



University  
of Glasgow

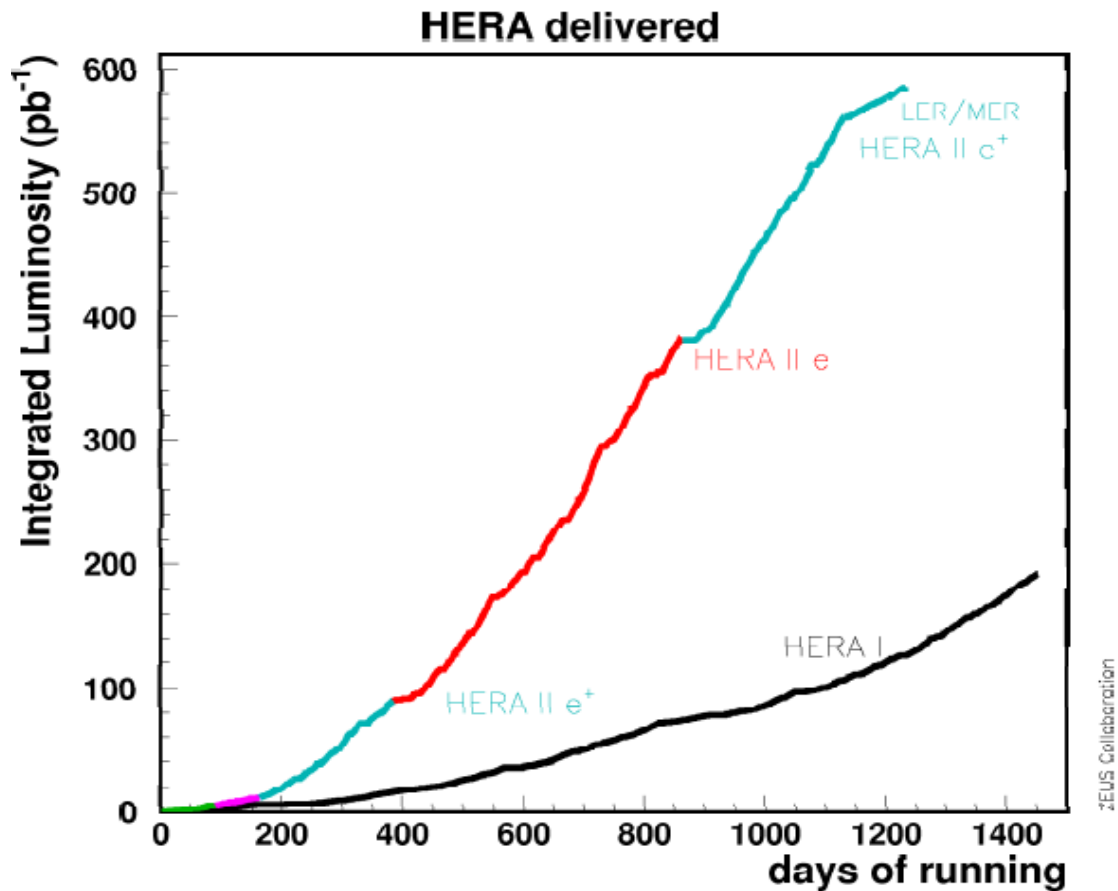
# Particle Production at ZEUS

D H Saxon

*University of Glasgow*

*Charged Multiplicities and scaled momenta in Breit frame*  
*Strange Particle production:  $K_s^0$ ,  $\Lambda$ ,  $\Lambda$ -bar*  
*Antideuteron and antiproton production*  
*Charm fragmentation and  $F_2^{cc}$*   
*Excited charm and charm-strange mesons*  
*Baryons decaying to strange particles*  
*KK Bose Einstein correlations,  $f^0(980)$*

# HERA: $e^{\pm}_{L,R}p$ collisions at 300-320 GeV



**ZEUS 0.50 fb⁻¹**

HERAI:

$e^+p$  115 pb⁻¹

$e^-p$  17 pb⁻¹

HERAII (polarised  $e^{\pm}$ ):

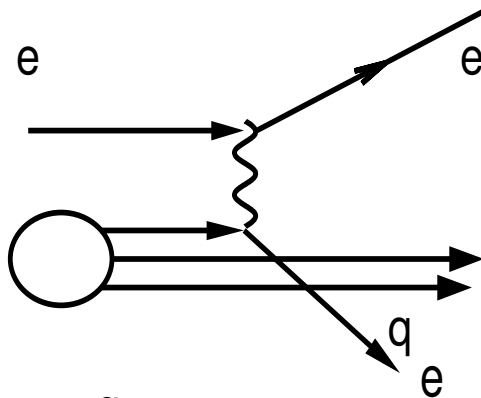
$e^+p$  182 pb⁻¹

$e^-p$  190 pb⁻¹

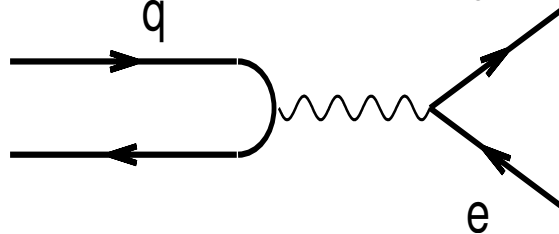
# DIS particle multiplicities: use of Breit frame

## DIS event

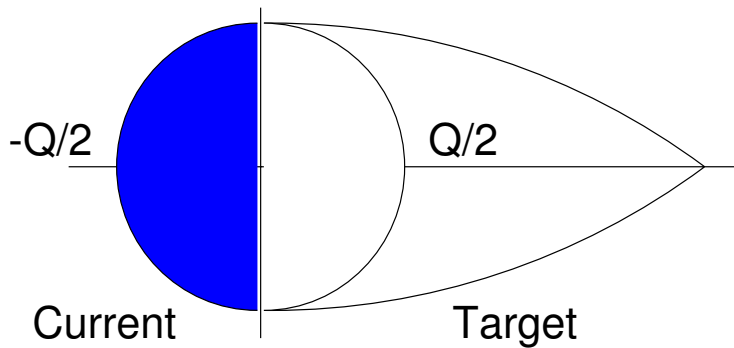
Lab Frame



Breit Frame



Breit Frame



- Breit Frame definition:

- “Brick wall frame” incoming quark scatters off photon and returns along same axis.

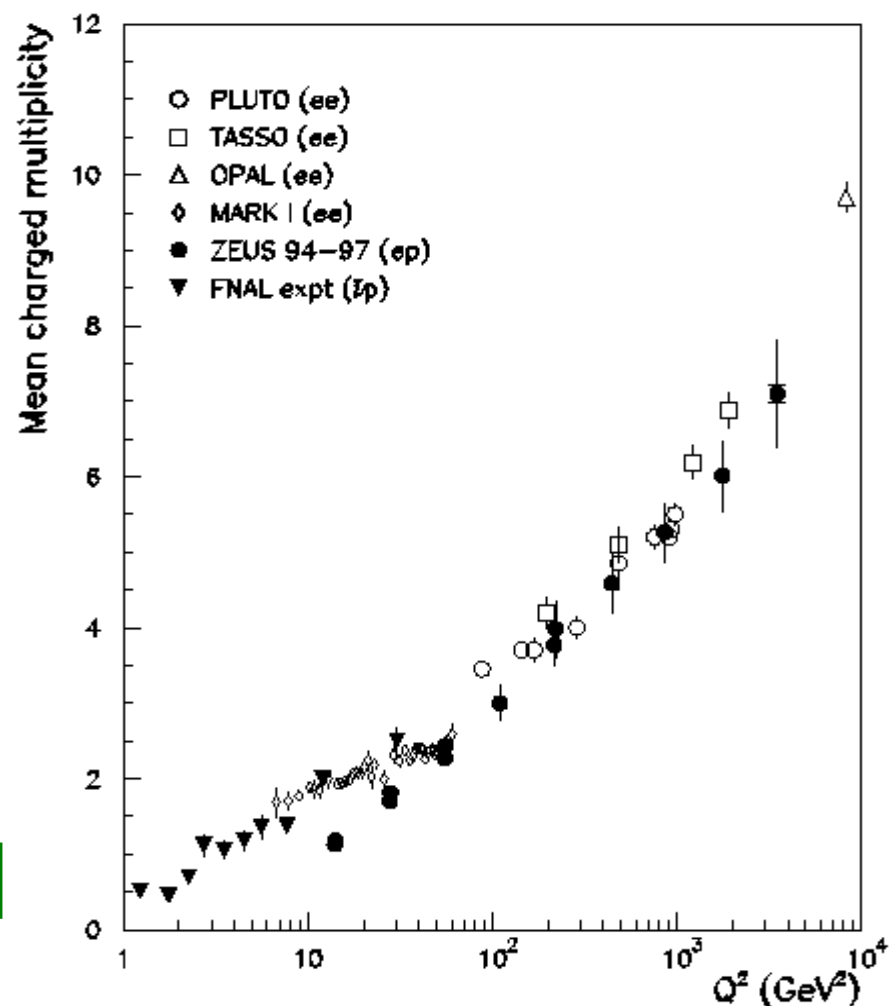
- Current region of Breit Frame is analogous to  $e^+e^-$ .

# Breit frame current jet multiplicity v $Q^2$

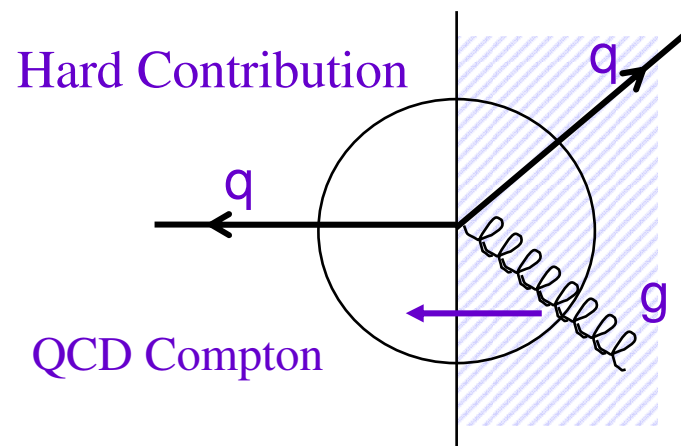
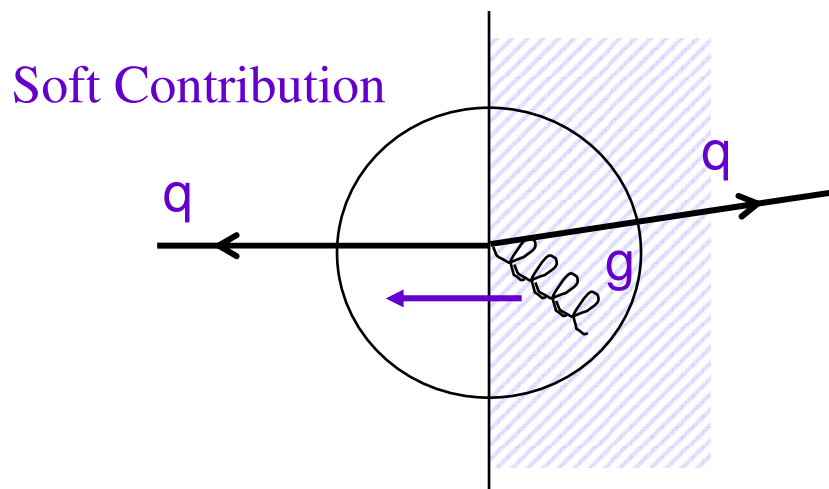
ZEUS 1994–97

- Consistent with  $e^+e^-$  for high  $Q^2$
- Disagreement at low  $Q^2$  may be attributed to gluon radiation
- Idea of current analysis:  
Understand current and target multiplicity and compare to  $e^+e^-$

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# Gluon radiation, $Q$ and $E_{\text{Breit}}$



- In hard and soft processes gluon radiation occurs
- These gluons can migrate to target region
- Total energy in the current region of Breit frame and multiplicity are decreased due to these migrations ( $Q^2$  is not)
- Effect is more pronounced for low  $Q^2$  : more low energy gluons
- Must use  $2 * E_{\text{Breit}}$  and  $2 * N_{\text{ch}}$  for comparing with  $e^+e^-$

No migrations:

$$E_{\text{Breit}} = \frac{\sqrt{Q^2}}{2}$$

With migrations:

$$N < N_{\text{expected}}$$

$$E_{\text{Breit}} < \frac{\sqrt{Q^2}}{2}$$

## $\langle n_{ch} \rangle$ vs. $2 * E_{current}$

- Measurement of multiplicity dependence on  $2 * E_{current}$  compared to previous ZEUS measurement vs.  $Q$

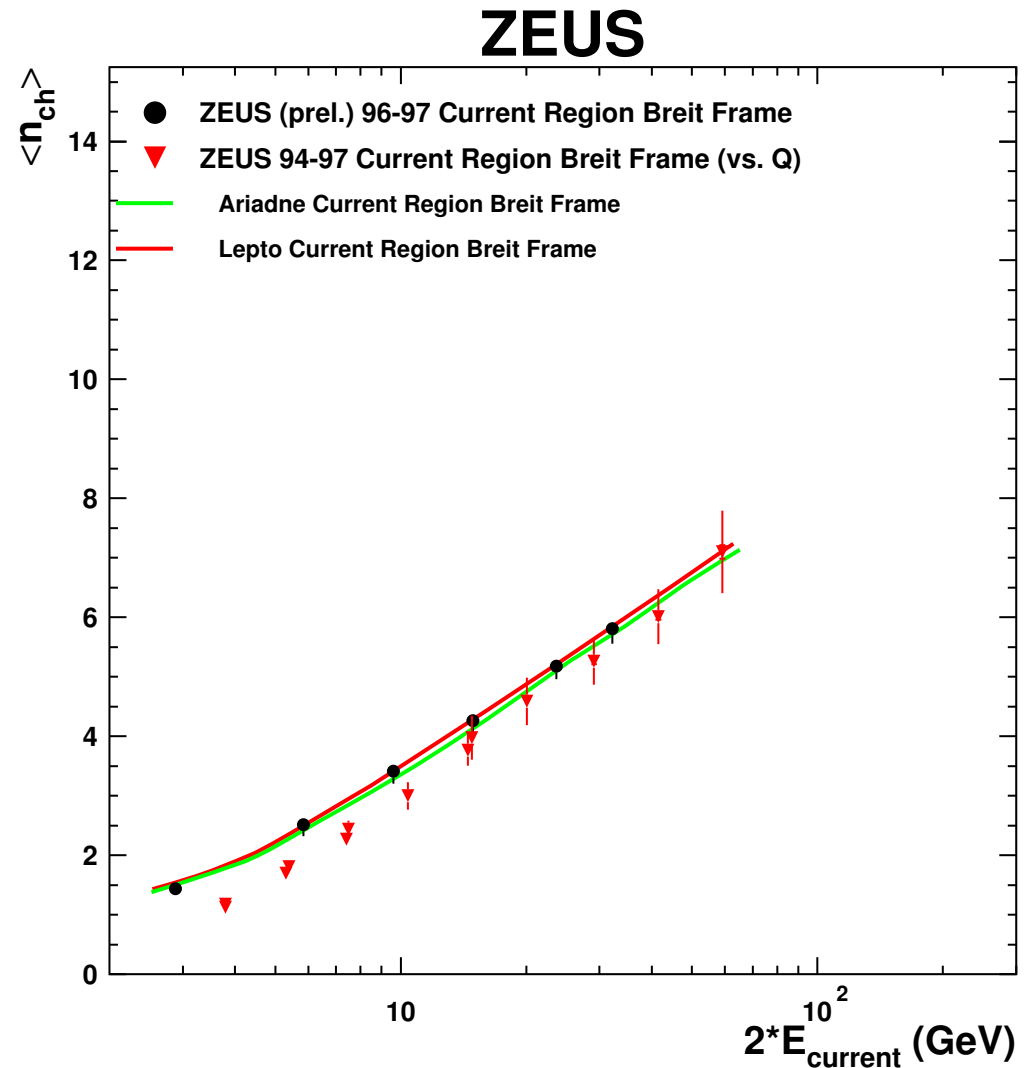
- $2 * E$  gives better description of multiplicity at lower energy

- This approximation of invariant mass partially takes into account the real distribution of the particles.

- Lepto prediction slightly above Ariadne

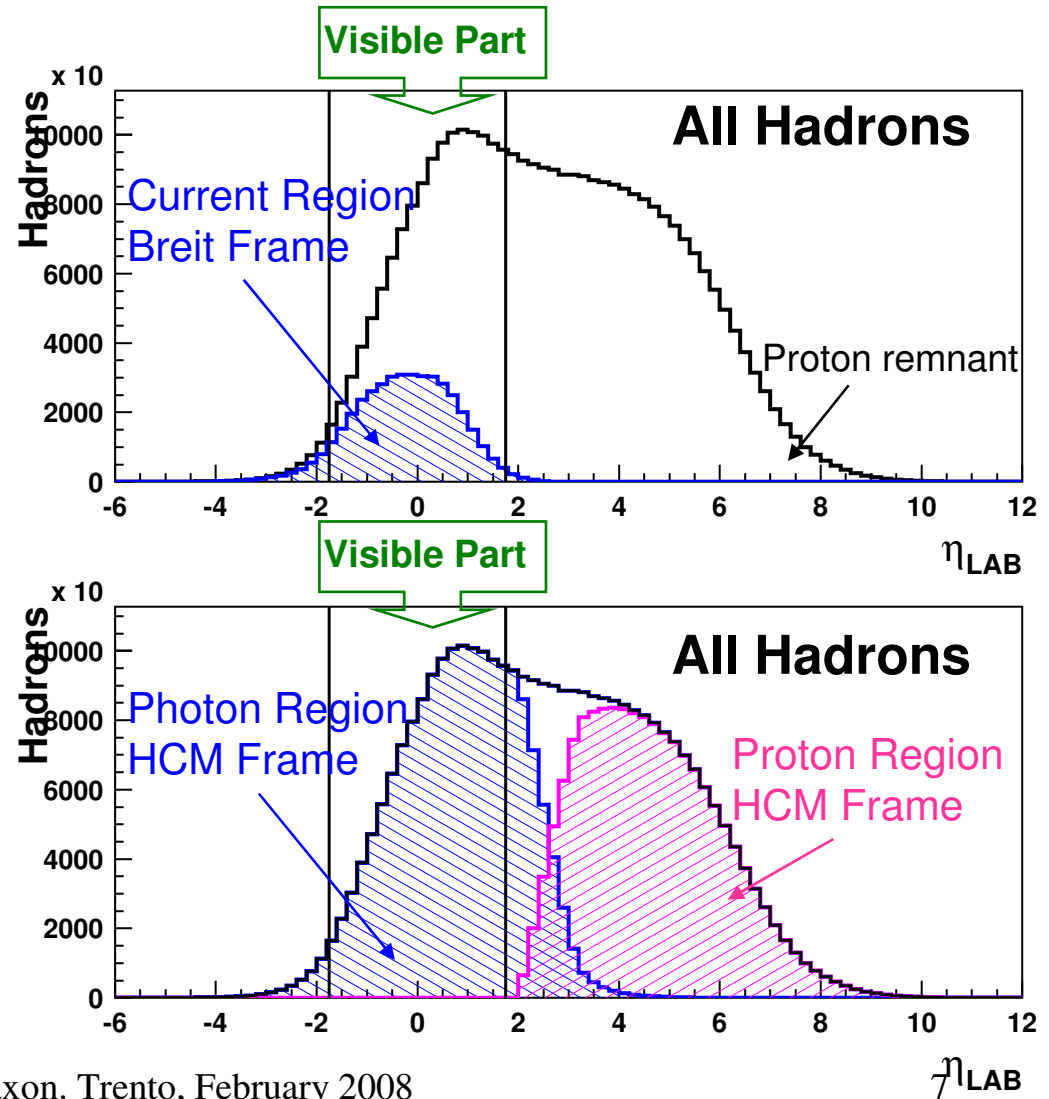
- Current region understood, would like to use some energy scale to compare target region for  $ep$  to  $e^+e^-$

..



