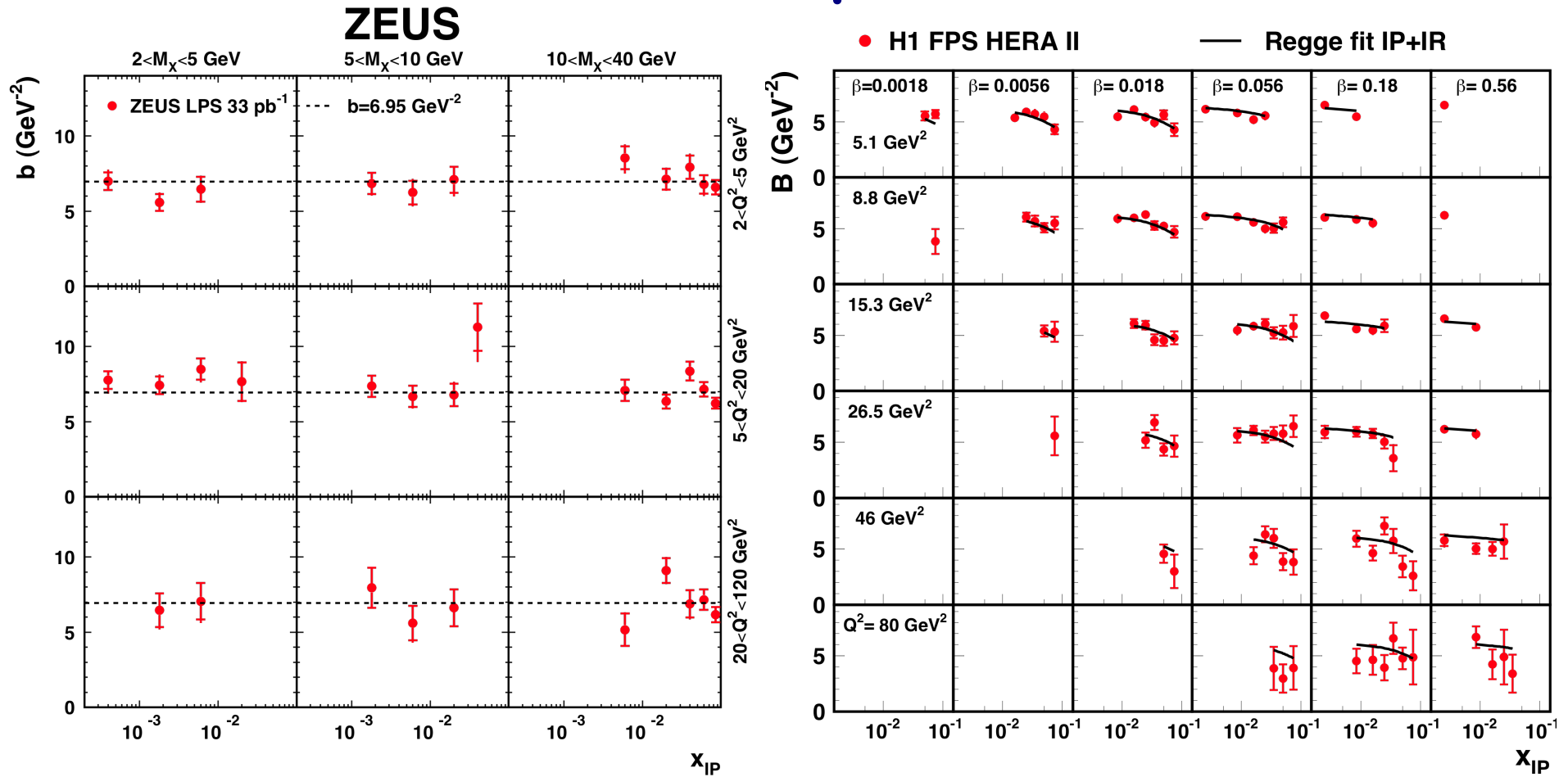
Most precise inclusive diffractive measurements from HERA (PS method)

