

Review of diffraction at HERA

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on behalf of the H1 and ZEUS Collaborations

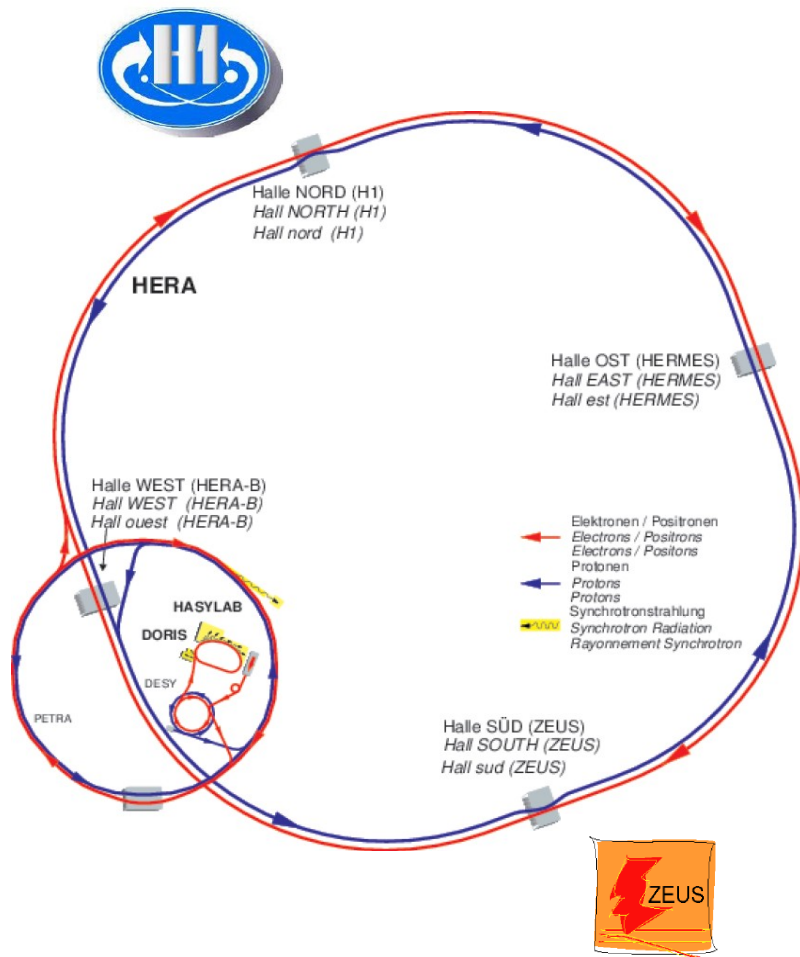


Low-x Meeting, June 7 2016, Gyöngyös, Hungary

HERA

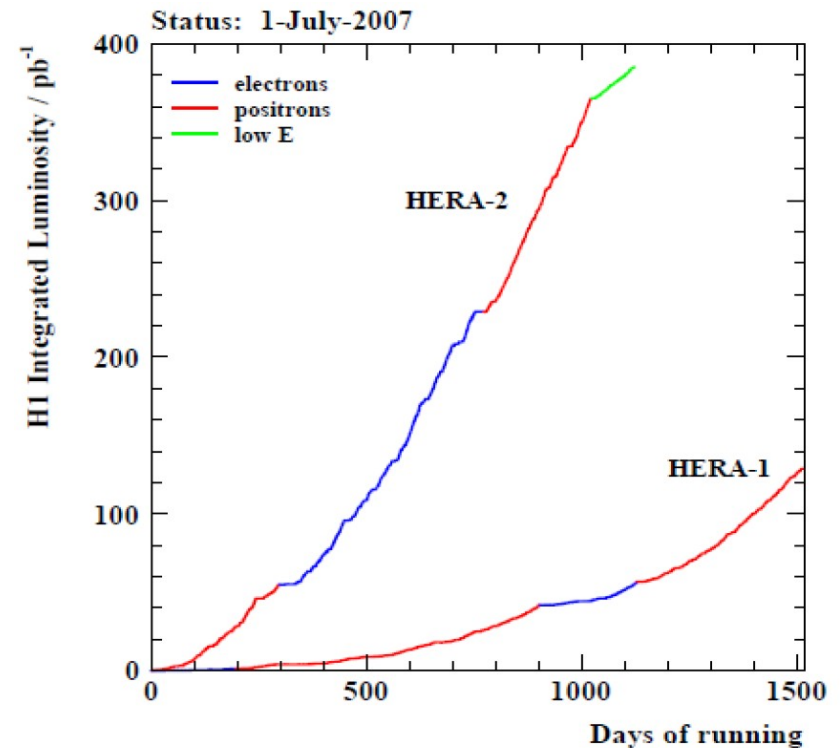
HERA (DESY, Hamburg)
ep collider, 1993-2007

$$E_p = 920 \text{ GeV} \quad E_{e^\pm} = 27.5 \text{ GeV}$$



H1 and ZEUS
two multipurpose experiments

HERA I (1993-2000) $\approx 120 \text{ pb}^{-1}$
HERA II (2003-2007) $\approx 380 \text{ pb}^{-1}$
... per experiment



Diffraction in ep

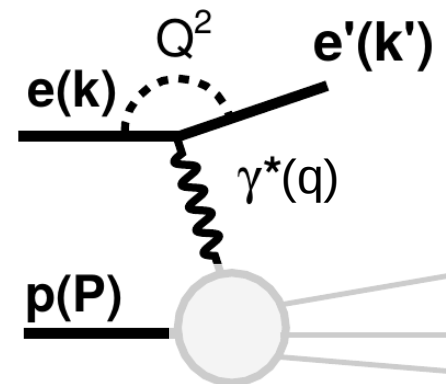
ep interactions proceed mainly via γ^* exchange

$$s = (k + P)^2 \dots \text{CMS energy of collision}$$

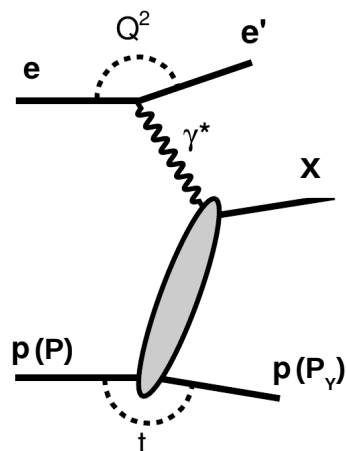
$$Q^2 = -q^2 = -(k - k')^2 \dots \text{four-momentum transfer at e vertex}$$

$$W = \sqrt{(q + P)^2} \dots \text{hadronic c.m.s. energy}$$

$$x = \frac{Q^2}{2q \cdot P} \dots \text{Bjorken } x$$



diffraction



from Regge phenomenology of h-h collisions

$$\sigma_{tot} \propto \sum_k S^{2(\alpha_k(0) - 1)}$$

$$\alpha_k(t) = \alpha_k(0) + \alpha'_k t$$

→ trajectory in (t, l) plane

→ l - cplx. ang. momentum

$\sigma_{tot}(s)$ described only if vacuum quantum numbers' exchange is included:

→ **Pomeron (IP)** $\alpha_{IP}(t) = 1.08 + 0.25 [\text{GeV}^{-2}] \cdot t$

$$t = (P - P_Y)^2 \dots \text{four-momentum transfer at p vertex}$$

$$x_{IP} = \frac{q \cdot (P - P_Y)}{q \cdot P} \dots \text{fractional long. mom. loss of proton}$$

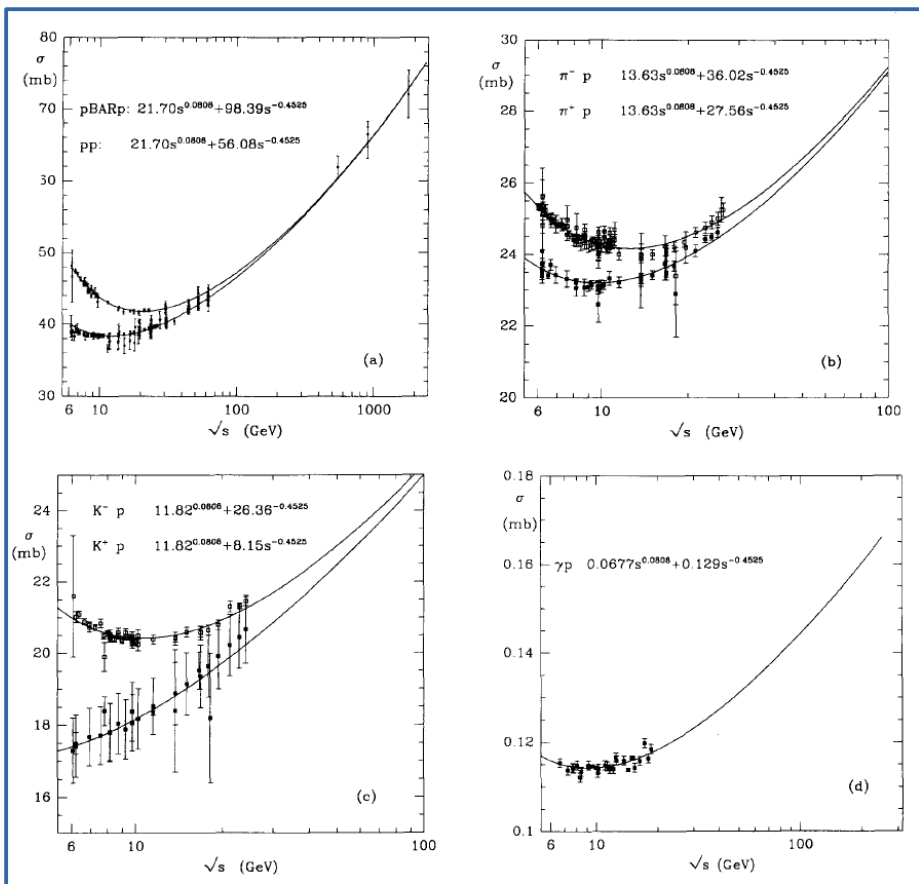
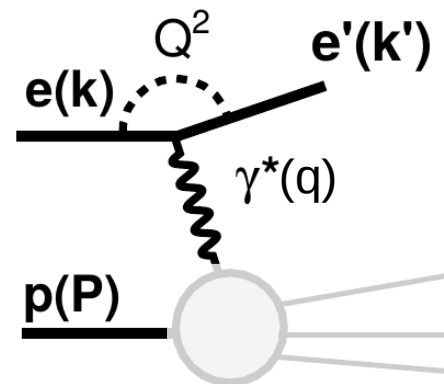
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from Regge phenomenology of h-h collisions

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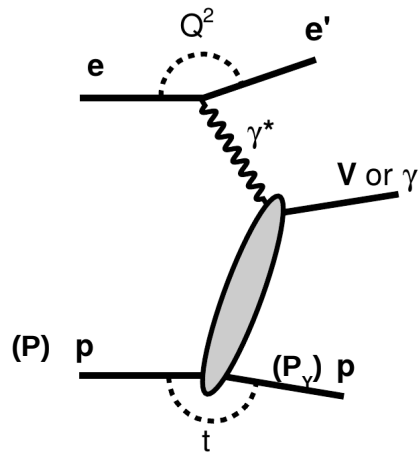
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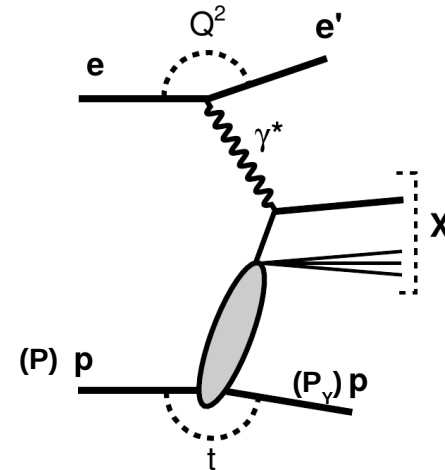
Diffraction in ep

main classes of diffractive processes of interest at HERA



in some cases with
proton dissociation
 $p \rightarrow Y$, where $M_Y = P_Y^2$

'elastic' VM or DVCS
partially also inclusive DIS



diffractive dissociation

hard diffractive exchange

- whole exchange participates
- mostly ρ , ω , ϕ , ρ' , J/ψ or γ

described in proton rest frame

- VMD model (no hard scale)
- color dipole model (hard scale)

