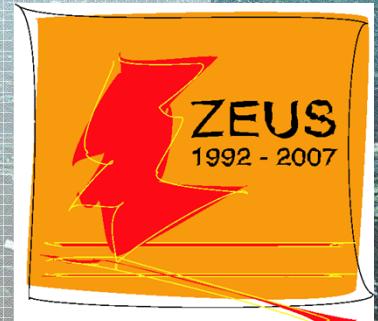


High Q^2 neutral current results from ZEUS

Achim Geiser, DESY Hamburg

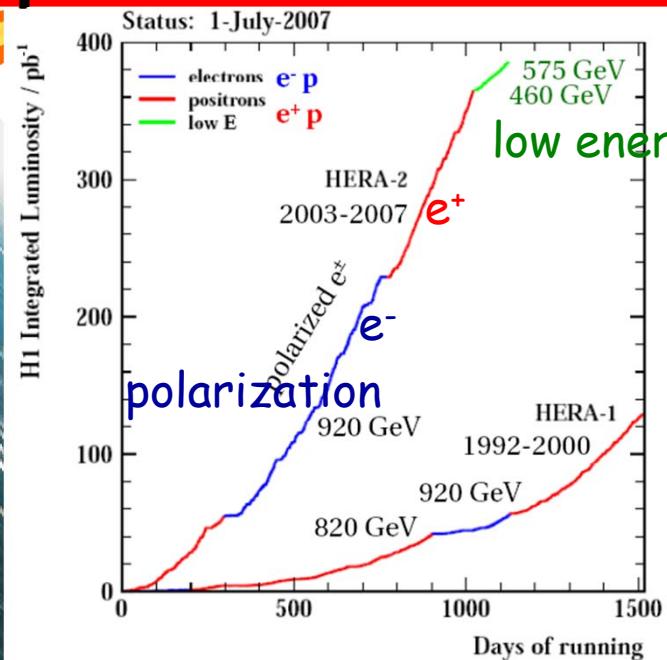
36th International Conference for
High Energy Physics
Melbourne, Australia, July 4-11, 2012

HERA



- Introduction
- Latest results on high Q^2 e^+p
- e^+p vs e^-p
- Polarized cross sections
- Summary and conclusions

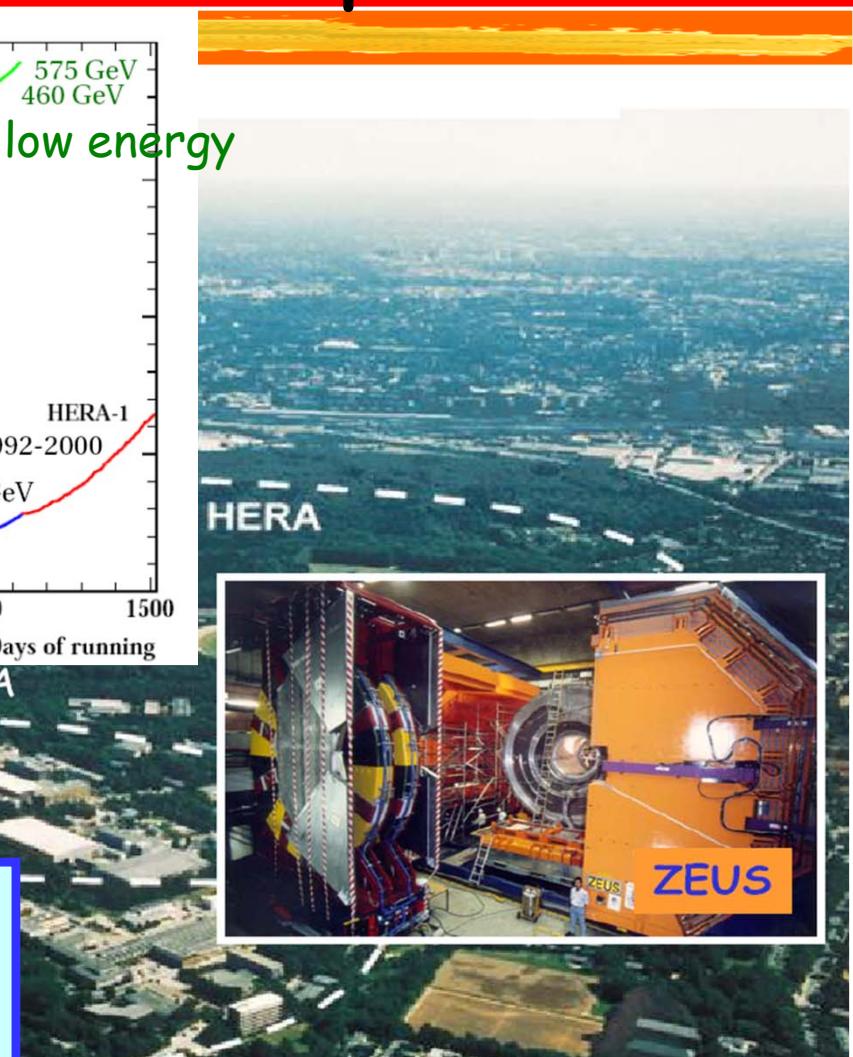
The HERA ep collider and experiments



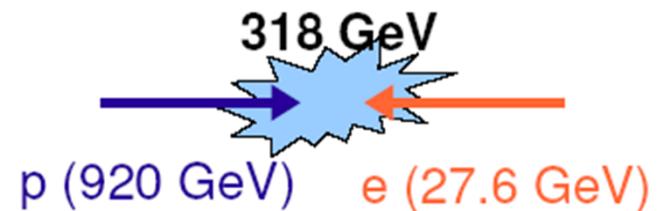
HERA I: $\sim 130 \text{ pb}^{-1}$ (physics)

HERA II: $\sim 380 \text{ pb}^{-1}$ (physics)

