

# Leading Baryons and $\sigma_{\text{tot}}(\gamma p)$ at HERA

W. Schmidke  
MPI Munich

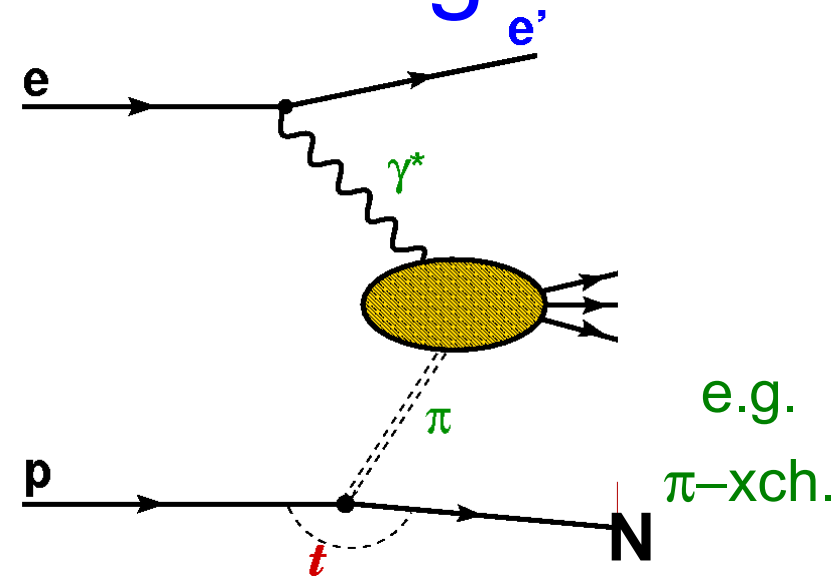
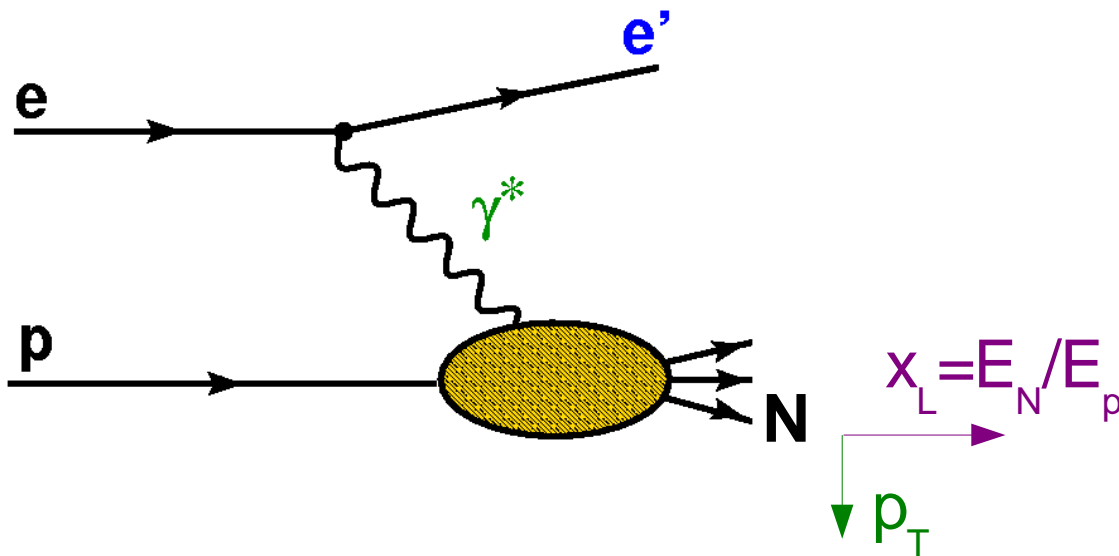
On behalf of the H1 & ZEUS  
collaborations

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Philadelphia

non-pQCD recent results from HERA (QCD laboratory) on:

