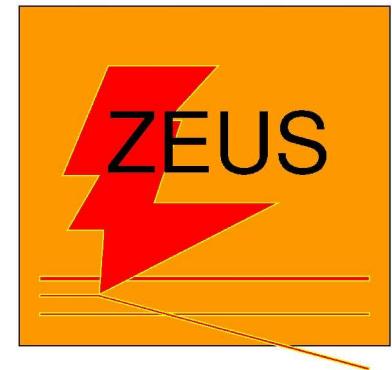
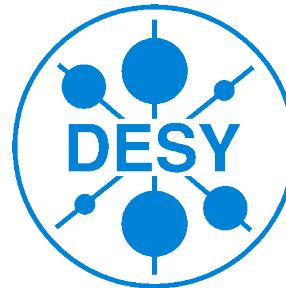


# Hadron Spectroscopy and fragmentation at HERA

Moriond 2006 QCD, La Thuile, Italy 18-25 March 2006  
Nicola Coppola



On behalf of the H1 and ZEUS collaborations

- Introduction/Motivations
- Results: charmed hadrons,  $\eta/\omega$ ,  $f_0/f_2$ , strange and charmed pentaquarks
- Conclusions

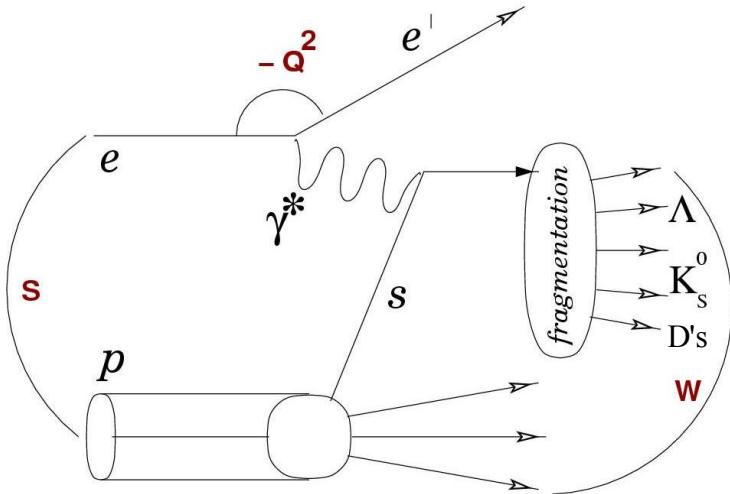
# Introduction

The process by which **coloured** quarks and gluons convert to colourless **hadron** is one outstanding problem in particle physics  
Example: production of a hadron

$$\sigma(p) = \int dz dp_{parton} \sigma(p_{parton}) D_H^{parton}(z) \delta(p - z p_{parton})$$

- pQCD not applicable to fully calculate the fragmentation functions  $D_h^{parton}(z)$
- Phenomenological models based on laws of thermodynamics often used
- Are these models and  $D_h^{parton}(z)$  universally applicable?
- High energy collisions  $\Rightarrow$  large multiplicities of particles with low transverse momentum  $\Rightarrow$  opportunity to study hadronisation and to measure the various  $D_H^{parton}(z)$

# HERA Collider



ep kinematics

photon virtuality  $Q^2$

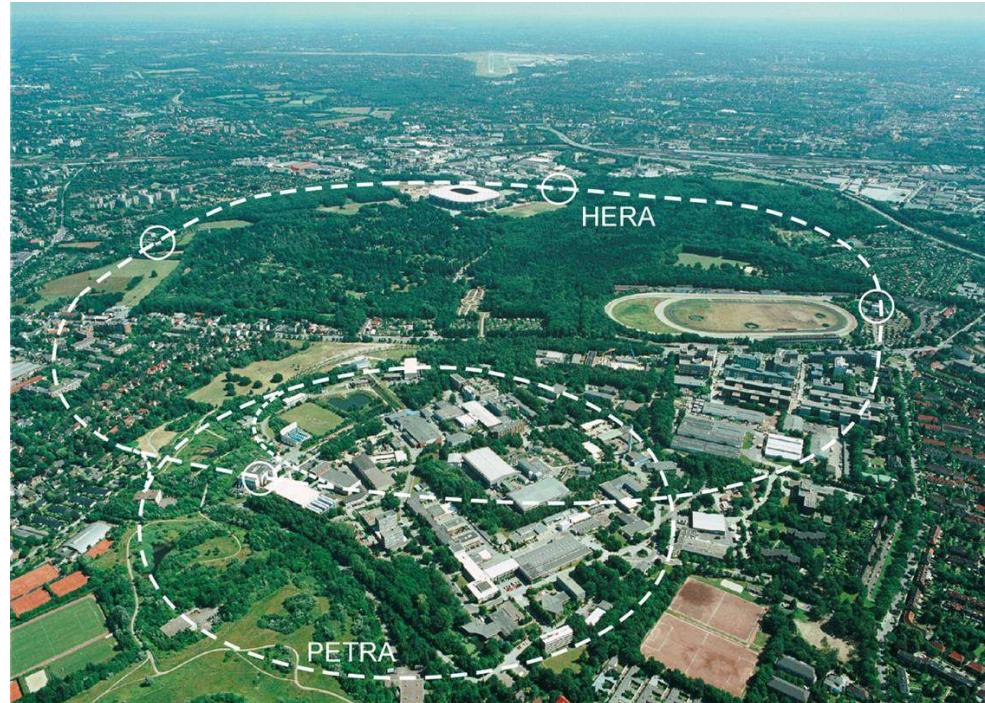
energy c.m.  $\sqrt{s} = 300\text{-}320 \text{ GeV}$