combined: $\sim 2 \times 0.5 \text{ fb}^{-1}$

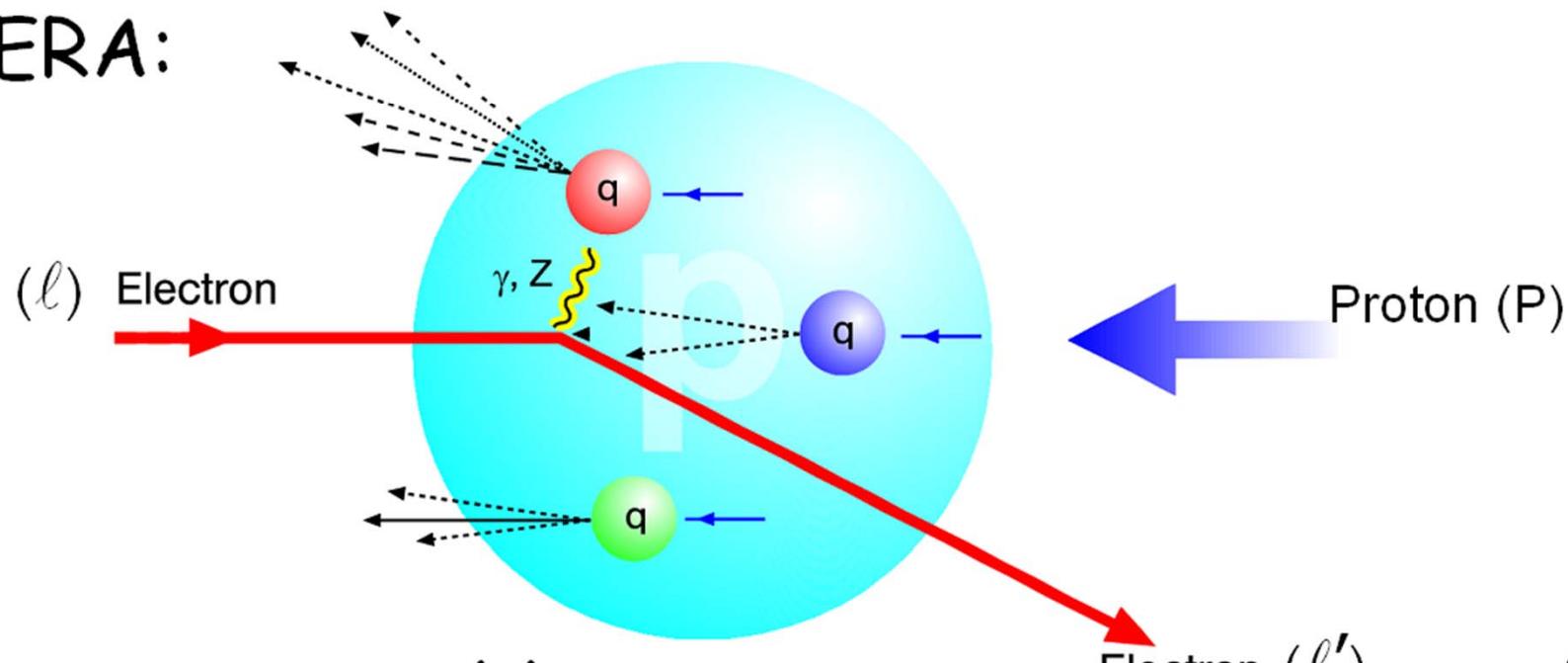


HERA:



Kinematics of Deep Inelastic Scattering (DIS)

HERA:



kinematic variables:

$$Q^2 = -\mathbf{q}^2 \quad \text{photon (or } Z\text{) virtuality, squared momentum transfer}$$

$$x = \frac{Q^2}{2Pq} \quad \text{Bjorken scaling variable,}\\ \text{for } Q^2 \gg (2m_q)^2: \text{ momentum fraction of p constituent}$$

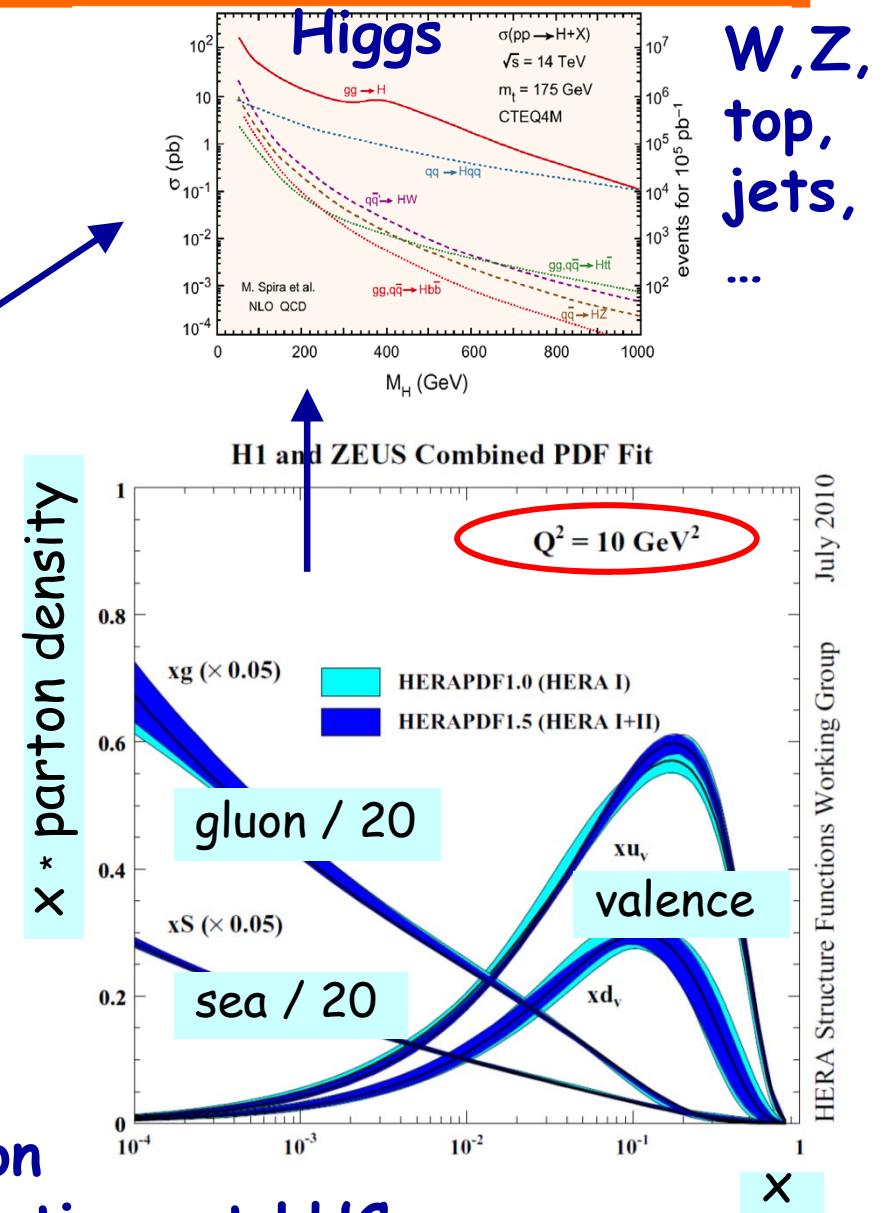
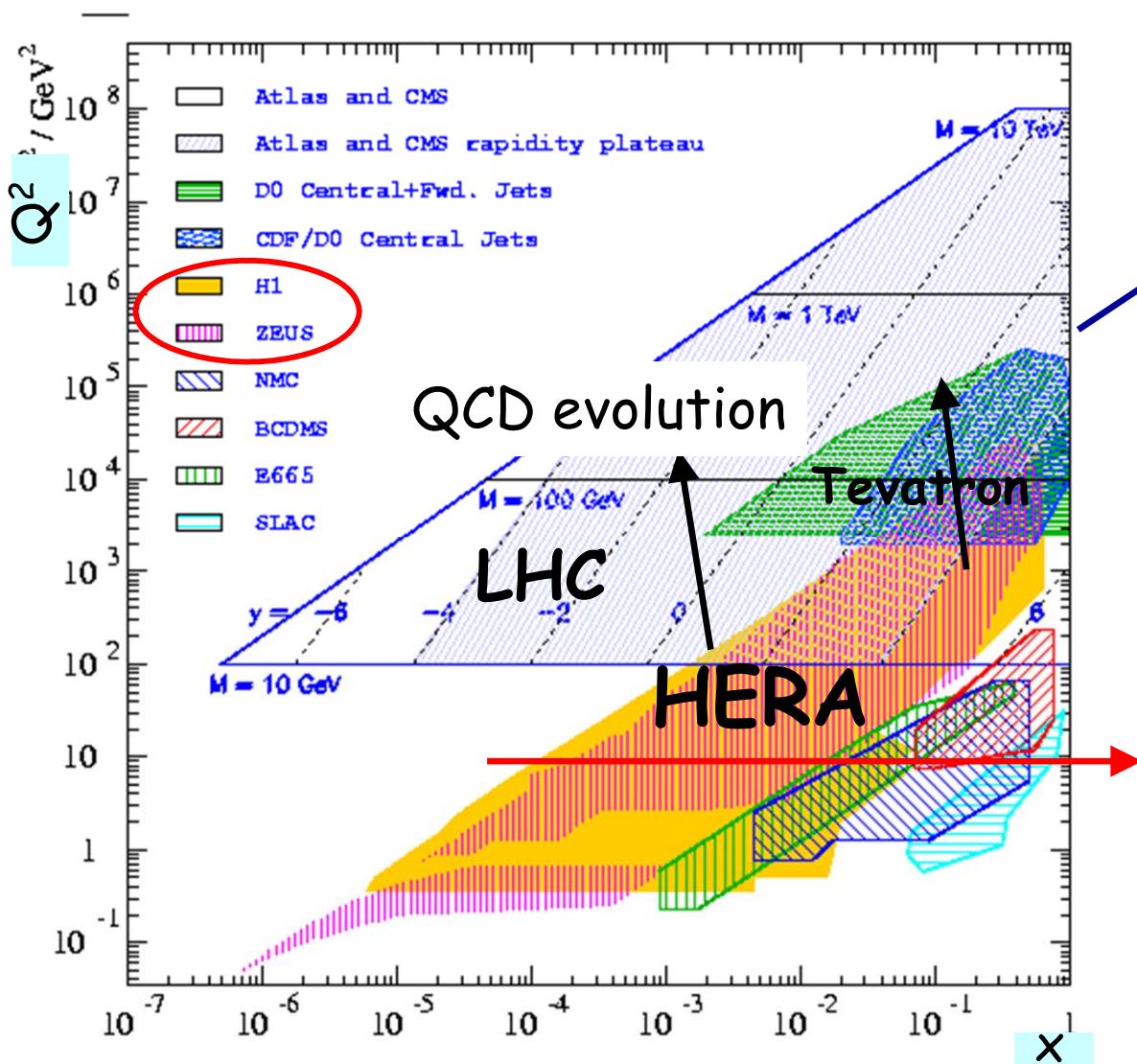
$$\gamma = \frac{qP}{\ell P} \quad \text{inelasticity,}\\ \gamma \text{ momentum fraction (of e)}$$