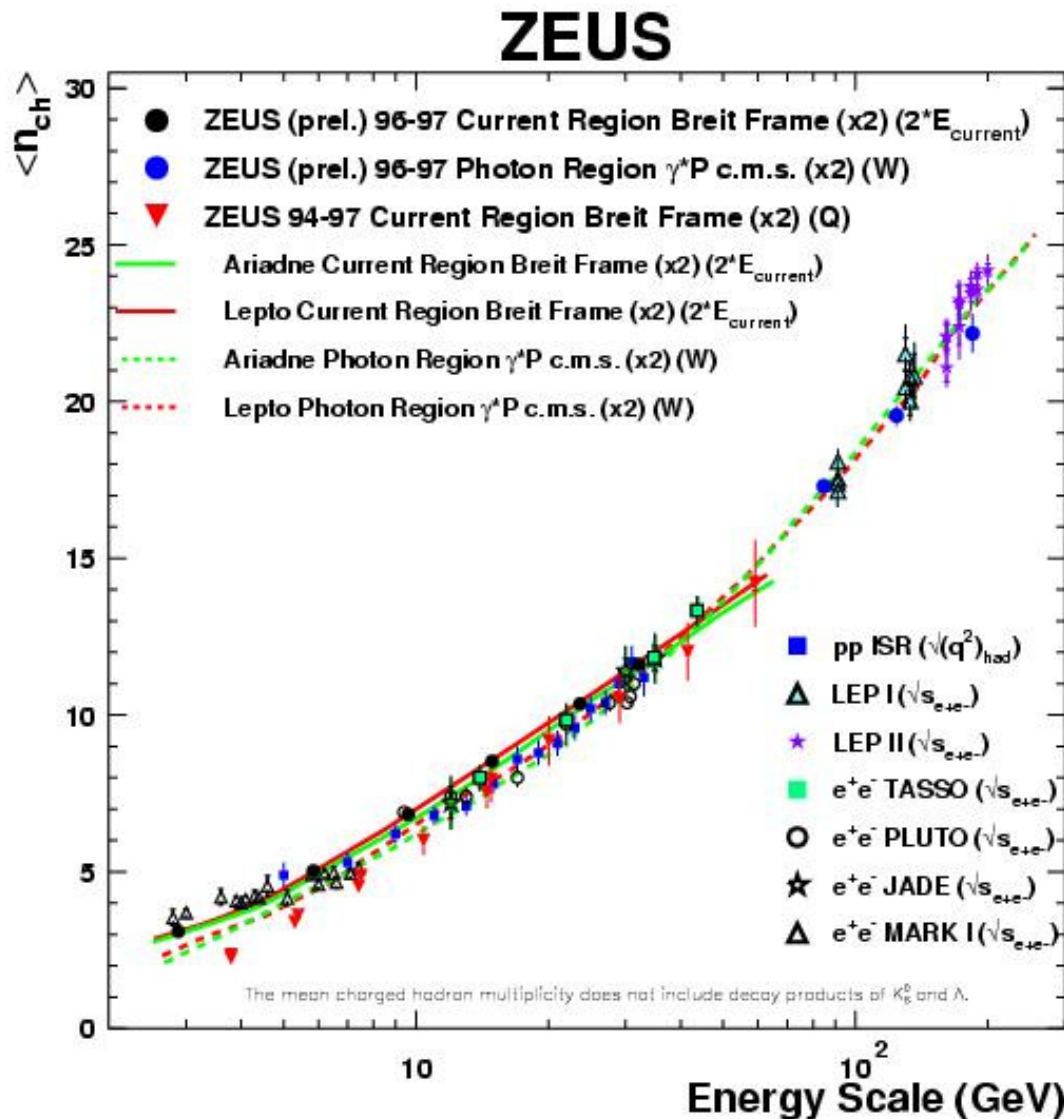
# Visible multiplicity in Breit and hadronic centre of mass (HCM) frames

- **HCM Frame:** We see a bigger number of particle in the detector than in the current region of the Breit frame
- Photon region dominated by contribution from target region of Breit frame (~80% of visible hadrons)
- Proton region unseen in detector



$\langle n_{ch} \rangle : ep$  (Breit,  $\gamma^*p$  c.m.s.) v  $e^+e^-$  excludes  $K^0, \Lambda$  decay products

$2*\langle n_{ch} \rangle$  for  $ep$



Breit frame:

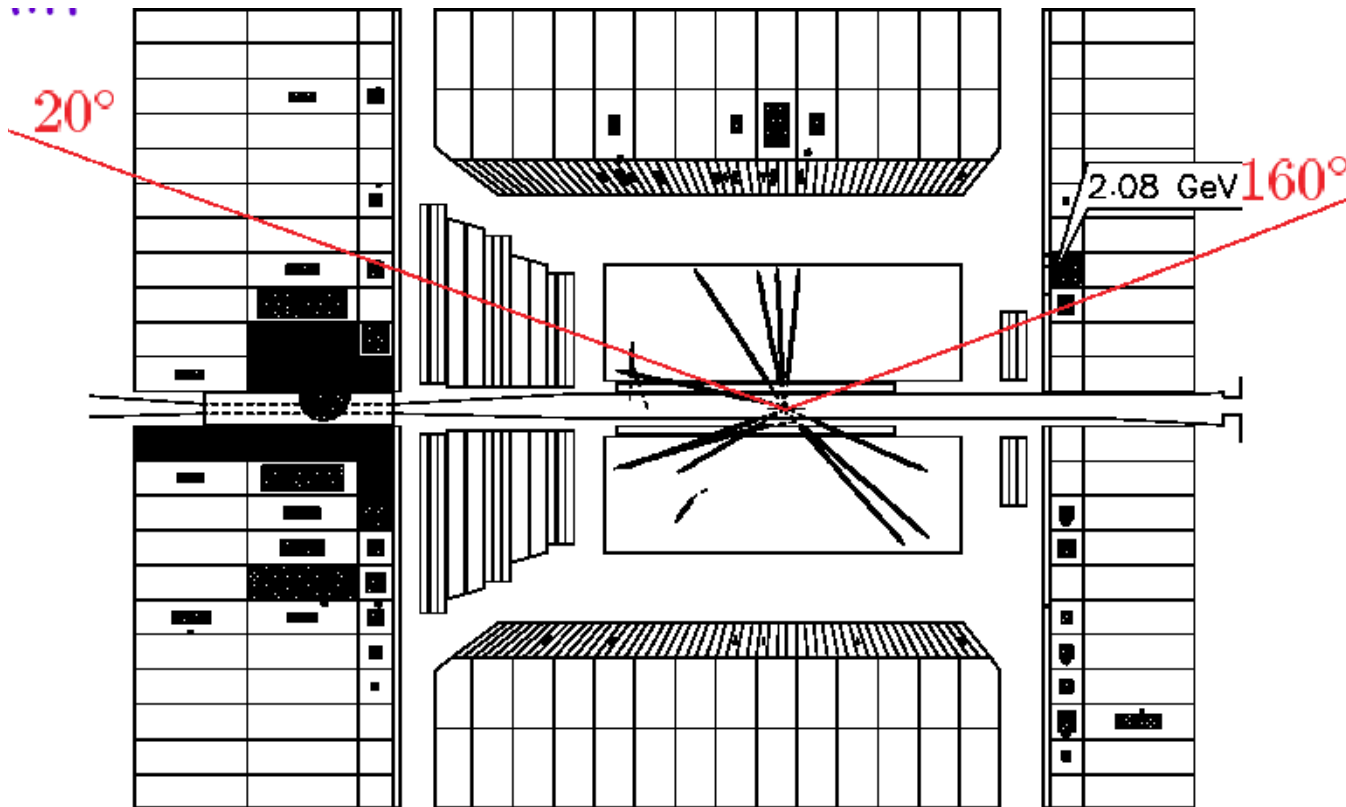
Closer to  $e^+e^-$  if  
 $2*E_{current}$  used as scale  
 – black dots

$\gamma^*p$  c.m.s. current  
 region:

close to  $e^+e^-$  over wide  
 range using  $W$  as scale  
 – blue dots



# ZEUS: $M_{eff}$ using best part of central tracker



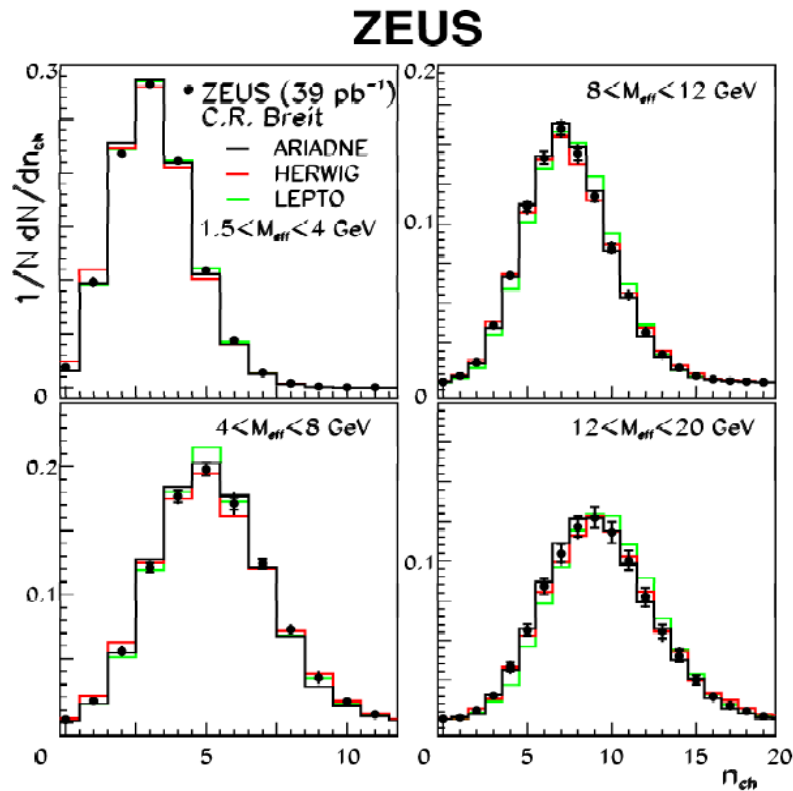
Exclude scattered electron

Use best angular range for counting tracks

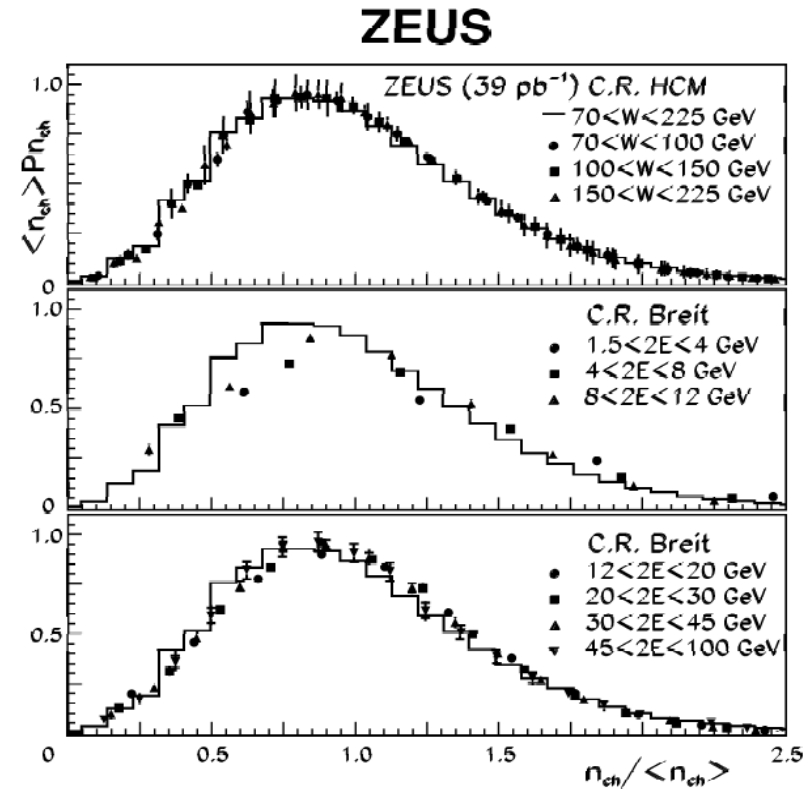
Use same angular range in calorimeter for

$$M_{eff}^2 = (\sum E)^2 - (\sum \underset{\substack{\uparrow \\ \text{vector}}}{p})^2$$

# Current region Multiplicity Distributions



Breit frame in bins of  $M_{eff}$



KNO scaling: HCM in  $W$  bins,

Breit in  $E_{current}$  bins

# Scaled momentum spectra in the current region of the Breit frame

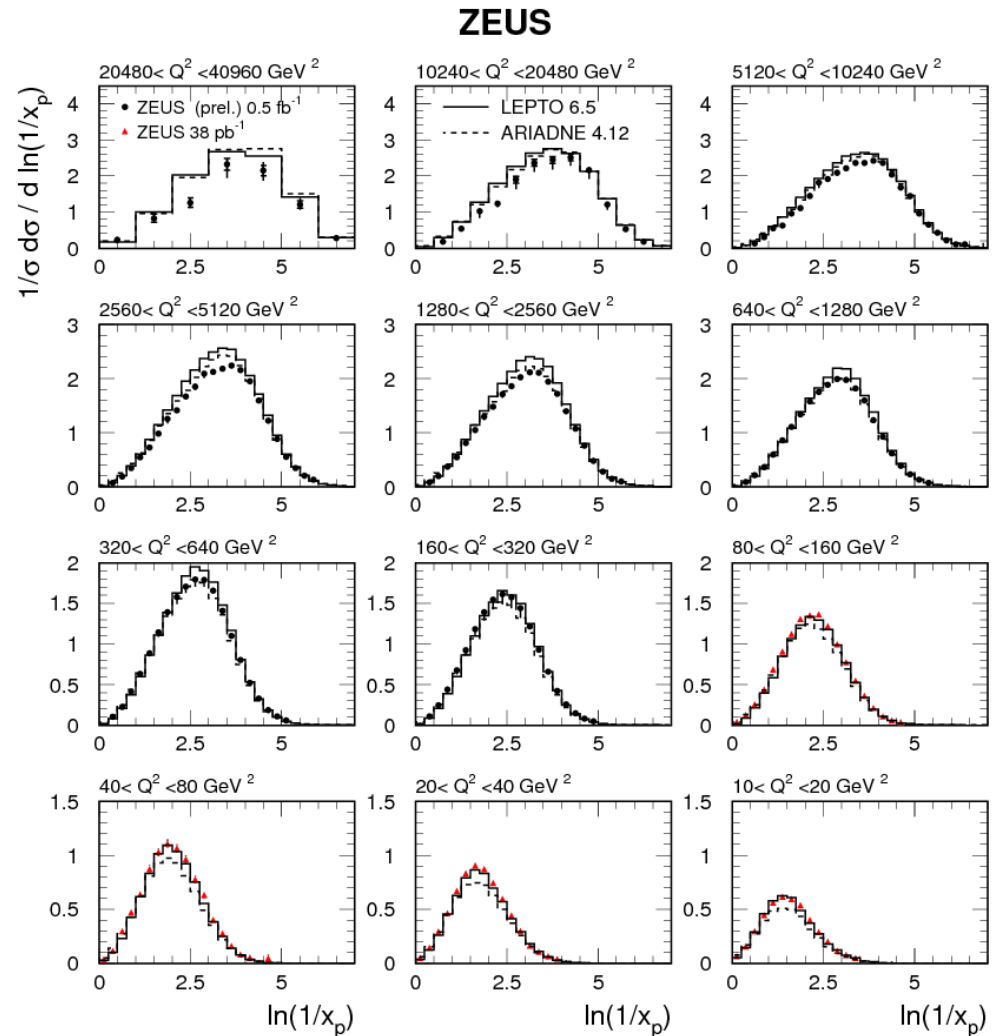
Complete Hera data  $0.5\text{fb}^{-1}$   
 $160 < Q^2 < 41000$ ,  $0.002 < x < 0.75$   
 + earlier data  $10 < Q^2 < 160 \text{ GeV}^2$

Tracks:  $p_T > 150 \text{ MeV}/c$   $|\eta| < 1.75$   
 Histogram  $x_p = 2p(\text{Breit})/Q$   
 Current region only

excludes  $K^0$ ,  $\Lambda$  decay products

Monte Carlos: reasonable fit.  
 Fail normalisation at highest  $Q^2$

Depletion at low  $x_p$  (high  $\ln(1/x_p)$ )  
 due to destructive interference of  
 soft gluons



# Comparison to MLLA predictions

MLLA+LPHD (Khoze&Ochs,  
Dokshitzer, Khoze, Mueller&Troyan)  
tuned to LEP data (different  
 $b$ -fraction):