hadronic energy  $W = m(\gamma^* p)$

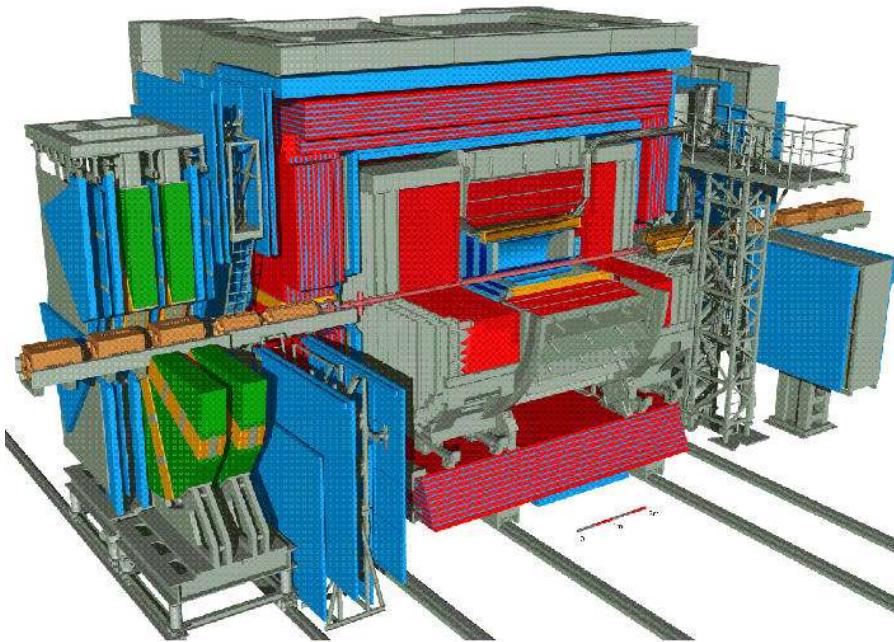
inelasticity  $y = Q^2 / (x_{Bj} s)$

two regimes:  $Q^2 \approx 0 \text{ GeV}^2$  -- photoproduction

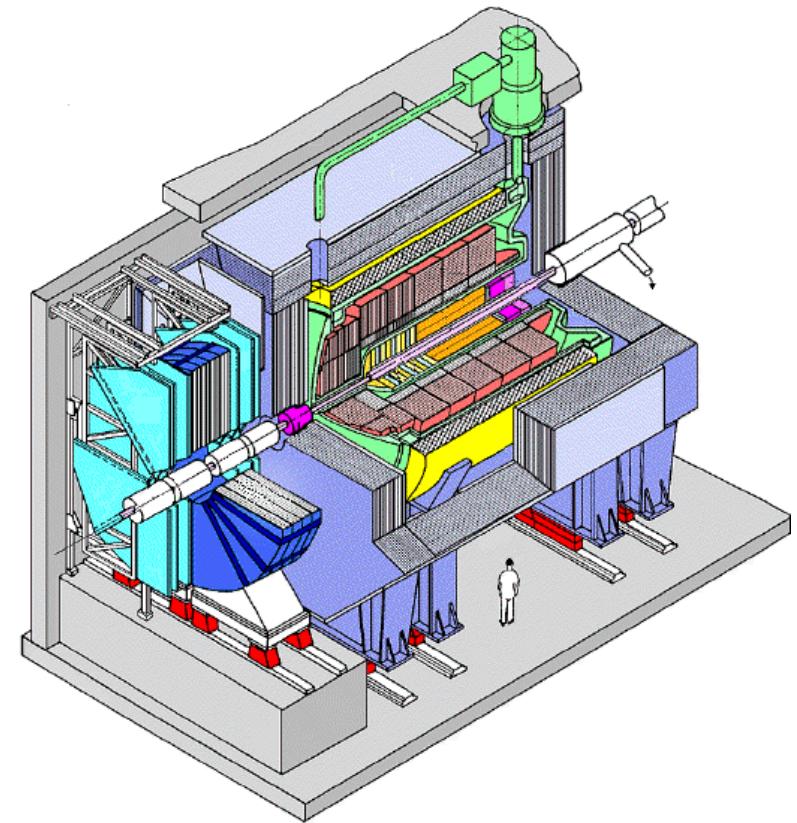
$Q^2 > 1 \text{ GeV}^2$  -- electroproduction (DIS)



# ZEUS and H1 detectors



ZEUS



H1

- Tracking  $\Rightarrow$  momentum measurement, particle ID
- Calorimetry  $\Rightarrow$  energy measurement

# Charm fragmentation fractions and fragmentation ratios

Into which hadrons does the charm quark hadronize?

➤ Fragmentation fractions (total cross sections used):

$$\Rightarrow f(c \rightarrow H) = \frac{\sigma(H)^{tot}}{\sigma(c)^{tot}}$$

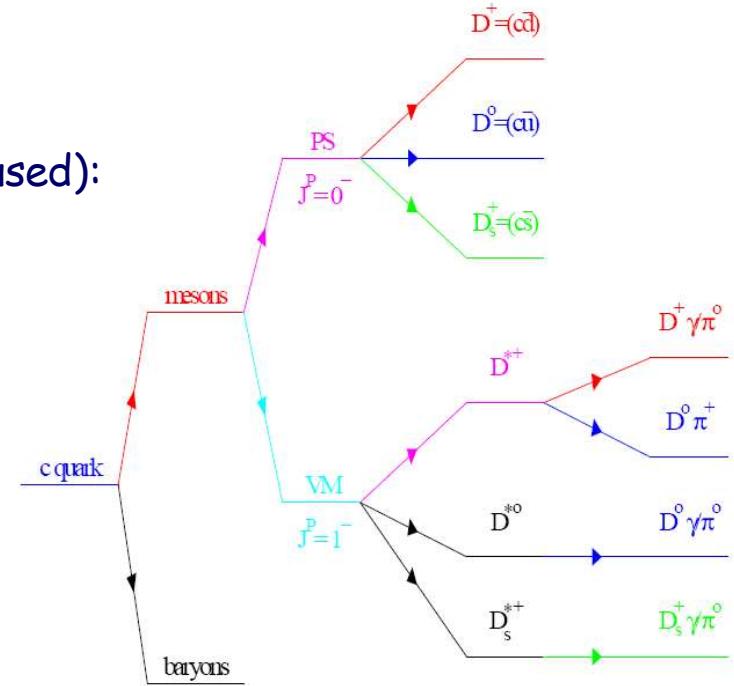
➤ Fragmentation ratios (direct cross sections used):

$$\Rightarrow R_{u/d} = \frac{\sigma(c\bar{u})_S^{dir} + \sigma(c\bar{u})_V^{dir}}{\sigma(c\bar{d})_S^{dir} + \sigma(c\bar{d})_V^{dir}}$$

$$\Rightarrow P_V^d = \frac{\sigma(c\bar{d})_V^{dir}}{\sigma(c\bar{d})_S^{dir} + \sigma(c\bar{d})_V^{dir}}$$

$$\Rightarrow P_V^{u+d} = \frac{\sigma(c\bar{d})_V^{dir} + \sigma(c\bar{u})_V^{dir}}{\sigma(c\bar{d})_S^{dir} + \sigma(c\bar{d})_V^{dir} + \sigma(c\bar{u})_S^{dir} + \sigma(c\bar{u})_V^{dir}}$$