$$\mathbf{q} = \ell - \ell'$$

$Q^2 \lesssim 1 \text{ GeV}^2$:
photoproduction

$Q^2 \gtrsim 1 \text{ GeV}^2$:
DIS

Parton density functions (PDF)



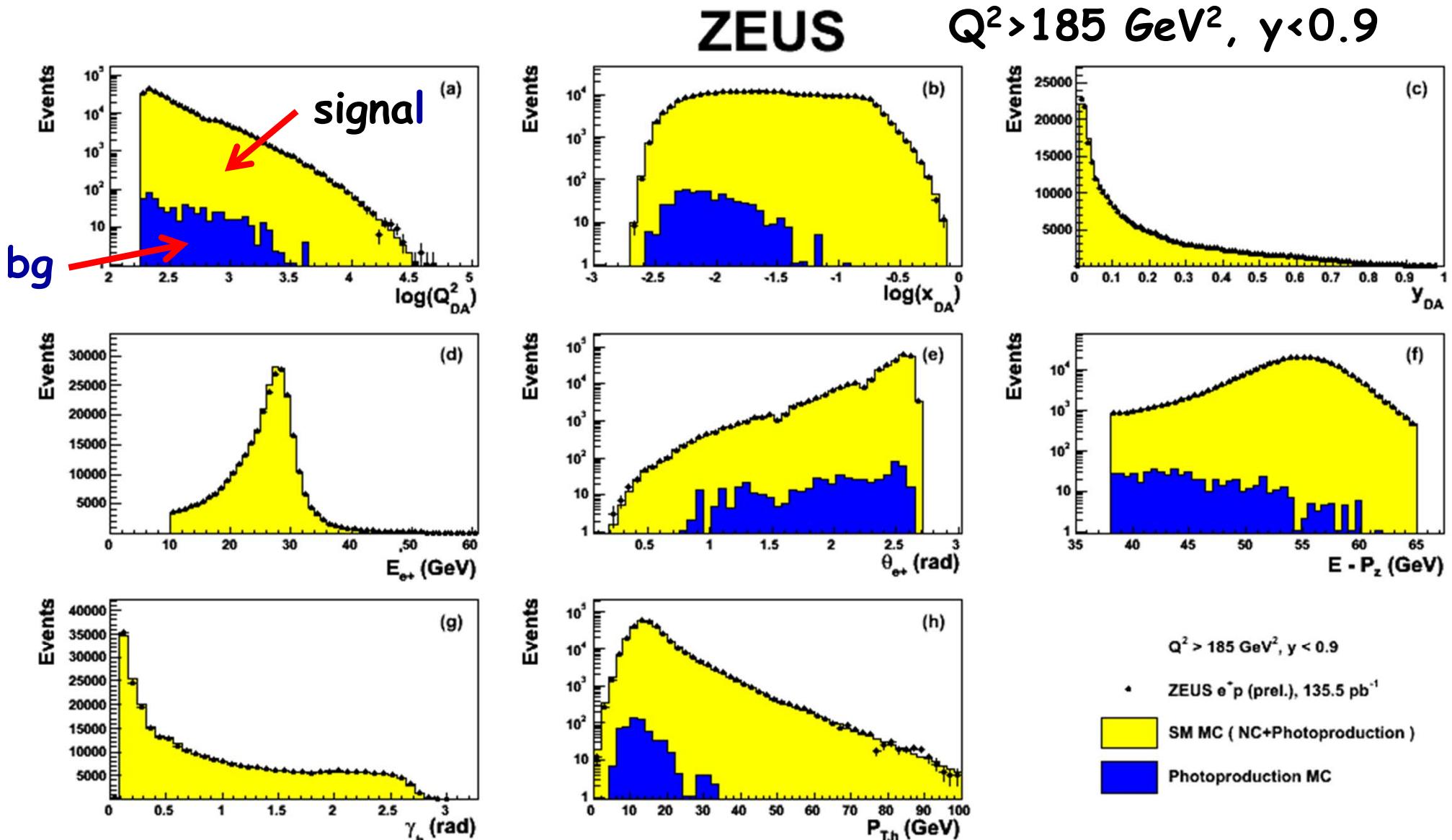
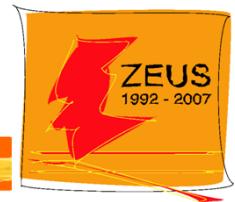
parton densities and flavour composition
measured at HERA determine cross sections at LHC

HERA results on high Q^2 NC cross sections

- final results from H1, e^+p , e^-p
 - > previous talk
- ZEUS HERA I results, e^+p , e^-p
 - > [JHEP 1 \(2010\) 1-63](#) and references therein
- final e^-p results from ZEUS,
 - > [EPJ C 62 \(2009\) 625-658](#)
- preliminary e^+p HERA II results from ZEUS,
 - > this talk, NOT included in HERAPDF1.5
 - (ZEUS-prel-11-003, final results soon)