➤ ZEUS LPS '99/2000 [Nucl.Phys. B816 (2009) 1-61] $|t| = 0.09 - 0.55$ GeV²

➤ H1 FPS HERA II [Eur.Phys.J. C71 (2011) 1578] $|t| = 0.1 - 0.7$ GeV²

t-slope

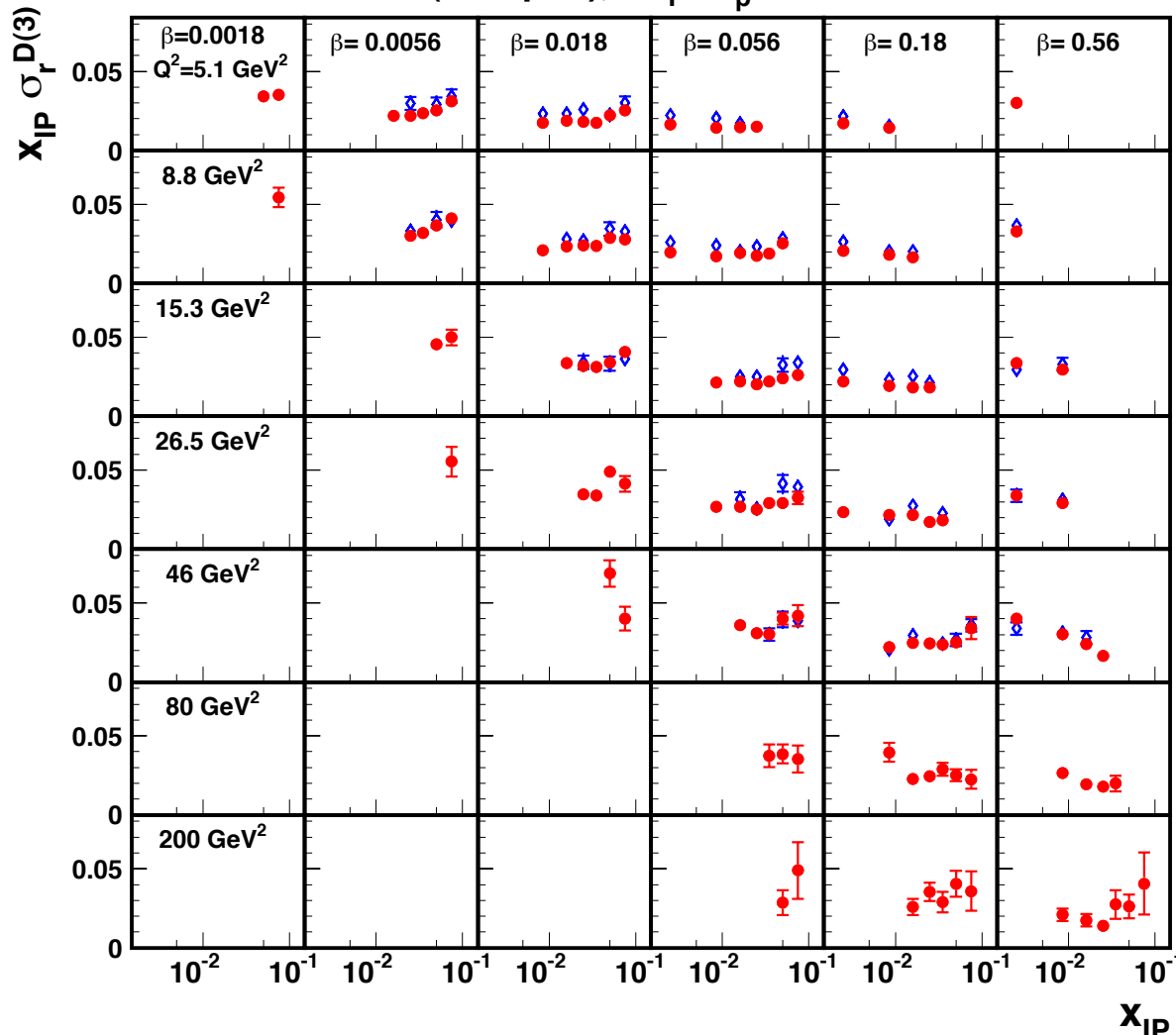
$$d\sigma/dt \sim e^{bt}$$



- ◆ ZEUS t-slope equal to 7 GeV⁻² (constant through the kinematics)
- ◆ H1 t-slope between 5 and 6 GeV⁻² (depending on x_{IP})

$\sigma_r^{D(3)}$ from Proton Spectrometers

- H1 FPS HERA II, $M_Y = m_p$
- ♦ ZEUS LPS (interpol.), $M_Y = m_p$



$$\sigma_r^{D(3)} = \int_{-1}^{t_{\min}} \sigma_r^{D(4)} dt$$

The measured b parameters are used to perform the integration to the 'full' t range

Good agreement in shape between H1 and ZEUS

Fair agreement in normalization between H1 and ZEUS

H1 FPS norm unc $\sim \pm 6\%$

ZEUS LPS norm unc $\sim +11\% - 7\%$

H1/ZEUS = 0.85 ± 0.01 (stat) ± 0.03 (syst) + $0.09 - 0.12$ (norm)

$|t|$ range = $t_{\min} - 1 \text{ GeV}^2$

Data Sets

Data sets used for the first diffractive H1 & ZEUS combination

➤ ZEUS LPS '99/2000

Luminosity = 32.6 pb^{-1}

Visible range $|t| = 0.09 - 0.55 \text{ GeV}^2$

➤ H1 FPS HERA II

Luminosity = 156.6 pb^{-1}

Visible range $|t| = 0.1 - 0.7 \text{ GeV}^2$

Prior to combining ZEUS cross section points swam to H1 (Q^2 , β , x_{IP}) grid using ZEUS DPDF SJ [Nucl.Phys. B831 (2010) 1]

Combination performed in the ZEUS visible t range

H1 FPS norm unc $\sim \pm 4.5\%$

ZEUS LPS norm unc $\sim \pm 7\%$

$|t| = 0.09 - 0.55 \text{ GeV}^2$

→ H1/ZEUS = $0.91 \pm 0.01 \text{ (stat)} \pm 0.03 \text{ (syst)} \pm 0.08 \text{ (norm)}$

20 correlated systematic error sources treated in the combination

4 “procedural uncertainties” related to the averaging procedure

Combination Method

- ✧ The key assumption is that H1 and ZEUS experiments are measuring the same cross sections at the same kinematical points
- ✧ Averaging H1 and ZEUS diffractive data provides a model independent tool to study consistency of the data and to reduce systematic uncertainties
→ Experiments cross calibrate each other
- ✧ The combination method uses an iterative χ^2 minimization which includes full error correlations [A. Glazov, AIP Conf. Proc. 792 (2005) 237]

$$\chi_{exp}^2(M^{i,true}, \Delta\alpha_j) = \sum_i \frac{[M^{i,true} - (M^i + \sum_j \frac{\partial M^i}{\partial \alpha_j} \frac{M^{i,true}}{M^i} \Delta\alpha_j)]^2}{(\sigma_i \frac{M^{i,true}}{M^i})^2} + \sum_j \frac{(\Delta\alpha_j)^2}{\sigma_{\alpha_j}^2}$$

