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Inclusive Diffraction at HERA



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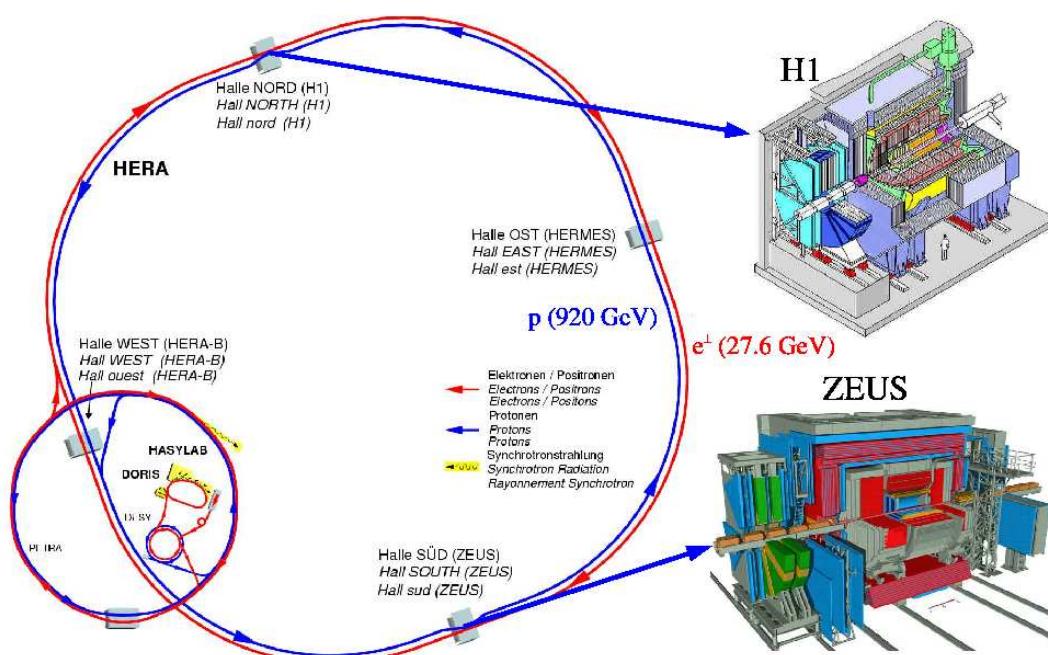


- Diffractive structure function data
- Regge fits and QCD fits
- Data comparisons
- H1/ZEUS weighted average

HERA collider experiments

- 27.5 GeV electrons/positrons on 920 GeV protons $\rightarrow \sqrt{s} = 318$ GeV
- 2 collider experiments: **H1** and **ZEUS**
- HERA I: 16 pb⁻¹ e-p, 120 pb⁻¹ e+p
HERA II (after lumi upgrade): 500 pb⁻¹, polarisation of e+,e-

Closed July 2007, still lot of excellent data to analyse.....

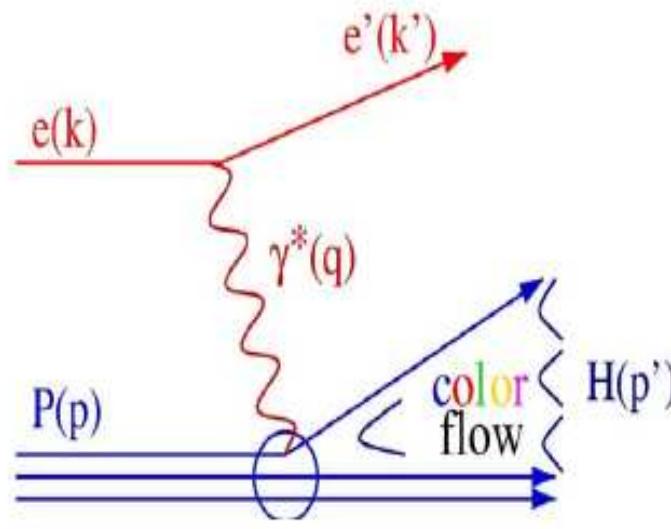


Detectors not originally designed for forward physics, but **diffraction at HERA great success story!**

ZEUS forward instrumentation no longer available in HERA II

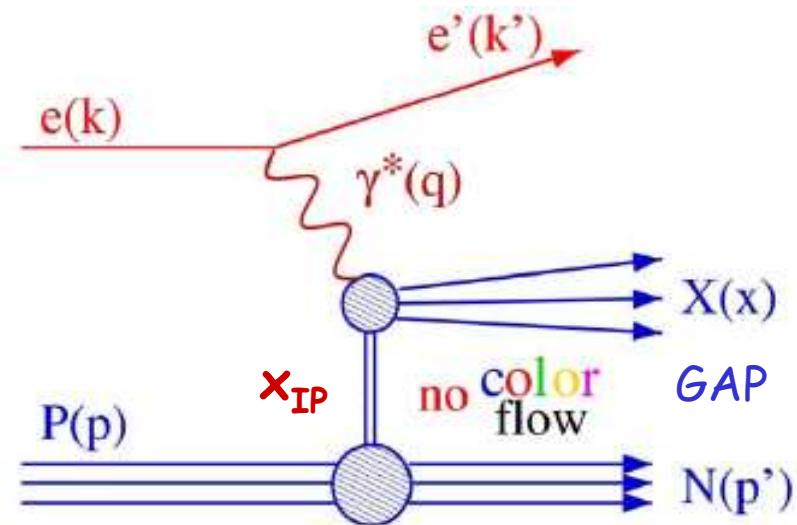
Diffractive DIS at HERA

Standard DIS



Probes proton structure

Diffractive DIS



Probes structure of color singlet exchange

According to Regge phenomenology:

- exchanged Pomeron (IP) trajectory
- exchanged Reggeon (IR) and π when proton loses a higher energy fraction, x_{IP}

Kinematics of diffractive DIS

Q^2 = virtuality of photon =
 $= (4\text{-momentum exchanged at } e \text{ vertex})^2$

W = invariant mass of $\gamma^*\text{-}p$ system

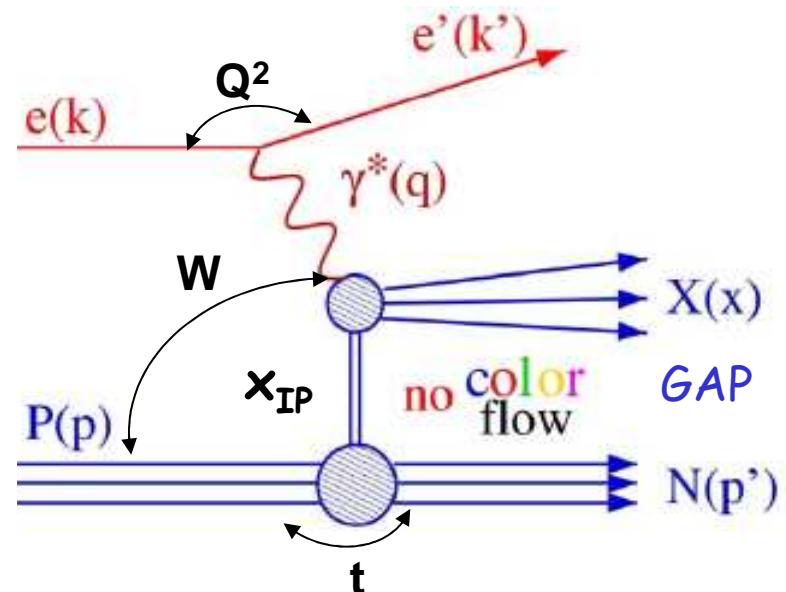
M_X = invariant mass of $\gamma^*\text{-IP}$ system

x_{IP} = fraction of proton's momentum carried by IP

β = fraction of IP momentum carried by struck quark

x = $\beta \cdot x_{\text{IP}}$, Bjorken's scaling variable

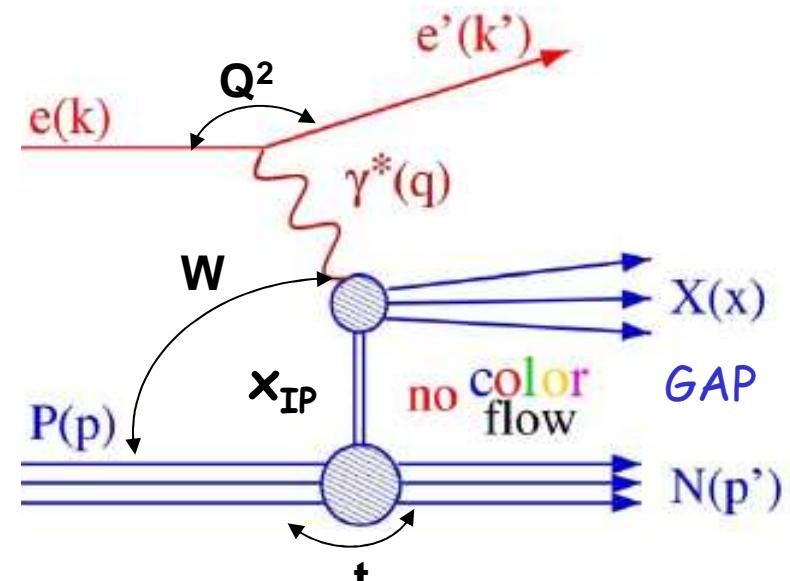
t = $(4\text{-momentum exchanged at } p \text{ vertex})^2$
 typically: $|t| < 1 \text{ GeV}^2$



- Single diffractive dissociation: $N=\text{proton}$
- Double diffractive dissociation: proton-dissociative system N
 → represents a relevant background

Why study diffractive DIS?

- Significant fraction of the inclusive DIS cross section
- New window on QCD
 - transition from soft to hard regimes
 - parton dynamics at low x
 - applicability of QCD factorisation approach
- DPDFs essential to predict diffractive processes and potential search channels at the LHC



QCD factorization in hard diffraction

- Diffractive DIS, like inclusive DIS, is factorisable:

[Collins (1998); Trentadue, Veneziano (1994); Berera, Soper (1996)...]

$$\sigma(\gamma^* p \rightarrow X p) \approx f_{i/p}(z, Q^2, x_{IP}, t) \times \sigma_{\gamma^* q}(z, Q^2)$$

universal partonic cross section

Diffractive Parton Distribution Function (DPDF)

$f_{i/p}(z, Q^2, x_{IP}, t)$ expresses the probability to find, with a probe of resolution Q^2 , in a proton, parton i with momentum fraction z , under the condition that the proton remains intact, and emerges with small energy loss, x_{IP} , and momentum transfer, t - the DPDFs are a feature of the proton and evolve according to DGLAP

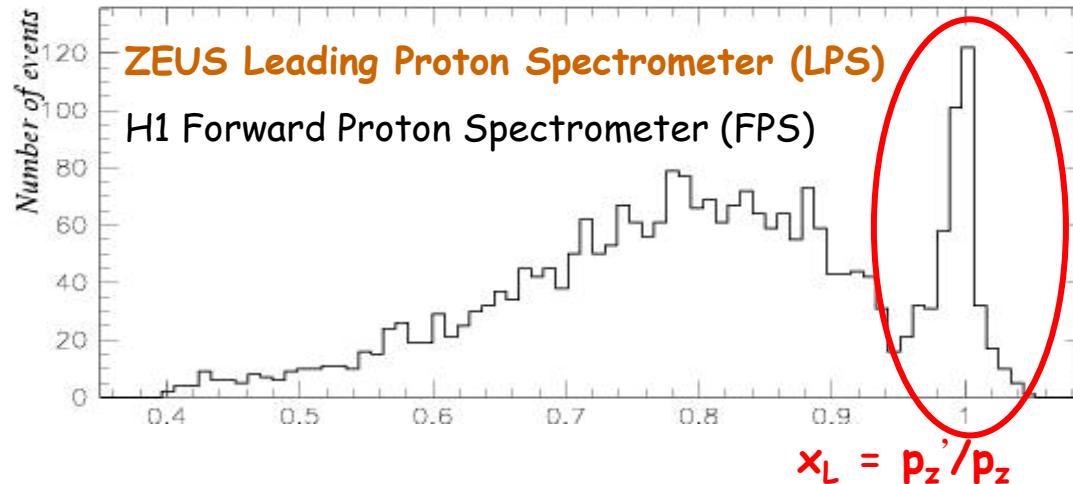
- Assumption → proton vertex factorisation:

$$\sigma(\gamma^* p \rightarrow X p) \approx f_{IP/p}(x_{IP}, t) \times f_{i/IP}(z, Q^2) \times \sigma_{\gamma^* q}(z, Q^2)$$

Regge-motivated IP flux

At large x_{IP} , a separately factorisable sub-leading exchange (IR), with different x_{IP} dependence and partonic composition

Diffractive event selection

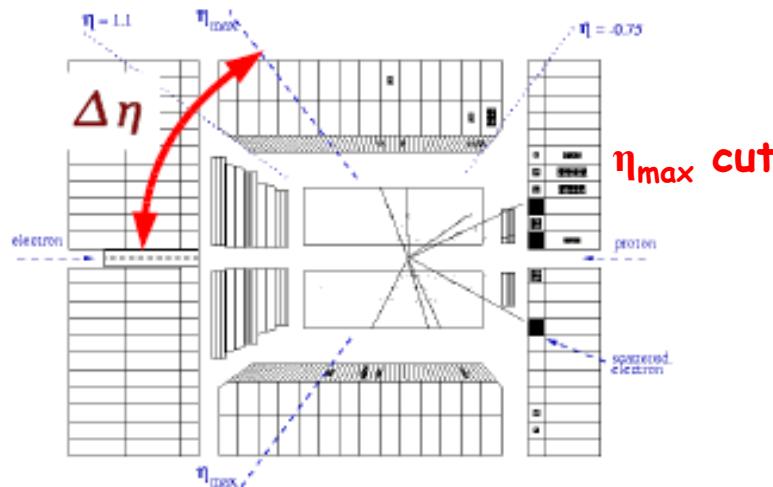


LPS method

PROS: no p-diss. background
direct measurement of t , x_{IP}
high x_{IP} accessible

CONS: low statistics

Large Rapidity Gap (LRG) method

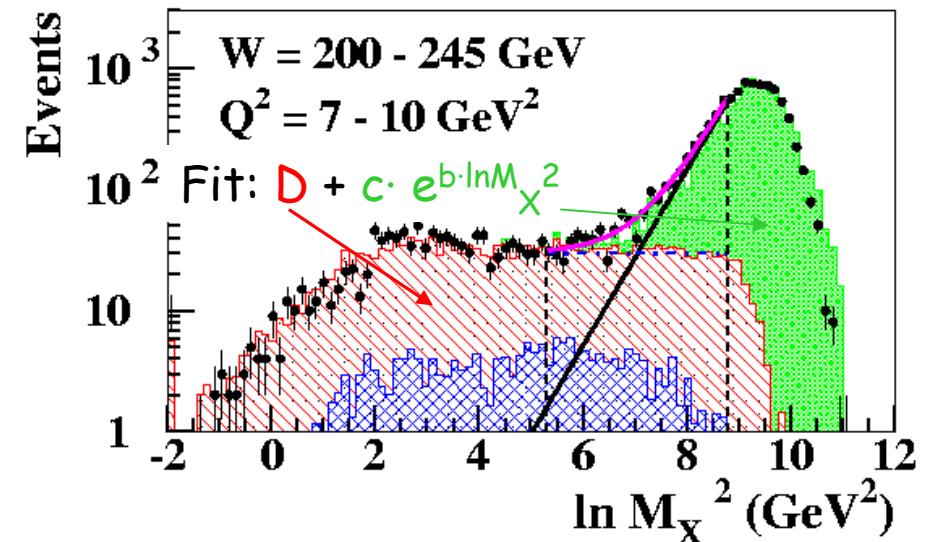


PROS: near-perfect acceptance at low x_{IP}

CONS: p.-diss background

M_x method

— Slope(nondiff) ··· Const(diff) — Fit(diff+nondiff)
 • D-PYT-Sang($E_{FPC} > 1$ GeV)
■ DJG □ SR+Rhop □ Sang($M_N < 2.3$ GeV)



Data sets

ZEUS

"ZEUS LPS"

[arXiv:0812.2003, submitted to NPB]

"ZEUS LRG"

[arXiv:0812.2003, submitted to NPB]

"ZEUS FPC II" (M_X method)

[NPB 800 (2008)]

"ZEUS FPC I" (M_X method)

[NPB 713 (2005)]

35% of LPS events selected by LRG

Overlap LRG- M_X ~75%

x_{IP} coverage

x_{IP} up to 0.1

x_{IP} up to 0.02

IR suppressed

IR suppressed

M_N coverage

$M_N = m_p$

$M_N < 2.3 \text{ GeV}$

$M_N < 2.3 \text{ GeV}$

H1

"H1 FPS"

[EPJ C48 (2006)]

x_{IP} up to 0.1

x_{IP} up to 0.03

$M_N < 1.6 \text{ GeV}$

"H1 LRG"

[EPJ C48 (2006)]

FPS and LRG measurements statistically independent
and only very weakly correlated through systematics

Diffractive structure function

- Diffractive cross section

$$\frac{d\sigma_{\gamma^* p}^D}{dM_X} = \frac{\pi Q^2 W}{\alpha(1+(1-y)^2)} \cdot \frac{d^3 \sigma_{ep \rightarrow e' X p}^D}{dQ^2 dM_X dW}$$

- Diffractive structure function $F_2^{D(4)}$ and reduced cross section $\sigma_r^{D(4)}$

$$\begin{aligned} \frac{d^2 \sigma_{ep \rightarrow e' X p}}{d\beta dQ^2 dx_{IP} dt} &= \frac{4\pi\alpha^2}{\beta Q^4} \left[1 - y + \frac{y^2}{2(1+R^D)} \right] \cdot F_2^{D(4)}(\beta, Q^2, x_{IP}, t) \\ &= \frac{4\pi\alpha^2}{\beta Q^4} \left[1 - y + \frac{y^2}{2} \right] \cdot \sigma_r^{D(4)}(\beta, Q^2, x_{IP}, t) \end{aligned}$$

