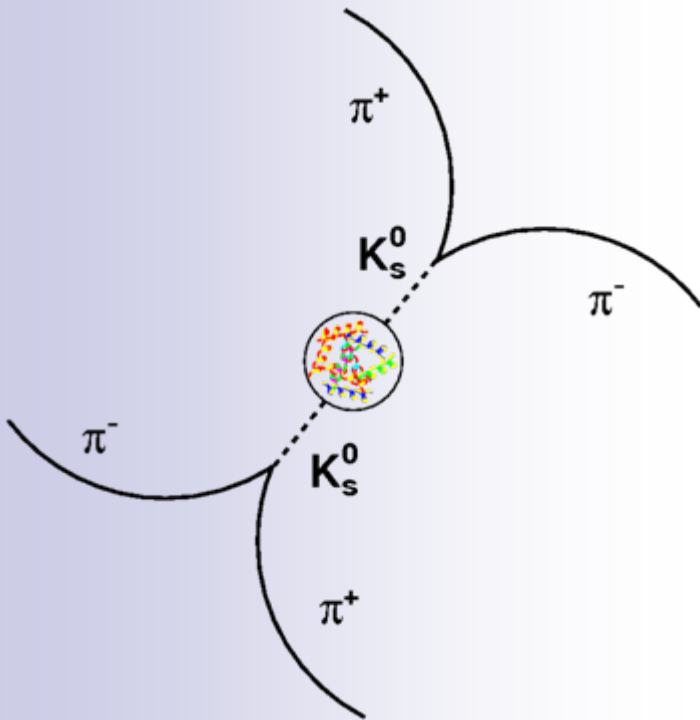




$K_s^0 K_s^0$ Resonance Production at ZEUS



Introduction

Previous Results

Experimental Details

$K_s^0 K_s^0$ spectra

Summary & Conclusion

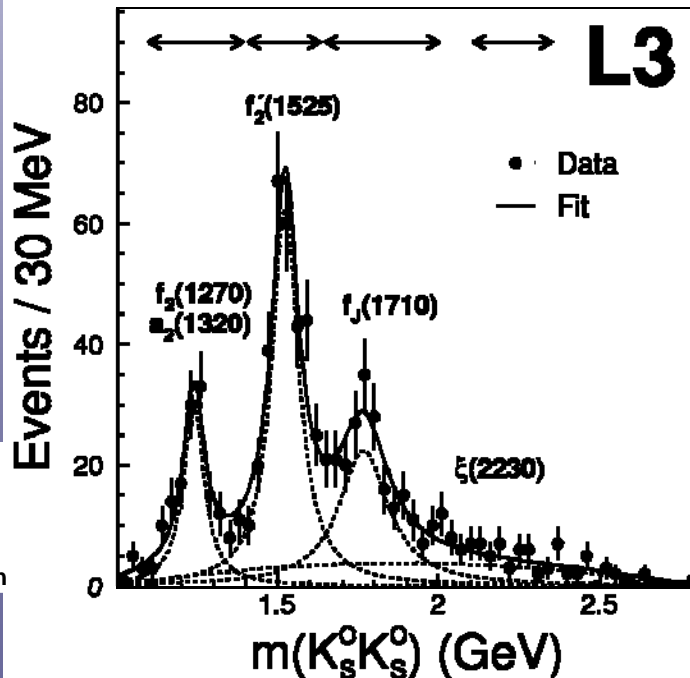
Motivation

- The Standard Model (SM) describes hadrons via partons (mainly quarks)
 - Mesons are usually described by spin-parity (J^P) multiplets of $q\bar{q}$
 - The SM allows glueballs (gg), hybrids ($q\bar{q}g$) and mixed states
 - The scalar meson sector ($J^P=0^+$) has too many established $l = 0$ states:
 $f_0(980), f_0(1370), f_0(1500), f_0(1710)$
only two can fit into the $q\bar{q}$ nonet
 - Lattice calculations predict that the lightest glueball has $J^{PC} = 0^{++}$ and mass in range $1550 - 1750 \text{ MeV}$
 - It can mix with $q\bar{q}$ ($l = 0$) states close in mass
 - $f_0(1710)$ is considered to be a possible glueball candidate
 - The $K_S^0 K_S^0$ system can couple to $J^P = 0^+$ and 2^+
- $K_S^0 K_S^0$ is a good place to search for the lightest 0^+ glueball



L3 $K_S^0 K_S^0$ Result

The L3 e^+e^- LEP experiment studied in two-photon collisions the exclusive reaction $\gamma\gamma \rightarrow K_S^0 K_S^0$
 L3 Collab., M. Acciarri et al., Phys. Lett. B501, 173 (2001)
 They see 3 distinct peaks over a low background and attribute them to $f_2(1270)/a_2(1320)$, $f_2'(1525)$ and $f_0(1710)$



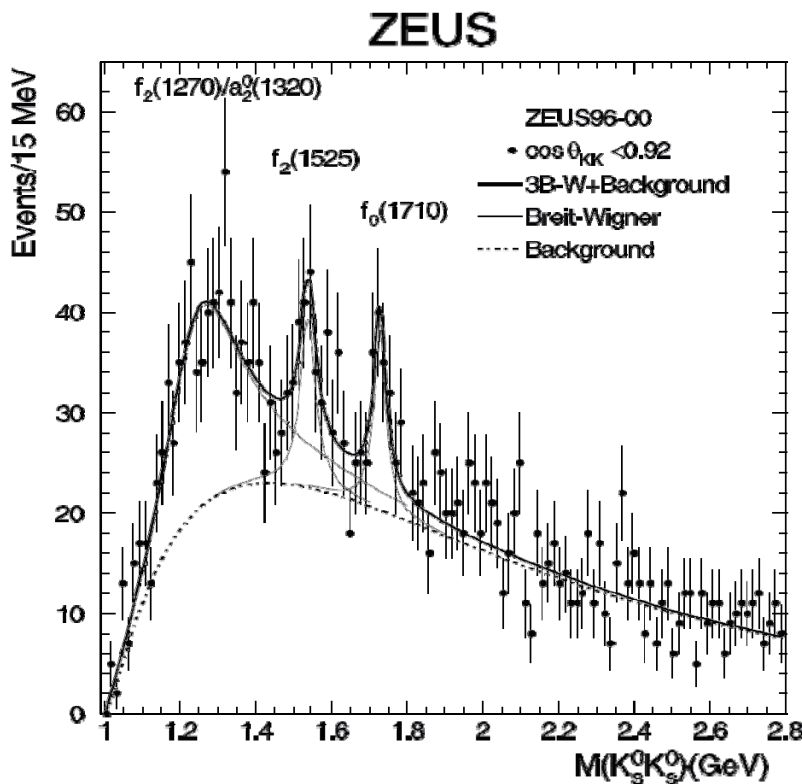
Spectrum dominated by the formation of the $f_2'(1525)$ tensor meson
 $f_0(1710)$ signal of ~ 4 s.d. is seen
 Maximum likelihood fit with 3 BW
 Functions plus 2nd order polynomial
 $f_2'(1525)$ parameters consistent with PDG

