

# Vector meson production at HERA

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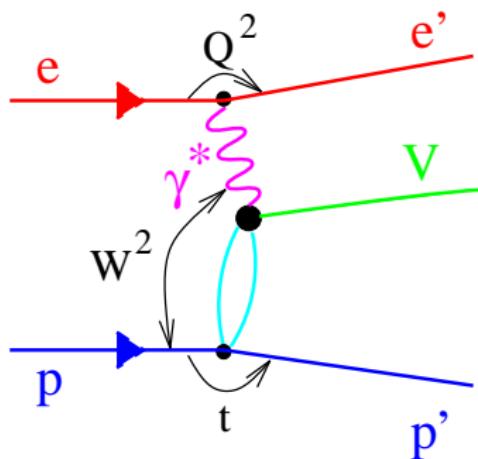
on behalf of the H1 and ZEUS Collaborations



PHOTON11, Spa - Belgium, May 24, 2011

- **Introduction**
- **Elastic Photo and Electroproduction of Vector Mesons**
  - $W$ -dependence
  - $Q^2$ -dependence
  - $t$ -dependence
  - Helicity studies
- **Two pion electroproduction**
- **Summary**

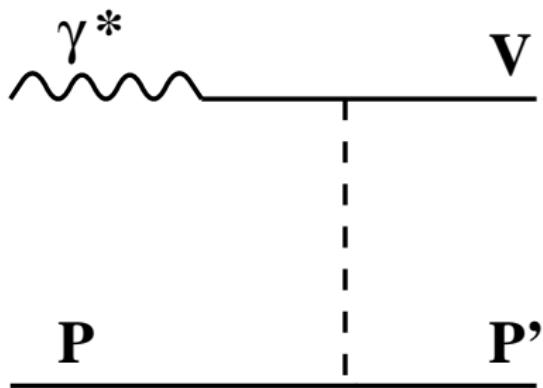
# Vector meson production



$$V = (\rho, \omega, \phi, J/\psi, \Upsilon + \text{excited states})$$

- $Q^2 = -(e - e')^2$  photon virtuality
- $W$  is  $\gamma^* p$  center of mass (CM) energy
- $t = (p - p')^2$  momentum transfer squared at the proton vertex

## VDM and Regge theory (soft physics)



- The photon fluctuates into a vector meson,  $V$ , which carries the same quantum numbers as the photon ( $\gamma p \rightarrow Vp$ )
- The vector meson scatters elastically off the incoming proton ( $Vp \rightarrow Vp$ )

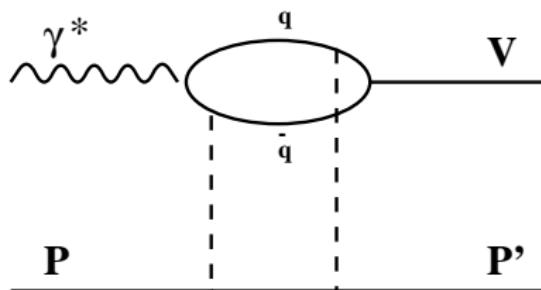
## Predictions :

- $\frac{d\sigma(\gamma p \rightarrow Vp)}{dt} \propto e^{-bt} (W^2/W_0^2)^{2(\alpha(0)-1)}$

## Experimental observations :

- $\alpha(t) = \alpha(0) + \alpha' t$
- $\alpha(0) = 1.096 \pm 0.003 \quad \alpha' = 0.25$   
(DL – Donnachie, Landshoff parameterisation)
- Shrinkage of the diffractive peak  
 $b(W) = b_0 + 4\alpha' \ln(W/W_0) \quad b_0 \sim 10 \text{ GeV}^{-2}$
- Weak energy dependence of cross section  
 $\sigma \propto W^\delta, \quad \delta \simeq 0.2$

# pQCD models (hard physics)

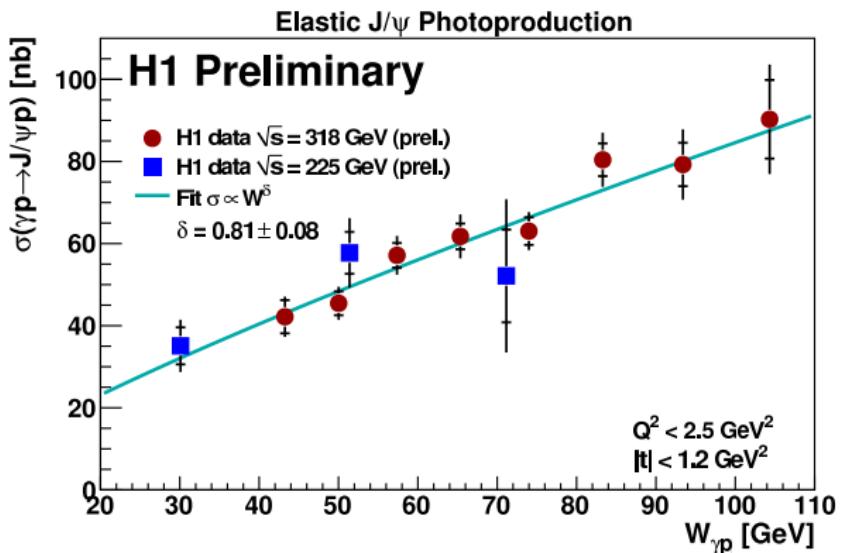


- the photon fluctuates into a  $q\bar{q}$  state
- the  $q\bar{q}$  pair scatters off the proton target
- the scattered  $q\bar{q}$  pair turns into a vector meson.

