

Electroweak Studies in $e^- p$ DIS scattering with polarised electrons

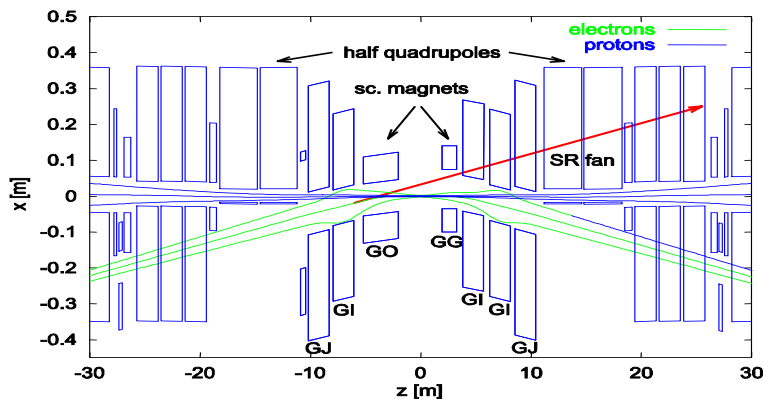


Main aim of this analysis

- Polarisation dependence of neutral current cross sections
- Asymmetry parameter A^-
- Extraction of the structure function xF_3

HERA Upgrade – HERA II

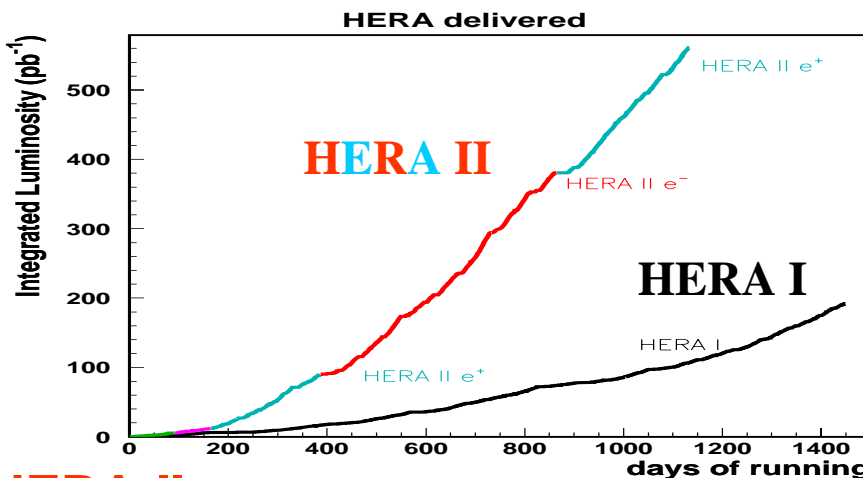
Enhanced Luminosity : most precise measurement of NC cross section at small λ



“mini-beta” final focusing magnets
closer to detector

improvement in the vacuum +
synchrotron background problems resolved

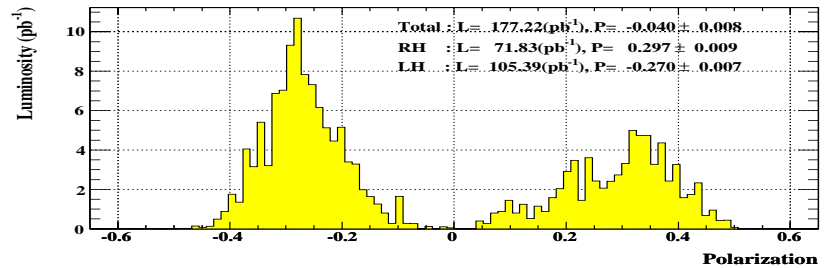
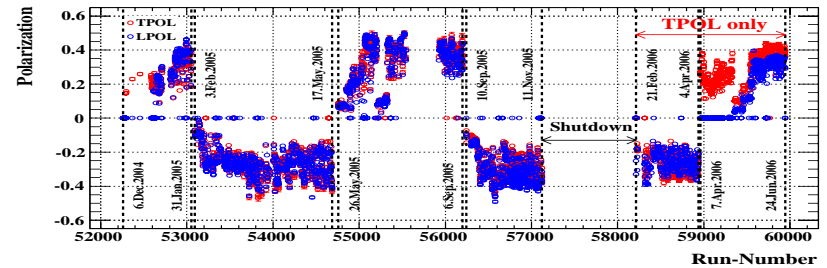
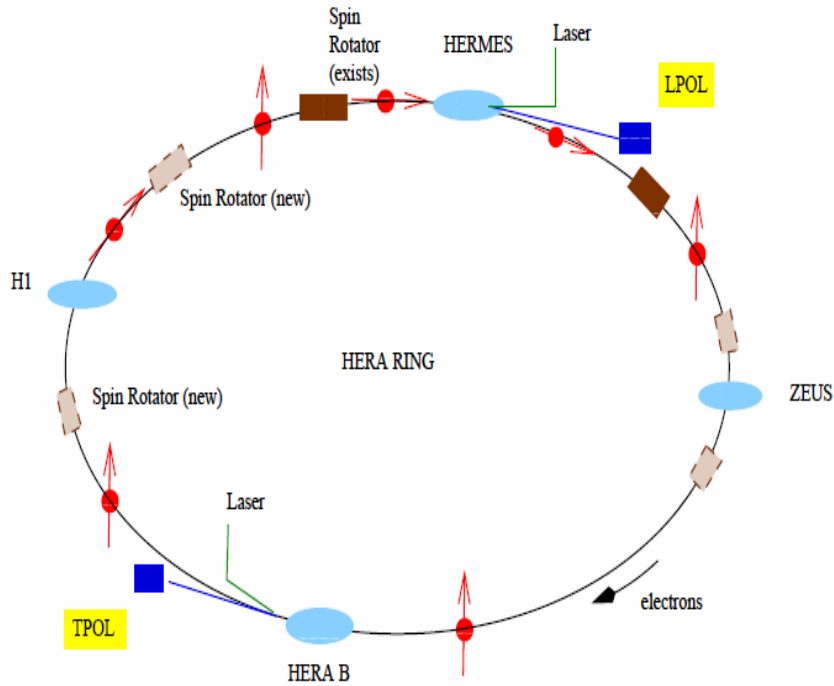
- Change in slope
- Higher luminosity
- access higher Q^2



	HERA-I	HERA-II	
e-	~27 pb ⁻¹	~290 pb ⁻¹	←
e+	~165 pb ⁻¹	~270 pb ⁻¹	

HERA II Upgrade

Study interactions of longitudinally polarised leptons + quarks at ElectroWeak scales



ZEUS

$e^- (\text{R}) \sim 71.8 \text{ pb}^{-1} @ P_e \sim +29.7 \%$
 $e^- (\text{L}) \sim 105.4 \text{ pb}^{-1} @ P_e \sim -27.0 \%$