| | $f_2(1270)/a_2(1320)$ | $f_2'(1525)$ | $f_0(1710)$ |
|-------------|-----------------------|--------------|---------------|
| Mass (MeV) | 1239 ± 6 | 1523 ± 6 | 1767 ± 14 |
| Width (MeV) | 78 ± 19 | 100 ± 15 | 187 ± 60 |
| Events | 123 ± 22 | 331 ± 37 | 221 ± 55 |

Previous ZEUS $K_S^0 K_S^0$ Result



ZEUS observed indications of $f_2'(1525)$ and $f_0(1710)$ decaying into $K_S^0 K_S^0$
 In inclusive deep inelastic scattering (DIS) HERA event sample (121 pb^{-1})
 ZEUS Collab., S. Chekanov *et al.*, Phys. Lett. B578, 33 (2004)



After applying strong cuts to the data sample, the statistical significance of each resonance was $\leq 3 \text{ s.d.}$

The $f_0(1710)$ width ($\sim 40 \text{ MeV}$) was much narrower than PDG value ($\sim 130 \text{ MeV}$)

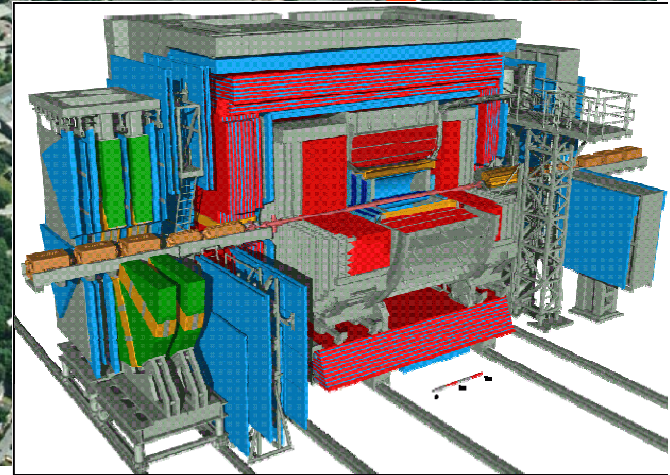
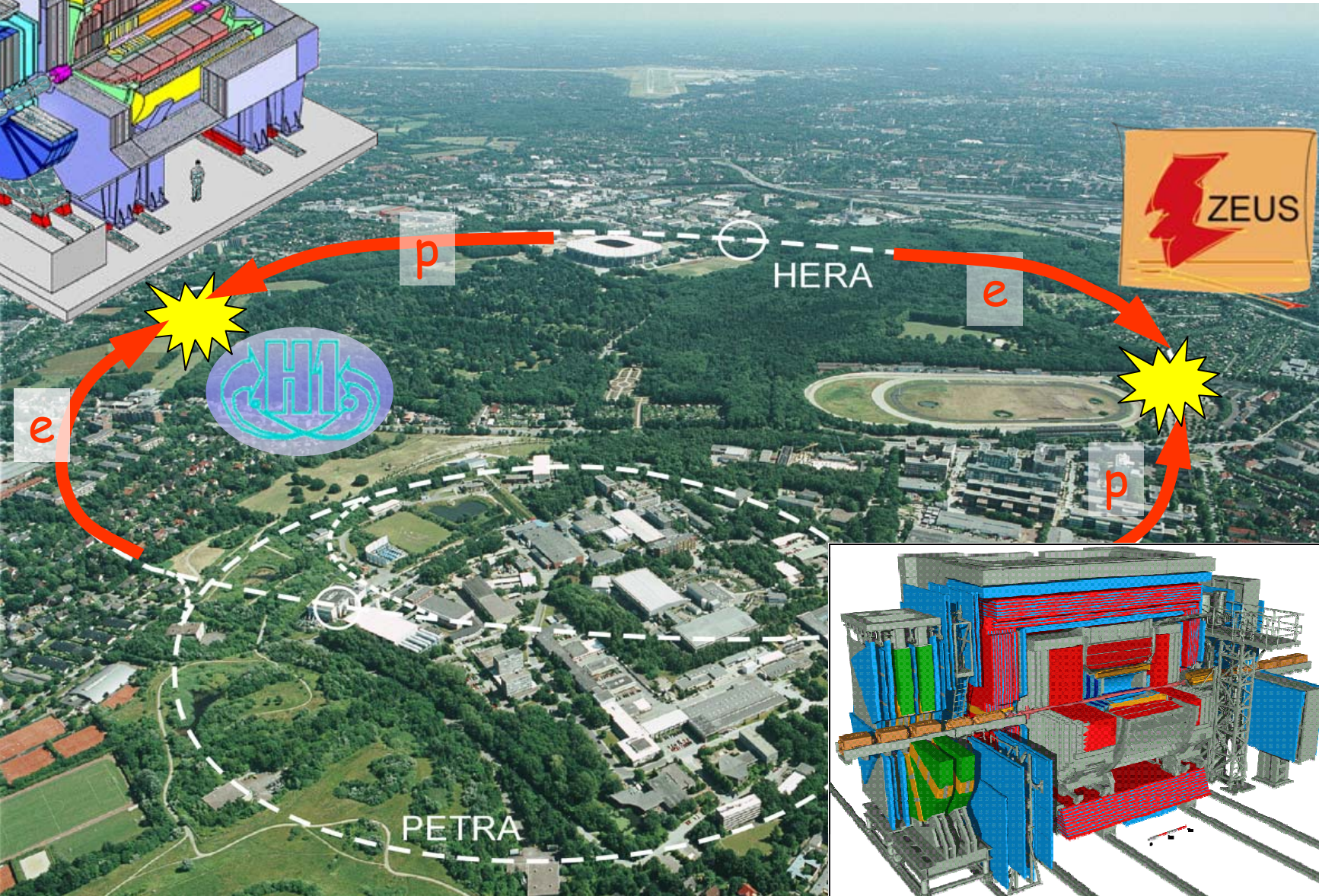
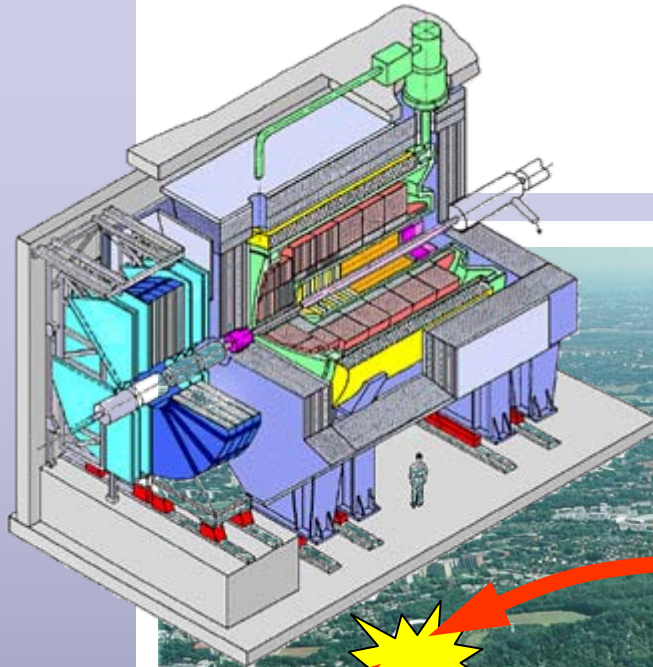
The present analysis was performed on the full HERA I & HERA II sample ($\sim 0.5 \text{ fb}^{-1}$)