- Leading particles: @ HERA  $ep \rightarrow eBX$ , B is leading baryon (LB)
  - results on leading neutrons (LN) and leading protons (LP)
- Hadronic total cross sections:  $\sigma_{\text{tot}}(\text{hadron}+\text{hadron})$ 
  - new from HERA: energy dependence of  $\sigma_{\text{tot}}(\gamma p)$  via  $\gamma \leftrightarrow$  "hadron"

# LB production, virtual exchange

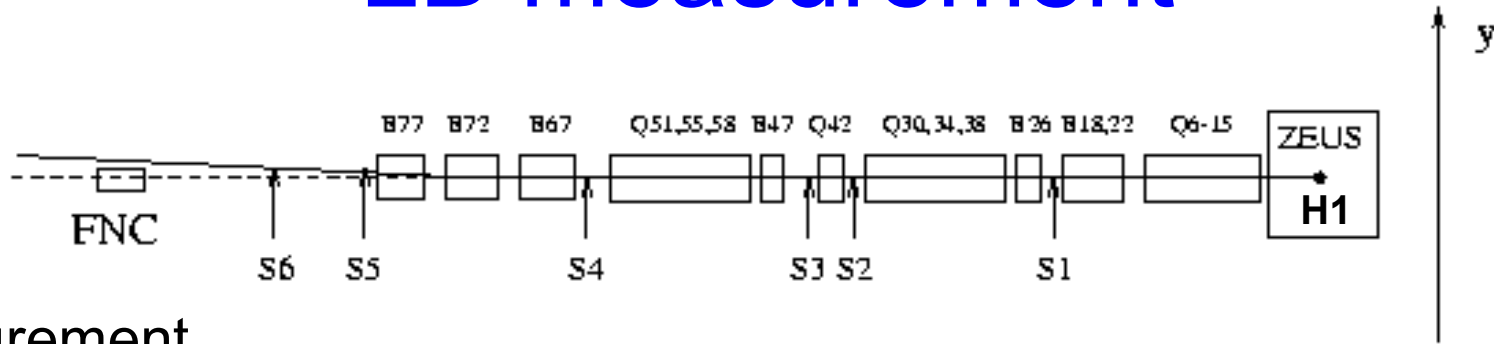


- LB can come from 'standard' fragmentation (e.g. MEPS, Lund...) (baryon # has to go somewhere)
- Can compare to 'standard' MC gens.:  $x_L$ ,  $p_T^2$  distributions
- LB can be produced via exchange of virtual particles: isovector ( $p$ & $n$ ) and isoscalar ( $p$  only).
- Parameterizations from low energy hadronic data. Compare:  $x_L$ ,  $p_T^2$  dist.

• Cross section factorizes:

$$\sigma_{ep \rightarrow eNX}(x, Q^2, x_L, p_T) = f_{\pi/p}(x_L, p_T) \sigma_{e\pi \rightarrow eX}(x/(1-x_L), Q^2)$$

# LB measurement



## LB measurement

- HERA proton beam-line downstream of H1/ZEUS:
- Analyzing magnets for leading proton spectrometer: Si-strip detectors
- Sweeping magnets for forward neutron calorimeter (FNC): Pb-Sci calor.

$$\text{apertures limit } \Theta_n < 0.75 \text{ mrad} \Rightarrow p_T^2 < 0.476 x_L^2 \text{ GeV}^2$$

## LB are selected from inclusive data sets (i.e. no LB tag):

- DIS:  $Q^2 > 2\text{-}3 \text{ GeV}^2$ ,  $\gamma p$ :  $Q^2 < 0.02 \text{ GeV}^2$ ,  $e^+$  tagged