HERA domain

- continuum of masses of X

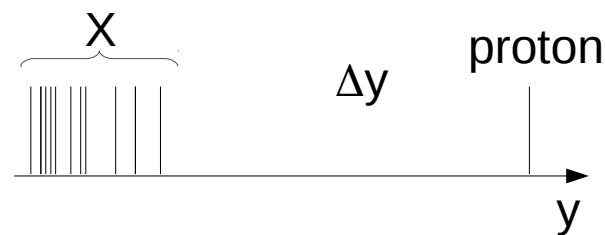
diffractive exchange

- only part of diff. exchange participates, $\beta = x / x_{IP}$

Diffraction seen in detectors

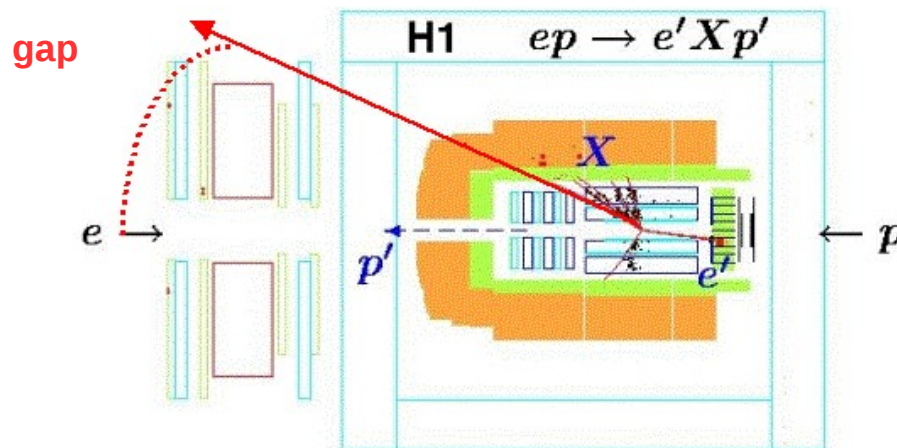
due to vacuum quantum exchange

- leading particle at relatively small t
- rapidity distributions of final state (VM, X) separated from leading particle by non-exponentially suppressed gaps – **Large Rapidity Gap (LRG)**



both leading proton tagging or LRG used in H1 and ZEUS

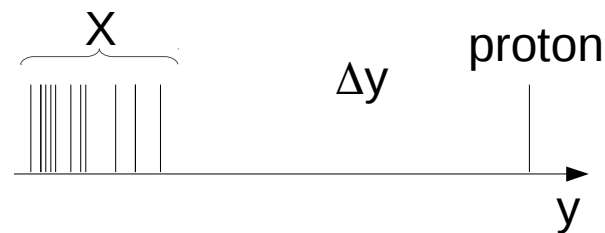
LRG method



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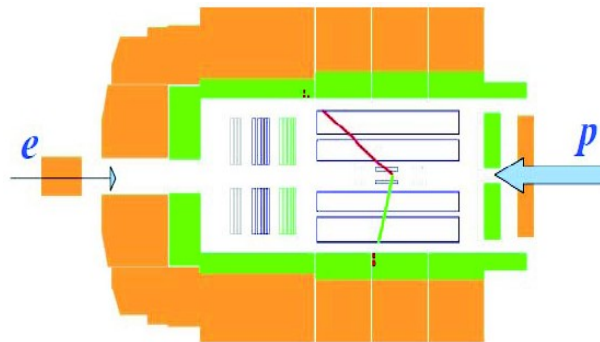
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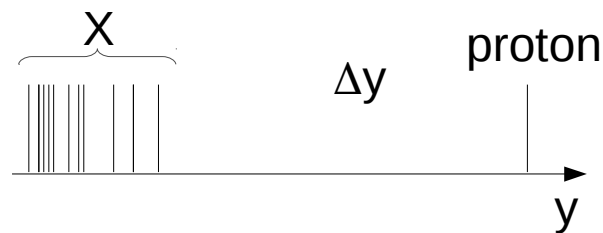
exclusive VM
empty detector otherwise

Diffraction seen in detectors

due to vacuum quantum exchange

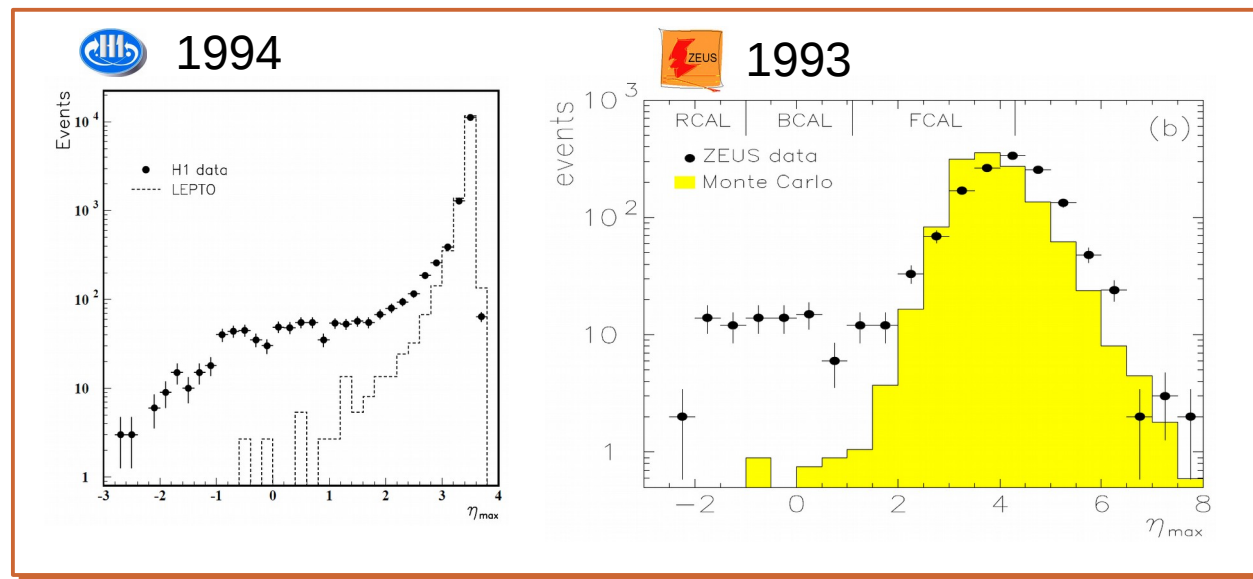
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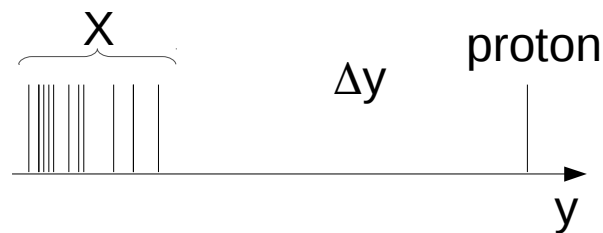
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Diffraction seen in detectors

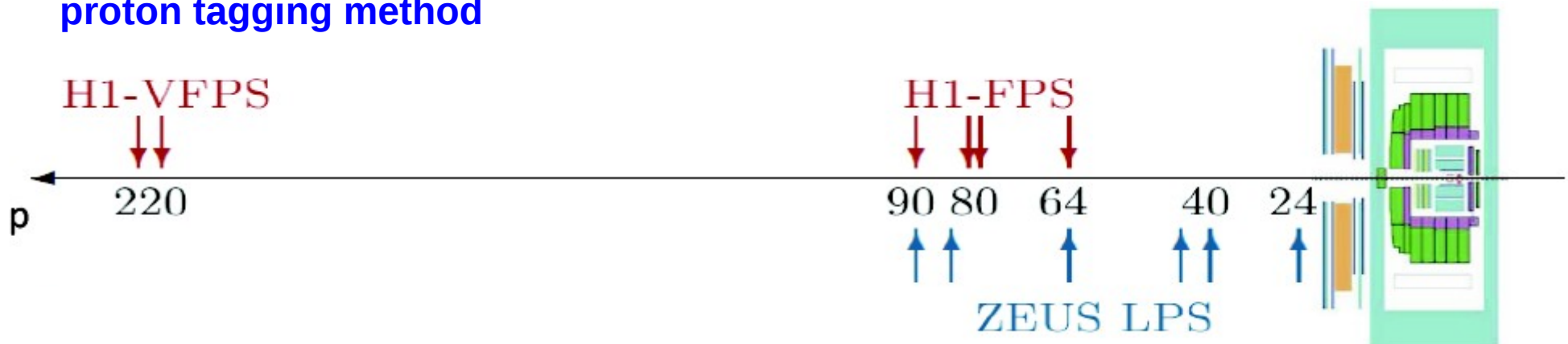
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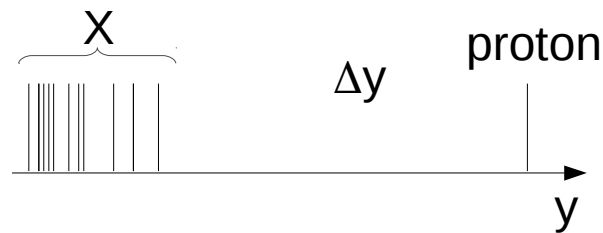
proton tagging method



Diffraction seen in detectors

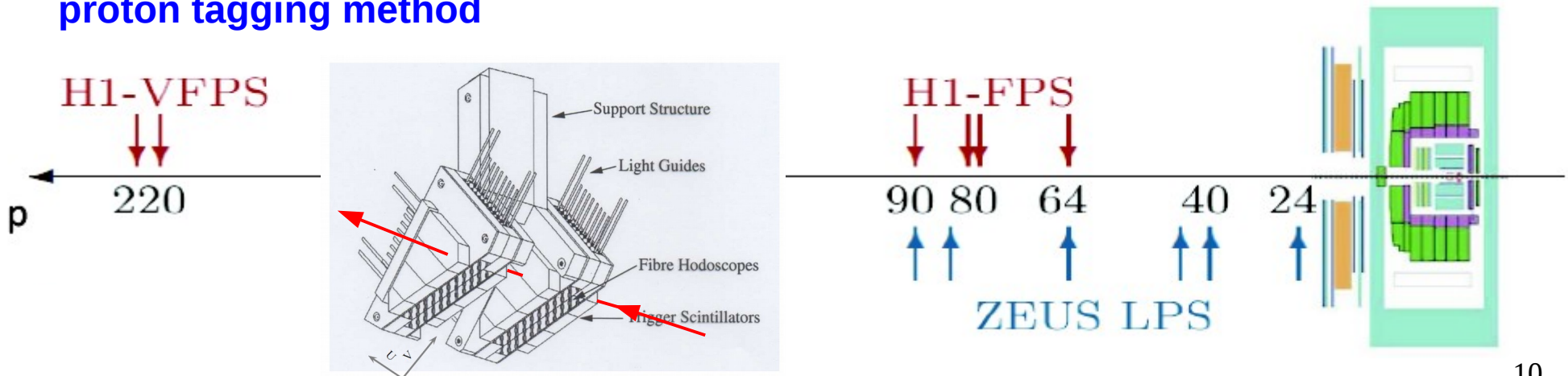
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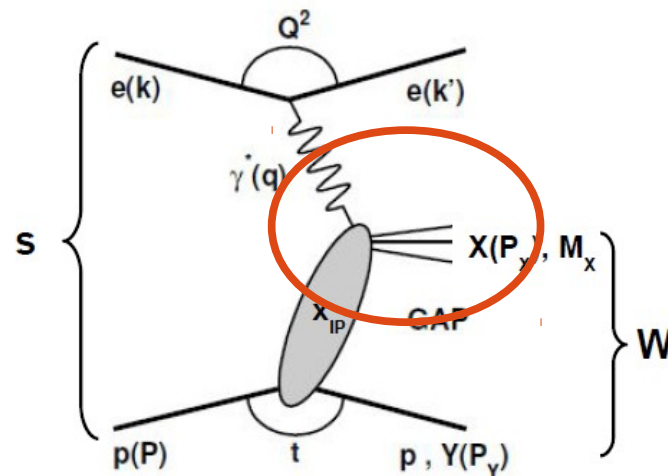
proton tagging method



Diffractive dissociation

Diffractive dissociation in DIS

- virtual photon dissociates into system X ($M_X^2 \ll W^2$)
- small momentum transfer to proton, $|t| \ll W^2$
- proton stays intact or dissociates into system Y ($M_Y^2 \ll W^2$)
- large rapidity gap (non-exponentially suppressed) between Y and X
- hard scale present (Q^2, p_T^2, m_Q^2)
 - inclusive
 - jet data
 - open charm / beauty
- represents $\sim 10\%$ of low x DIS σ