$$e^\pm p \rightarrow K_S^0 K_S^0 + X$$

The kinematic region included both photoproduction (PHP) ($Q^2 < 1 \text{ GeV}^2$) and DIS ($Q^2 > 1 \text{ GeV}^2$)

Sample dominated by PHP events

HERA Accelerator



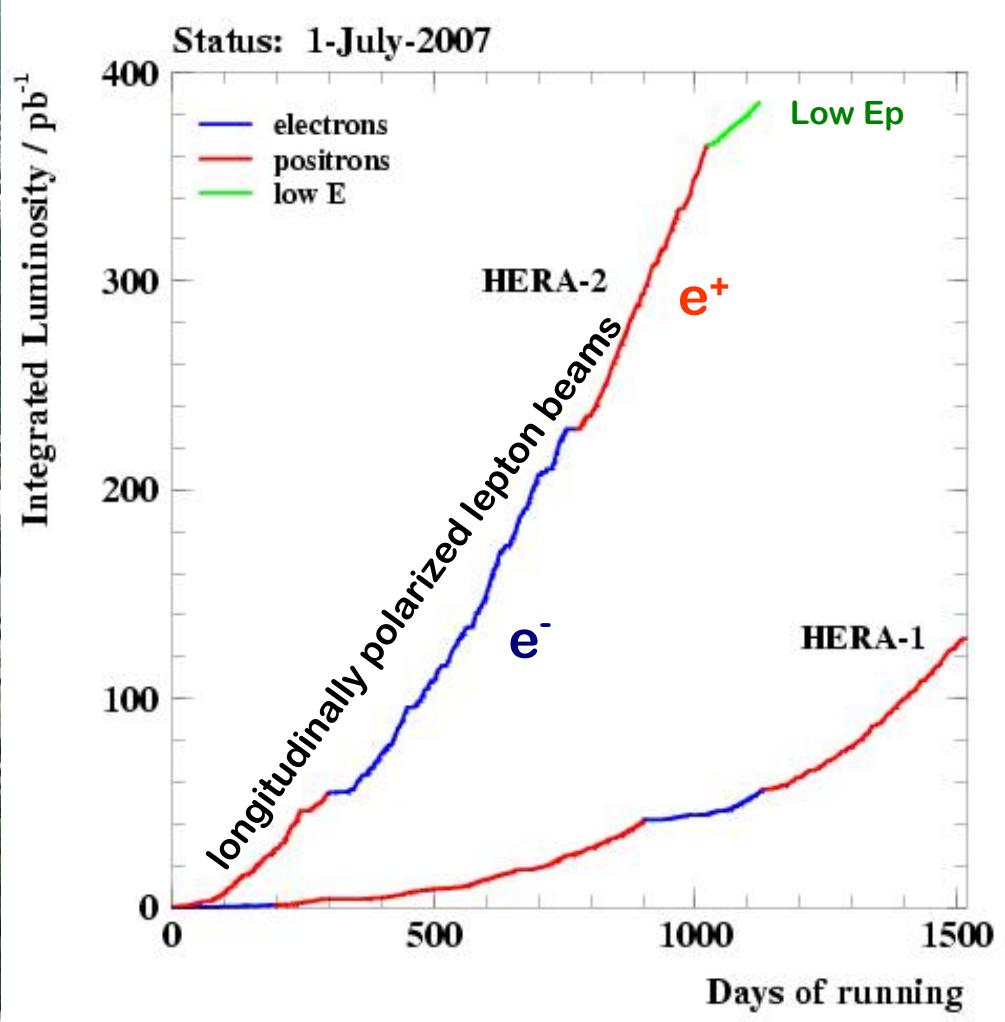
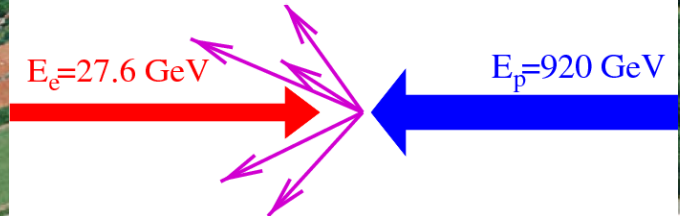
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HERA Accelerator Performance