- When t is not measured

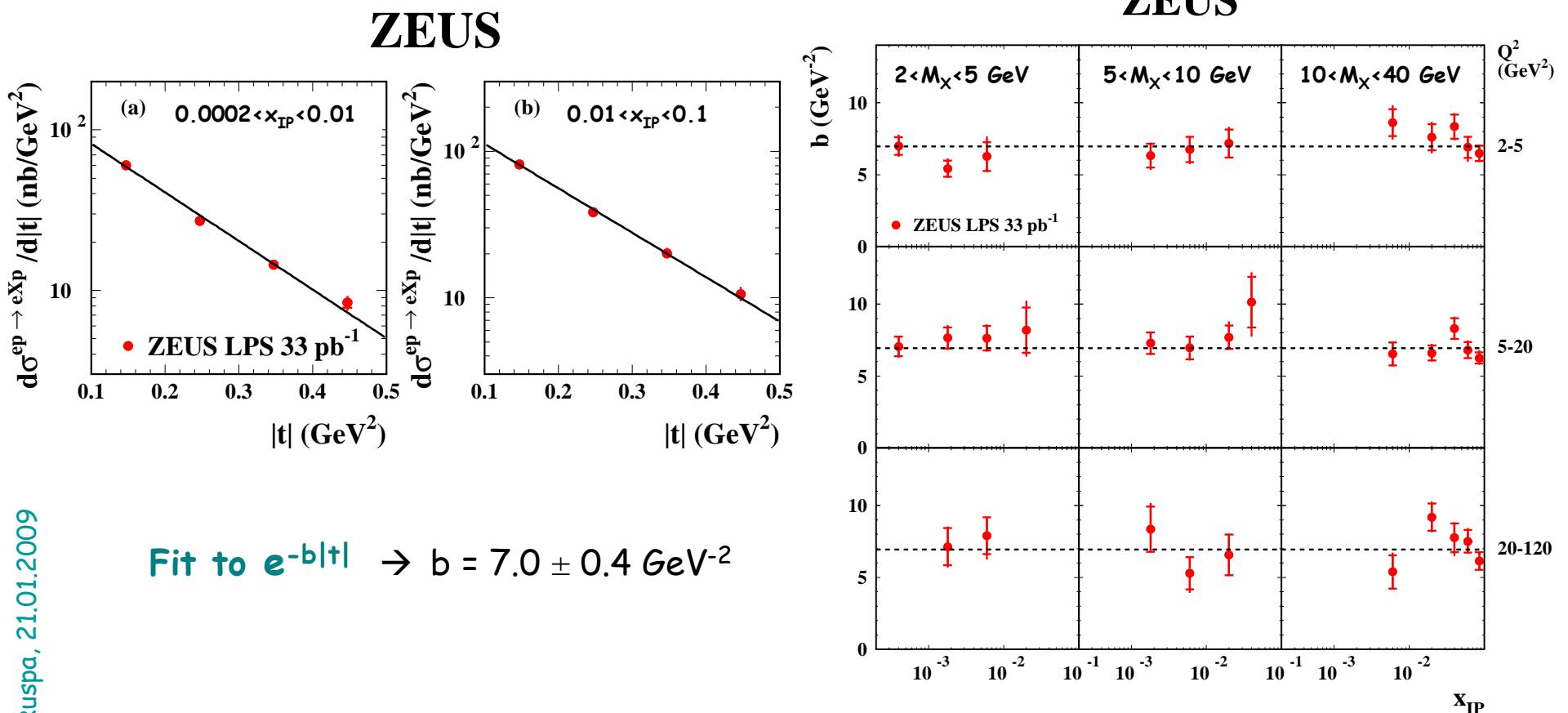
$$\sigma_r^{D(3)}(\beta, Q^2, x_{IP}) = \int \sigma_r^{D(4)}(\beta, Q^2, x_{IP}, t) dt$$

- $R^D = \sigma_L^{\gamma^* p \rightarrow X p} / \sigma_T^{\gamma^* p \rightarrow X p}$; $\sigma_r^D = F_2^D$ when $R^D = 0$

How does diffraction behave vs t , x_{IP} , Q^2 ?

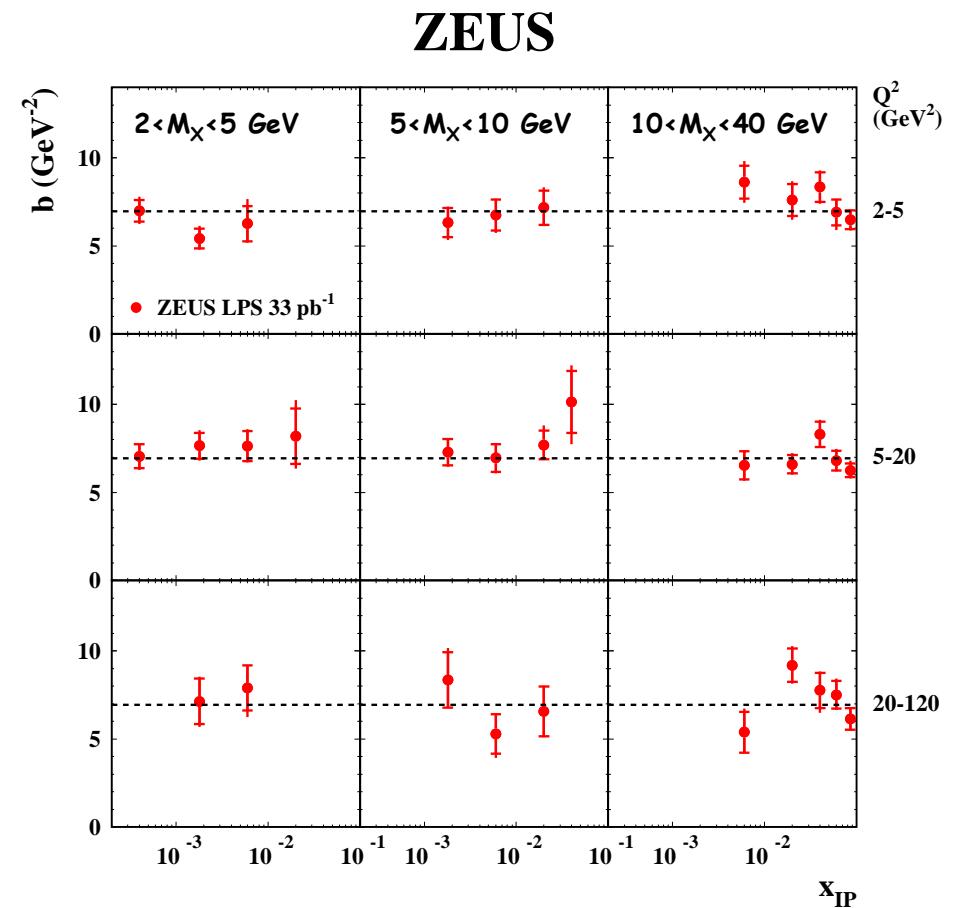
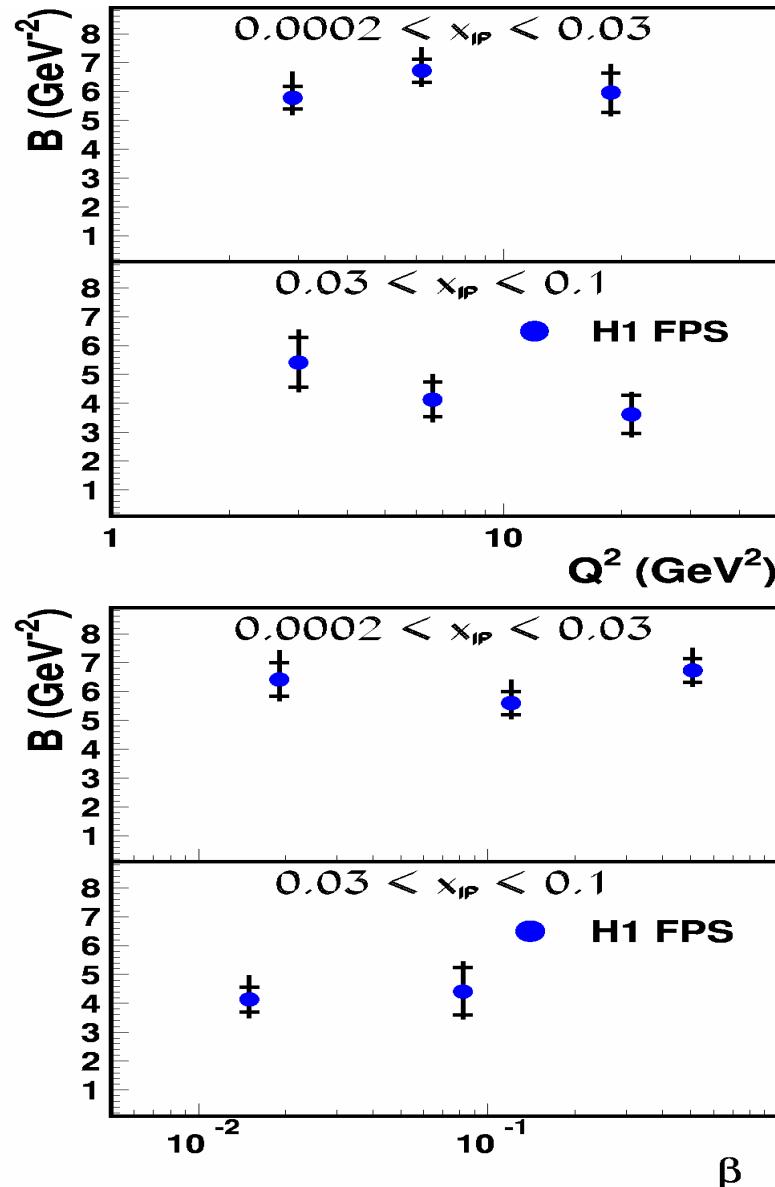
t dependence

LPS data



τ dependence

LPS/FPS data

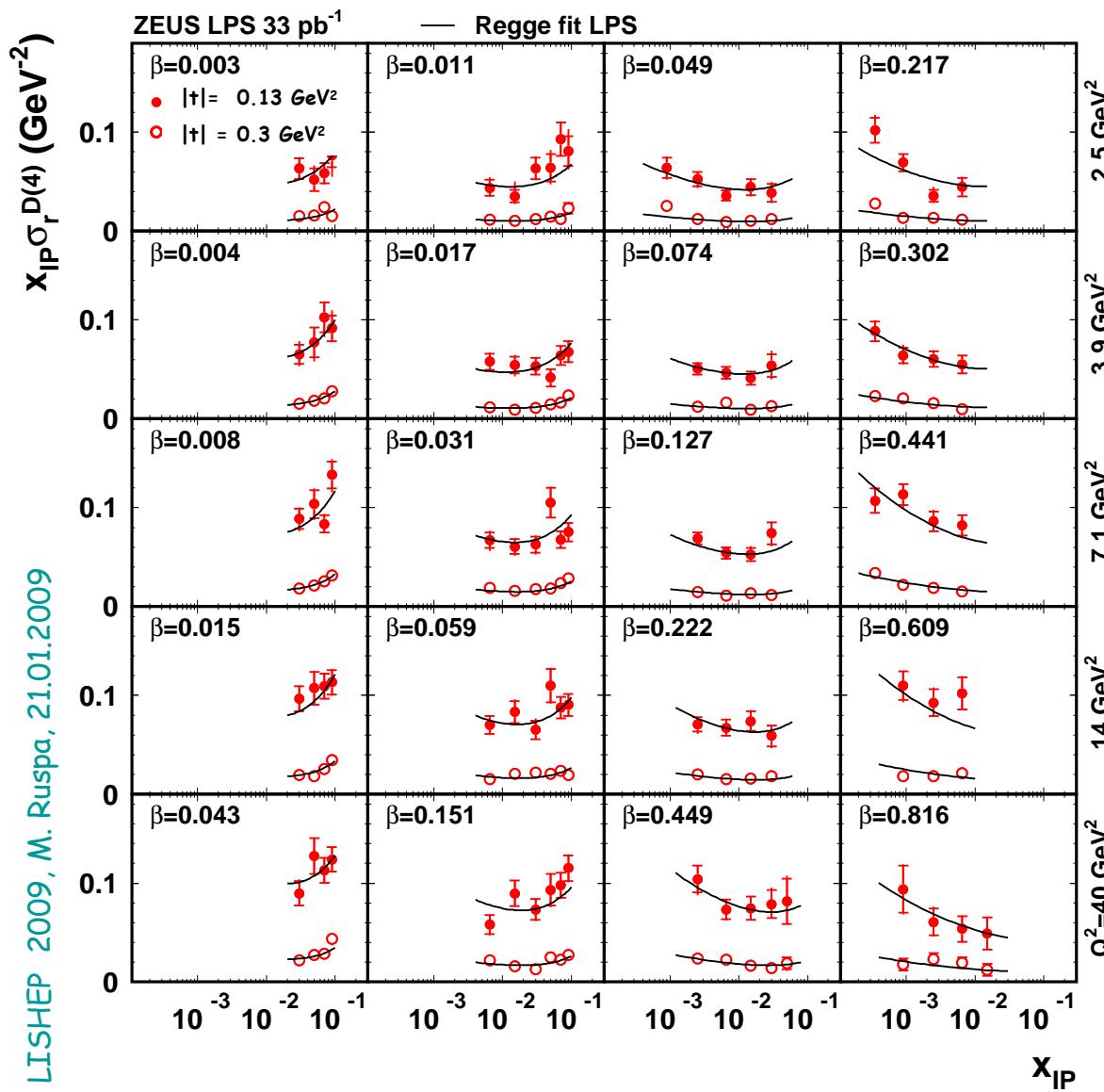


→ Support Regge factorisation hypothesis

x_{IP} dependence of $\sigma_r^{D(4)}$

LPS data

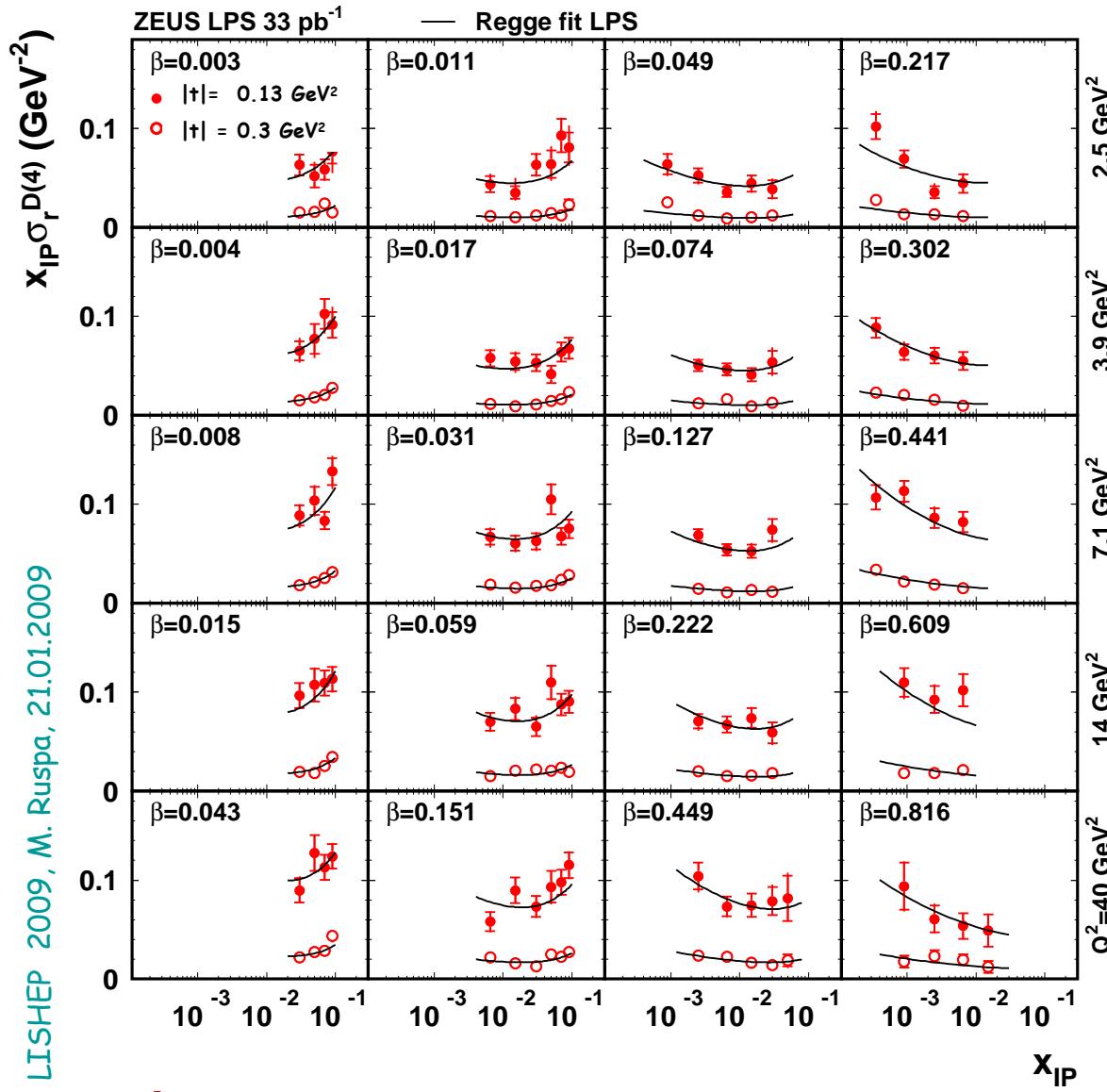
ZEUS



Regge fit

LPS/FPS data

ZEUS



→ Assumption of Regge factorisation works

$$\alpha_{IP}(t) = \alpha_{IP}(0) + \alpha'_{IP} \cdot t$$

$$\begin{aligned} \alpha_{IP}(0) &= +1.11 \pm 0.02(\text{stat}) \\ &\quad + 0.01 - 0.02(\text{syst}) \\ &\quad + 0.02(\text{model}) \end{aligned}$$

$$\begin{aligned} \alpha'_{IP} &= -0.01 \pm 0.06(\text{stat}) \\ &\quad + 0.04 - 0.08(\text{syst}) \text{ GeV}^{-2} \end{aligned}$$