Control distributions, e^+p data

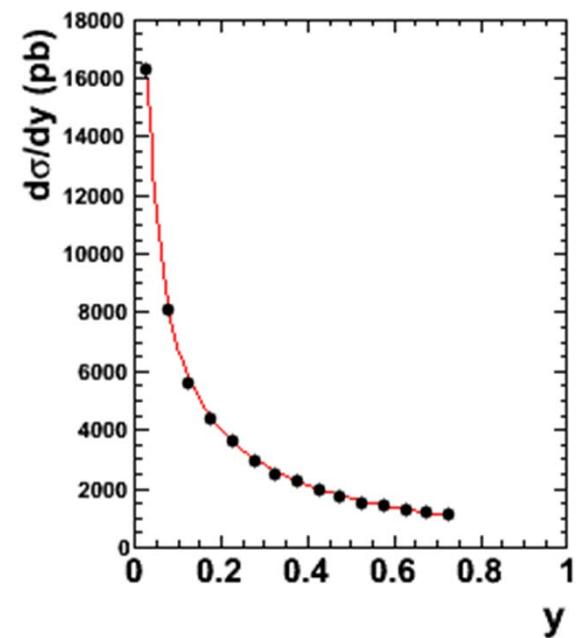
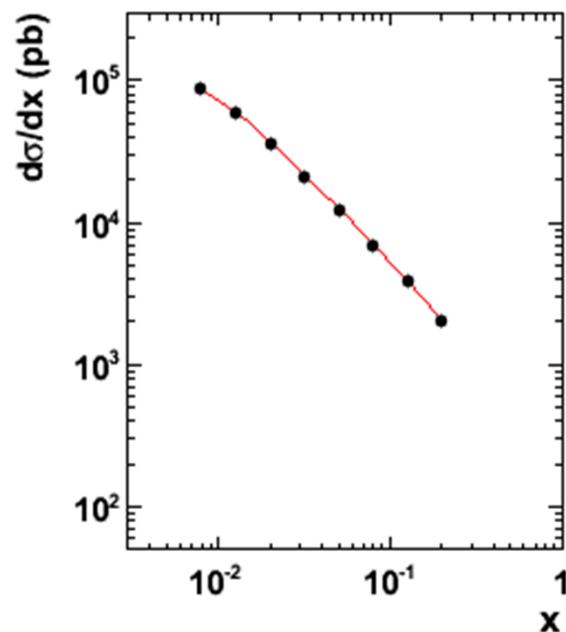
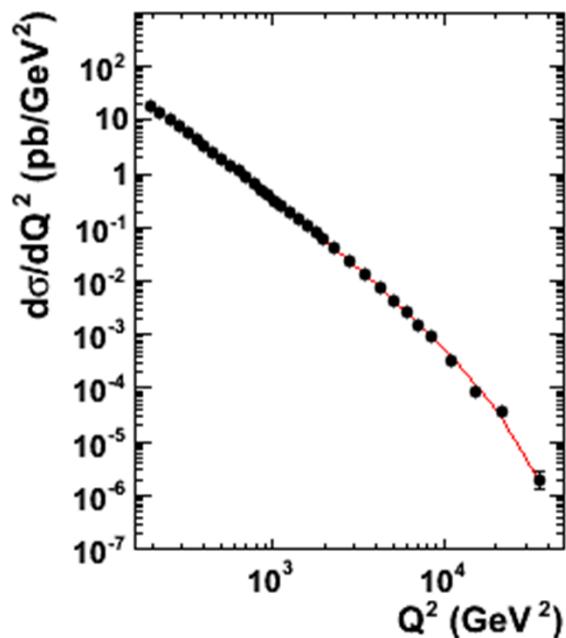


very pure signal, good agreement with expectations

e^+p cross sections without polarization



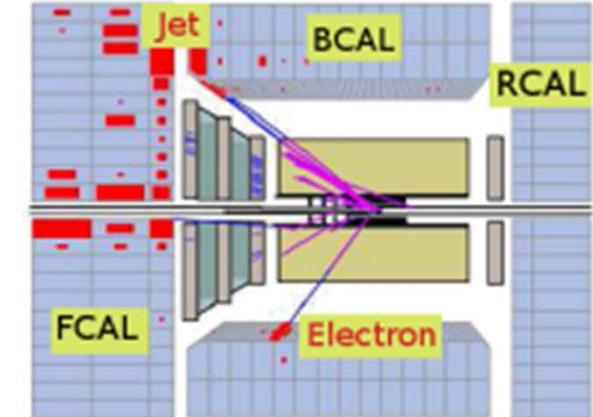
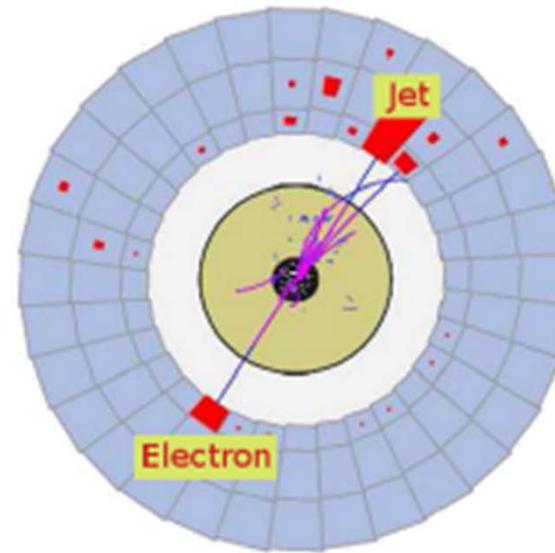
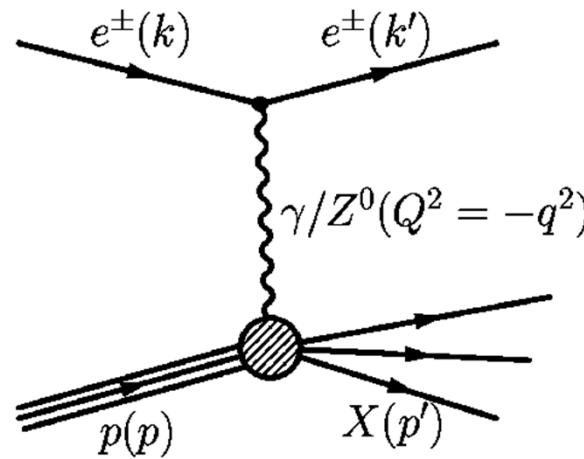
ZEUS



- ZEUS NC (prel.)
 e^+p (135.5pb^{-1})
- SM (HERAPDF1.5)
- $P_e = 0$ (corrected)

■ Standard Model (SM)
prediction agrees well
with data

Unpolarized high Q² Neutral Current scattering



$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} \left\{ \left[1 + (1-y)^2 \right] F_2(x, Q^2) - y^2 F_L(x, Q^2) \textcolor{red}{+ - Y_- x F_3} \right\}$$

