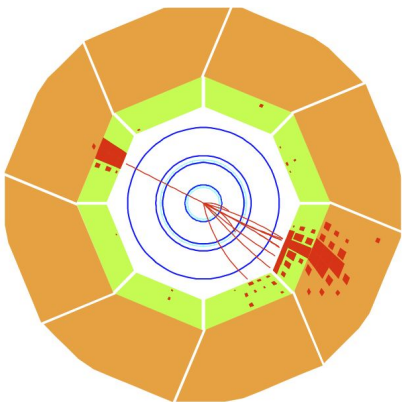
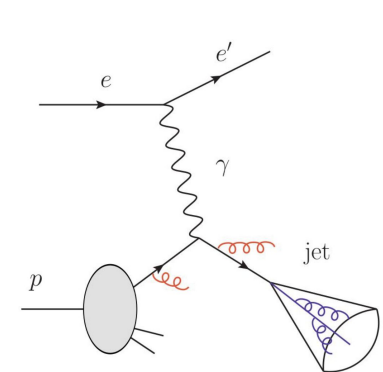




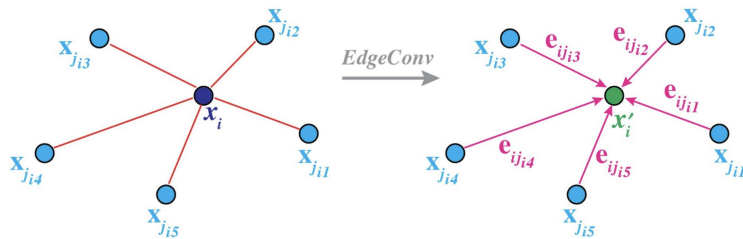
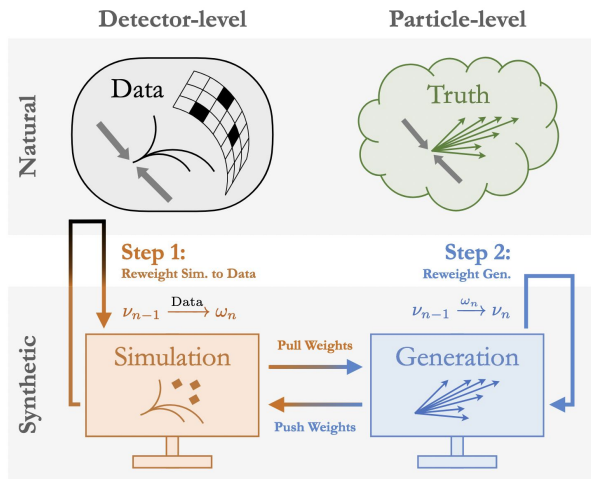
# Multi-differential Jet Substructure Measurement in High $Q^2$ DIS Events with HERA-II Data

**Vinicius M. Mikuni, Ben Nachman**

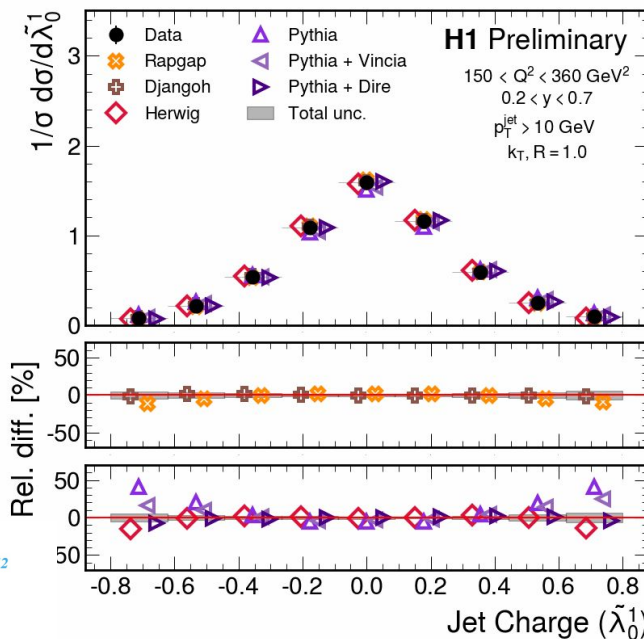
## 1: Definition of measure observables



## 2: Unfolding methodology



## 3: Multi-differential cross section results





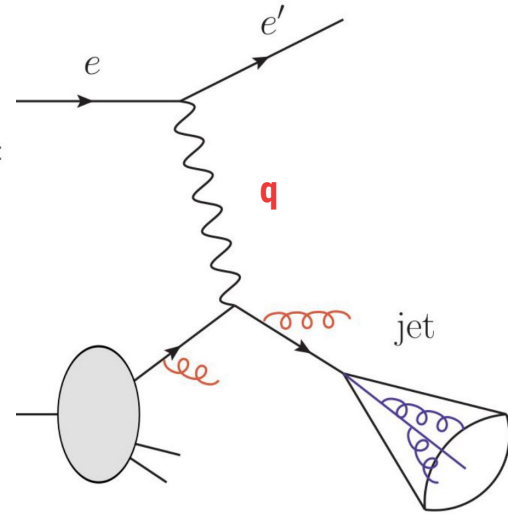
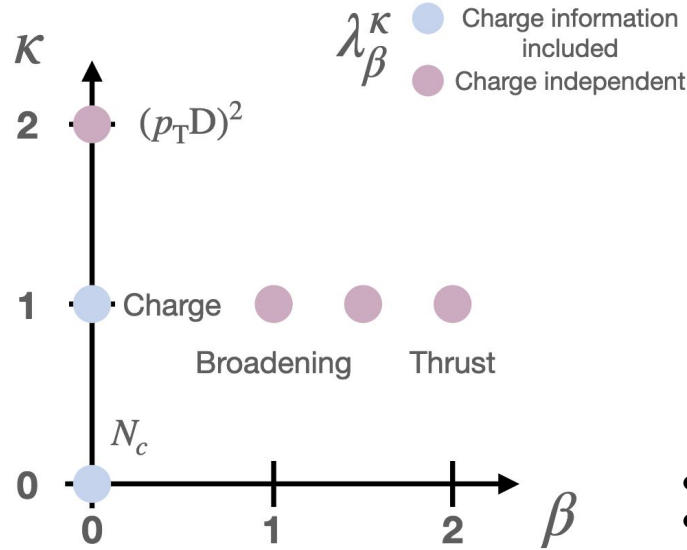
# Jet angularities

Use jet observables to study different aspects of QCD physics:

- IRC safe  $\lambda_a^1$ ,  $a = [0, 0.5, 1]$  and unsafe  $\mathbf{p}_T \mathbf{D}$  angularities
- Charge dependent observables:  $Q_j$  and  $N_c$
- Study the evolution of the observables with energy scale  $Q^2 = -q^2$

$$\lambda_{\beta}^{\kappa} = \sum_{i \in \text{jet}} z_i^{\kappa} \left( \frac{R_i}{R_0} \right)^{\beta}$$

$$\tilde{\lambda}_0^{\kappa} = Q_{\kappa} = \sum_{i \in \text{jet}} q_i \times z_i^{\kappa}$$



- $z_i$ : longitudinal momentum fraction
- $q_i$ : charge
- $R_i$ : distance from jet axis in  $(\eta, \phi)$