## Predictions :

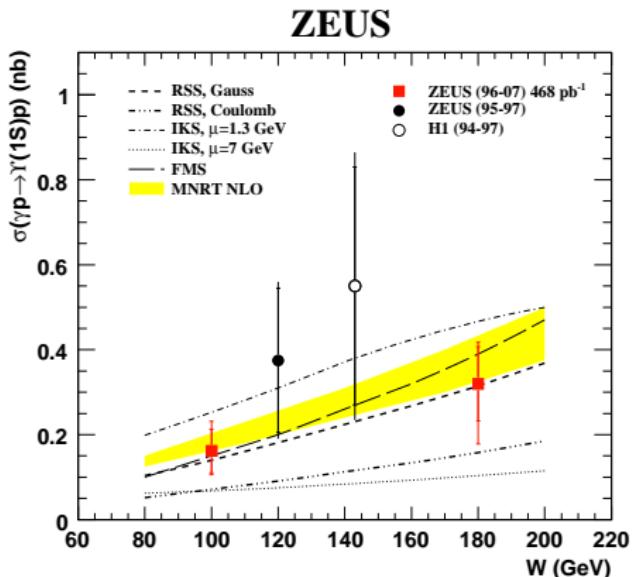
- $\sigma_L \propto \frac{\alpha_s^2(Q)}{Q^6} |xG(x, Q^2)|^2$
- fast increase of the  $\gamma^* p \rightarrow Vp$  cross section with energy  $W$
- universal exponential  $t$  dependence,  
 $b \sim 4 - 5 \text{ GeV}^{-2} \implies \alpha' \rightarrow 0 ?$

# Elastic Photoproduction $\gamma p \rightarrow J/\psi p$



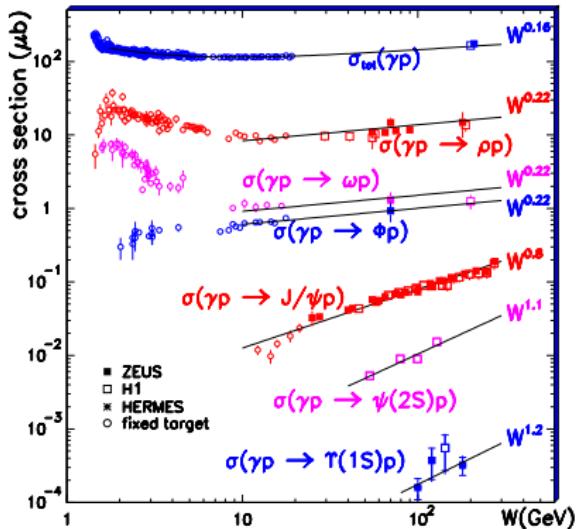
- cross section  $W$  dependence,  $\sigma \sim W^\delta$ :  
 $\delta = 0.81 \pm 0.08$ , (ZEUS:  $\delta = 0.69 \pm 0.02 \pm 0.03$ )

# Elastic Photoproduction $\gamma p \rightarrow \gamma p$



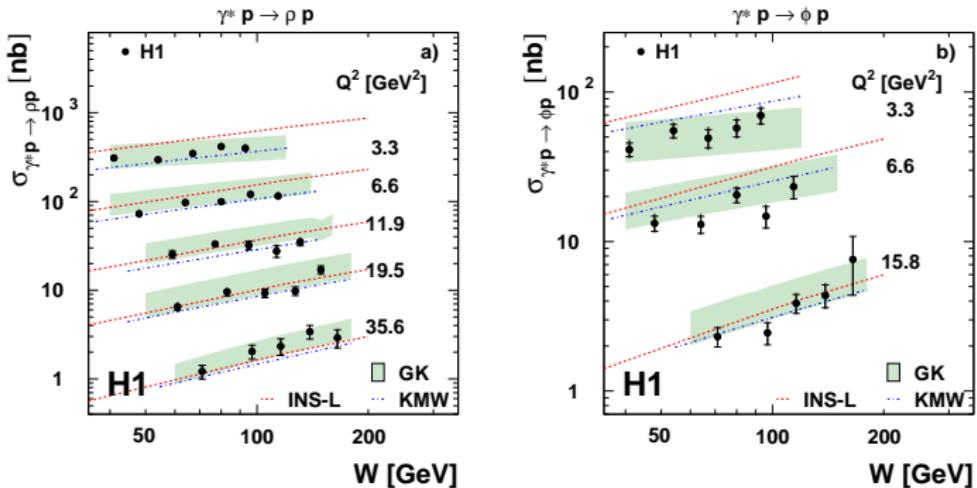
- cross section  $W$  dependence,  $\sigma \sim W^\delta$ :
- two measured points  $\delta = 1.2 \pm 0.8$
- consistent with theoretical prediction,  $\delta \sim 1.7$

# Elastic Photoproduction



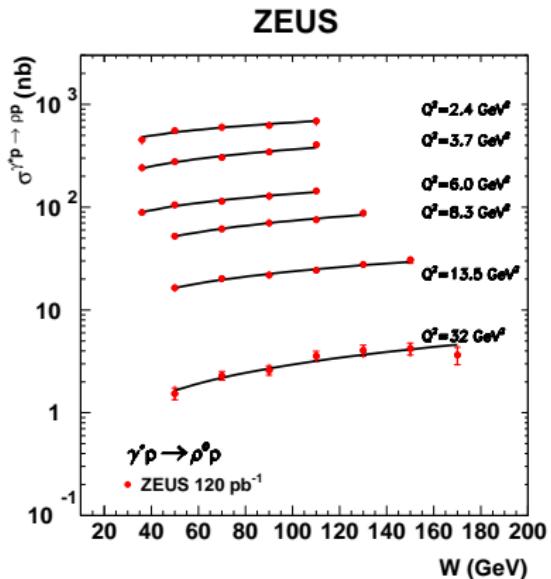
- fit:  $\sigma \sim W^\delta$
- process becomes hard as scale (mass) becomes larger,  $(M_{J/\psi}/M_\Phi)^2 \sim 10$  !

