

Hard Diffraction at HERA & LHC

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on behalf of the H1 and ZEUS collaborations

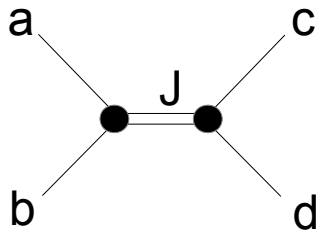


QCD@LHC 2013
2.-6. September 2013, DESY, Hamburg

Soft diffractive processes

Hadronic interactions before QCD described by Regge theory

- 1) analyticity and unitarity of S matrix
- 2) partial wave analysis
- 3) extension of partial amplitudes by means of using complex angular momentum



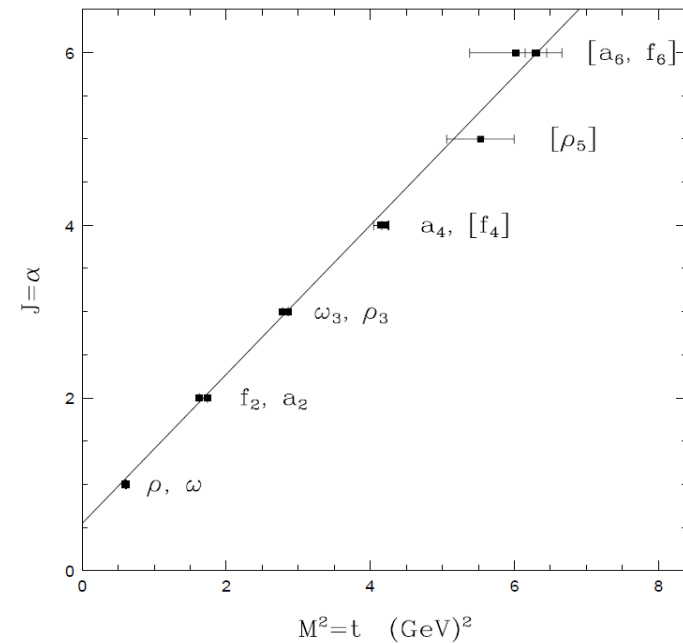
$$A^{ab \rightarrow cd}(s, t) = \sum_J a_J(s) P_J(1 - 2t/s)$$

crossing symmetry $s \leftrightarrow t$

$$A^{\bar{a}c \rightarrow \bar{b}d}(t, s) \xrightarrow{s \rightarrow \infty} \sum_j a_j(t) s^j$$

+ opt. theorem \rightarrow $\sigma_{tot} \propto \sum_k S^{2(\alpha_k(0)-1)}$

$\alpha_k(t) = \alpha_k(0) + \alpha'_k t$... trajectory in (t, l) plane called Reggeon (IR)



One can think of Regge exchange as of exchange of many particles since the trajectories cross J and m^2 of hadrons.

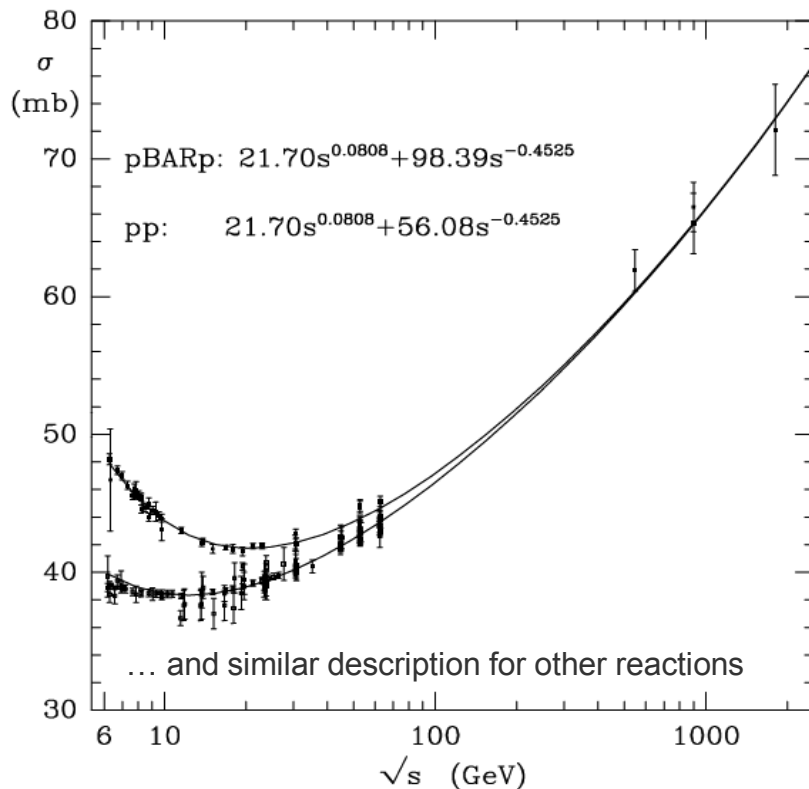
trajectories with non-vacuum quantum numbers have $\alpha(0) < 1$ Okun-Pomeranchuk

if $\alpha(0) \geq 1$ then the exchange must have vacuum quantum numbers Foldy-Peierls

Pomeron (IP) = trajectory with $\alpha(0) \geq 1$, is it needed?

Donnachie-Landshoff

fit of data: $p\bar{p}$, pp , $K^\pm p$, $\pi^\pm p$, γp in form $\sigma^{tot} = \underline{X s^{0.0808}} + Y s^{-0.4525}$



energy dependence described with IP of

$$\alpha_{IP}(t) = 1.08 + 0.25 [\text{GeV}^{-2}] \cdot t$$

IP is not associated with any hadron

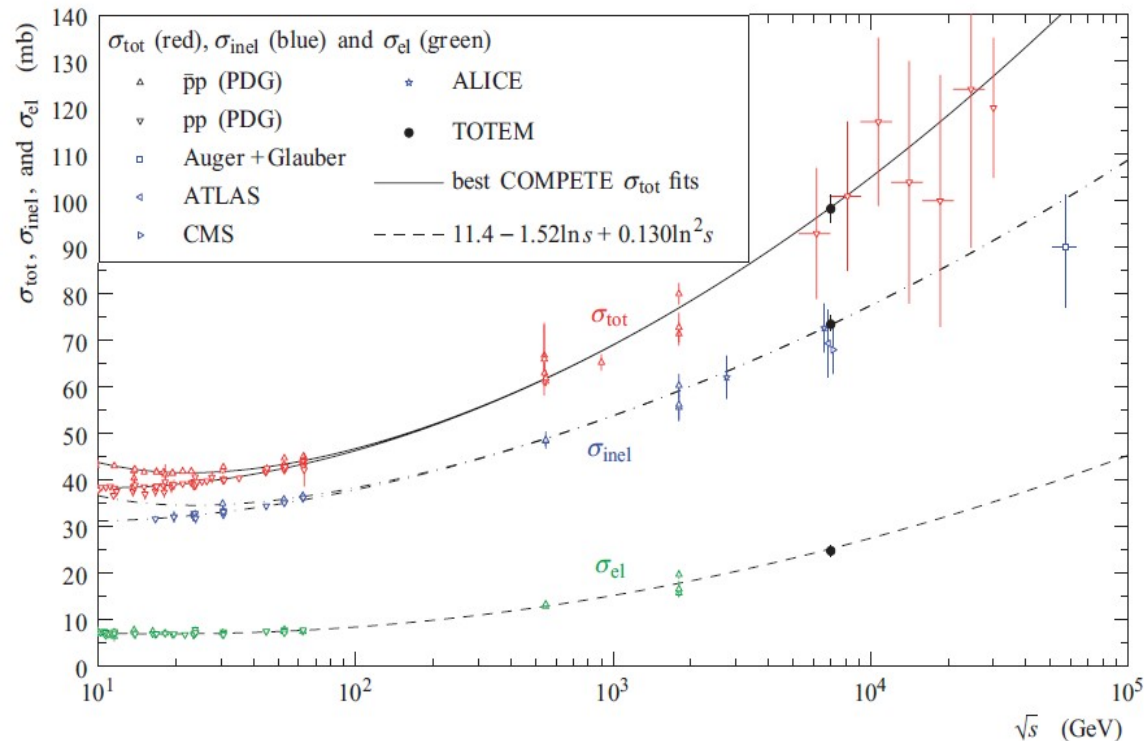
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A consequence of IP and IR exchange: $1 + 2 \rightarrow 3 + X$, $M = \text{the mass of } X$.

difference of particle 3 rapidity and rapidity of X edge reads:



$$\Delta y \simeq \ln \frac{s}{M^2}$$

We already know: $\sigma_{tot} \propto \sum_k s^{2(\alpha_k(0)-1)}$ thus $\sigma_{tot} \propto M^2 \sum_k e^{2(\alpha_k(0)-1)\Delta y}$

IP: $\alpha_{ip}(0) \sim 1 \rightarrow d\sigma/d\Delta y$ almost independent of Δy

IR: $\alpha(0) < 1 \rightarrow d\sigma/d\Delta y$ exponentially suppressed as Δy increases

Hard diffractive processes

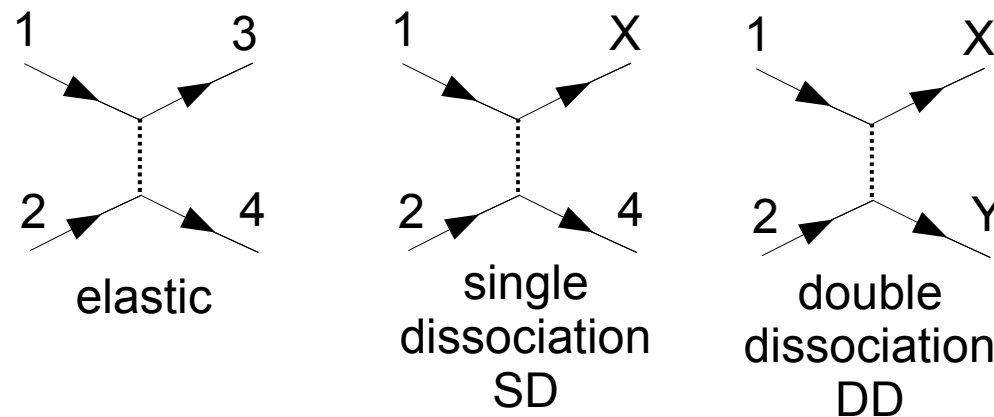
Hard scale(s) must be present to make pQCD converging.

Hard diffractive processes are characterized by:

small momentum transfer between initial and final state, $s \gg t$

final state particles may dissociate into states with $M^2 \ll s$

they are separated by **Large Rapidity Gap (exponentially non-suppressed)**



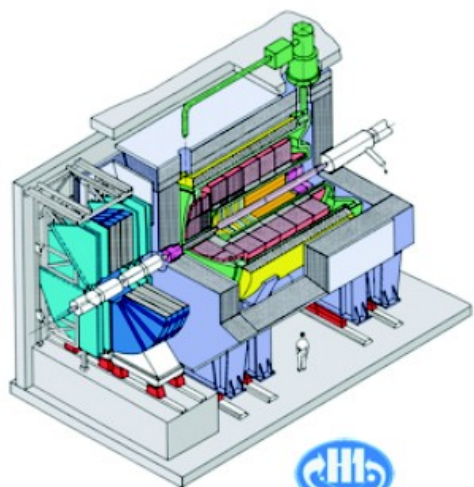
What is IP in QCD?