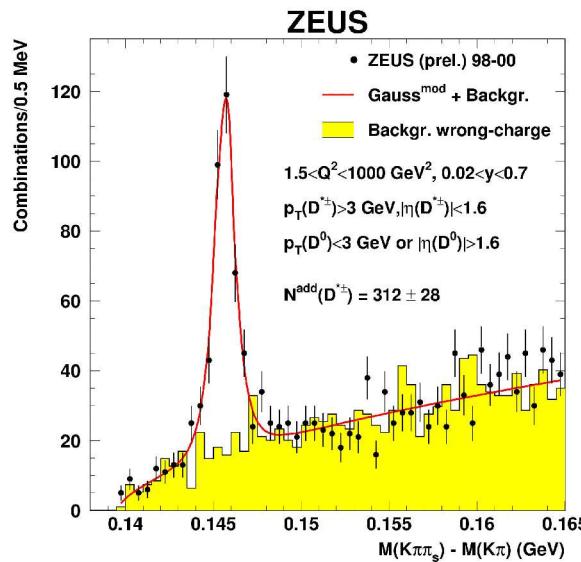
$$\Rightarrow \gamma_S = 2 \frac{\sigma(c\bar{s})_S^{dir} + \sigma(c\bar{s})_V^{dir}}{\sigma(c\bar{d})_S^{dir} + \sigma(c\bar{d})_V^{dir} + \sigma(c\bar{u})_S^{dir} + \sigma(c\bar{u})_V^{dir}}$$



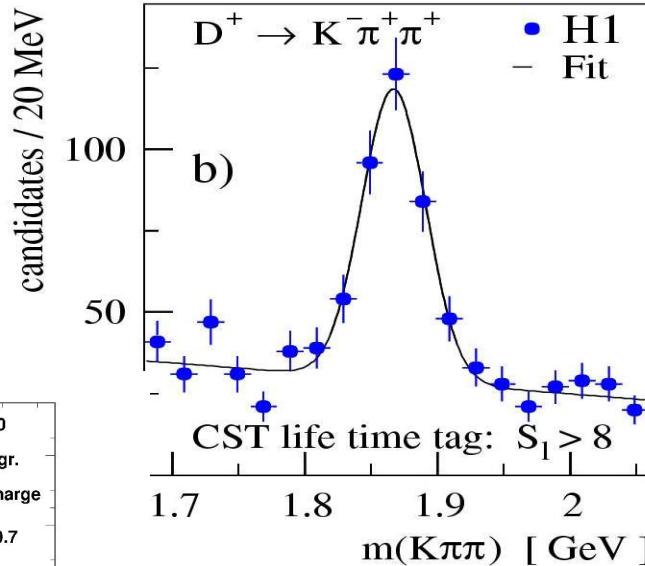
# FF and FR of $D^+$ , $D^0$ , $D^*$ and $\Lambda_c$

Tracks from Central Detector used:

- $D^0 \rightarrow K\pi$  with  $\pi_s$  from  $D^*$ :  $\sigma^{\text{tag}}(D^0)$
- $D^0 \rightarrow K\pi$  without  $\pi_s$  from  $D^*$ :  $\sigma^{\text{untag}}(D^0)$
- $D^{*\pm} \rightarrow D^0\pi_s \rightarrow K\pi\pi_s$  without vis.  $D^0$ :  $\sigma^{\text{add}}(D^{*\pm})$
- $D^\pm \rightarrow K\pi\pi$ :  $\sigma(D^\pm)$
- $D_s^\pm \rightarrow \varphi\pi \rightarrow KK\pi$ :  $\sigma(D_s^\pm)$
- $\Lambda_c^\pm \rightarrow Kp\pi$ :  $\sigma(\Lambda_c^\pm)$



reflections subtracted, then  
signal + background shape  
fitted to invariant mass distribution (H1 uses also secondary vertexes)



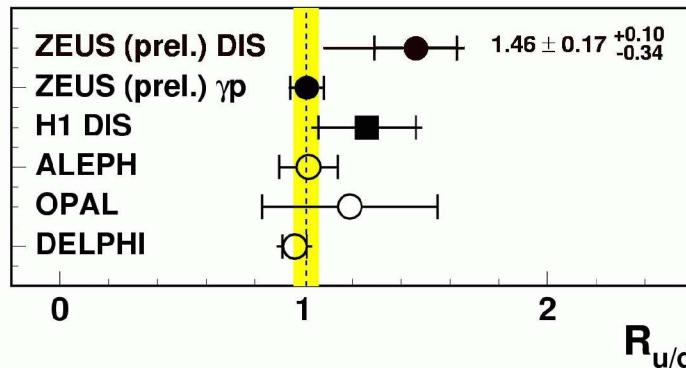
# Results: $R_{u/d}$ and $\gamma_s$

H1:

$$R_{u/d} = \frac{f(c \rightarrow D^0) - f(c \rightarrow D^{*+}) BR(D^{*+} \rightarrow D^0 \pi)}{f(c \rightarrow D^+) + f(c \rightarrow D^{*+}) BR(D^{*+} \rightarrow D^0 \pi)}$$

ZEUS:

$$R_{u/d} = \frac{\sigma^{untag}(D^0)}{\sigma(D^\pm) + \sigma^{tag}(D^0)}$$

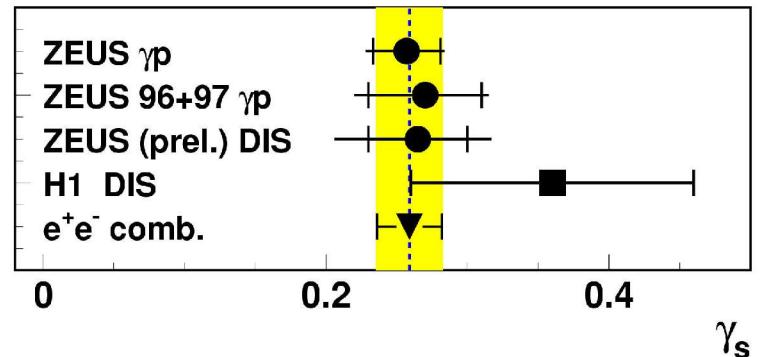


H1:

$$\gamma_s = 2 \frac{f(c \rightarrow D_S^+)}{f(c \rightarrow D^+) + f(c \rightarrow D^0)}$$