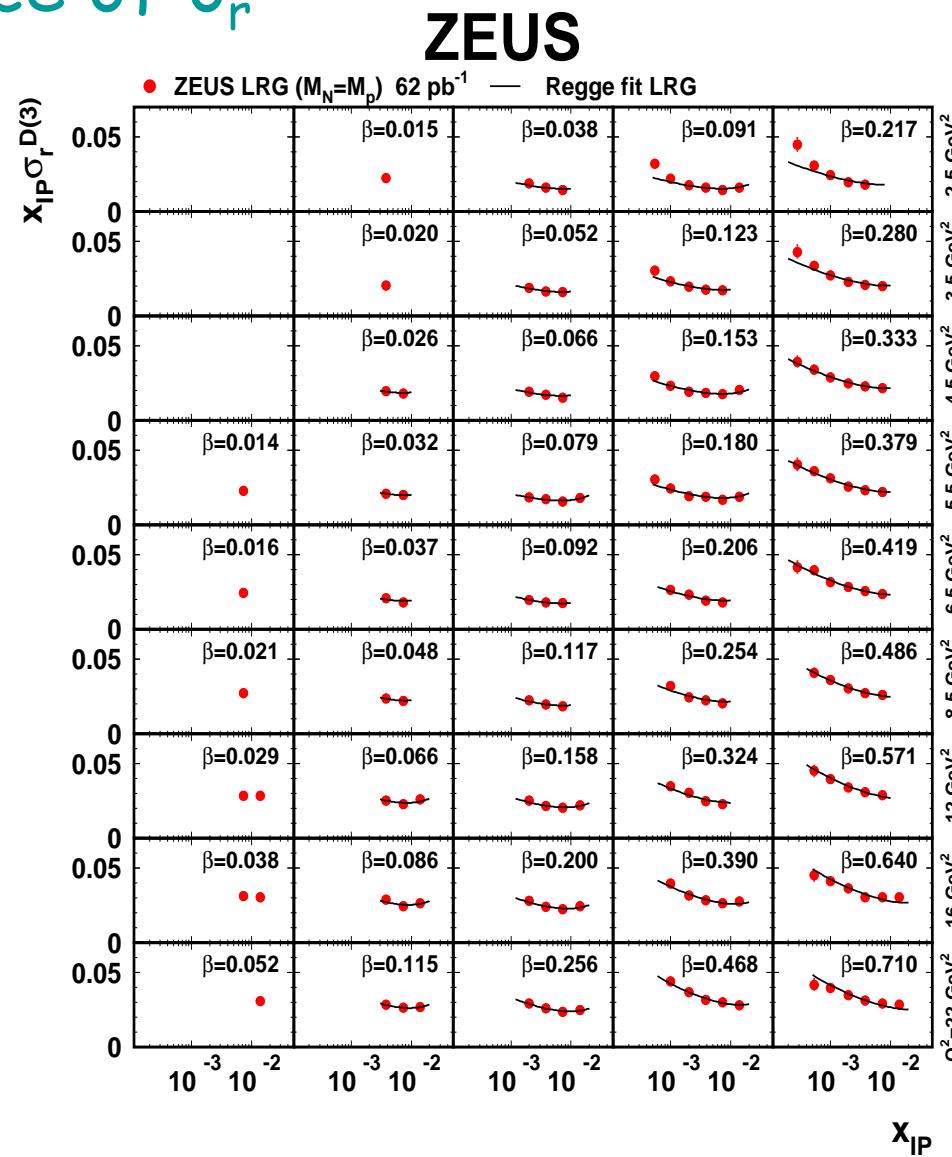
$$\begin{aligned} H1: \alpha'_{IP} &= +0.06 + 0.19 - 0.06 \text{ GeV}^{-2} \\ \alpha_{IP}(0) &= +1.114 \pm 0.018(\text{stat}) \\ &\quad \pm 0.013(\text{syst}) \\ &\quad + 0.040 - 0.020(\text{model}) \end{aligned}$$

→ IP intercept consistent with soft IP (1.096)

→ α'_{IP} significantly smaller than 0.25 GeV^{-2} of hadron-hadron collisions

x_{IP} dependence of $\sigma_r D(3)$

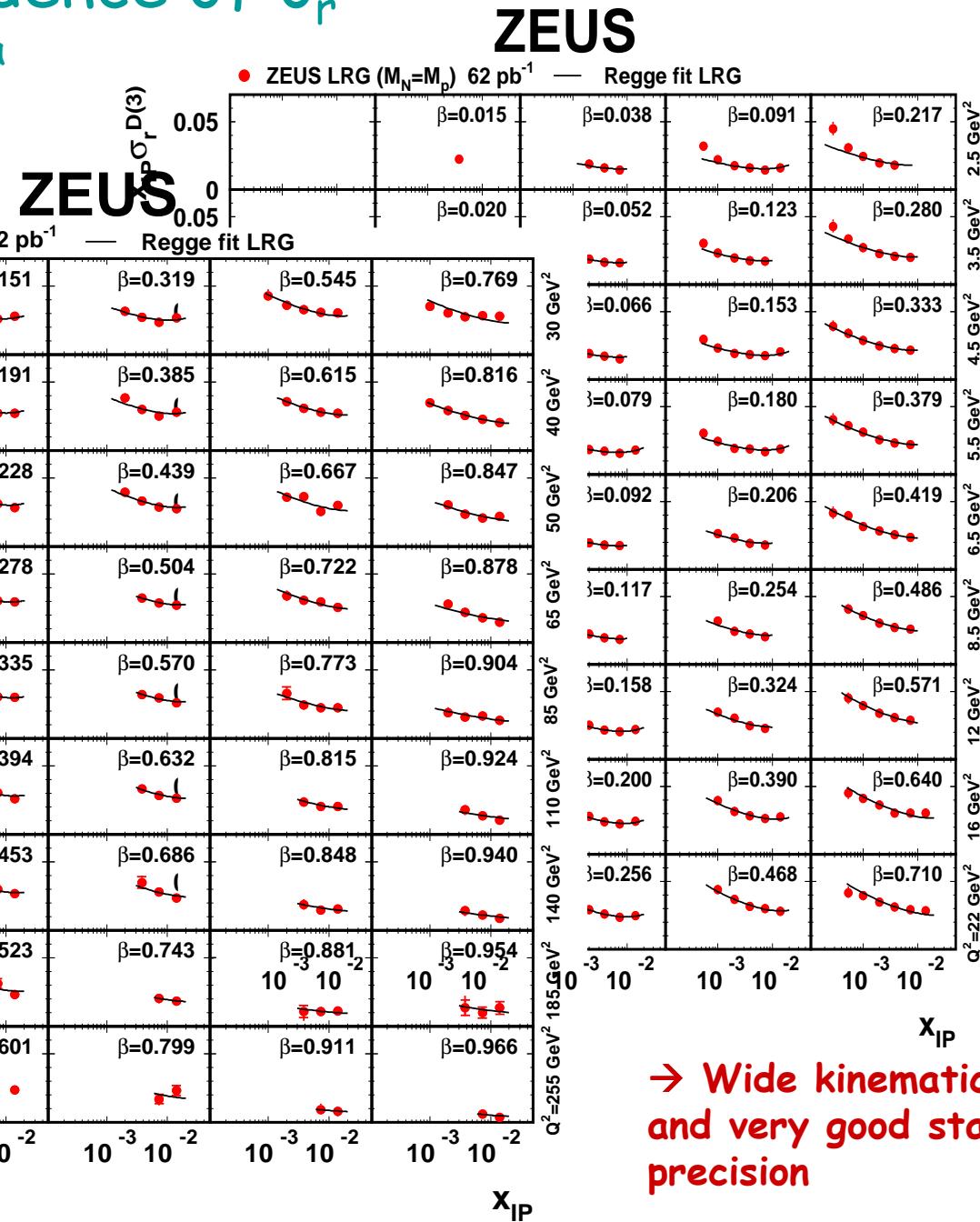
ZEUS LRG data



→ Rise with x_{IP}
not visible as
 $x_{IP} < 0.02$

x_{IP} dependence of $\sigma_r D(3)$

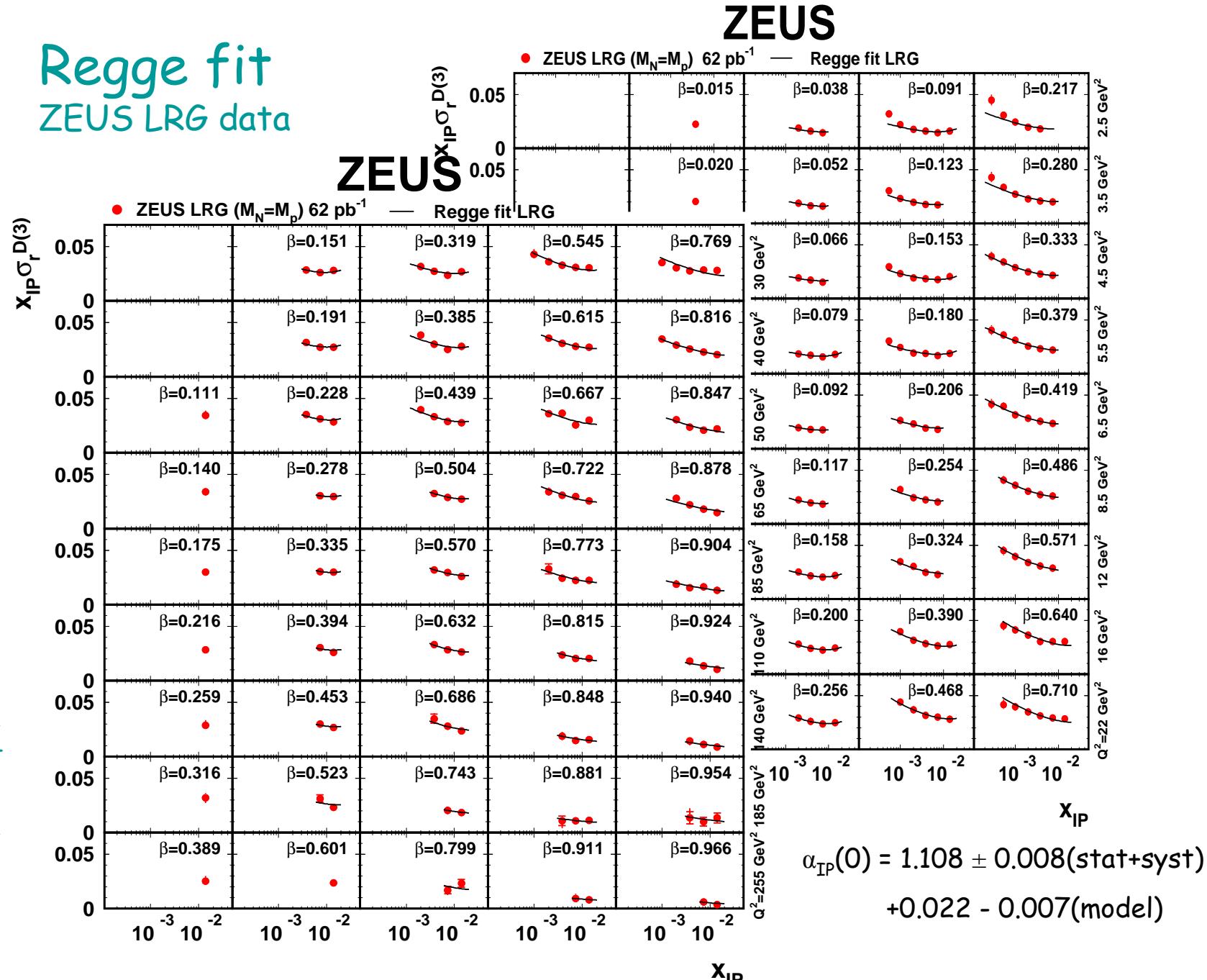
ZEUS LRG data



→ Rise with x_{IP}
not visible as
 $x_{IP} < 0.02$

→ Wide kinematic coverage
and very good statistical
precision

Regge fit ZEUS LRG data

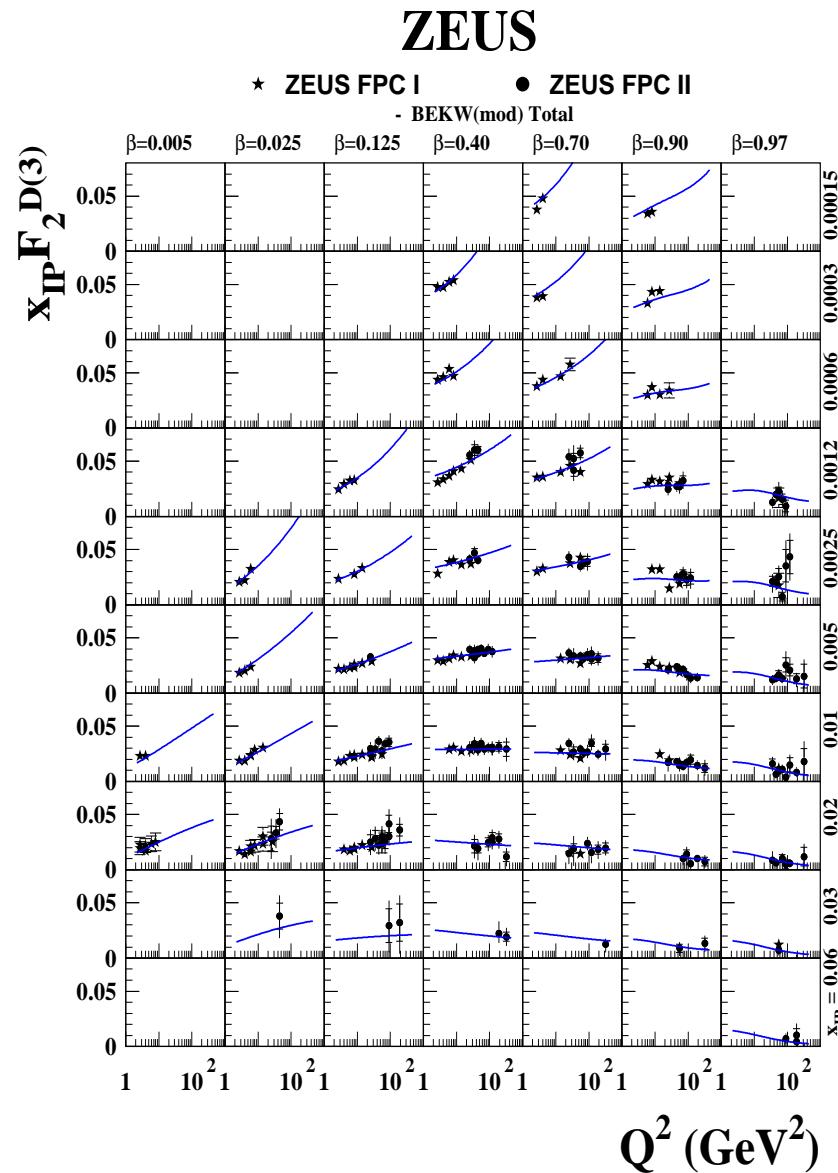


→ Assumption of Regge factorisation works

Q^2 dependence of $\sigma_r D(3)$

ZEUS FPC data

→ At fixed β shape depends on x_{IP} :
this data seem to contradict Regge factorisation assumption



Regge factorisation: yes or no? (my interpretation)

Apparent contradiction:

- Regge fit works within errors for LPS/FPS and LRG data
- FPC and LRG (see later) show violation of Regge factorisation

→ **Data consistent with Regge factorisation; violation too mild to have impact on the fit quality**

What if we fitted LPS/FPS/LRG without assuming Regge factorisation?

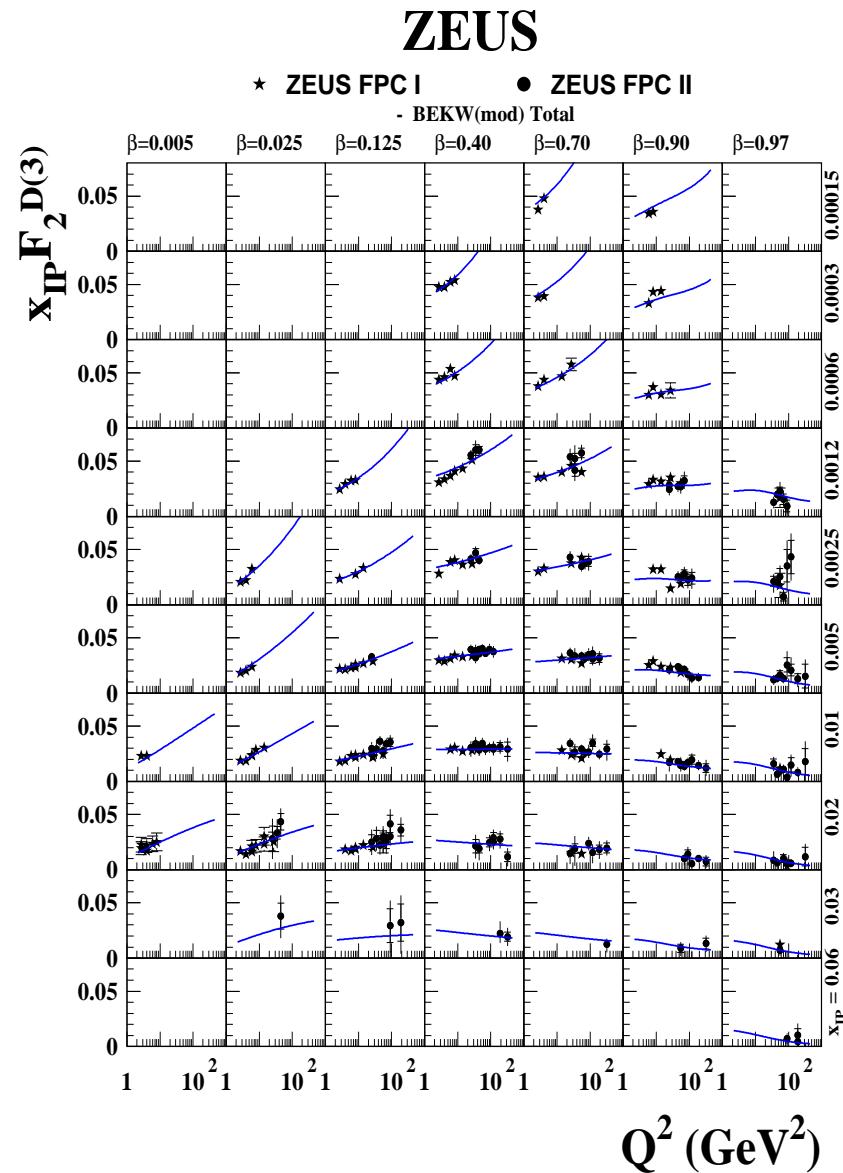
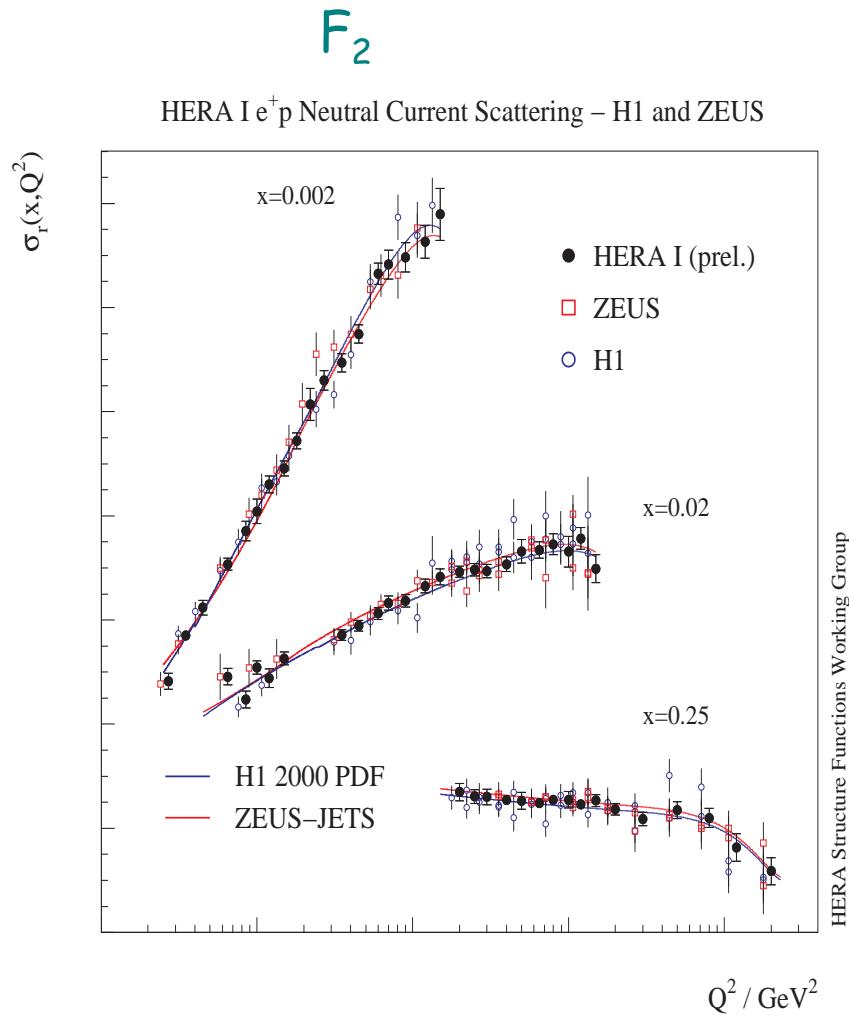
Not done yet but done for the FPC data → **BEKW fit works well!**