in soft regime QCD inapplicable

in the hard one, exchange of **gluons plays a major role**

HERA and the experiments

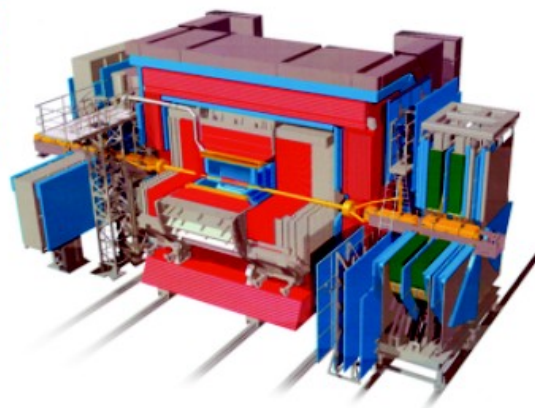
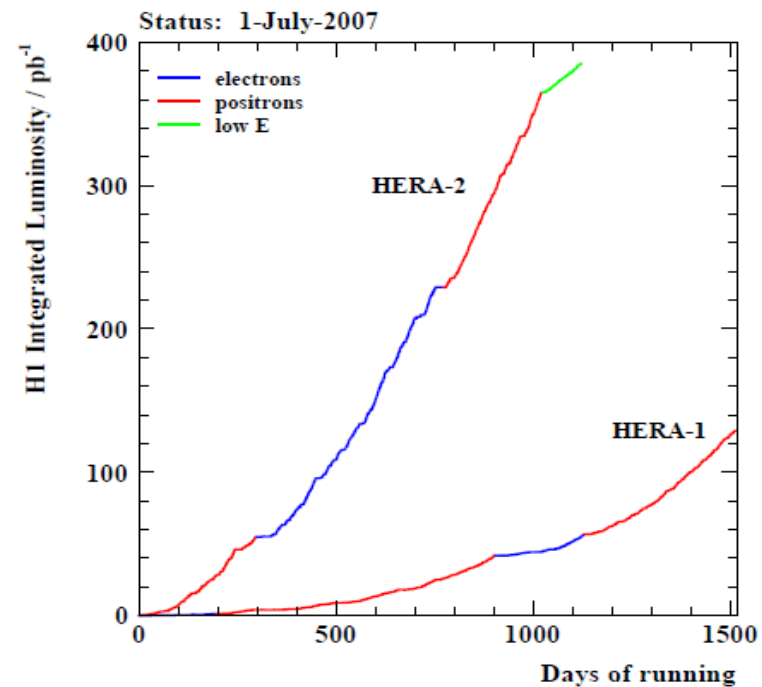
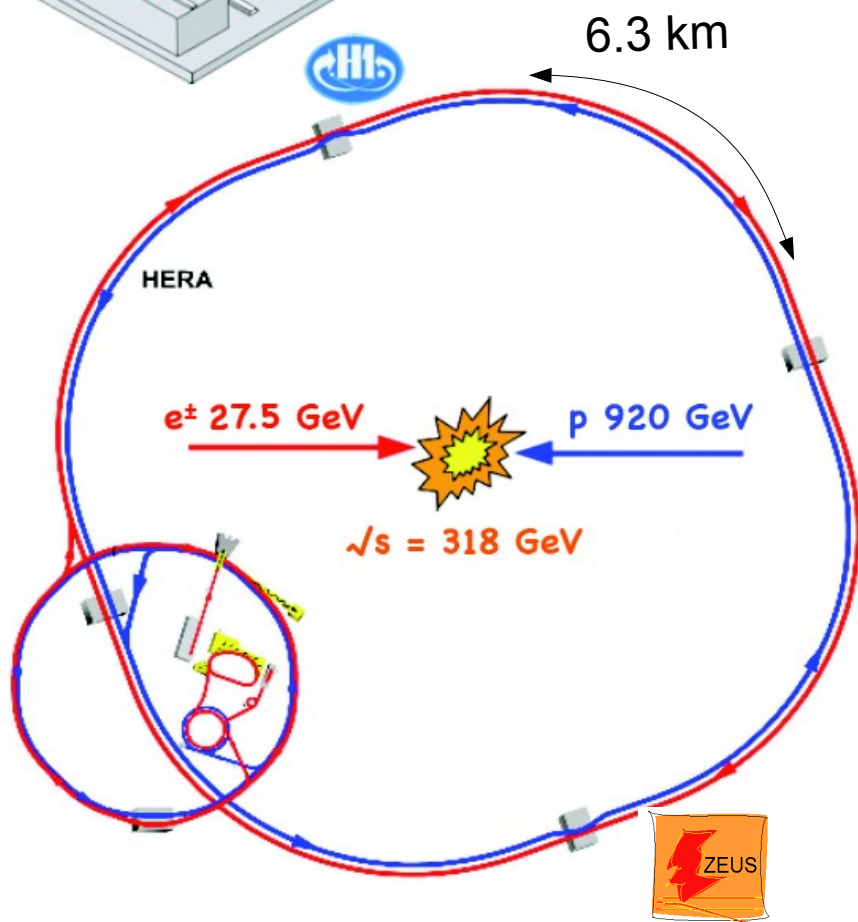
ep collider (sleeping somewhere underneath) in DESY, Hamburg



HERA-1 (1993-2000) $\simeq 120 \text{ pb}^{-1}$

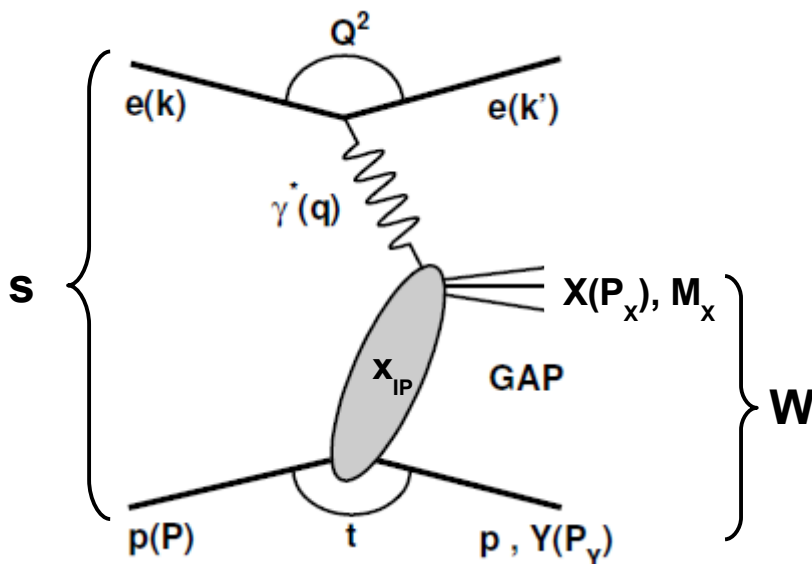
HERA-2 (2003-2007) $\simeq 380 \text{ pb}^{-1}$

Final Data samples
H1+ZEUS: $2 \times 0.5 \text{ fb}^{-1}$



Hard diffraction at HERA

Diffraction Deep Inelastic Scattering (**DDIS**) represents $\sim 10\%$ of DIS σ



$$s = (k+P)^2$$

$$Q^2 = -q^2 = -(k-k')^2$$

$$y = \frac{q \cdot P}{k \cdot P}$$

$$x = \frac{Q^2}{2q \cdot P}$$

$$W = \sqrt{(q+P)^2}$$

$$t = (P-P_Y)^2$$

$$M_X = P_X^2$$

$$M_Y = P_Y^2$$

$$x_{IP} = \frac{q \cdot (P-P_Y)}{q \cdot P}$$

$$\beta = \frac{x}{x_{IP}}$$

Q^2, t ... four-momentum transfers
 W ... hadronic CMS energy
 x ... Bjorken x
 X ... photon dissociative system
 Y ... leading proton system
 x_{IP} ... long. fraction of proton momentum carried by IP
 β ... parton fraction w.r.t. IP

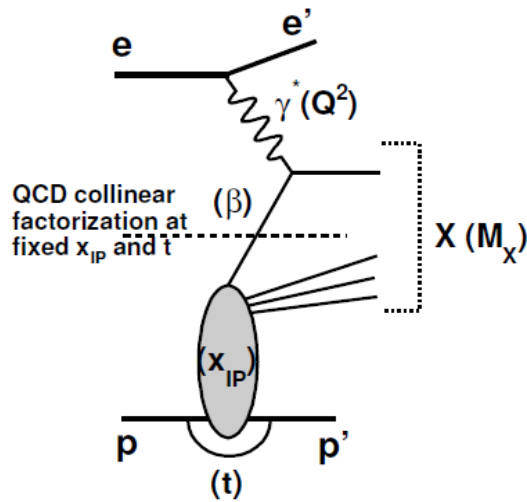
identification of diffractive events

LRG ... **large statistics, exp. simple** / proton dissociation ($p \rightarrow Y$) contamination

leading proton tagging ... **clean elastic events** / limited acceptance, dedicated detectors

(Roman Pots)

QCD hard factorization in DDIS



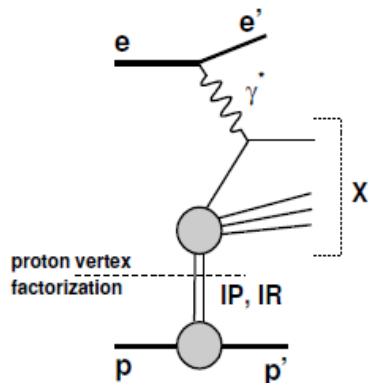
theoretical proof by Collins et al.

hard cross sections factorize from parton distributions

$$\sigma_r^{D(4)} \propto \sum_i \hat{\sigma}^{\gamma^* i}(x, Q^2) \otimes f_i^D(x, Q^2; x_{IP}, t)$$

hard processes cross sections calculable in QCD
 → parton distributions (PDFs) can be measured and parametrized in terms of diffractive PDF fits (DPDF)

optionally one may use Ingelman and Schlein proton vertex factorization (Regge factorization):



universal IP flux in the IPp vertex

$f_{IP/p}(x_{IP}, t)$... flux controls x_{IP} , t dependence of σ .

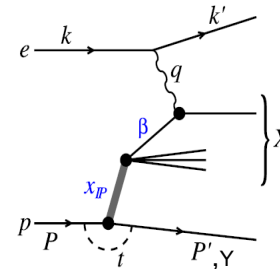
$$F_2^{D(3)}(x_{IP}, \beta, Q^2) = f_{IP/p} \cdot F_2^{IP}(\beta, Q^2)$$

IP with partonic structure is emitted with momentum $x_{IP} \cdot P_{\text{proton}}$ and t from the incoming proton and is subject to the hard scattering.

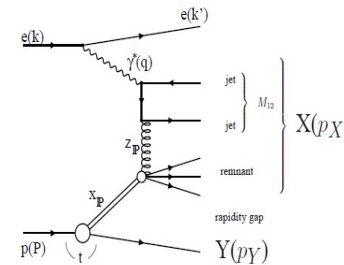
Measurements of DPDFs

measured from

analyses of inclusive data $ep \rightarrow eXY$



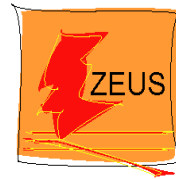
analyses of data $ep \rightarrow eXY$ with jets
in the final state
(another constraint on gluon DPDF)