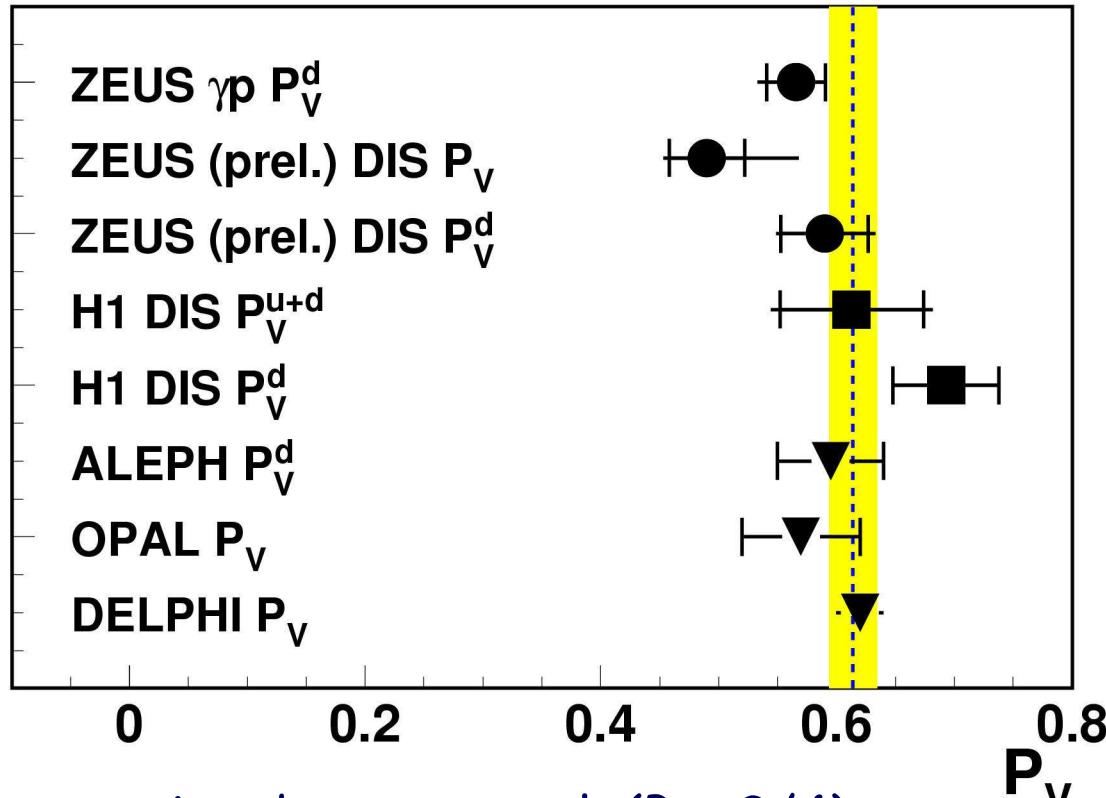
ZEUS:

$$\gamma_s = 2 \frac{\sigma(D_S^\pm)}{\sigma(D^\pm) + \sigma^{tag}(D^0) + \sigma^{untag}(D^0) + 2\sigma^{add}(D^{*\pm})}$$



In agreement with each other, expectation and world average

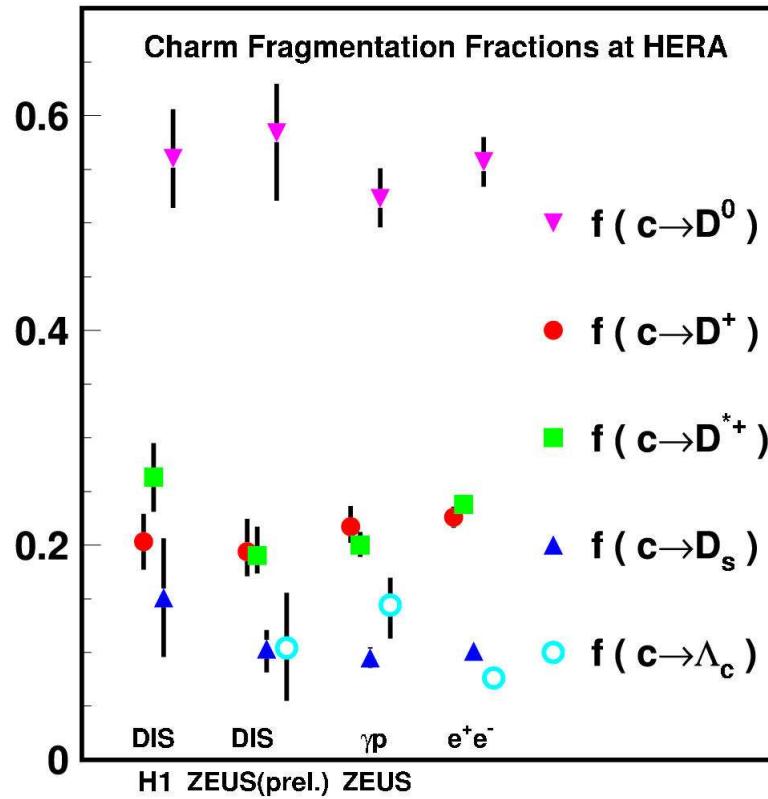
# Results: $P_V$ and $P_V^d$



Naïve spin counting does not work ( $P_V \neq 3/4$ )

In agreement with world average

# Results: fragmentation fractions



All fragmentation fractions are in agreement with world average and support assumption of universality

# Non-charmed particle productions

In ZEUS and H1 production of well-known hadrons are measured: pions,  $K_s^0$ ,  $\Lambda$ , protons, charmed mesons,  $J/\psi$ ...

Latest result is the cross section measurement of:

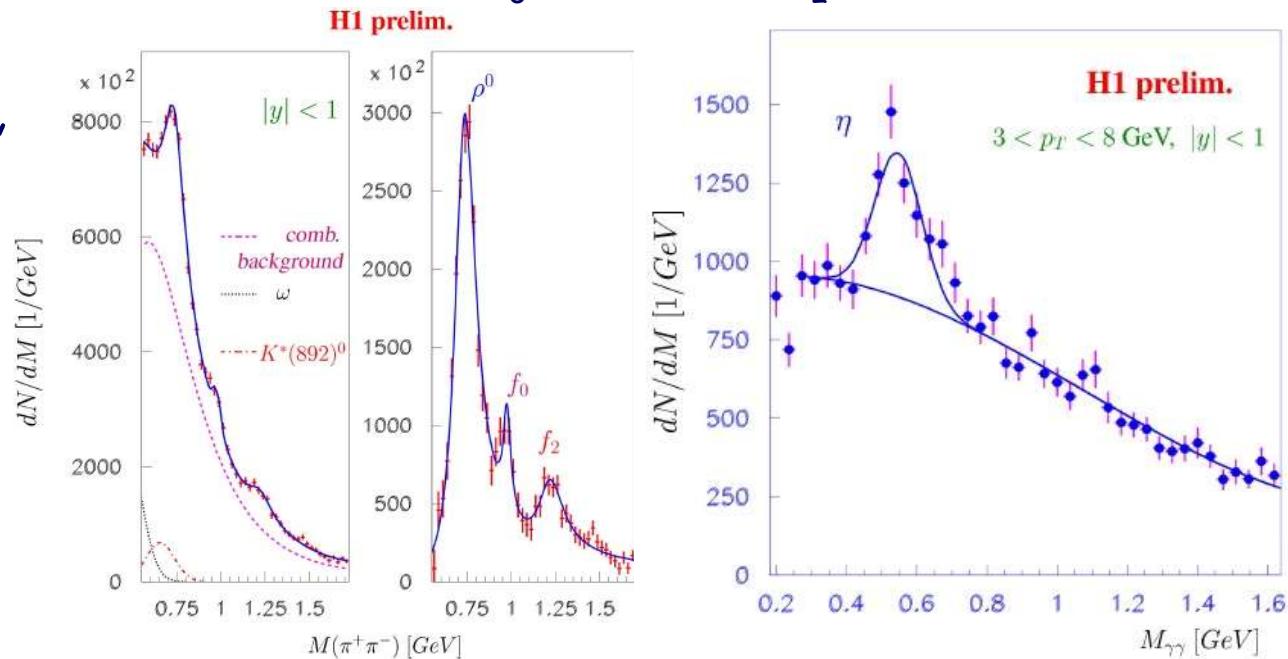
- Inclusive photoproduction of  $\eta$ ,  $\rho^0$ ,  $f_0(980)$  and  $f_2(1270)$

meson at H1,

Photoproduction,

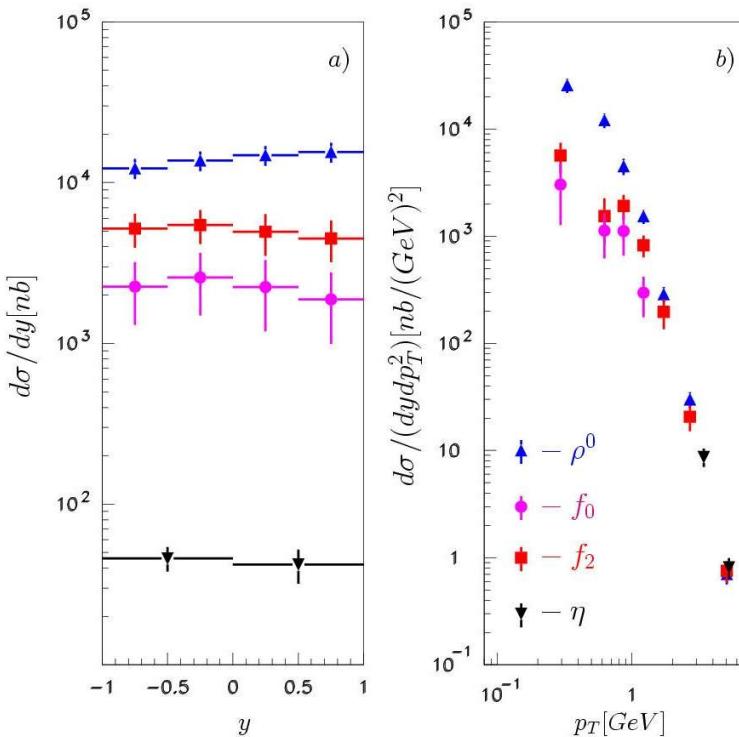
38.7 pb-1,

$W=210\text{ GeV}$

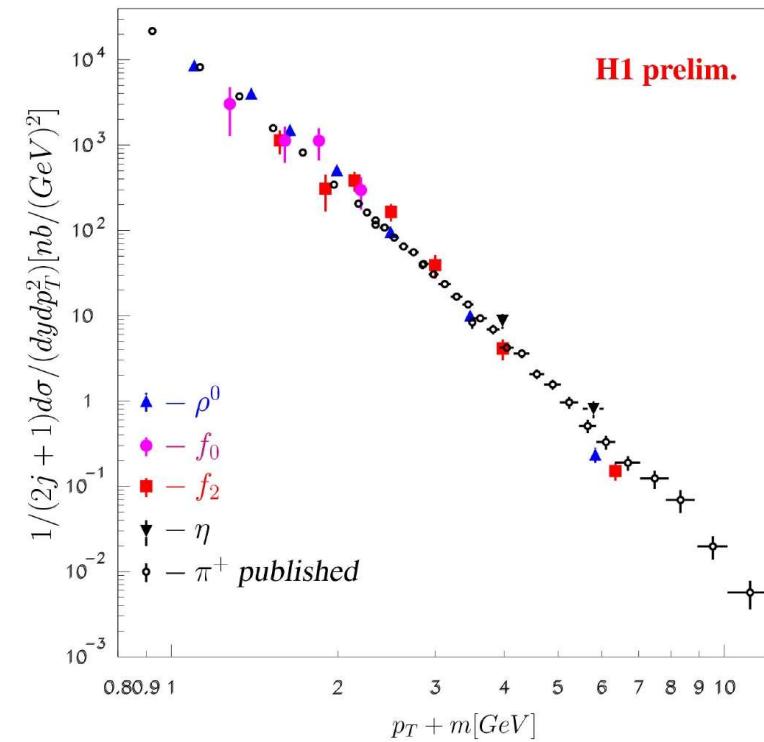


# $\eta$ , $\rho^0$ , $f_0(980)$ and $f_2(1270)$ meson at H1

H1 prelim.