[Bartels, Ellis, Kowalski, Wustoff, see NPB 800 (008)]

Mild violations should not affect QCD fits, which assume factorisation

Q^2 dependence of $\sigma_r^{D(3)}$

ZEUS FPC data

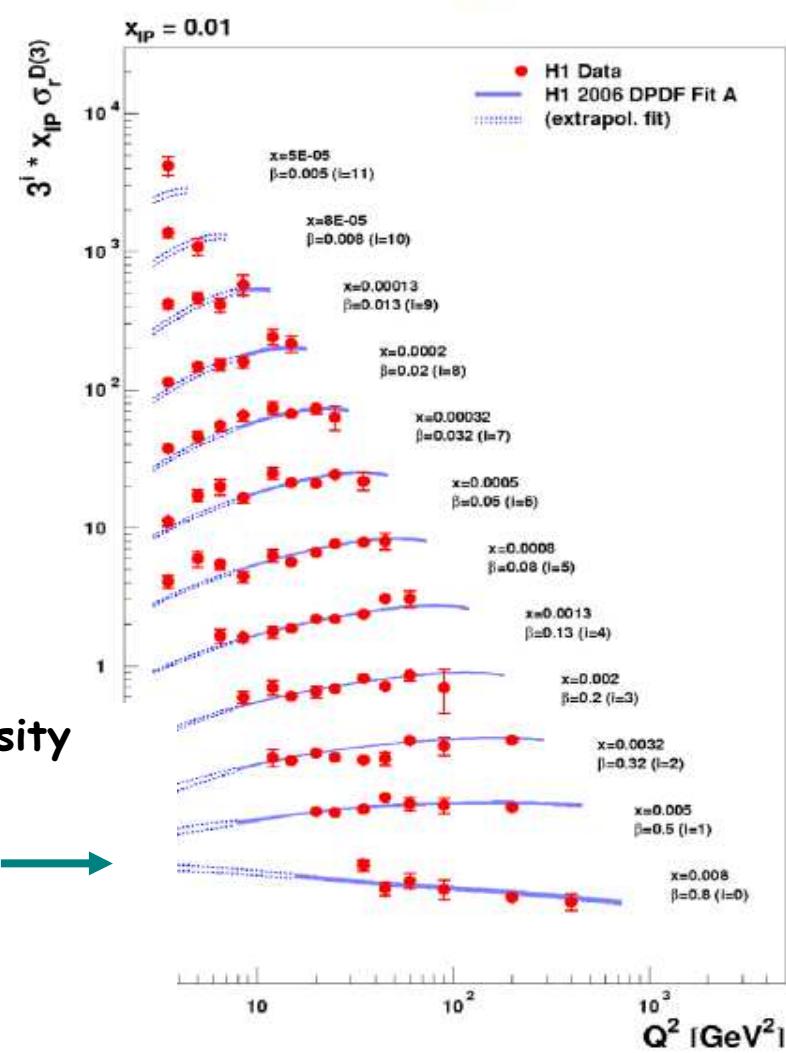
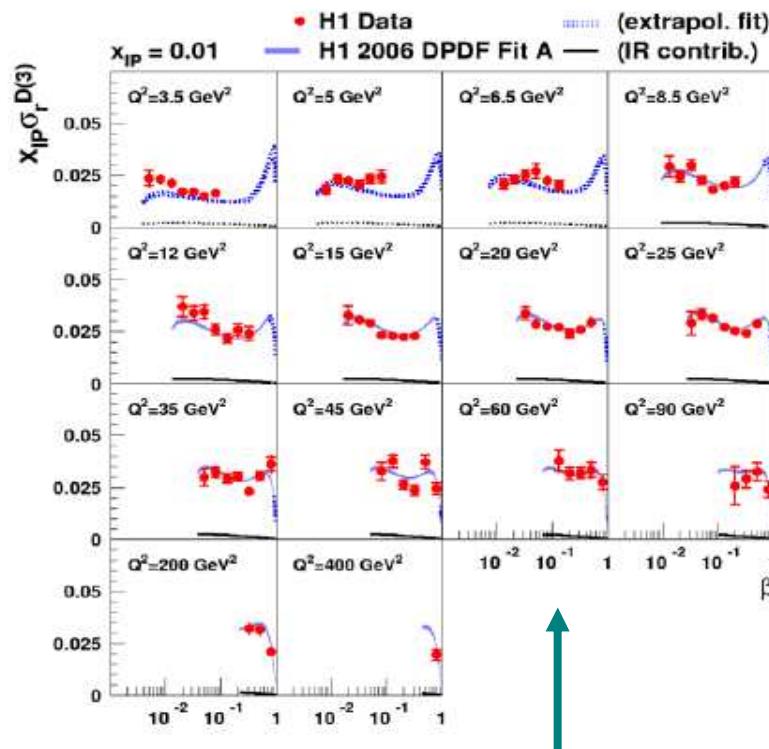


$\sigma_r^{D(3)}$ shows positive scaling violations up to high- β values
→ Diffractive exchange is gluon-dominated

Diffractive Parton Distribution Functions

DPDFs extraction

H1 LRG data



Reduced cross section constrains quark density

In Q^2 dependence constrains gluon density

DPDFs extraction

Regge factorisation assumed

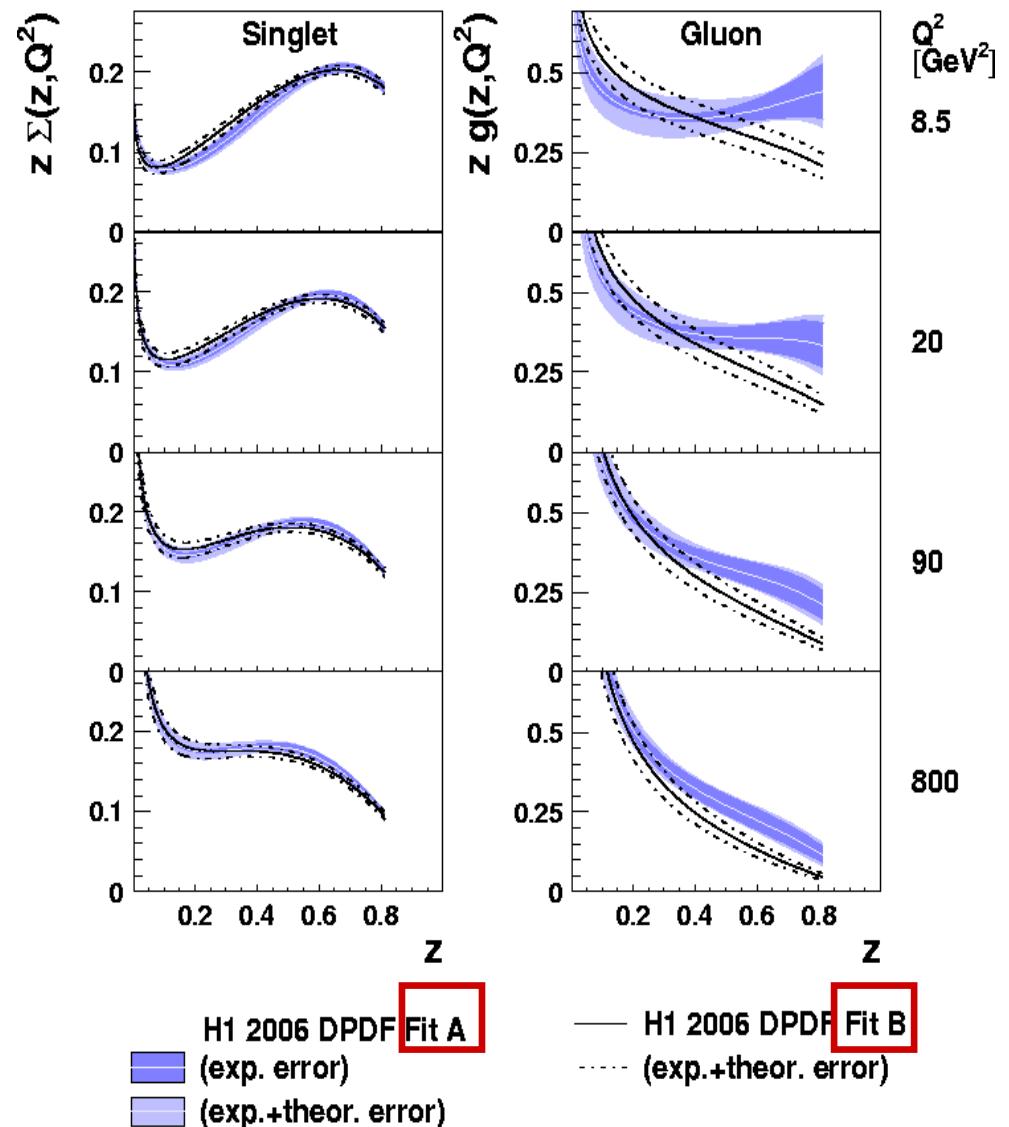
$$\text{Fit A: } zg(z, Q_0^2) = A(1-z)^C$$

$$\text{Fit B: } C=0, \text{ gluon constant at } Q_0^2$$

→ Well constrained singlet

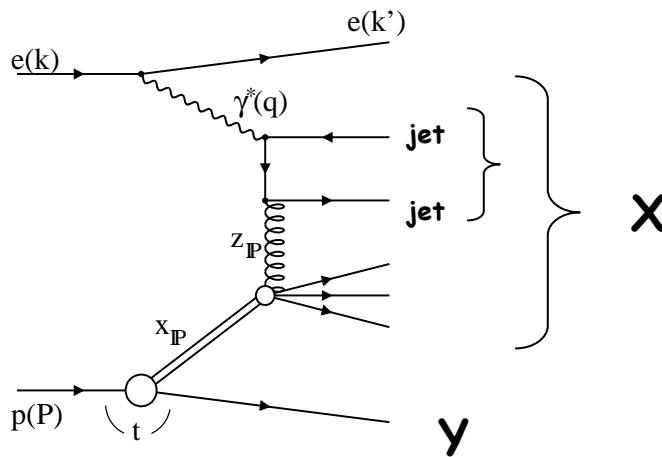
→ Weakly constrained gluons,
exp. at high values of z needed
further input

z = fractional momentum of the diffractive exchange participating to the hard scattering



Combined fit

H1 LRG+dijet data



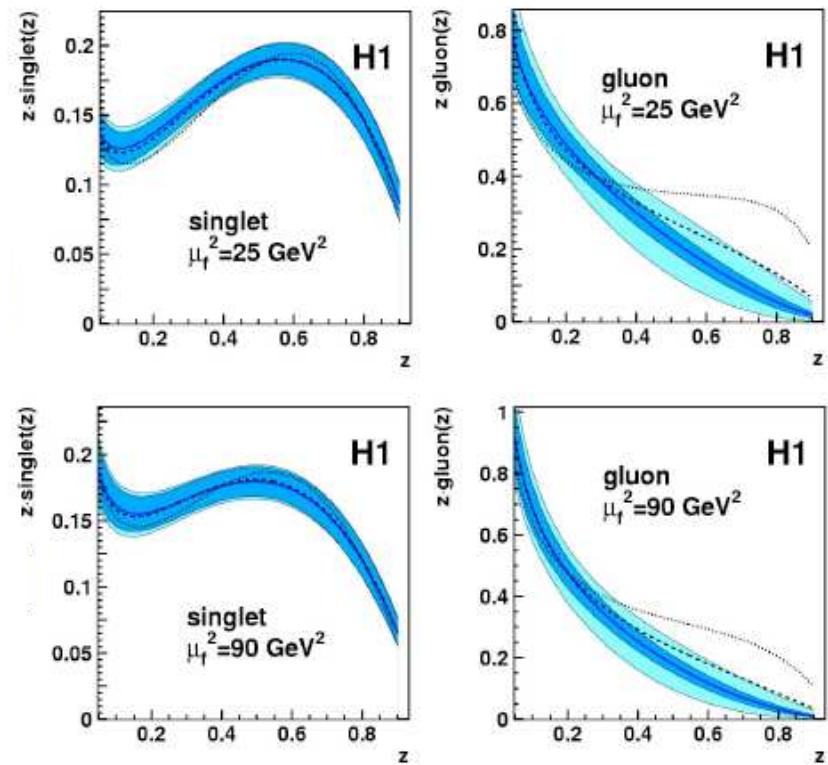
$$\text{Fit A: } zg(z, Q_0^2) = A(1-z)^C$$

$$\text{Fit B: } C=0, \text{ gluon constant at } Q_0^2$$

$$\text{Fit JET: } zg(z, Q_0^2) = Az^B(1-z)^C$$

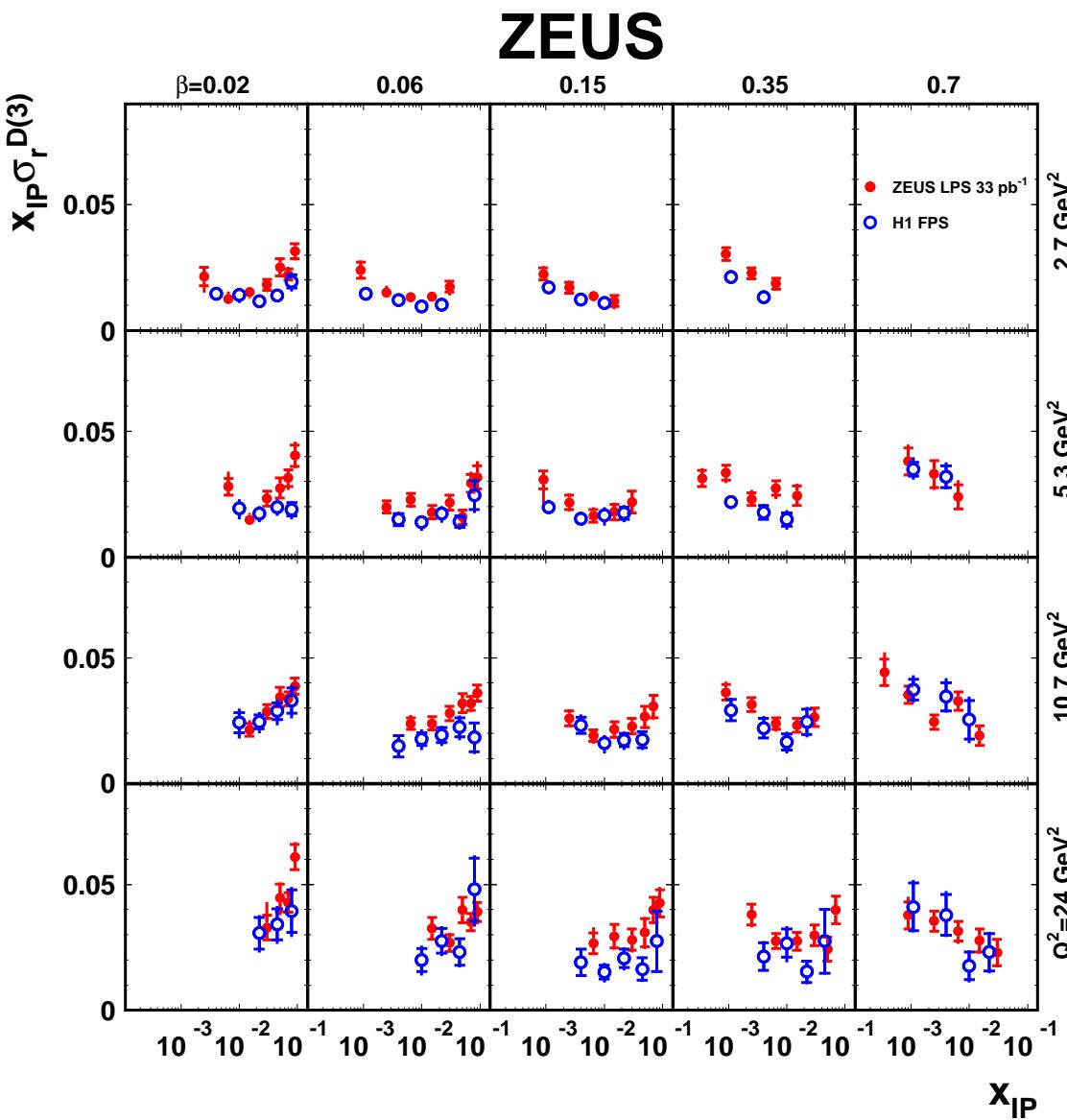
→ The singlet and gluons are constrained with similar precision across the whole kinematic range

- H1 2007 Jets DPDF
- exp. uncertainty
- exp. + theo. uncertainty
- - - H1 2006 DPDF fit A
- H1 2006 DPDF fit B