**photon-z
interference**

$$Y_- = 1 - (1-y)^2$$

**$x F_3$ term opposite sign for e^+ and e^- , q and \bar{q}
=> sensitivity to valence quarks**

e^+ VS. e^-

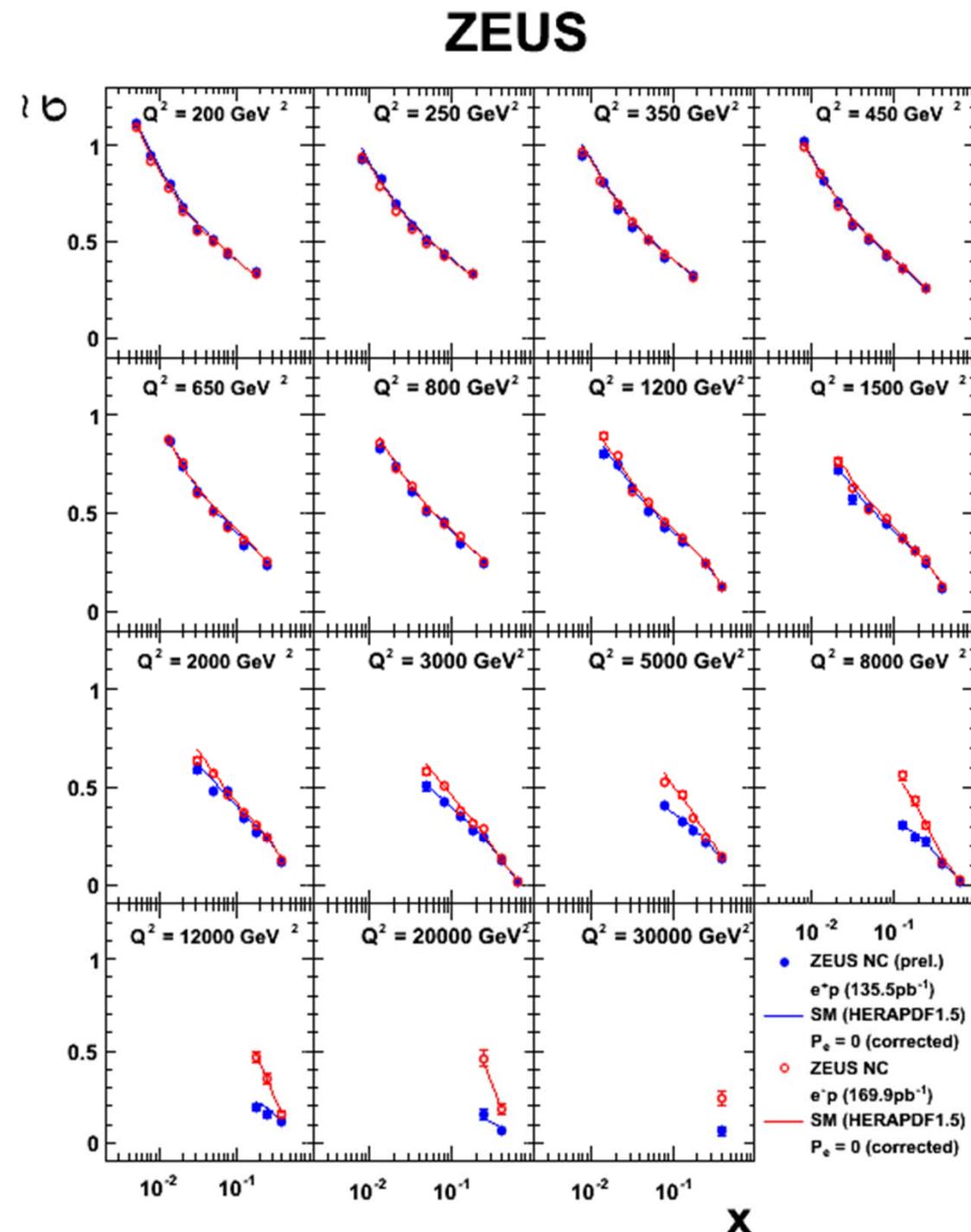


reduced cross section

$$\tilde{\sigma}_{NC}^{e^\pm p} = \frac{xQ^4}{2\pi\alpha^2} \frac{1}{Y_+} \frac{d^2\sigma_{NC}^{e^\pm p}}{dx dQ^2}$$

$$= \tilde{F}_2 \mp \frac{Y_-}{Y_+} x \tilde{F}_3 - \frac{y^2}{Y_+} \tilde{F}_L$$