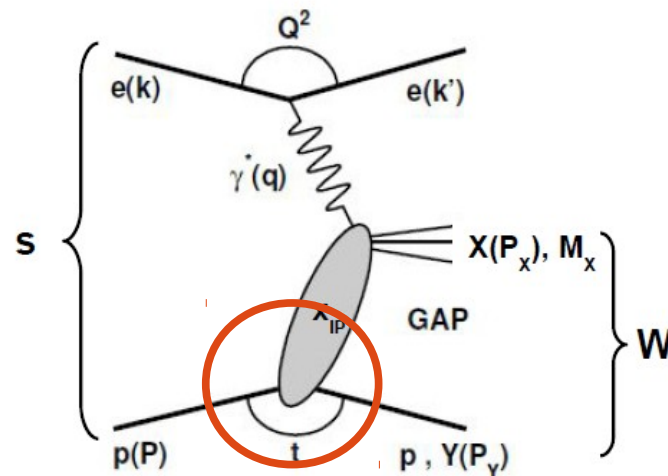


$$ep \rightarrow eXY$$

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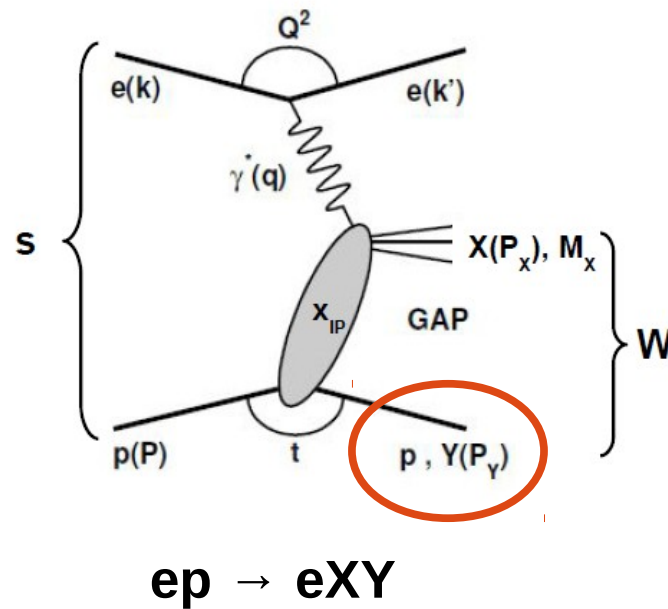


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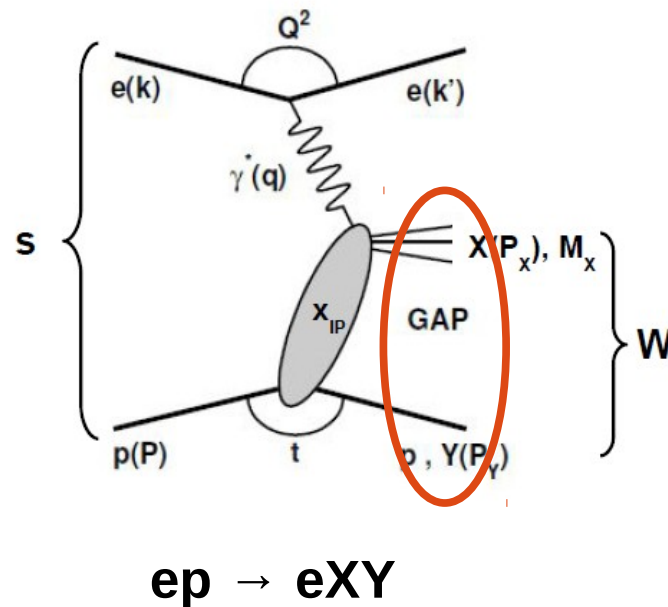
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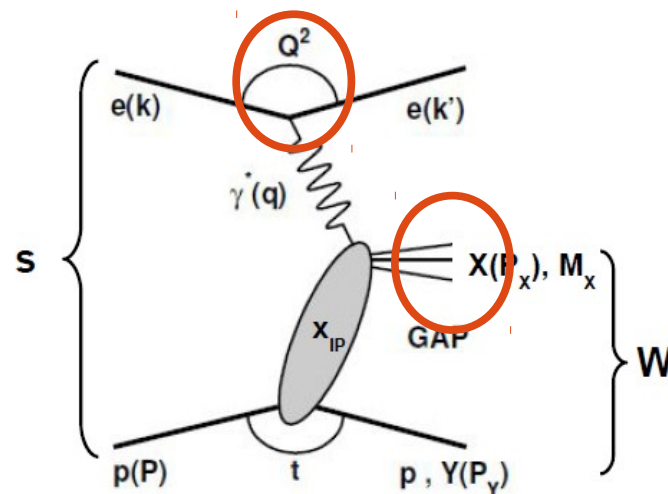
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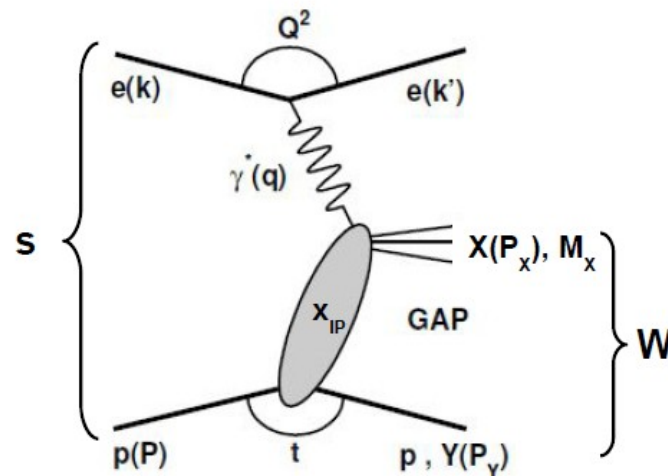


$$ep \rightarrow eXY$$

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$$ep \rightarrow eXY$$

Collinear factorization

Most used approach to model various features of diffractive DIS.

central assumption

Collinear factorization Collins, valid for diffractive DIS

- diffractive parton distribution functions (DPDFs)
- QCD based predictions for X states

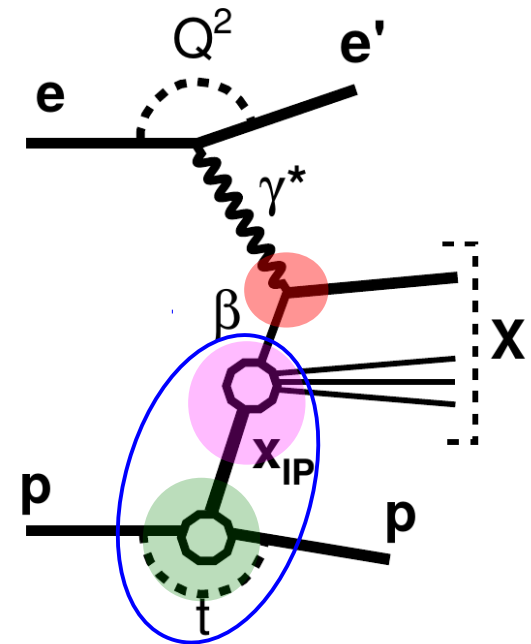
$$d\sigma^{ep \rightarrow eXp}(x, Q^2, x_{IP}, t) = \sum_i \underbrace{f_i^D(x, Q^2, x_{IP}, t)} \otimes \underbrace{d\hat{\sigma}(x, Q^2)}$$

optionally

Resolved Pomeron approach Ingelman and Schlein

- virtual photon interacts with partonic diffractive exchange
- leading proton kinematics (t, x_{IP}) treated separately
aka **Proton vertex factorization**

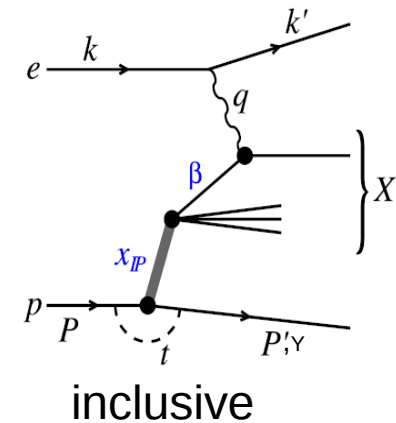
$$f_i^D(x, Q^2, x_{IP}, t) = \underbrace{f_{IP/p}(x_{IP}, t)} \cdot \underbrace{f_i(\beta, Q^2)}$$



Diffractive PDFs

Parton distributions under diffractive condition → DPDFs

- use of collinear factorization (+ proton vertex fact.)
- QCD predictions of cross sections
- parton distributions parameterized and evolved
(usually, uds democratically in a quark singlet and gluon)
- optimal params' values from fits to measured x-sections

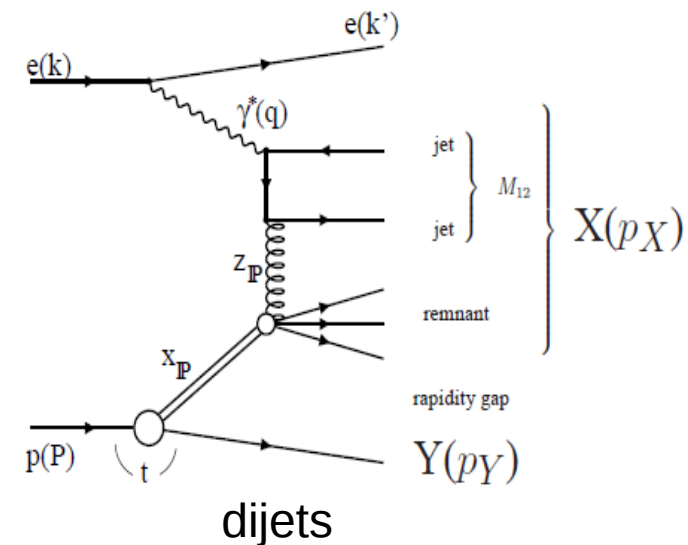


Extracted mostly from:

- inclusive data $ep \rightarrow eXY$
- $ep \rightarrow eXY$ with jets in the final state
(another constraint on gluon DPDF)

Can be improved by:

- combination of diffraction selection methods
- combinations of data from H1 and ZEUS



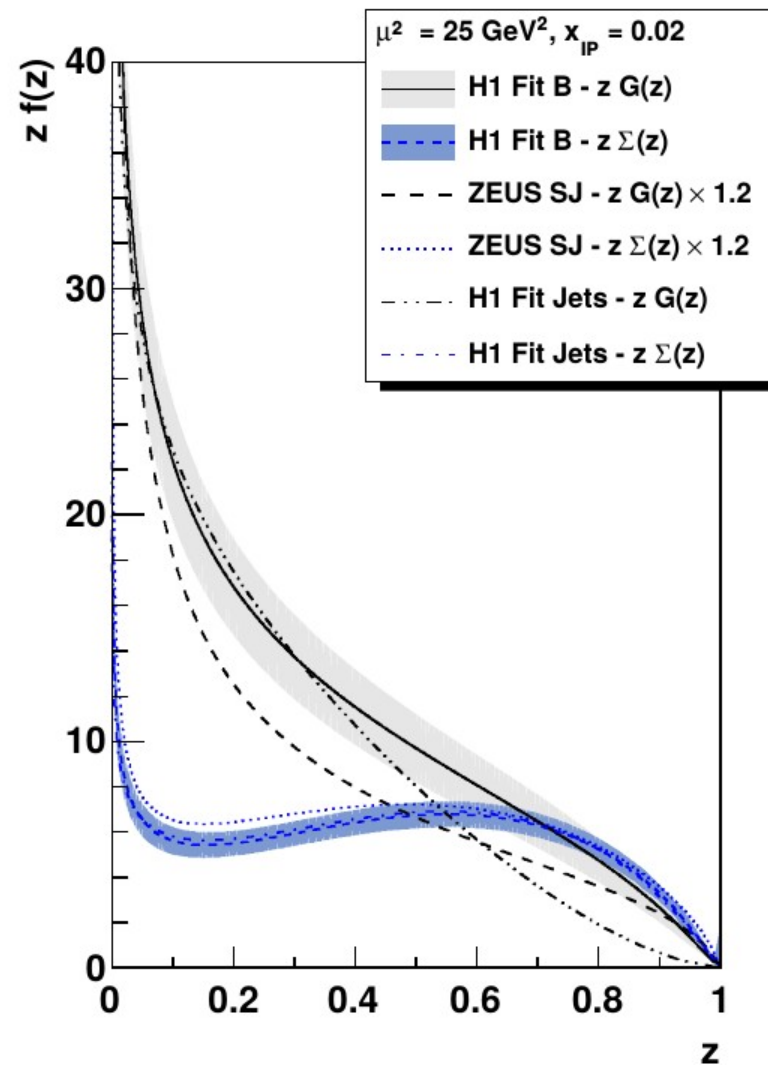
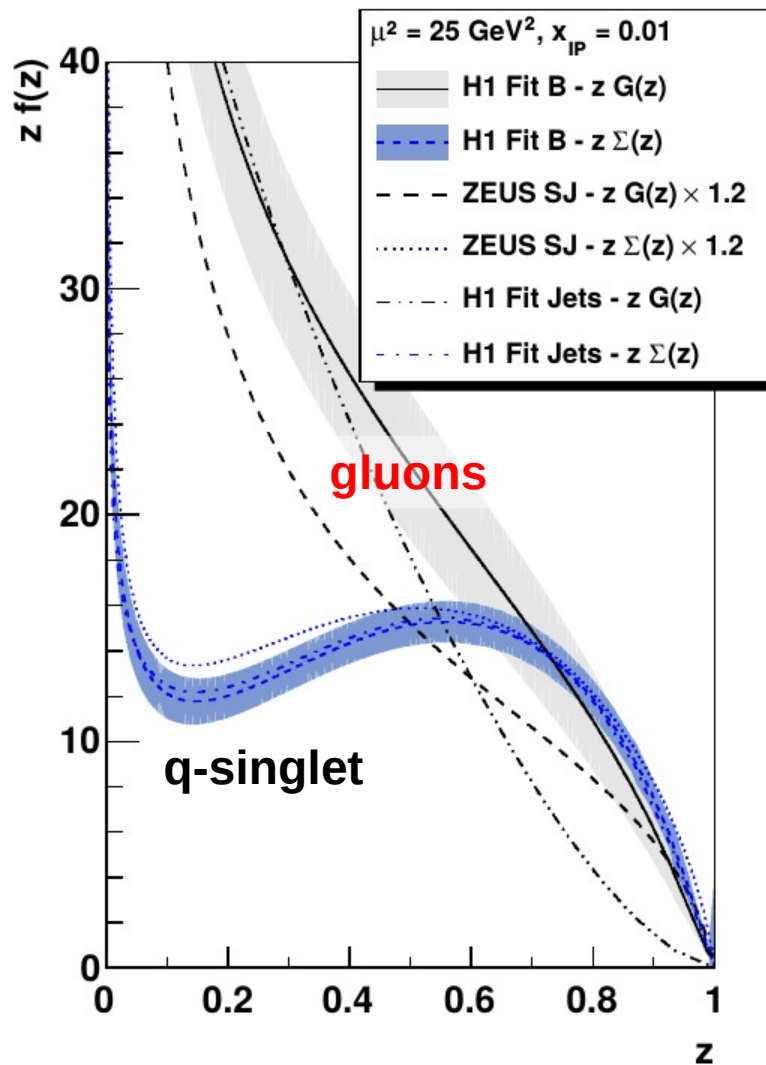
Diffractive PDFs