Comparison between data sets

ZEUS LPS vs H1 FPS



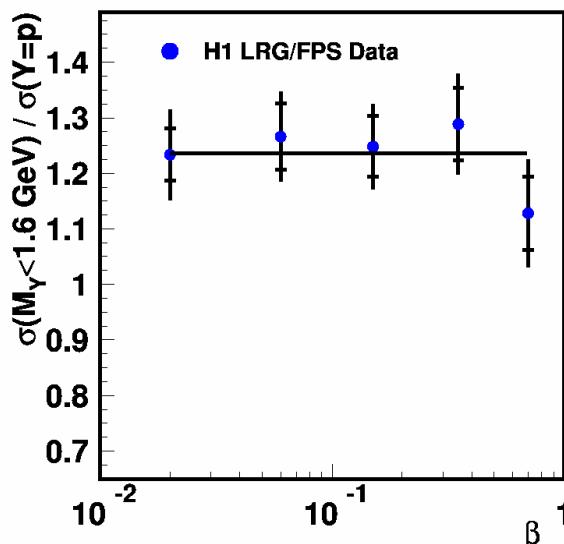
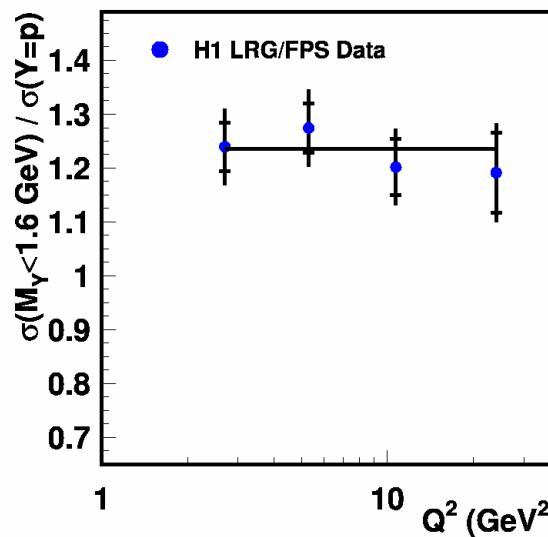
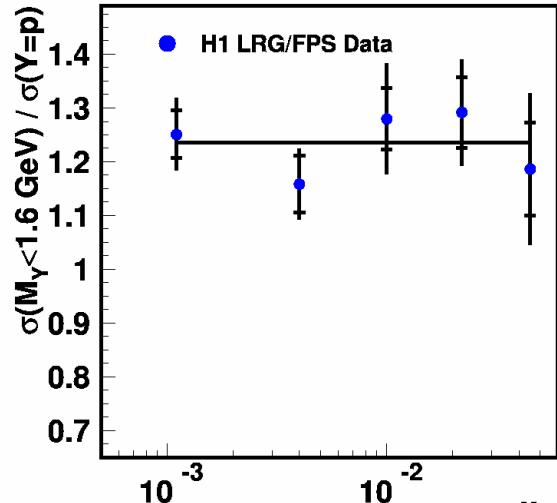
The cleanest possible comparison in principle...

**...but large normalisation uncertainties
(LPS: +11-7%, FPS: +-10%)**

→ ZEUS and H1 proton-tagged data agree within normalisation uncertainties

H1 LRG vs H1 FPS

Proton dissociation-background in the H1 LRG data



→ LRG/FPS independent
of x_{IP} , Q^2 , β

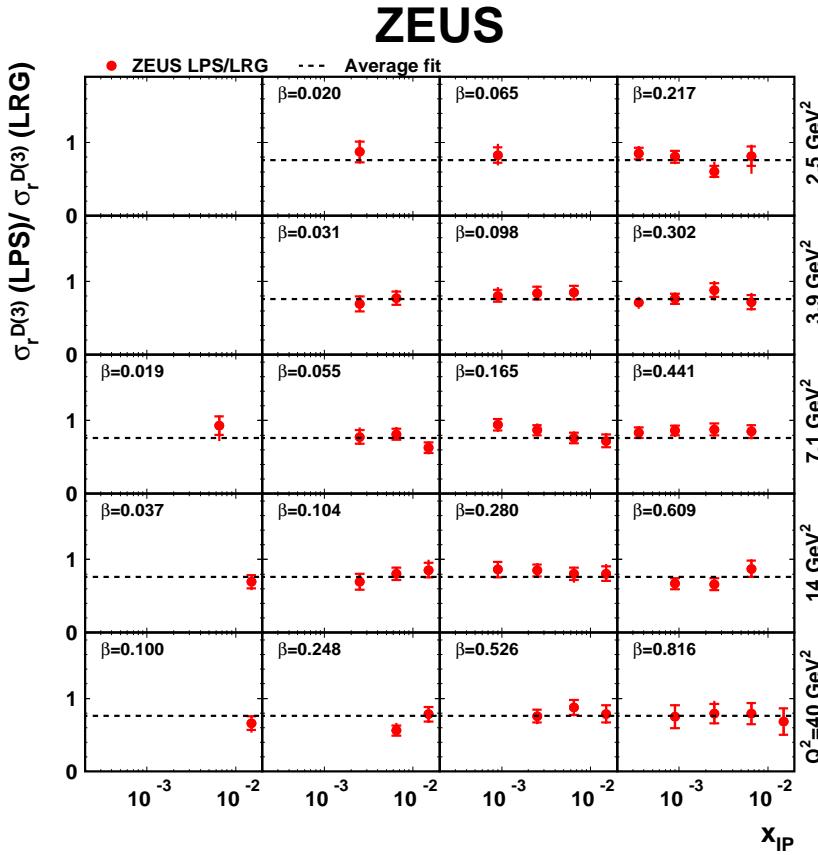
Data first corrected to $M_N < 1.6 \text{ GeV}$
(corr. factor: $-8.6\% \pm 5.8\%$)

→ Proton dissociation left in H1 LRG data: [19+-11]%

Consistent number obtained with DIFFVM: [13 +11 -6]%

ZEUS LRG vs ZEUS LPS

Proton dissociation-background in the ZEUS LRG data



→ LPS/LRG independent of Q^2 , x_{IP} , β ,
as in the H1 case: proton vertex
factorises

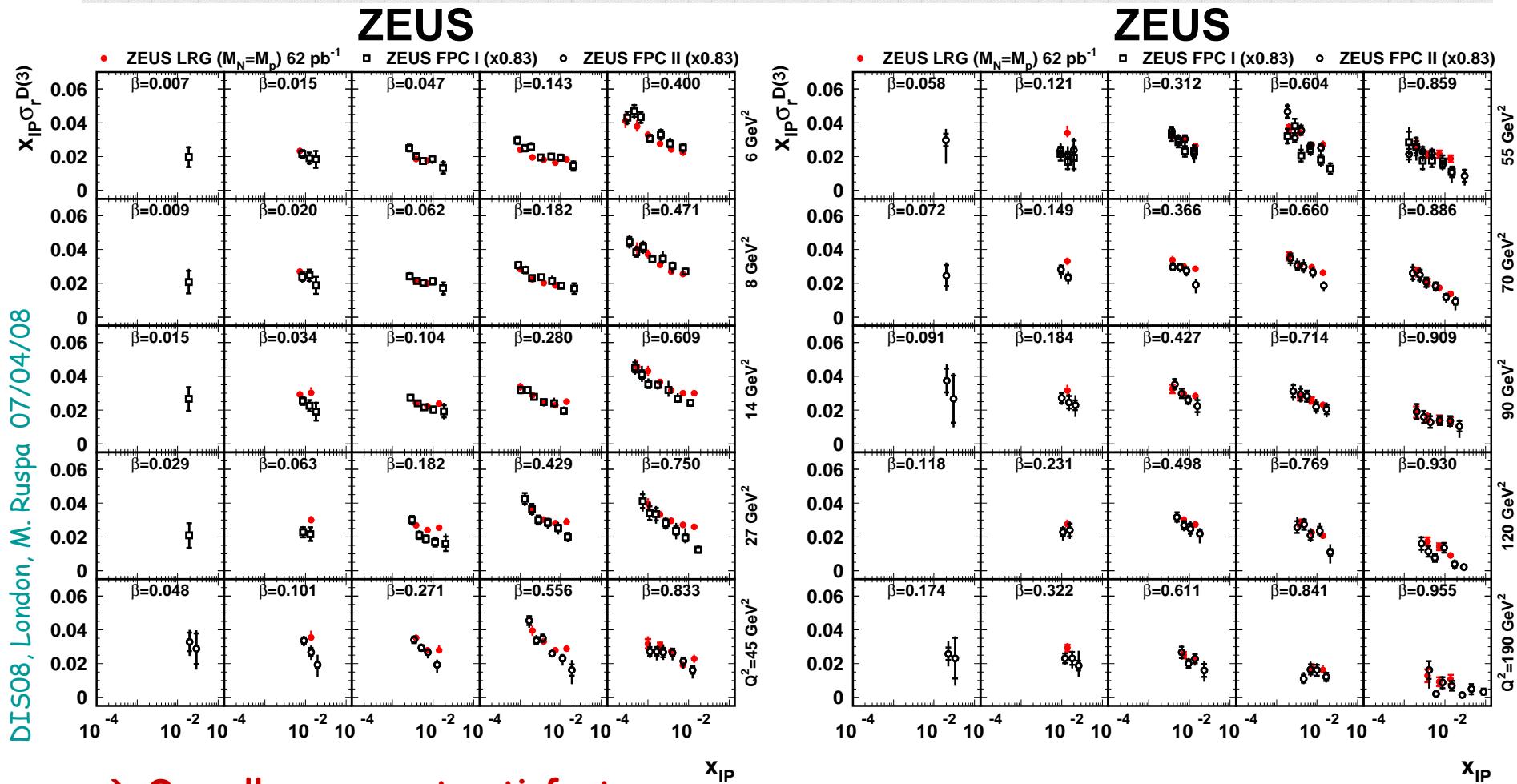
→ Fraction of proton-dissociative
background in the ZEUS LRG data:
[24 +-1(stat) +2-3(sys) +5-8(norm)]%

Consistent number obtained with PYTHIA:
[25 +-1(stat) +-3(sys)]%

- Similarity between ZEUS and H1 p.-diss fraction expected given similar forward detector acceptance
- Precise knowledge (and correction) of p.-diss background key point in the data comparison!

ZEUS LRG vs ZEUS FPC

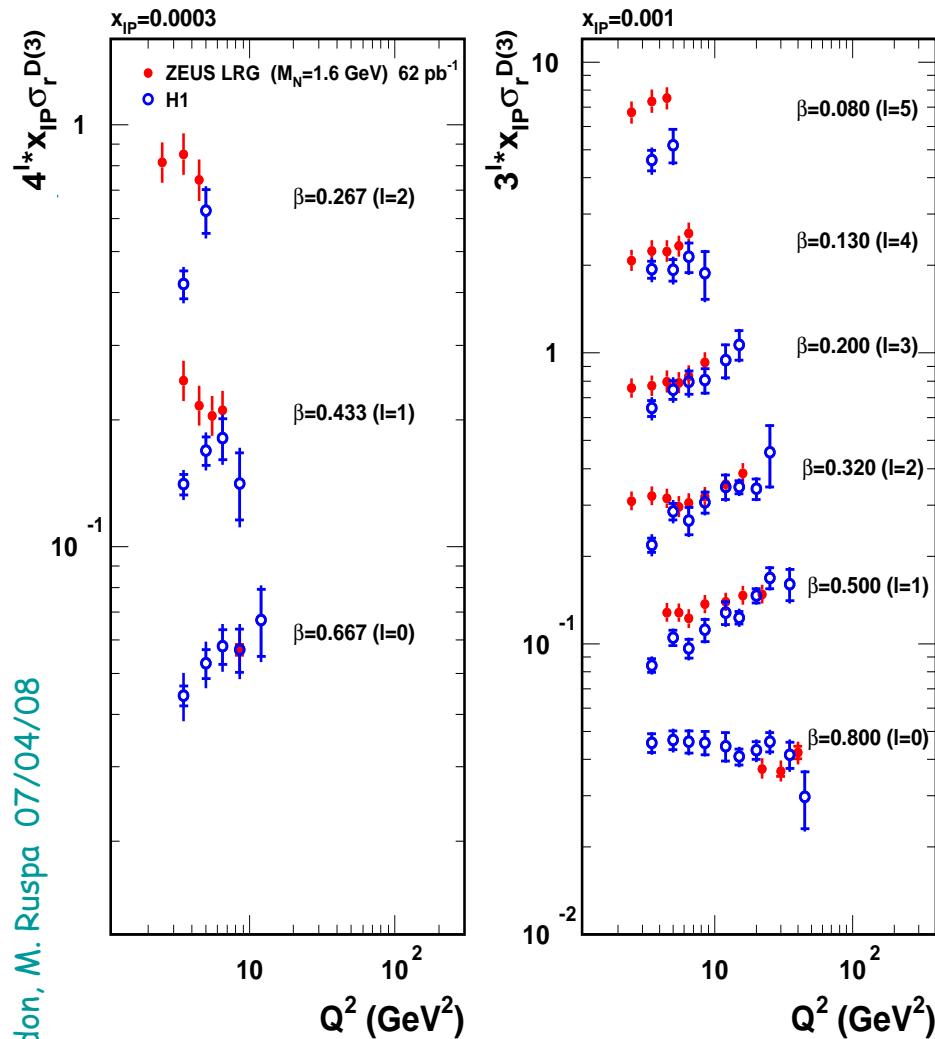
FPC data ($M_N < 2.3$ GeV) normalised here to LRG ($M_N = m_p$): factor 0.83 ± 0.04
 (determined via a global fit) estimates residual p-diss. background in FPC sample



→ Overall agreement satisfactory

→ Different x_{IP} dependence ascribed to IR suppressed in FPC data

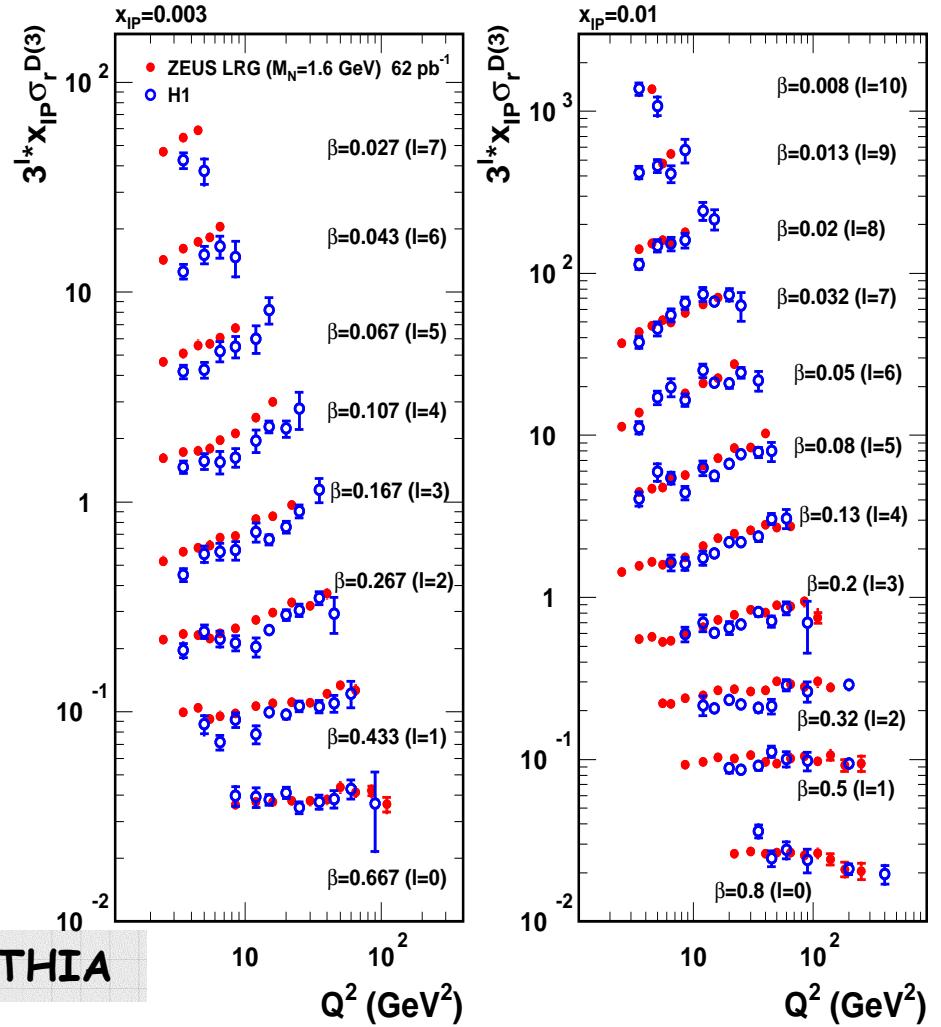
ZEUS



ZEUS corrected to $M_N < 1.6$ GeV with PYTHIA

ZEUS LRG vs H1 LRG

ZEUS

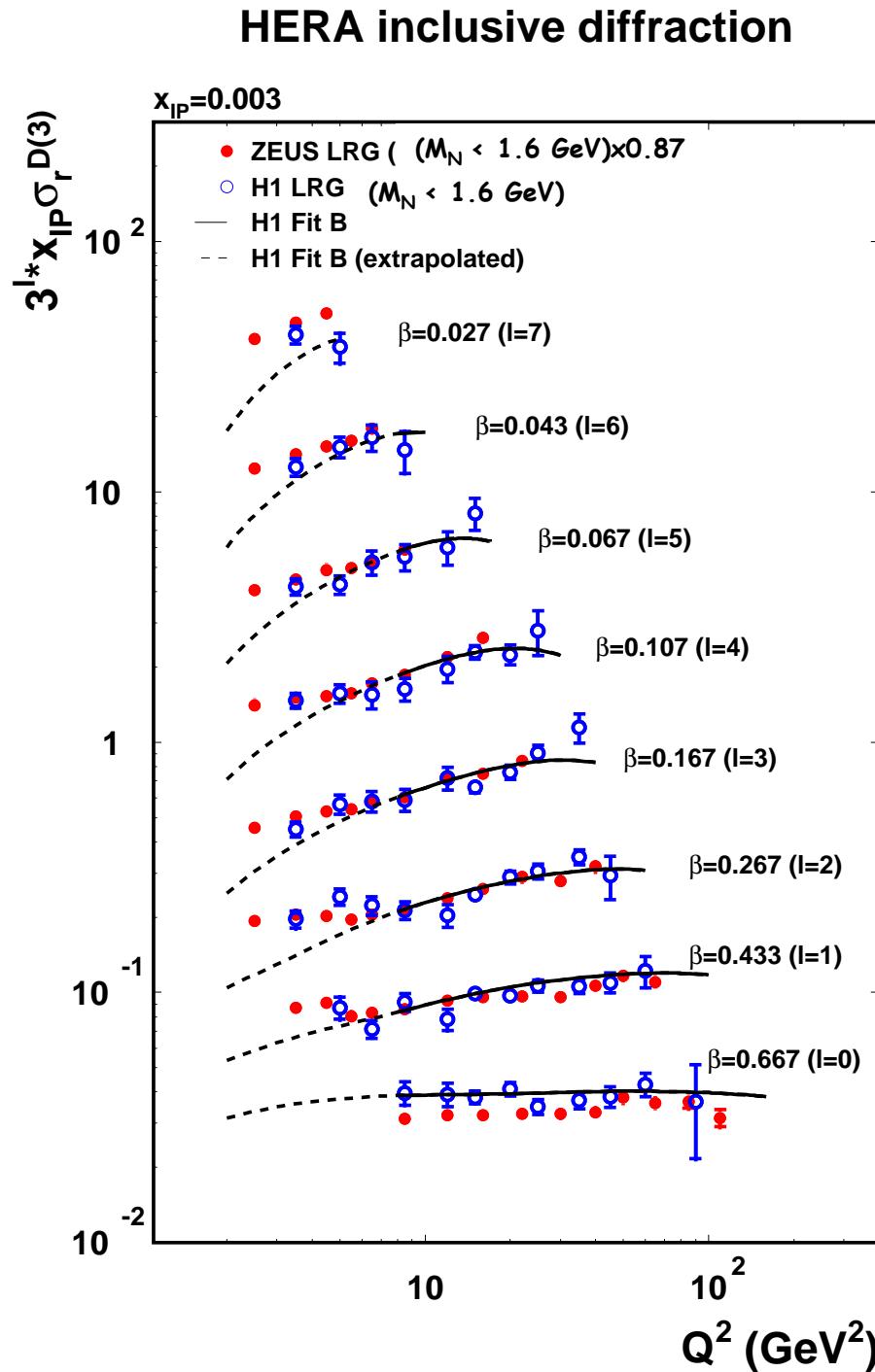


→ Remaining normalisation difference of 13% (global fit) covered by uncertainty on p-diss. correction (8%) and relative normalisation uncertainty (7%)

→ Shape agreement ok except low Q^2

Towards HERA inclusive diffraction!