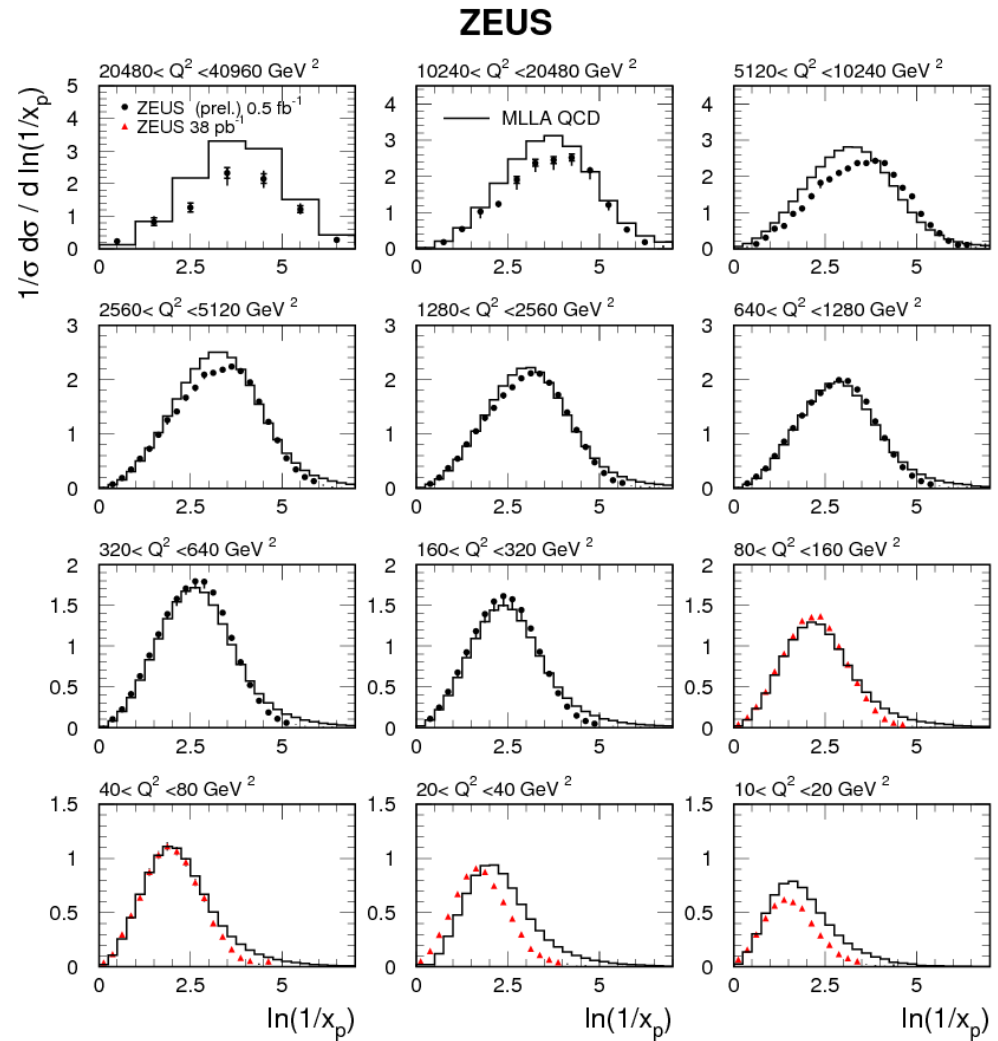
$$Q_0 = \Lambda_{\text{eff}} = 270 \text{ MeV}, K_h = 1.31$$

$$m_{\text{eff}}(\text{hadron}) = Q_0$$

$$K_h = \text{LPHD factor}$$

Predictions reasonable except  
for:

- 1) too-long tail at high  $\ln(1/x_p)$   
and low  $Q^2$
- 2) At high  $Q^2$  peak, shifted too  
much to left in  $\ln(1/x_p)$



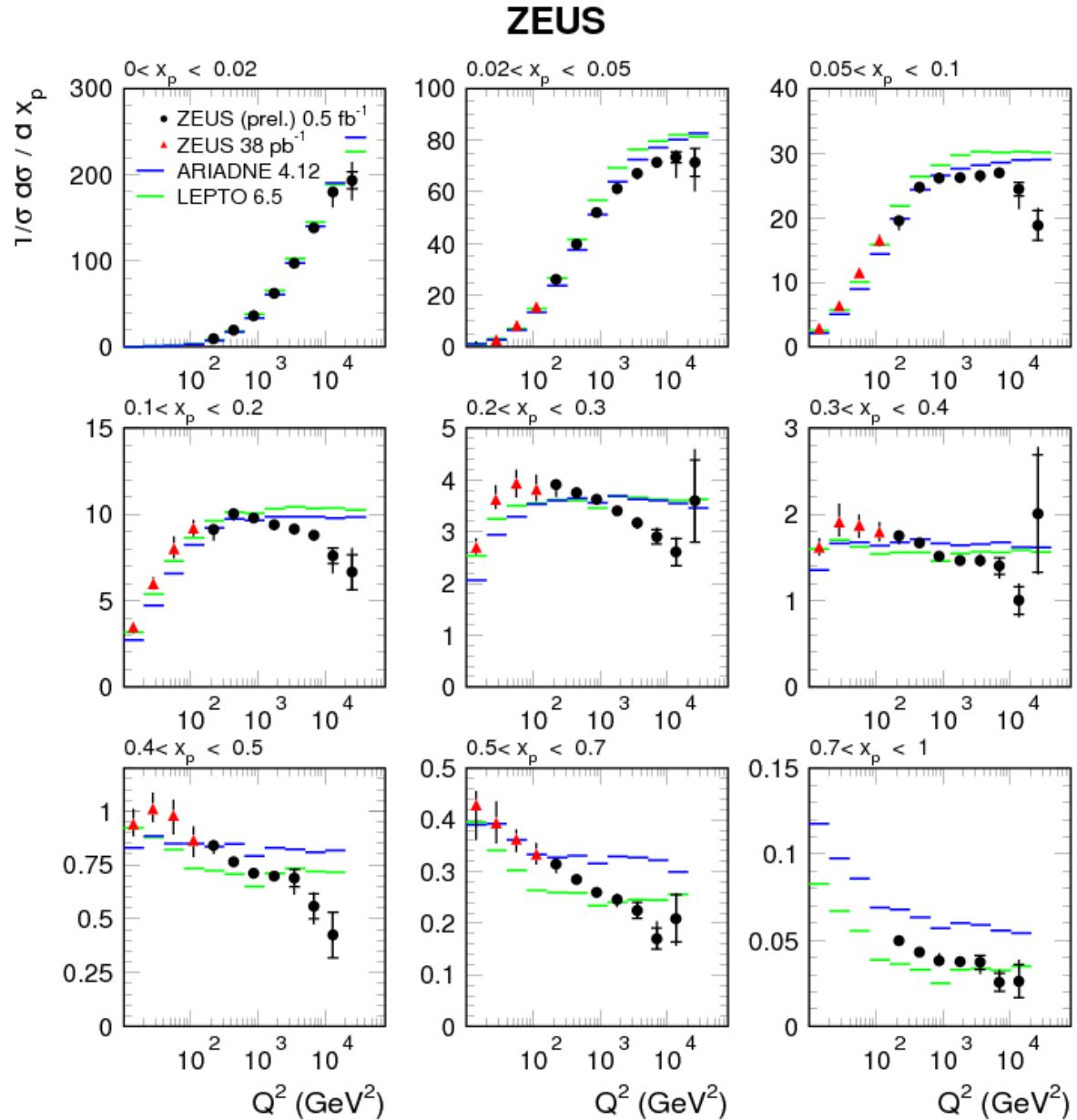
# Scaling violation in fragmentation

$$x_p = 2p(\text{Breit})/Q$$

As expected,  $1/\sigma d\sigma/dx_p$  rises with  $Q^2$  at low  $x_p$  & falls with  $Q^2$  at high  $x_p$

Low  $x_p$  behaviour well-described by MC

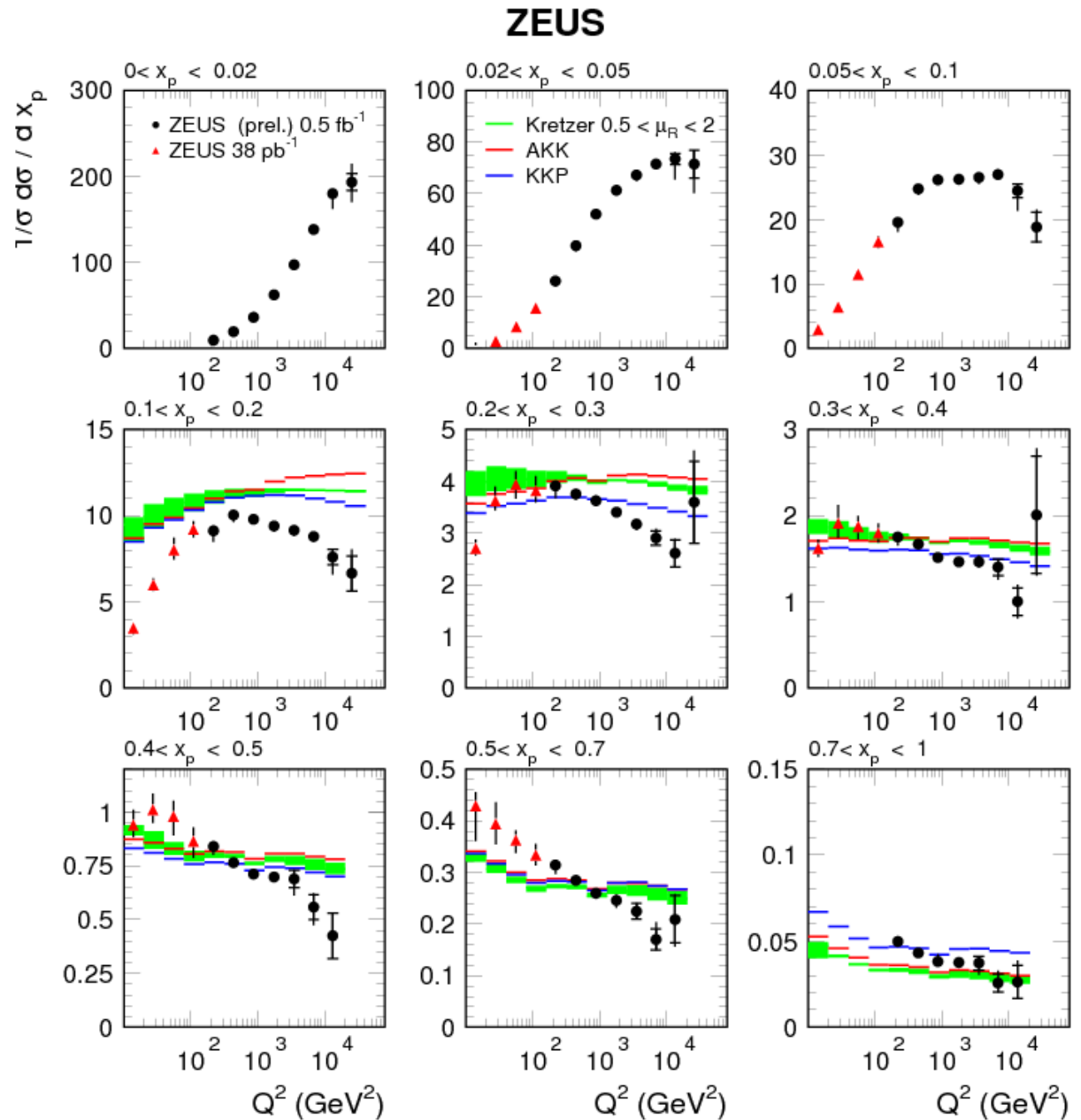
High  $x_p$  data have more variation than predicted by MC



Scaling violation  
compared to  
NLO+FF  
predictions  
based on  $e^+e^-$   
data.

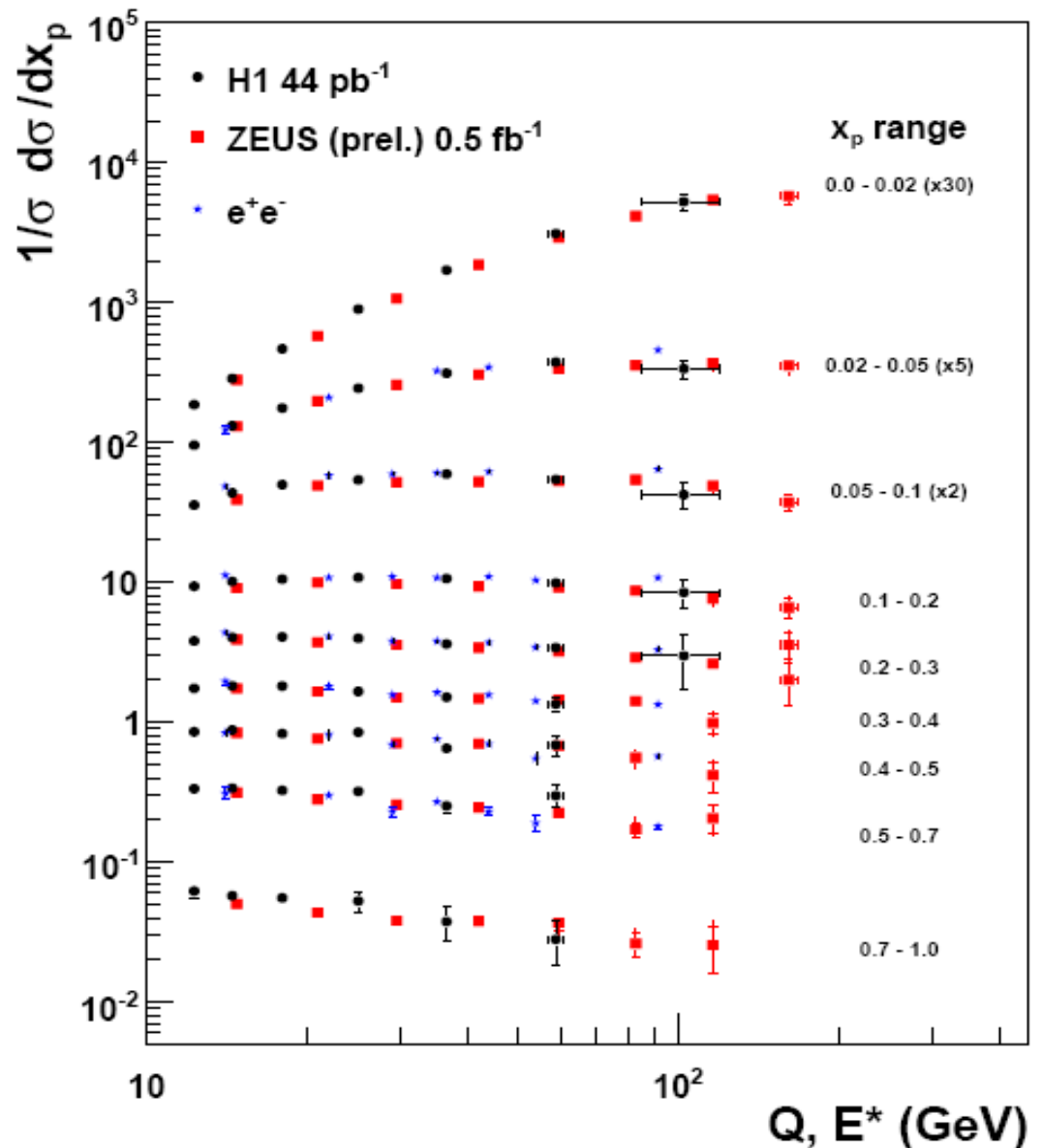
Data log-slope  
steeper than theories  
at all  $x_p$

? Is difference due  
to different  $b$ -  
fraction?



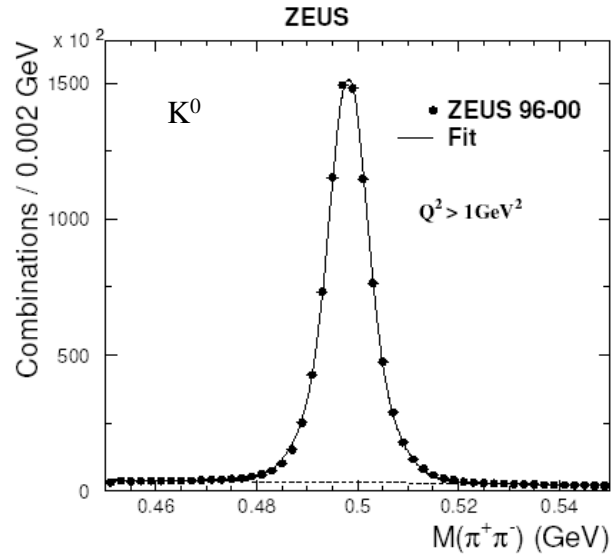
# Scaling violation in fragmentation

ZEUS, H1,  $e^+e^-$  all  
in good agreement

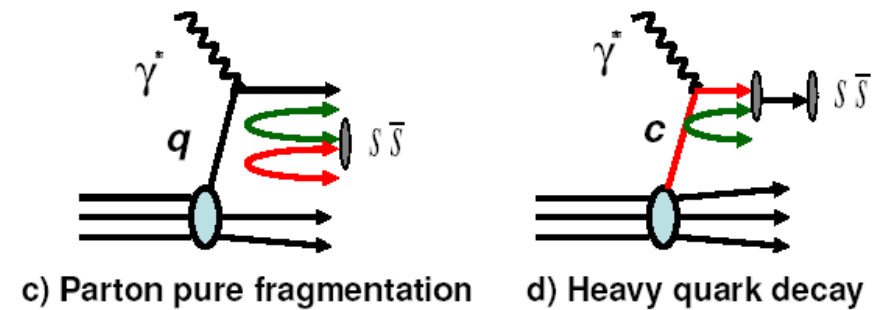
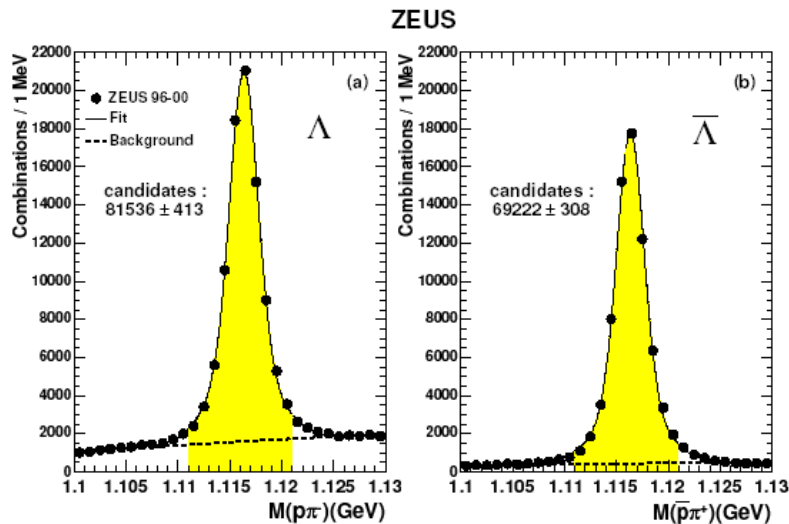
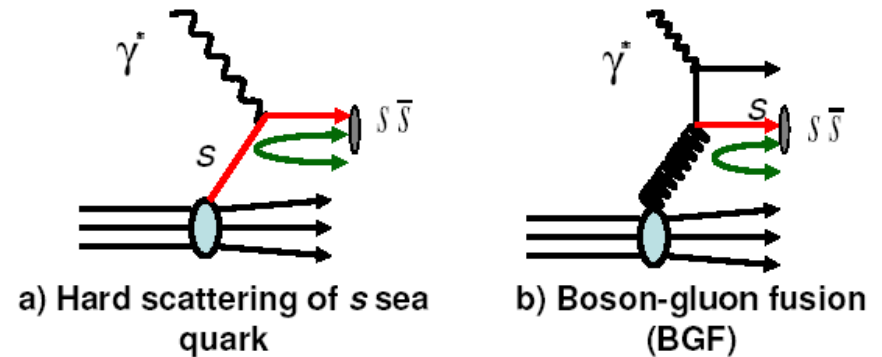