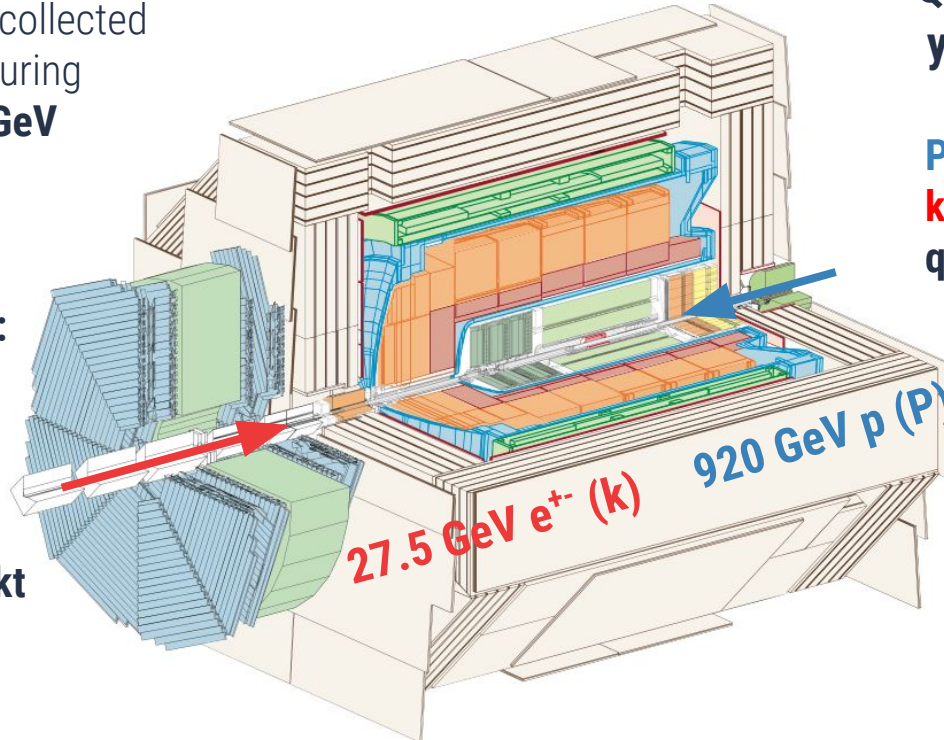
## Experimental setup

Using **228 pb<sup>-1</sup>** of data collected by the **H1 Experiment** during **2006** and **2007** at **318 GeV center-of-mass energy**

### Phase space definition:

- $0.2 < y < 0.7$
- $Q^2 > 150 \text{ GeV}^2$
- Jet  $p_T > 10 \text{ GeV}$
- $-1 < \eta_{\text{lab}} < 2.5$

Jets are clustered with **kt** algorithm with **R=1.0**



$$Q^2 = -q^2$$
$$y = Pq / pk$$

**P**: incoming proton 4-vector

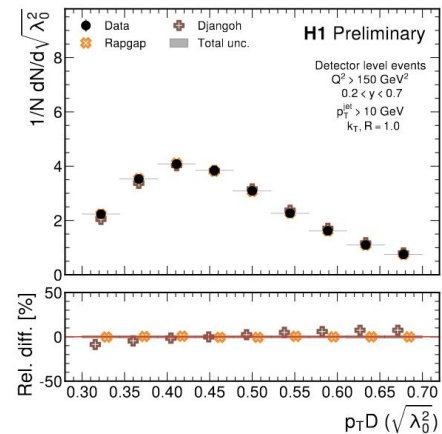
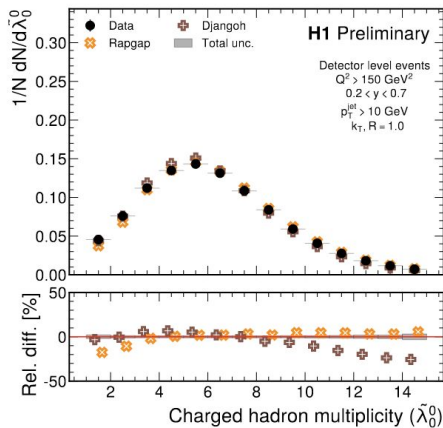
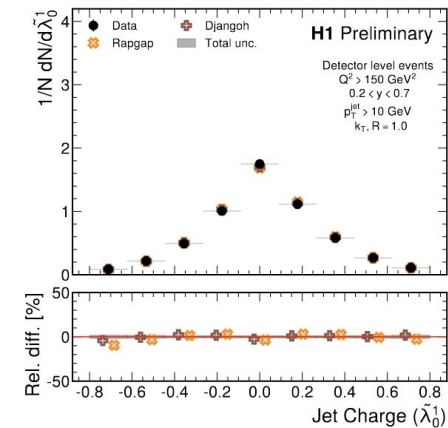
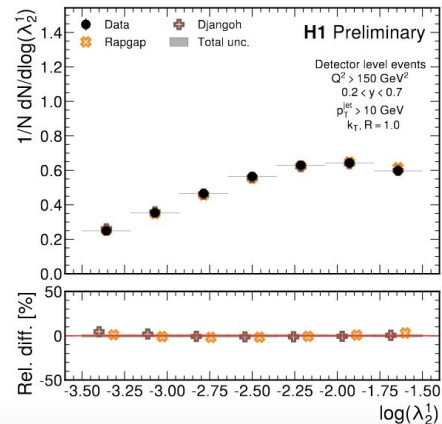
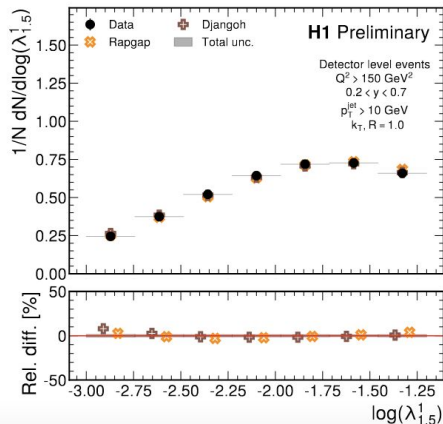
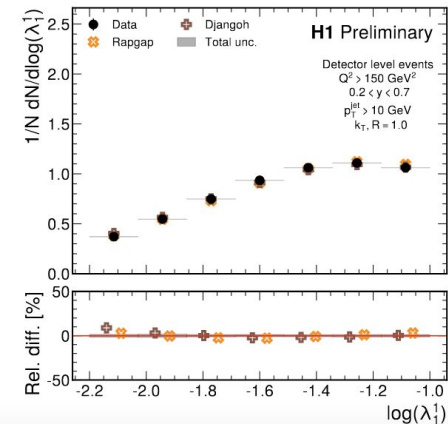
**k**: incoming electron 4-vector

**q=k-k'**: 4-momentum transfer

Reconstructed hadrons using combined detector information: **energy flow algorithm**



# Total experimental uncertainty at reconstruction level at the % level!



# Part 2

Unfolding strategy



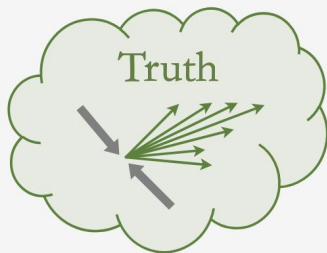
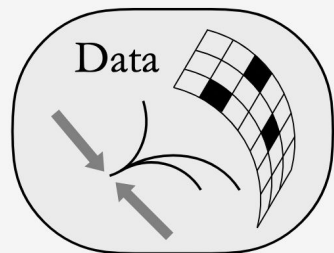
# Omnifold\*