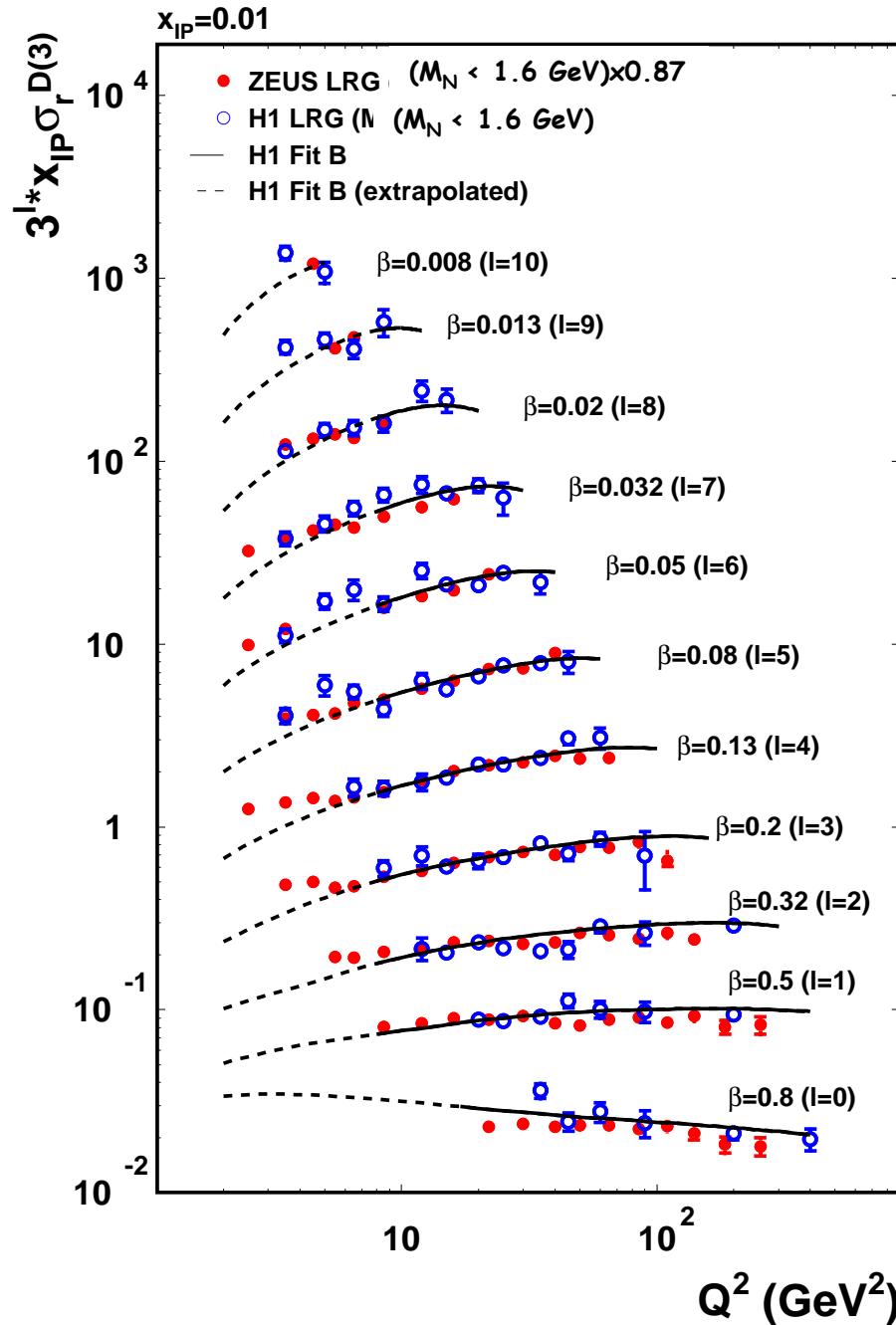
→ Time for
data combination,
global fits!



Towards HERA inclusive diffraction!

→ Time for
data combination,
global fits!

HERA inclusive diffraction

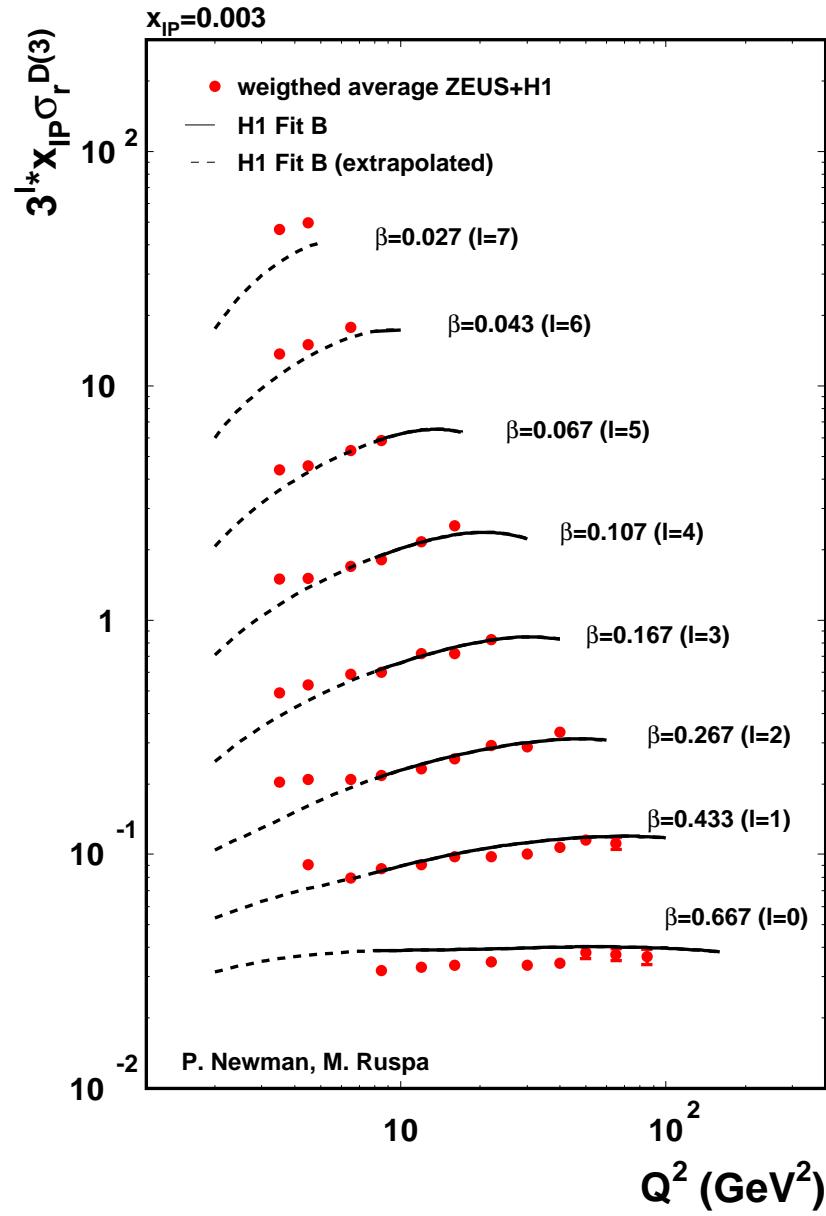


First step towards the data combination

Error weighted average:

- before averaging, H1 points swum to ZEUS Q^2 values with H1 fit B
- ZEUS normalised to H1 applying 13% factor (see slide 36) → **normalisation uncertainty of combined data beyond 10%**
- **correlations between systematic errors ignored so far**

Hints at precision achievable through combination: for many points errors at 3-4% level (excluding normalisation uncertainty)

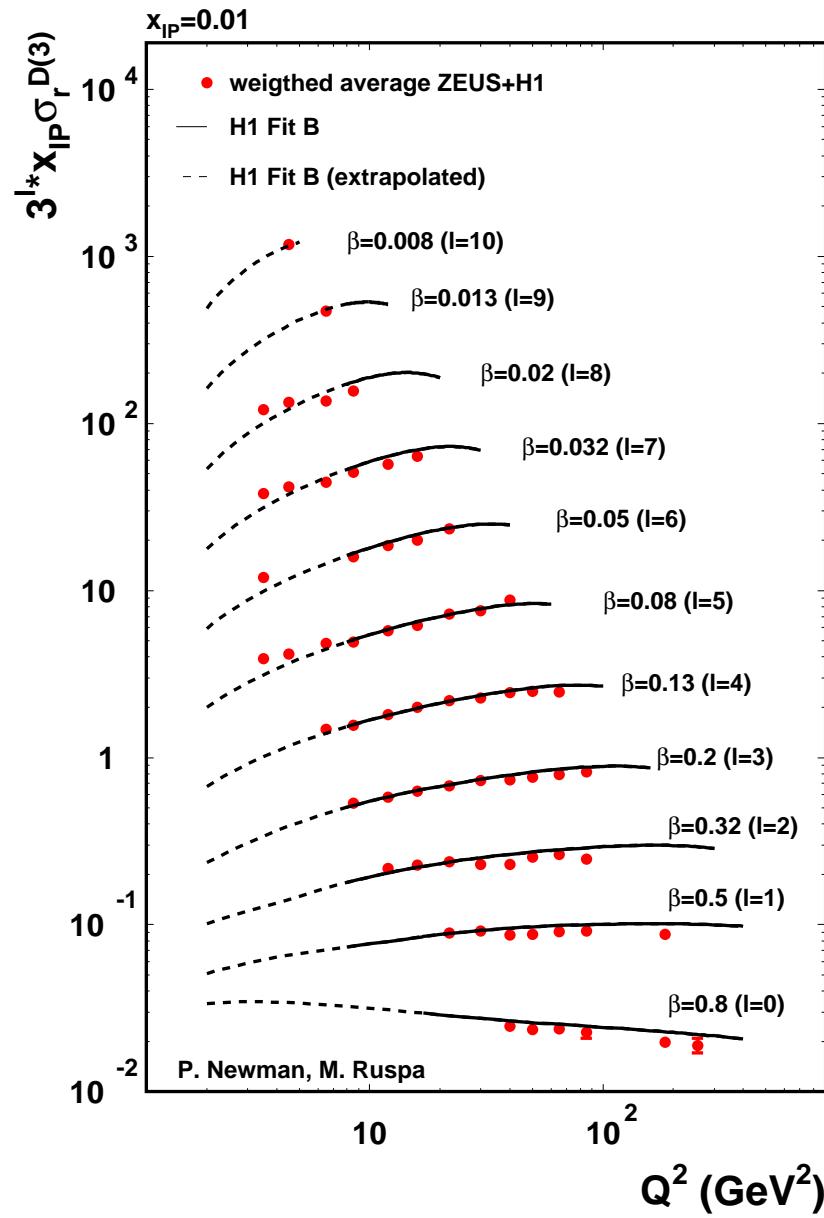


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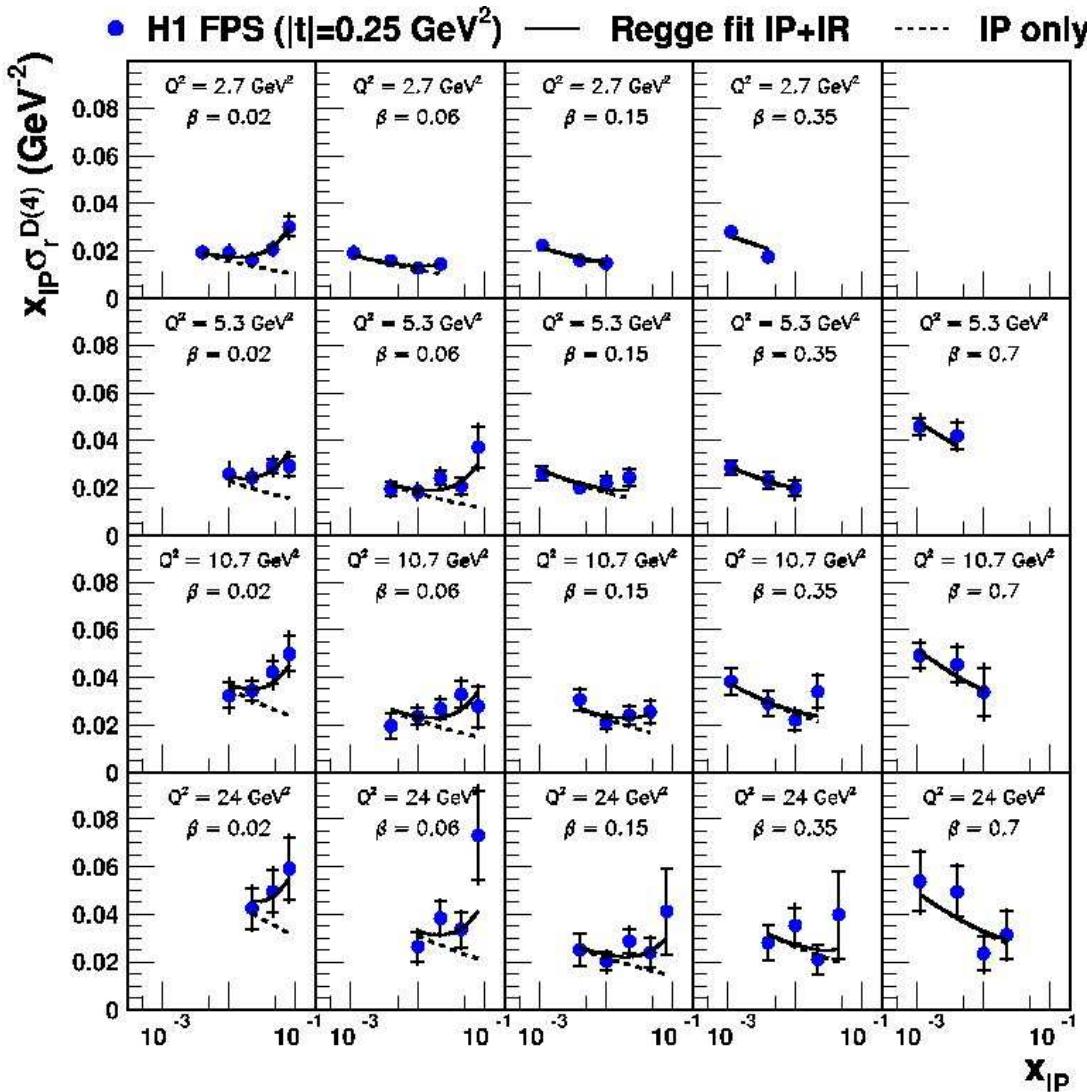
Highlights

- A wealth of inclusive diffractive data from ZEUS and H1: consistency reached between different experiments, methods and data sets
- Data ready to be combined and/or fitted globally!
- Diffractive parton density functions available which can be used to predict other processes
 - Inclusion of dijet data in the QCD fits provides a much better constraint of the gluon density at high fractional momentum