It's the gluon that dominates diffractive PDFs

a summary of recent, most used, DPDF fits from

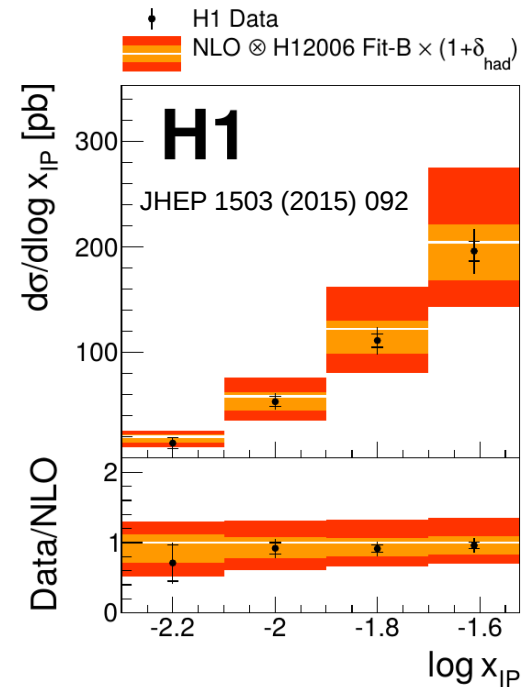
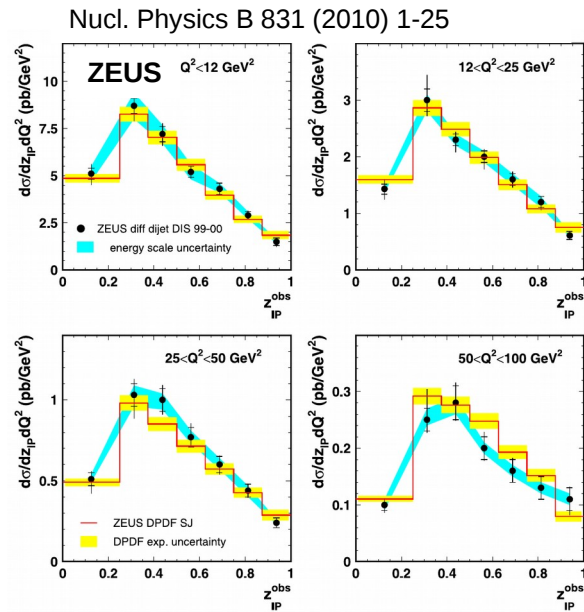
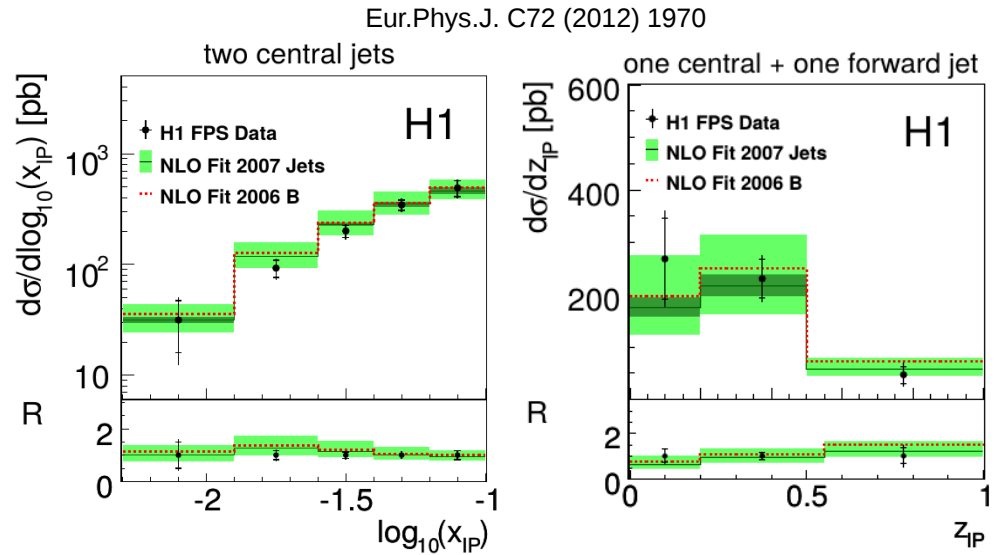
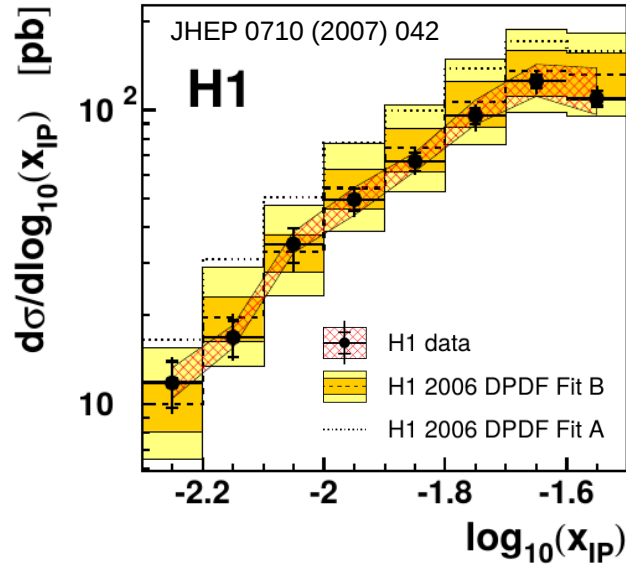


and



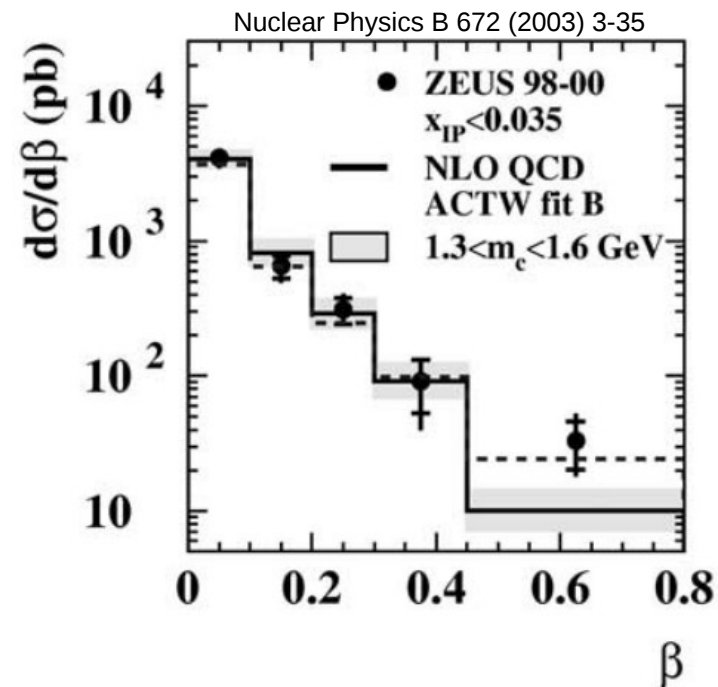
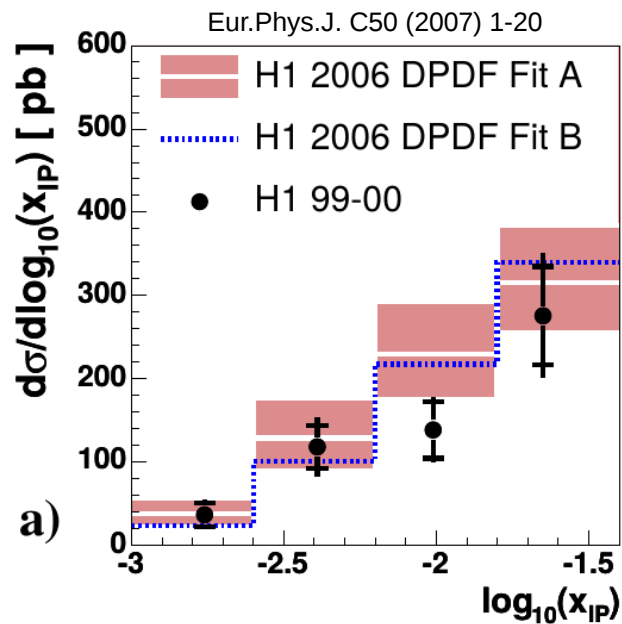
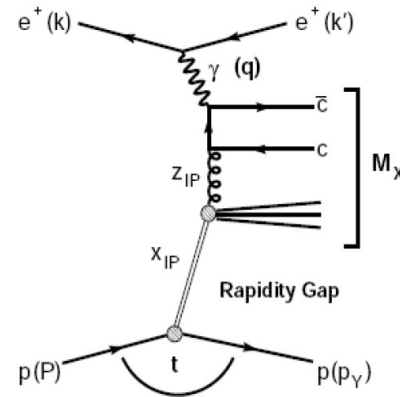
Tests of collinear factorization

Jets in DIS



Tests of collinear factorization

open charm with D^*



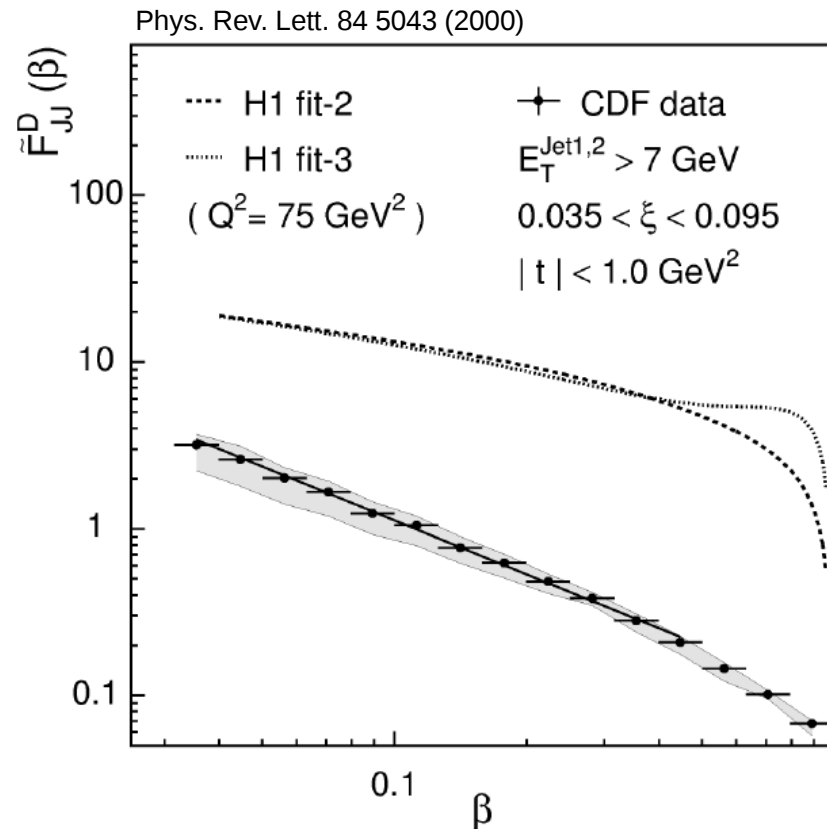
Tests of collinear factorization

Jets in photoproduction

! DPDFs are not portable to diffractive hadron-hadron (pp) processes !