## Detector-level

## Particle-level

Natural



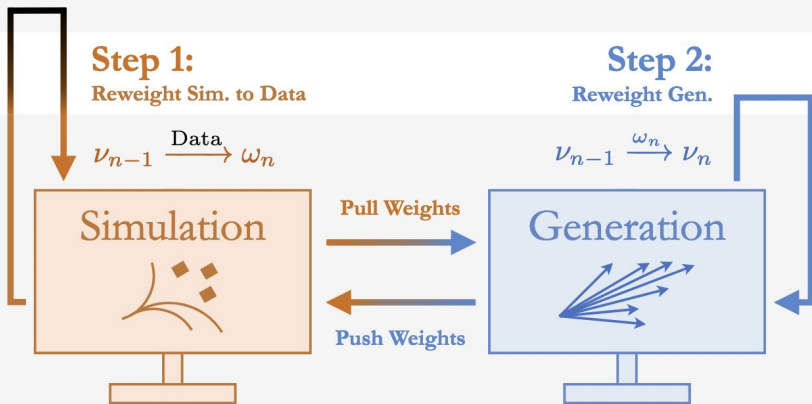
**Step 1:**  
Reweight Sim. to Data

$$\nu_{n-1} \xrightarrow{\text{Data}} \omega_n$$

**Step 2:**  
Reweight Gen.

$$\nu_{n-1} \xrightarrow{\omega_n} \nu_n$$

Synthetic



**2 step** iterative approach

- Simulated events after detector interaction are reweighted to match the data
- Create a “new simulation” by transforming weights to a proper function of the generated events

Machine learning is used to approximate **2** likelihood functions:

- **reco MC to Data** reweighting
- **Previous and new Gen** reweighting

\* Andreassen et al. PRL 124, 182001 (2020)





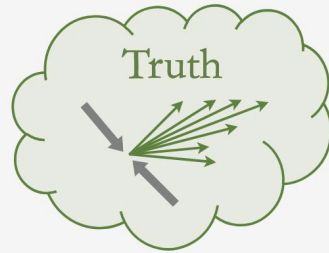
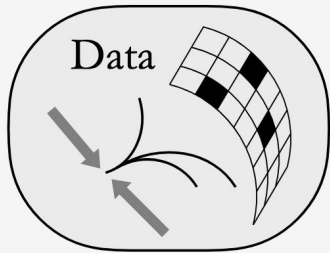
# Omnifold



Detector-level

Particle-level

Natural



Step 1:  
Reweight G to Data

Reco  
Particles  
inside jet  
Simulation

Pull Weights

Push Weights

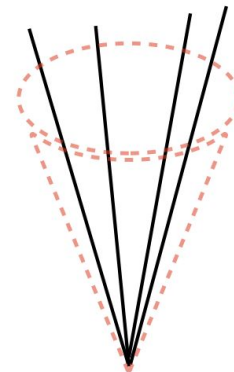
Step 2:  
Reweight G

Gen Jet  
observables  
Generation

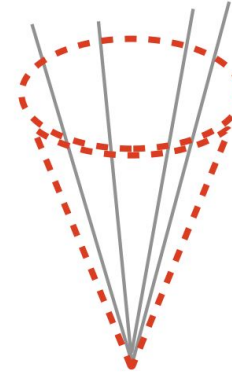
Synthetic

## Different input levels for each step

- Step 1 particles are used as inputs
- Step 2 uses the set of observables planned to unfold



Step 1



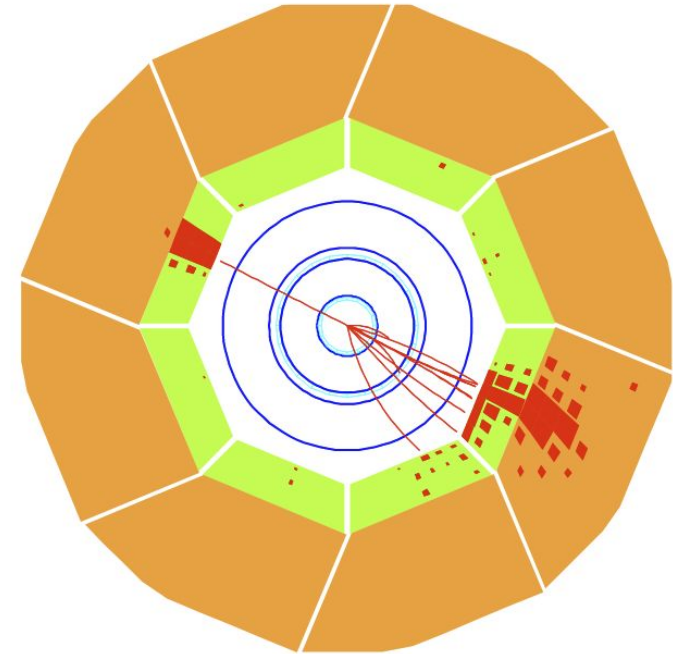
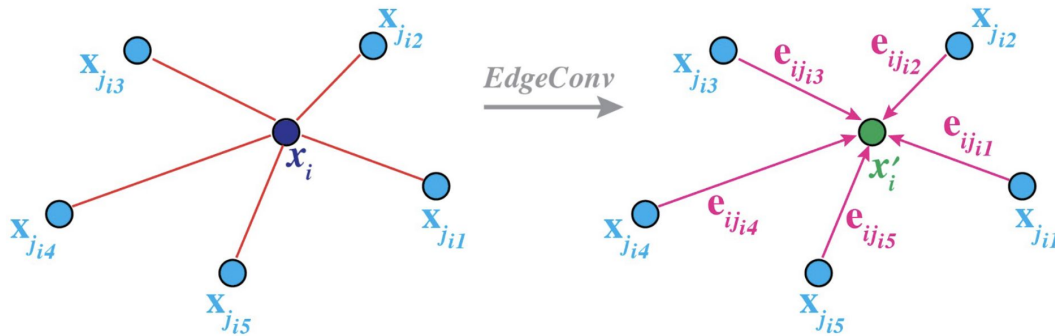
Step 2