for a single data set

i = measured data point
 j = correlated systematic error source

M^i measured central values

σ_i statistical and uncorrelated systematic uncertainties

$M^{i,true}$ fitted combined H1 - ZEUS values

σ_{α_j} correlated systematic uncertainties

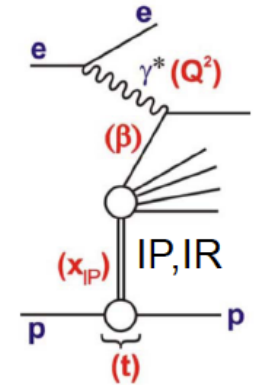
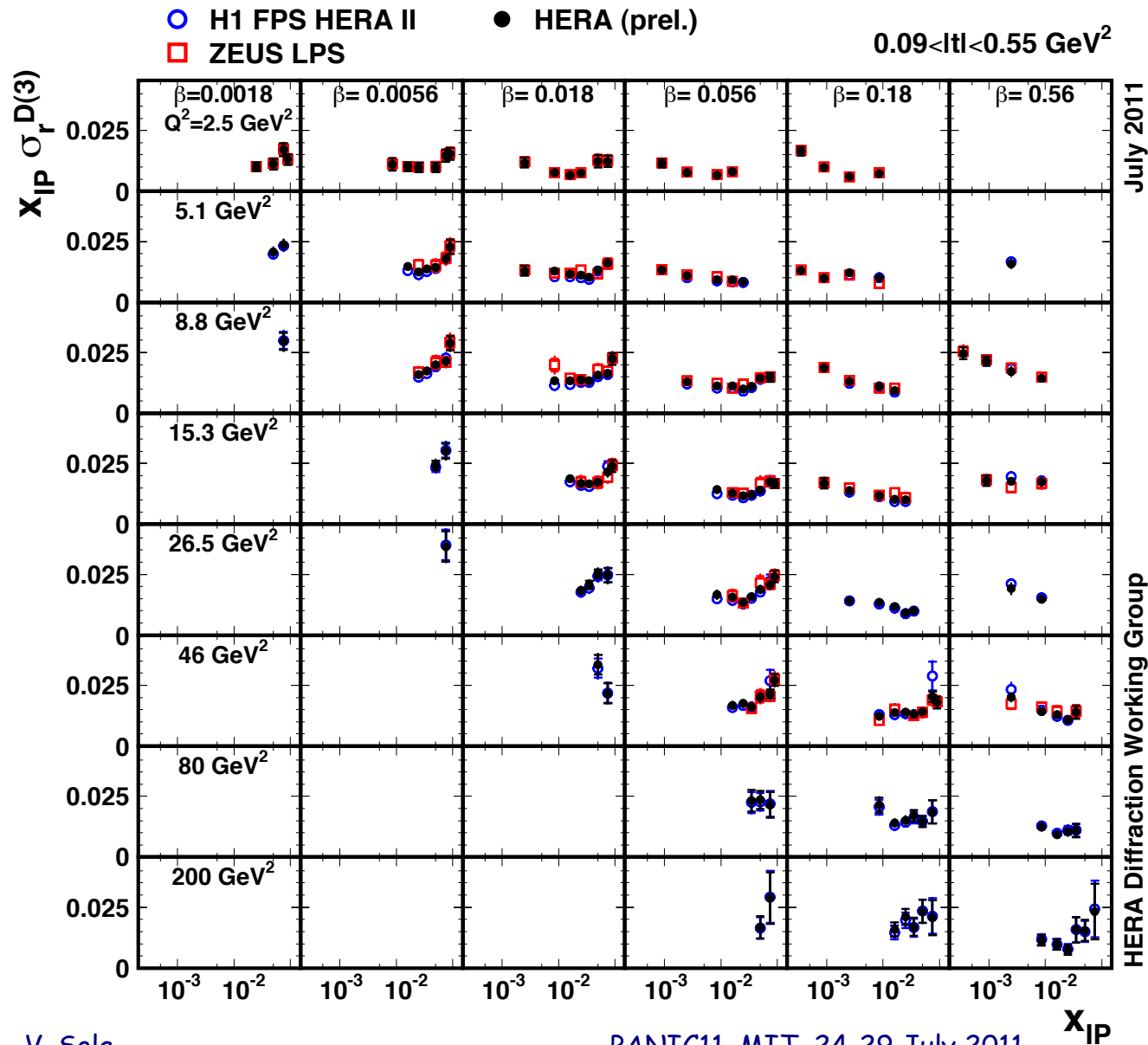
⇒ Full χ^2 is the sum over all χ_{exp}^2

Procedural Uncertainties

Four procedural uncertainties are introduced

1. ZEUS swimming factors from H1 DPDF Fit B [Eur. Phys. J. C48 (2006) 715]
→ Average effect $\sim 1\%$
2. Additive vs multiplicative nature of the error sources
→ Average effect $\sim 4\%$
3. Correlated systematic error sources between H1 and ZEUS
Identified 4 uncertainties of possible common origin
 - ♦ electromagnetic energy scale
 - ♦ background subtraction
 - ♦ x_{IP} reweighting
 - ♦ t reweightingCompare 2^4 averages taking all pairs as corr/uncorr in turn
→ Average effect $\sim 1\%$
4. Point-to-point correlated vs uncorrelated systematic error sources
→ Average effect $< 1\%$, up to 10% at lowest x_{IP}

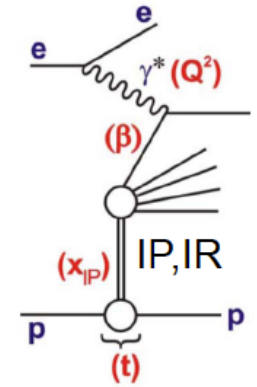
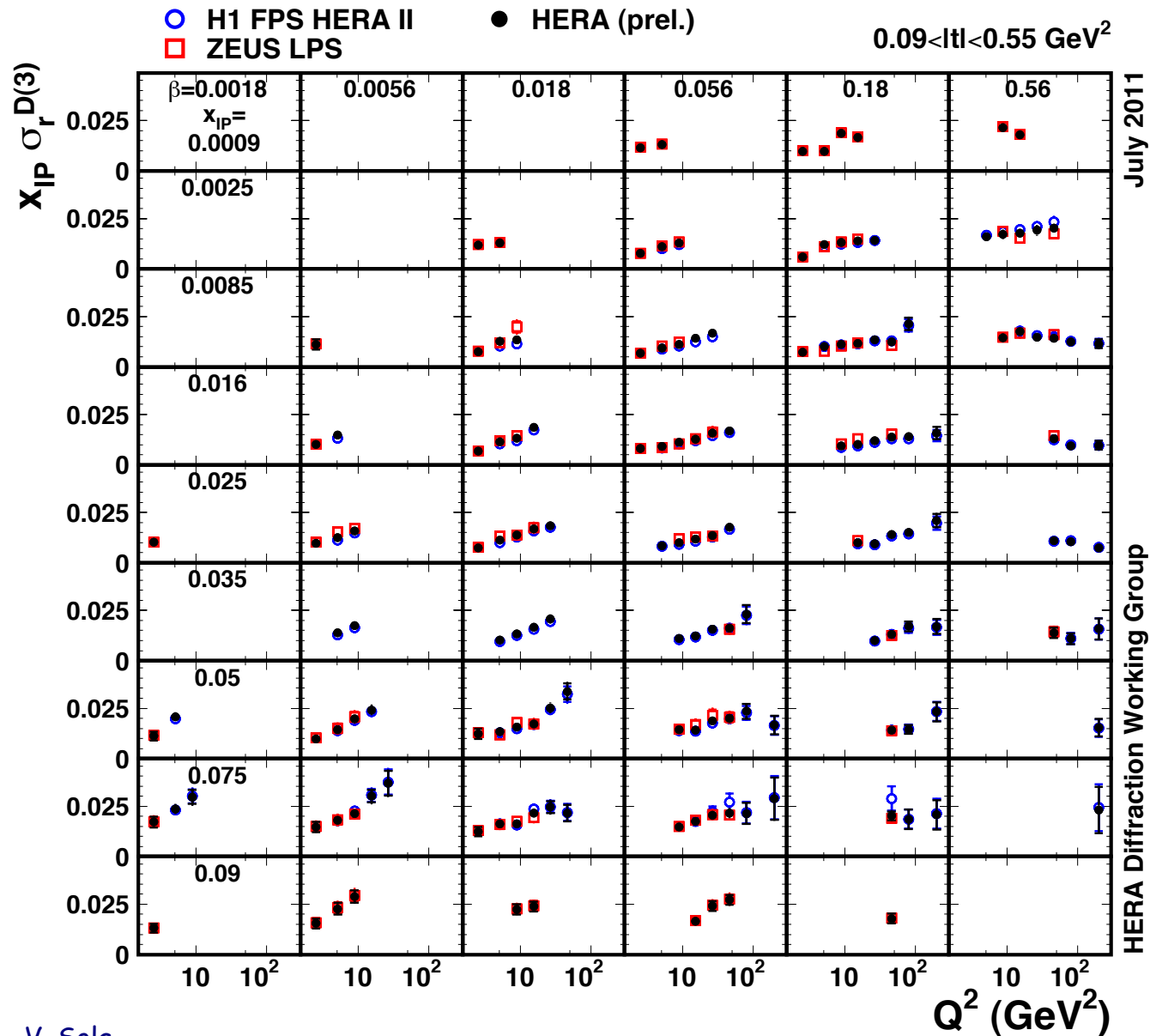
Combined $\sigma_r^{D(3)}$