→ order of magnitude overestimation of predicted pp dijet rates

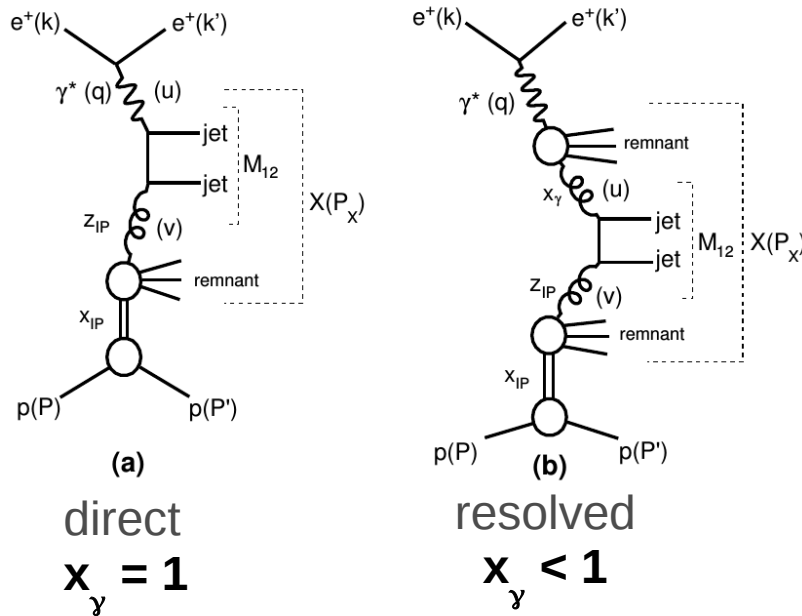
Factorization breaking in diffractive dijet production



Tested in diffractive dijet photoproduction at HERA

Tests of collinear factorization

Jets in photoproduction



photoproduction regime

- $Q^2 \sim 0$... electron at low angle
- hard scale provided by p_T , mass

in LO

- direct γ DIS-like
- resolved γ pp-like

x_γ fraction $x_\gamma = \frac{P \cdot u}{P \cdot q}$

- allows to classify processes ... up to smearing

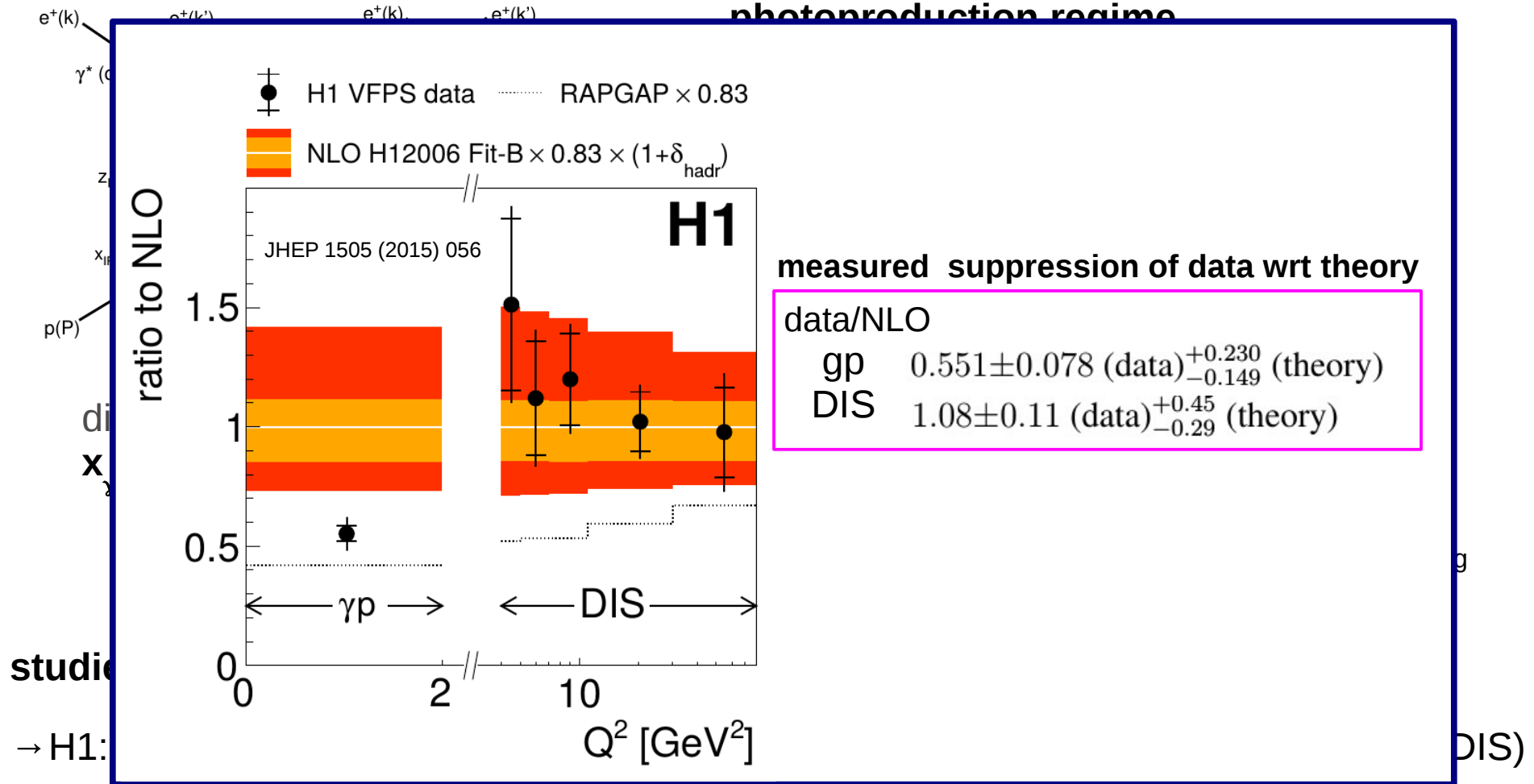
studies by H1 and ZEUS

- H1: LRG analyses 2007(Php,DIS), 2010(Php) ... latest leading proton 2015(Php, DIS)
- ZEUS: LRG analysis 2010 (Php)

Tests of collinear factorization

Jets in photoproduction

photoproduction regime



studie

→ H1:

→ ZEUS: LRG analysis 2010 (Php)

New results from HERA



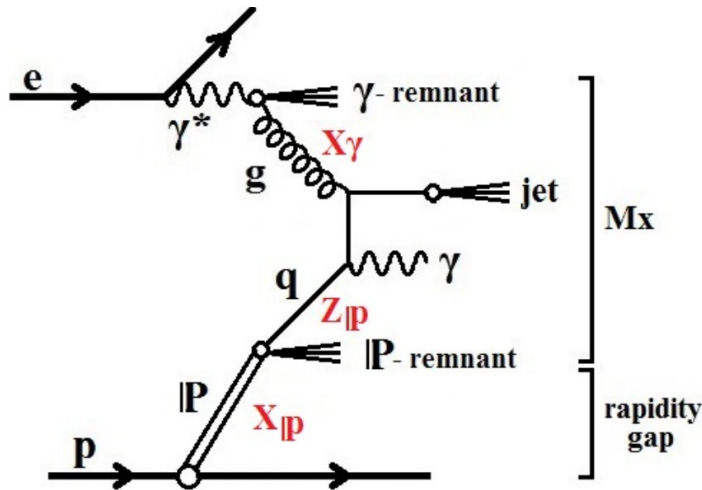
Studies of the diffractive photoproduction of isolated photons at HERA



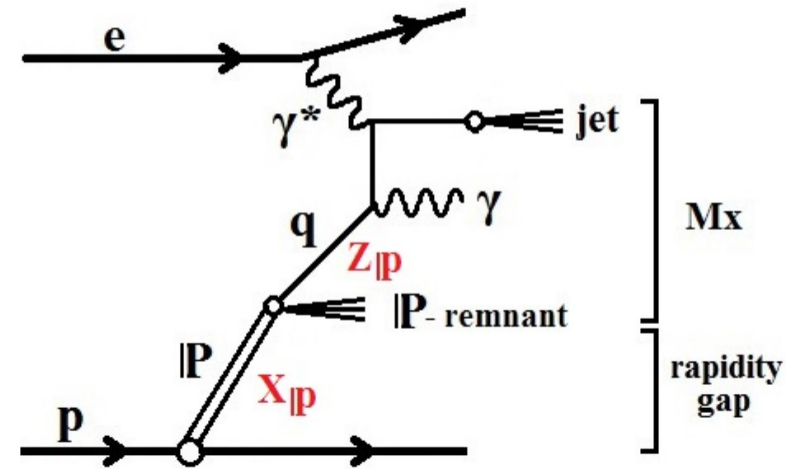
Open charm production in diffractive deep inelastic scattering at HERA

New results from HERA

Studies of the diffractive photoproduction of isolated photons at HERA.



resolved



direct

$$4 < E_t^{\gamma} < 15 \text{ GeV} , \quad -0.7 < \eta^{\gamma} < 0.9$$

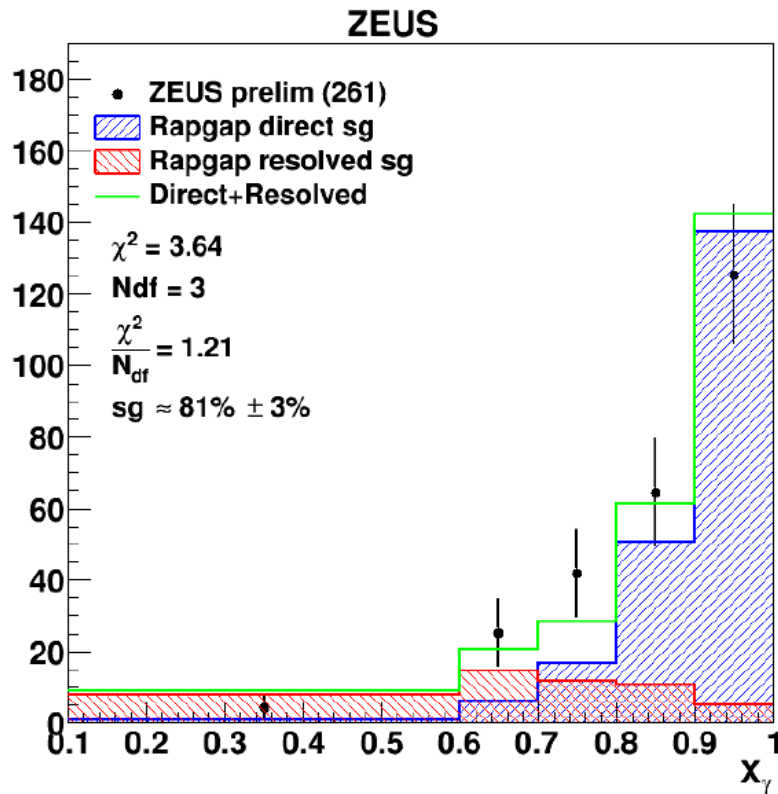
$$4 < E_t^{\text{jet}} < 35 \text{ GeV} , \quad -1.5 < \eta^{\text{jet}} < 1.8$$

$$Q^2 < 1 \text{ GeV}^2 , \quad 0.2 < y < 0.7 , \quad x_{IP} < 0.03$$

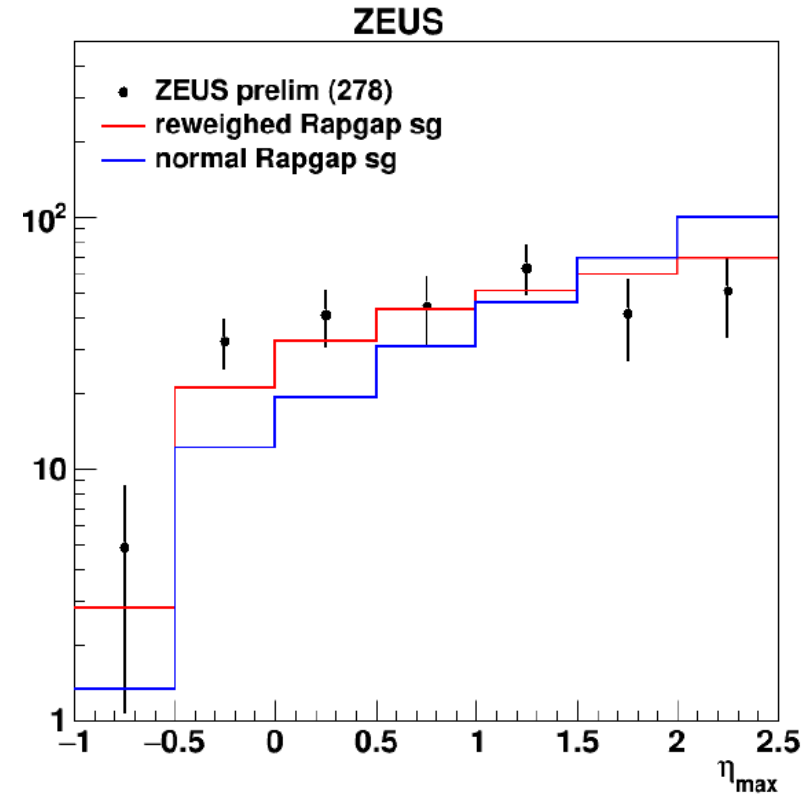
- sensitive to quark content of IP, “free” of hadronization for γ
- based on 91 pb^{-1} and 374 pb^{-1} HERA 1 and 2 data, respectively
- photoproduction $Q^2 \sim 0 \text{ GeV}^2$ → resolved / direct component
- photon isolation selection to suppress background (π^0 and DVCS)
- data corrected to hadron level and compared with theory provided by Rapgap MC