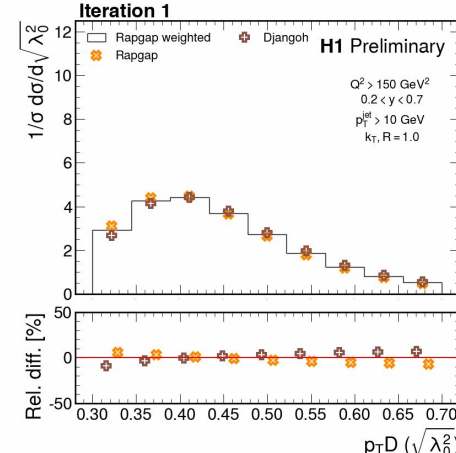
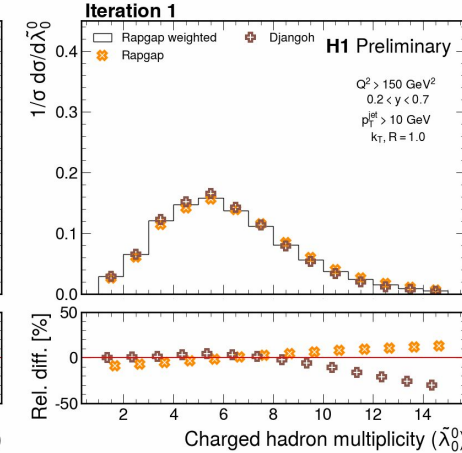
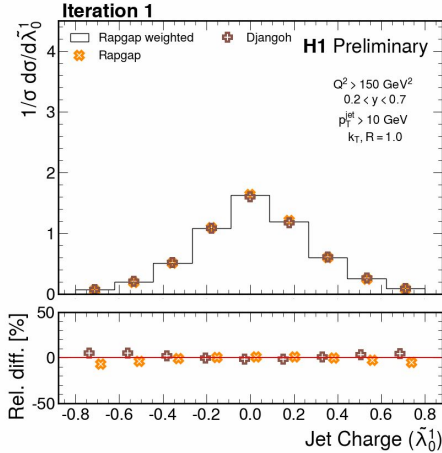
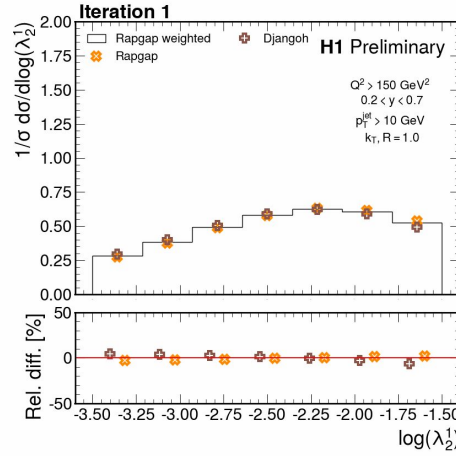
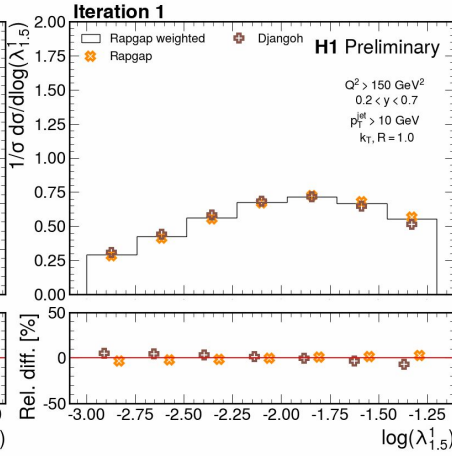
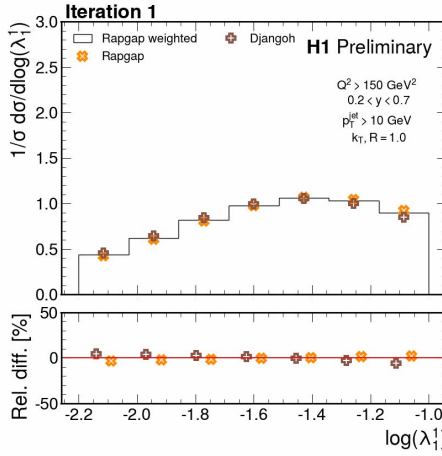
## Extracting particle information

- Particle information is extracted using a **Point cloud transformer\*** model
- Model takes **kinematic properties** of particles as inputs
- Connect  **$k=10$**  nearest neighbors in  $\eta$ - $\varphi$  to learn the relationship between particles.
- Built in symmetries: **permutation invariance**
- Consider up to **30** particles per jet





## All distributions are unfolded simultaneously without binning and without jet substructure information used at reco level!

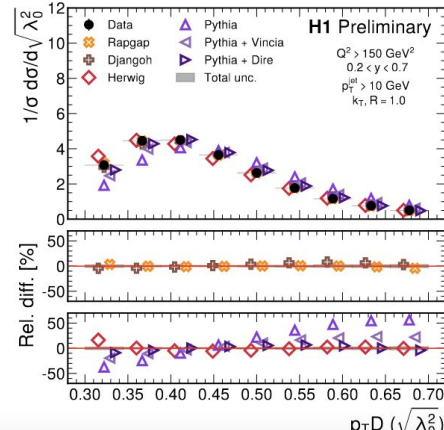
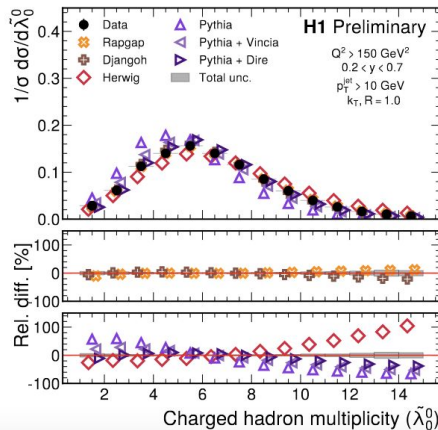
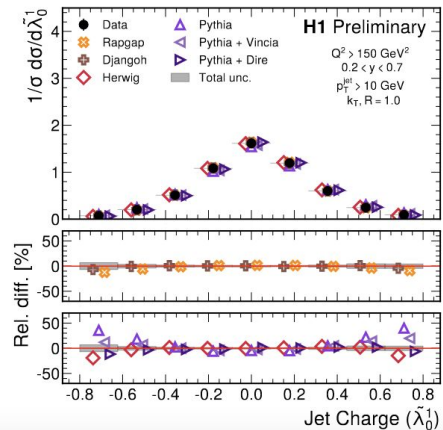
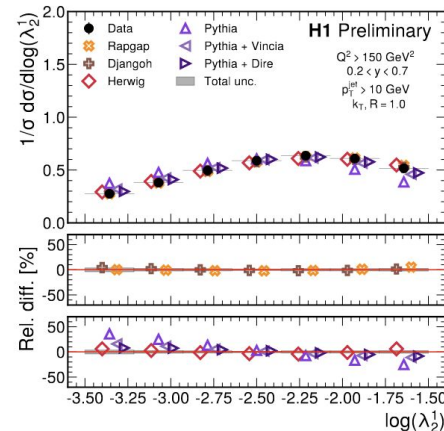
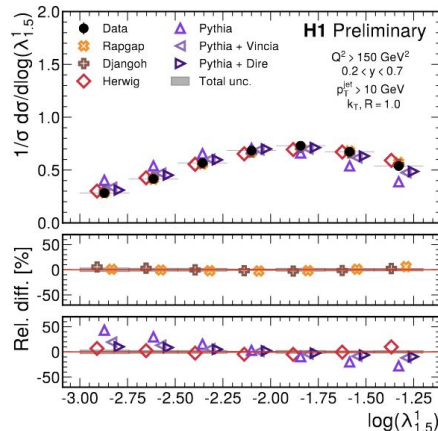
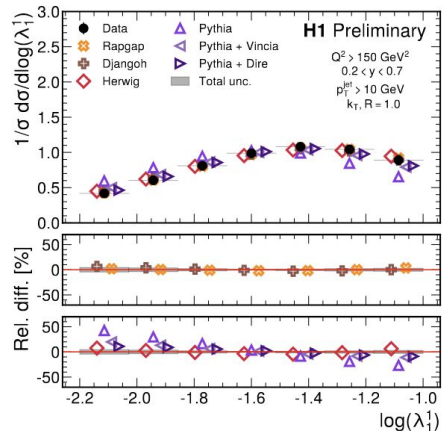


Verify the model **consistency**: start from the **Rapgap** simulation and unfold the response based on the **Djangoh** simulation