# $K^0, \Lambda^0, \bar{\Lambda}^0$ production

DIS and  
photoproduction



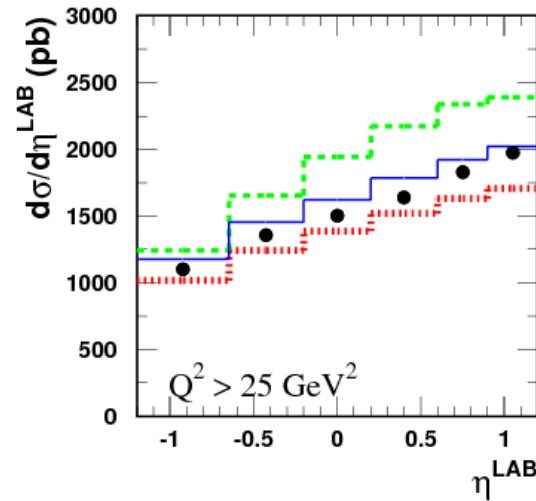
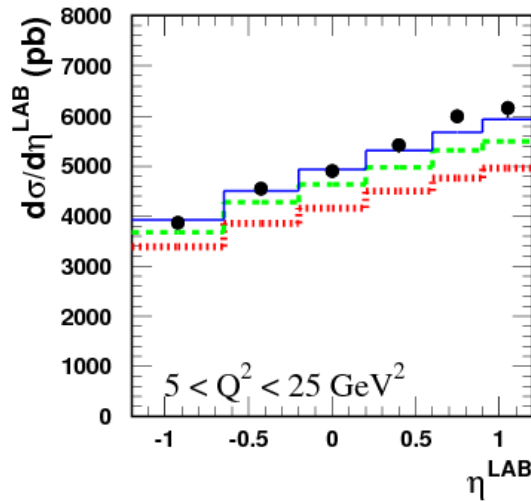
Reconstruct using central tracking detector



(C Liu)



# $K_s^0$ production in DIS

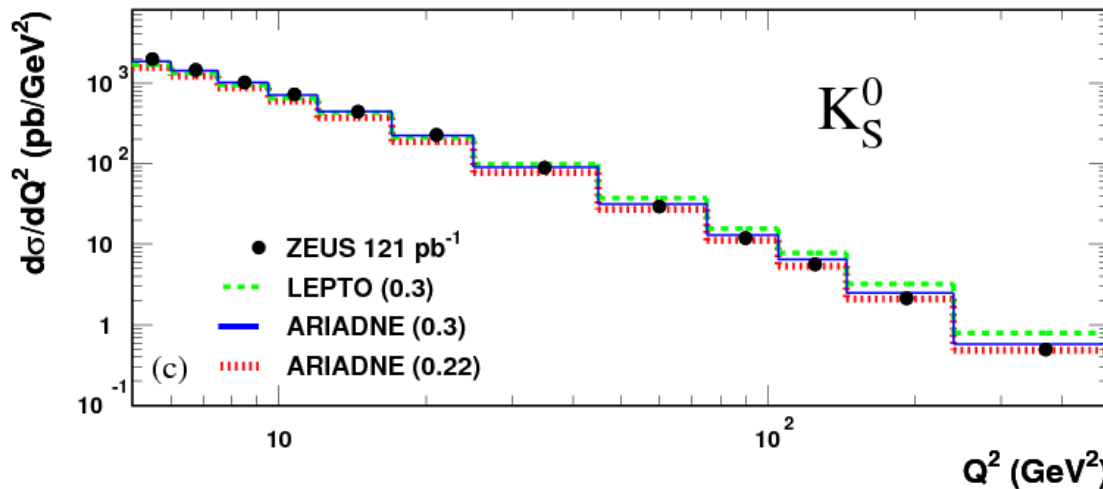


$$0.6 < p_t^{\text{LAB}} < 2.5 \text{ GeV}$$

$$|\eta^{\text{LAB}}| < 1.2$$

Two  $Q^2$  ranges,  $0.02 < y < 0.95$

$p_t^{\text{LAB}}, \eta^{\text{LAB}}, x_{Bj}, Q^2$  distributions



General agreement with MC

No glitch at  $Q^2 = 25 \text{ GeV}^2$  –  
 data sets fit smoothly together

Not possible to tune ( $s/u$ ) ratio in  
 either Ariadne or Lepto.

# $K_S^0$ in photoproduction

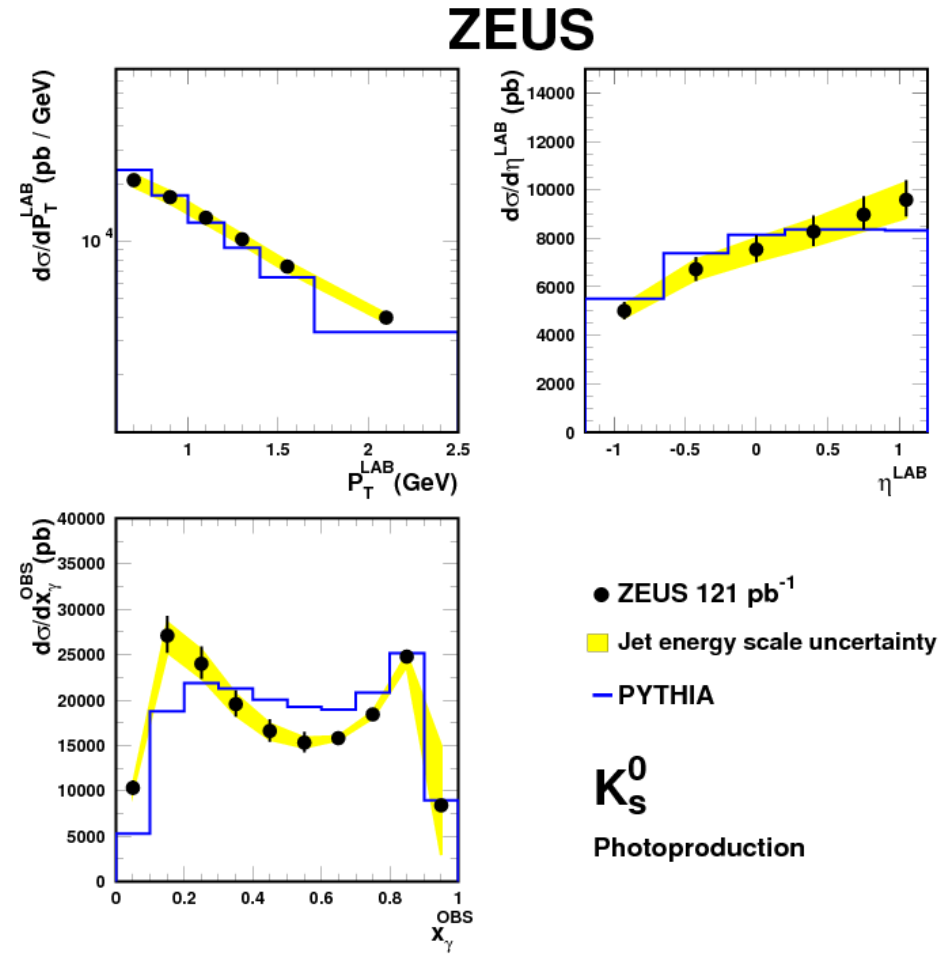
$$0.6 < p_t^{\text{LAB}}, 2.5 |\eta^{\text{LAB}}| < 1.2$$

$$Q^2 < 1 \text{ GeV}^2, 0.2 < y < 0.85$$

$$2 \text{ or more jets with}$$

$$E_T^{\text{jet}} > 5 \text{ GeV and } |\eta^{\text{jet}}| < 2.4$$

Excellent agreement with MC

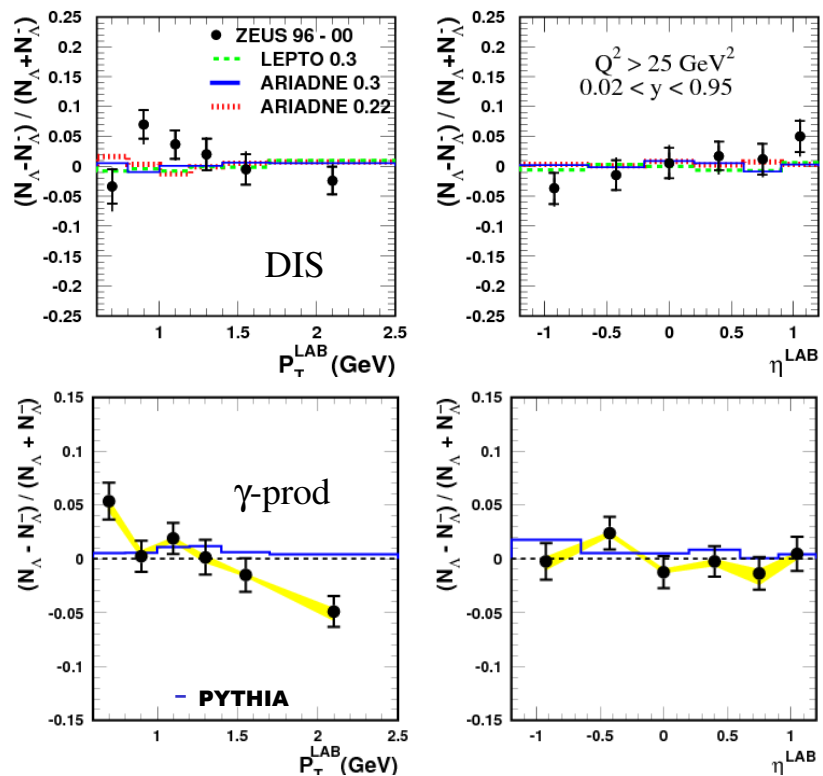


**Figure 7:** Differential  $K_S^0$  cross sections as a function of  $P_T^{\text{LAB}}$ ,  $\eta^{\text{LAB}}$  and  $x_\gamma^{\text{OBS}}$ , in the range  $0.6 < P_T^{\text{LAB}} < 2.5 \text{ GeV}$  and  $|\eta^{\text{LAB}}| < 1.2$  for events with  $Q^2 < 1 \text{ GeV}^2$ ,  $0.2 < y < 0.85$  and at least two jets both satisfying  $E_T^{\text{jet}} > 5 \text{ GeV}$  and  $|\eta^{\text{jet}}| < 2.4$ . Statistical errors are shown, unless smaller than the point size, together with the systematic uncertainty arising from the trigger efficiency added in quadrature. The uncertainty arising from the jet energy scale is also shown (shaded band). The solid histogram shows the prediction from PYTHIA (with multiple interactions), normalised to the data.

$$(\Lambda - \bar{\Lambda}) / (\Lambda + \bar{\Lambda})$$

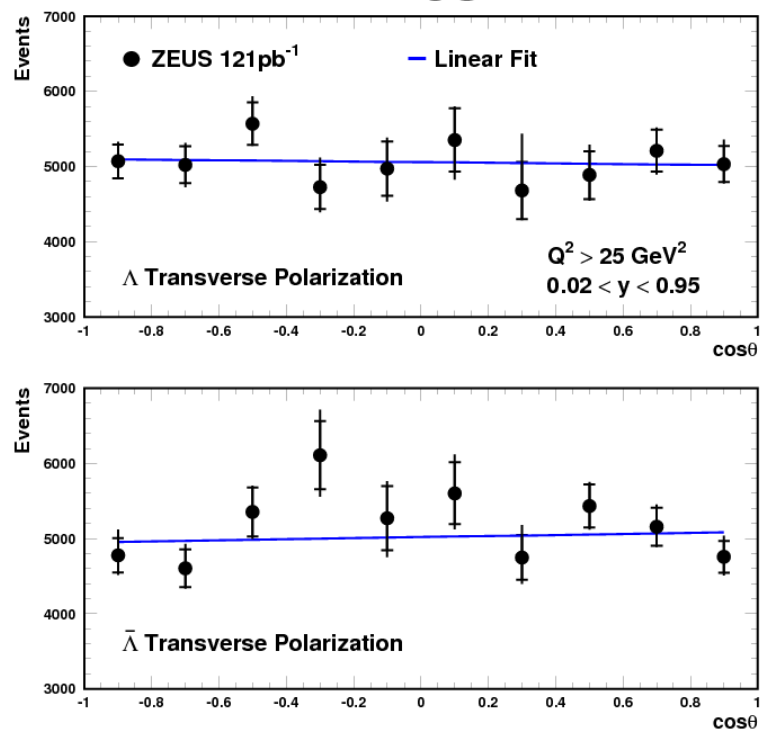
polarisation?

ZEUS



$$N(\Lambda) = N(\bar{\Lambda})$$

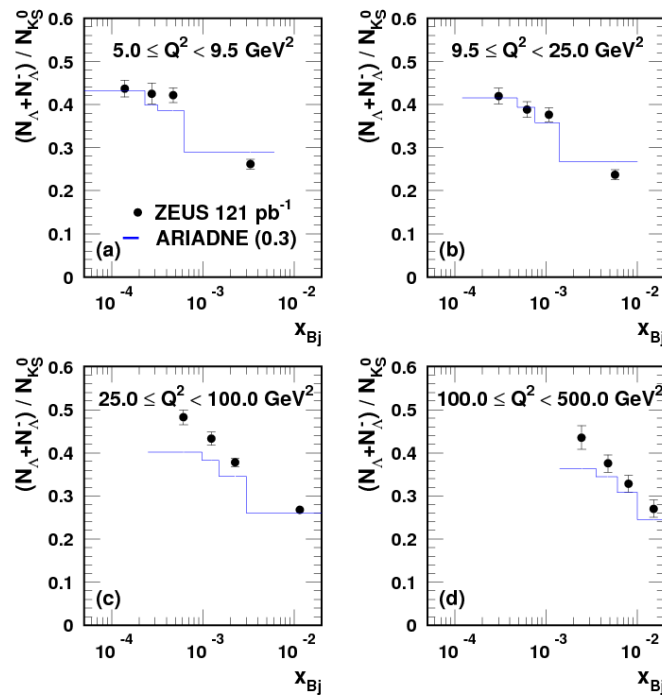
ZEUS



No evidence for polarisation

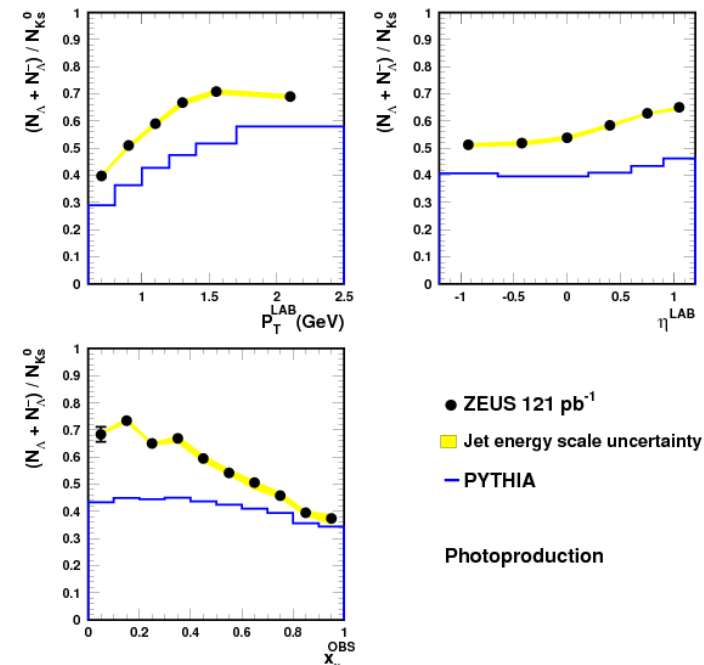
$$-(\Lambda + \bar{\Lambda})/K_s^0$$

ZEUS



DIS – MC close to data

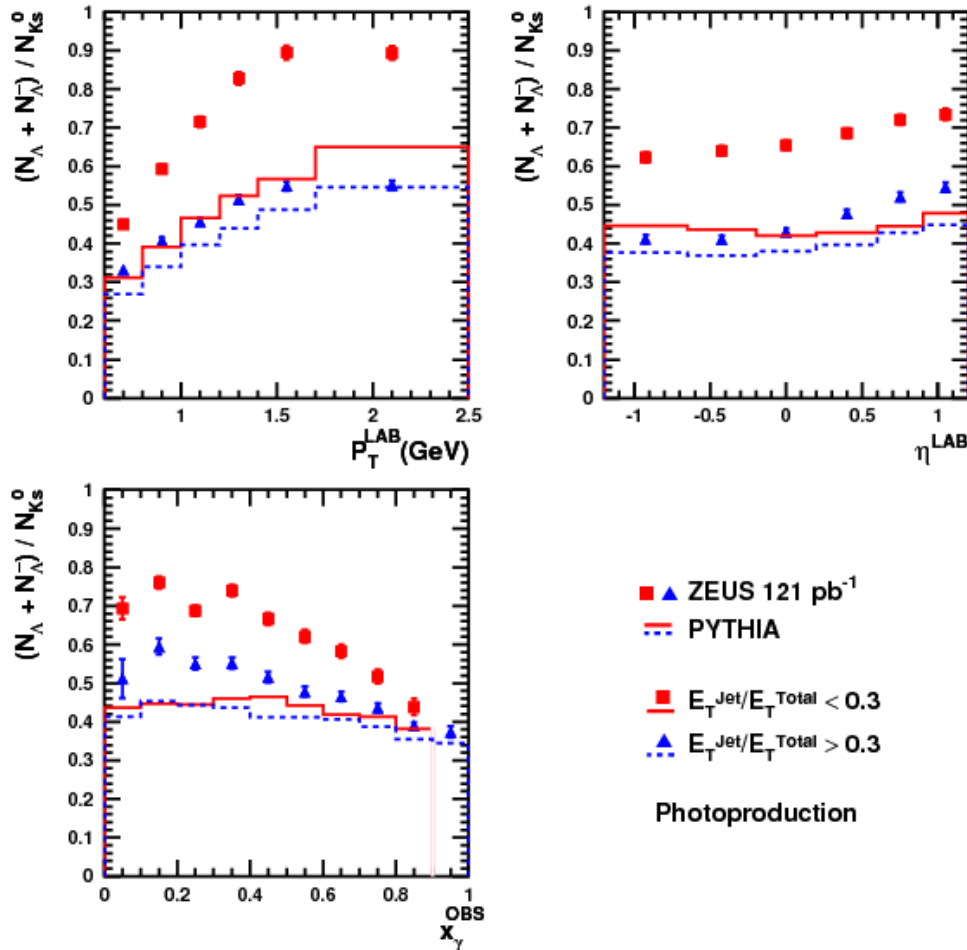
ZEUS



Photoproduction – data above MC. Why?