# Elastic Electroproduction $\gamma^* p \rightarrow \rho(\phi)p$



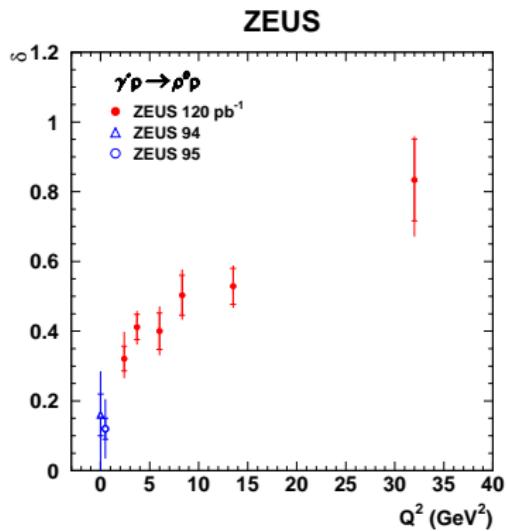
- cross section W dependence becomes steeper at high  $Q^2$ , measured by H1 for  $\rho$  and  $\phi$  mesons

# Elastic Electroproduction $\gamma^* p \rightarrow \rho p$



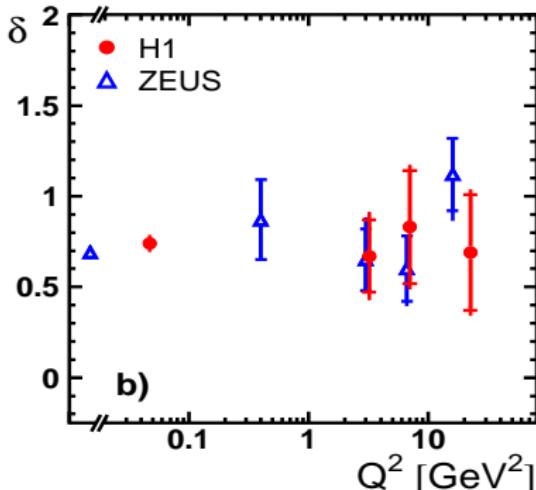
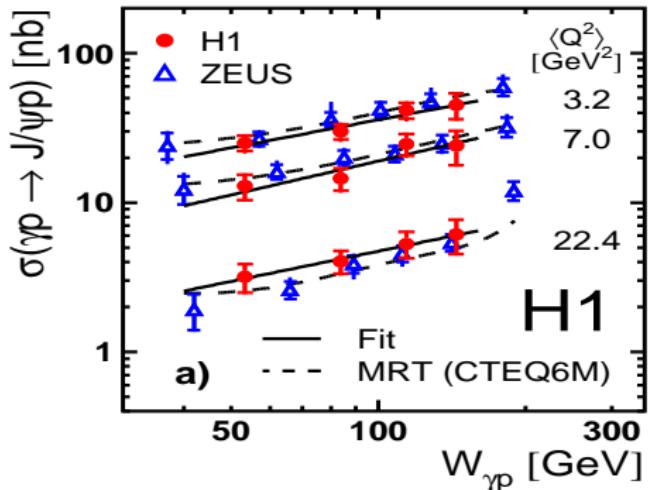
- fit:  $\sigma \sim W^\delta$
- Cross section  $W$  dependence becomes steeper at high  $Q^2$

# Elastic Electroproduction $\gamma^* p \rightarrow \rho p$



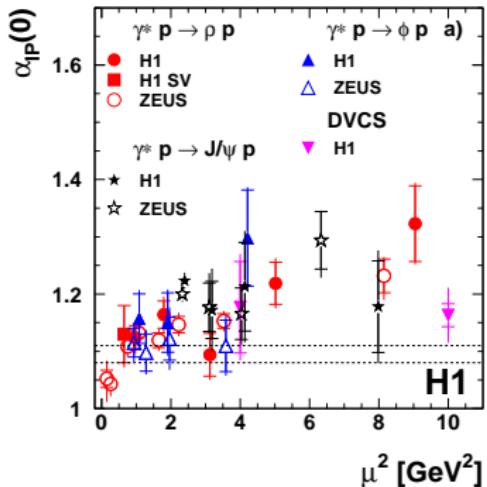
- $\sigma \sim W^\delta$
- **Soft physics predicts for energy dependence  $\delta \sim 0.2$**

# Elastic Electroproduction $\gamma^* p \rightarrow J/\psi p$



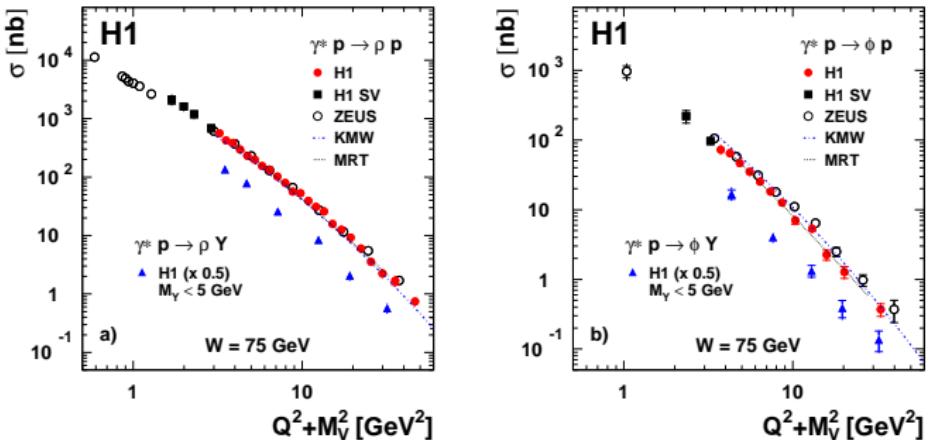
- cross section for  $J/\psi$  production as a function of  $W$ ,  $\sigma \sim W^\delta$
- $\delta(Q^2 = 0, M_{J/\psi}^2 \simeq 10 \text{GeV}^2) \sim 0.8$

# Elastic Electroproduction: $\sigma \sim W^{\delta(Q^2)}$



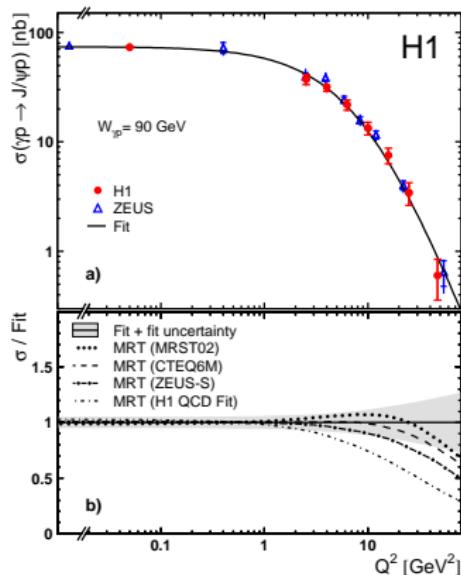
- process becomes hard as scale ( $\mu^2 = (Q^2 + M^2)/4$ ) becomes larger