combination of diffraction selection methods

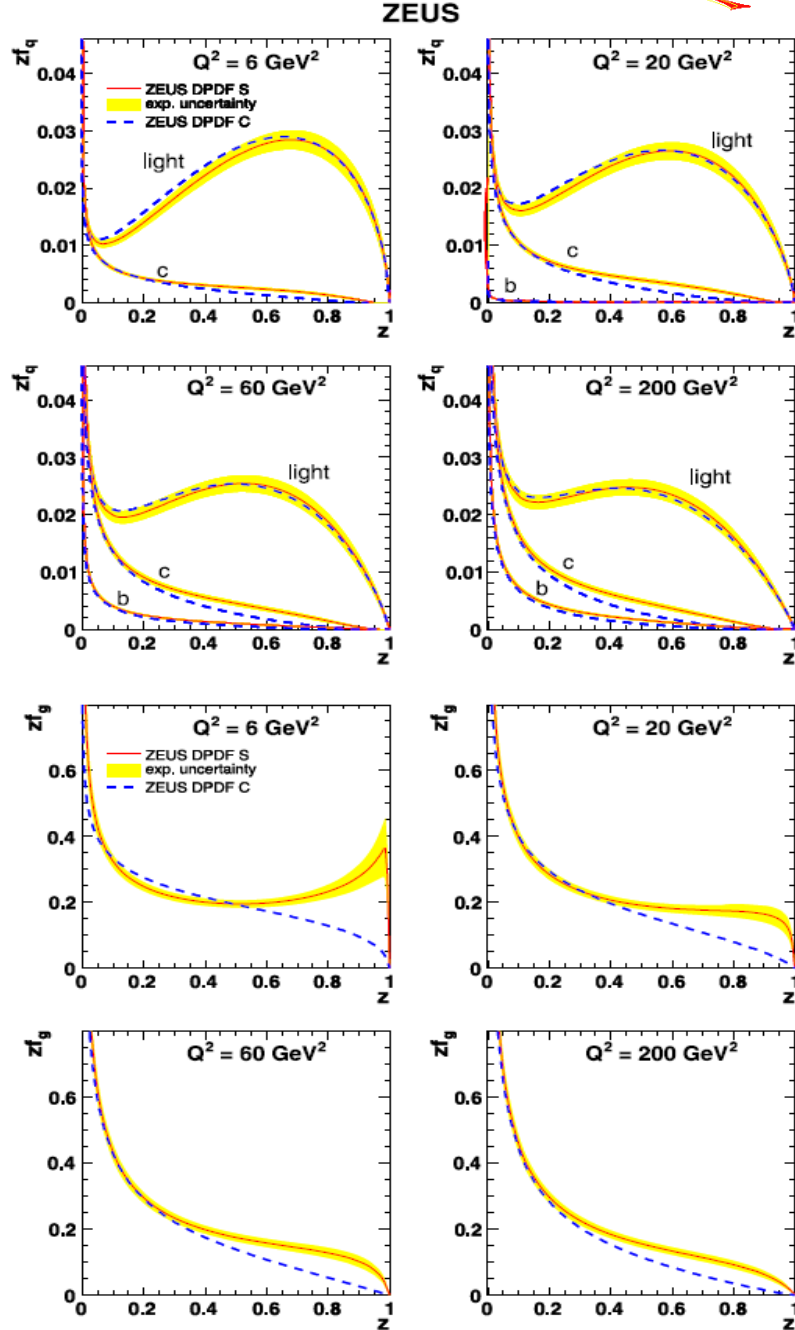
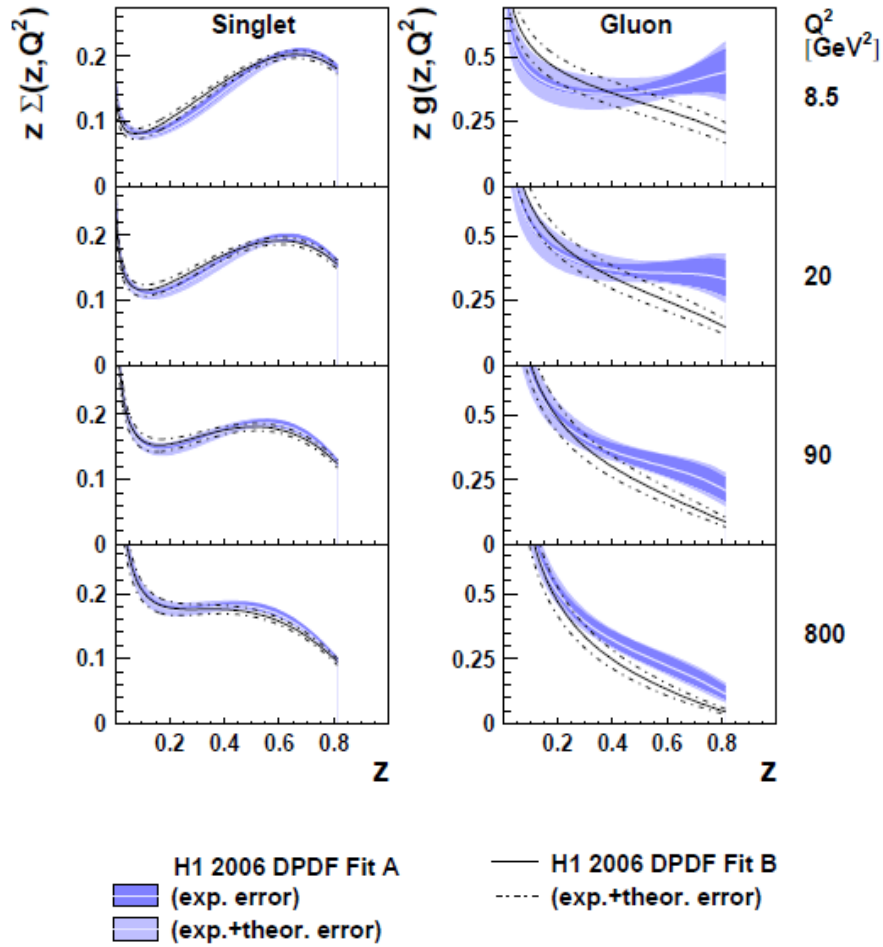
combinations of data from experiments

using the DPDFs for predictions \rightarrow QCD hard factorization is tested

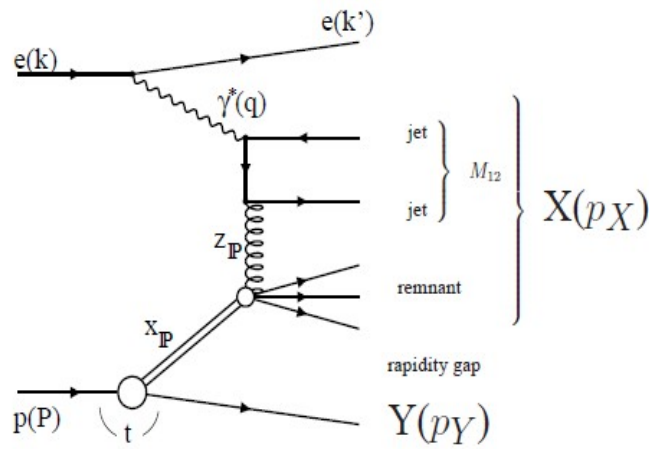


Eur. Phys. J. C48 (2006) 715-748

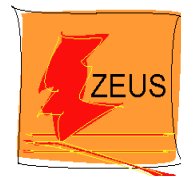
Nucl. Physics B 831 (2010) 1-25



dijet DIS data

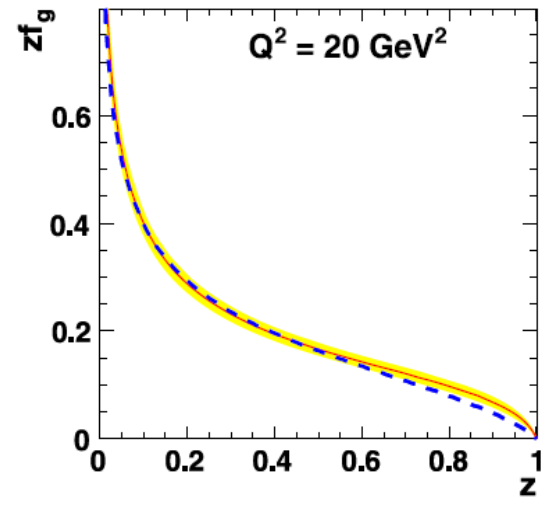
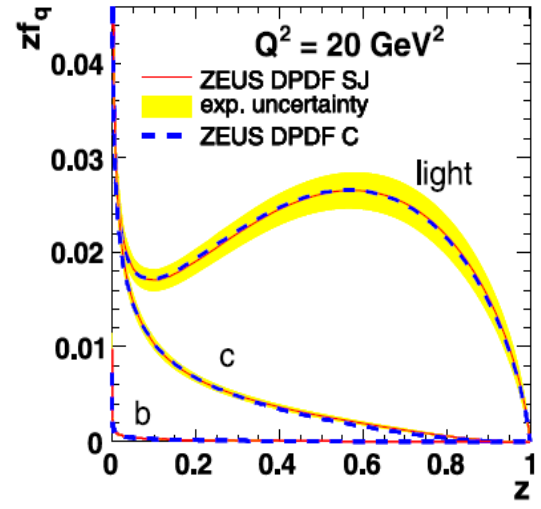
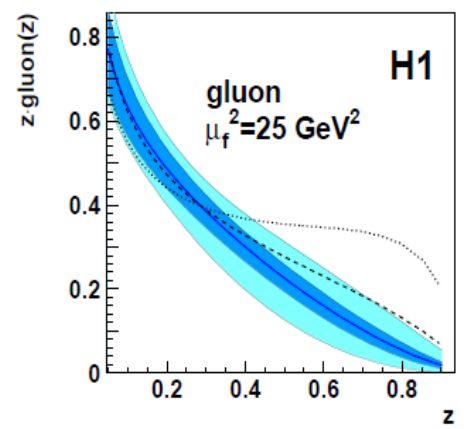
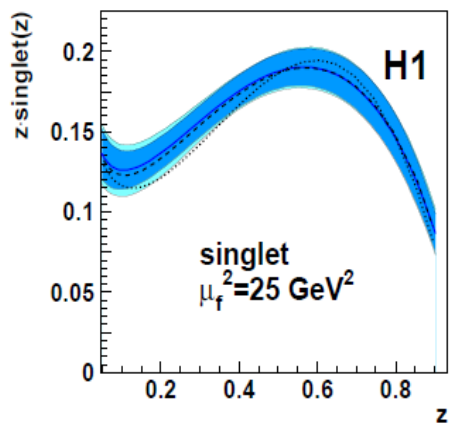


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- H1 2007 Jets DPDF
- exp. uncertainty
- exp. + theo. uncertainty
- H1 2006 DPDF fit A
- H1 2006 DPDF fit B

JHEP 0710:042,2007



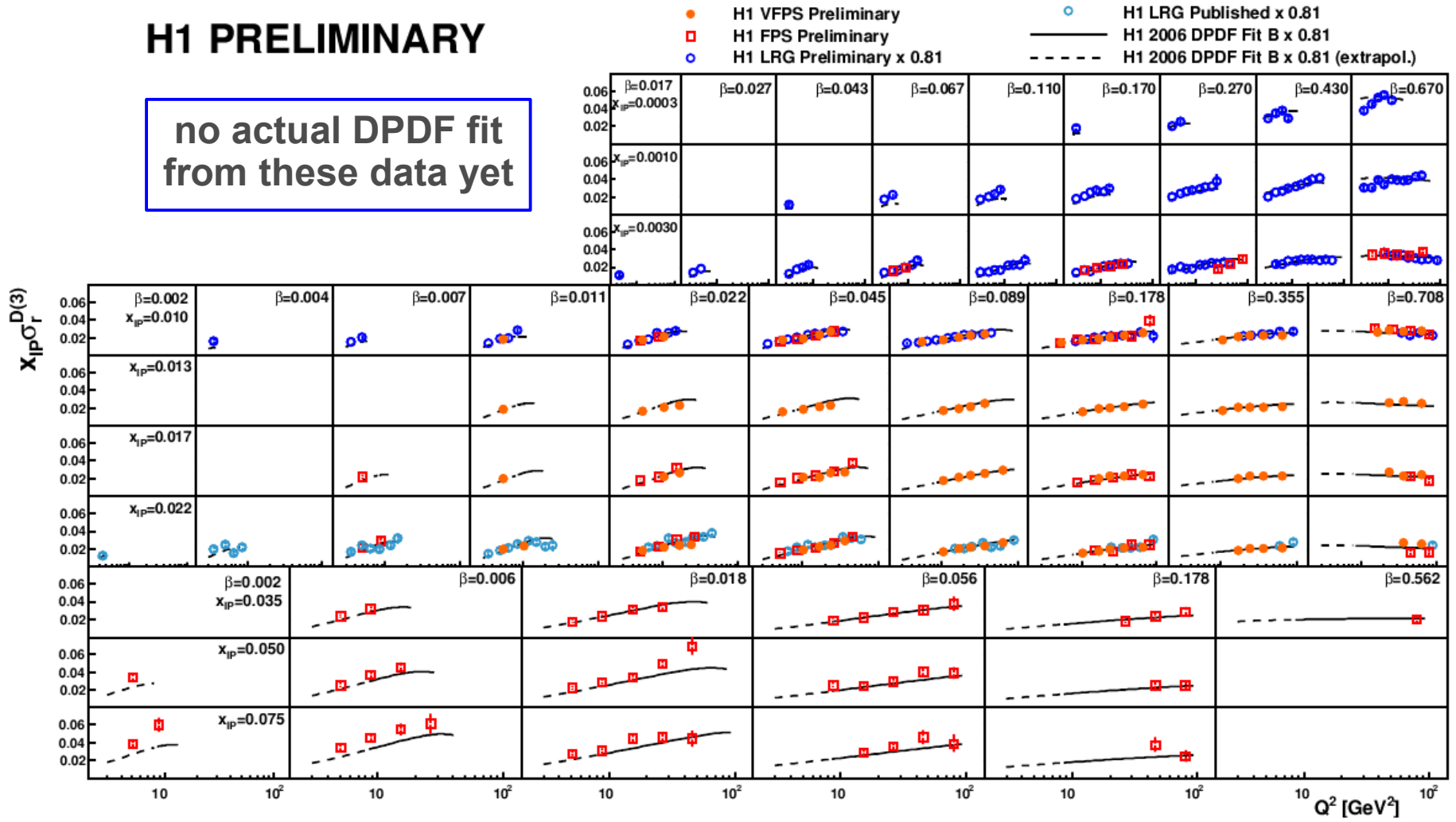
gluon dominates in the diffractive exchange (60-70%)

combination of detection methods

inclusive data obtained by LRG and proton tagging ... biggest H1 dataset

H1 PRELIMINARY

no actual DPDF fit from these data yet



Era of combinations of H1 and ZEUS data

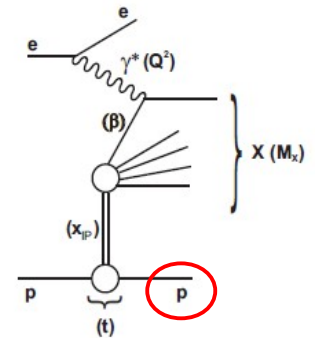
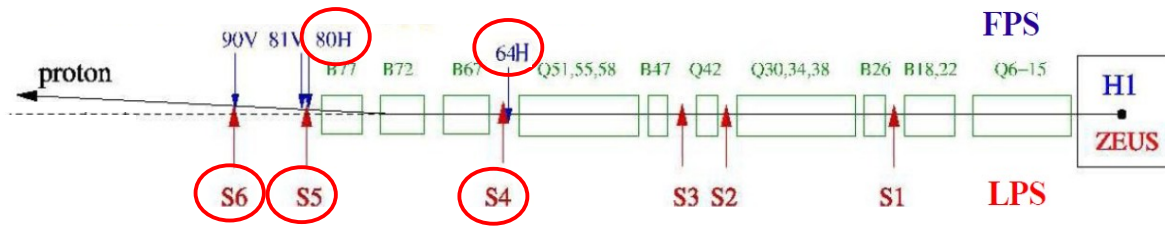
(D)PDF fits will profit from **statistics increase** and **independent systematics**

successful combination of inclusive data with leading proton



Combined inclusive diffractive cross sections measured with forward proton spectrometers in deep inelastic ep scattering at HERA