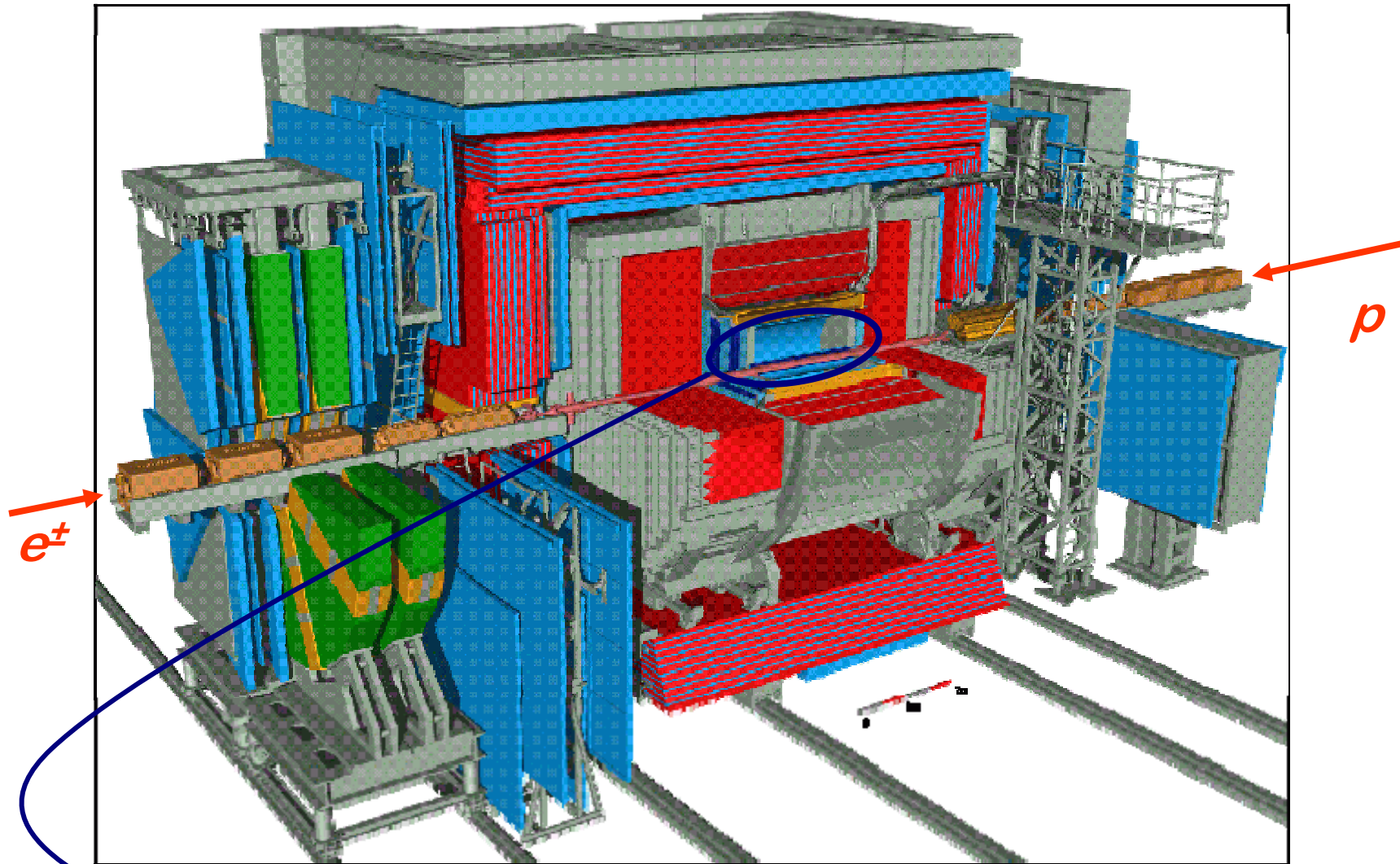
HERA-1 & HERA-2
combined integrated
Luminosity $L = 0.5 \text{ fb}^{-1}$
per experiment



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ZEUS Detector



Tracker: $R=80\text{cm}$, $B = 1.43\text{ T}$, 72 wire layers,

Experimental Details



The data were taken at the HERA e-p collider with the ZEUS detector
 $E(e) = 27.5 \text{ GeV}$; $E(p) = 920 (820) \text{ GeV}$ during 1998-2007 (1996-97)

Events with $\geq 2 V_0$ candidates were selected

No explicit trigger requirement applied for selecting $K_S^0 K_S^0$ events

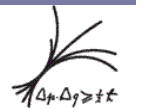
PHP sample dominated by low- E_T jet trigger ($E_T > 6 \text{ GeV}$)

DIS sample triggered by requiring e^\pm in the calorimeter

K_S^0 mesons identified via $\pi^+\pi^-$ from secondary vertex

K_S^0 candidates selected from $M(\pi^+\pi^-)$ by requiring:

- $M(e^+e^-) > 50 \text{ MeV}$ to eliminate photon conversions
- $M(p\pi) > 1121 \text{ MeV}$ to eliminate Λ/Λ contamination
- $p_T(K_S^0) > 0.25 \text{ GeV}$; $|\eta(K_S^0)| < 1.6$
- $\theta_{2d} < 0.12 \text{ rad}$, θ_{2d} = angle in xy -plane between K_S^0 momentum vector and vector defined by interaction point and decay vertex