## LB yields:

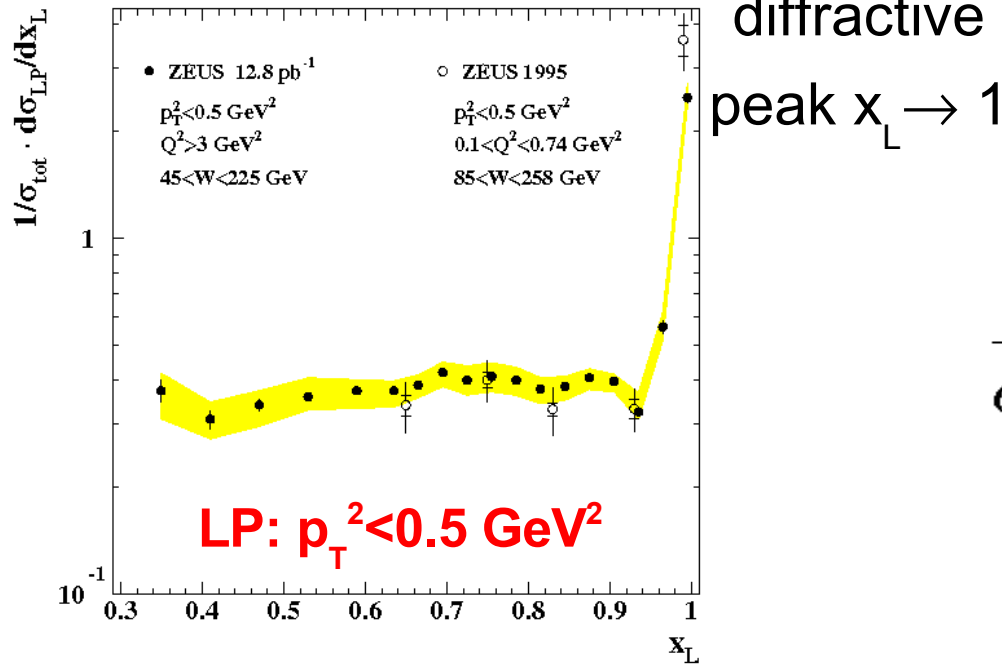
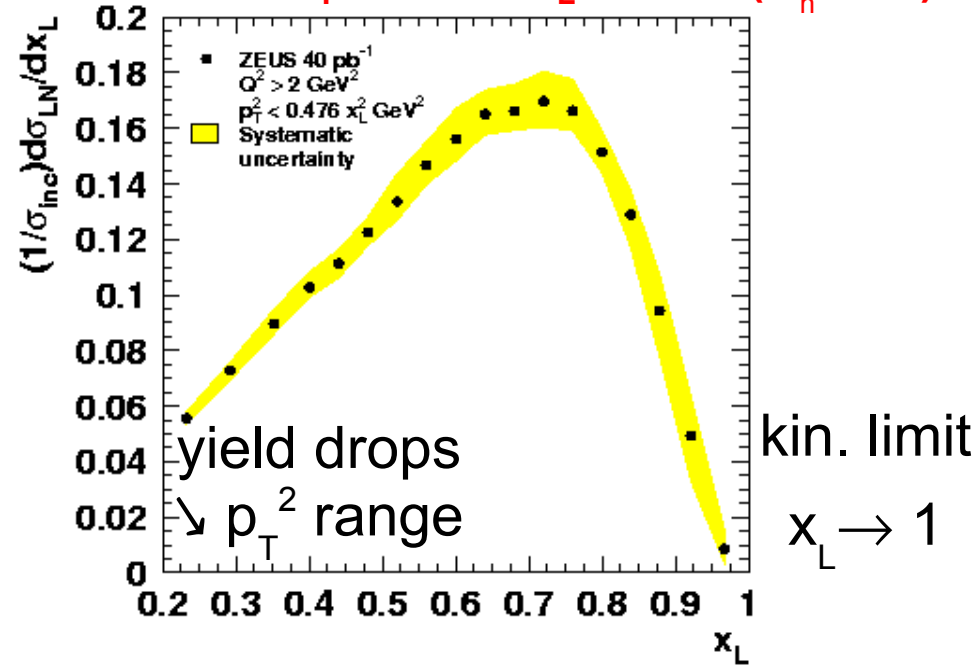
- DIS,  $\gamma p$  have very different inclusive cross sections  $\sigma_{inc}$
- For sensible comparisons look at LN yields:  $r_{LB} \equiv \sigma_{LB} / \sigma_{inc}$
- From factorization:  $r_{LB} \propto \sigma_{e\pi \rightarrow eX}(x/(1-x_L), Q^2) / \sigma_{ep \rightarrow eX}(x, Q^2)$