Eur. Phys. J. C72 (2012) 2175, 07/12



$ep \rightarrow eXp$, selected with leading protons in Roman Pots (H1-FPS, ZEUS-LPS)

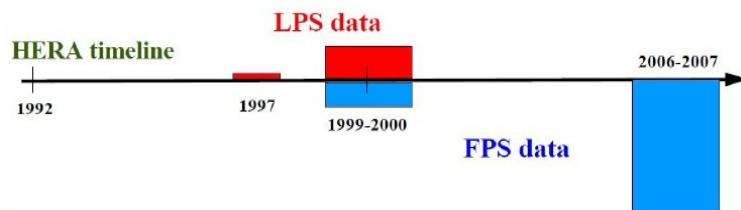
common phase space:

$$2.5 < Q^2 < 200 \text{ GeV}^2 \quad 0.00035 < x_P < 0.09$$

$$0.09 < |t| < 0.55 \text{ GeV}^2 \quad 0.0018 < \beta < 0.816 \quad \beta = x/x_P$$

combined cross section values obtained by iterative χ^2 minimization, full error correlations taken into account

[A. Glazov, AIP Conf. Proc. 792 (2005) 237]



$$\frac{d^4\sigma}{d\beta dQ^2 dx_P dt} = \frac{4\pi\alpha^2}{\beta Q^4} \left(1 - y + \frac{y^2}{2}\right) \sigma_r^{D(4)}(\beta, Q^2, x_P, t)$$

reduced cross section measured

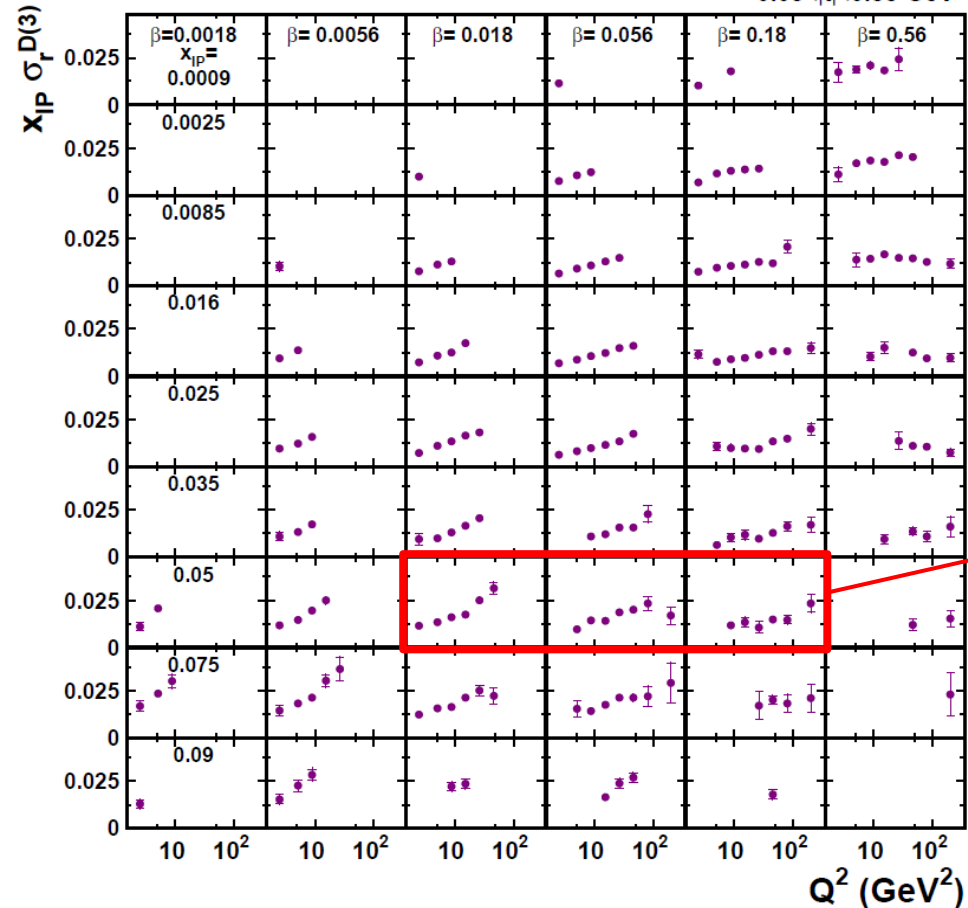
$$\sigma_r^{D(4)} = F_2^{D(4)} - \frac{y^2}{1+(1-y)^2} F_L^{D(4)}$$

integrated over t

$$\sigma_r^{D(3)}(\beta, Q^2, x_P) = \int \sigma_r^{D(4)}(\beta, Q^2, x_P, t) dt$$

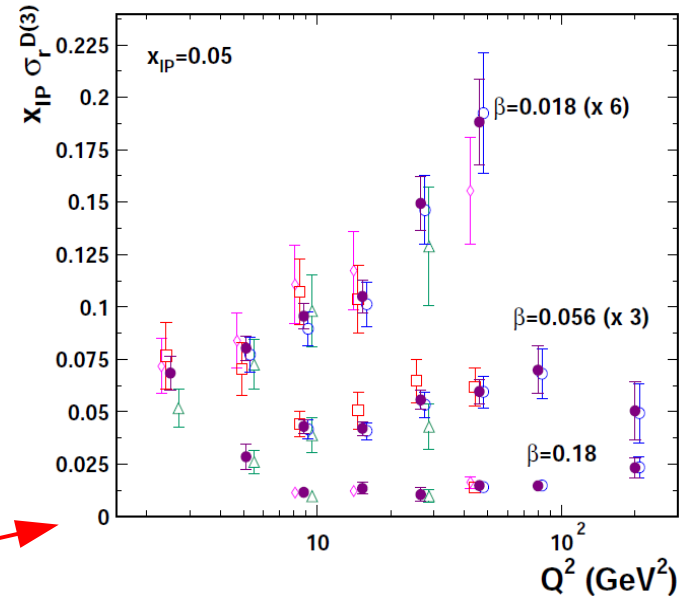
H1 and ZEUS

● HERA
0.09 < |t| < 0.55 GeV²



H1 and ZEUS

○ H1 FPS HERA II △ H1 FPS HERA I ● HERA
□ ZEUS LPS 2 ◇ ZEUS LPS 1 0.09 < |t| < 0.55 GeV²



Reduction of syst. errors (two detectors).

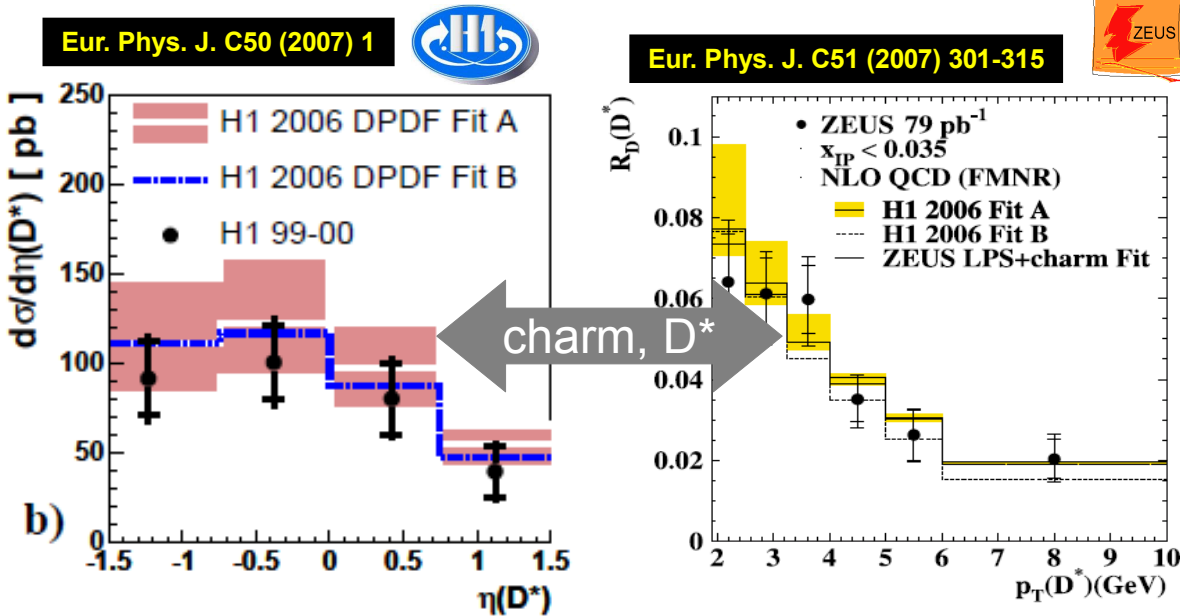
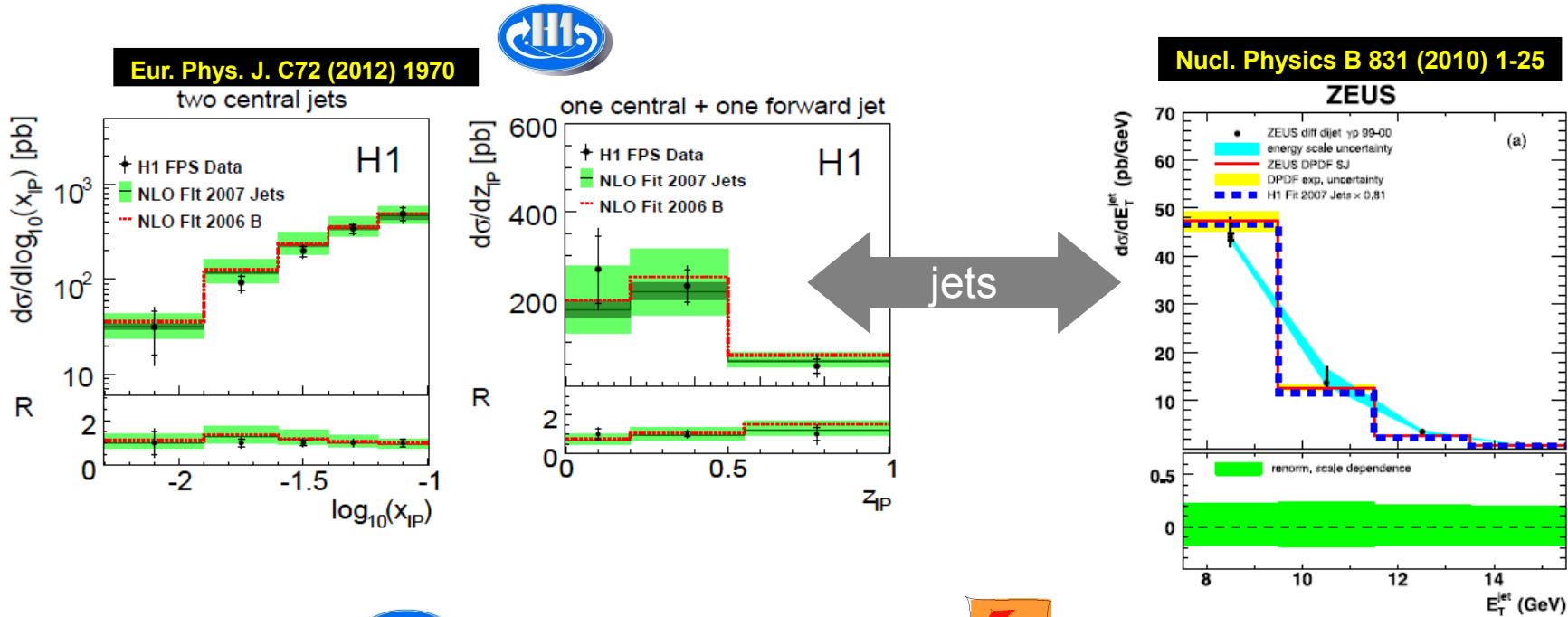
Consistency between H1 and ZEUS.

Most precise normalization of $ep \rightarrow eXp$ σ .

Combined data more precise than single data of either experiment alone.

Tests of HERA DPDFs in DDIS

DPDFs obtained (under assumption of validity of QCD hard factorization) are used for predictions



Tests DPDFs from HERA in Photoproduction

Kaidalov et al.