$$\chi^2/\text{ndf} = 52/58$$

Improvement in
precision with
respect to the
H1 data by $\sim 20\%$

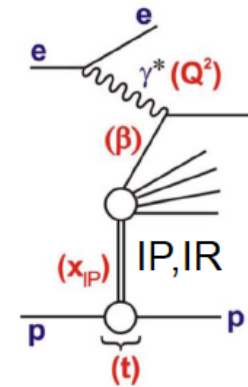
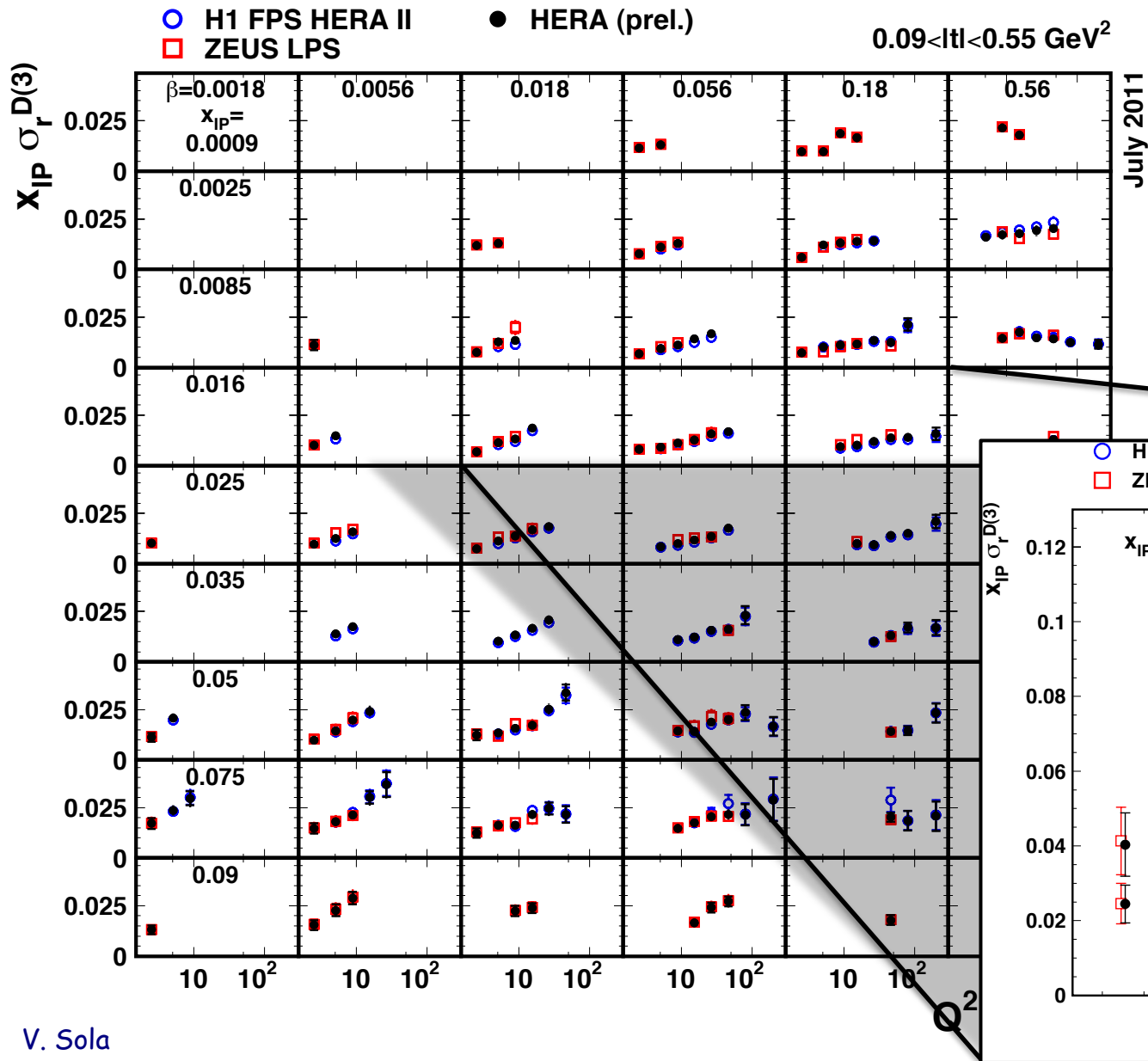
Combined $\sigma_r^{D(3)}$