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K_S^0 Mass Distribution

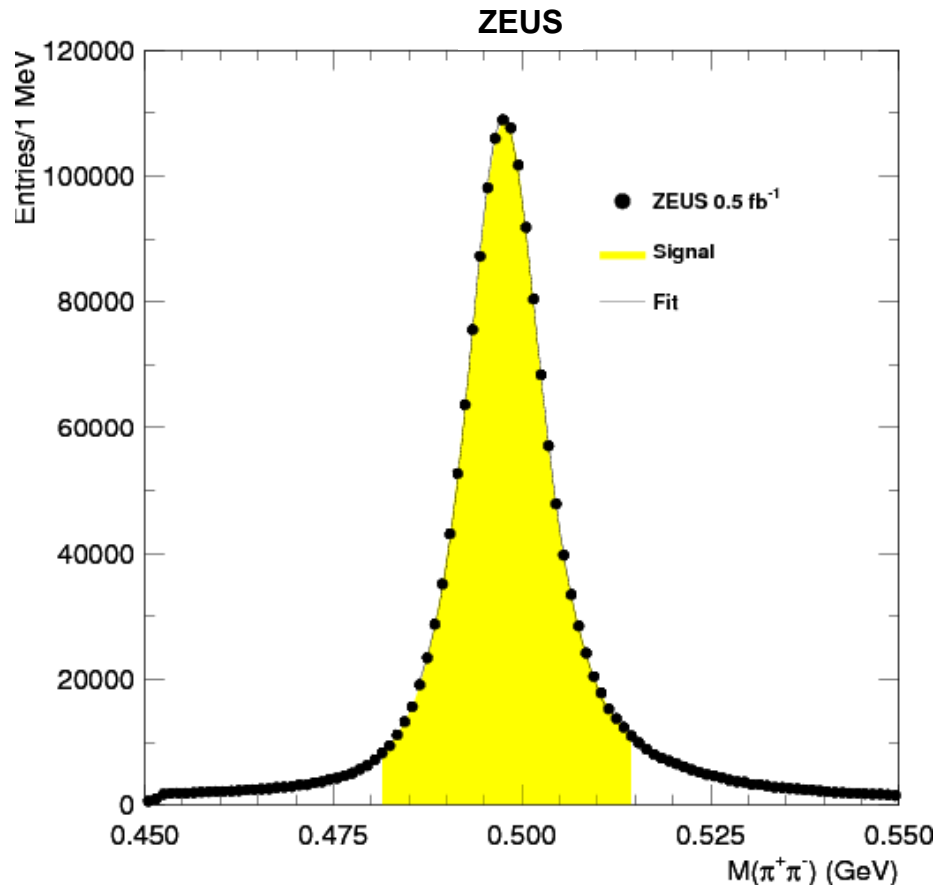


$M(\pi^+\pi^-)$ distribution for events with $\geq 2 K_S^0$ candidates

Signal window for $M(K_S^0 K_S^0)$ analysis: $481 \leq M(\pi^+\pi^-) \leq 515$ MeV

No. of K_S^0 candidates in signal window $\sim 1,258,400$

Clean K_S^0 signal; background $\sim 8\%$ (estimate from 1st pol. Fit)



K_S^0 mass and width determined by fitting central region with double Gaussian

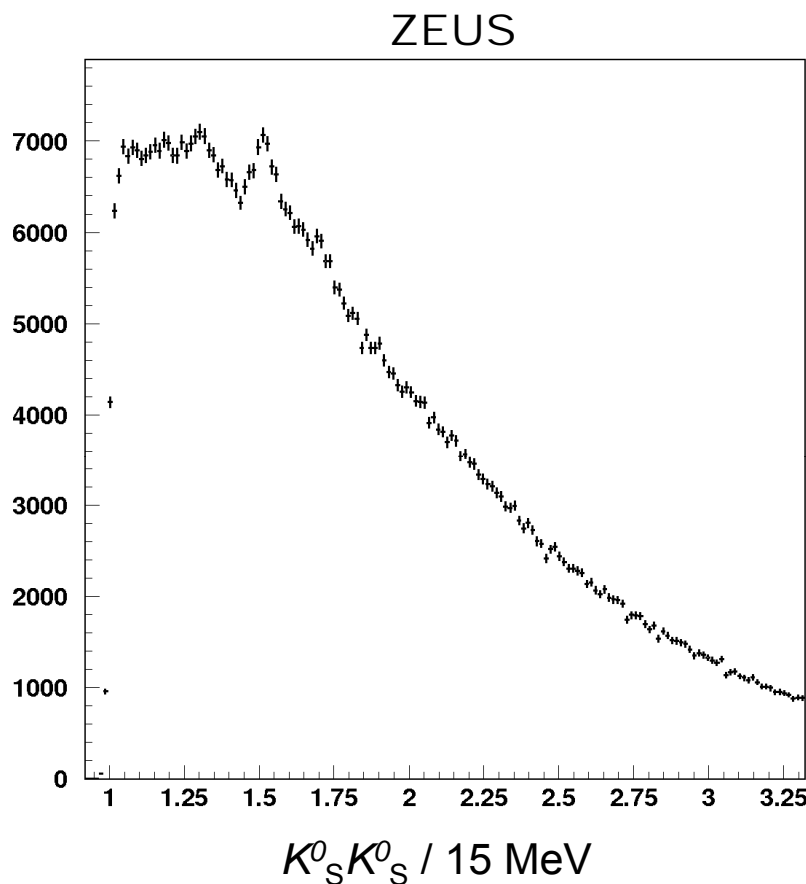
$M(K_S^0 K_S^0) = 497.49$ MeV
consistent with PDG

$\sigma = 4.1$ MeV consistent with detector resolution

Fitting Procedure



Two K_S^0 candidates are combined to reconstruct the $K_S^0 K_S^0$ invariant mass distribution



3 enhancements seen around
1.3, 1.5, 1.7 GeV

No state seen heavier than 1.7 GeV

Invariant mass distribution, m , fitted as sum of relativistic Breit-Wigner (RBW) resonances and smooth background