QCD hard factorization **does not hold** in diffractive hadron-hadron interactions [hep-ph/0302091]

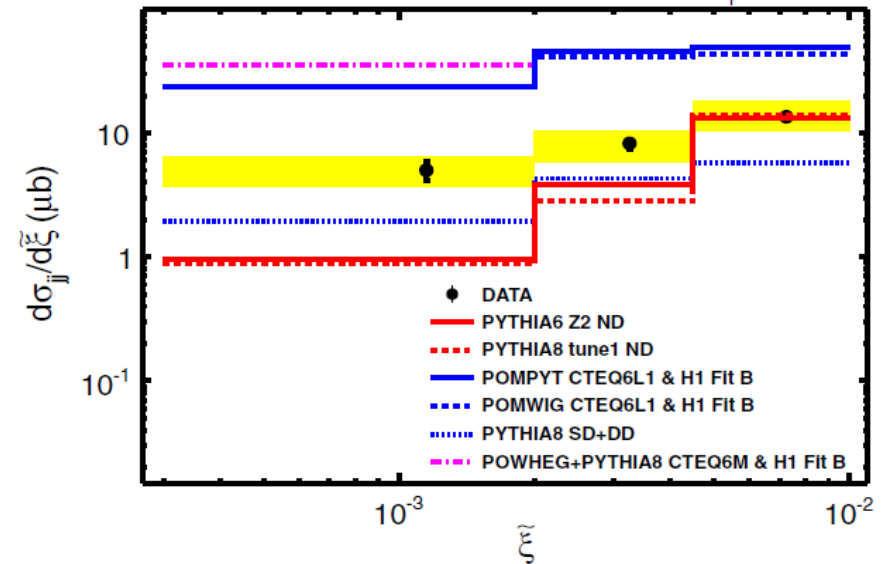
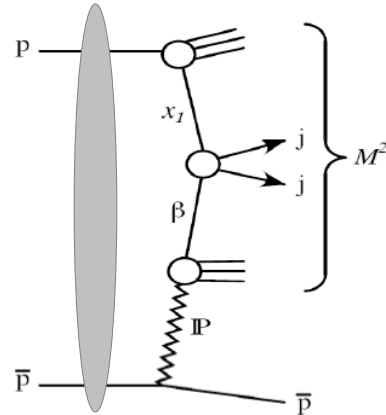
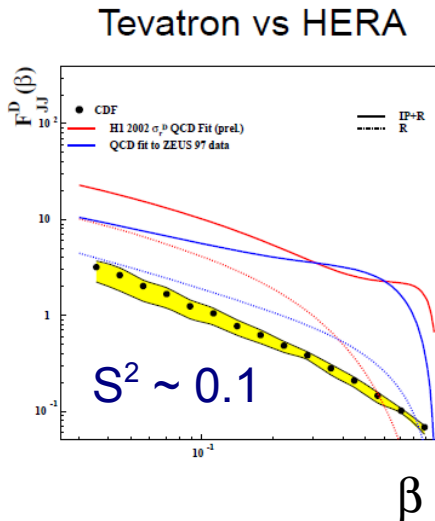
soft scatterings between spectator partons fill the gap, leads to suppression of observed rate of diffractive events → **gap survival probability, S^2**

can be illustrated with dijets in pp at Tevatron
and newly by diffractive contribution to dijet production in CMS



Phys. Rev. D 87, 012006 (2013)

CMS, $\sqrt{s}=7$ TeV, $L = 2.7 \text{ nb}^{-1}$, $pp \rightarrow \text{jet}_1 \text{ jet}_2$, $|\eta^{j1,j2}| < 4.4$, $p_T^{j1,j2} > 20$ GeV



$$\tilde{\xi}^{\pm} = \frac{\sum(E^i \pm p_z^i)}{\sqrt{s}}$$

$$S^2_{(\text{LO MC, HERA DPDF})} \sim 0.12-0.2$$

$$S^2_{(\text{NLO MC, HERA DPDF})} \sim 0.08-0.14$$

There are hadron-hadron like interactions at HERA too.

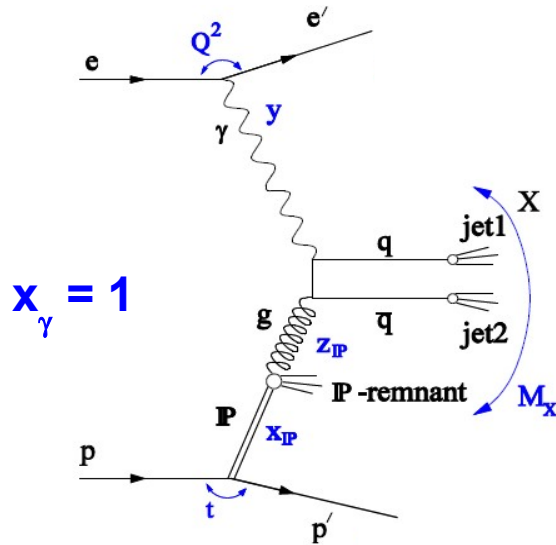
photoproduction in ep ... $Q^2 \sim 0 \text{ GeV}^2$

in LO we distinguish between:

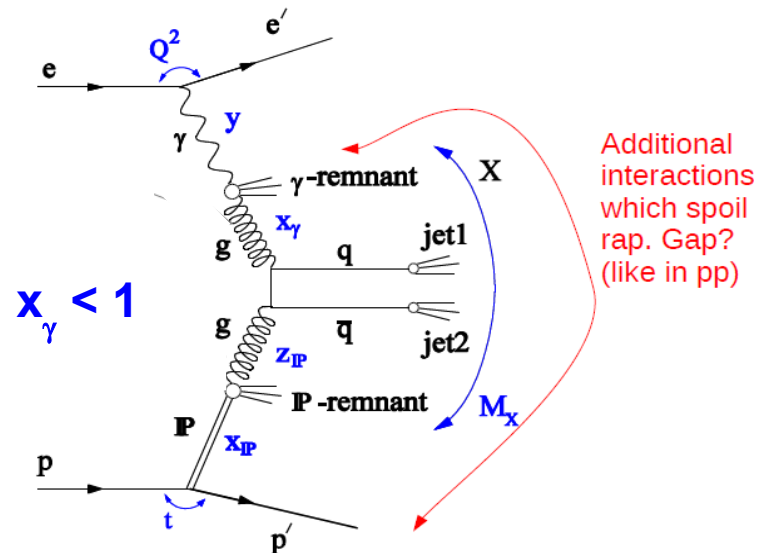
direct (DIS-like) photon interactions

resolved photon interactions (h-h-like) ... photon structure function used

x_γ = fraction of γ 4-momentum in the hard process, **direct/resolved** discriminator



direct processes, DIS-like



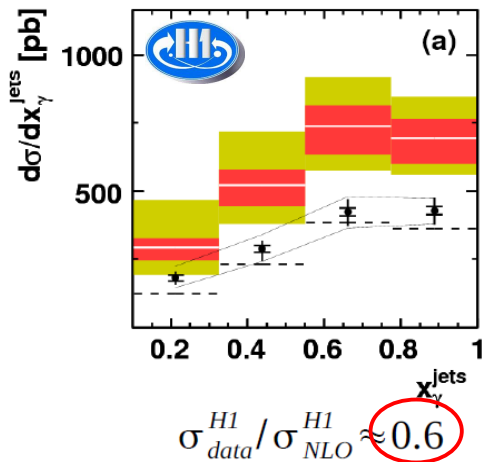
resolved γ processes, hadron-like

Previous HERA results not fully decisive.

- LRG method used for diffractive selection
- different phase space
- different selection of photoproduction, tagged electron ^{H1} vs. untagged ^{ZEUS}
- survival probability studied by comparison of data with NLO QCD prediction

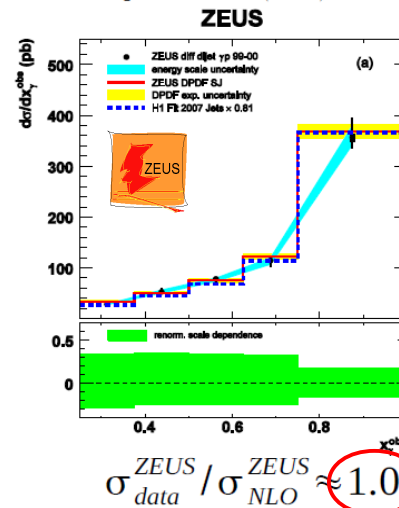
Eur. Phys. J. C68 (2010) 381

$$E_T^{\text{jet1(2)}} > 5(4) \text{ GeV}$$



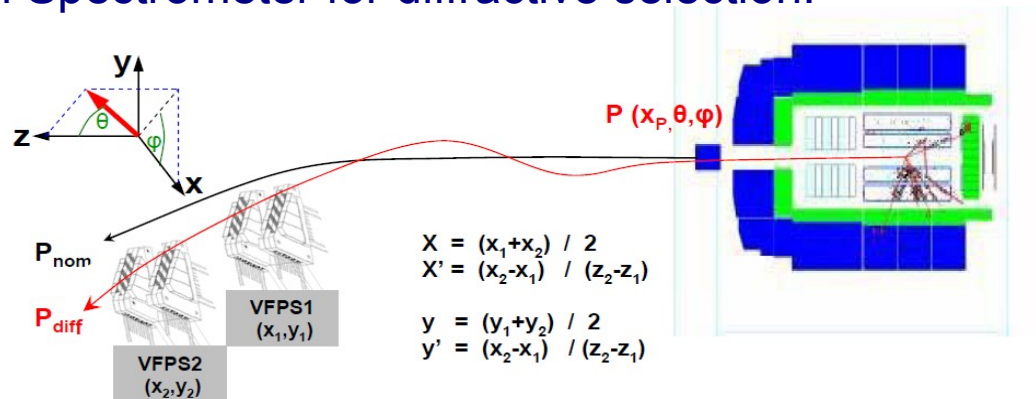
Nucl. Phys. B381 (2010)

$$E_T^{\text{jet1(2)}} > 7.5(6.5) \text{ GeV}$$



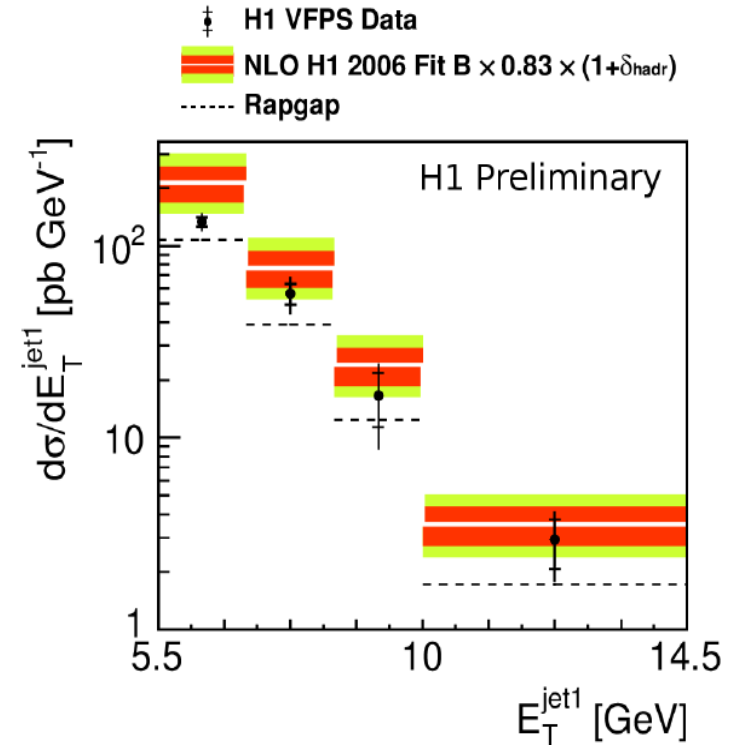
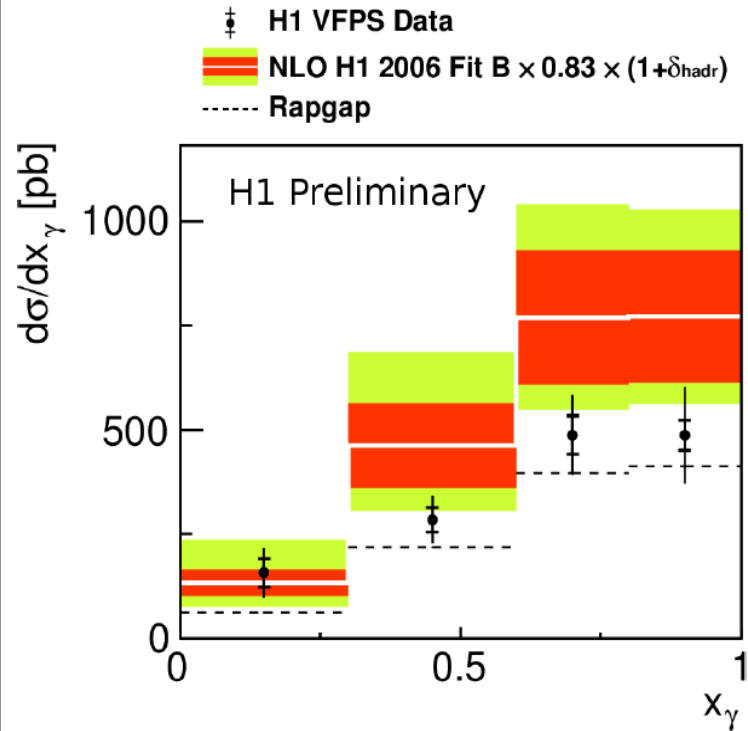
New analysis uses **Very Forward Proton Spectrometer** for diffractive selection.