Backup

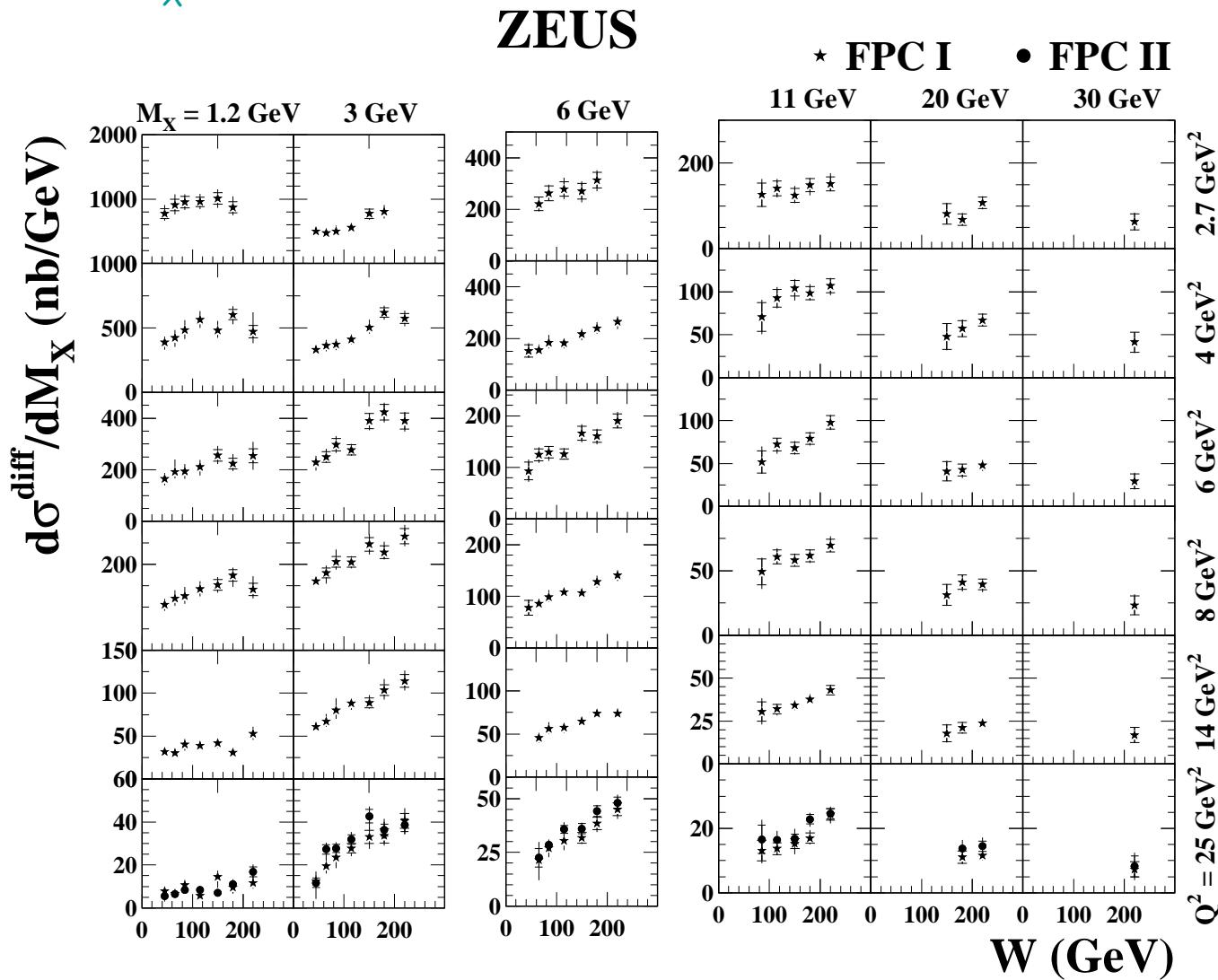
x_{IP} dependence of $\sigma_r^{D(4)}$

FPS data



W dependence of $d\sigma^{\text{diff}}/dM_X$

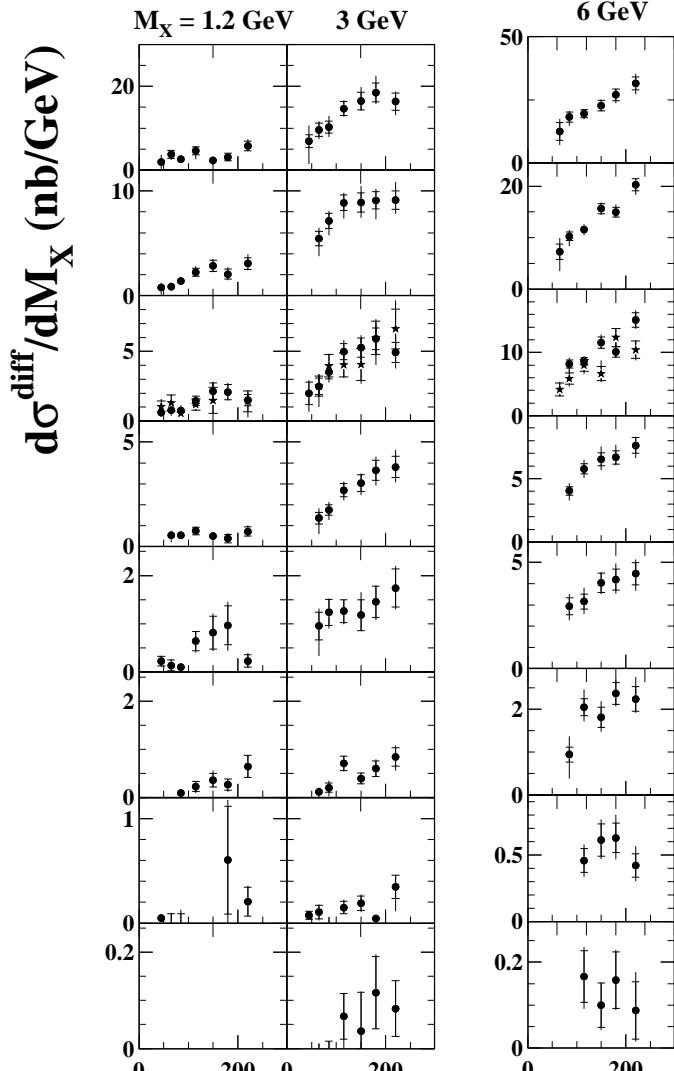
ZEUS M_X data



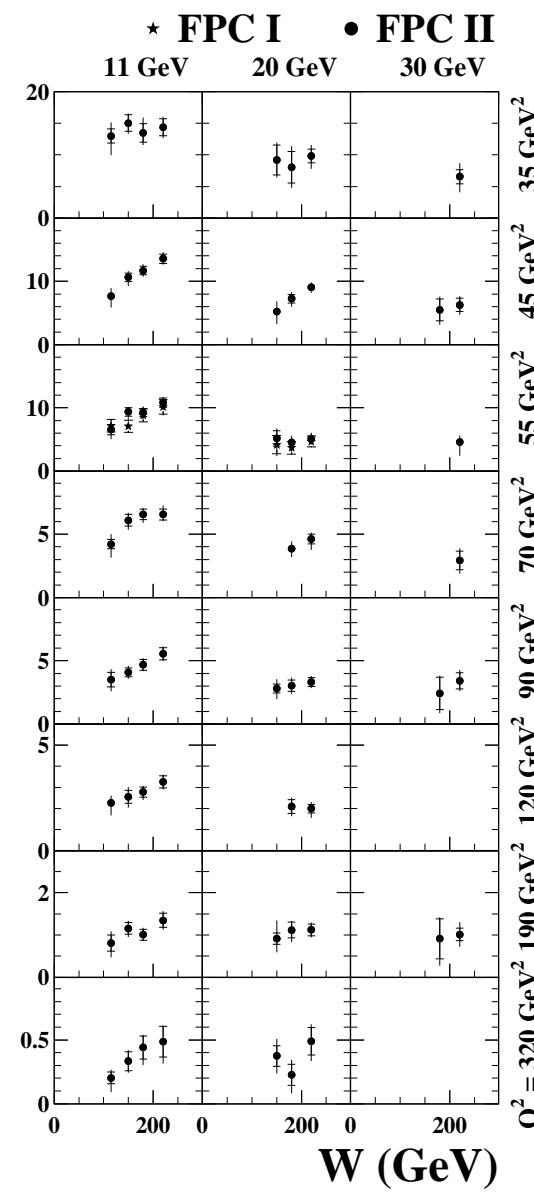
- Low M_X : moderate increase with W and steep reduction with Q^2
- Higher M_X : substantial rise with W and slower decrease with Q^2

W dependence of $d\sigma^{\text{diff}}/dM_X$

ZEUS M_X data

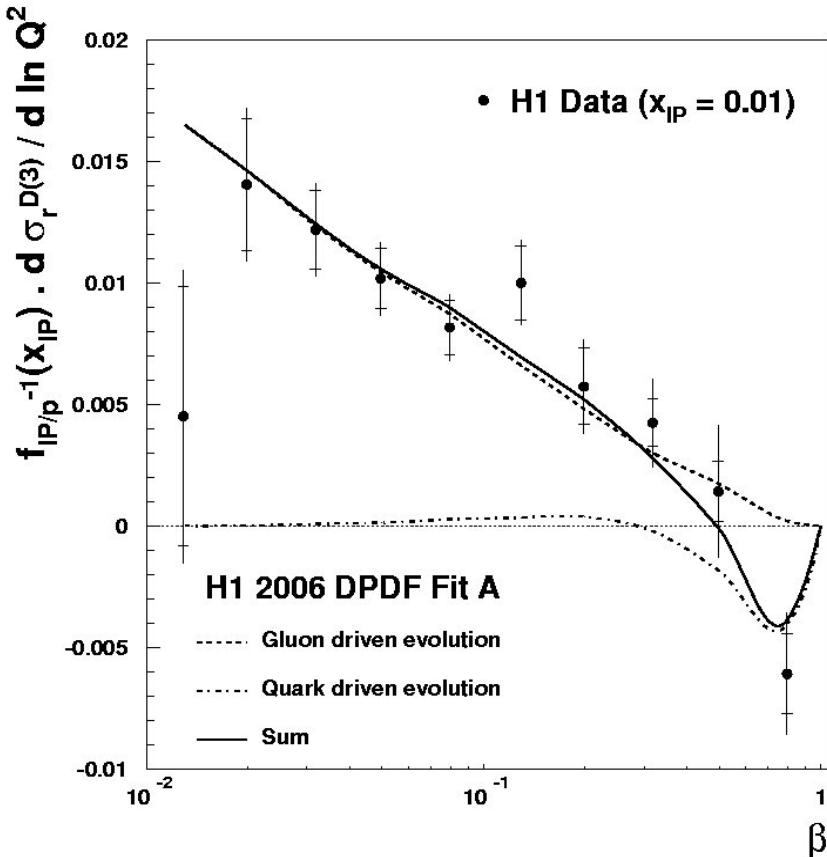


ZEUS



→ Substantial
rise with W

Why is the high β gluon so poorly known?



- Low β : evolution driven by $g \rightarrow q\bar{q}$,
 Q^2 dependence of $\sigma_r^{D(3)}$
sensitive to the gluon density
- With increasing β relative error on derivative and hence on the gluon density larger
- High β : evolution driven by $q \rightarrow qg$
 Q^2 dependence of $\sigma_r^{D(3)}$ not sensitive to the gluon density

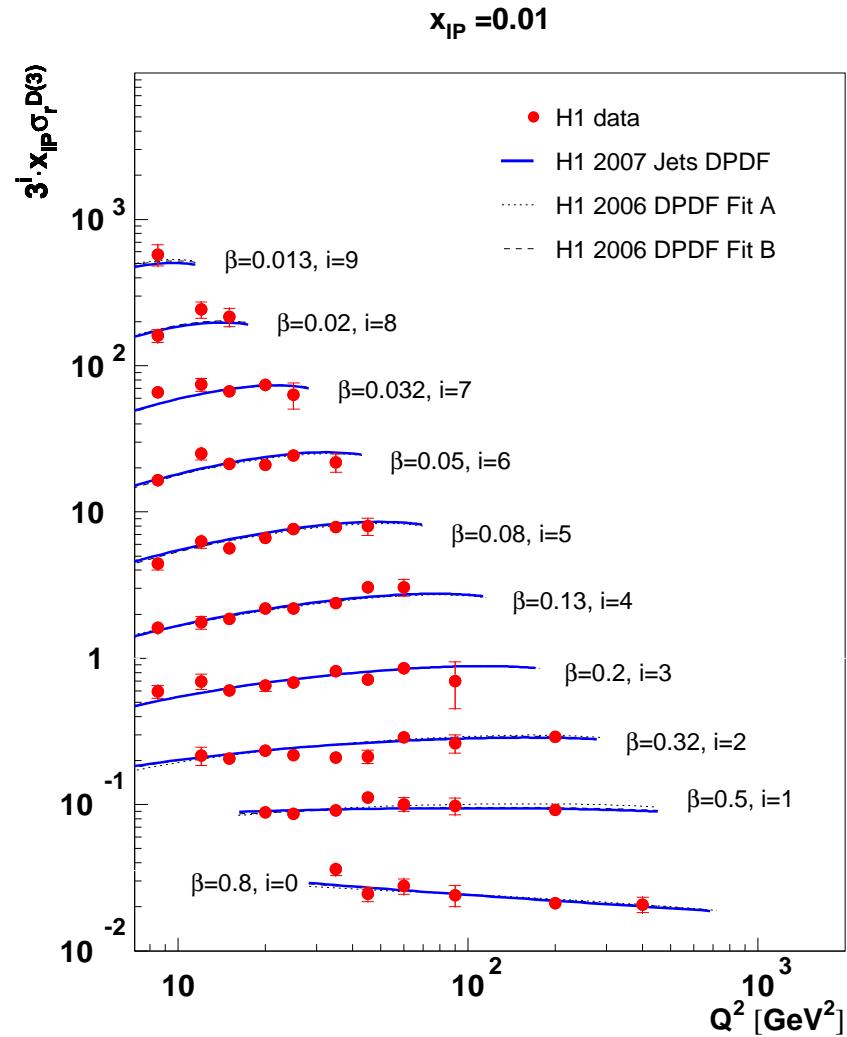
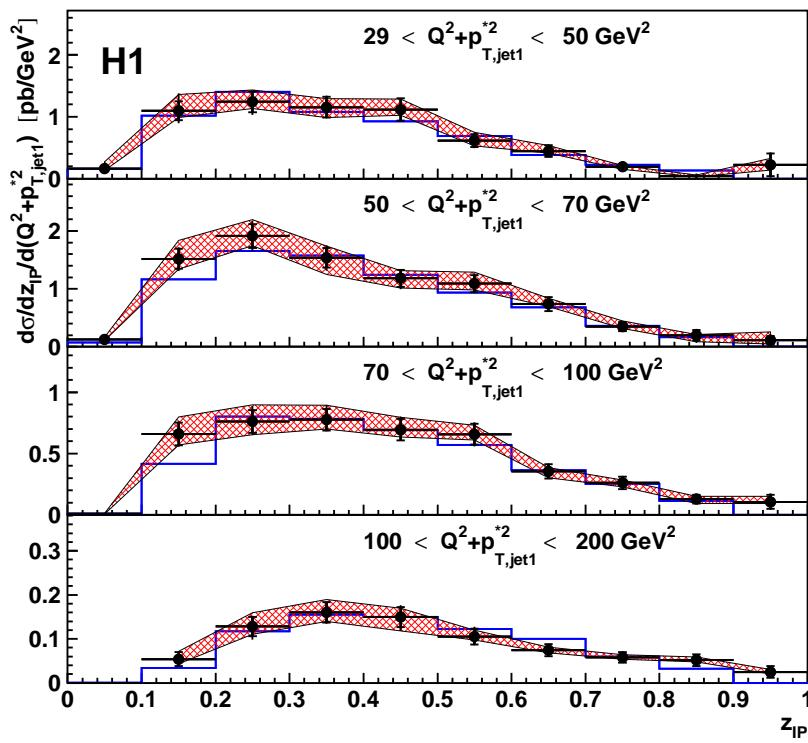
Combined fit

H1 LRG+dijet data



H1 data

H1 2007 Jets DPDF

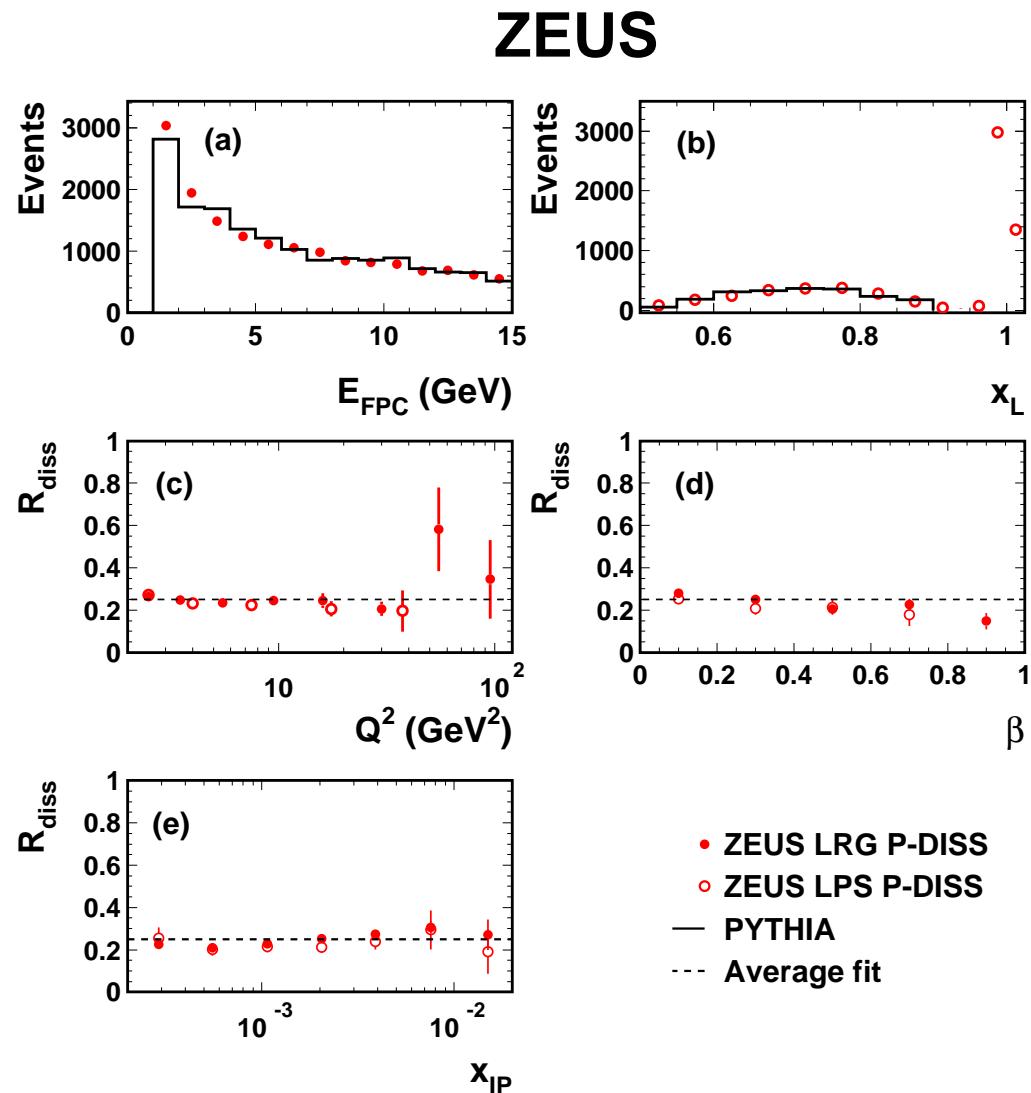


Proton dissociation @ZEUS: correction to $M_N = m_p$

ii) Monte Carlo (PYTHIA)

- 2 samples of proton-dissociative data, one with LPS (“LPS P-DISS”) and one with Forward Plug Calorimeter (“LRG P-DISS”)
→ coverage of full M_N spectrum