Total of **6 iterations** used to derive the main results

# Part 3

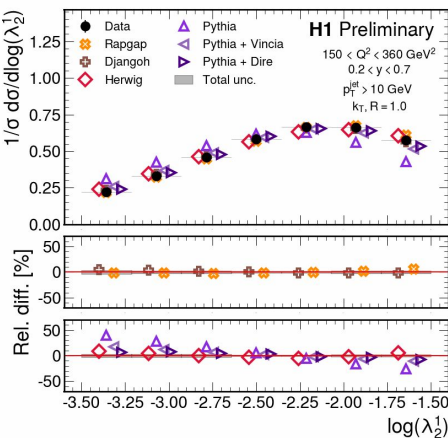
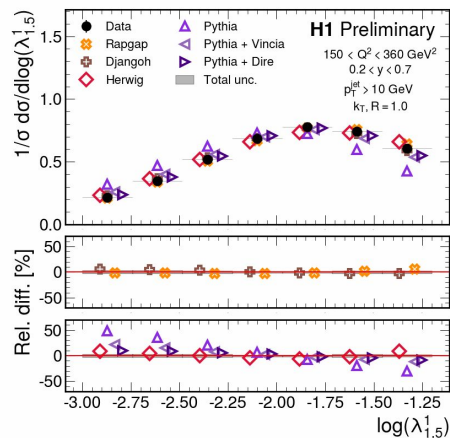
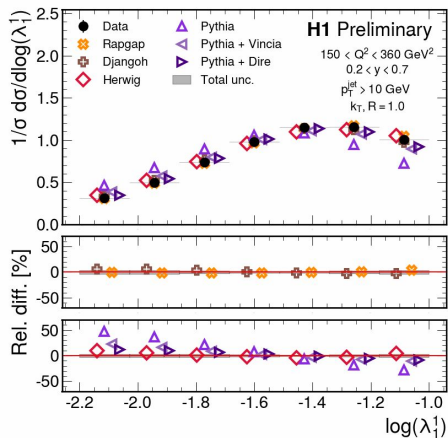
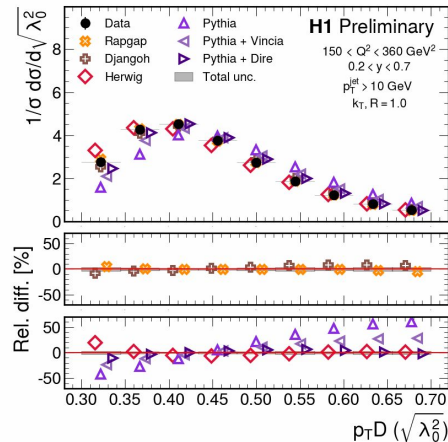
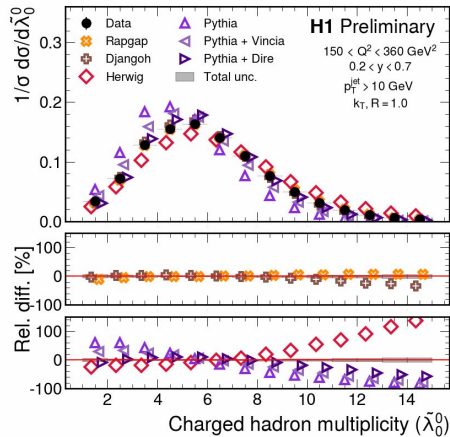
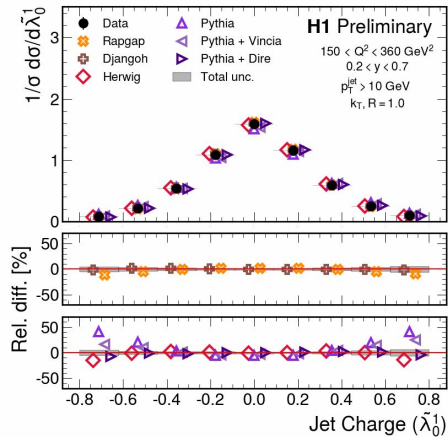
Unfolded results



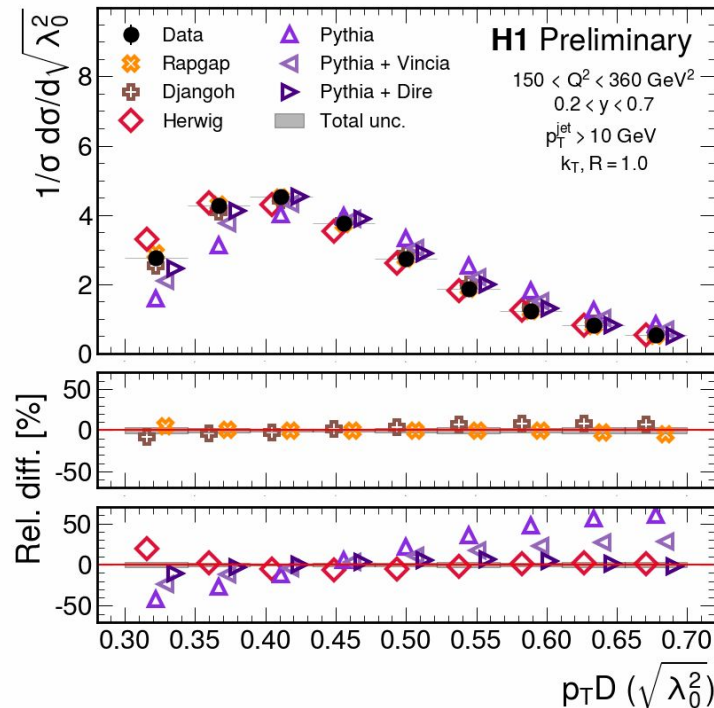
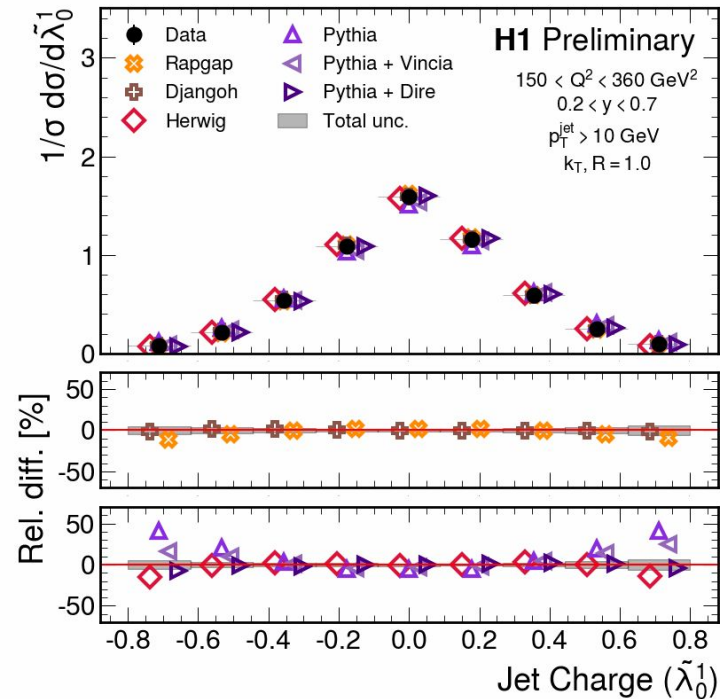
Dedicated DIS generators do a good job **everywhere**, especially **Rapgap**

**Herwig** does a good job for all distributions besides charge particle multiplicity

Alternative parton showers for **Pythia** do better than nominal, specially **Dire**