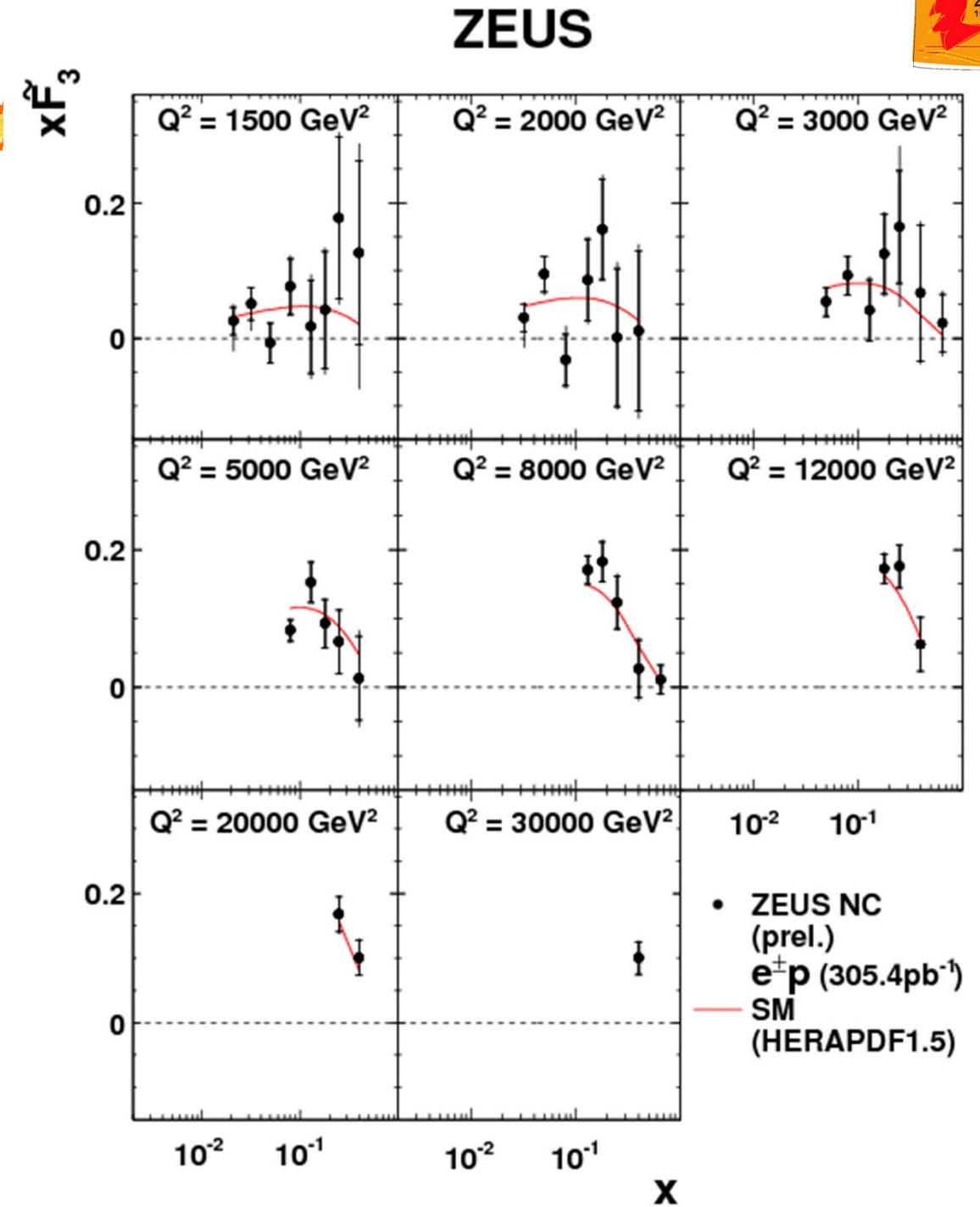
■ can use
difference to
extract xF_3



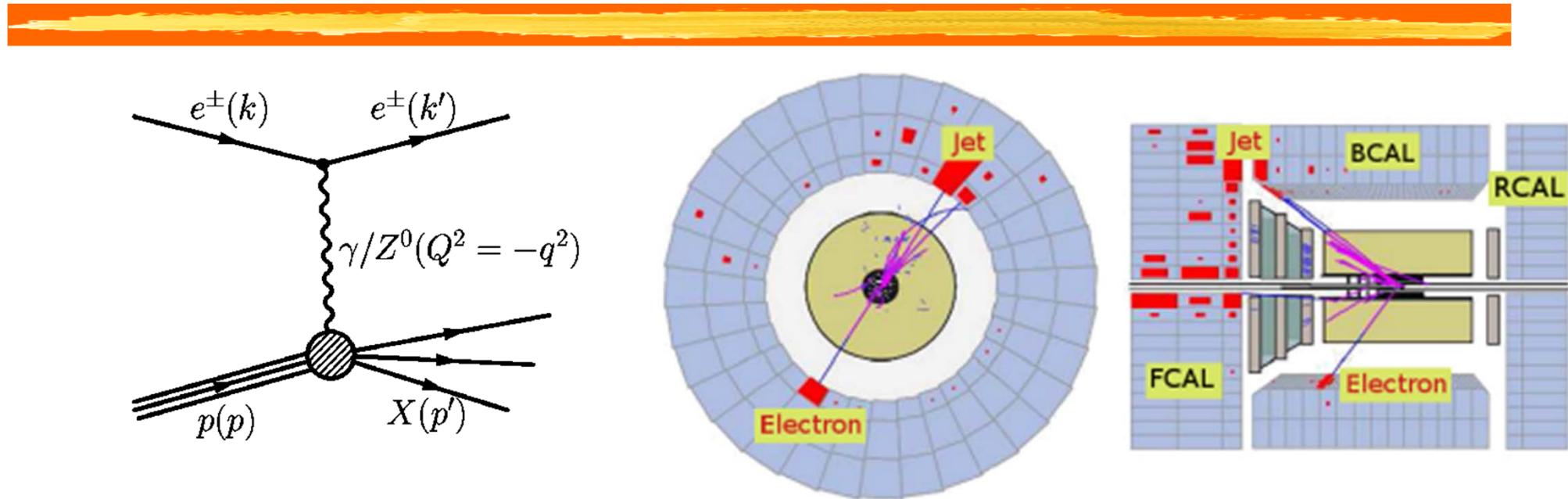
xF_3

■ agrees with
expectations

t-channel
weak interaction
contribution and
 γZ interference
understood



Polarized Neutral Current Scattering



$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} \left\{ \left[1 + (1-y)^2 \right] F_2(x, Q^2) - y^2 F_L(x, Q^2) \textcolor{red}{+ - Y_- x F_3} \right\}$$

$$F_2^{L,R} = \sum_q [xq(x, Q^2) + x\bar{q}(x, Q^2)] \cdot A_q^{L,R},$$

$$xF_3^{L,R} = \sum_a [xq(x, Q^2) - x\bar{q}(x, Q^2)] \cdot B_q^{L,R}.$$

$$A_q^{L,R} = Q_q^2 + 2Q_e Q_q (v_e \pm a_e) v_q \chi_Z + (v_e \pm a_e)^2 (v_q^2 + a_q^2) (\chi_Z)^2,$$

$$B_q^{L,R} = \pm 2Q_e Q_q (v_e \pm a_e) a_q \chi_Z \pm 2(v_e \pm a_e)^2 v_q a_q (\chi_Z)^2,$$

photon-z $Y_- = 1 - (1-y)^2$

interference

**additional
polarization
dependence**

$d\sigma/dQ^2$ with positive/negative e^+ polarization



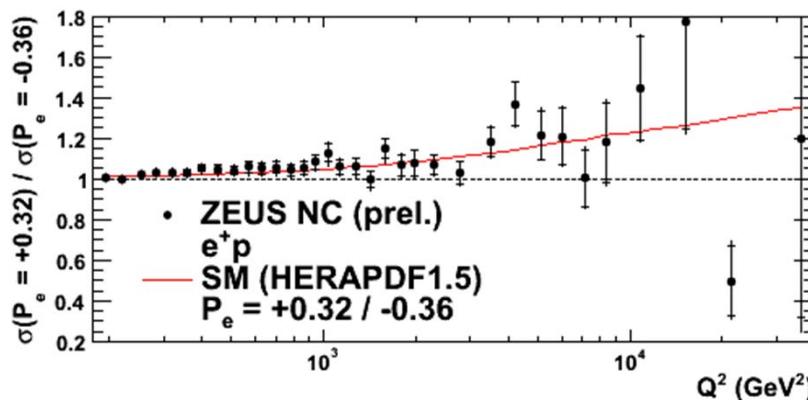
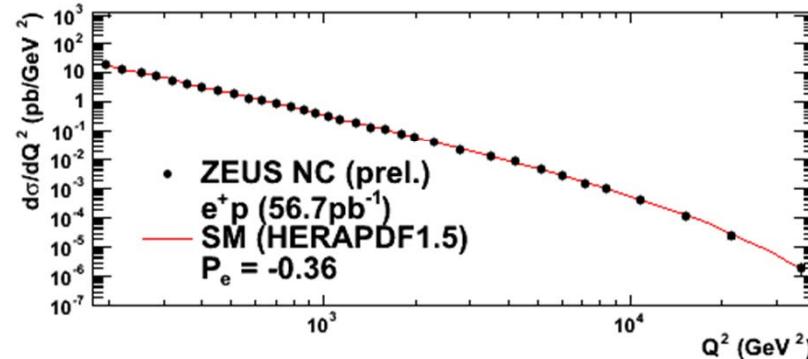
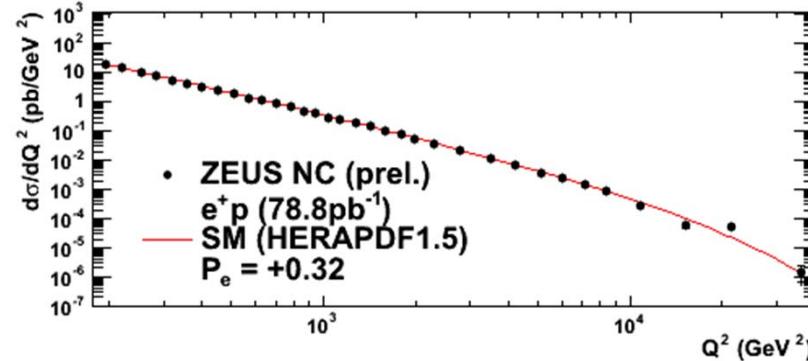
■ positive $P_e = +0.32$
(righthanded)

■ negative $P_e = -0.36$
(lefthanded)