Natural transverse polarisation

- Sokolov-Turnov effect

Spin rotator before/after ZEUS

- Longitudinal polarisation

$$P_e = \frac{N_R - N_L}{N_R + N_L}$$

Sampa Bhadra, DIS2007

NC process and kinematic variables

$$e p \longrightarrow e' X$$

$$\text{CM energy: } \sqrt{s} = 318 \text{ GeV}$$

$$\lambda \sim 10^{-18} \text{ m}$$

$$Q^2 = -q^2 = -(k - k')^2 \quad : \text{virtuality of exchanged boson}$$

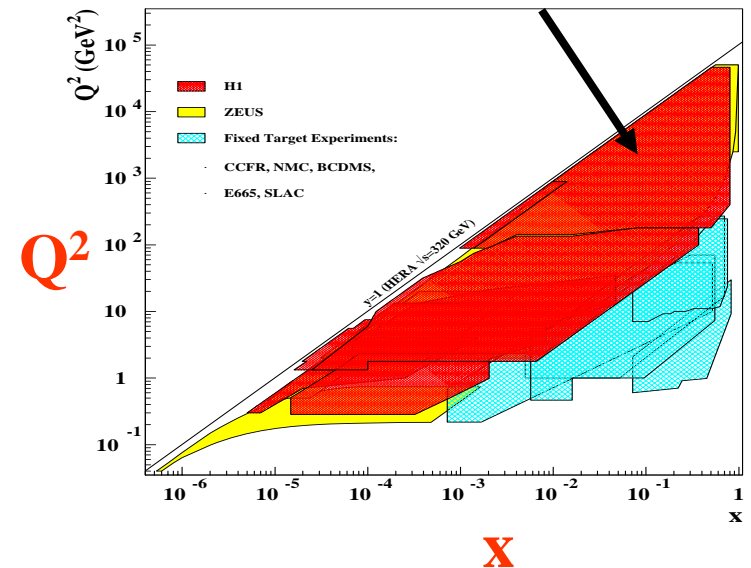
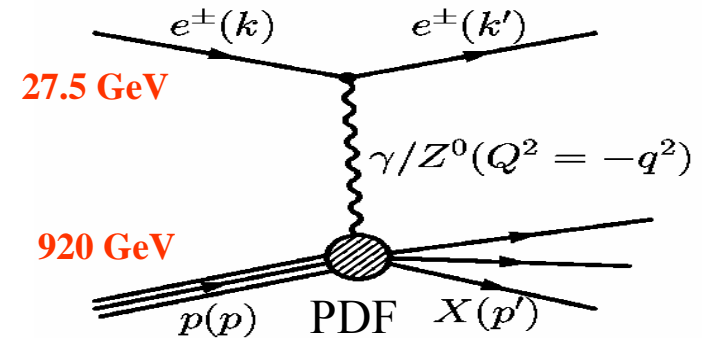
$$x = \frac{Q^2}{2 p \cdot q} \quad : \text{Bjorken } x$$

$$y = \frac{p \cdot q}{p \cdot k} \quad : \text{inelasticity}$$

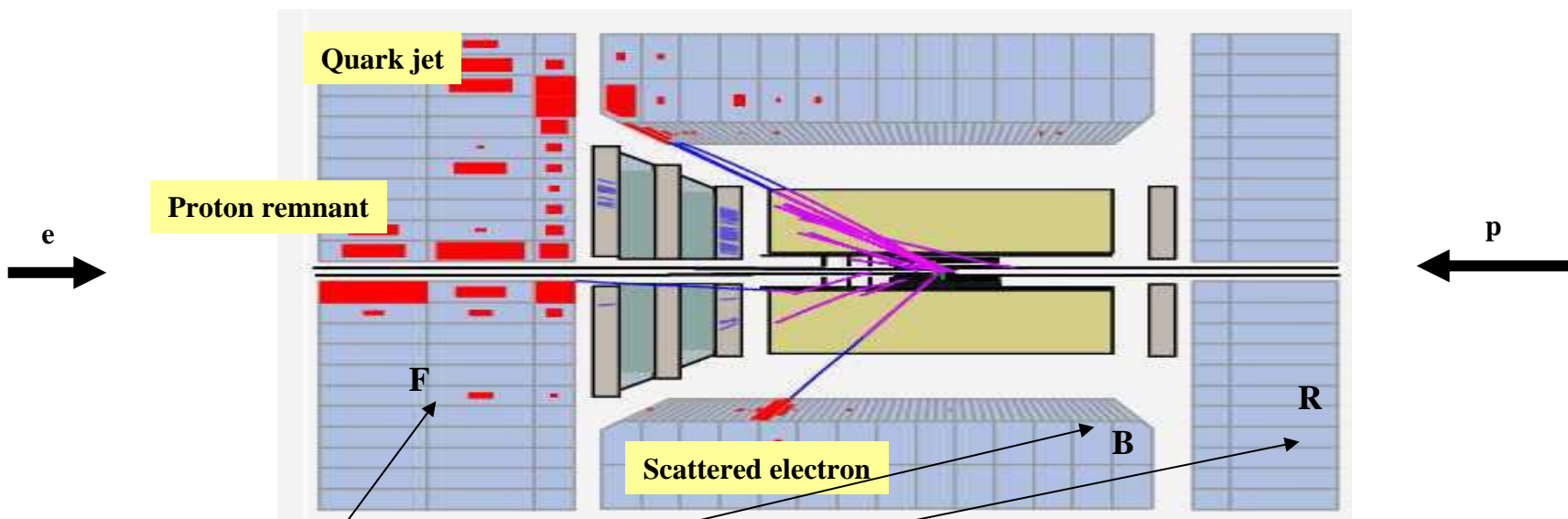
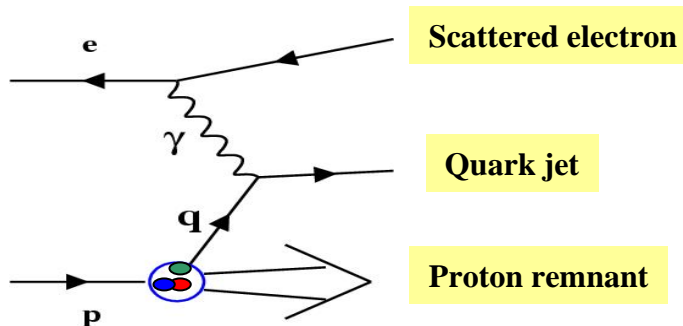
$$Q^2 = sxy = 2E_e E_e' (1 + \cos \theta_e)$$

- Need energy of scattered electron
- angle of this electron
- and/or angle of the hadronic jet

$$\text{eq x PDF} = \text{EW x QCD}$$



What does a NC event look like in the ZEUS detector?