$$\sigma_{e\pi}, \sigma_{ep} \text{ similar } x, Q^2 \text{ dependences} \Rightarrow r_{LB} \sim \text{independent of } x, Q^2$$

- Additional benefit: systematic uncertainties of central detector cancel

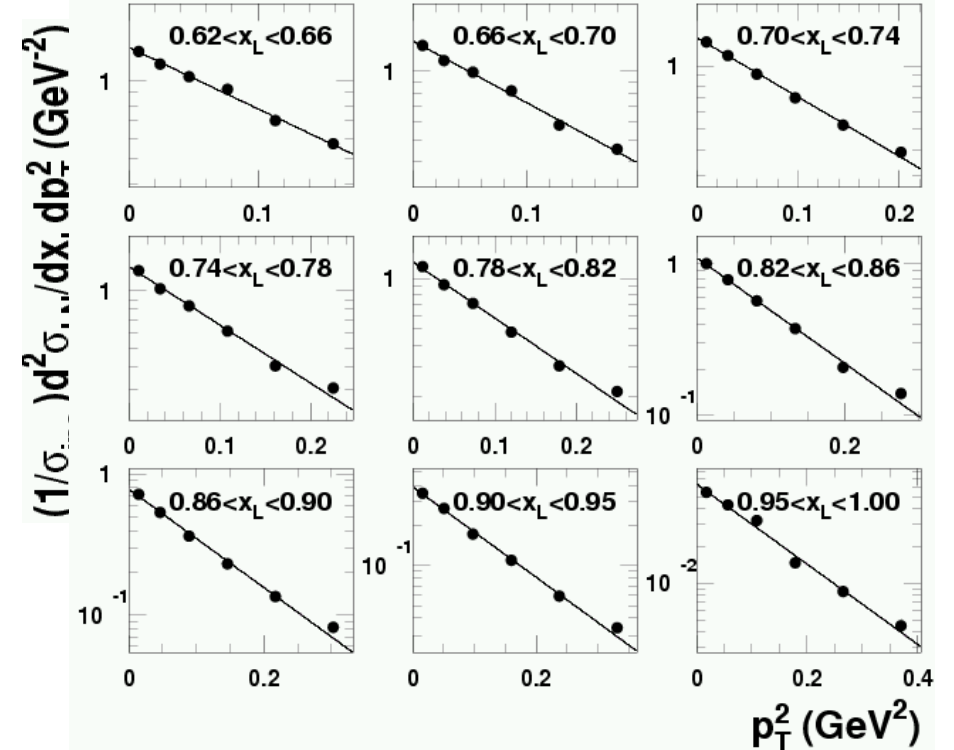
# DIS LB $x_L$ & $p_T^2$ distributions

LN:  $p_T^2 < 0.476 x_L^2 \text{ GeV}^2$  ( $\Theta_n$  limit)



log scale

LN:  $\frac{1}{\sigma_{inc}} \frac{d^2\sigma_{LN}}{dx_L dp_T^2}$



- Described by exponential in  $p_T^2$ :

$$\frac{1}{\sigma_{inc}} \frac{d^2\sigma_{LN}}{dx_L dp_T^2} = a(x_L) e^{-b(x_L) p_T^2}$$