Flat distribution  
in rapidity space

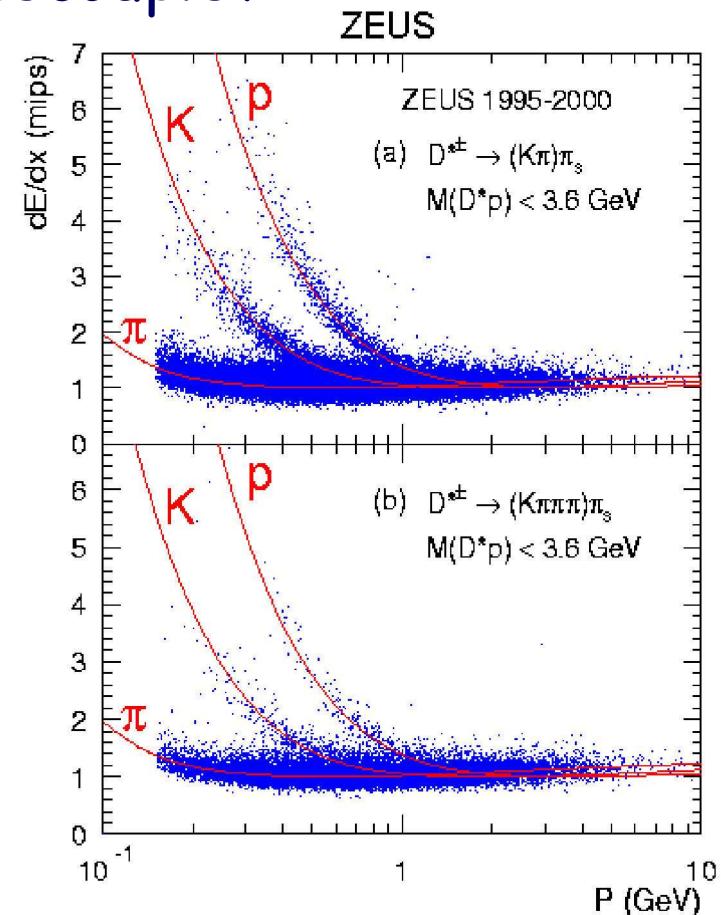
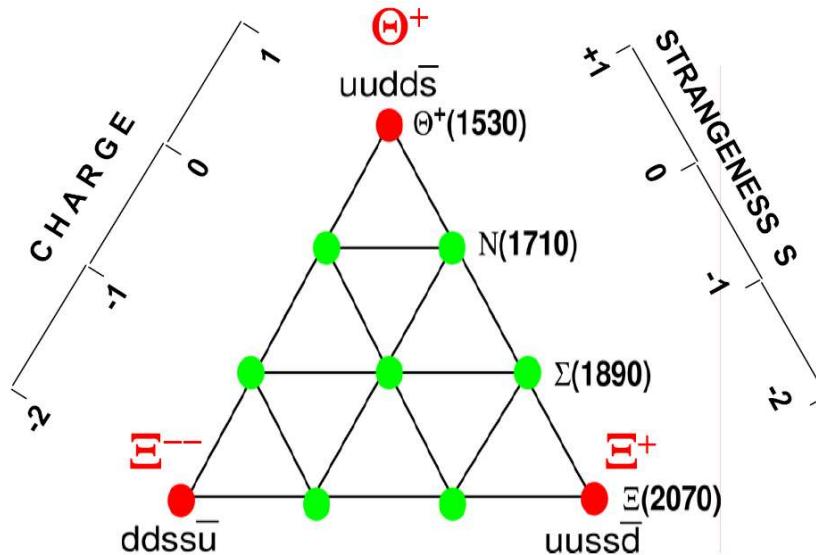


The universal behaviour  
of hadrons is observed

# Pentaquarks states Theory

## The strange Pentaquark anti-decouplet

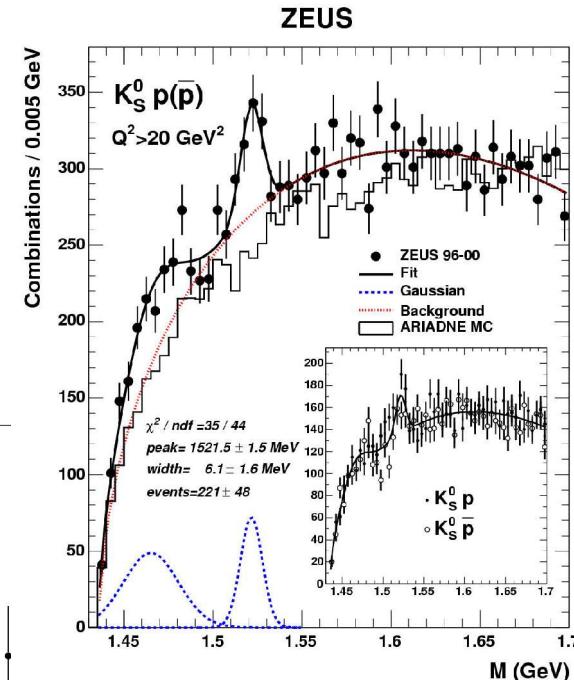
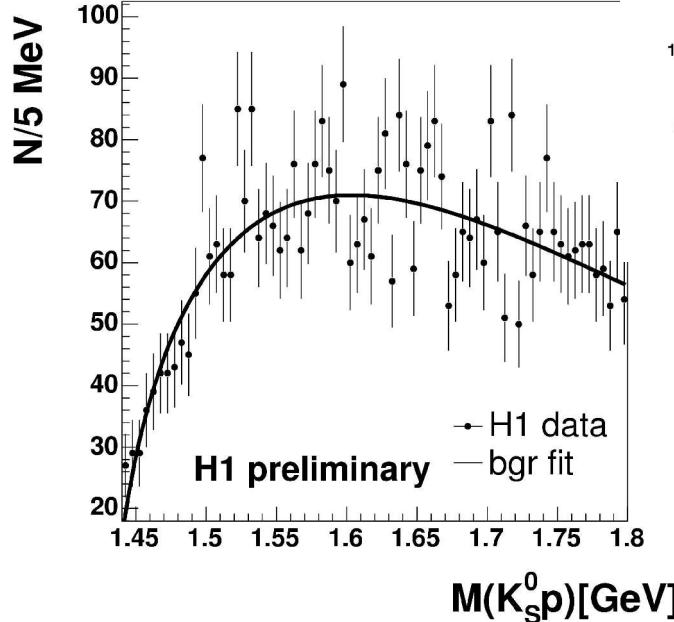
- Proposed by Diakonov, Petrov, Polyakov in 1997:
- 3 exotic baryons at corner
- Prediction of a width less than 15 MeV for the  $\Theta^+(1520)$  state



# Search for $\theta^\pm$

Search for  $\theta^+ \rightarrow p K_s^0 / \theta^- \rightarrow p \bar{K}_s^0$

- ZEUS:
  - candidate signal produced in **forward pseudorapidity** region
  - visible cross section measured in DIS
- H1:
  - No peak visible from H1
  - Upper limits on cross section set, **do not** exclude ZEUS observation