- located at 218 and 222 m from I.P.
- profits from different systematics
- reasonable statistics ~ 4800 ev.



Phase-space definition

$$\begin{aligned}
 & Q^2 < 2 \text{ GeV}^2 \\
 & 0.2 < y < 0.8 \\
 & k_T \text{ jet algorithm:} \\
 & E_T^{\text{jet1(2)}} > 5.5(4) \text{ GeV} \\
 & -1 < \eta^{\text{jet1,2}} < 2.5 \\
 & \text{Diffractive:} \\
 & 0.010 < x_{IP} < 0.024 \\
 & |t| < 0.6 \text{ GeV}^2 \\
 & M_Y = M_p
 \end{aligned}$$



$$\sigma_{DATA} / \sigma_{NLO} = 0.67 \pm 0.04 (\text{stat.}) \pm 0.09 (\text{syst.}) \pm 0.20 (\text{scale}) \pm 0.14 (\text{DPDF})$$

Measured suppression factor $\sigma_{DATA} / \sigma_{NLO}$ consistent with previous H1 analysis.

Difference of the suppression w.r.t. ZEUS analysis remains.

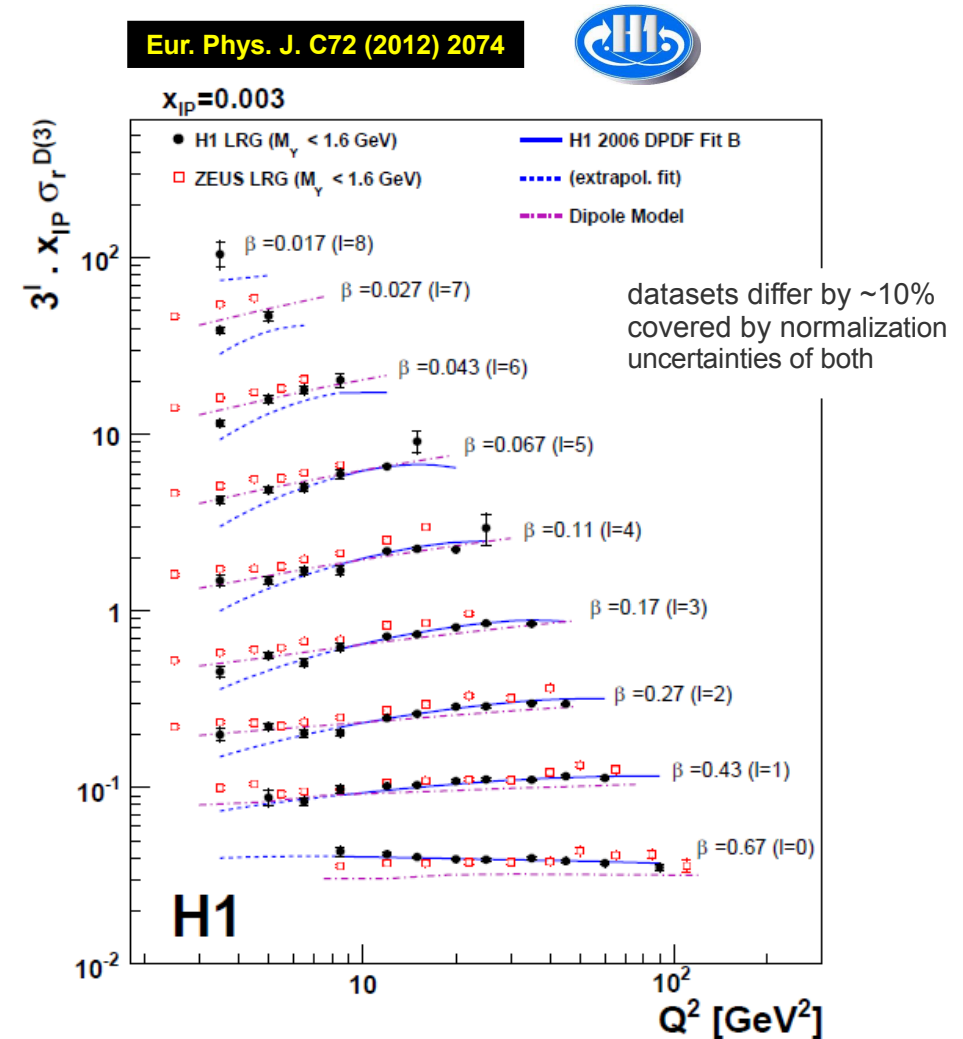
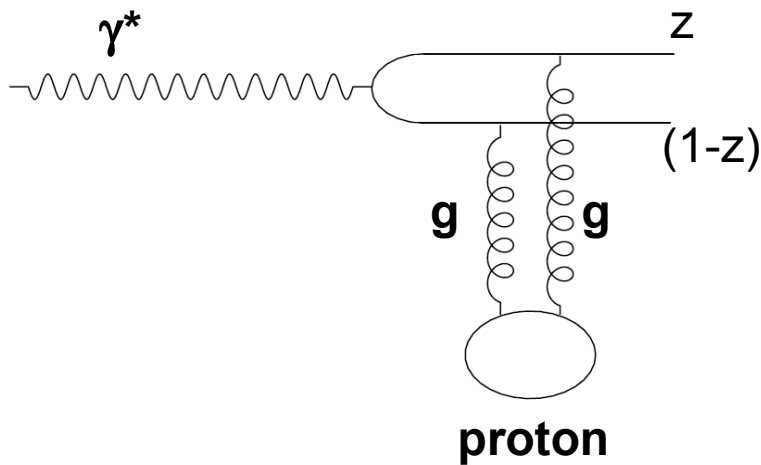
Non-dependence on the x_γ fraction consistent with both previous analyses.

Hard diffractive processes in proton rest frame

QCD hard factorization valid if proton is fast (infinite momentum frame)

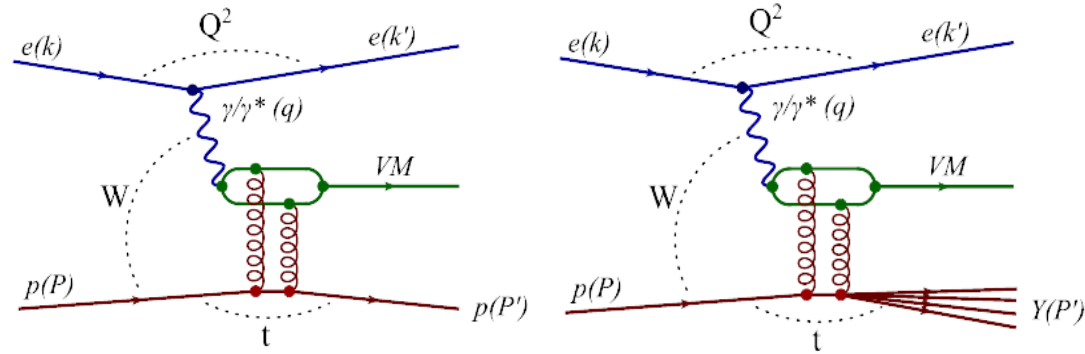
interpretation in proton rest frame:

long living color dipole of virtual photon
scatters on static proton
... **color dipole model (CDM)**



shapes: CDM better at low Q^2 ... DPDF at high Q^2 ²¹

Production of vector mesons (in proton rest frame)



Soft production:

parton dipole forms a vector meson and elastically scatters from proton

Regge based prediction: $\sigma \sim W^{0.22}$

Transition from soft to hard with hard scale present

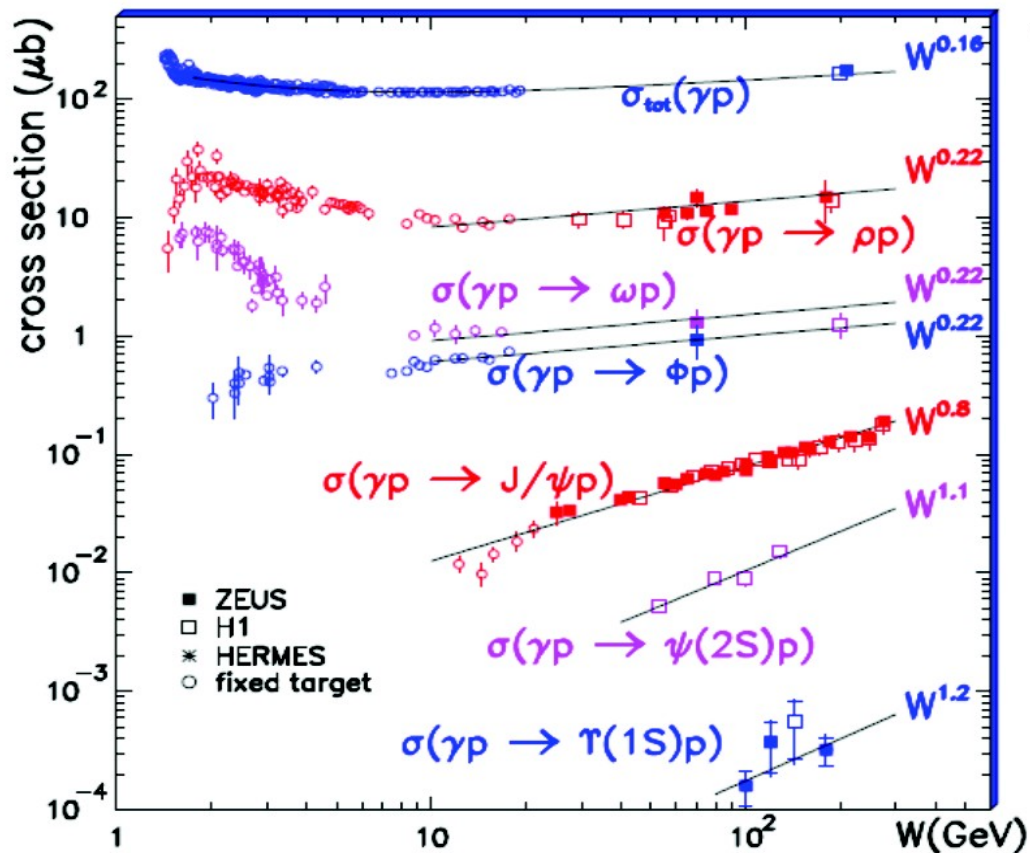
$\sigma \sim W^\delta$ the power δ expecting to grow to, driven by $\sigma \propto \left[\alpha_s(\mu^2) x g(x, \mu^2) \right]^2$