# $Q^2$ dependence: $\gamma^* p \rightarrow \rho(\phi)p$



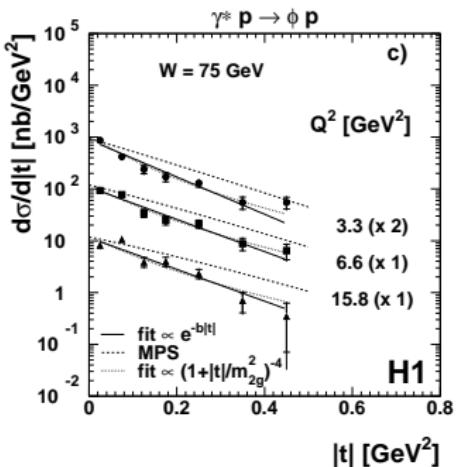
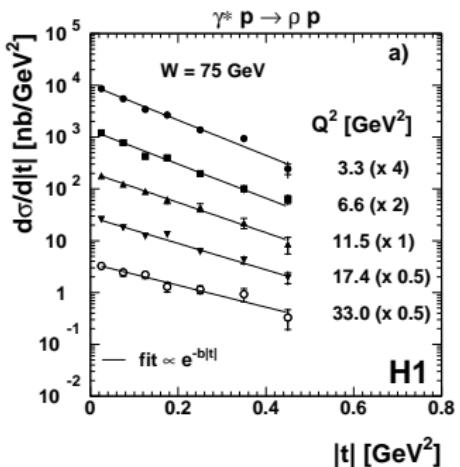
- **H1/ZEUS: perfect agreement**
- **fit:**  $\sigma \propto (Q^2 + M^2)^{-n} \implies \sigma_L \propto \frac{\alpha_S^2(Q)}{Q^6} |xG(x, Q^2)|^2$
- $Q^2 \geq 0$  GeV $^2$ ,  $n \simeq 2.00 \pm 0.01$ ,  $\chi^2/\text{ndf} \sim 10$
- $Q^2 \geq 10$  GeV $^2$ ,  $n \simeq 2.5 \pm 0.02$ ,  $\chi^2/\text{ndf} \sim 1.5$

# $Q^2$ dependence: $\gamma^* p \rightarrow J/\psi p$



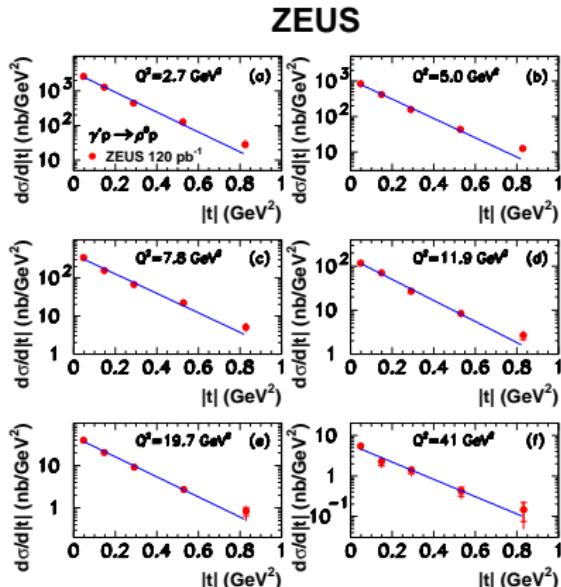
- **H1/ZEUS: perfect agreement**
- $\sigma \propto (Q^2 + M^2)^{-n}$
- $Q^2 \geq 0 \text{ GeV}^2$ ,  $n = 2.486 \pm 0.08 \pm 0.068$

# $t$ dependence



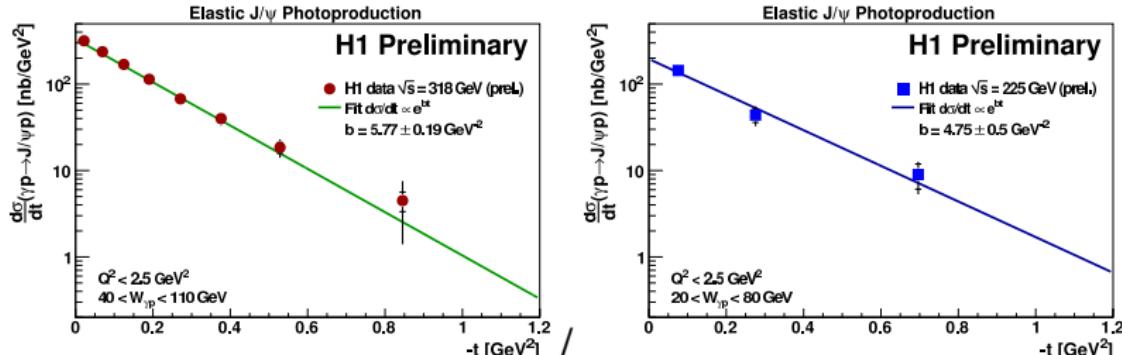
- $d\sigma/d|t| \sim \exp(-b|t|)$  for different bins of  $Q^2$

# $t$ dependence



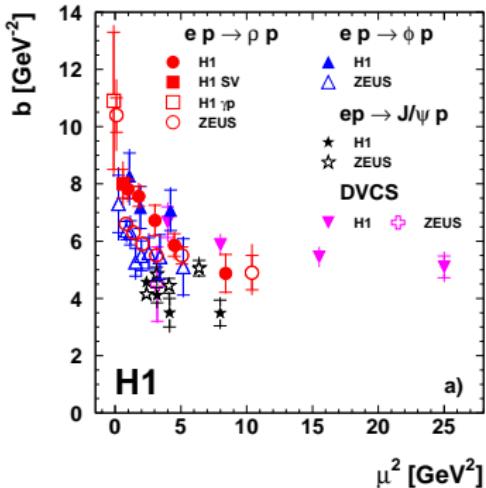
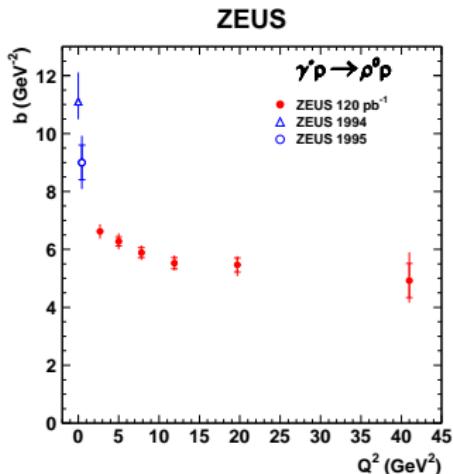
- $d\sigma/d|t| \sim \exp(-b|t|)$  for different bins of  $Q^2$