$$A(m - 2M_{K_S^0})^B \exp\left(-C\left(m - 2M_{K_S^0}\right)\right)$$

A,B,C are free parameters

$m(K_S^0)$ is the PDG K_S^0 mass

Mass resolution below 1.8 GeV

$\sim 12 \text{ MeV} \ll$ resonance widths

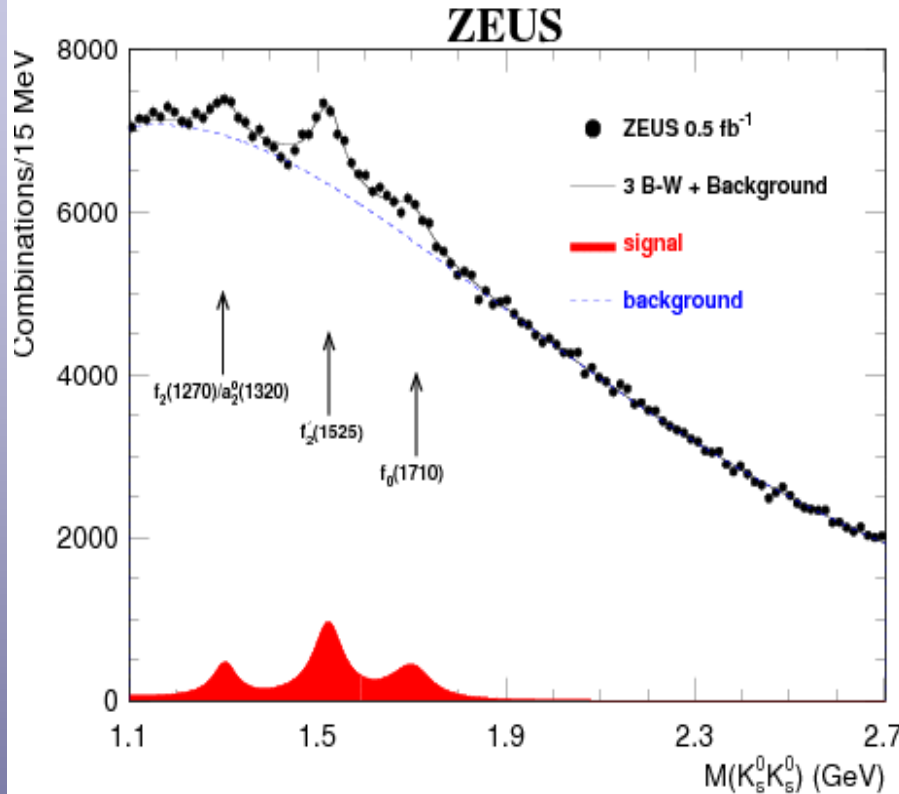
→ not included in fit



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$K_S^0 \bar{K}_S^0$ Mass Spectrum & Incoherent Fit



Fit (as in L3) to background plus incoherent sum of 3 modified RBW resonance, R , of the form

$$F(m) = C_R \frac{M_R \Gamma_R}{(M_R^2 - m^2)^2 + M_R^2 \Gamma_R^2}$$

representing the peaks

$f_2(1270)/a_2(1320)$, $f_2'(1525)$, $f_0(1710)$

C_R = Amplitude of resonance R

M_R = Mass of resonance R

Γ_R = Variable width of resonance R

$m = K_S^0 \bar{K}_S^0$ invariant mass

Goodness of fit is OK $\chi^2/\text{ndf} = 96/95$

Dip between $f_2(1270)/a_2(1320)$ and $f_2'(1525)$ not well reproduced

Fit without $f_0(1710)$ is bad $\rightarrow f_0(1710)$ is required



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TASSO $K_S^0 K_S^0$ Result

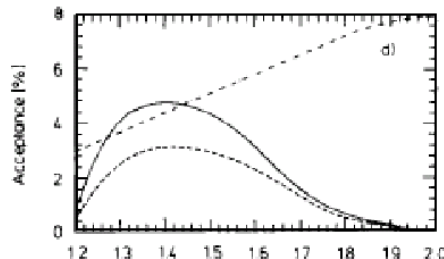
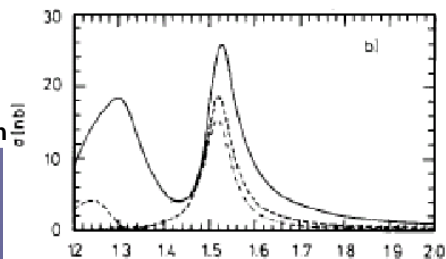
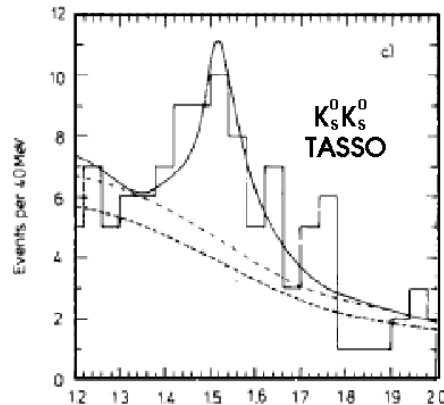
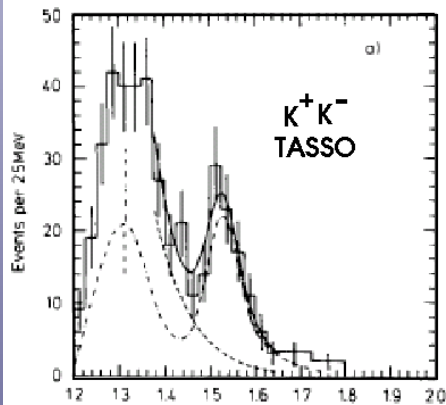
The old TASSO experiment at the PETRA e^+e^- collider studied in two-photon collisions the exclusive reactions $\gamma\gamma \rightarrow K^+K^-$, $K_S^0 K_S^0$

TASSO Collab., M. Althoff *et al.*, Phys. Lett. B121, 216 (1983)

A strong $f_2(1270)/a_2(1320)$ enhancement is seen in $M(K^+K^-)$

No $f_2(1270)/a_2(1320)$ signal is seen in $M(K_S^0 K_S^0)$

The $f_2'(1525)$ is seen in both spectra



Results interpreted by interference effects between the 3 $J^P=2^+$ resonances $f_2(1270)$, $a_2(1320)$, $f_2'(1525)$

For the same spin-parity, production amplitude is sum of 3 coherent BW's

$$C_1 \cdot \text{BW}(f_2(1270)) \pm C_2 \cdot \text{BW}(a_2(1320)) + C_3 \cdot \text{BW}(f_2'(1525))$$

According to SU(3), sign of 2nd term is + for K^+K^- ; - for $K_S^0 K_S^0$

Faiman *et al.*, Phys.Lett. B59, 269 (1975)

M($K_S^0 K_S^0$) Fit of Coherent 2^+ States

| | $f_2(1270)$ | $a_2(1320)$ | $f_2'(1525)$ |
|-----------------|--|--|---------------------------------|
| Isospin I | 0 | 1 | 0 |
| Quark content | $(u\bar{u} + d\bar{d})/\sqrt{2}$ | $(u\bar{u} - d\bar{d})/\sqrt{2}$ | $s\bar{s}$ |
| Charge factor | $(\frac{2}{3} \cdot \frac{2}{3} + \frac{1}{3} \cdot \frac{1}{3})\frac{1}{2}$ | $(\frac{2}{3} \cdot \frac{2}{3} - \frac{1}{3} \cdot \frac{1}{3})\frac{1}{2}$ | $\frac{1}{3} \cdot \frac{1}{3}$ |
| Amplitude ratio | $C_1 = 5$ | $C_2 = -3$ | $C_3 = 2$ |

→ The appropriate function to fit the M($K_S^0 K_S^0$) spectra for an electromagnetic production process assuming SU(3) symmetry is H.J. Lipkin, private communication