Calorimeters + Tracking chambers

electron: $E_e > 10 \text{ GeV}$ and θ_e
isolated from quark jet γ_h

beam gas, cosmic, PhP rejection

Cross section for unpolarised NC scattering

- in terms of three “structure functions”

F_2, F_3, F_L

$$\frac{d^2 \sigma_{NC}^{e^\pm p}}{dx dQ^2} = \frac{2\pi\alpha^2}{xQ^4} \cdot \left[Y_+ \cdot F_2(x, Q^2) \mp Y_- \cdot xF_3(x, Q^2) - y^2 F_L(x, Q^2) \right]$$

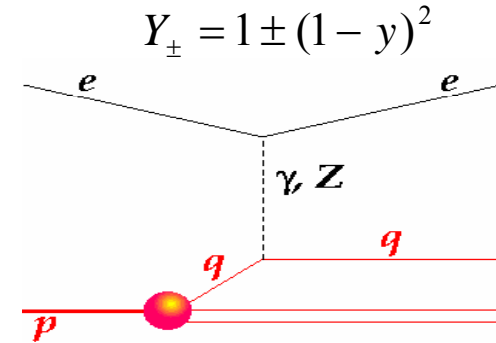
$$F_2^{NC} = x \sum_f A_f(Q^2) [q(x, Q^2) + \bar{q}(x, Q^2)]$$

$$xF_3^{NC} = x \sum_f B_f(Q^2) [q(x, Q^2) - \bar{q}(x, Q^2)]$$

Sensitivity to the valence quark distribution

$$\tilde{\sigma}_{NC}^\pm = \frac{xQ^4}{2\pi\alpha^2} \frac{1}{Y_\pm} \frac{d^2 \sigma_{NC}^{e^\pm p}}{dx dQ^2}$$