■ ratio, deviation from 1
due to Z exchange

good agreement with
expectations

ZEUS



Cross section asymmetry

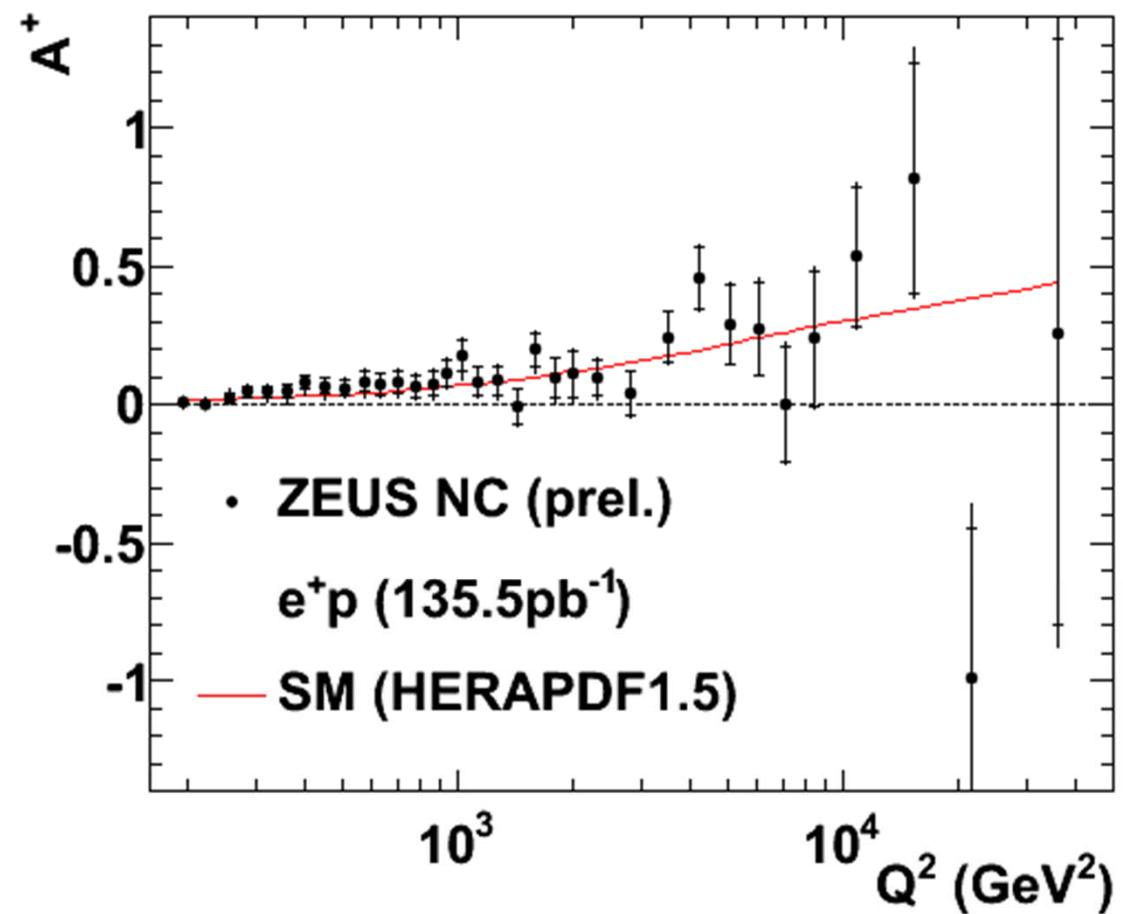


$$A^+ = \frac{2}{P_+ - P_-} \frac{\sigma^+(P_+) - \sigma^+(P_-)}{\sigma^+(P_+) + \sigma^+(P_-)}$$

ZEUS

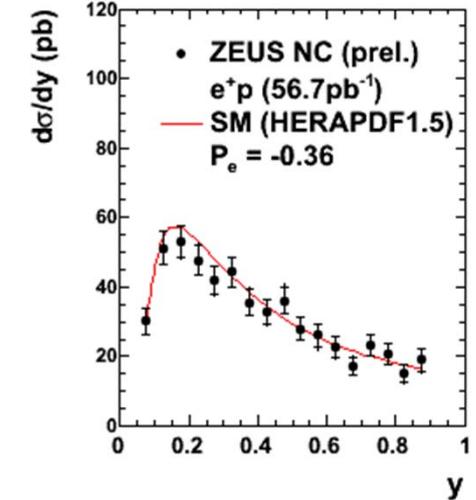
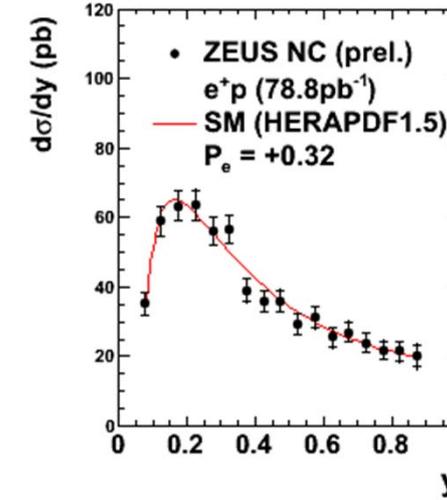
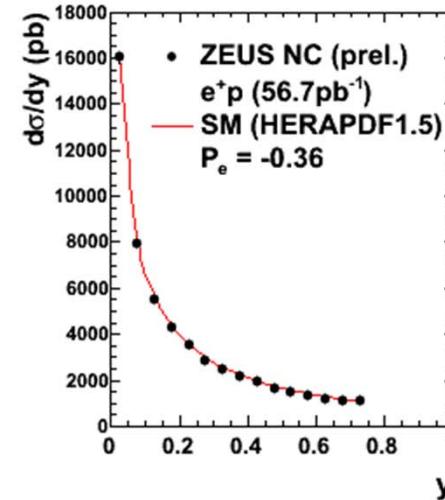
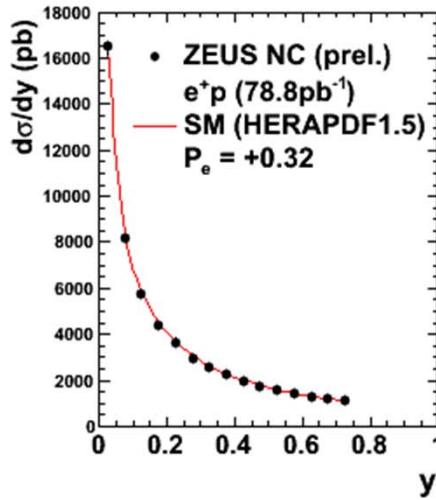
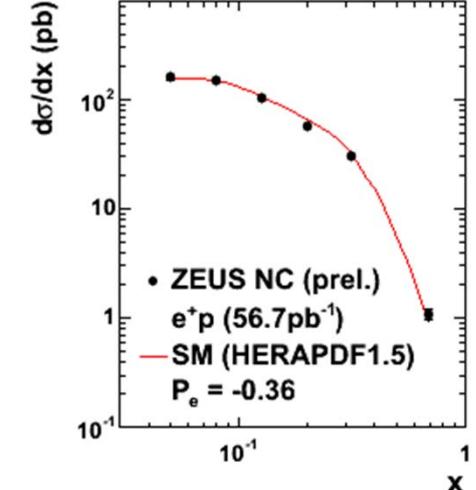
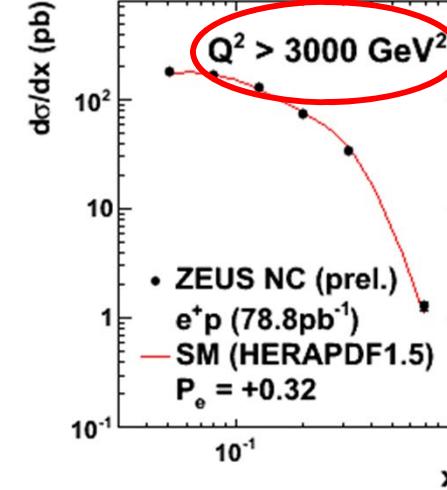
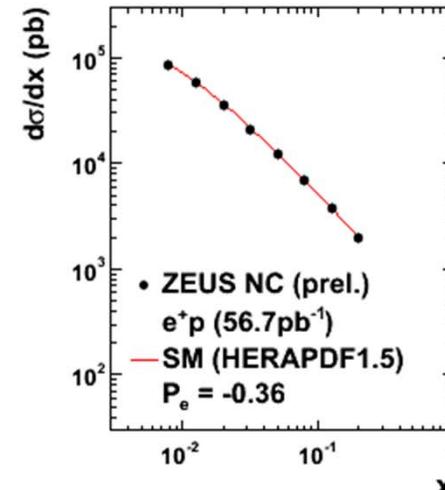
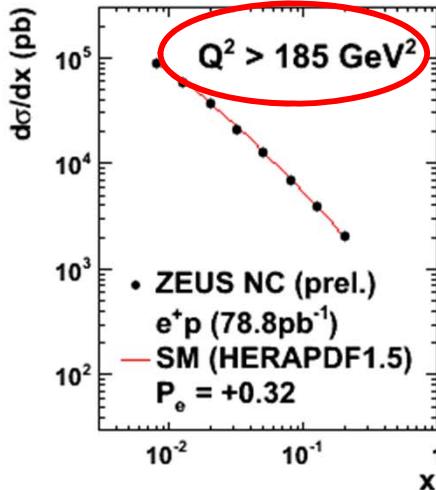
- increasing Z contribution with increasing Q^2
- \rightarrow increasing asymmetry, as expected