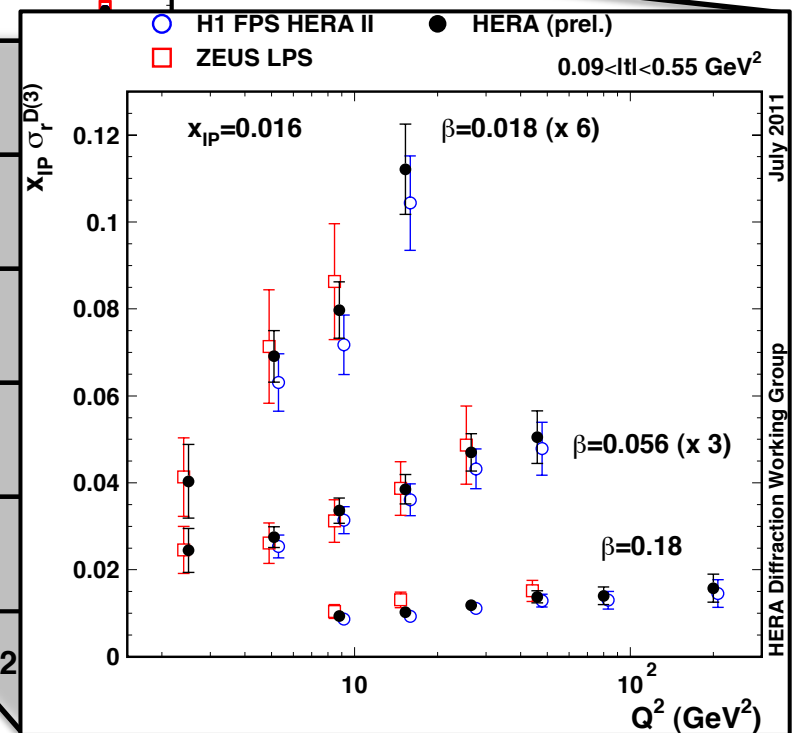
Nice and precise measurement of the scaling violation in diffraction

Improvement in precision with respect to the H1 data by $\sim 20\%$

Combined $\sigma_r^{D(3)}$



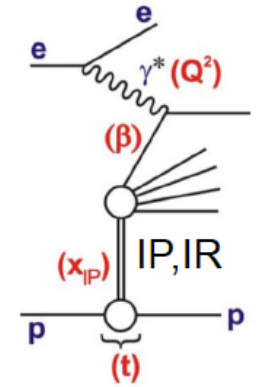
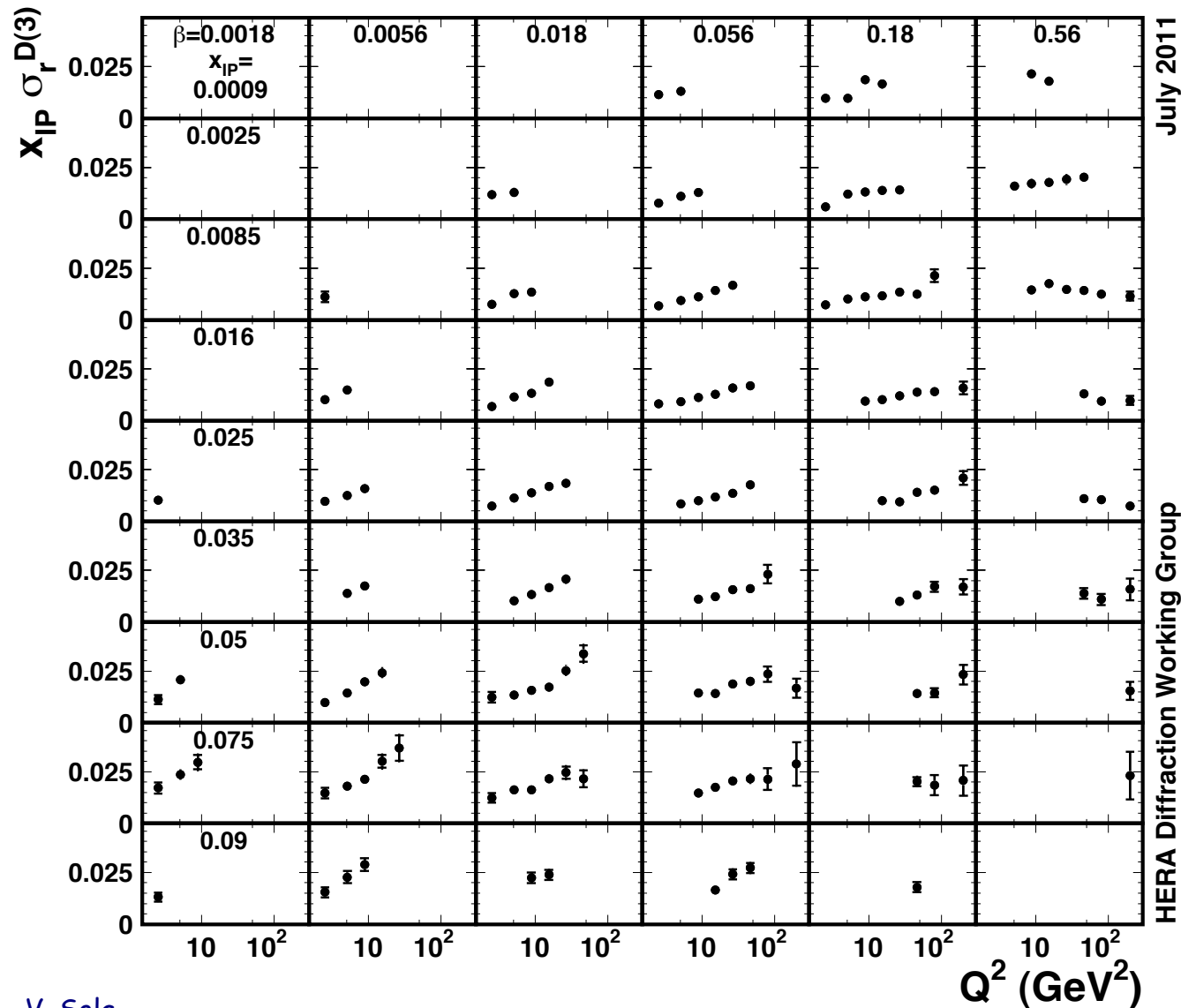
Nice and precise measurement of the scaling violation in diffraction



Combined $\sigma_r^{D(3)}$

● HERA (prel.)