Sign of xF_3 term changes: e^+ vs. e^- \longrightarrow

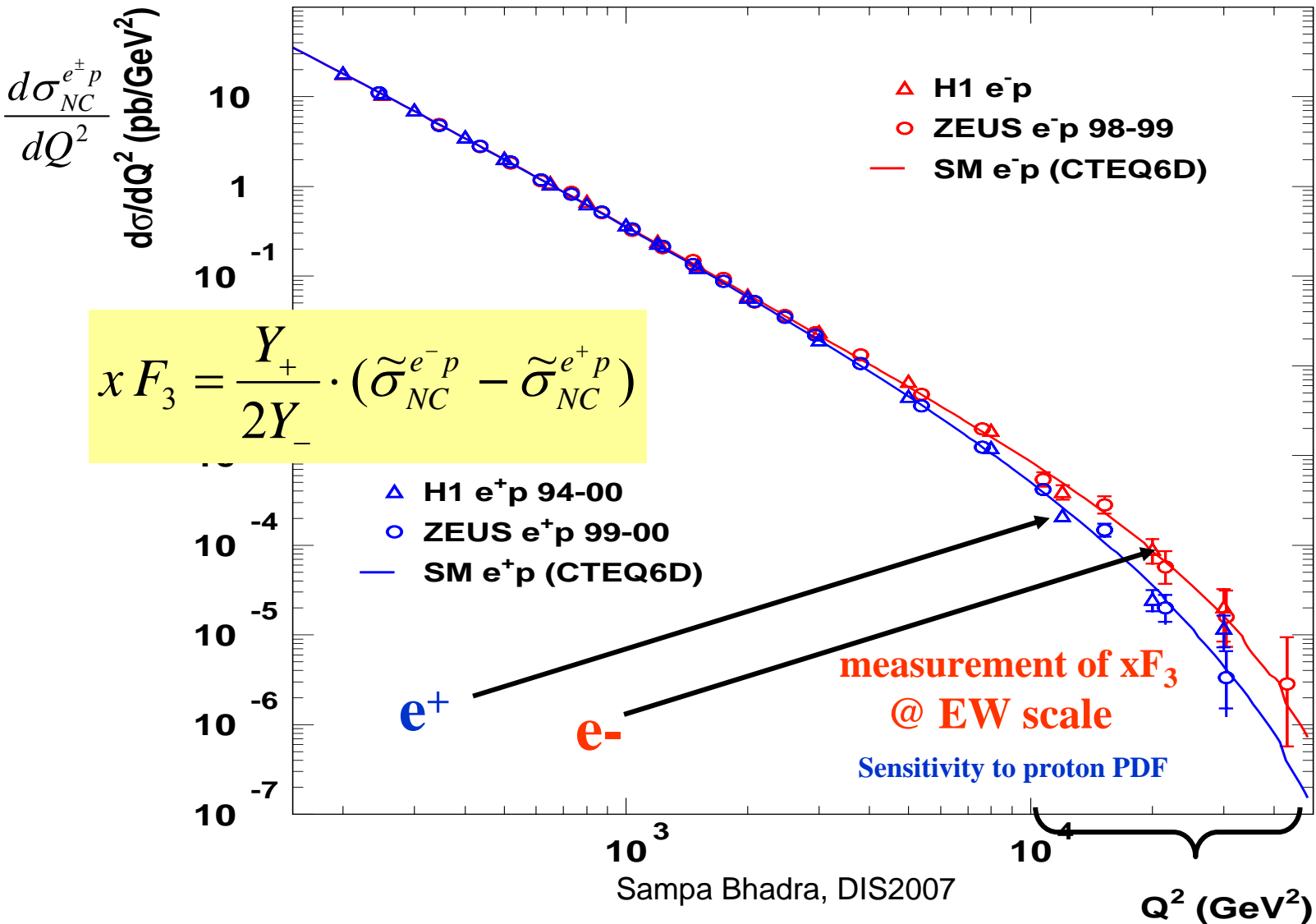


$$Y_\pm = 1 \pm (1-y)^2$$

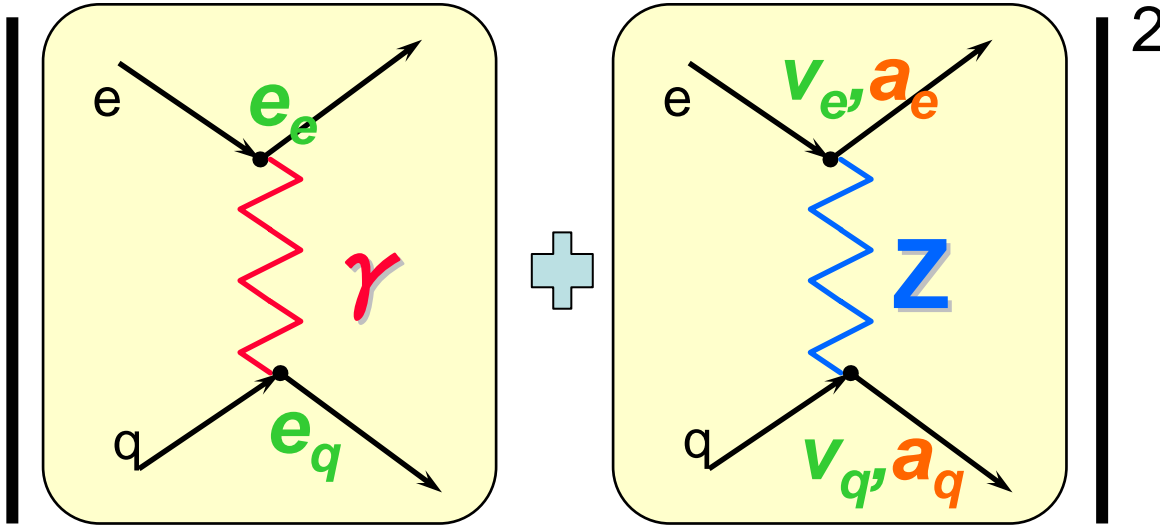
Sizeable at high y

HERA I: NC Unpolarised data: e^- and e^+ scattering off protons

HERA Neutral Current



Polarisation effects in NC - Structure functions



	v	a
e	-0.04	-0.5
u	0.196	0.5
d	-0.346	-0.5

v_e terms dropped

Unpolarised: Extract $x F_3^{\gamma Z}$

Polarised: Extract $F_2^{\gamma Z}$

$$\chi_Z = \frac{1}{\sin^2 2\theta_w} \left(\frac{Q^2}{Q^2 + M_Z^2} \right)$$

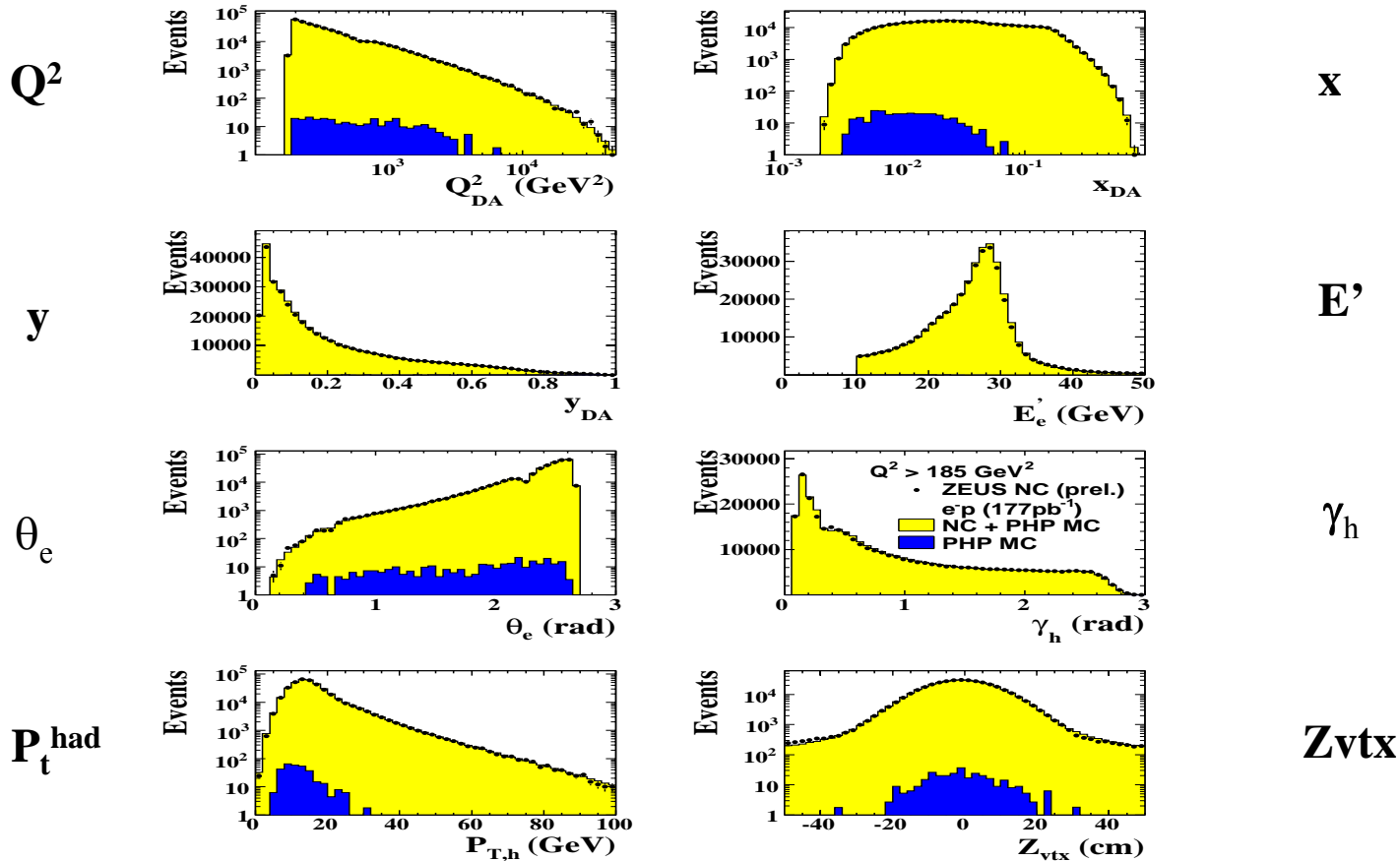
$$F_2(x, Q^2) = F_2^\gamma + (-v_e + \boxed{P_e a_e}) \chi_Z F_2^{\gamma Z} + (v_e^2 + a_e^2 - 2P_e v_e a_e) \chi_Z^2 F_2^Z$$

$$x F_3(x, Q^2) = -\boxed{(a_e - P_e v_e)} \chi_Z x F_3^{\gamma Z} + (2v_e a_e - P_e (v_e^2 + a_e^2)) \chi_Z^2 x F_3^Z$$

dominates

Comparisons with M.C. simulation - ARIADNE (CDM)

ZEUS



Black: Data
 Yellow-ARIADNE+ PhP
 Blue: Photoproduction

Fairly good agreement
unfold data to get cross sections

Systematics

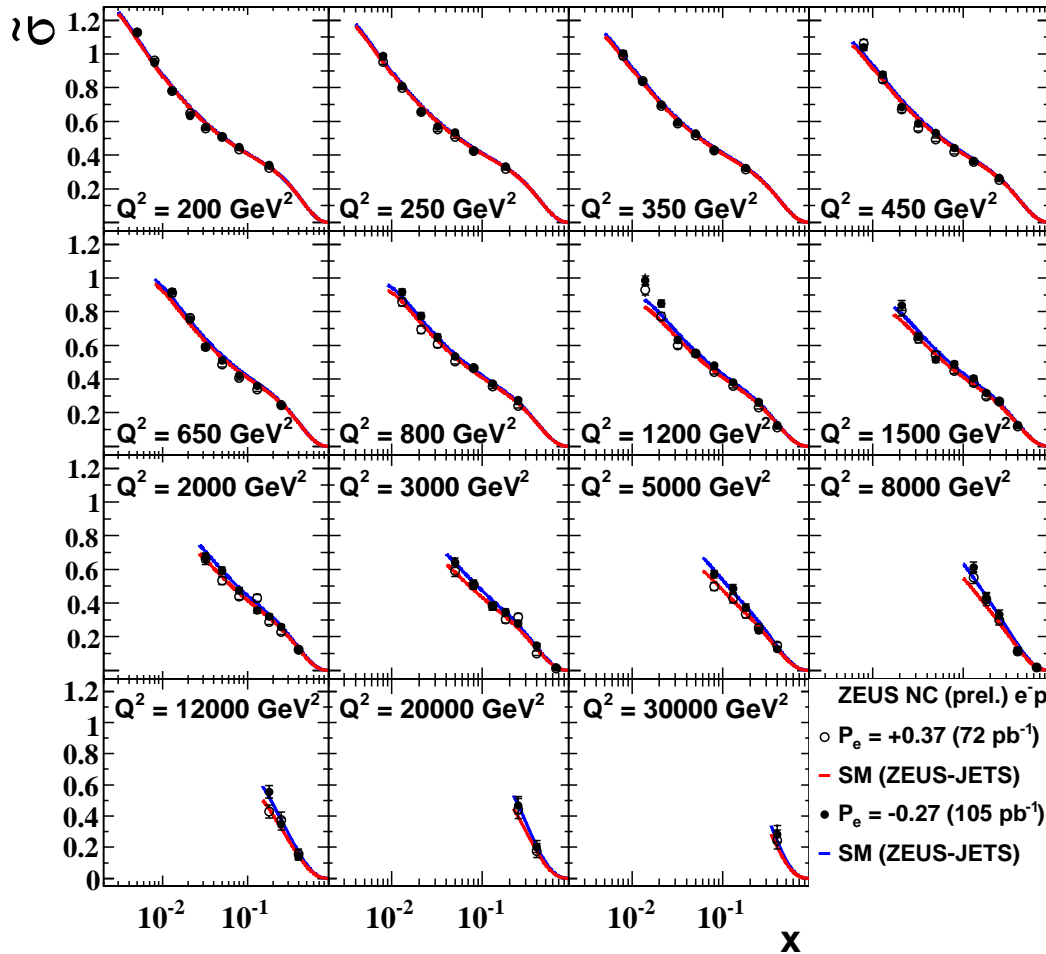
Check selection criteria – electron energy, energy scale, etc.