# $(\Lambda + \bar{\Lambda})/K^0_s$ : photoproduction

ZEUS



$0.6 < p_T^{\text{LAB}} < 2.5 \text{ GeV/c}$ ,  $|\eta^{\text{LAB}}| < 1.2$   
 $Q^2 < 1 \text{ GeV}^2$ ,  $0.2 < y < 0.85$ .  
 $\geq 2$  jets: each with  
 $E_T^{\text{jet}} > 5 \text{ GeV}$  and  $|\eta^{\text{jet}}| < 2.4$

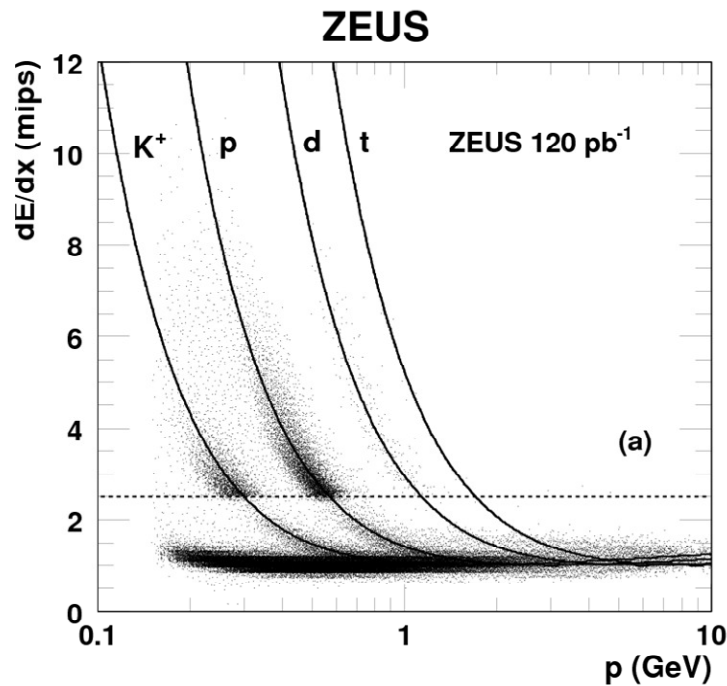
Define 2 event classes:

**Fireball depleted.** For jet of highest  $E_T$ ,  $E_T^{\text{jet}}/E_T^{\text{Total}} > 0.3$ :  
baryon/meson ratio agrees with  
**PYTHIA**

**Fireball enriched.** For jet of highest  $E_T$ ,  $E_T^{\text{jet}}/E_T^{\text{Total}} < 0.3$ :  
baryon/meson ratio well above  
**PYTHIA**

Suggests new production  
mechanism. Excess also seen in  $\Lambda_c$

# DIS: $p, \bar{p}, d, \bar{d}, t$ production

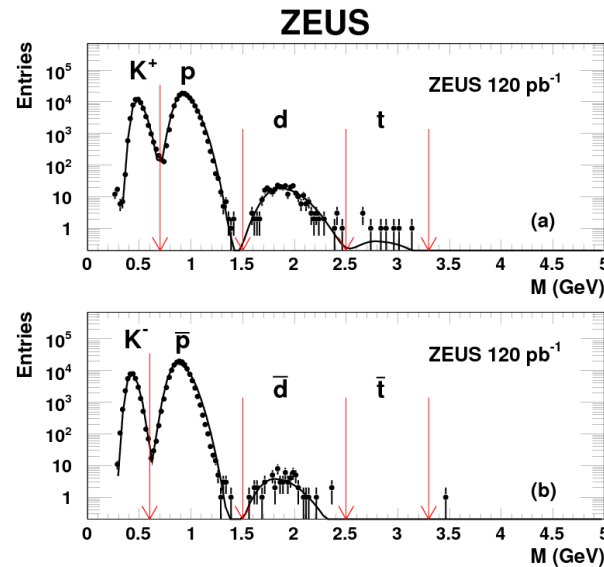


Identify low-momentum charged particles by  $dE/dx$  in CTD.

Eliminate background by demand tracks come from production vertex

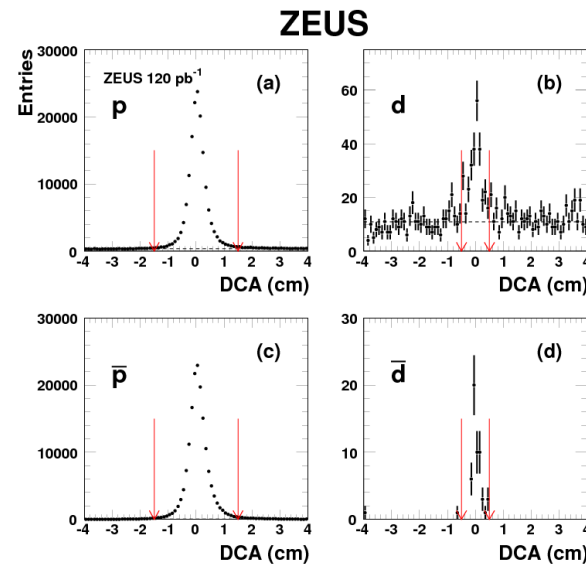
anti- $d$ : physics beyond standard fragmentation

Nothing heavier than  $t$  seen.



Results for  $0.3 < p_T/M < 0.7$

40 CTD hits – limits  $|\eta|$



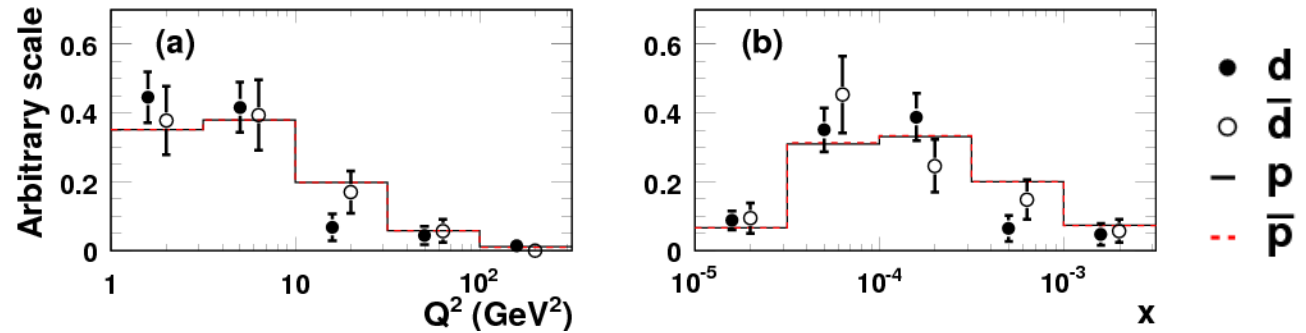
$xy$ -dist of closest approach after cut  $|\Delta Z| < 1$  cm

# DIS: $p, \bar{p}, d, \bar{d}, t$ production

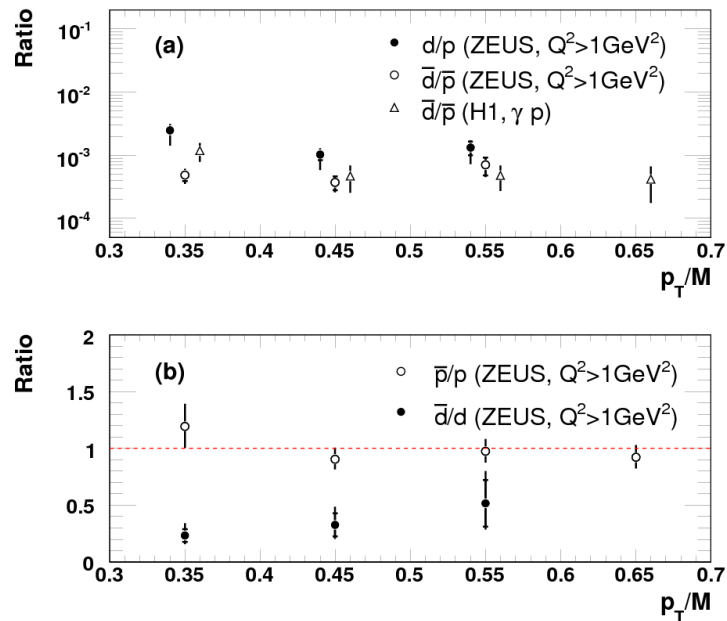
ZEUS 120 pb<sup>-1</sup>

$$\bar{p}/p = 1.05 \pm 0.01^{+0.15}_{-0.14}$$

$$\bar{d}/d = 0.31 \pm 0.05^{+0.11}_{-0.06}$$



ZEUS



Coalescence model:

$$\frac{1}{\sigma} \frac{d^3\sigma(d)}{d^3p} = B_2 \left( \frac{1}{\sigma} \frac{d^3\sigma(p)}{d^3p} \right) \left( \frac{1}{\sigma} \frac{d^3\sigma(n)}{d^3p} \right)$$

Expect  $B_2(\bar{d}) = B_2(d)$

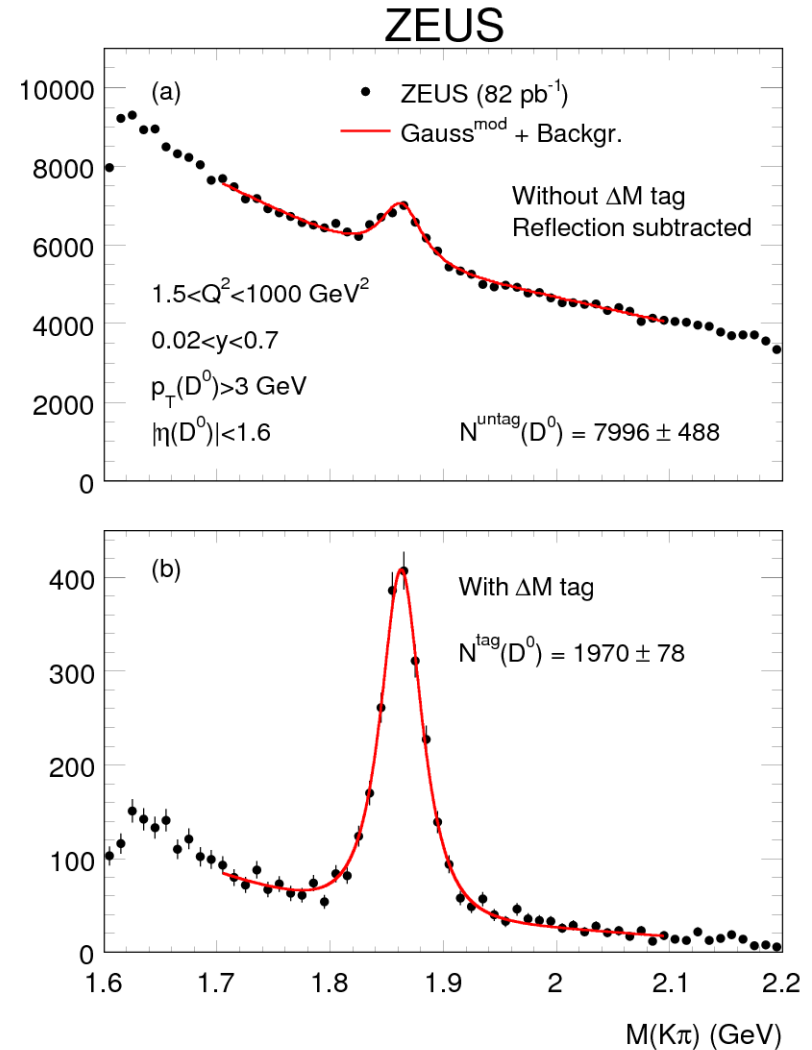
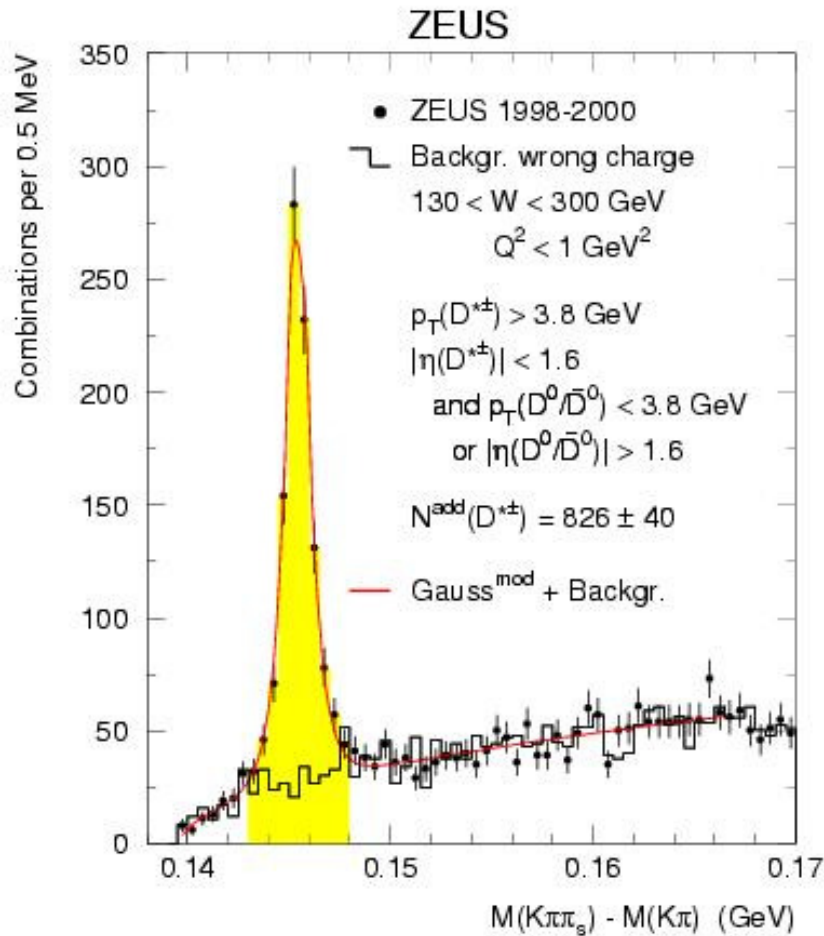
Find  $B_2(d) = 3.32 \pm 0.34^{+1.13}_{-1.55}$

$$B_2(\bar{d}) = 0.89 \pm 0.14^{+0.19}_{-0.20}$$

# Charm production

$D^{*+}$ ,  $D^+$ ,  $D^0$ ,  $D_s^+$ ,  $\Lambda_c^+$  observed

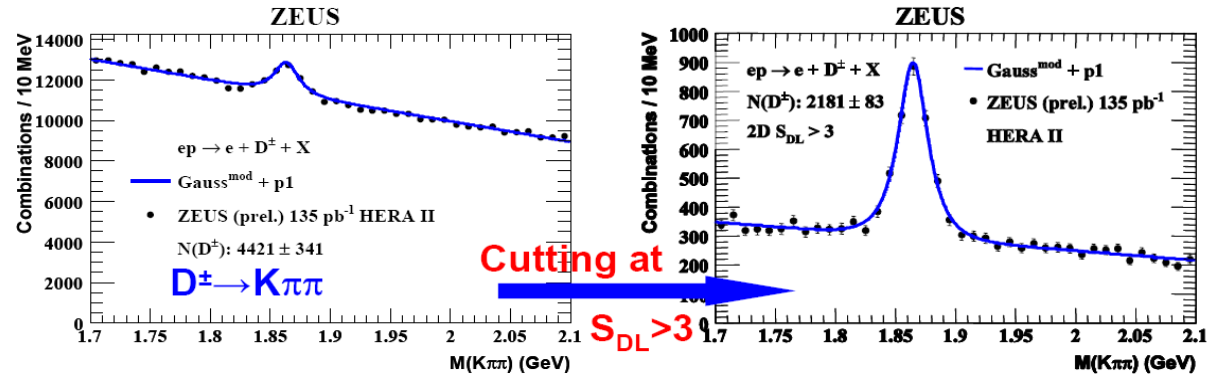
$D^0 \rightarrow K^- \pi^+$  with and without  
 $D^{*+} \rightarrow D^0 \pi^+$  tag