Vector meson production is particularly interesting also due to

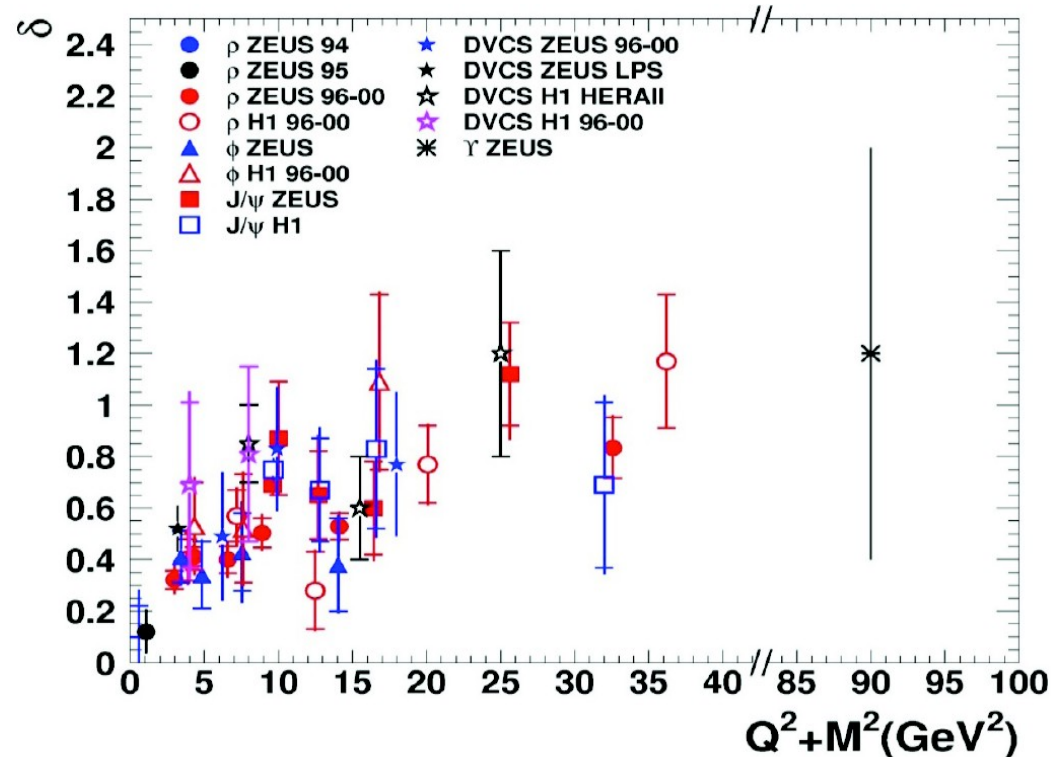
clear signature, decay of VM + empty detector otherwise (proton undetected)

leading proton kinematics reconstructed from VM products

Vector meson production soft → hard transition



Phys. Lett. B 708 (2012) 14-20

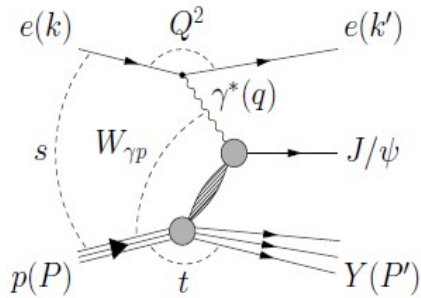


hardening of σ 's W dependence for hard scale increasing (... from ρ to $\Upsilon(1S)$)

New “complementary” measurement of J/ψ ... in H1 and LHCb

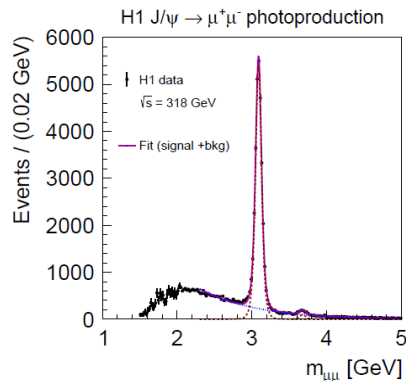
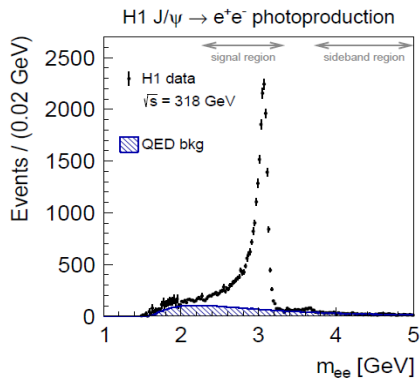
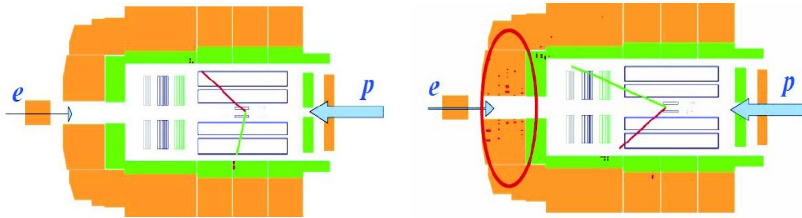


Eur. Phys. J. C73 (2013) 2466 , 04/13

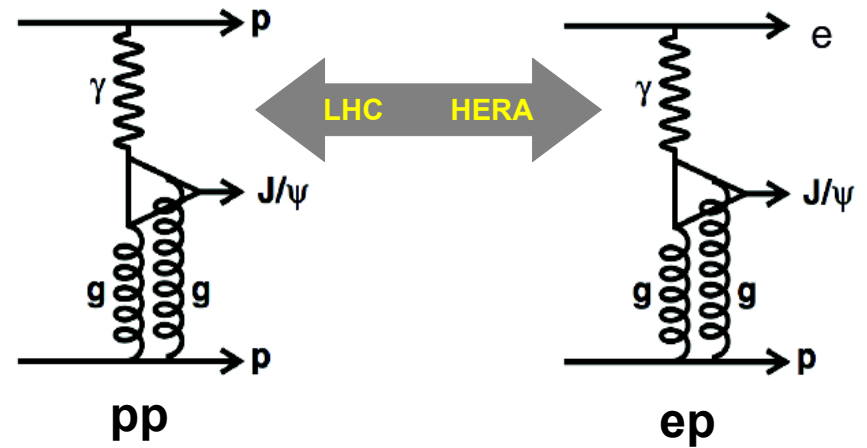


elastic

proton dissociative



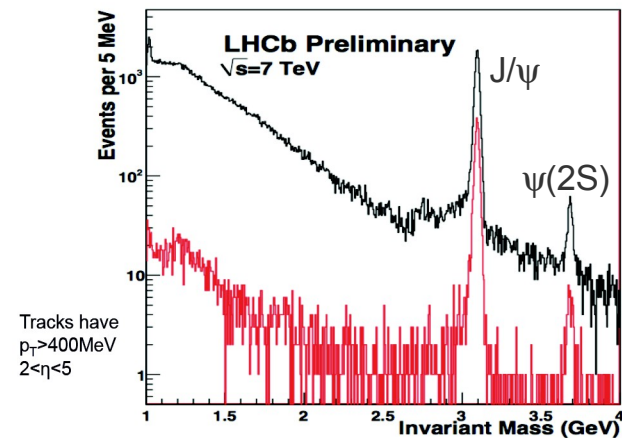
J. Phys. G: Nucl. Part. Phys. 40 (2013) 045001 (17pp)



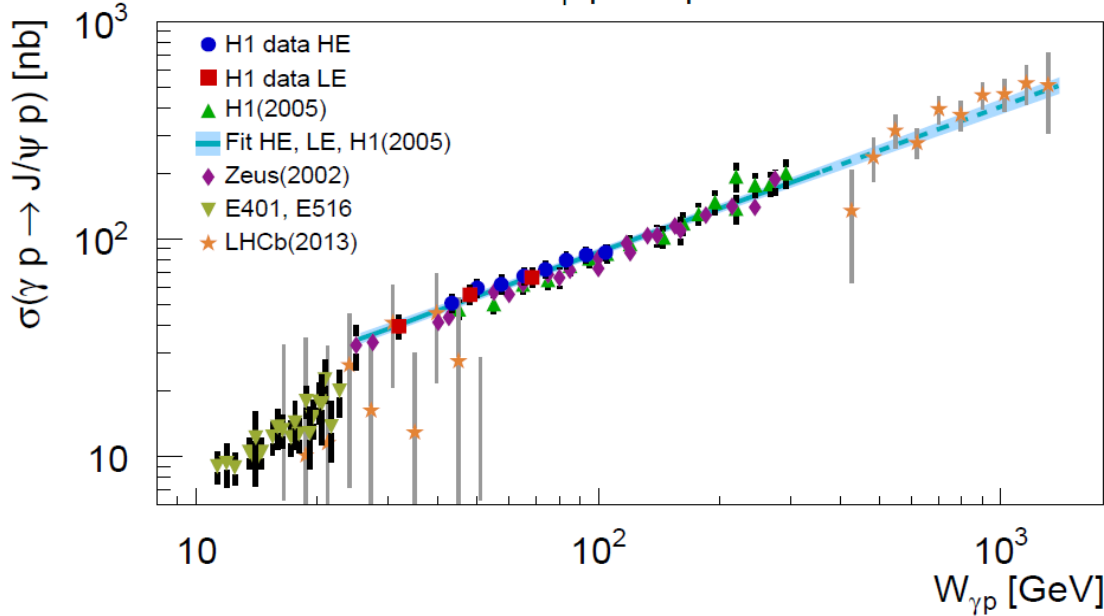
LHCb c/s is HERA c/s weighted by photon spectrum + gap survival factor (r)

$$\frac{d\sigma}{dy}_{pp \rightarrow pVp} = a(2\sqrt{s})^{\delta/2} r(y) \left[\frac{dn}{dk_+} k_+^{1+\delta/2} + \frac{dn}{dk_-} k_-^{1+\delta/2} \right]$$

$$k_{\pm} \approx (m_V/2) \exp(\pm|y|).$$



Elastic J/ψ photoproduction



H1

Consistent with previous HERA results.

Steeper slope and lower normalization of the fixed target data.

Extrapolation to new LHCb data seems OK.

LHCb

LHCb data consistent with a power law dependence $\sigma(W) = aW^\delta$.

LHCb

$$a = 0.8^{+1.2}_{-0.5} \text{ nb}$$

$$\delta = 0.92 \pm 0.15$$

HERA

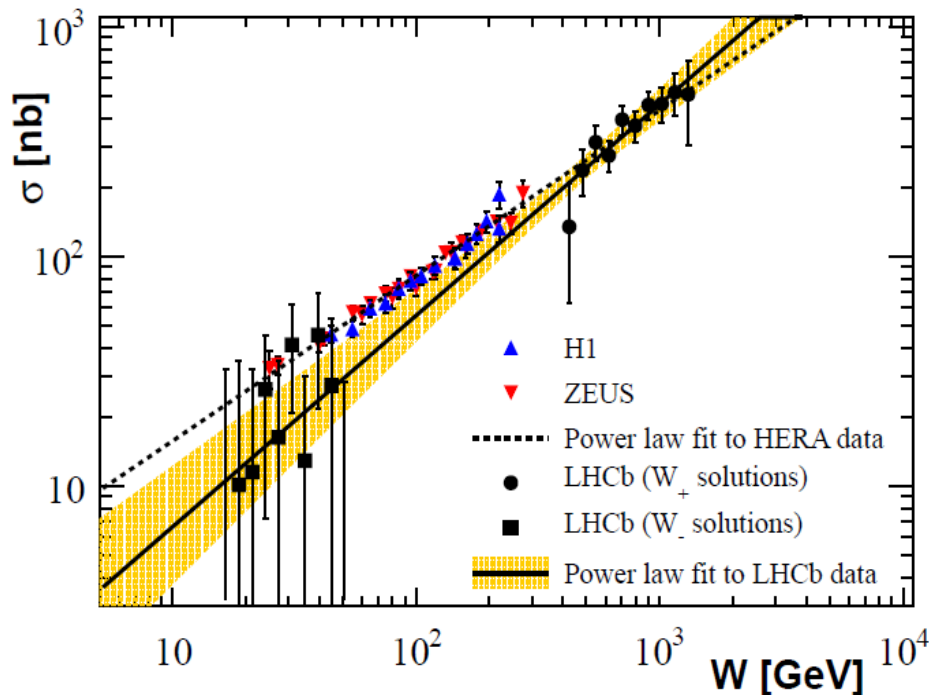
Eur. Phys. J. C46 (2006) 585

Eur. Phys. J. C24 (2002) 345

$$a \sim 3 \text{ nb}$$

$$\delta = 0.72 \pm 0.03$$

The parametric form is in broad agreement with HERA (older H1 result).



Summary

Hard diffraction is present in ep, and pp data ... dominated by gluon

Efficient diffractive selection achieved by LRG and proton tagging.

HERA provides valuable input for LHC in terms of diffractive PDFs.