- The uncertainty on the cross section measurements due to the imperfect reconstruction of the scattered electron and hadronic system and backgrounds are estimated using the MC

-Controlled to a few % level over large kinematic range but can be as high as ~8% at high- Q^2 and high- x where the statistical error dominates.

Reduced cross section for polarised electrons

ZEUS



$$\tilde{\sigma}^{\pm} = F_2(x, Q^2) \mp \frac{Y_{-}}{Y_{+}} \cdot x F_3(x, Q^2)$$

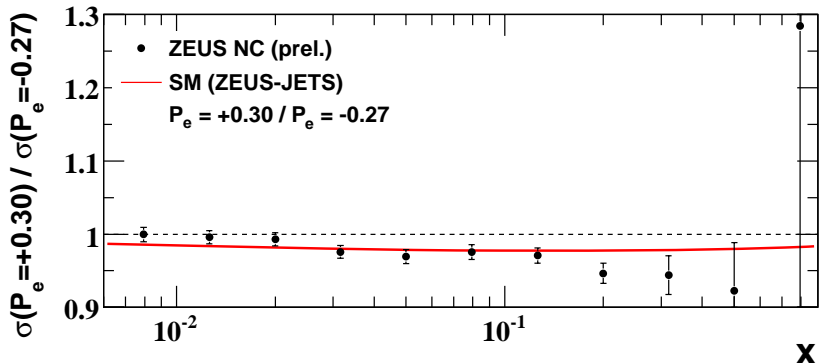
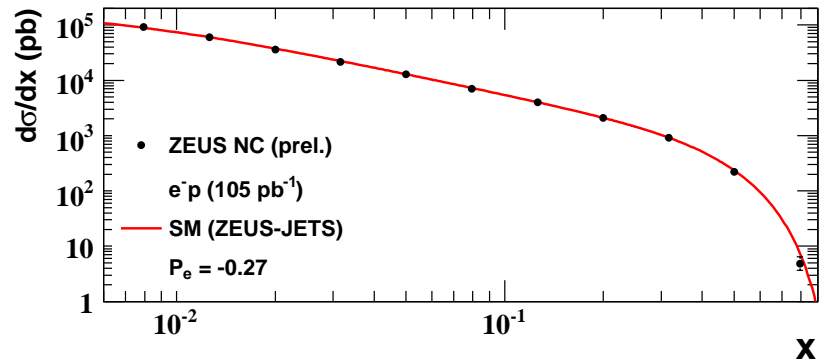
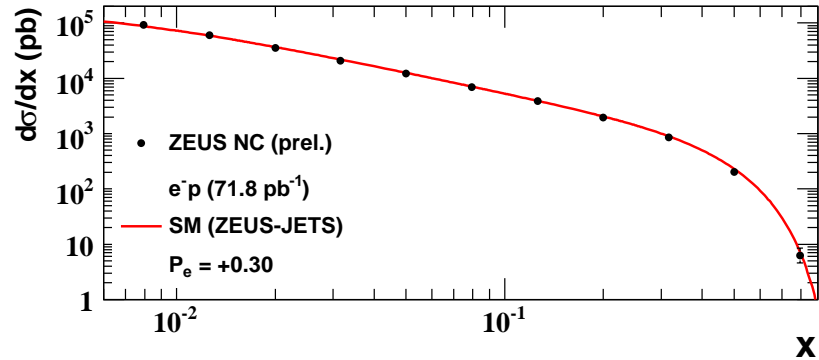
$$F_2(x, Q^2) = F_2^{\gamma} + P_e a_e \chi_Z F_2^{\gamma Z}$$

$$P^- (L) > P^+ (R) \quad (a_e = -0.5)$$

Measured cross sections are in good agreement with SM predictions over whole kinematic region

Polarised NC results

ZEUS



$d\sigma/dx$ as a function of x :

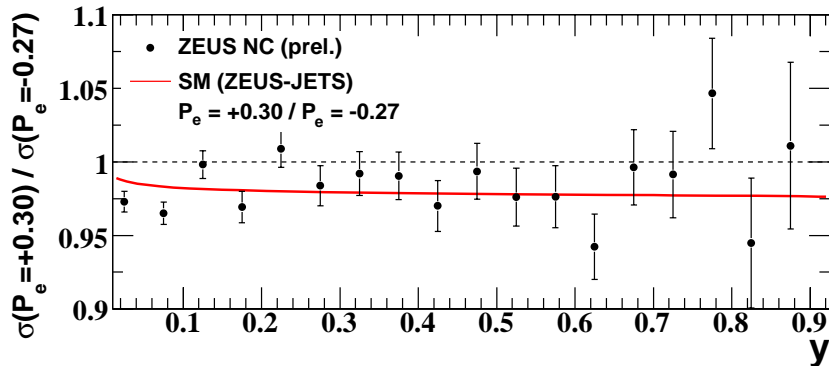
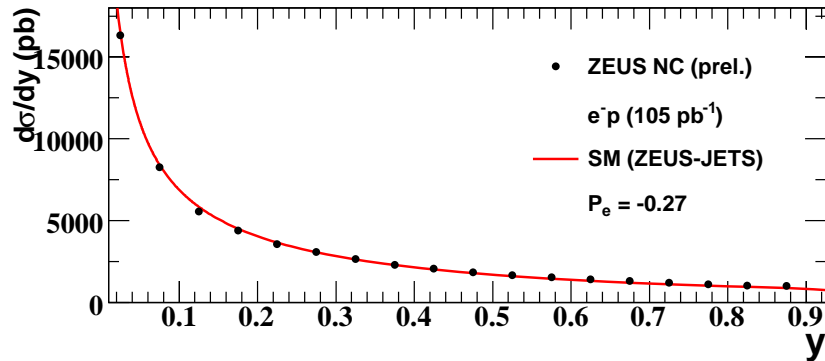
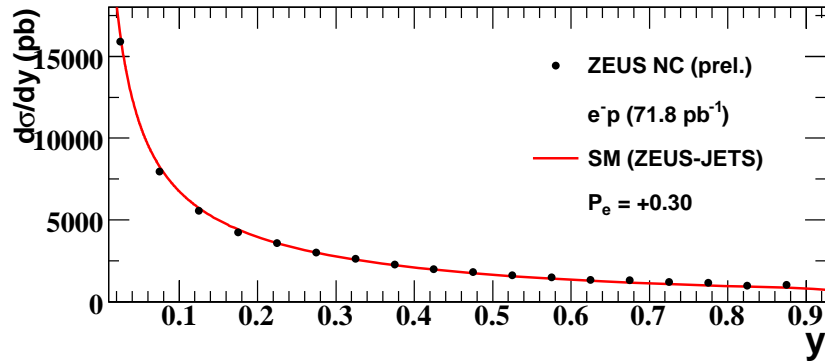
PDF with QCD evolution matches data well over large range