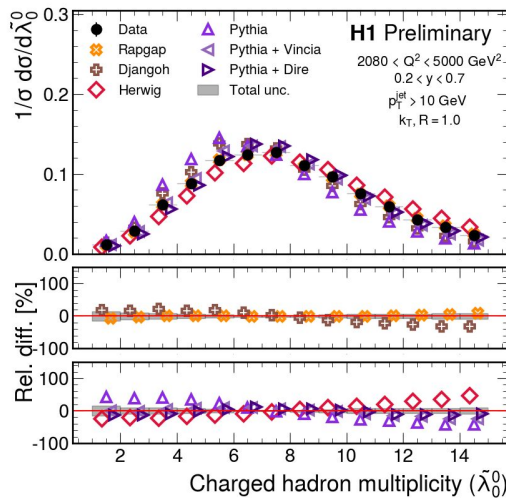
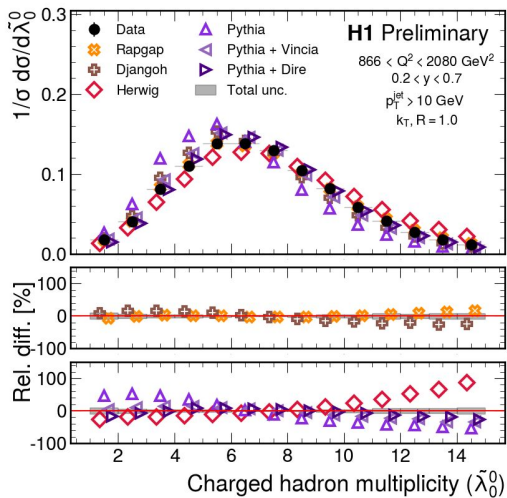
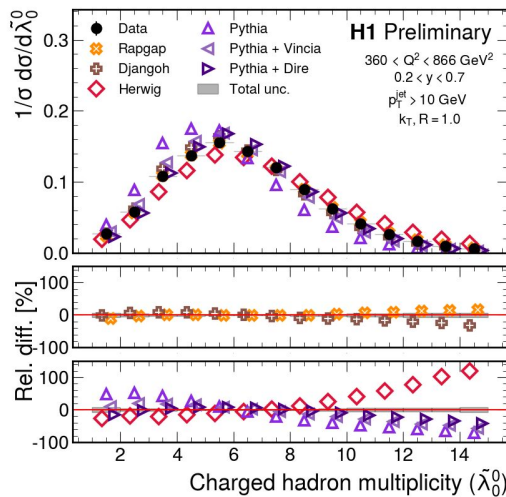
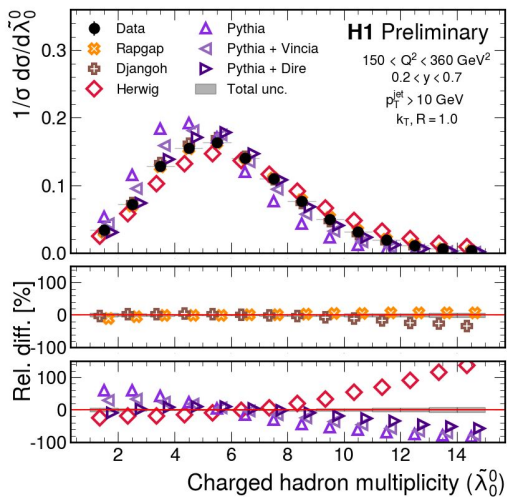


Unfolded results are also presented for 4  $Q^2$  intervals



More quark like distributions as  $Q^2$  increases





**Agreement between  
general purpose generators  
improves at higher  $Q^2$**

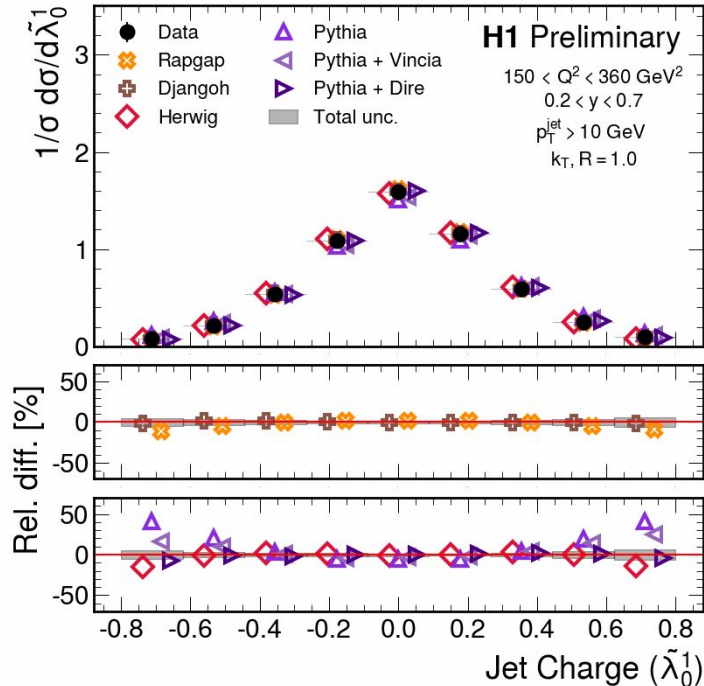




# Conclusions and prospects



# Unfolding the EIC

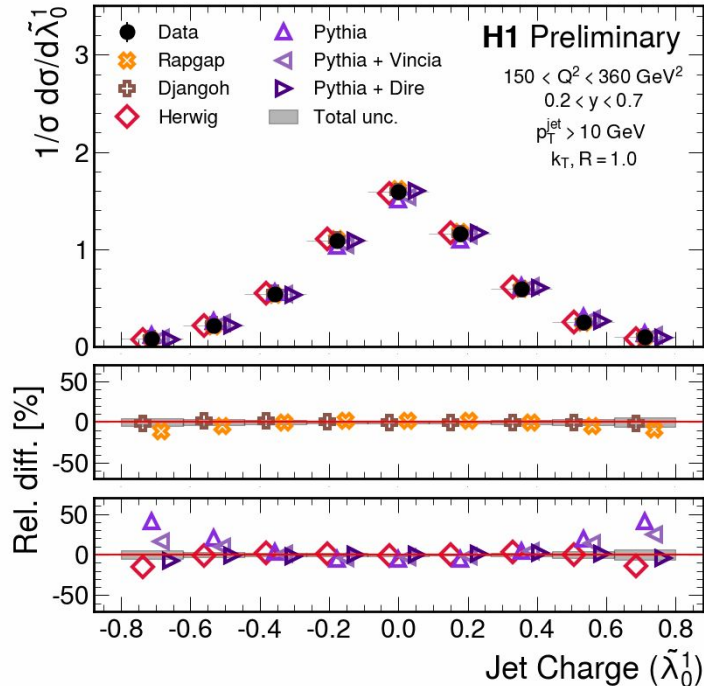


- Future step to be investigated is to use **only particles** for the unfolding, allowing the simultaneous unfolding of **any** jet observable
- To achieve this goal is rely on:
  - ▶ **Precise object reconstruction and calibration**
  - ▶ **Manageable number of objects:  $O(100)$**
- Should also study the feasibility of a **full event unfolding**
- Unfolded results could be shared by the **whole collaboration**:
  - ▶ Accelerate new measurements
  - ▶ Analysis design based on unfolded information

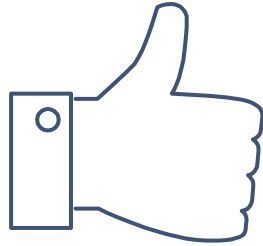
$$\lambda_{\beta}^{\kappa} = \sum_{i \in \text{jet}} z_i^{\kappa} \left( \frac{R_i}{R_0} \right)^{\beta}$$



# Conclusions and prospects



- Jet observables are an unique laboratory to study **QCD properties**
- **Energy scale** evolution for each jet observable measured in multiple  **$Q^2$  intervals from 150 to 5000  $\text{GeV}^2$**
- Detector effects are corrected using the **Omnifold method** with particles as inputs using **graph neural networks**
  - Unbinned and simultaneous unfolding
- Good agreement for dedicated DIS generators, **Herwig** described all distributions besides track multiplicity while **Dire** parton shower has the best agreement for the **Pythia** implementations
- First step towards unfolding **any** jet observable in one go
- Preliminary results available at: [H1prelim-22-034](https://www.h1.yepi.de/Preprints/H1prelim-22-034)



# THANKS!

Any questions?