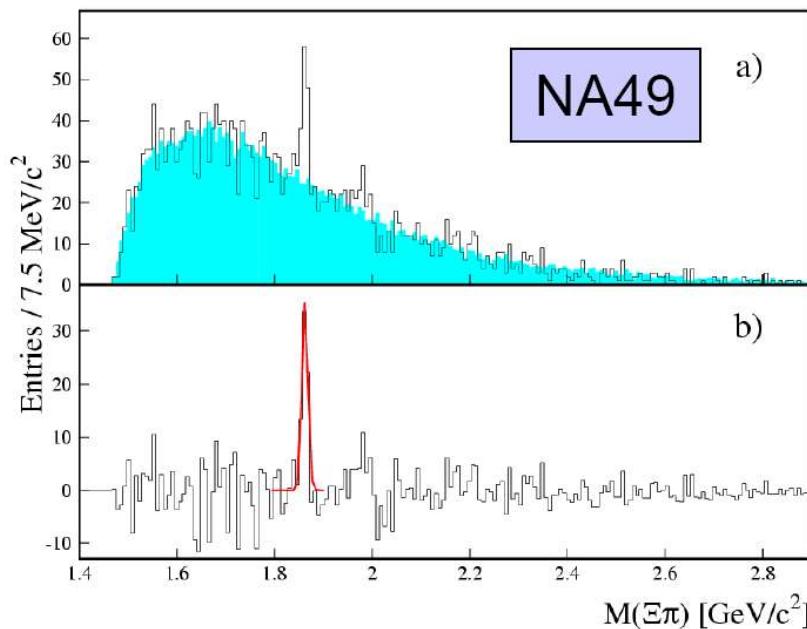


# Search for Double Strange $\Xi^{-}_{3/2} \rightarrow \Xi^{-}\pi^{-}$

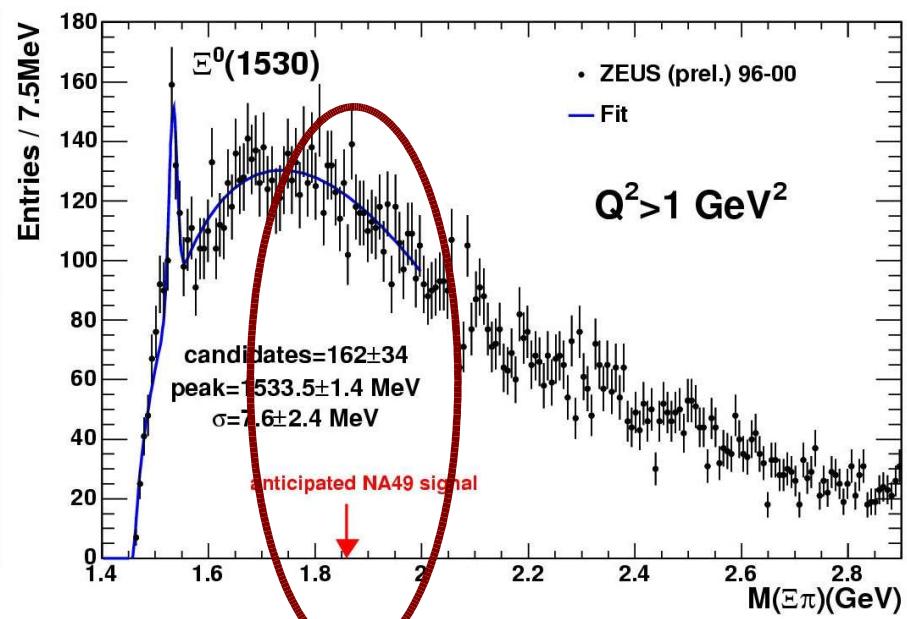
NA49 search for  $\Xi^{-}_{3/2} \rightarrow \Xi^{-}\pi^{-}$

$M = 1862 \pm 2$  MeV

width  $< 18$  MeV,  $\sim 3\sigma$



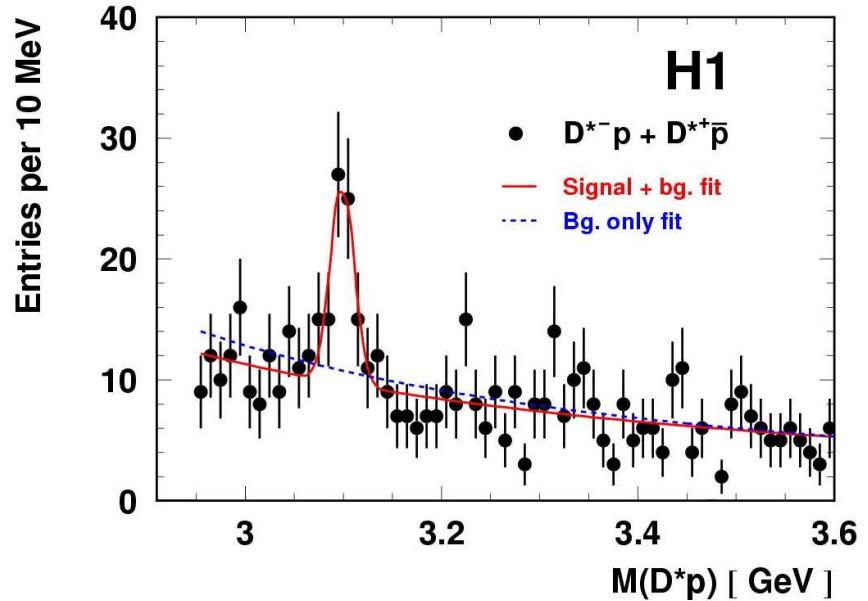
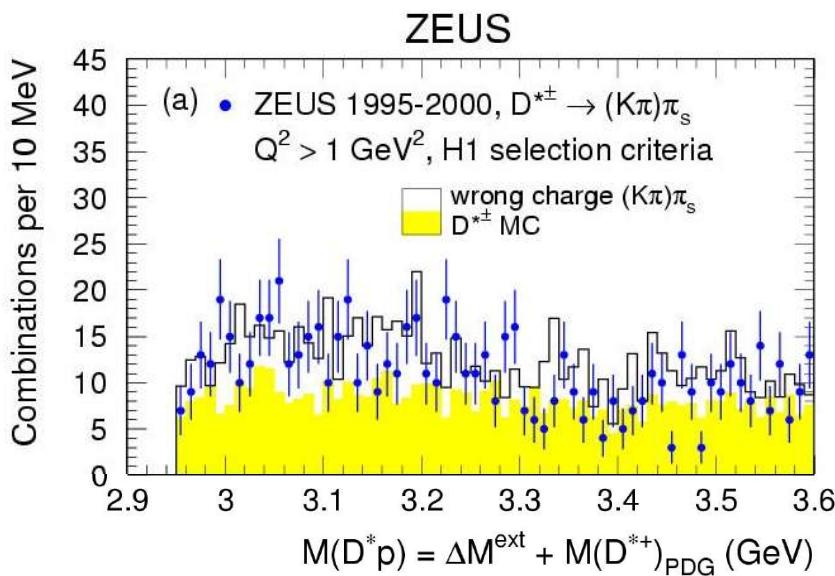
Similar analysis of NA49 repeated using ZEUS DIS data  
 $\Xi^{-}_{3/2} \rightarrow \Xi^{-}\pi^{-} \rightarrow \Lambda^0 \pi^{-}\pi^{-} \rightarrow p\pi^{-}\pi^{-}\pi^{-}$



ZEUS: clean  $\Xi^0(1530)$  but no pentaquark signal for  $Q^2 > 1$  and  $Q^2 > 20$  GeV<sup>2</sup>, not observation due to different phase space?