# Elastic J/ $\psi$ photoproduction



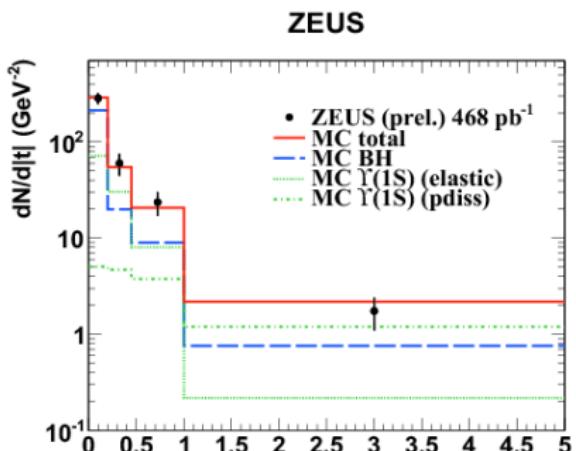
- H1 data:
- $\sqrt{s} = 318$  GeV  $\rightarrow b = 5.77 \pm 0.19$  Gev $^2$
- $\sqrt{s} = 225$  GeV  $\rightarrow b = 4.75 \pm 0.50$  Gev $^2$

# *b* slope



- Value of *b* decreases from soft ( $\sim 10 \text{ GeV}^{-2}$ ) to hard ( $\sim 4\text{-}5 \text{ GeV}^{-2}$ )

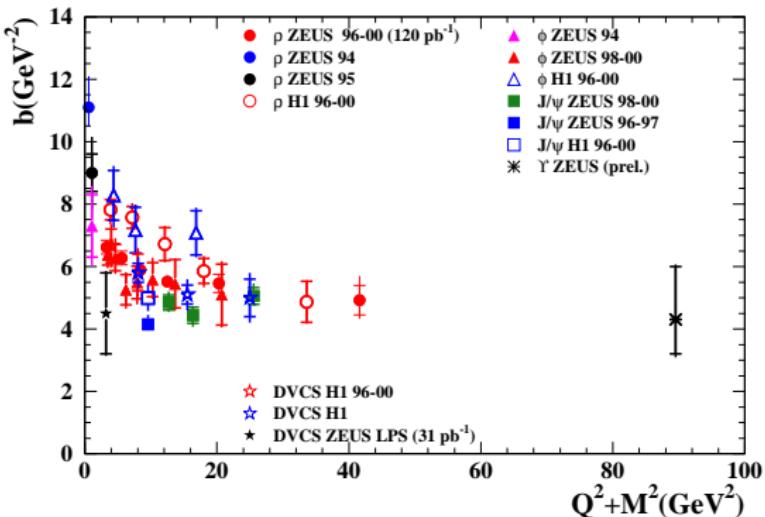
# $\Upsilon$ meson - $t$ dependence



$dN/d|t|$  distribution  
for events in the **mass range (9.33-9.66) GeV:**

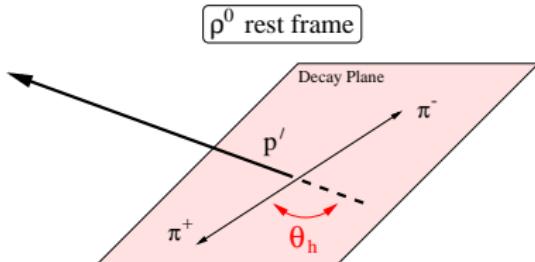
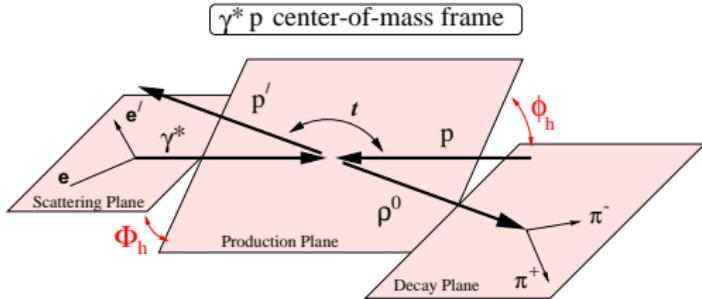
- $\Upsilon(1S)$  signal and BH background normalisation fixed from mass fit
- $\Upsilon(1S)$  signal split between elastic and pdiss (75:25) (syst.)
- $\Upsilon(1S)$  slope  $b_{pdiss} = 0.65 \text{ GeV}^{-2}$  (syst.)
- BH shape is treated as well known (syst.)
- binned maximum log-likelihood fit to **extract the elastic  $b$  slope** parameter

# $\Upsilon$ meson - $t$ dependence



- measurement of the  $t$ -slope  $b$  for  $\Upsilon(1S)$  meson doubles the scale  $Q^2 + M^2$  explored by previous studies
- $\Upsilon(1S)$  elastic PHP:  $b = 4.3^{+1.7}_{-1.1} \pm 0.5 \text{ GeV}^{-2}$