**Backup**



## Systematic uncertainties

### Systematic uncertainties currently considered

- **HFS energy scale:**  $\pm 1\%$
- **HFS azimuthal angle:**  $\pm 20$  mrad
- **Lepton energy:**  $\pm 0.5\%$  (mainly affects  $Q^2$ )
- **Lepton azimuthal angle:**  $\pm 1$  mrad (mainly affects  $Q^2$ )
- **Model uncertainty:** differences in unfolded results between Djangoh and Rapgap
- **Non-closure uncertainty:** Differences between the expected and obtained values of the closure test
- **Statistical uncertainty:** Standard deviation of 100 bootstrap samples with replacement





## MC Generators

**Lund string** hadronization model and **CTEQ6L** PDF set

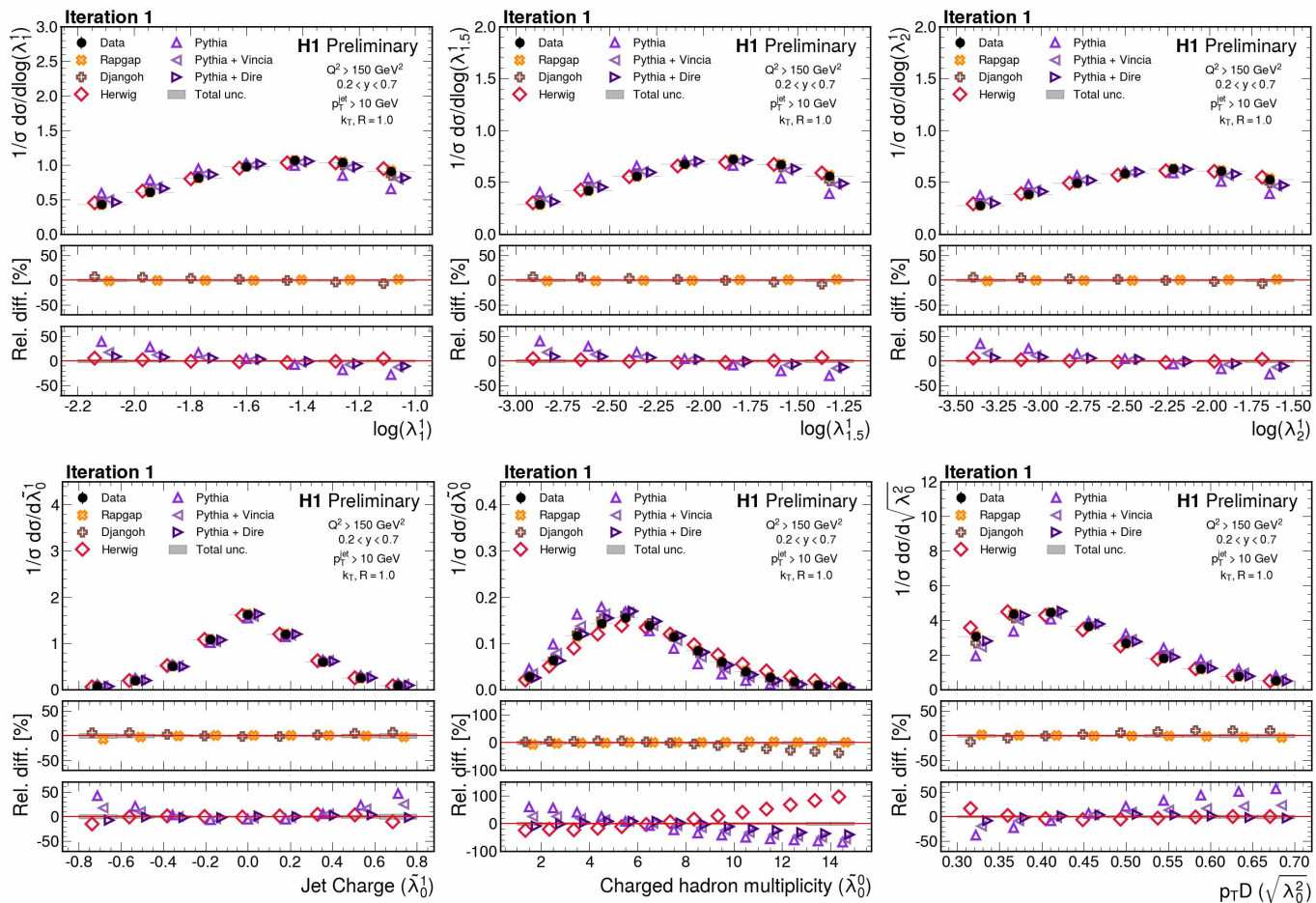
- **Djangoh**: Dipole model from Ariadne
- **Rapgap**: PS from leading log approximation

**Pythia 8.3**: default NNPDF3.1 PDF

- **Vincia**:  $p_T$  ordered antenna and NNPDF3.1 PDF
- **Dire**: dipole model, similar to Ariadne and MMHT14nlo68cl PDF