$$D^{\pm} \rightarrow K^{-}\pi^{+}\pi^{+}$$

No  
vertex  
cut

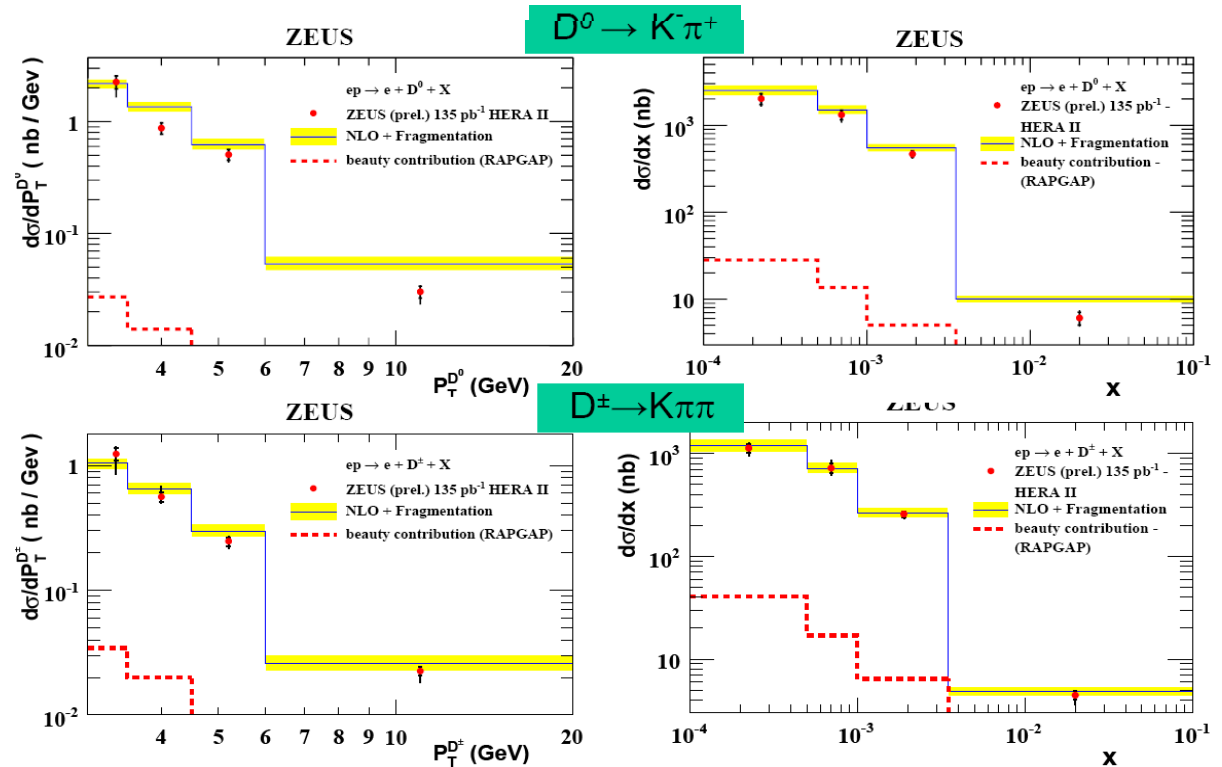


Using decay  
length  
significance  
cut

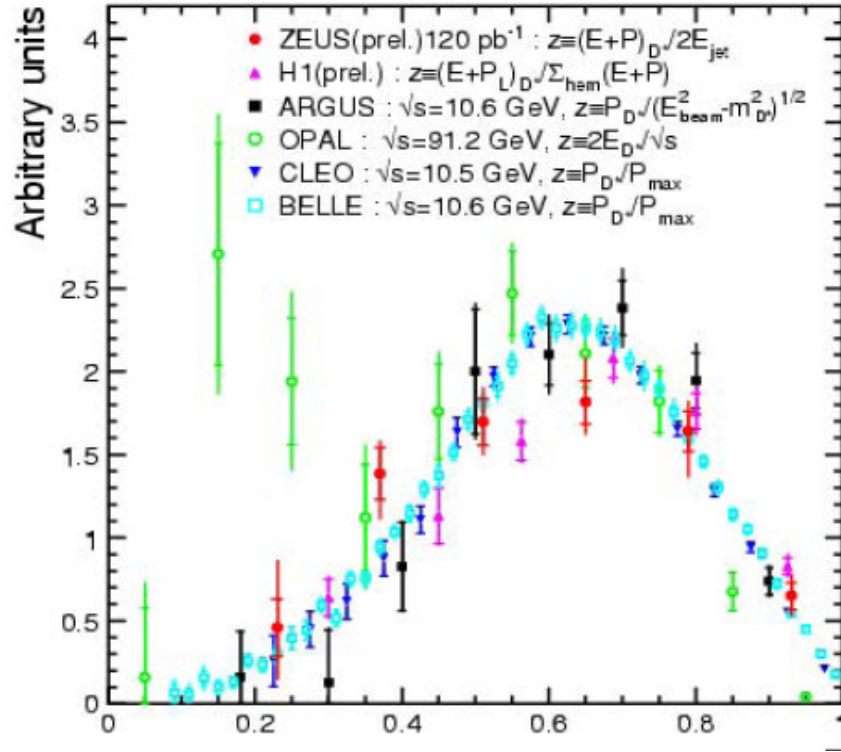
$p_T(D)$  and  $x$   
distributions for  
 $D^0$  and  $D^+$

Fair agreement  
with (NLO +  
fragmentation.)

Can extract  $F_2^{cc}$

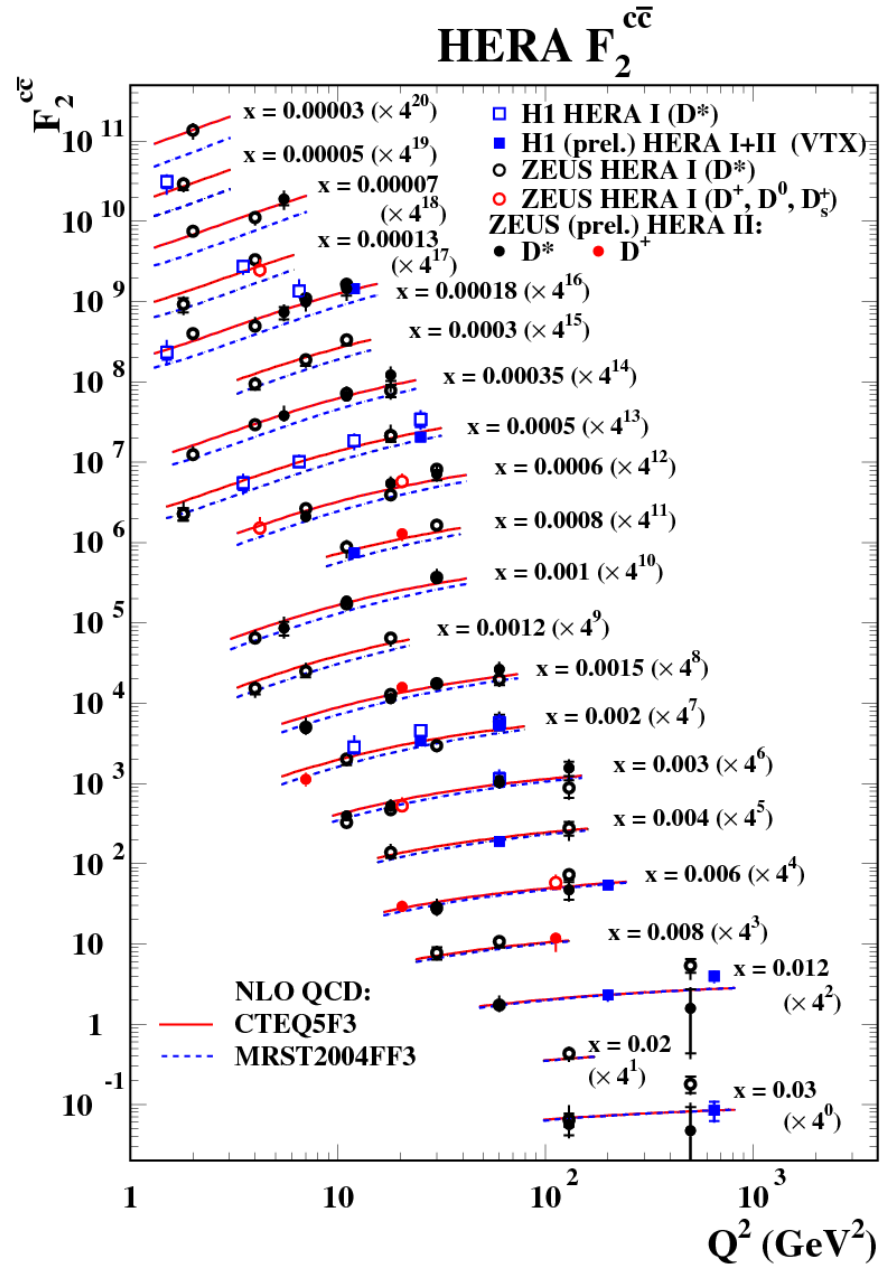


# Fragmentation & $F_2^{c\bar{c}}(x)$



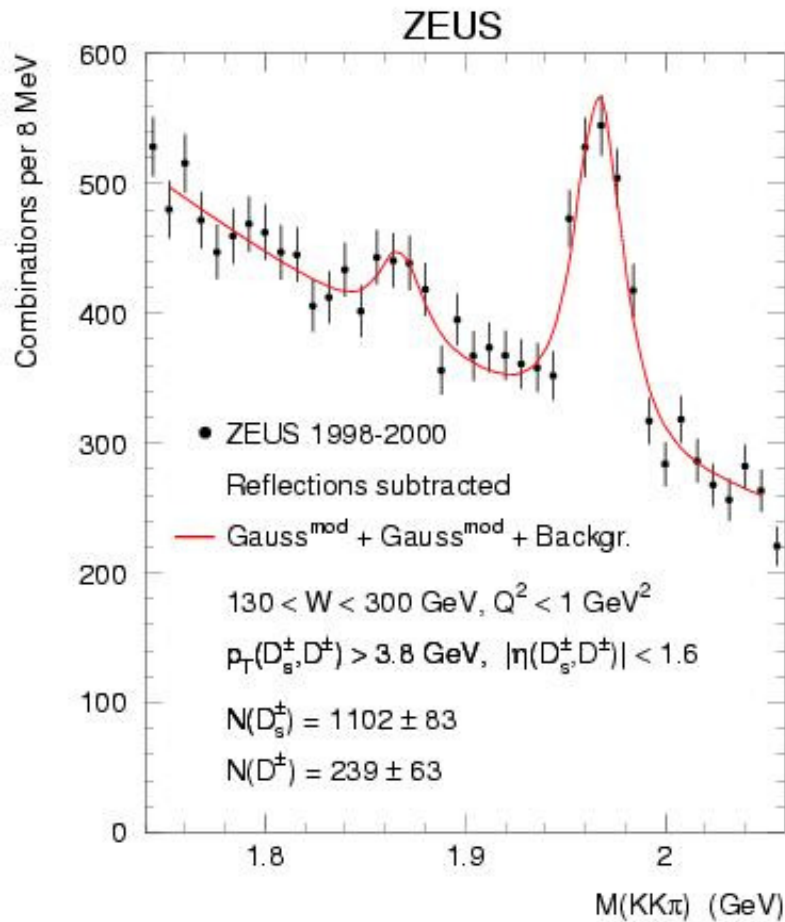
$$z = \{E+P\}(D^{*\pm})/2E(jet)$$

OPAL includes  
 $g \rightarrow c\bar{c}$ . Subtract  $b \rightarrow c$

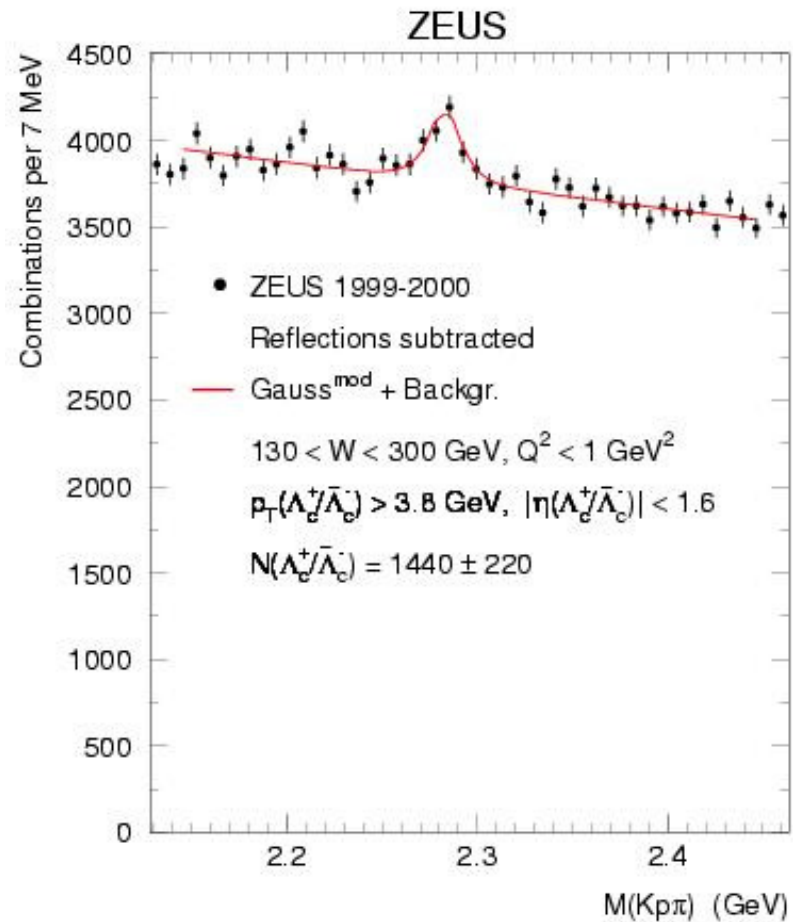


$$D_s^\pm \rightarrow \phi \pi^\pm, \phi \rightarrow K^+ K^-$$

$$\Lambda_c^+ \rightarrow p K^- \pi^+ \text{ signals}$$

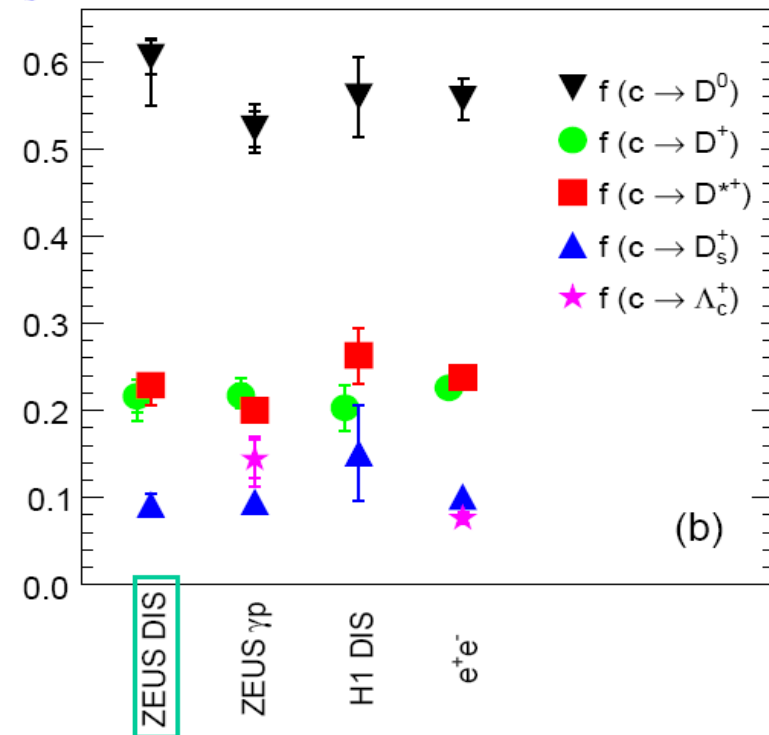
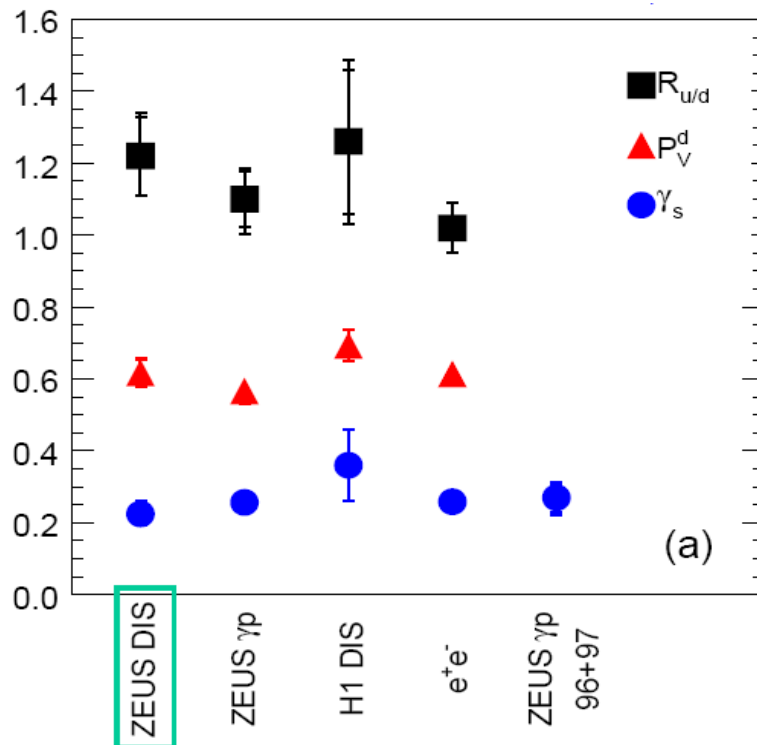


$M(KK)$  within 8 MeV of  $\phi$  mass



$dE/dx$  info used for particle ID

# Charm fragmentation parameters



$R_{u/d}$ : ratio of neutral/charged  $D$  production (not via  $D^*$ )

$P_V^d$ : fraction of  $D^+$  produced in vector state (naively 0.75)

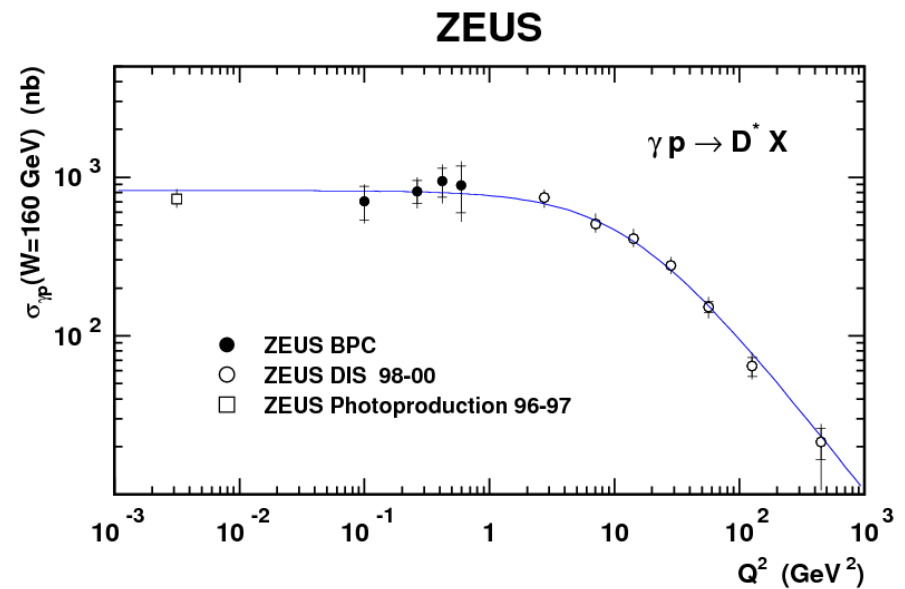
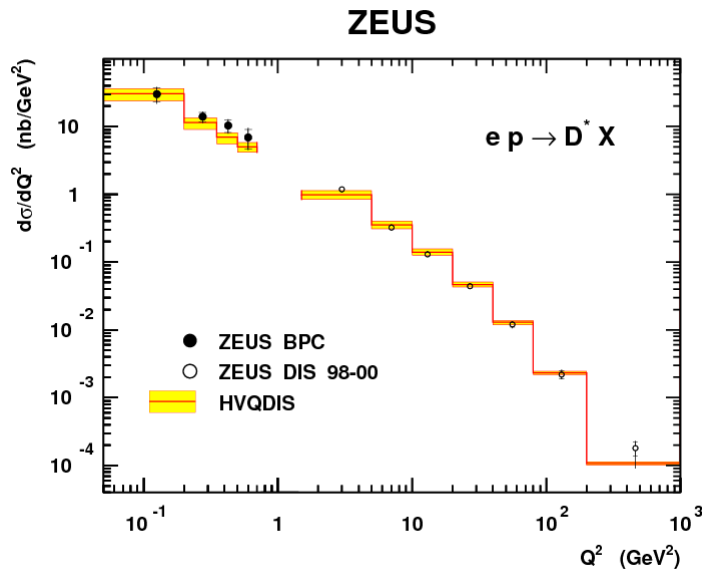
$\gamma_s$ : strangeness suppression factor