$0.09 < |t| < 0.55 \text{ GeV}^2$



Nice and precise measurement of the scaling violation in diffraction

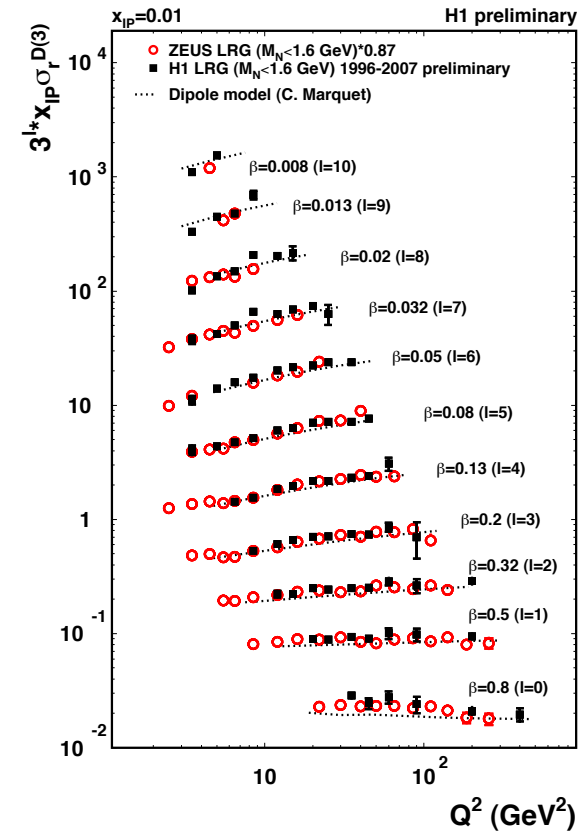
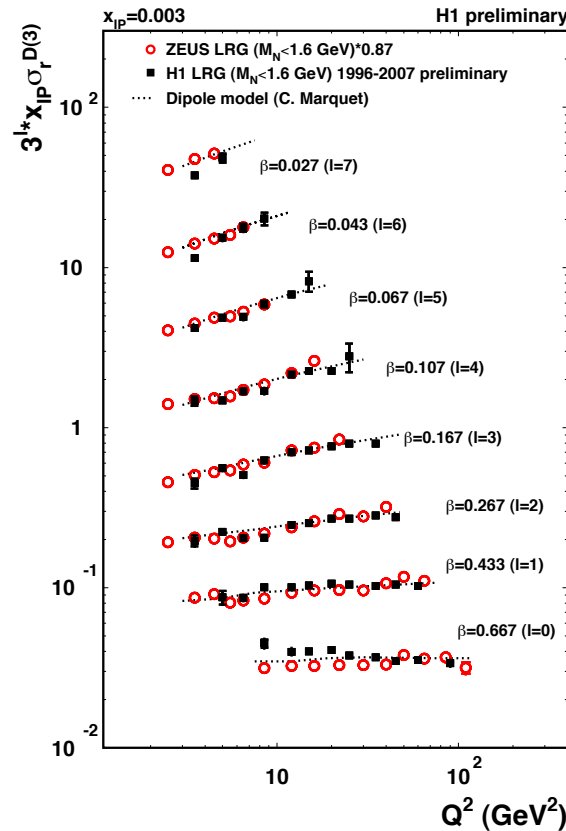
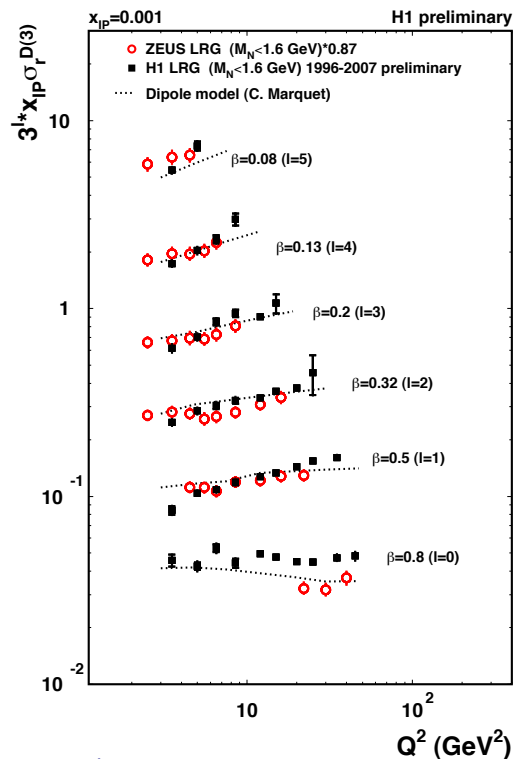
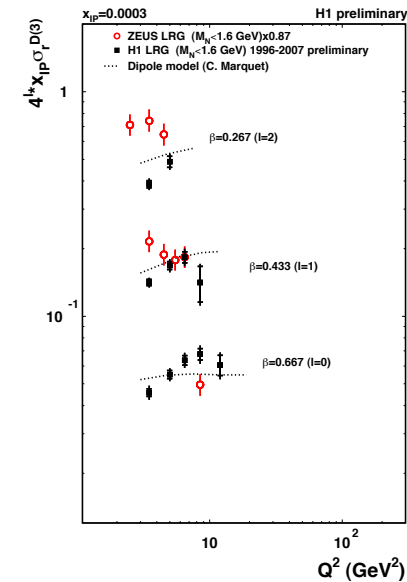
Improvement in precision with respect to the H1 data by $\sim 20\%$

Summary

- ✓ 15 years of running HERA provided unique diffractive data
- ✓ First combination of the H1 and ZEUS diffractive data
 - ⇒ combined proton-tag results
 - ⇒ consistency between datasets
 - ⇒ the two experiments calibrate each other resulting in a reduction of systematic uncertainties
- ✓ Looking forward to combining all LRG, FPS and VFPS data
 - ⇒ FPS-LPS combined data can fix the absolute normalization of $\sigma_r^{D(3)}$