# Search for $\theta_c \rightarrow D^* p$

Comparison of H1 and ZEUS  
in similar phase space region



ZEUS do not observe  $\theta_c$  signal  
in a DIS data sample 1.7 times  
of H1 data sample  
(H1 see the signal also in PHP,  
ZEUS neither in photoproduction)

# Acceptance corrected $R_{\text{cor}}(D^* p(3100)/D^*)$

H1:

kinematic region:

$1 < Q^2 < 100 \text{ GeV}^2$  and  $0.05 < y < 0.7$

in the visible  $D^* p$  range:

$p_T(D^* p) > 1.5 \text{ GeV}$ ,  $-1.5 < \eta(D^* p) < 1.0$

and visible  $D^*$  range:

$p_T(D^*) > 1.5 \text{ GeV}$ ,  $-1.5 < \eta(D^*) < 1.0$

$$R_{\text{cor}}(D^* p(3100)/D^*) = (1.59 \pm 0.33(\text{stat})^{+0.33}_{-0.45}(\text{syst}))\% \text{ prel}$$

ZEUS:

kinematic region:

$Q^2 > 1 \text{ GeV}^2$  and  $y < 0.957$

phase space:

$p_T(D^*) > 1.5 \text{ GeV}$ ,  $-1.5 < \eta(D^*) < 1.0$

95% C.L. upper limit:

$$R_{\text{cor}}(D^* p(3100)/D^*) < 0.59\% \quad (< 0.51\% \text{ for both } D^0\text{-decay channels})$$

ZEUS: full kinematic region (DIS+photoproduction)

95% C.L. upper limit:

$$R_{\text{cor}}(D^* p(3100)/D^*) < 0.47\% \quad (< 0.39\% \text{ for both } D^0\text{-decay channels})$$

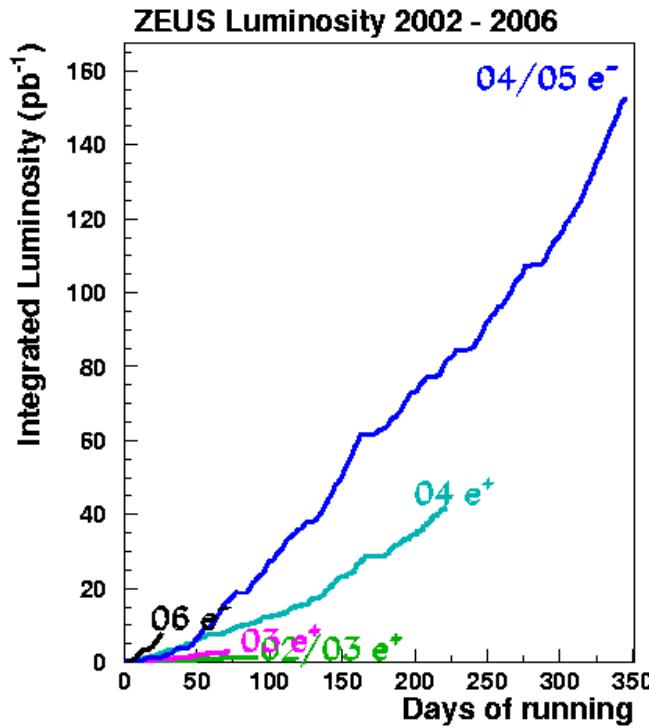
Observation of ZEUS and H1 are not compatible

# Conclusions

Precise measurements in wide kinematic ranges have been presented

- inclusive cross sections of  $D^\pm$ ,  $D^0$ ,  $D^*$  and  $\Lambda_c$ , were measured in DIS and photoproduction
- extracted fragmentation ratios and fractions support assumption of universality
- $\eta$ ,  $\rho^0$ ,  $f_0(980)$ ,  $f_2(1270)$ : inclusive cross-section for hadronic resonances has the same behaviour as observed for long-lived hadrons
- $\Theta^+(1530)$ : evidence for a narrow state (ZEUS). H1 does not observe this state but upper limit does not exclude ZEUS observation
- $\Xi^-(1860)$ : no evidence for the NA49 signal at 1862 MeV (ZEUS)
- $\Theta_c^0(3100)$ : evidence from H1 for the narrow resonance, ZEUS with larger statistic does not see this signal
- Need more statistics (HERA2) to confirm or exclude the observations

# HERA Collider



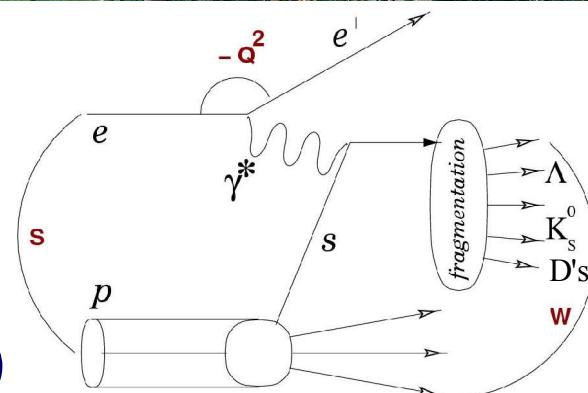
ep kinematics

photon virtuality  $Q^2$

inelasticity  $y = Q^2 / (x_{Bj} s)$

$Q^2 \approx 0 \text{ GeV}^2$  -- photoproduction

$Q^2 > 1 \text{ GeV}^2$  -- electroproduction (DIS)



# Kinematics

$$e(k)p(P) \rightarrow e(k')V(v)p(P')$$

$$Q^2 = -(k-k')^2$$

$$s = (k+P)^2$$

$$W^2 = (q+P)^2$$

$$\gamma = (P \cdot q) / (P \cdot k)$$

$$x = Q^2 / (2P \cdot q)$$