$\Lambda_c$  enhanced  
relative to  $e^+e^-$

*cf*  $\Lambda$  in resolved  
photoproduction

# $D^{*\pm}$ production: $0.05 < Q^2 < 0.7 \text{ GeV}^2$

Measure recoil electron in Beam-Pipe Calorimeter:  
covers transition photoproduction to DIS



$\gamma p \rightarrow D^* X$ : fit to

$$\sigma(Q^2) = SM^2/(Q^2 + M^2)$$

Fit  $M^2 = 13 \pm 2 \text{ GeV}^2 \sim 4m_c^2$

*cf* inclusive  $M^2 = 0.52 \pm 0.05 \text{ GeV}^2$

# Excited charm and charm-strange mesons

ZEUS:

$$D_1(2420)^0, D_2(2460)^0 \rightarrow D^{*+}\pi_a^-$$

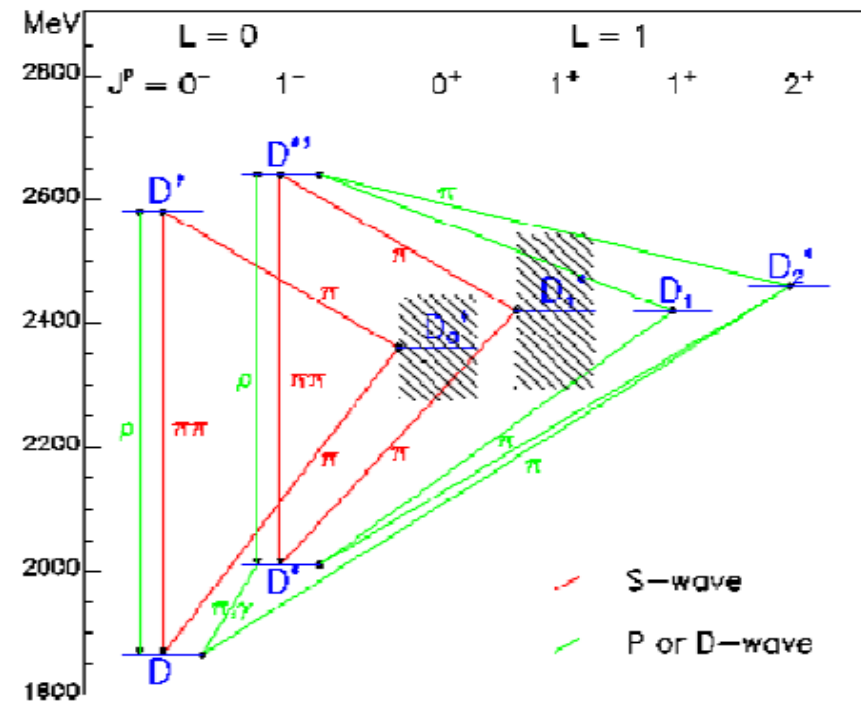
$$D_2(2460) \rightarrow D^+\pi_a^-$$

$$D_{s1}^+(2536) \rightarrow D^{*+}K_s^0$$

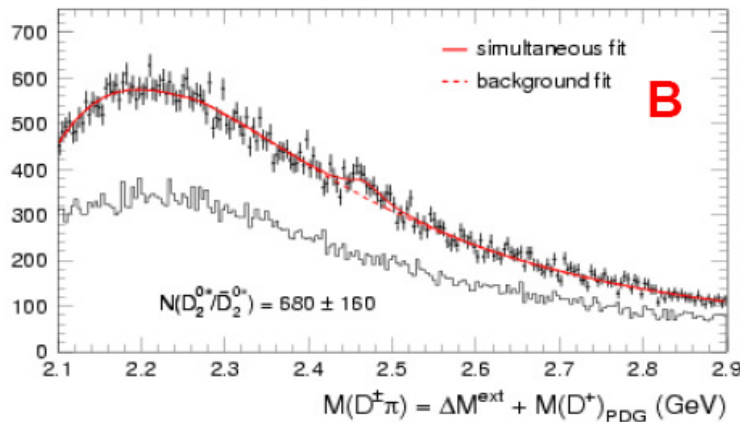
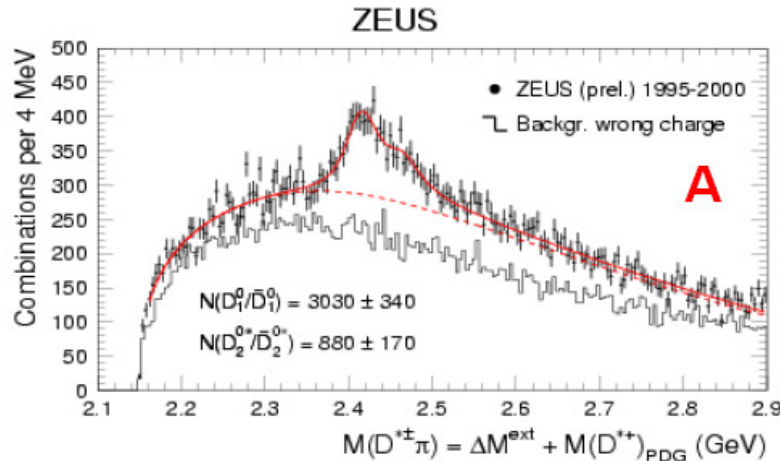
$$D_{s1}^+(2536) \rightarrow D^0K^+$$

Aim to measure masses, widths, fragmentation functions, helicity dependence

Spectroscopy of D mesons

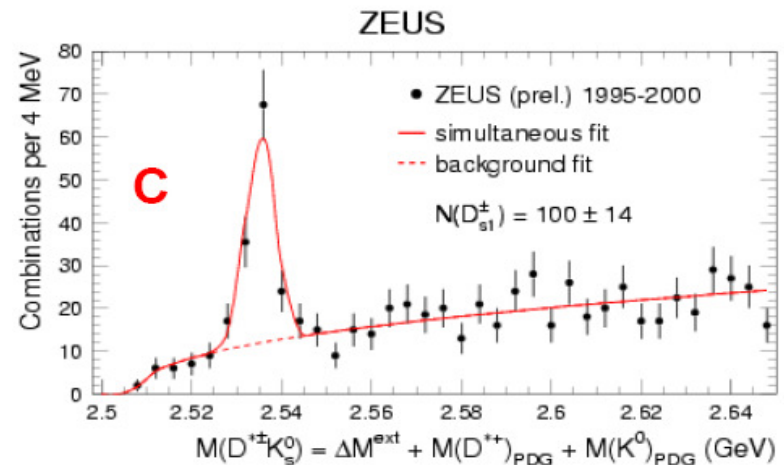


# Excited charm and charm-strange mesons



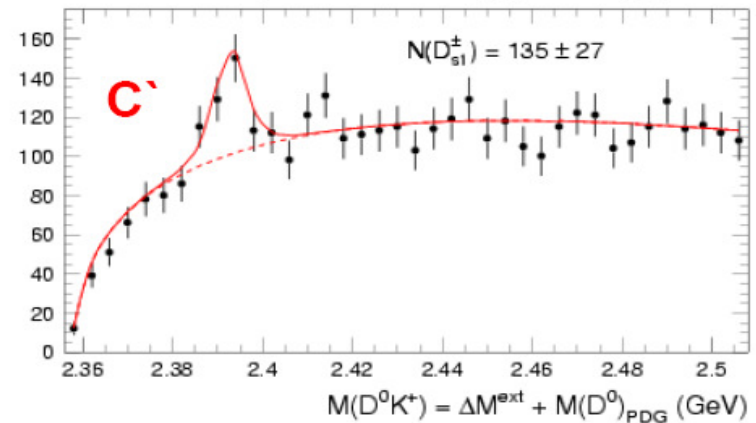
A:  $D^{*+}\pi^-$  see  $D_1(2420)^0$  &  $D_2(2460)^0$

B:  $D^+\pi^-$  see  $D_2(2460)^0$



C:  $D^{*+}K_s^0$  see  $D_{s1}(2536)^{\pm}$

C':  $D^0 K^+$  see  $Ds1+(2536)$





# Branching ratios & helicity measurements

$$f(c \rightarrow D_1^0) = 3.5 \pm 0.4 + 0.4 - 0.6 \pm 0.2\%$$

$$f(c \rightarrow D_2^{*0}) = 3.8 \pm 0.7 \pm 0.6 \pm 0.2\%$$

$$f(c \rightarrow D_{s1}^+) = 1.1 \pm 0.2 \pm 0.1 \pm 0.1\%$$

Consistent with  $e^+e^-$  results

---

$\alpha$  = angle between  $\pi$  and  $\pi_s$  momenta  
in the  $D^*$  rest frame

$$dN/d\cos\alpha \sim (1 + R \cos^2\alpha)$$

$$R(D_1^0) = 6.1 \pm 2.3^{+2.0}_{-0.8} \quad \text{HQET: } +3$$

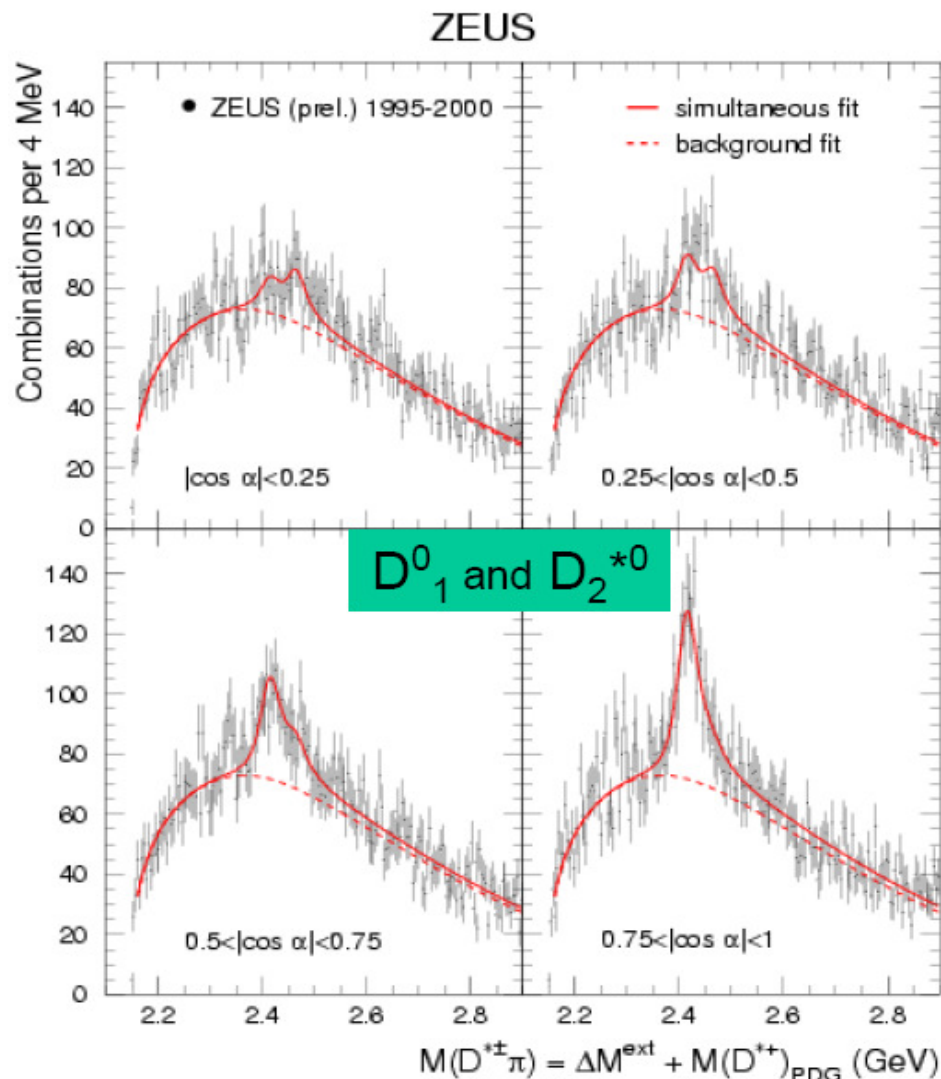
$$R(D_{s1}^+) = -0.74^{+0.23}_{-0.17} \pm 0.06$$

HQET: 0 – hardly consistent

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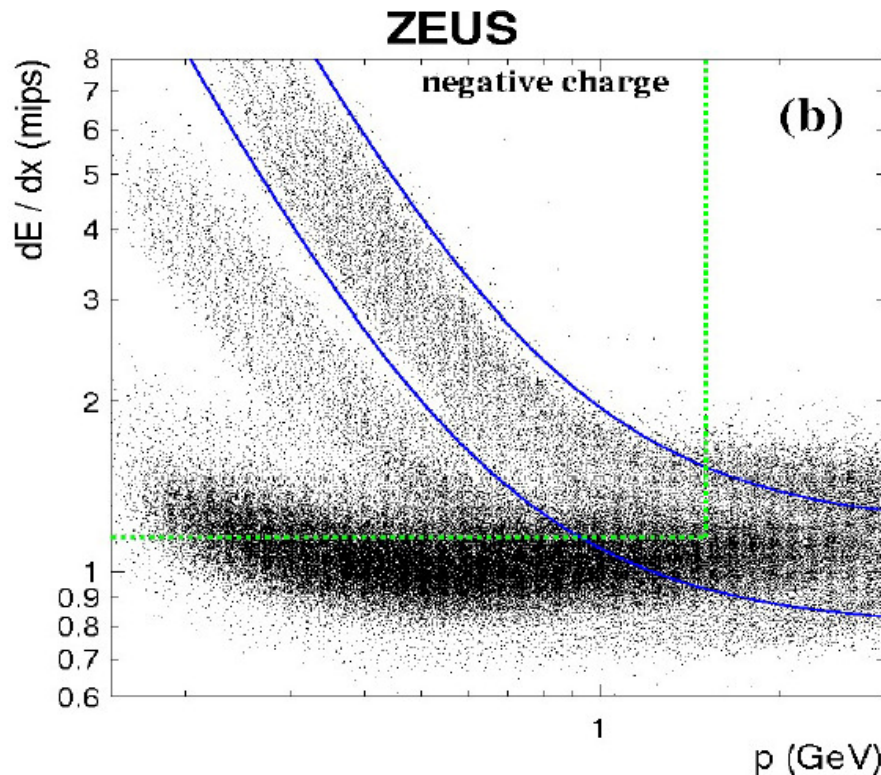
**Search for  $D^{*+}(2640) \rightarrow D^{*+}\pi^+\pi^-$**

$f(c \rightarrow D^{*+}) \text{BR}(D^{*+} \rightarrow D^{*+}\pi^+\pi^-) < 0.45\%$  (0.9% lower than OPAL limit,  
 $5\sigma$  at DELPHI)





# Baryons decaying to strange particles

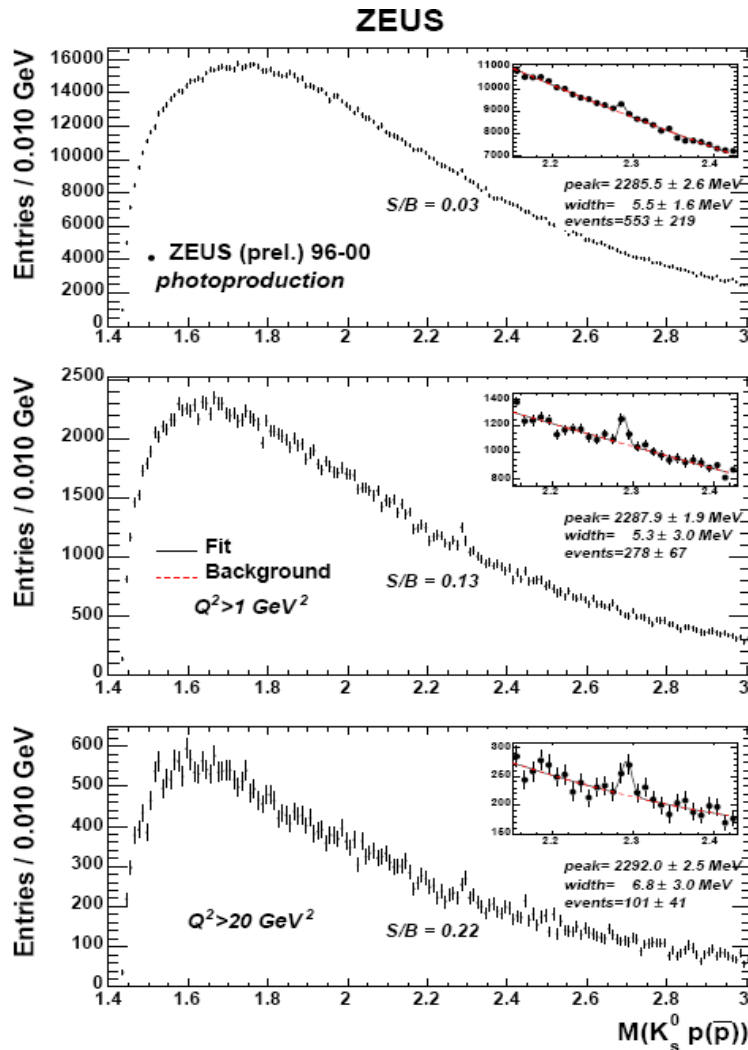


$p, \bar{p}, K^+, K^-$  reconstruction:  
 tracks from primary vertex  
 $dE/dx$  identification:  
 ZEUS – region method  
 in blue band  
 and  $dE/dx > 1.5$  mips  
 and  $p < 1.5$  GeV