New results from HERA

Studies of the diffractive photoproduction of isolated photons at HERA.



fraction of γ in hard process

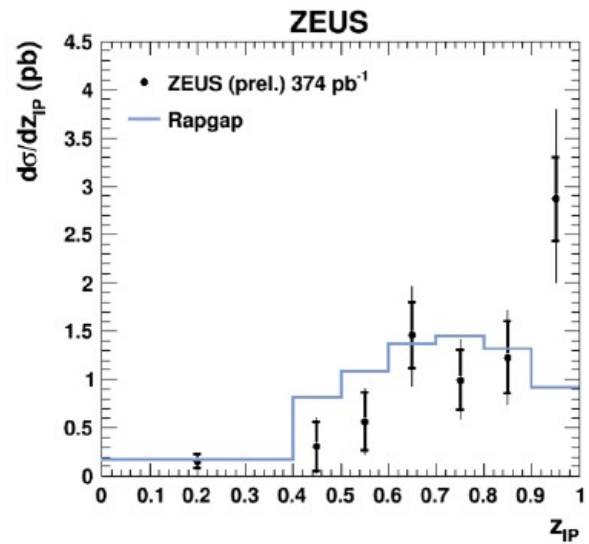
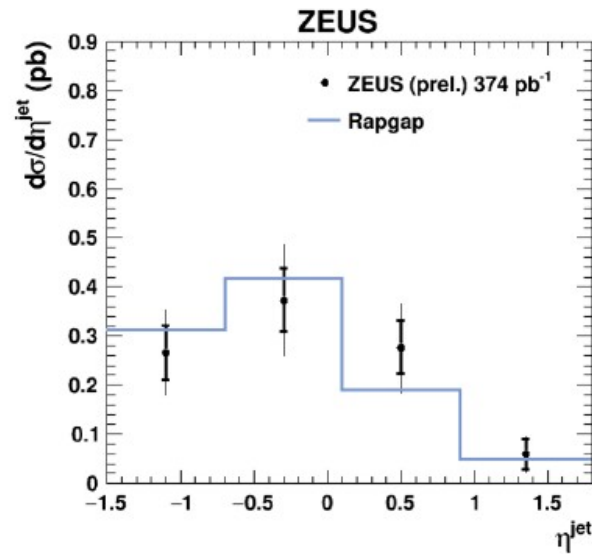
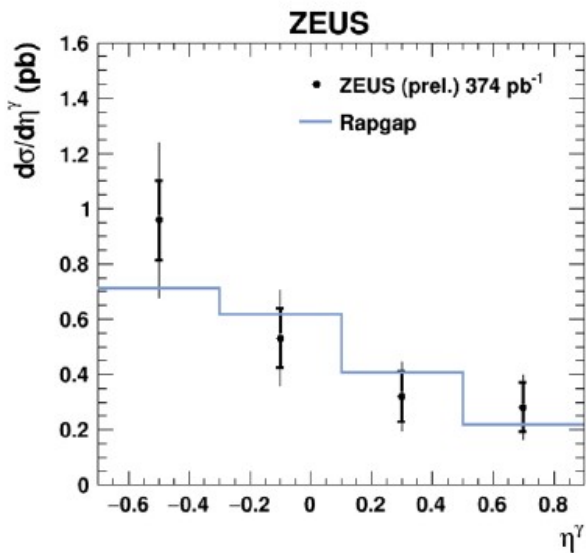
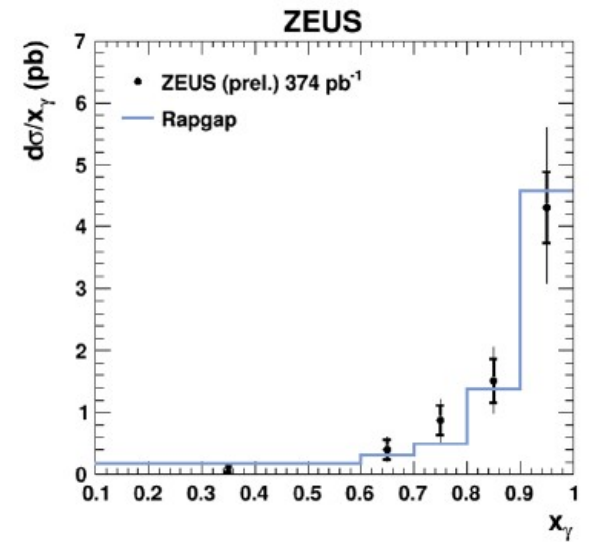
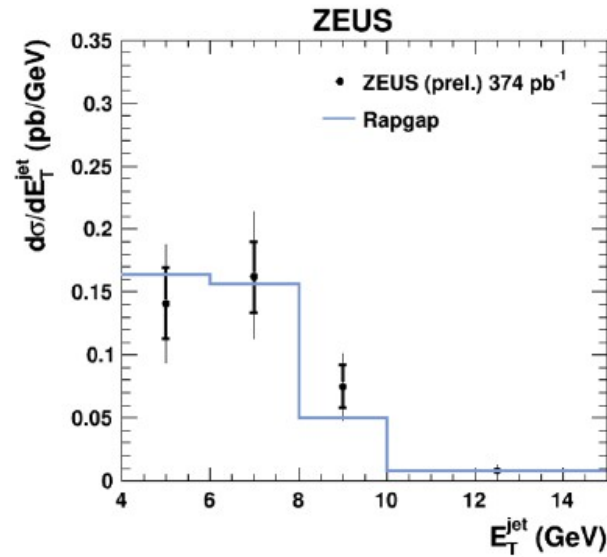
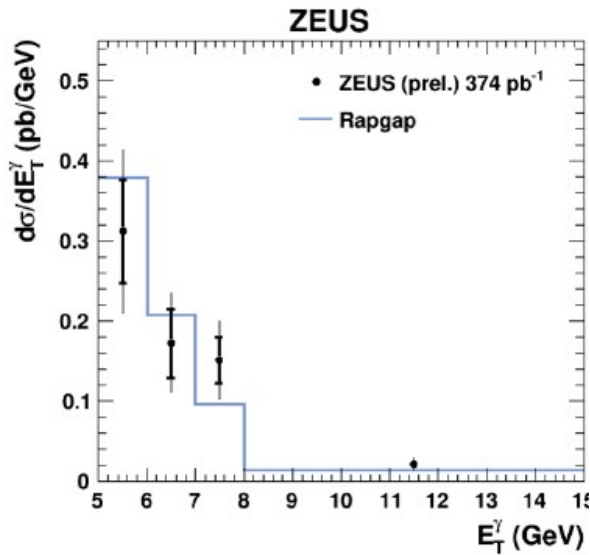


most forward calo cluster ($E > 400$ MeV)

- simulation optimized in order to describe the data at rec level
- normalizations propagated to MC model predictions of x-section

New results from HERA

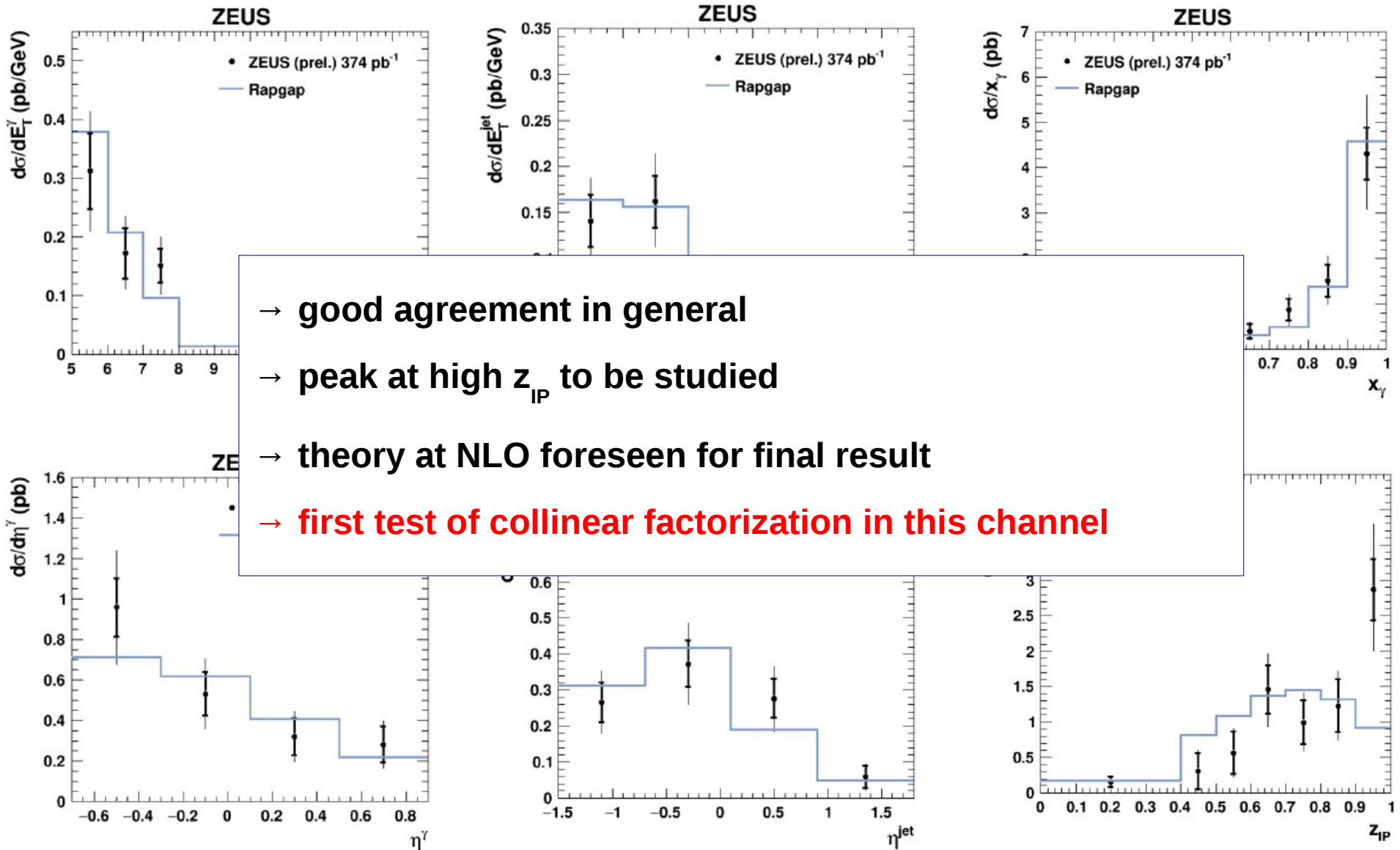
Studies of the diffractive photoproduction of isolated photons at HERA.



γ + jet events, Rappgap weighted and normalized

New results from HERA

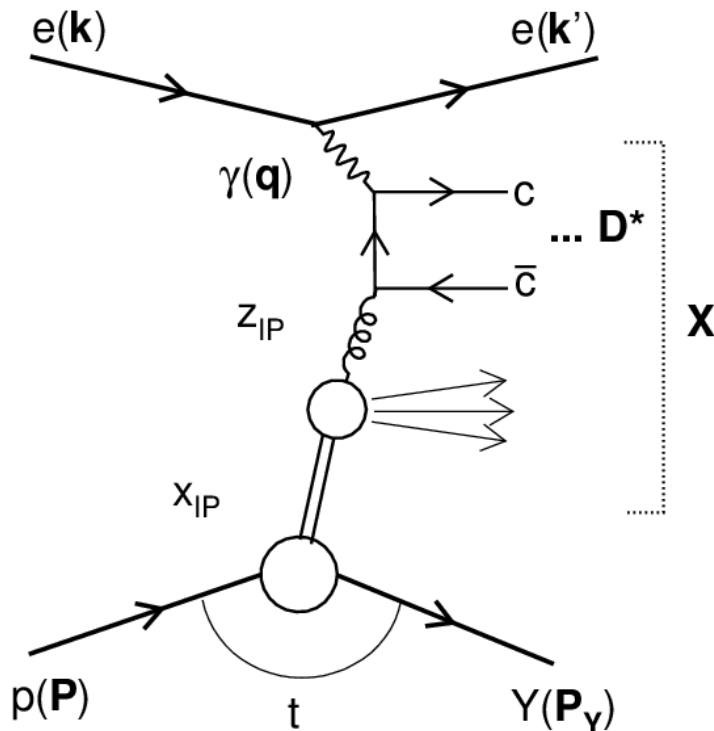
Studies of the diffractive photoproduction of isolated photons at HERA.