Enhance difference with ratio +/-

SM prediction for the ratio +/- with polarisation included is favoured by data

Polarised NC results

ZEUS



$d\sigma/dy$ as a function of y :

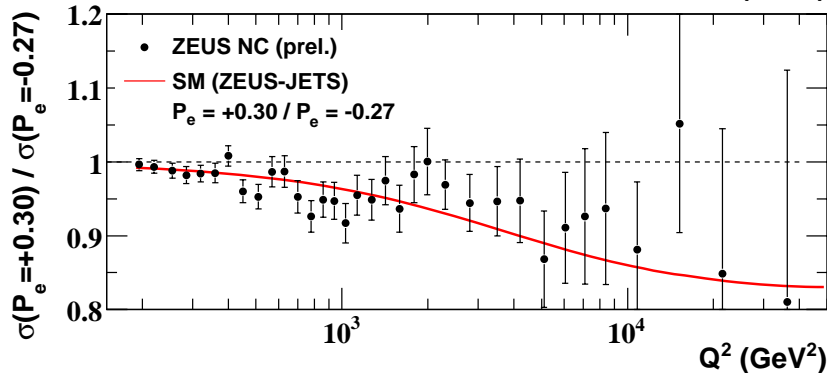
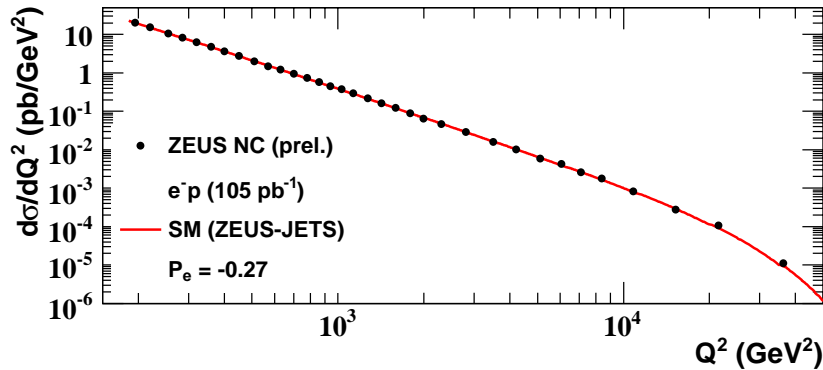
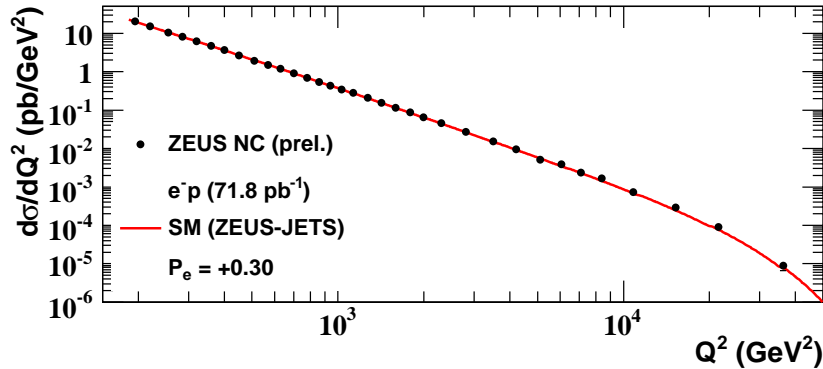
PDF with QCD evolution matches data well over large range

Enhance difference with ratio +/-

Data matches theoretical prediction which includes polarisation

Polarised NC results

ZEUS

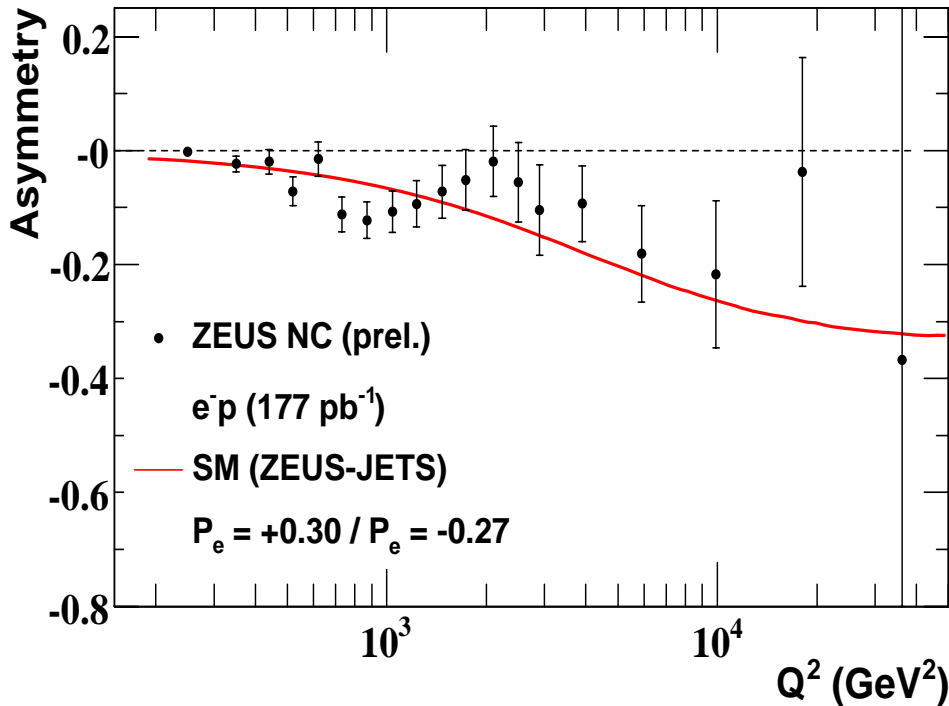


$d\sigma/dQ^2$ as a function of Q^2
for + (R) and - (L) polarised e^-
and the ratio +/-