$K_s^0 \rightarrow \pi^+ \pi^-$  : secondary vertex.  
 $p_T(K_s^0) > 0.3$  GeV,  $|\eta(K_s^0)| < 1.5$   
 exclude Dalitz pairs,  $\gamma$ -conversions  
 exclude  $\Lambda$  candidates

$K_s^0 p$  mass resolution 2.4 MeV

# $K_s^0 p$ mass spectra ( $\Lambda^*, \Sigma^*, \Lambda_c$ , pentaquark)



Combinatorial backgrounds higher in  $\gamma p$  ( $\langle n_{ch} \rangle$  higher) & low  $Q^2$

Mass peaks:

$\Theta^+(1520)$  candidate in DIS

$\Lambda_c(2286)$  in PHP and DIS

seen equally in  $Kp$ ,  $Kpbar$

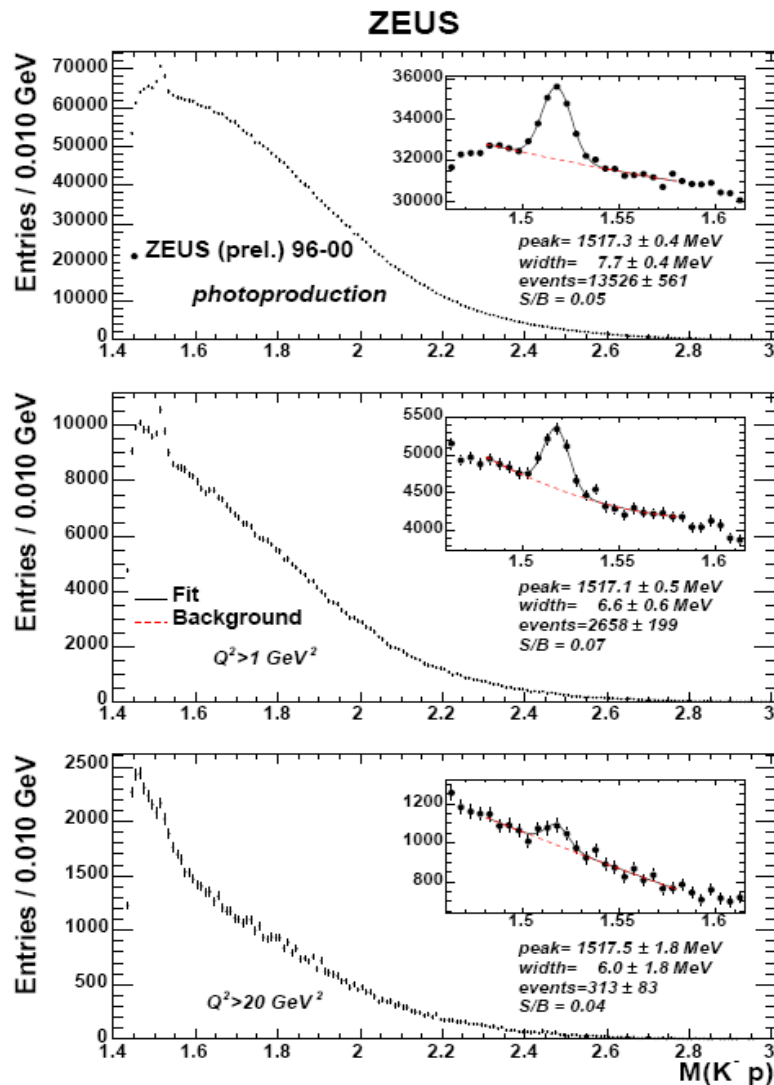
( $162 \pm 36$ ,  $116 \pm 38$  ev)

seen equally  $\eta > 0$ ,  $\eta < 0$

( $131 \pm 40$ ,  $145 \pm 34$  ev)

Consistent with  $\gamma^* g \rightarrow c\bar{c}$

# $K^-p, K^+p$ mass spectra ( $\Lambda(1520)$ )



Mass peak:

$\Lambda(1520)$  in PHP and DIS

seen equally in  $Kp, Kpbar$

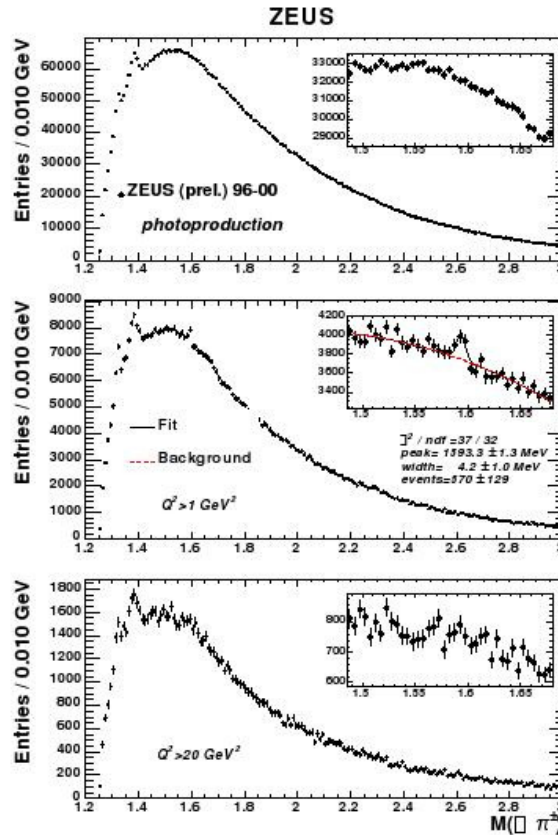
( $1207 \pm 143, 1402 \pm 142$  ev)

seen equally  $\eta > 0, \eta < 0$

( $1337 \pm 151, 1246 \pm 127$  ev)

Consistent with  $\gamma^* g \rightarrow qq$

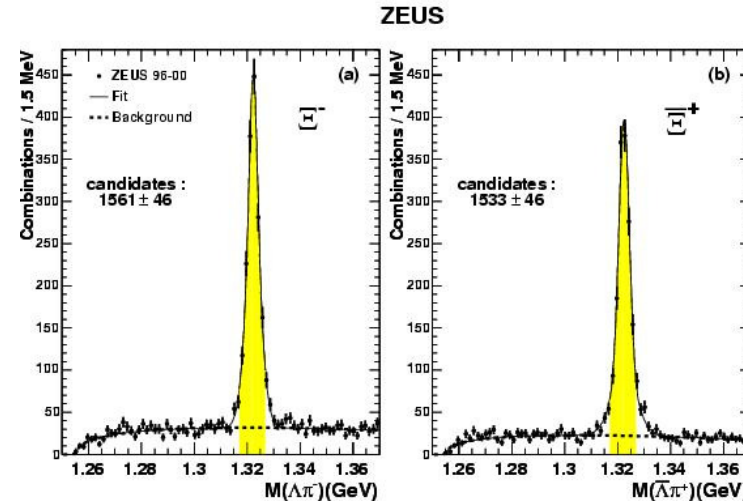
# $\Lambda^0\pi^\pm$ mass spectra ( $\Xi, \Sigma^*$ )



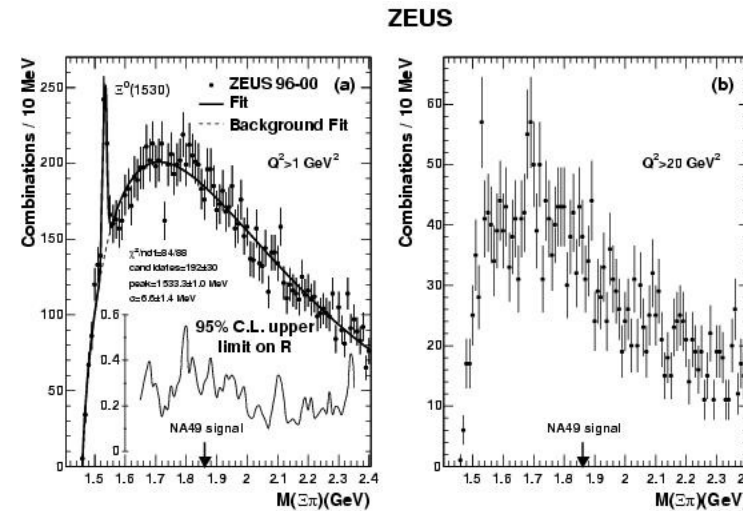
Observe:  $\Xi(1320) \Sigma^*(1385)$

No peak in  $\Theta^+(1520)$  region

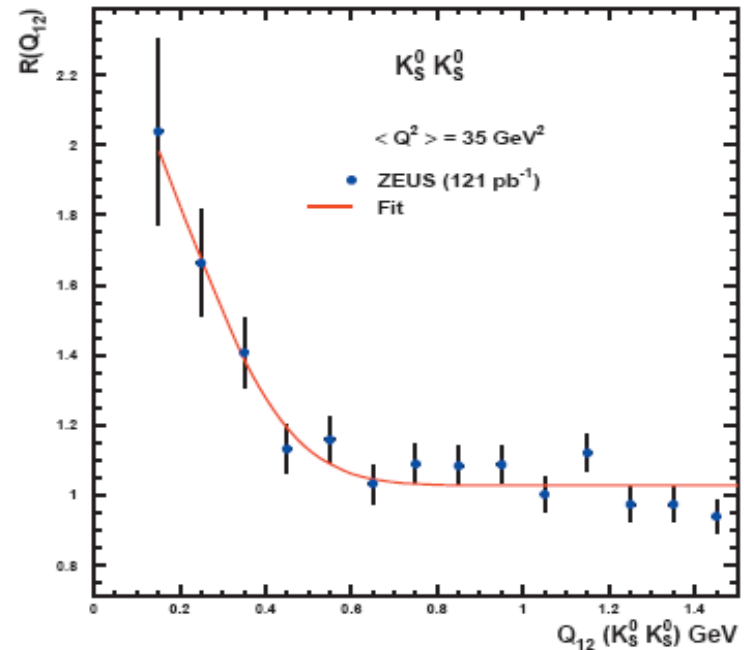
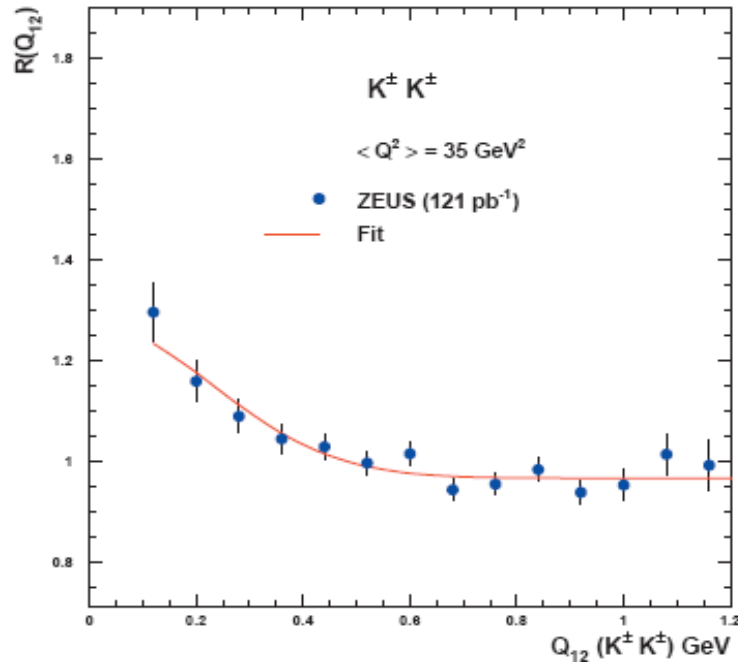
4.4 $\sigma$  peak near 1600 MeV for  $Q^2 > 1 \text{ DIS}$ :  $\Sigma(1580)$ ?  $\Sigma(1620)$ ?



Demand decay vtx: see  $\Xi^- \rightarrow \Lambda \pi^-$ , also  $\Xi^* \rightarrow \Xi \pi$



# Bose-Einstein correlations: $K_s^0 K_s^0$ and $K^\pm K^\pm$



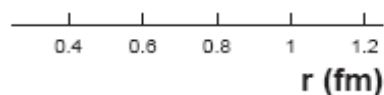
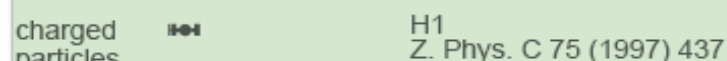
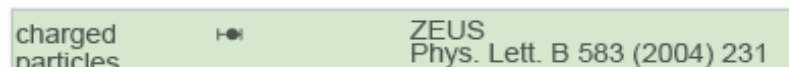
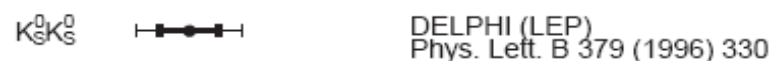
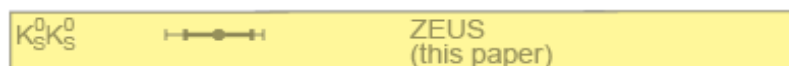
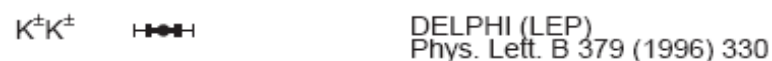
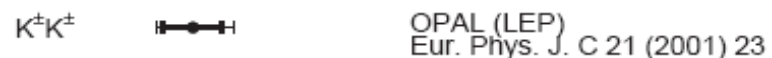
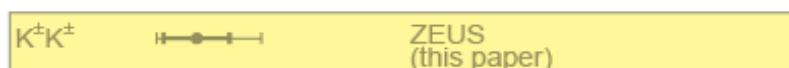
$K^\pm$  identified by  $dE/dx$  in CTD

$R(Q_{12}) = P(Q_{12})/P_0(Q_{12})$  where  $Q_{12}^2 = -(p_1 - p_2)^2 = (M_{KK}^2 - 4M_K^2)$   
 Fit:  $R(Q_{12}) = \alpha(1 + \delta Q_{12})(1 + \lambda \exp[-r^2 Q_{12}^2])$  where  $r$  = source radius,  $0 < \lambda < 1$

Measure  $R(Q_{12})$  by event-mixing double ratio

$$R = \{ P(\text{data})/P_{\text{mix}}(\text{data}) \} / \{ P(\text{MC})/P_{\text{mix}}(\text{MC}) \}$$

# Bose-Einstein correlations: source size & strength



$K^\pm K^\pm$

$$\lambda = 0.37 \pm 0.07^{+0.09}_{-0.08}$$

$$r = 0.57 \pm 0.09^{+0.15}_{-0.08} \text{ fm}$$

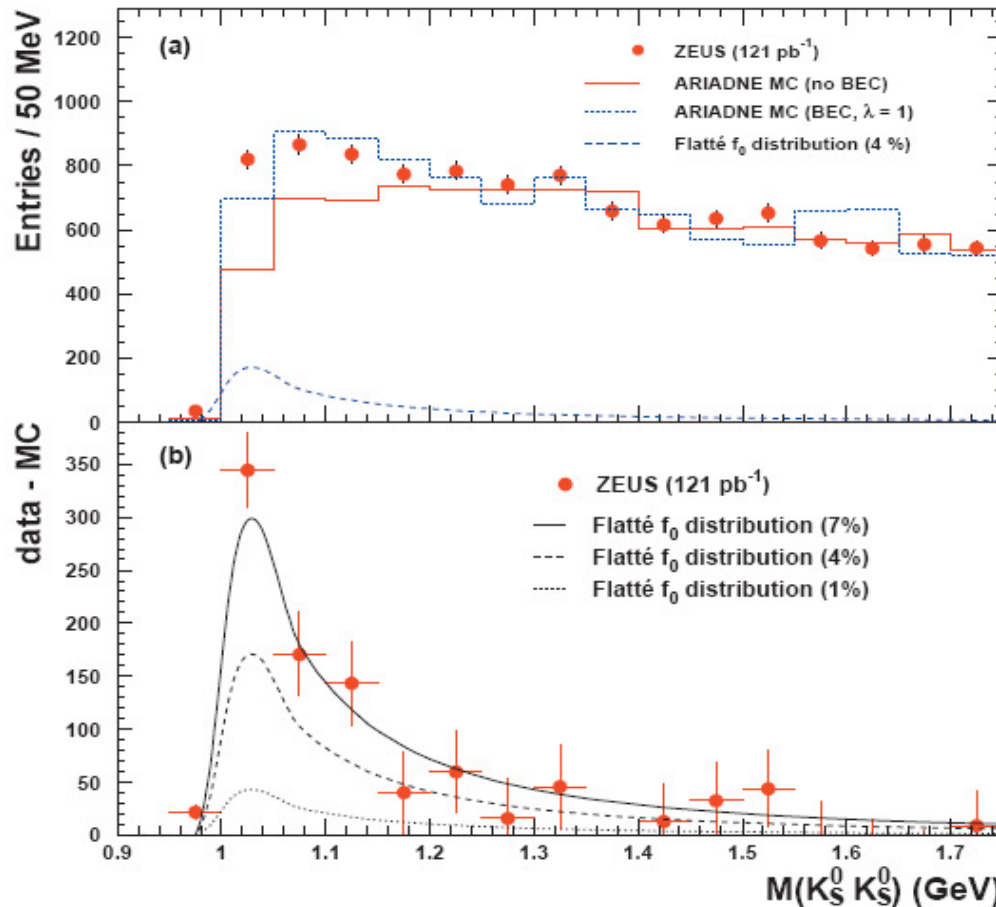
$K_s^0 K_s^0$

$$\lambda = 0.70 \pm 0.19^{+0.28+0.38}_{-0.08-0.52}$$

$$r = 0.63 \pm 0.09^{+0.07+0.09}_{-0.08-0.02} \text{ fm}$$

the second contribution to the systematic error comes from  $f_0(980)$  resonance.

# Bose-Einstein correlations: $K_s^0 K_s^0$



$$f_0(980) \rightarrow K_s^0 K_s^0$$

$$M=(980 \pm 10), \Gamma = 40 \text{ to } 100$$

Mimics B-E correlations

Best fit – 4%

Big errors:

$$\lambda = 0.70 \pm 0.19^{+0.28+0.38}_{-0.08-0.52}$$

$r$  not affected by  $f_0$



# Summary

Charged Multiplicities and scaled momenta in Breit frame

*Scaling violations compared to LPHD and NLO*

Strange Particle production

*$p_T, \eta, Q^2, x$ ,  $\Lambda$  polarisation*

Antideuteron and antiproton production

*$dE/dx$ . Coalescence model*

Charm fragmentation and  $F_2^{cc}$

*universality: DIS, photoproduction,  $e^+e^-$*

Excited charm and charm strange mesons

*Production and properties*

Baryons decaying to strange particles

*$dE/dx$  for  $K^\pm, p$ : resonances seen*

$KK$  Bose-Einstein correlations

*compare LEP,  $f_0(980)$  issues*