γ + jet events

New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA



→ based on 280 pb⁻¹ HERA 2 data
(~ 50 pb⁻¹ H1 HERA 1 publ. 2007)

→ tagged with presence of D* in the final state

→ gluon initiated at LO

→ open charm tagged with D*

$$D^{*+} \rightarrow D^0 \pi_{slow}^+ \rightarrow (K^- \pi^+) \pi_{slow}^+ + C.C.$$

→ fits of $\Delta m = m(D_{cand}^*) - m(D_{cand}^0)$

→ large rapidity gap selection

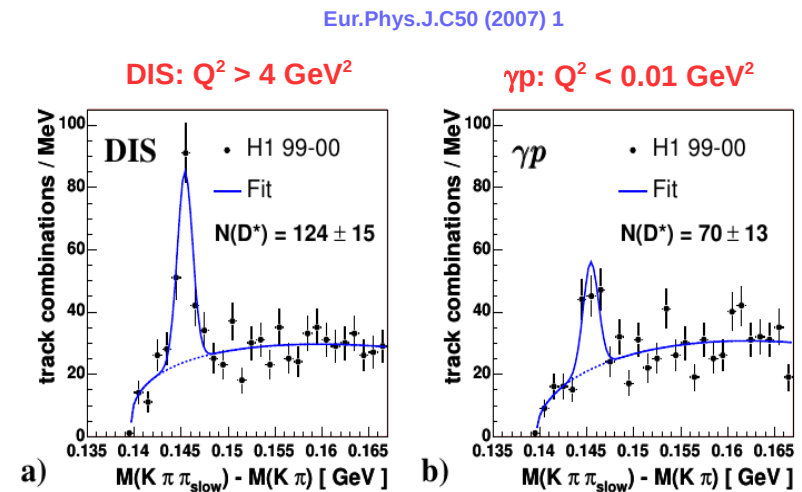
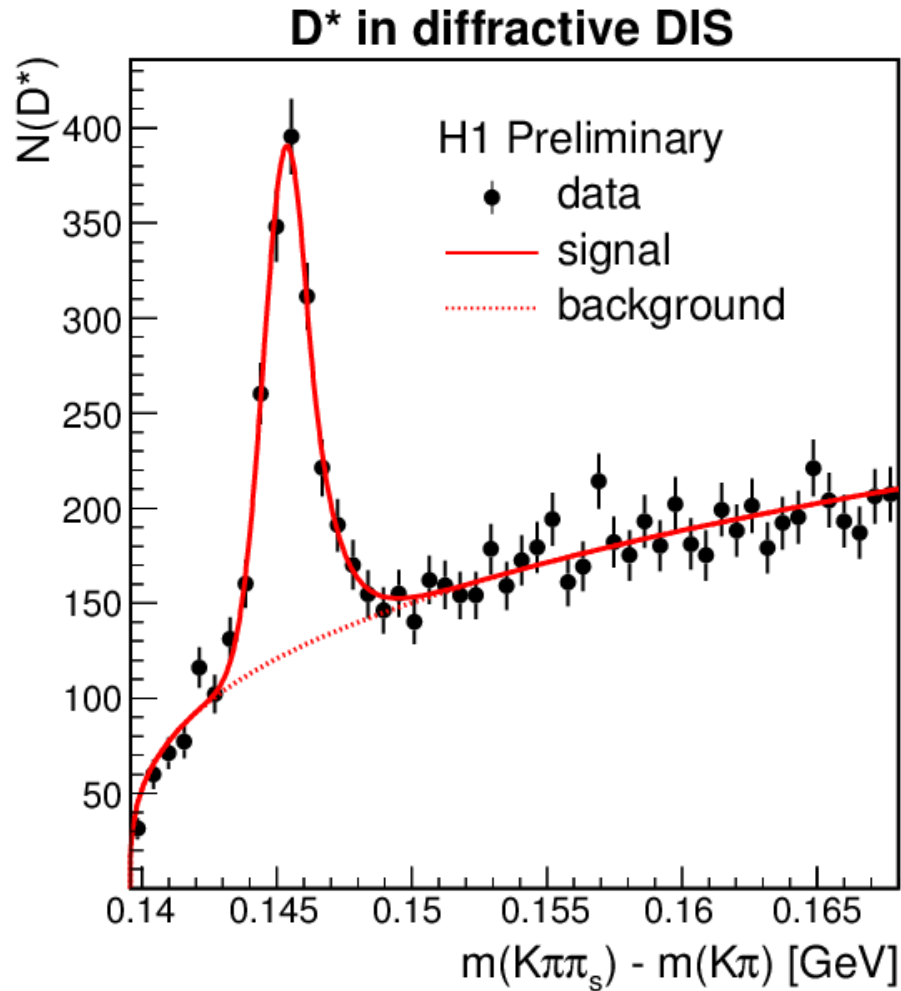
$$5 < Q^2 < 100 \text{ GeV}^2 \quad 0.02 < y < 0.65$$

$$p_{t,D^*} > 1.5 \text{ GeV} \quad |\eta_{D^*}| < 1.5 \quad \dots \text{ in lab}$$

$$x_{IP} < 0.03$$

New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

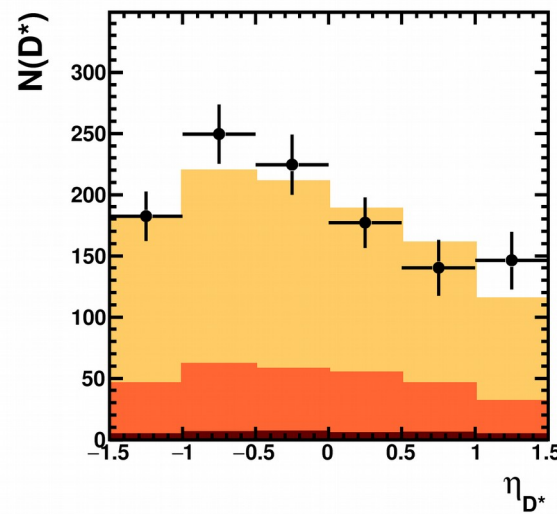
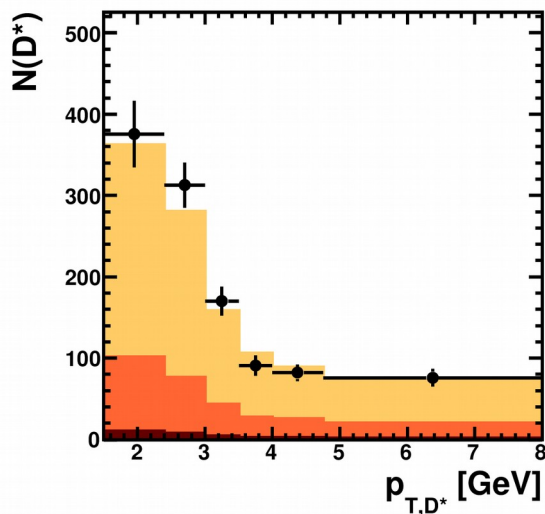
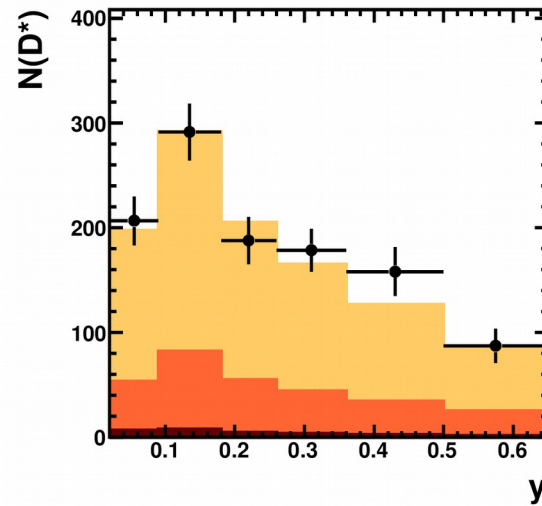
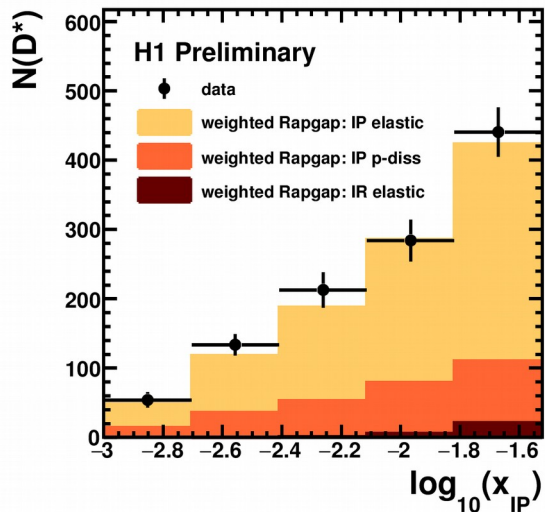


New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

D^* in diffractive DIS

detector level control distributions



- correction of the data for detector effects relies on adequate description with simulation
- fits performed in each bin for data and MC contribution
- proton dissociation contribution ($M_Y > m_p$)
- non-diffractive background negligible
- weighting applied to correct shape and normalization agreement

New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

cross sections compared with

NLO QCD by HVQDIS in FFNS

- adapted for diffraction, using H1 2006 DPDF Fit B Eur.Phys.J.C73 (2013) 2311
- $\mu_r^2 = \mu_f^2 = m_c^2 + 4 Q^2$
- charm mass $m_c = 1.5 \text{ GeV}$
- Kartvelishvili fragmentation used
 - according to H1 measurement, [Eur.Phys.J.C71 \(2011\) 1769](#)

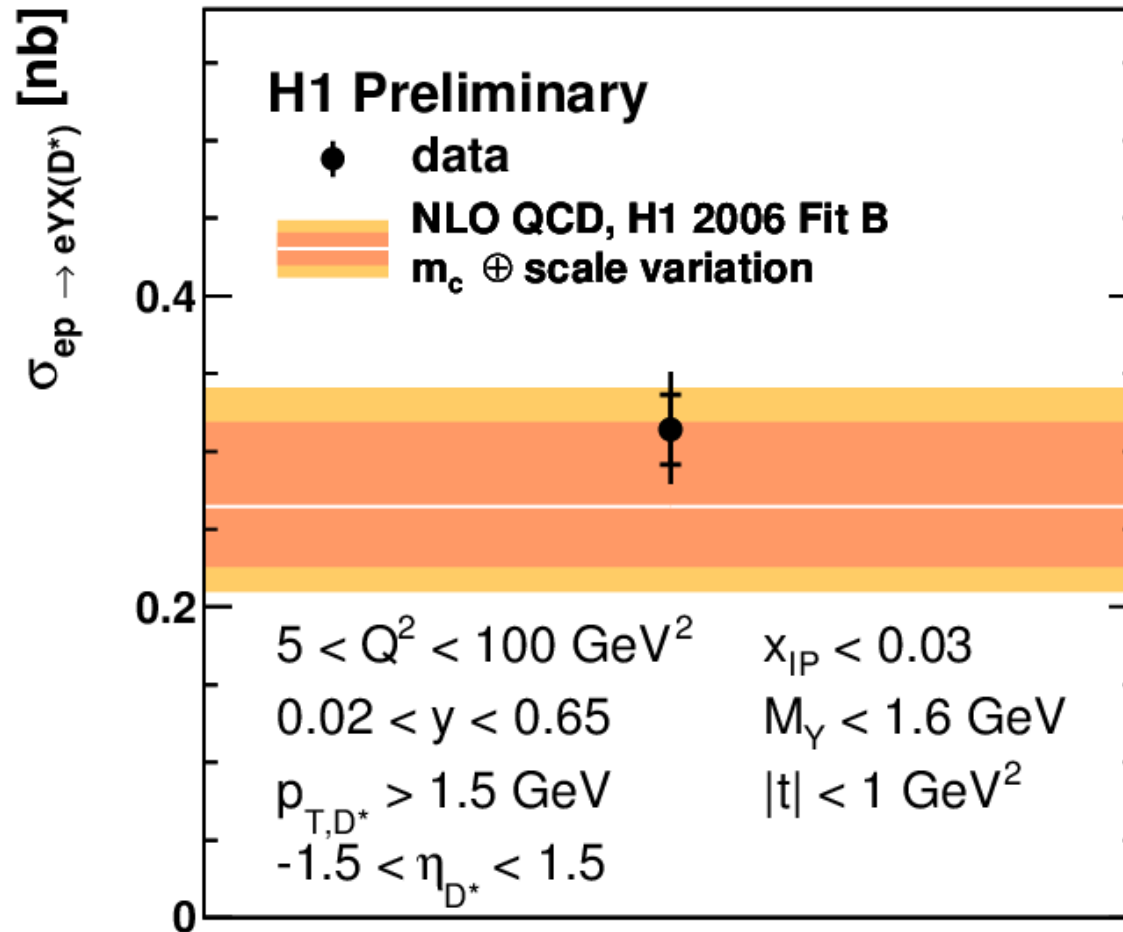
Theoretical uncertainties considered at the moment