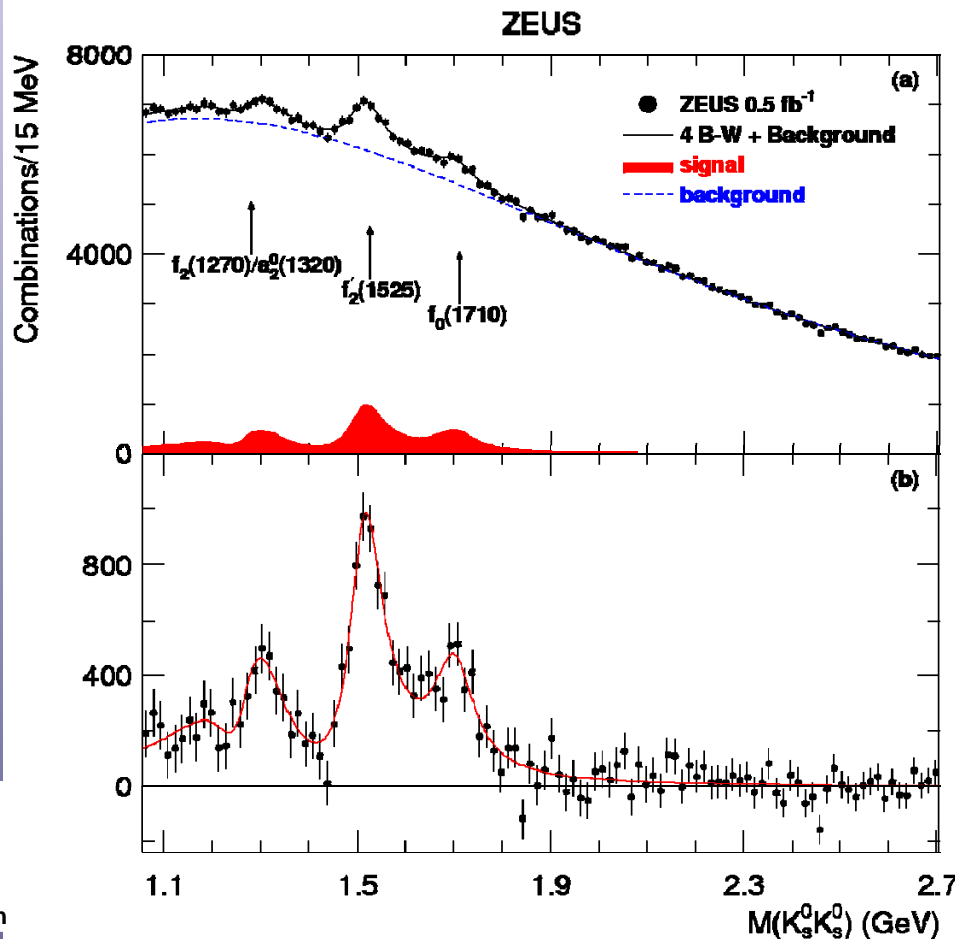
$$F(m) = a \left[5 \cdot \text{BW}(f_2(1270)) - 3 \cdot \text{BW}(a_2(1320)) + 2 \cdot \text{BW}(f_2'(1525)) \right]^2 + b \left[\text{BW}(f_0(1710)) \right]^2 + c \cdot \text{background}$$

a, b, c are free parameters

BW is a relativistic BW amplitude:
$$\text{BW}(R) = \frac{M_R \sqrt{\Gamma_R}}{M_R^2 - m^2 - iM_R \Gamma_R}$$



$K_S^0 K_S^0$ Spectrum & Interference Fit



M, Γ of all resonances – free parameters in the fit.

Bottom plot background subtracted $M(K_S^0 K_S^0)$ spectrum with fitted BW functions.

Good fit $\chi^2/\text{ndf} = 86/97$.

Peak around 1.3 GeV suppressed due to destructive interference between $f_2(1270)$ and $a_2(1320)$. Dip between $f_2(1270)/a_2(1320)$ and $f_2'(1525)$ is well reproduced.

No. of fitted $f_0(1710)$ events: $4058 \pm 820 \sim 5\sigma$ significance
 Fit without $f_0(1710)$ strongly disfavoured $\chi^2/\text{ndf} = 162/97$



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Table of Fit Results



| Fit | No interference | | Interference | | PDG 2007 Values | |
|---------------|------------------------|--------------------------|----------------------------|-------------------------|------------------|-----------------------|
| | 96/95 | | 86/97 | | | |
| in MeV | Mass | Width | Mass | Width | Mass | Width |
| $f_2(1270)$ | 1304 ± 6 | 61 ± 11 | 1268 ± 10 | 176 ± 17 | 1275.4 ± 1.1 | $185.2^{+3.1}_{-2.5}$ |
| $a_2^0(1320)$ | | | 1257 ± 9 | 114 ± 14 | 1318.3 ± 0.6 | 107 ± 5 |
| $f_2'(1525)$ | $1523 \pm 3^{+2}_{-8}$ | $71 \pm 5^{+17}_{-2}$ | $1512 \pm 3^{+1.4}_{-0.5}$ | $83 \pm 9^{+5}_{-4}$ | 1525 ± 5 | 73^{+6}_{-5} |
| $f_0(1710)$ | $1692 \pm 6^{+9}_{-3}$ | $125 \pm 12^{+19}_{-32}$ | $1701 \pm 5^{+5}_{-3}$ | $100 \pm 24^{+7}_{-22}$ | 1724 ± 7 | 137 ± 8 |

Incoherent fit yields narrow width for $f_2(1270)/a_2(1320)$: 61 ± 11 MeV
 Similar to the L3 incoherent fit: $\Gamma(f_2(1270)/a_2(1320)) = 78 \pm 19$ MeV

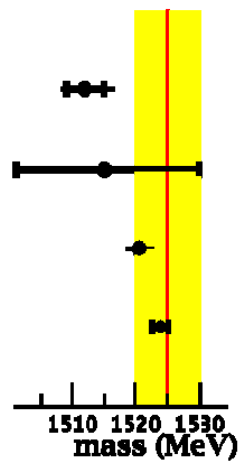
For fit with interference:

- $a_2(1320)$ mass below PDG value. Similar shift, attributed to destructive $f_2(1270)/a_2(1320)$ interference, seen by Faiman *et al.*
- Widths of all observed resonances close to PDG values
- $f_2'(1525)$, $f_0(1710)$ masses below PDG; uncertainties compatible with PDG
- One of the best $f_0(1710)$ reported signals: 4058 ± 820 events ~ 5 s.d.
- All resonances observed in DIS sample (much smaller than PHP one)