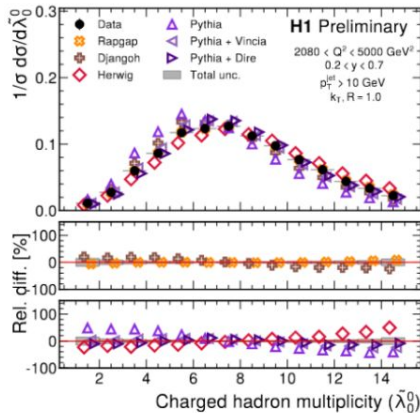
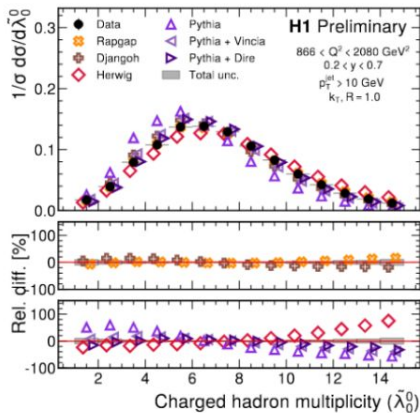
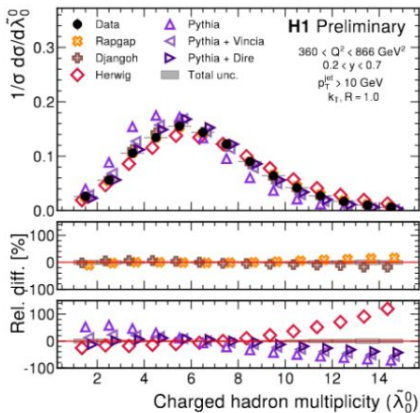
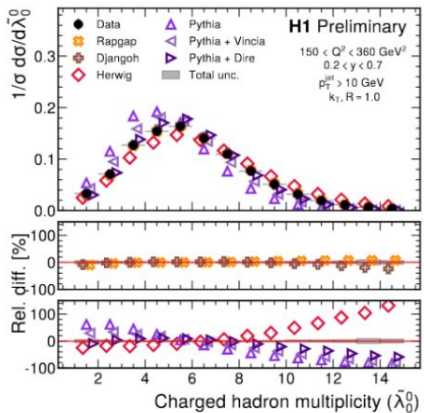
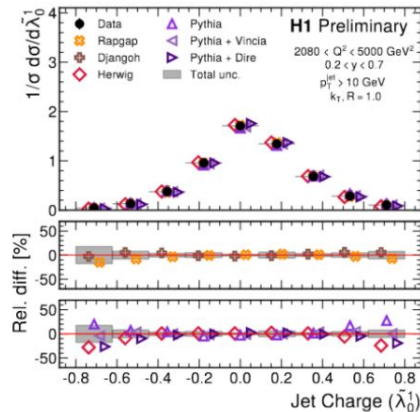
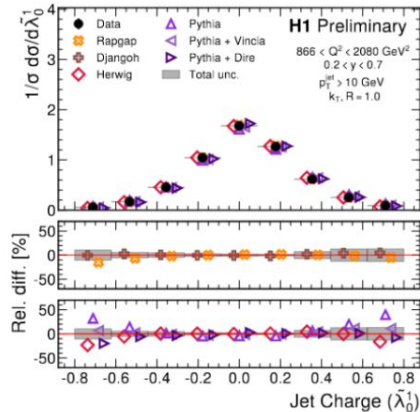
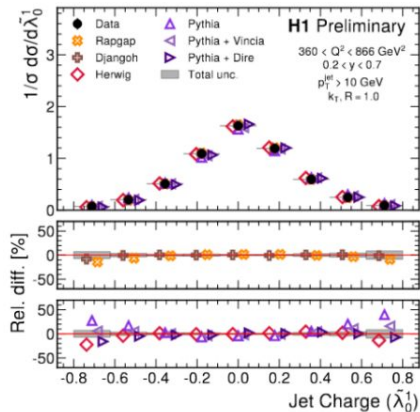
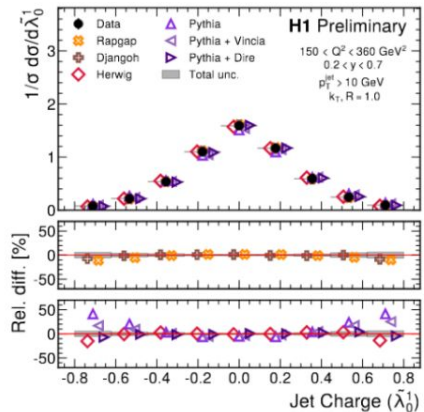
**Herwig 7.2**: Cluster hadronization and CT14 PDF set

# Iteration dependence

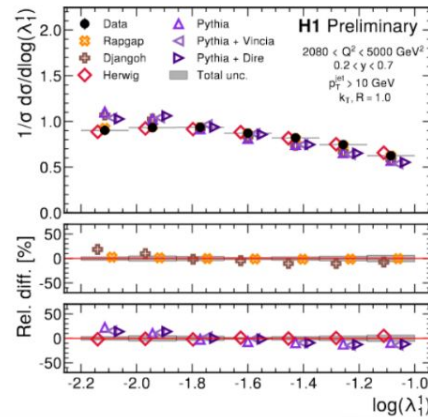
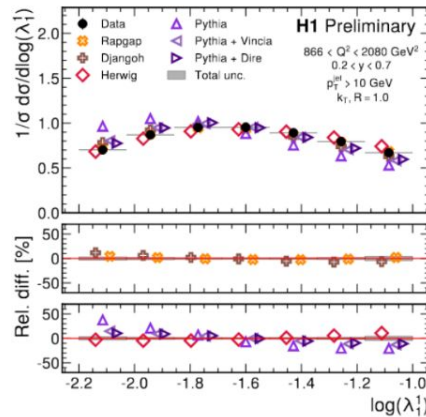
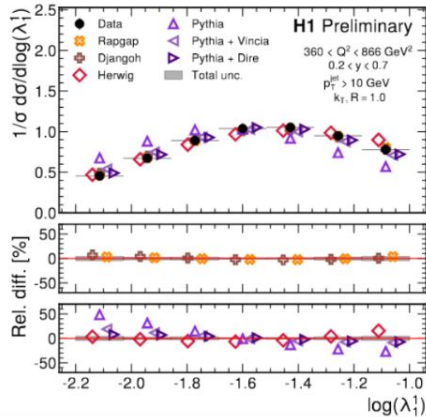
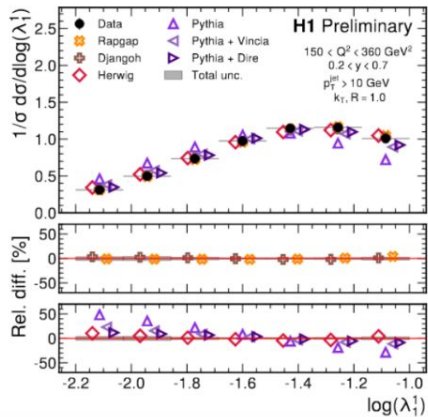
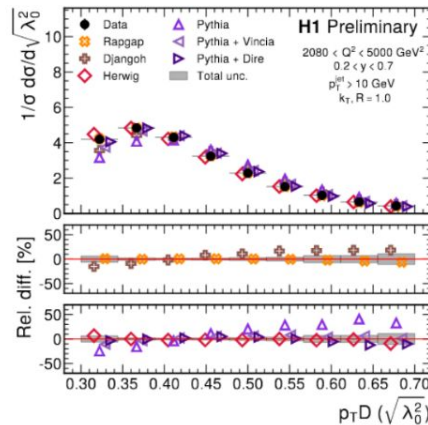
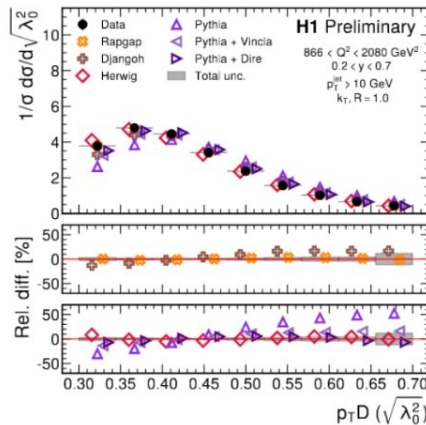
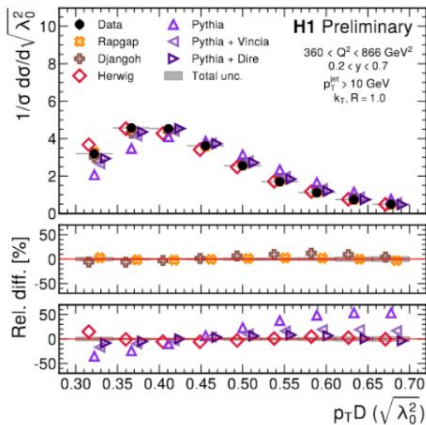
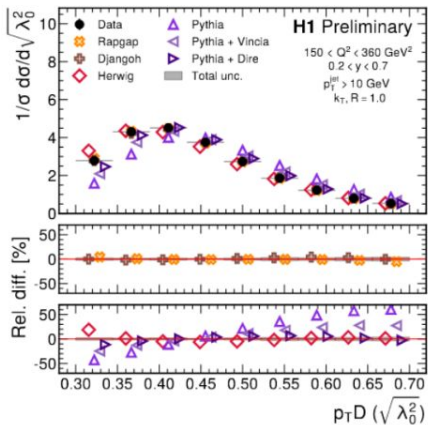


Results are stable even at high omnifold iteration numbers. Total number of iterations chosen based on the total systematic uncertainty

# Multi Differential



# Multi Differential





# Multi Differential