# Helicity Studies

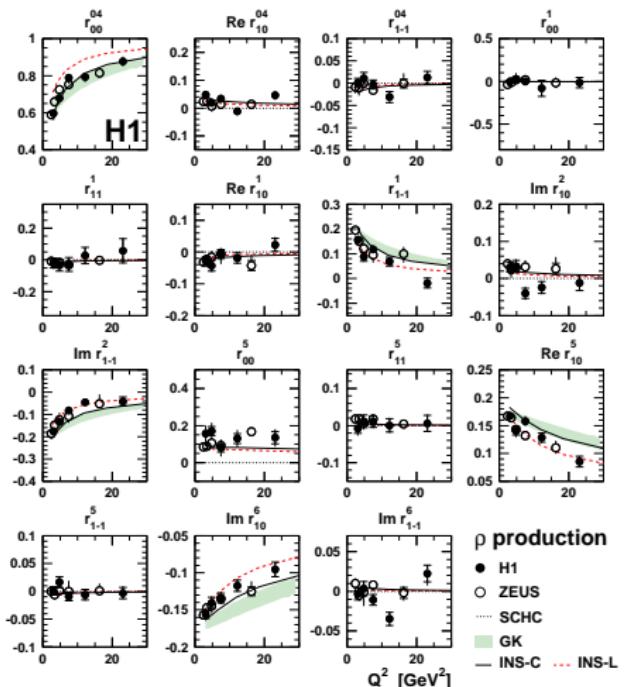


Angular distribution  $\Rightarrow$  3 angles ( $\theta_h$ ,  $\phi_h$  and  $\Phi_h$ ) and 15 combinations of spin-density matrix elements  
 $r_{ij}^{kl} \Rightarrow$  helicity amplitudes  $T_{\lambda_V \lambda_\gamma}$

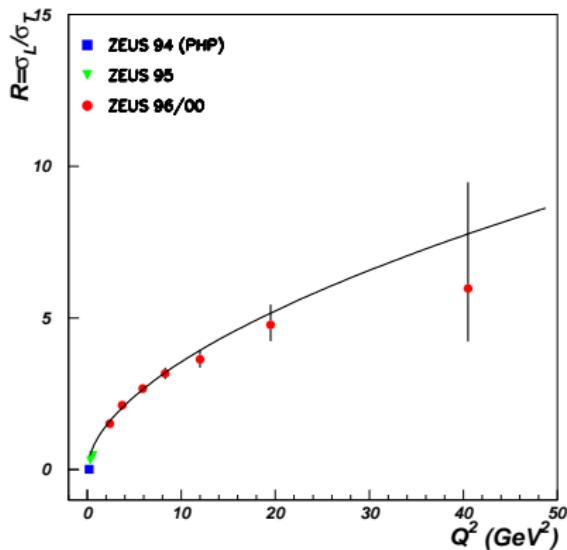
# Helicity Studies

- **s-channel helicity conservation (SCHC)**
  - $\gamma_T^* \rightarrow \rho_T$
  - $\gamma_L^* \rightarrow \rho_L$
  - single flip, double flip amplitudes equal zero
- **natural parity exchange ( $P = (-1)^J$ ) in the t-channel (NPE)**
- **5 non-zero spin-density matrix elements**
- **15 parameters fit to total angular distribution**
- $r_{00}^5 \sim$  **single-flip amplitude**,  $\gamma_T^* \rightarrow \rho_L$
- $r_{00}^5$  **deviates from zero !**
- $r_{00}^5 = 0.095 \pm 0.019 \pm 0.024$  (**ZEUS**) and  
 $r_{00}^5 = 0.093 \pm 0.024^{+0.19}_{-0.10}$  (**H1**)
- **if SCHC holds**  $\rightarrow R = \sigma_L/\sigma_T = r_{00}^{04}/\epsilon(1 - r_{00}^{04})$
- **if not:**  $r_{00}^{04} \rightarrow r_{00}^{04} - \Delta^2$ ,  $\Delta \propto r_{00}^5 / \sqrt{2r_{00}^{04}}$
- **R(SCHC) - R(SCHNC)  $\sim 3\%$**

# Helicity Studies: $Q^2$ -dependence

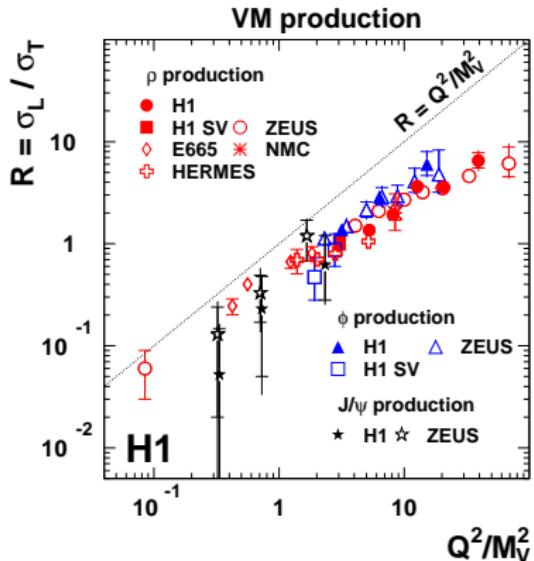


# Helicity Studies: $\sigma_L/\sigma_T$



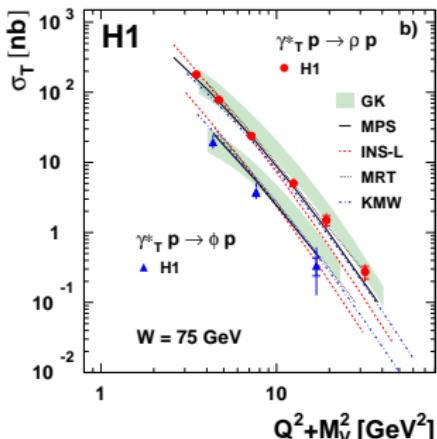
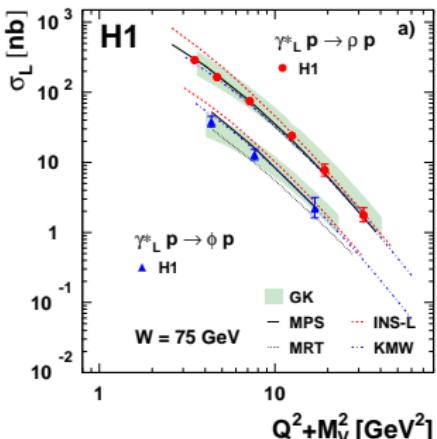
- $R = \sigma_L/\sigma_T = r_{00}^{04}/\epsilon(1 - r_{00}^{04})$ ,  $\epsilon \simeq 1$
- $Q^2 = 40 \text{ GeV}^2 \implies \sigma_L/\sigma_{tot} \sim 85\%$
- **fit to ZEUS only :**  $R = \sigma_L/\sigma_T = \xi(Q^2/M^2)^\kappa$
- $\xi = 0.74 \pm 0.04$  and  $\kappa = 0.56 \pm 0.03$