**Effect of parity violation in
NC DIS clearly observed at
the EW scale!**

Asymmetry parameter A^-

ZEUS

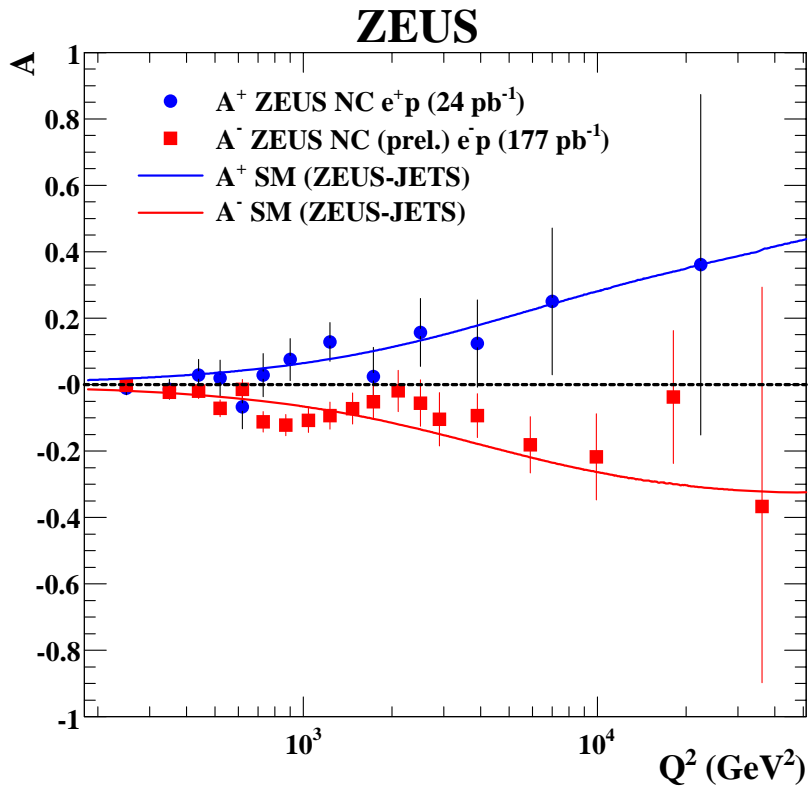


Directly see effect of parity violation due to $a_e v_q$ term!

Quantitative measure of the difference in the behaviour of R (+) and L (-) handed e^-

$$A^- = \frac{2}{P_e^+ - P_e^-} \cdot \frac{\sigma(P_e^+) - \sigma(P_e^-)}{\sigma(P_e^+) + \sigma(P_e^-)} \approx \chi_z a_e \frac{F_2^{\gamma Z}}{F_2^{\gamma}} \propto a_e v_q$$

Asymmetry parameter $A^{+/-}$ using only ZEUS data



Measured Asymmetries are consistent with the SM prediction for both

e^+

only 24 pb^{-1} .

and

10x more data available

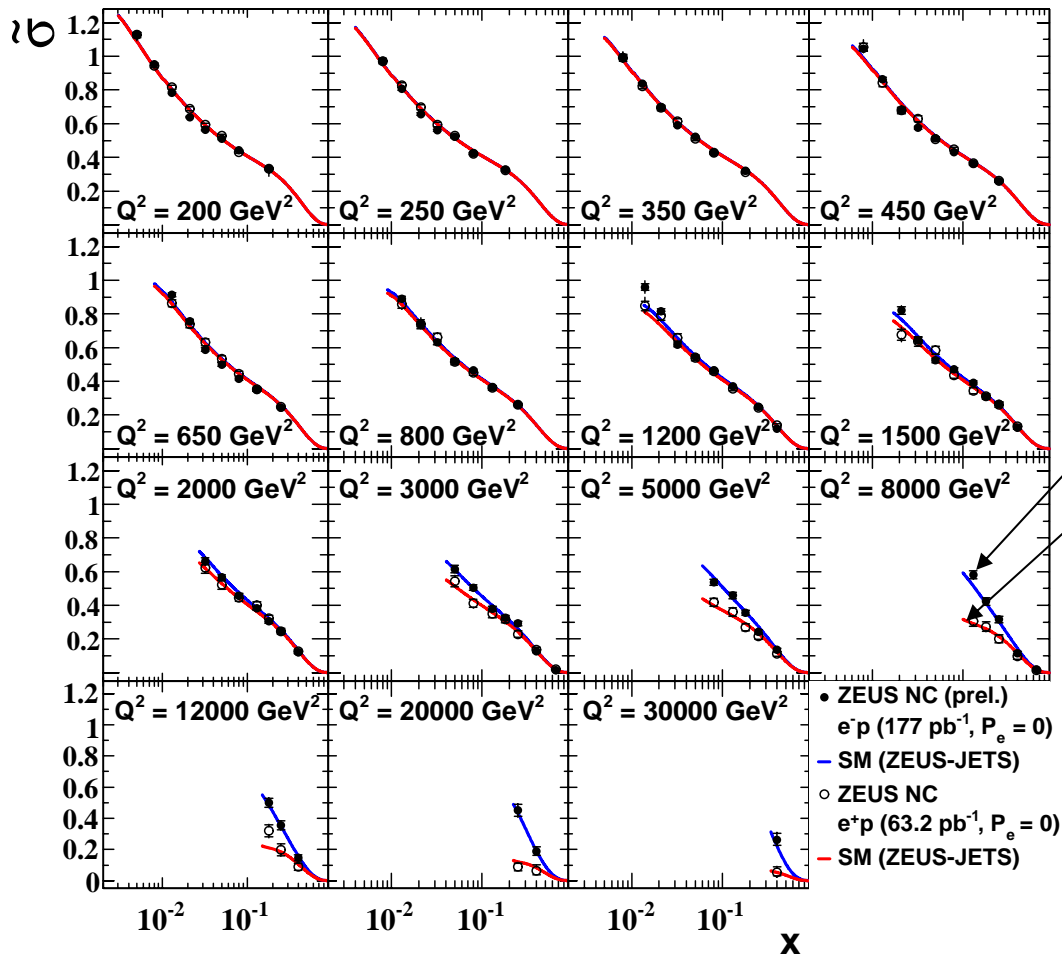
e^-

$$A^+ \sim -A^-$$

$$A^\pm = \frac{2}{P_e^+ - P_e^-} \cdot \frac{\sigma^\pm(P_e^+) - \sigma^\pm(P_e^-)}{\sigma^\pm(P_e^+) + \sigma^\pm(P_e^-)} \approx \mp \chi_z a_e \frac{F_2^{\gamma Z}}{F_2^\gamma}$$

$$\tilde{\sigma}_{NC}^{\pm} = \frac{xQ^4}{2\pi\alpha^2} \frac{1}{Y_+} \frac{d^2\sigma_{NC}^{e^{\pm}p}}{dx dQ^2}$$