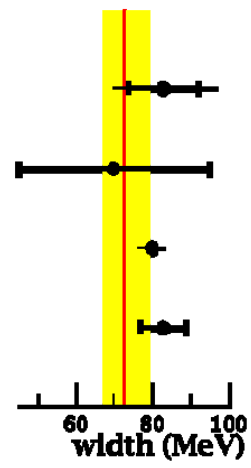


Mass & Width of $f'_2(1525)$ and $f_0(1710)$

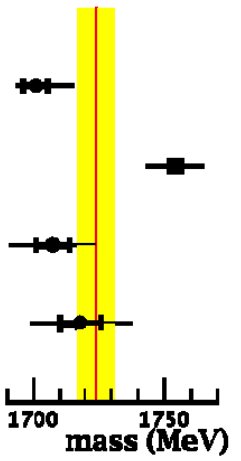
$f'_2(1525)$ summary



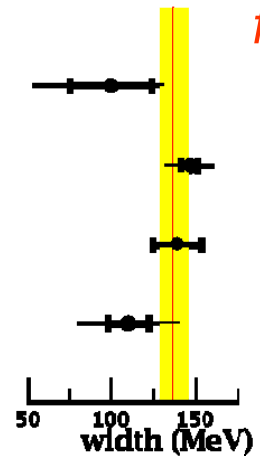
- e p ZEUS
- Central p p Production
- e^+e^- experiments
- K-meson experiments
- PDG 2007



$f_0(1710)$ summary



- e p ZEUS
- e^+e^- BES Collab.
- e^+e^- other Collab.
- p p, π p experiments
- PDG 2007



$f_0(1710)$ mass in BES experiment seen in quarkonium decays:
 J/ψ or $\psi(2S) \rightarrow (\gamma \text{ or } \omega) + f_0(1710)$
 significantly above other experiments including older J/ψ radiative decays

Conclusions

- $K_S^0 K_S^0$ final states studied in ep collisions at HERA with ZEUS
- Observed 3 enhancements corresponding to $f_2(1270)/a_2(1320)$, $f_2'(1525)$ and $f_0(1710)$
- No state observed heavier than $f_0(1710)$
- States fitted taking into account interference pattern predicted by SU(3) symmetry arguments
- M of $f_2'(1525)$, $f_0(1710)$ below PDG; all Γ consistent with PDG
- $f_0(1710)$ observed with 5σ significance
- $f_0(1710)$ has mass consistent with $J^P=0^+$ glueball candidate
- If $f_0(1710)$ is same as seen in $\gamma\gamma \rightarrow K_S^0 K_S^0$ (TASSO, L3) it is unlikely to be pure glueball since photons can couple in the partonic level only to charged quarks



Backup Slides

- Systematic uncertainties
- Deep inelastic scattering



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Systematic Uncertainties



Systematic uncertainties of mass and width of the resonances determined from the fit evaluated by varying selection cuts:

- Minimum track p_T
- Track pseudorapidity range
- Track momenta by $\pm 0.1\%$
- Track angles by $\pm 0.5\%$
- Accepted $\pi^+\pi^-$ mass range around K_S^0 peak
- Collinearity cuts

Fitting procedure changed: use maximum likelihood instead of χ^2 fit

Largest systematic uncertainties:

- Fitting with fixed M, Γ of $f_2'(1525)$ from PDG affects $f_0(1710)$ width by -19 MeV
- Variation of track momenta affects $f_0(1710)$ width by +7 MeV

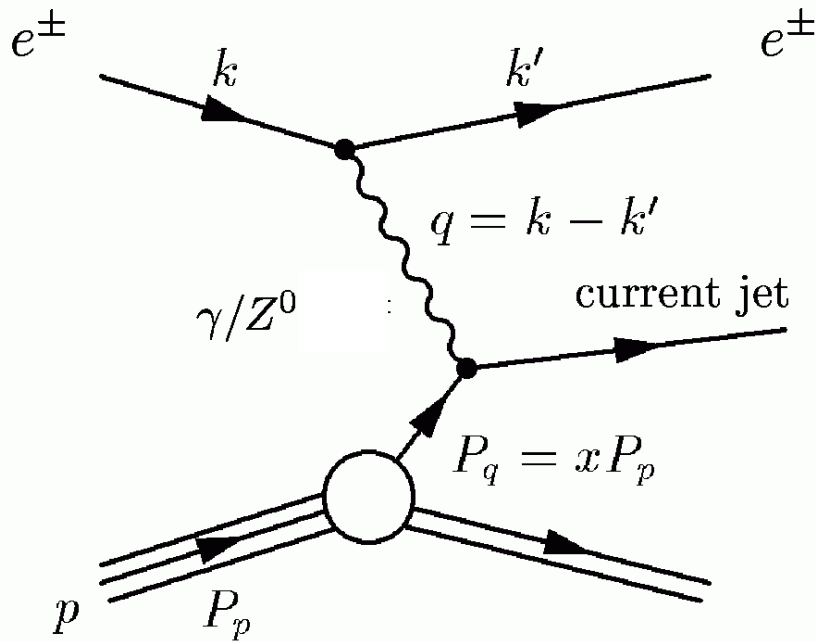
Details in: C. Zhou, Ph.D. Thesis (unpublished),
McGill University, Montreal, Canada, 2008.



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Deep Inelastic Scattering



Kinematic Variables

- 4-momentum transfer resolving power

$$Q^2 = -q^2 = -(k - k')^2$$

- Björken scaling variable momentum fraction of struck parton

$$x = \frac{Q^2}{2p \cdot q}$$

- Inelasticity:

$$y = \frac{p \cdot q}{p \cdot k}$$

Center of mass energy \sqrt{s} : $s = (k + p)^2$ relation for fixed s: $Q^2 = sxy$

• Neutral current DIS cross section expressed by structure functions:

$$\frac{d^2 \sigma^{e^\pm p \rightarrow e^\pm X}}{dx dQ^2} = \frac{2\pi\alpha^2}{xQ^4} \underbrace{\left(1 + (1-y)^2\right)}_{Y_\pm = 1 \pm (1-y)^2} \cdot \left(F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2) \mp \frac{Y_-}{Y_+} xF_3(x, Q^2) \right)$$

valence & sea quarks

gluons

valence quarks