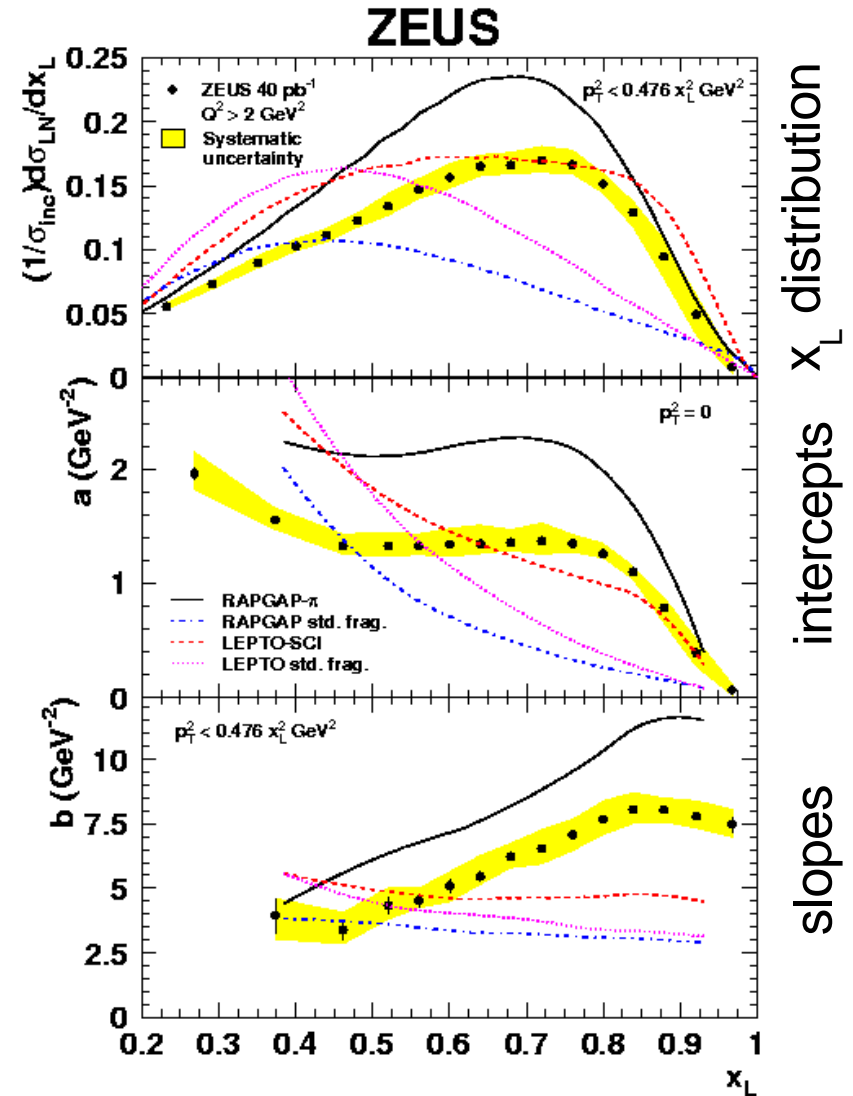
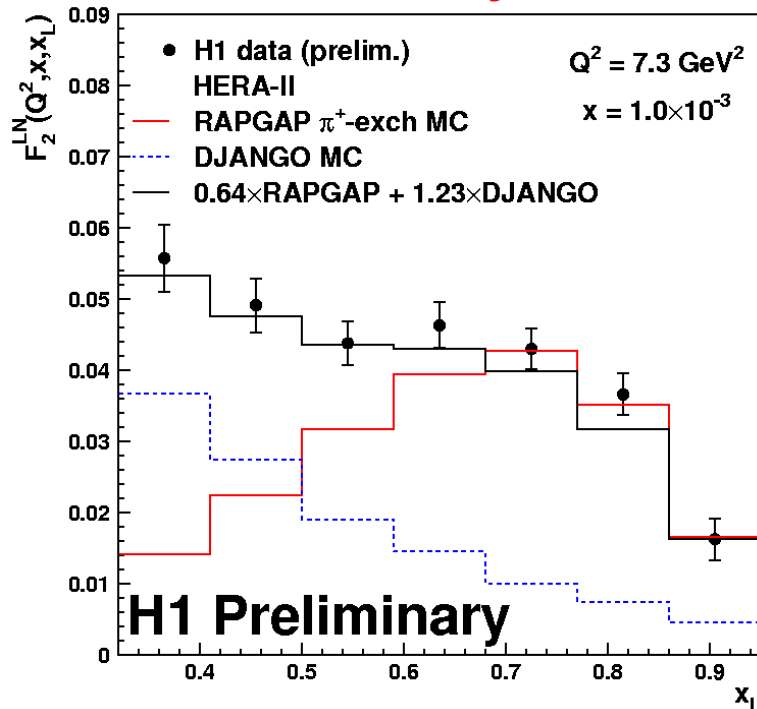
- Intercepts  $a(x_L)$  and slopes  $b(x_L)$