ZEUS



• Combine e (L+R) to extract “unpolarised” e⁻ p cross section

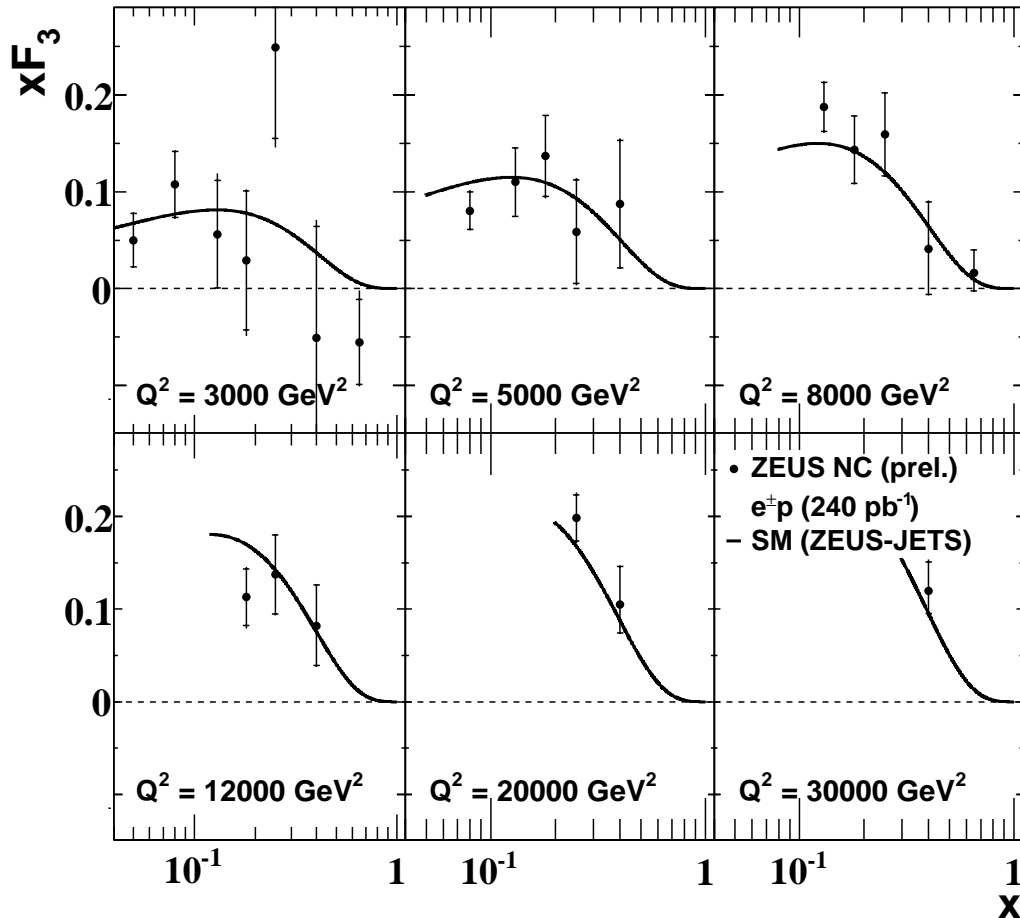
• Use HERA II “unpolarised” e⁻ p data with HERA I e⁺p data:

* Reduced cross section difference
 e⁻ p > e⁺ p (see effect of sign)

Measure xF₃ from this

$$xF_3 = \frac{Y_+}{2Y_-} \cdot (\tilde{\sigma}_{NC}^{e^-p} - \tilde{\sigma}_{NC}^{e^+p})$$

ZEUS



**Most precise measurement of xF_3
from ep NC DIS at high Q^2**

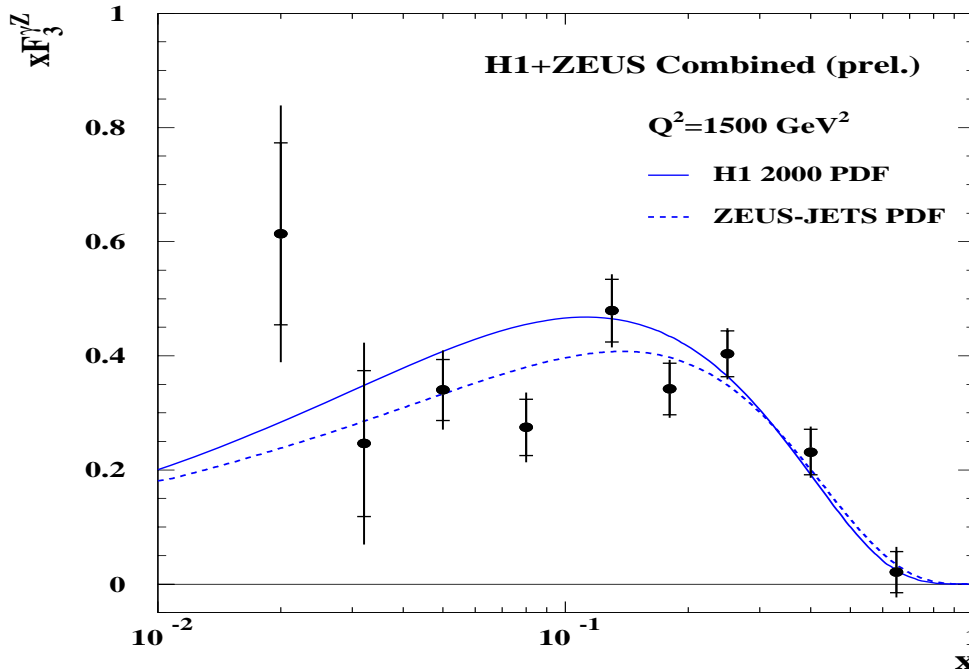
**-Sensitivity to valence quark
distribution in a region where there
were no previous DIS measurements
with pure proton target**

**Extract xF_3 for each bin
- can extract $xF_3^{\gamma Z}$**

H1+ ZEUS data for ~ 1/2 total data set

$$xF_3(x, Q^2) \approx -a_e \chi_Z xF_3^{\gamma Z}$$

HERA



Extract xF_3 for each bin in Q^2 to obtain $xF_3^{\gamma Z}$

- $xF_3^{\gamma Z}$ weakly dependent on Q^2

- swim to one value of Q^2 e.g. 1500 GeV^2

-average over each x value for greater statistical significance

-sensitivity to valence distributions and can test sum rules

In QPM
$$xF_3^{\gamma Z} = e_q a_q \sum_q 2x [q(x, Q^2) - \bar{q}(x, Q^2)]$$

Data from each experiment using total e+/ e- data and combined yet to come

Conclusions

HERA II

- High luminosity + Polarised leptons

Sensitivity to DIS @ EW scales using polarised leptons, for $\lambda \sim 10^{-18}$ m.

Cross section Measurements for $e^-^{(R/L)} p$ interactions

- Reduced cross section
- Single differential cross sections – comparison with QCD fits
- Asymmetry A^-
- xF_3
 - Measurement of valence quark distribution

To come ...

Combined H1+ZEUS data for final polarised $e^- p$ results with nearly 1fb^{-1} data