# Helicity Studies: $\sigma_L/\sigma_T$



- $\sigma_L/\sigma_T$  for  $\rho, \phi$  and  $J/\psi$  mesons
- $R$  as a function of the scaling variable  $Q^2/M^2$

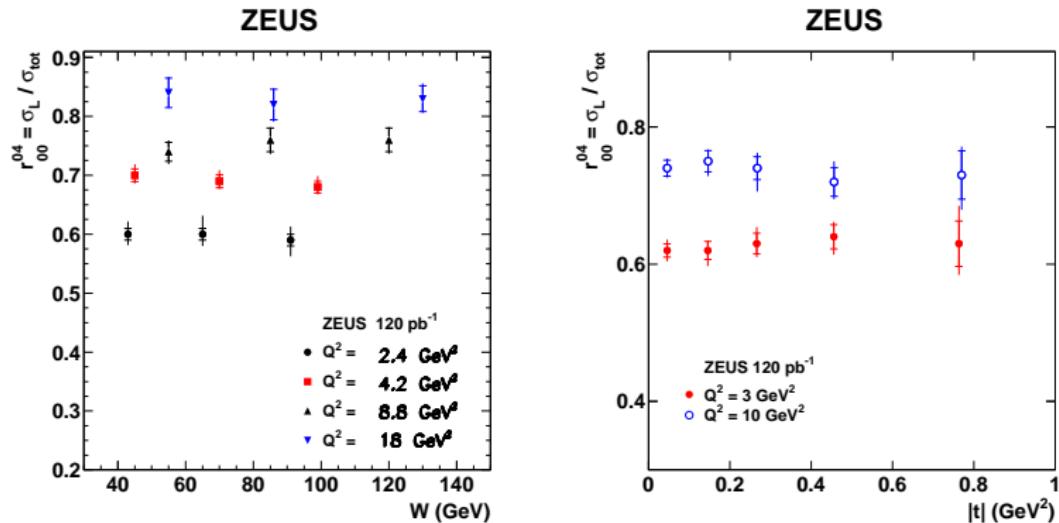
# Helicity Studies: $\sigma_L$ and $\sigma_T$



$$(Q^2 + M^2)^{-n}$$

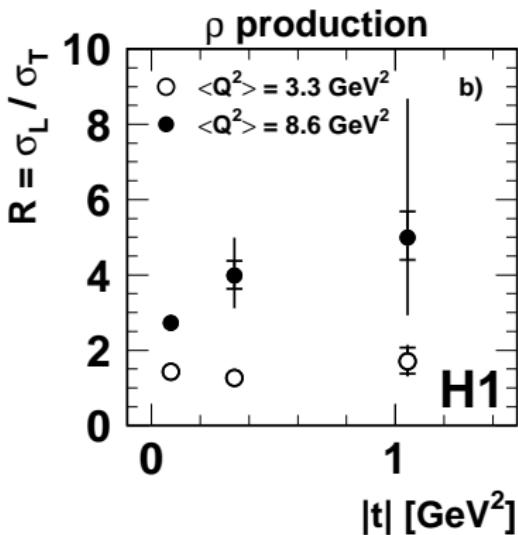
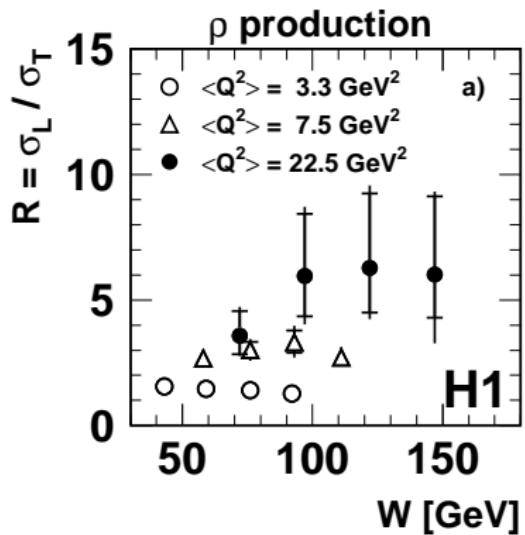
- $\rho \implies n_L = 2.17 \pm 0.09 \pm 0.07 \quad n_T = 2.86 \pm 0.07^{+0.11}_{-0.12}$
- $\phi \implies n_L = 2.06 \pm 0.49 \pm 0.09 \quad n_T = 2.97 \pm 0.52^{+0.14}_{-0.16}$

# Helicity Studies: $W$ dependence



- $r_{00}^{04} = \sigma_L / \sigma_{tot} \quad R = \sigma_L / \sigma_T = r_{00}^{04} / \epsilon(1 - r_{00}^{04})$ ,  $\epsilon \simeq 1$
- $\sigma_L$  and  $\sigma_T$  have the same  $W$  and  $|t|$  dependencies