(these data not included in prediction)



Polarized $d\sigma/dx$ and $d\sigma/dy$ for different Q^2

ZEUS



well understood



Summary and conclusions



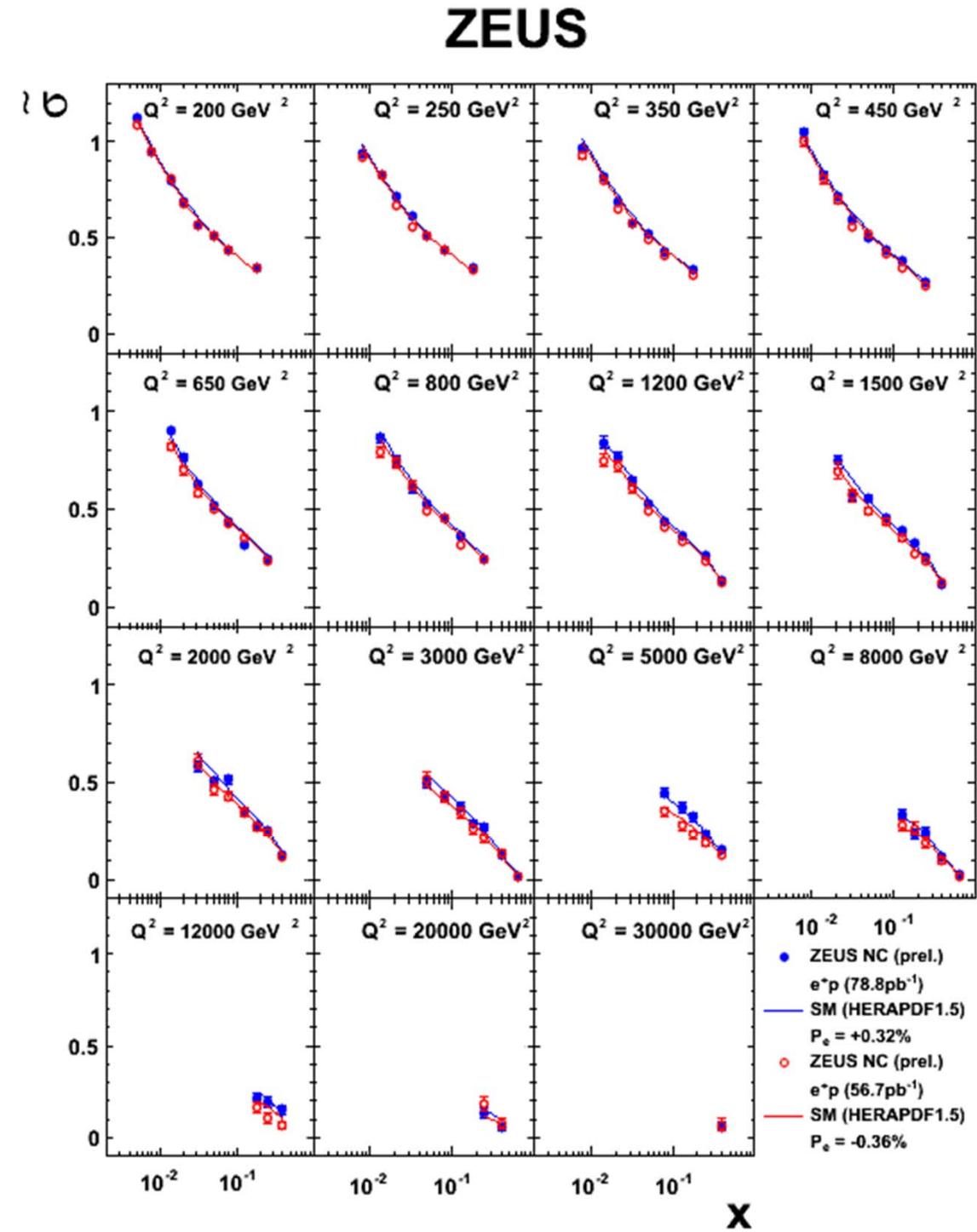
- ZEUS NC e^+p cross sections are well described by Standard Model
- Difference w.r.t. e^-p allows extraction of xF_3
t-channel weak interaction contribution well described by Standard Model
- Polarized e^+p cross sections are sensitive to vector and axial vector
couplings of Z boson
again well described by Standard Model
- All ZEUS high Q^2 data have been analyzed.
Final e^+p results and final combination with H1 data in preparation.

Backup





Double differential polarized cross sections

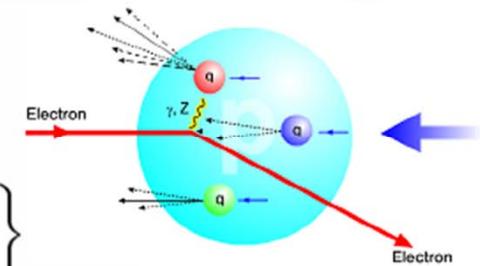


The structure of the proton

- Measure cross section

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4x} \left\{ \left[1 + (1-y)^2 \right] F_2(x, Q^2) - y^2 F_L(x, Q^2) + Y_- x F_3 \right\}$$

small
at high Q^2



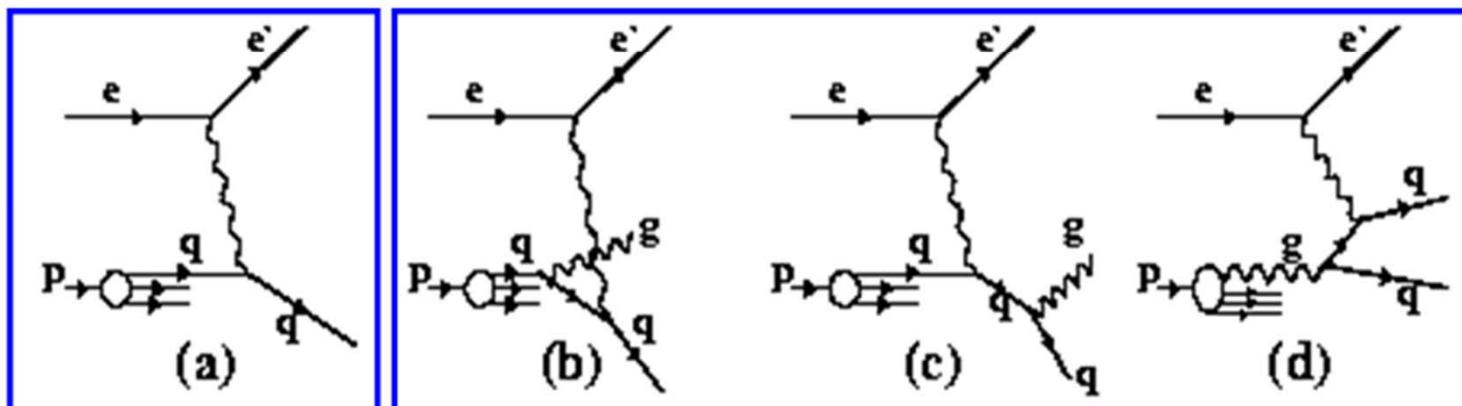
to 0th order QCD (Quark Parton Model, $Q^2 \gg m_q^2$):

- Parton distribution functions (PDF) in pQCD

$$F_2^{\text{em}}(x, Q^2) = x \sum_i e_i^2 [q_i(x, Q^2) + \bar{q}_i(x, Q^2)]$$

q_i – probability to find quark with flavour i in proton

"higher" order QCD corrections



in general:
 F_2 structure function is **not** PDF