- μ_r , μ_f varied by 0.5 and 2 simultaneously for th. uncertainty
- $1.3 < m_c < 1.7 \text{ GeV}$

New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

D* in diffractive DIS



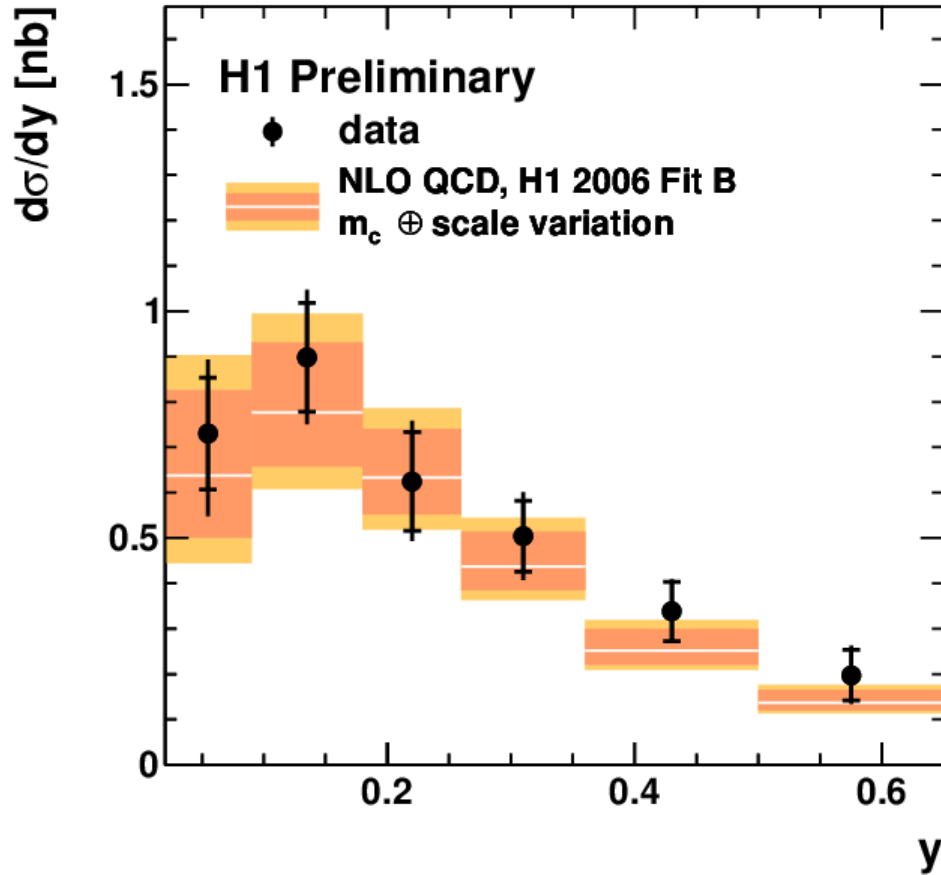
$$\sigma_{ep \rightarrow eY X(D^*)} = 0.314 \pm 0.022 (\text{stat.}) \pm 0.028 (\text{syst.}) [\text{nb}]$$

dominant sources of syst. error: gap selection
proton dissociation contribution

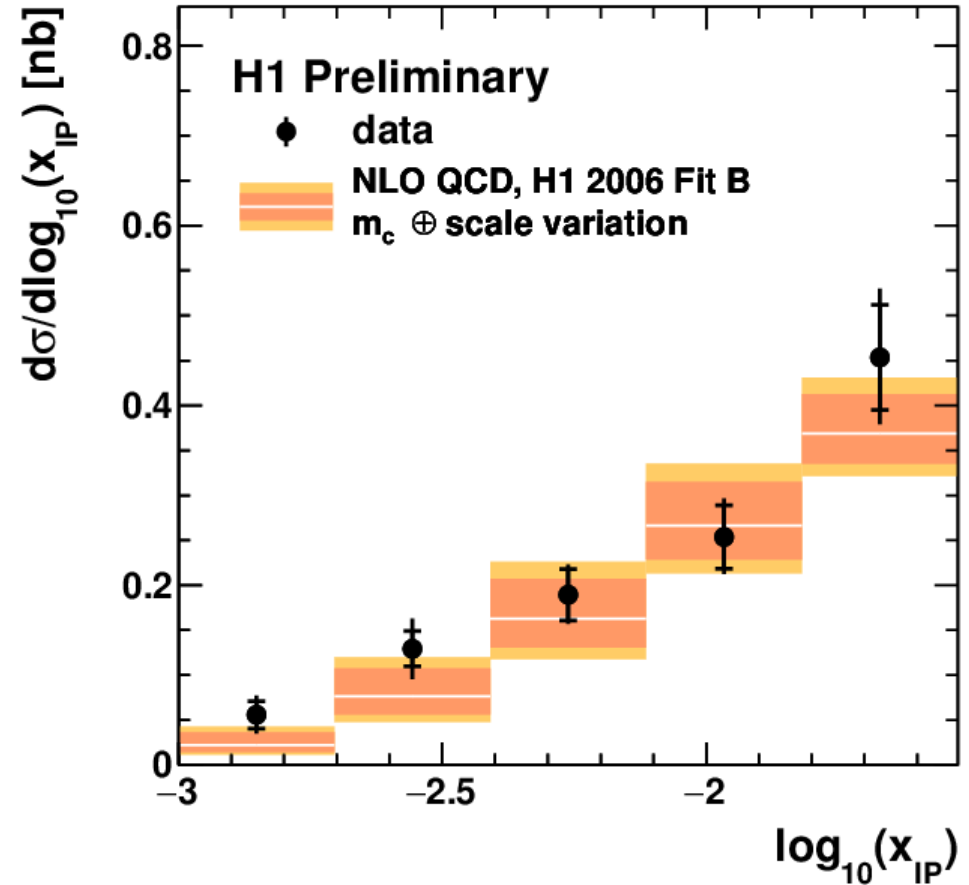
New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

D* in diffractive DIS



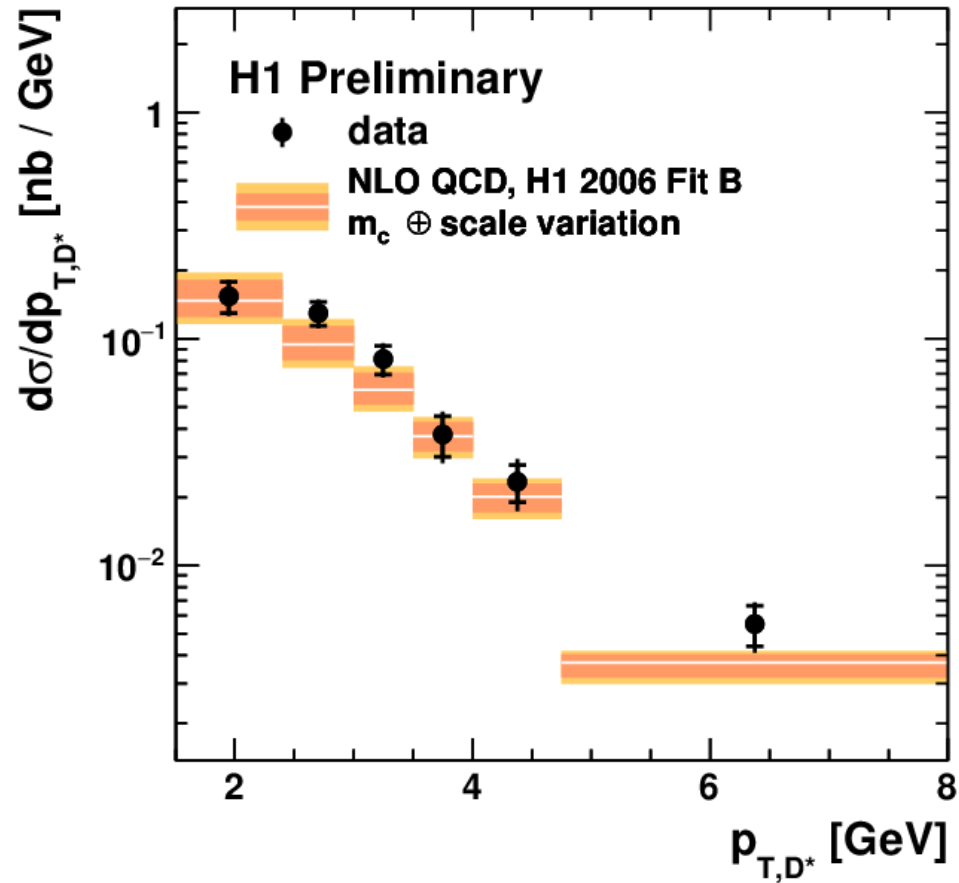
D* in diffractive DIS



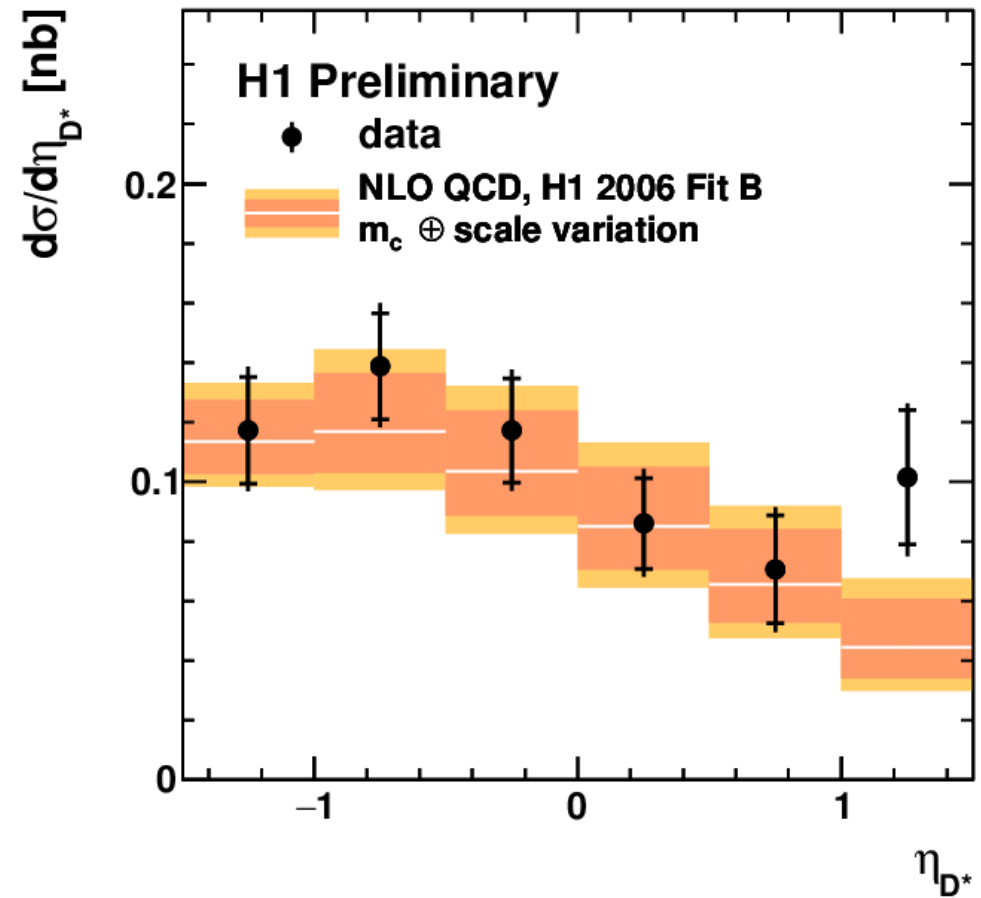
New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

D* in diffractive DIS



D* in diffractive DIS



New results from HERA

Open charm production in diffractive deep inelastic scattering at HERA

- (1) New measurement of open charm production in diffractive DIS with larger dataset.
- (2) NLO QCD prediction (in FFNS) based on DPDFs (inclusive H1 data), agree well within errors with measured cross sections - new test of collinear factorization validity.
- (3) Charm fragmentation function with Kartvelishvili parameterization determined in previous H1 (non-diffractive) analysis, supports universality of fragmentation.
- (4) Final measurement of cross sections might serve as an input to DPDF fits.

Thank you for your attention!