Backup

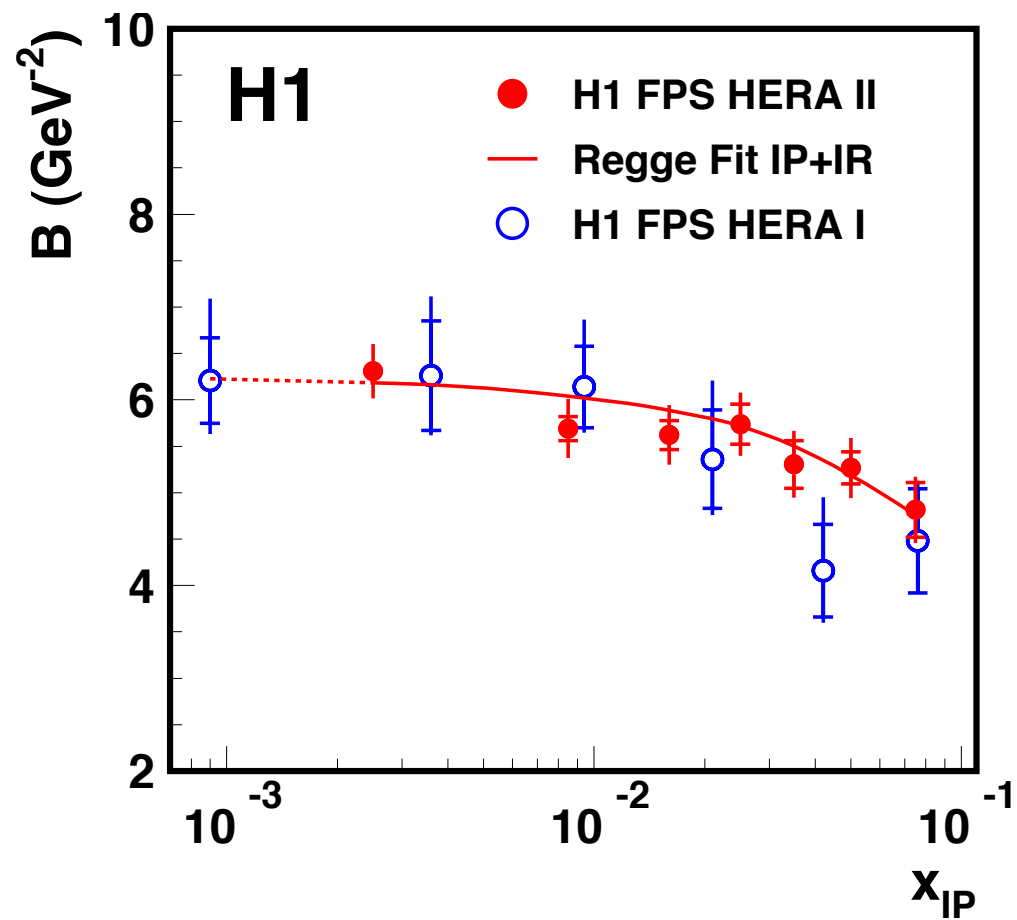
$\sigma_r^{D(3)}$ from LRG



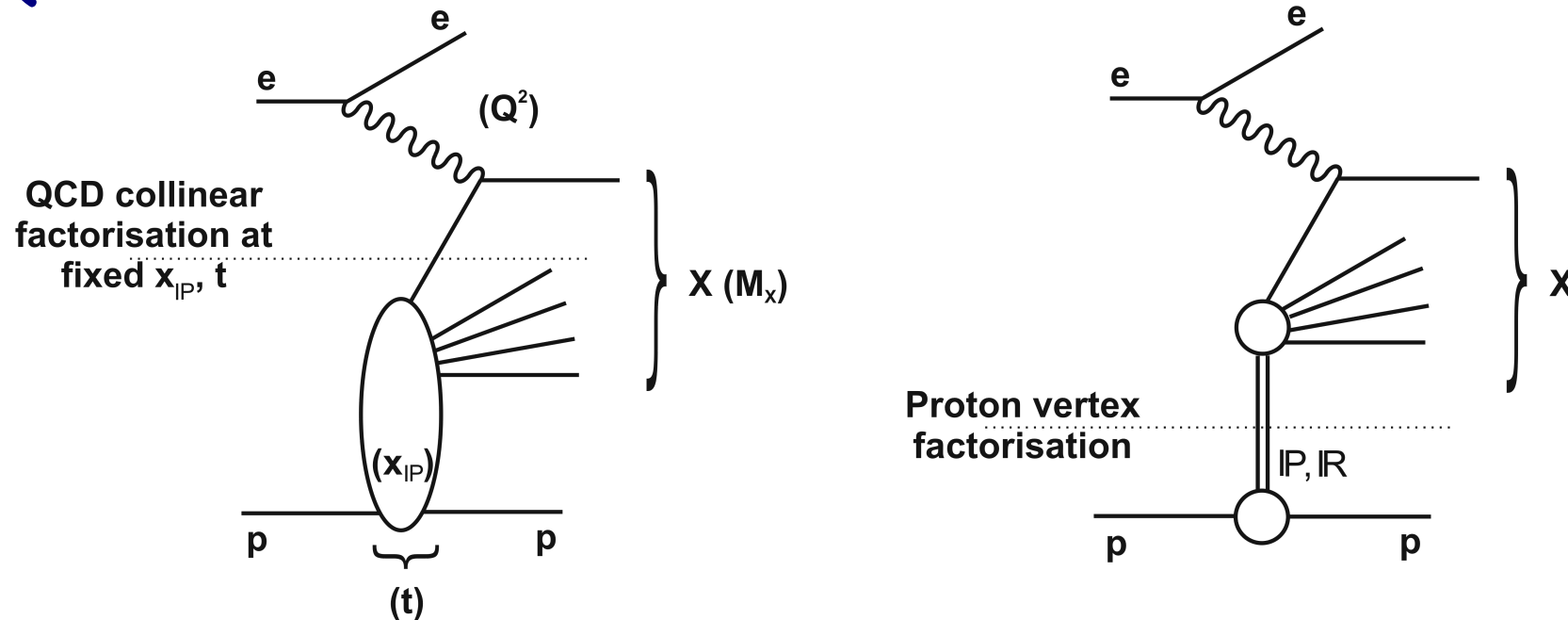
Inclusive diffractive measurements from HERA (LRG method)

- H1 '97 [Eur. Phys. J. C48 (2006) 715]
 - **ZEUS '99/2000** [Nucl.Phys. B816 (2009) 1]
 - H1 '99/2000
 - H1 '99 minimum bias
 - H1 HERA II
- } [H1prelim-10-013]

t -slope vs x_{IP}



QCD Factorization in Hard Diffraction



The QCD factorization theorem in diffractive DIS allows to write the diffractive cross section as a convolution of universal diffractive parton densities $f_i^D(x, Q^2, x_{IP}, t)$ and partonic cross sections

$$\sigma^D(\gamma^* p \rightarrow X p) \sim f_i^D(x, Q^2, x_{IP}, t) \otimes \sigma_{\gamma^* i}(x, Q^2)$$

Additionally, assuming Regge factorization, the diffractive parton densities are written as a term depending on x_{IP} (Pomeron flux) times the Pomeron parton densities

$$f_i^D(x, Q^2, x_{IP}, t) \sim f_{IP/p}(x_{IP}, t) \otimes f_{i/IP}^D(x/x_{IP}, Q^2)$$

⇒ Universal DPDFs apply in DIS when vacuum quantum numbers are exchanged

Diffractive PDFs from NLO Fits

ZEUS

NLO QCD Fits:

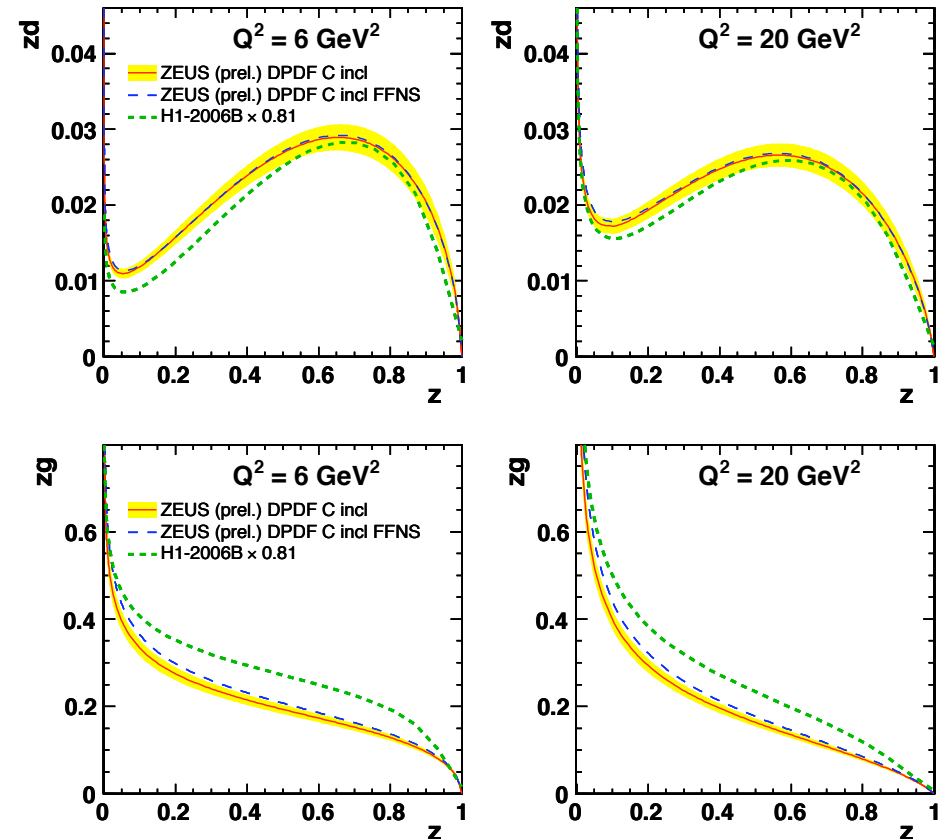
- parametrize quark singlet and gluon at fixed Q^2
- evolve with NLO DGLAP and fit
(z = momentum fraction of the diffractive exchange entering the hard scattering)

Diffractive Parton Density Functions are obtained fitting the H1 and ZEUS diffractive reduced cross sections (published data sets only)

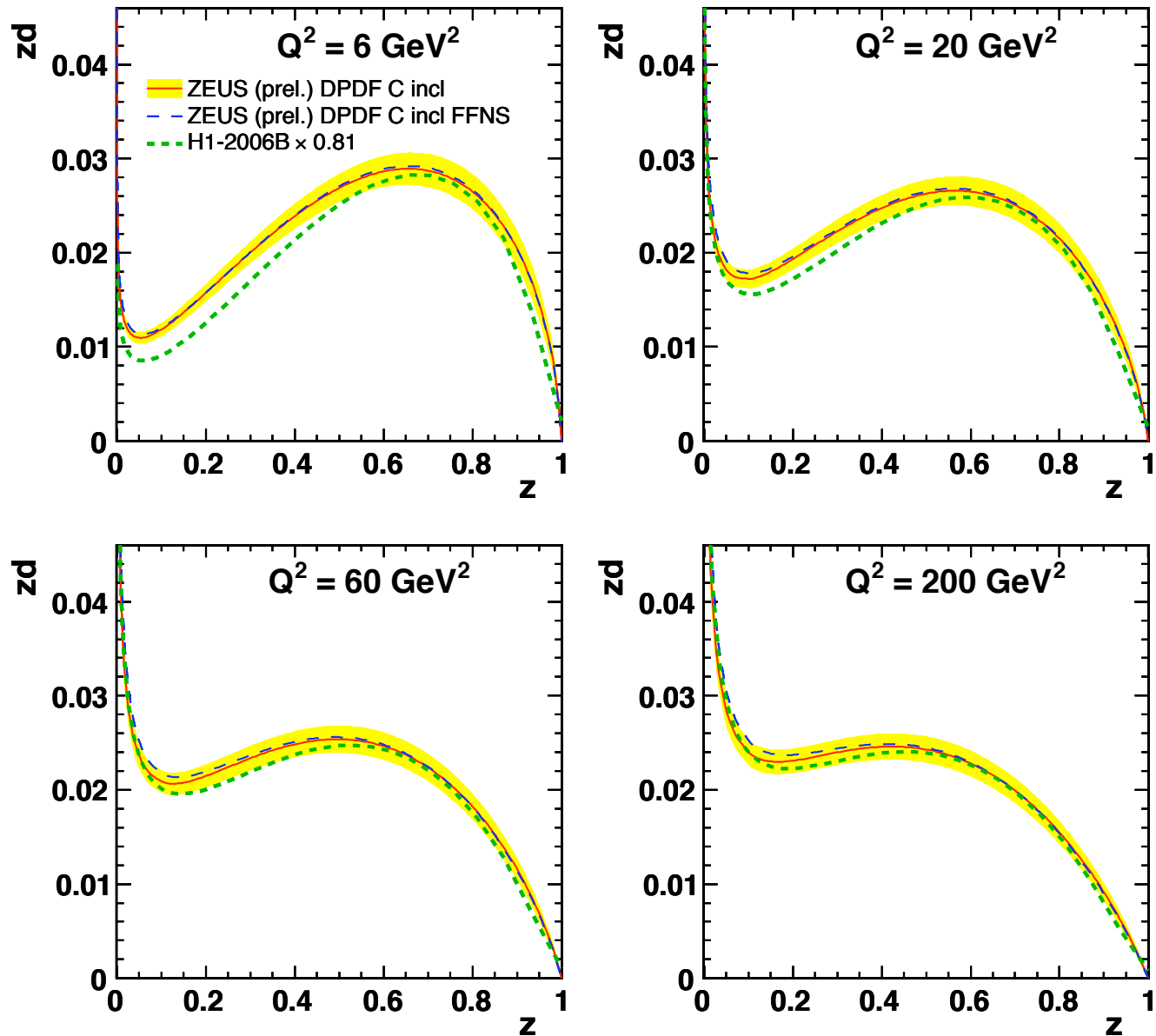
Differences in the reduced cross sections are reflected in different parton distribution extraction

In order to obtain a precise and unique set of diffractive PDFs from HERA a deep and careful understanding of the H1 vs ZEUS results is needed

⇒ First attempt to combine H1 and ZEUS diffractive cross sections



ZEUS



ZEUS