# Helicity Studies:

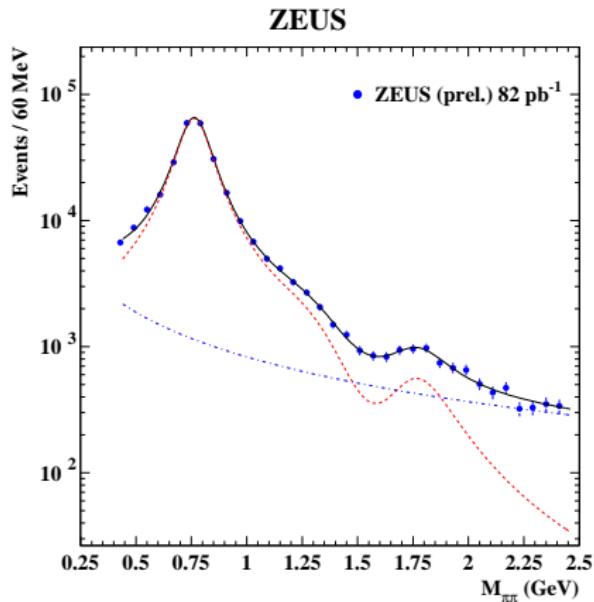


- $R = \sigma_L / \sigma_T \sim \exp(-(b_L - b_T)|t|)$
- **H1:**  $b_L < b_T$

# pion form factor

- $\gamma^* + p \rightarrow 2\pi + p \implies 0.4 < M_{\pi\pi} < 2.5 \text{ GeV}$
- $dN/dM_{\pi\pi} = A[|F_\pi(M_{\pi\pi})|^2 + B(M_\rho/M_{\pi\pi})^\eta]$
- $F_\pi(M_{\pi\pi})$  is the pion electro-magnetic form factor
- $F_\pi(M_{\pi\pi}) = \frac{BW(\rho) + \beta BW(\rho') + \gamma BW(\rho'')}{1 + \beta + \gamma}$
- known as Kuhn-Santamaria parametrization
- $BW \longrightarrow$  Breit Wigner amplitude
- $BW(M_V) = \frac{M_V^2}{M_{\pi\pi}^2 - M_V^2 - iM_V\Gamma_V}$
- $\beta$  and  $\gamma$  are relative amplitudes

# Main fit: 3 vector resonances - $\rho$ , $\rho'$ and $\rho''$



- red line  $\longrightarrow |F_\pi(M_{\pi\pi})|^2$ , squared pion form factor
- blue line  $\longrightarrow$  background
- black line  $\longrightarrow$  total fit

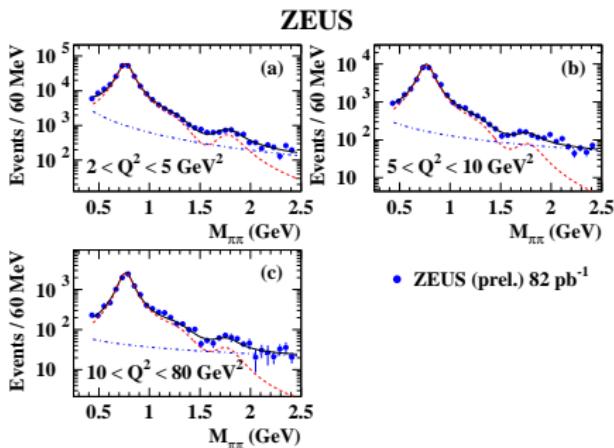
# ZEUS (prel) vs PDG

Par.	ZEUS(prel)	PDG
$M_\rho$	$771 \pm 2^{+2}_{-1}$	$775.49 \pm 0.34$
$\Gamma_\rho$	$155 \pm 5 \pm 2$	$149.4 \pm 1$
$M_{\rho'}$	$1360 \pm 20^{+20}_{-30}$	$1465 \pm 25$
$\Gamma_{\rho'}$	$460 \pm 30^{+40}_{-45}$	$400 \pm 60$
$\beta$	$-0.27 \pm 0.02 \pm 0.02$	
$M_{\rho''}$	$1770 \pm 20^{+15}_{-20}$	$1720 \pm 20$
$\Gamma_{\rho''}$	$310 \pm 30^{+25}_{-35}$	$250 \pm 100$
$\gamma$	$0.10 \pm 0.02^{+0.02}_{-0.01}$	

Table 1: Fit parameters obtained using  $F_\pi(M_{\pi\pi})$  parametrization. Masses and widths are in MeV.

- sign of amplitudes  $\longrightarrow (+ - +)$  like  $e^+ e^- \rightarrow \pi^+ \pi^-$
- a destructive interference in range  $\sim 1.6$  GeV

# The $Q^2$ dependence



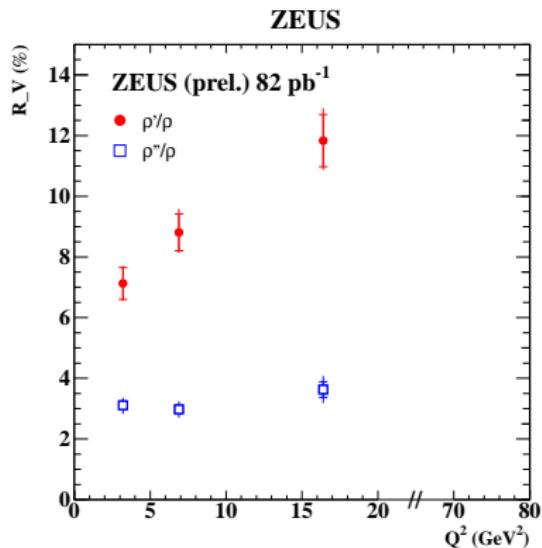
Results of the mass fit for different ranges of  $Q^2$ :

a)  $2 \div 5$ ; b)  $5 \div 10$  and c)  $10 \div 80 \text{ GeV}^2$ .

Masses and widths are fixed to values given in Table 1.

- $|\beta|$  increases with  $Q^2$  while  $\gamma \rightarrow Q^2$  independent

# $\rho'/\rho$   $\rho''/\rho$ as function of $Q^2$



- $Q^2$  bins:  $2 \div 5$ ;  $5 \div 10$ ;  $10 \div 80$  GeV<sup>2</sup>
- the ratio  $\rho'/\rho$  means  $\sigma(\rho') \cdot Br(\rho' \rightarrow \pi\pi) / \sigma(\rho)$
- $\rho'/\rho$  increases with  $Q^2$  while  $\rho''/\rho$  - constant

## H1, ZEUS based on HERA data show:

- Vector Meson production cross sections rise with energy if a hard scale,  $Q^2$  or  $M^2$ , is present.
- The exponential slope of the  $t$  distribution decreases with  $Q^2 + M^2$  and levels off at  $b \sim 4\text{-}5 \text{ GeV}^{-2}$
- The ratio,  $\sigma_L/\sigma_T$ , increases with  $Q^2$ , but is independent of  $W$
- Two pion mass distribution,  $0.4 < M_{\pi\pi} < 2.5 \text{ GeV}$ , is well described by the pion electromagnetic form factor which includes three resonances,  $\rho$ ,  $\rho'$  and  $\rho''$
- $\rho'/\rho \rightarrow$  increases with  $Q^2$  while  $\rho''/\rho \rightarrow Q^2$  independent

ZEUS