- PYTHIA reweighted to best describe E_{FPC} and x_L



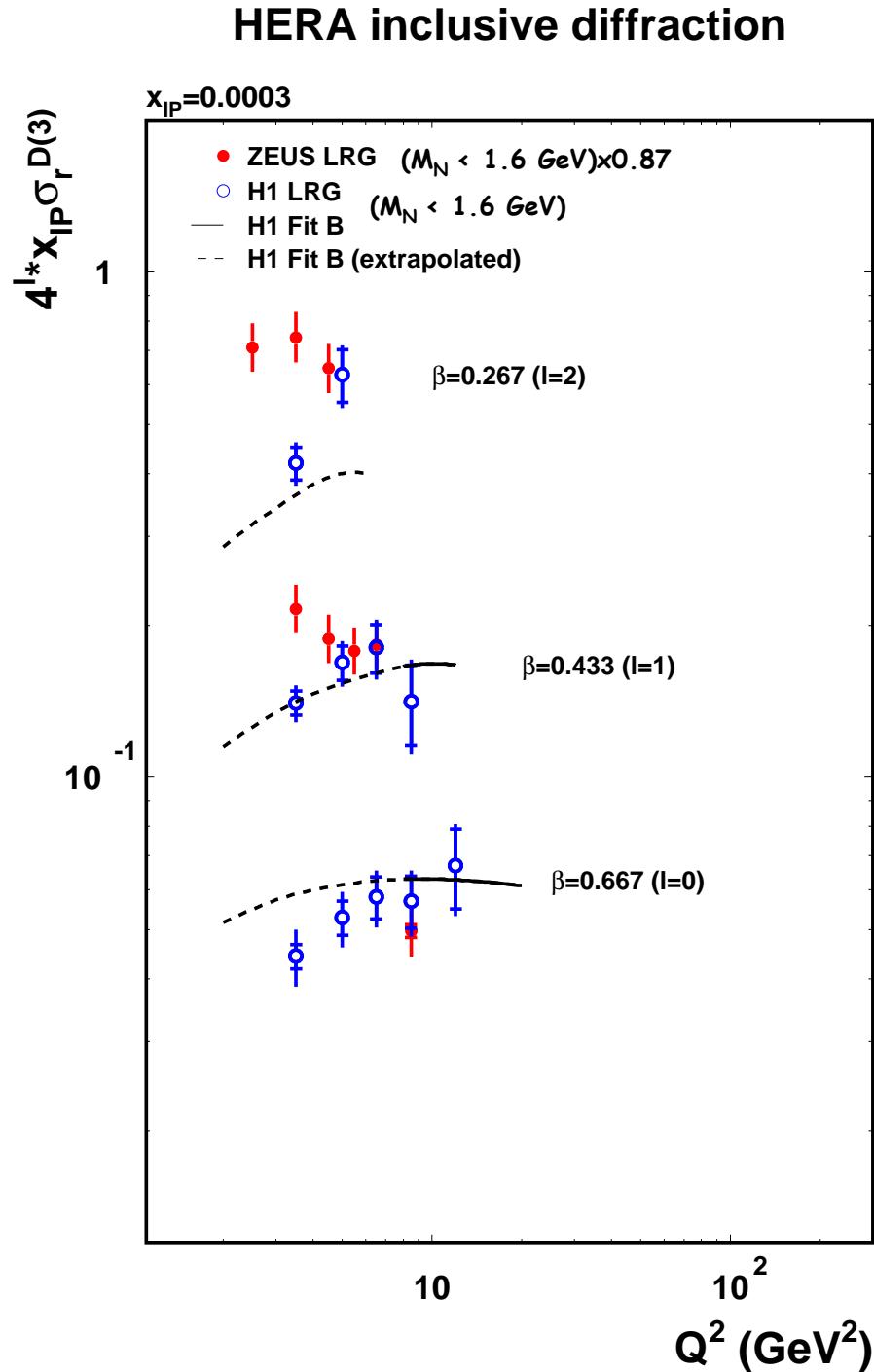
→ p-diss. background in LRG data $R_{diss} = [25 \pm 1(\text{stat}) \pm 3(\text{sys})]\%$

→ consistent with the ratio LPS/LRG

→ 25% correction applied to LRG data

Towards HERA inclusive diffraction!

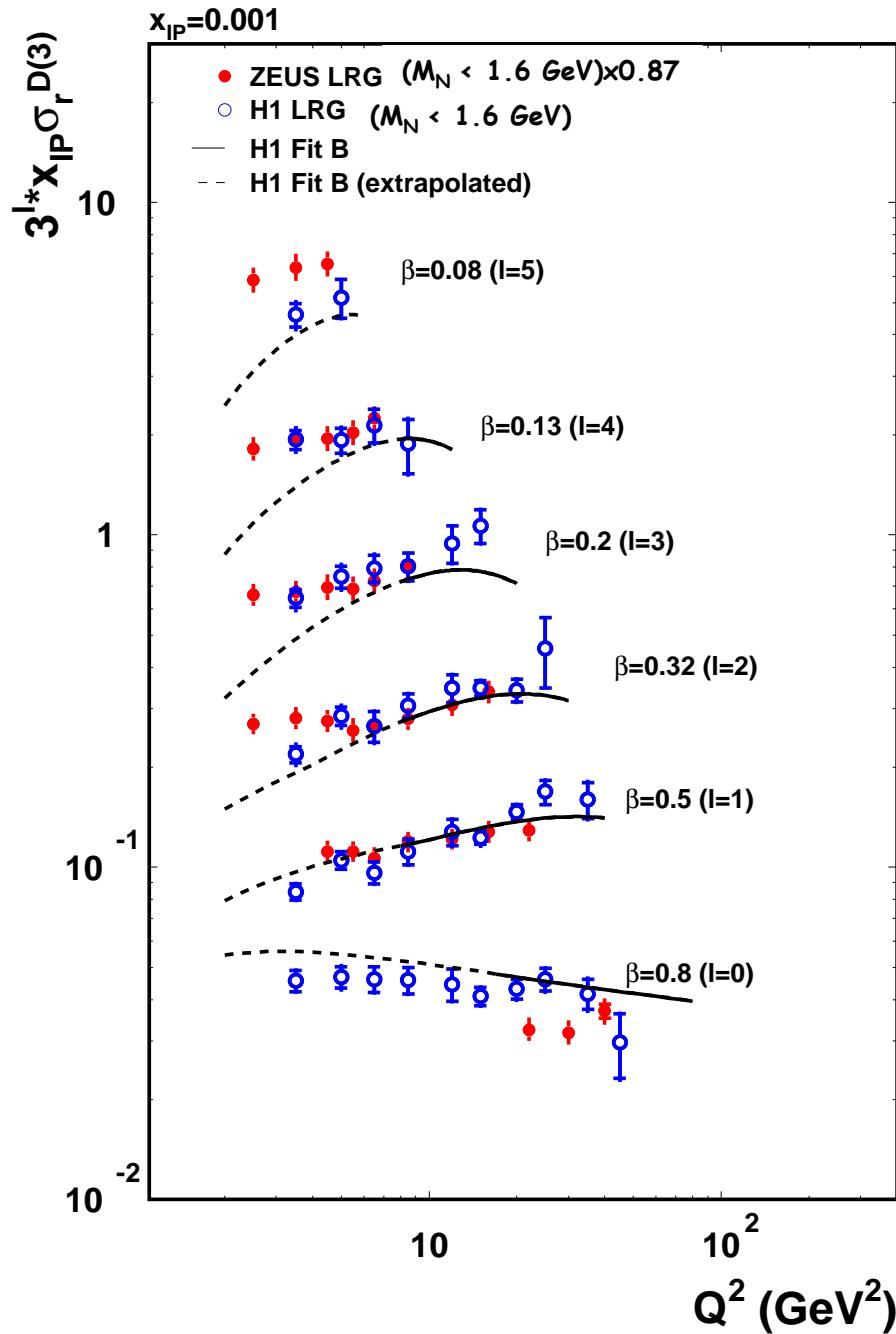
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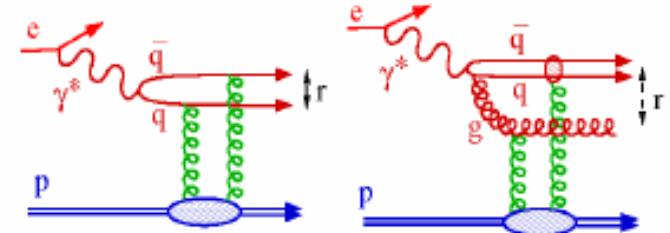
→ Time for
data combination,
global fits!

HERA inclusive diffraction



Fit with BEKW parameterisation

(Bartels, Ellis, Kowalski, Wustoff 1988)



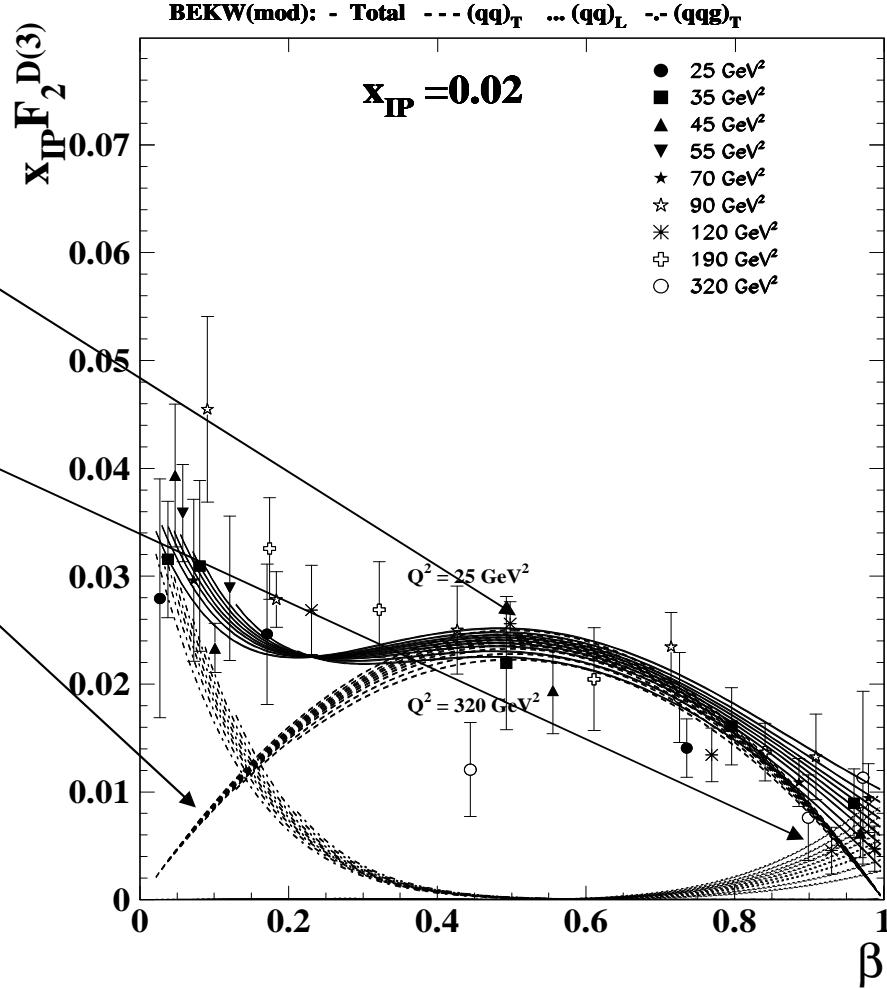
$$x_{IP} F_2^{D(3)} = c_T \cdot F_{q\bar{q}}^T + c_L \cdot F_{q\bar{q}}^L + c_g \cdot F_{q\bar{q}g}^T$$

$$F_{q\bar{q}}^T \sim \beta(1-\beta)$$

$$F_{q\bar{q}g}^T \sim (1-\beta)^{\gamma}$$

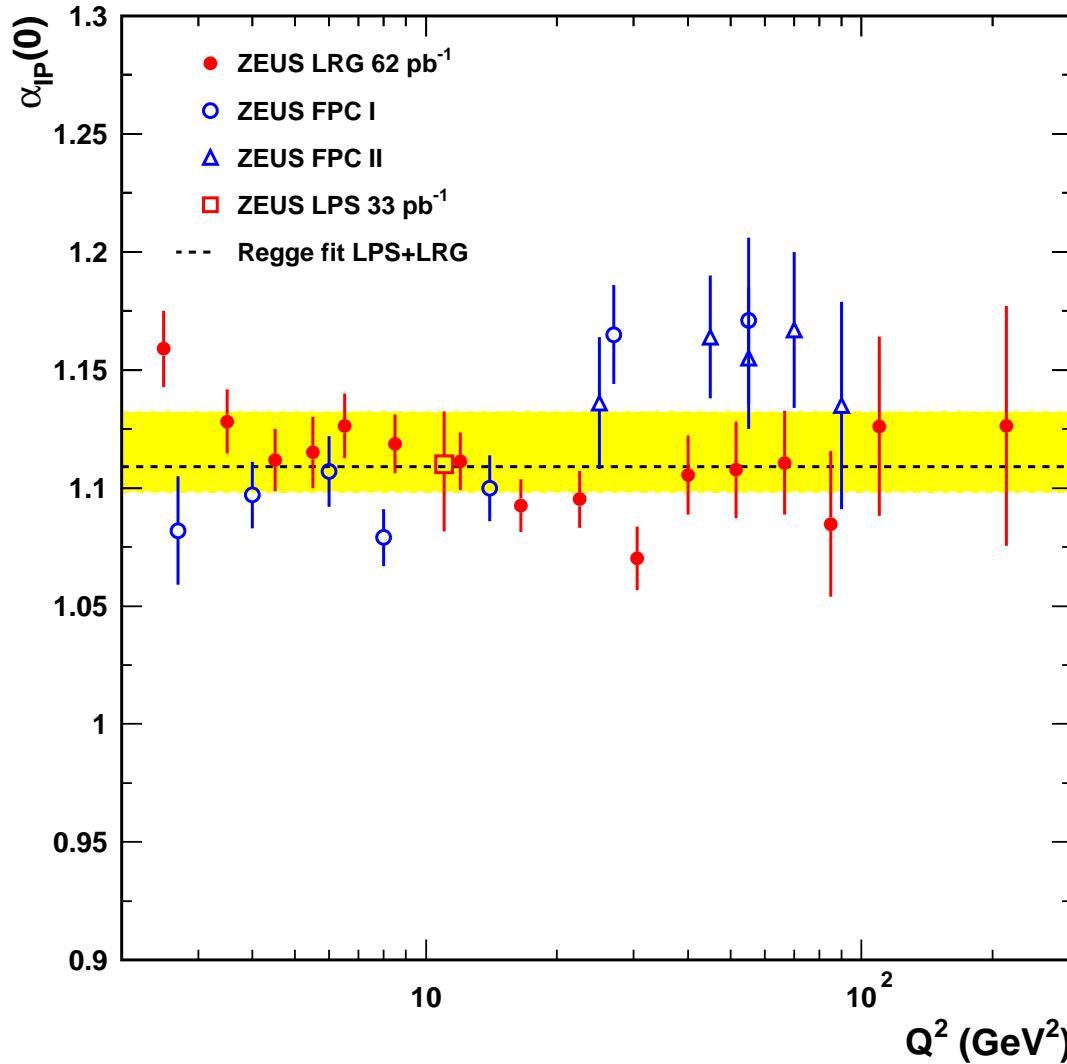
$$F_{q\bar{q}}^L \text{ limited to } \beta \sim 1$$

→ Fit gives a good description of the 427 data points FPC I + II



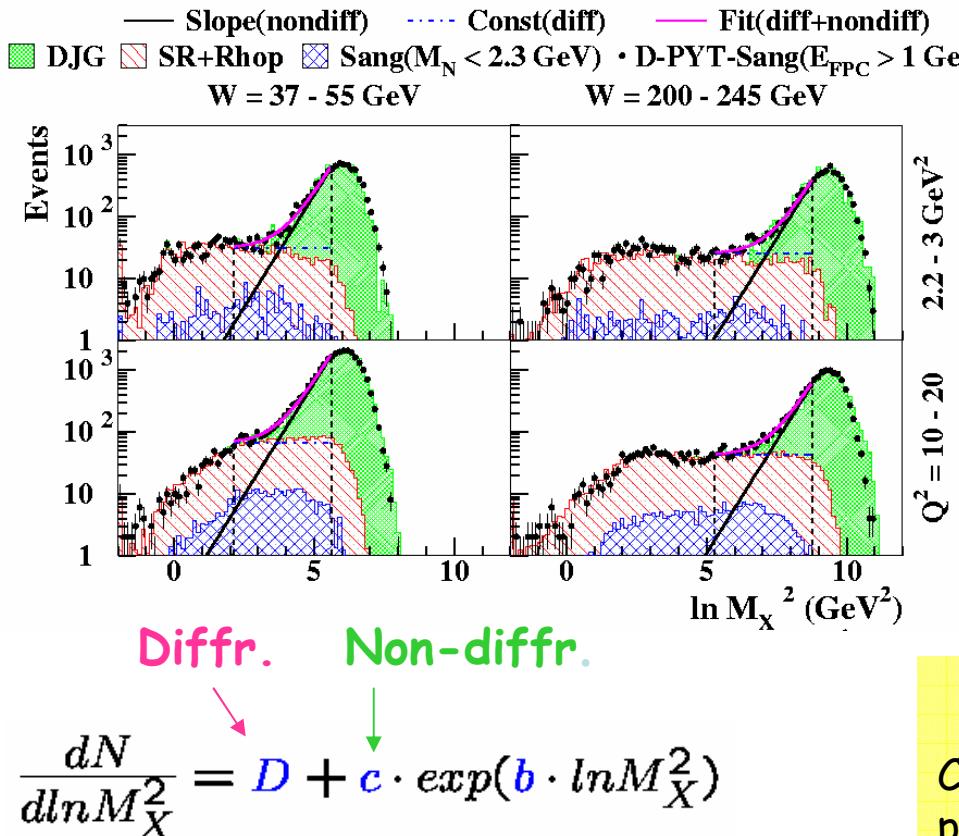
Q^2 dependance of $\alpha_{IP}(0)$

ZEUS



→ $\alpha_{IP}(0)$ does not exhibit a significant dependance on Q^2

M_X method



- D, c, b from a fit to data
- contamination from reaction $e p \rightarrow e X N$

Properties of M_X distribution:

- exponentially falling for decreasing M_X for non-diffractive events
- flat vs $\ln M_X^2$ for diffractive events

Forward Plug Calorimeter (FPC):

CAL acceptance extended by 1 unit in pseudorapidity from $\eta=4$ to $\eta=5$

- higher M_X and lower W
- if $M_N > 2.3$ GeV deposits $E_{FPC} > 1$ GeV recognized and rejected!