- ... extracted from inclusive data

 - ... **combination** of experiments

 - ... **combination** detection methods

- ... extracted from dijet data to constrain gluon contribution

QCD hard factorization holds in DDIS (jets, D^*) and not in pp

- ... **new**: gap suppression observed with diff. dijets in CMS

- ... situation not clear in diffractive photoproduction, **global** suppression observed different for H1 and ZEUS

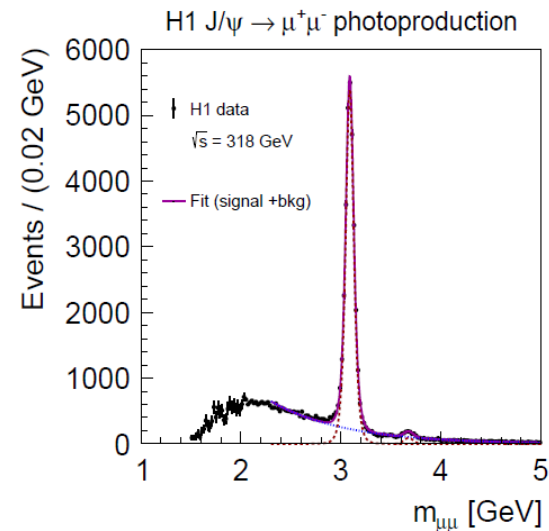
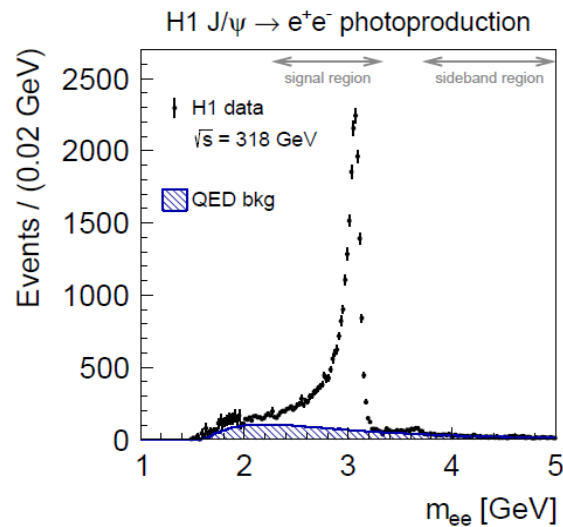
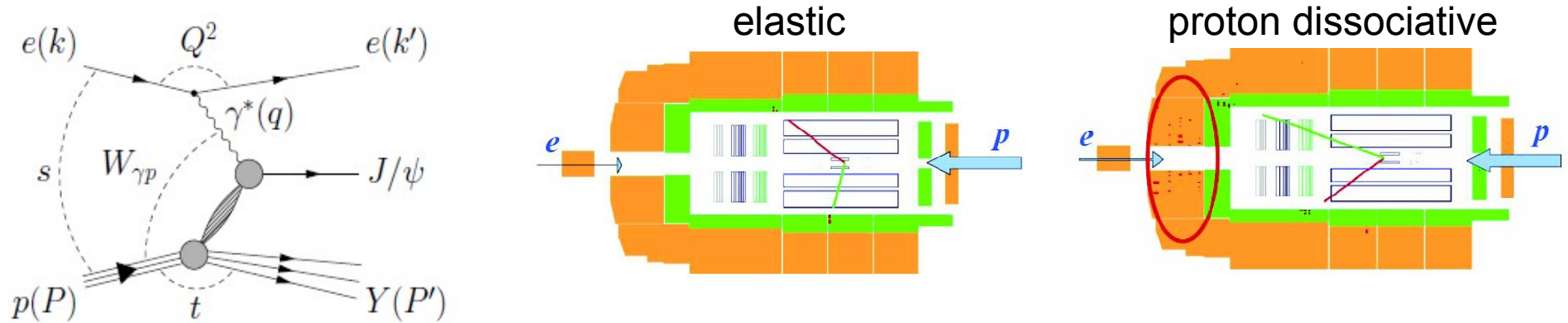
Color Dipole Model

- ... describes low Q^2 inclusive σ better than DPDF fits

- ... used for predictions in VM analyses

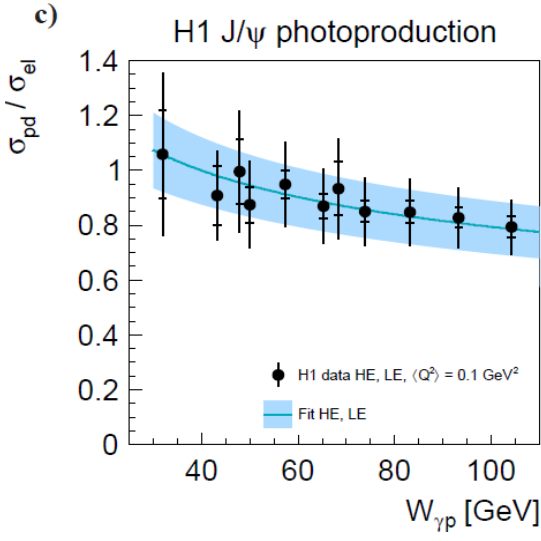
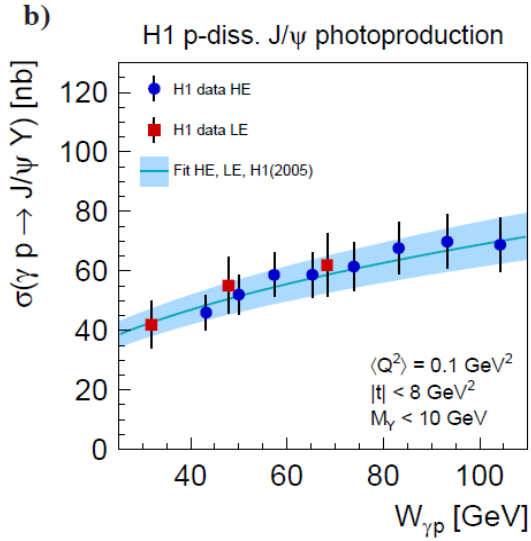
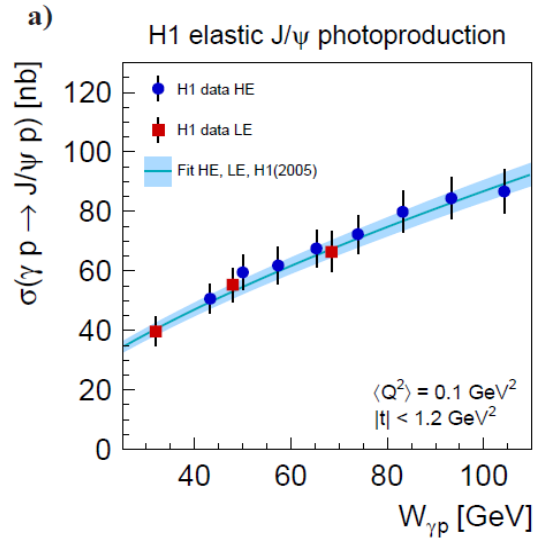
 - ... soft to hard (Regge to QCD) transition observed in terms of hardening the energy dependence of σ

Backup



Using HERA 2 data at 318 GeV and 225 GeV where the lower energy data provide transition to previous HERA and to fixed targeted data, **$30 < W < 100$ GeV**.

Elastic and Proton-Dissociative Photoproduction of J/ψ Mesons at HERA

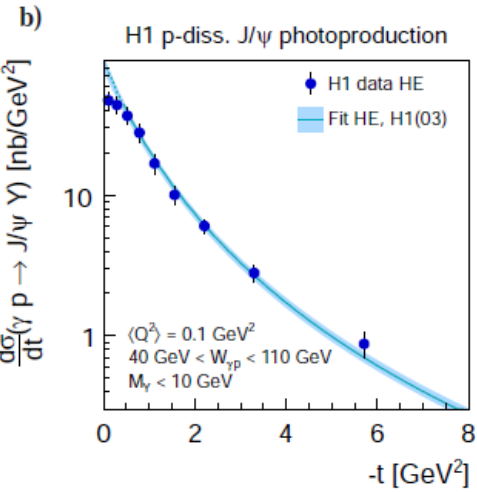
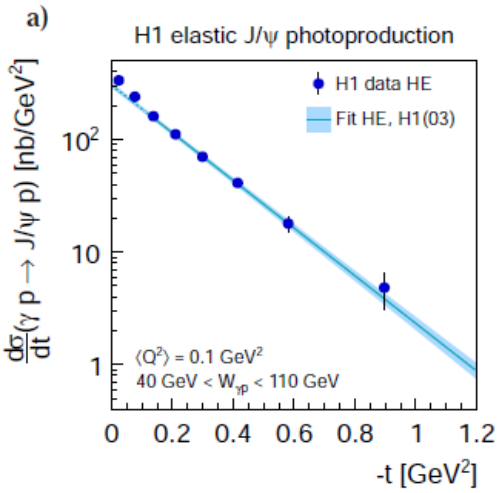


fitted W dependence: $\sigma = N \left(\frac{W_{\gamma p}}{W_0} \right)^\delta, W_0 = 90 \text{ GeV}$

decreasing ratio of $\sigma_{PD} / \sigma_{EL}$

$\delta_{EL} = 0.67 \pm 0.03$

$\delta_{PD} = 0.42 \pm 0.05$... both stronger than Regge $W^{0.22}$... i.e. pQCD "hard" Pomeron



$$\frac{d\sigma_{EL}}{dt} \sim e^{-b_{EL}|t|}$$

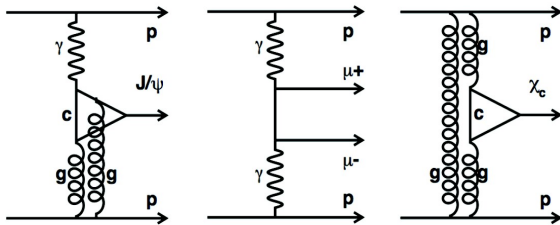
$$\frac{d\sigma_{PD}}{dt} = N_{PD} \left(1 + \frac{b_{PD}}{n} |t| \right)^{-n}$$

$b_{EL} = 4.88 \pm 0.15 \text{ GeV}^2$

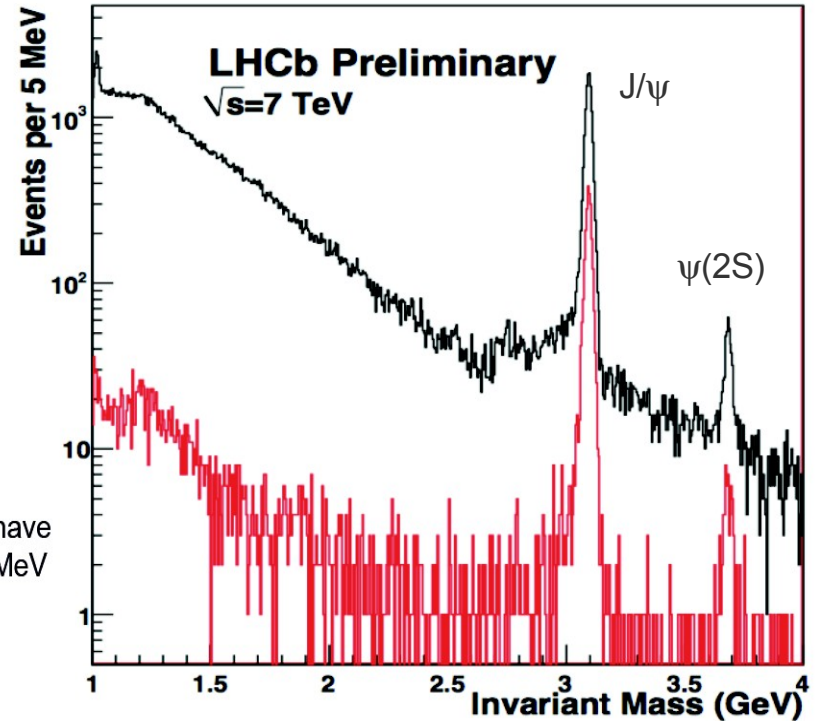
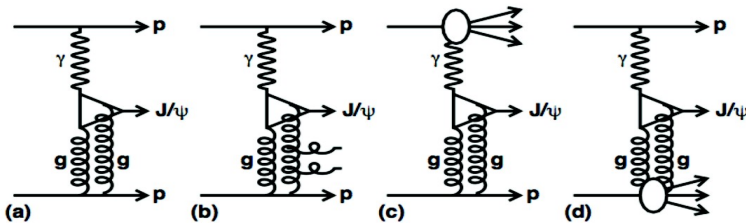
$b_{PD} = 1.79 \pm 0.12 \text{ GeV}^2$

Signal extracted from di-muon decays:

contributions to central prod. of di-muons



+ inelastic background



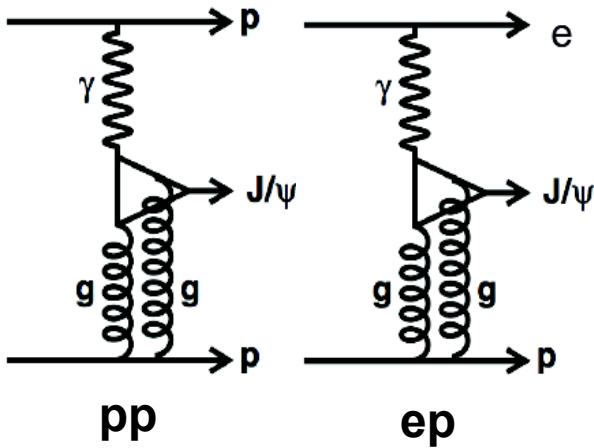
Tracks have
 $p_T > 400 \text{ MeV}$
 $2 < \eta < 5$

based on 37 pb^{-1} 2010 data

with about ~ 1500 J/ψ and ~ 40 ψ events

Exclusive J/ψ and $\psi(2S)$ production in pp collisions at $\sqrt{s} = 7$ TeV

LHCb compared with HERA (photoproduction) J/ψ results



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Eur. Phys. J. C46 (2006) 585

HERA

Eur. Phys. J. C24 (2002) 345

$$a \sim 3 \text{ nb}$$

$$\delta = 0.72 \pm 0.03$$

HERA

Eur. Phys. J. C73 (2013) 2466

$$a \sim 4 \text{ nb}$$

$$\delta = 0.67 \pm 0.03$$