fully characterize  $(x_L, p_T^2)$  dist.

# Model comparisons: DIS LN

- Compare to MC models, options:
  - RAPGAP 'std. frag.' &/or  $\pi$ -xch.
  - LEPTO w/ 'std. frag.' or soft color int.
  - DJANGO 'std. frag.', mix w/  $\pi$ -xch.
- All std. frag. too few  $n$ , too low  $x_L$ ; LEPTO-SCI ~OK
- **RAPGAP w/  $\pi$ -xch. close to data**
- **Best mix of DJANGO w/  $\pi$ -xch. very nice fit,**

here for one  
( $x, Q^2$ ) bin:

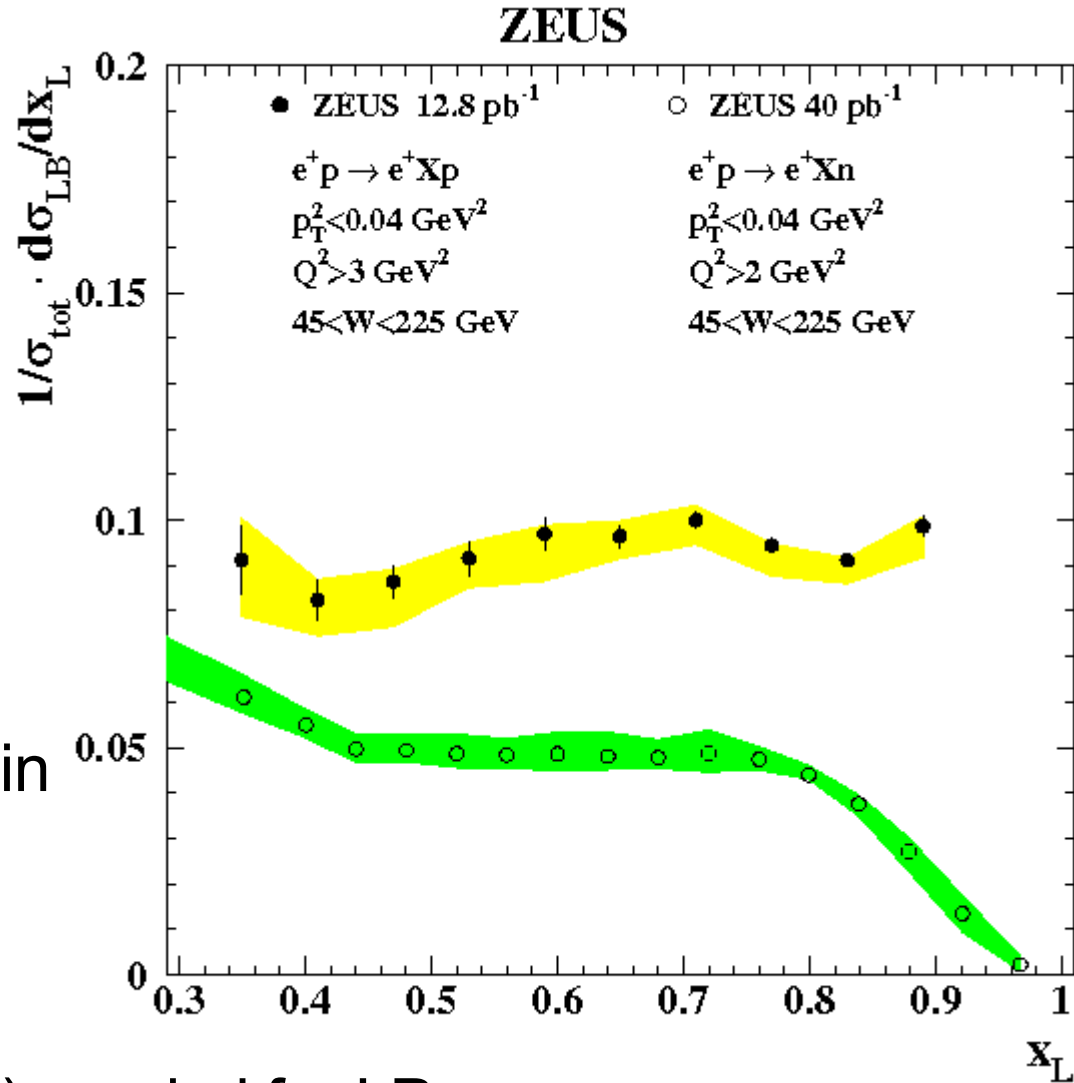


- **Other std. frag. MCs also fail: ARIADNE, CASCADE, PYTHIA, PHOJET, ...**

# Compare: LP/LN $x_L$ distributions

- LP/LN same range:  $p_T^2 < 0.04 \text{ GeV}^2$

Both detectors acceptances overlap at low  $p_T$  for  $0.5 < x_L < 0.9$ :

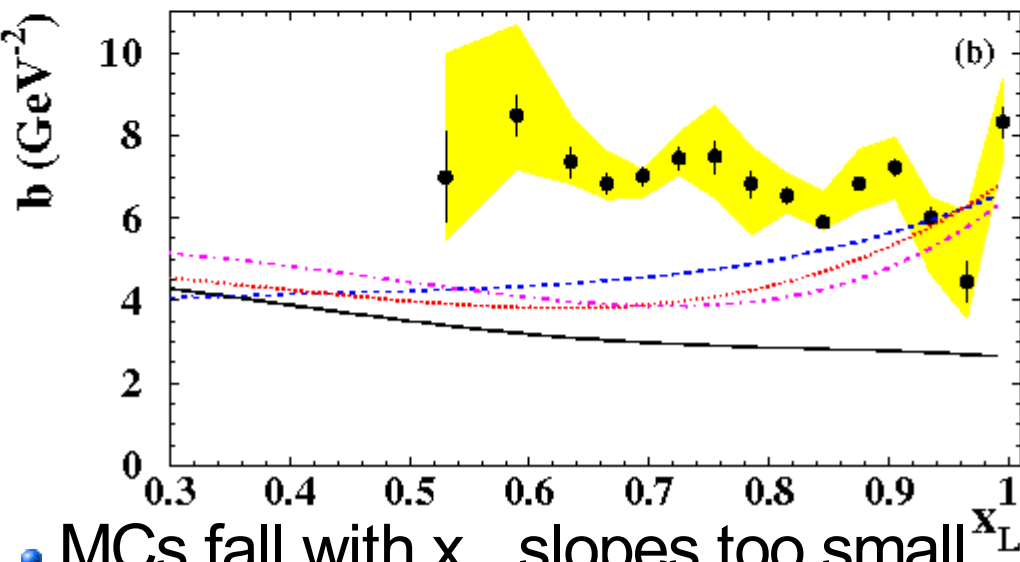
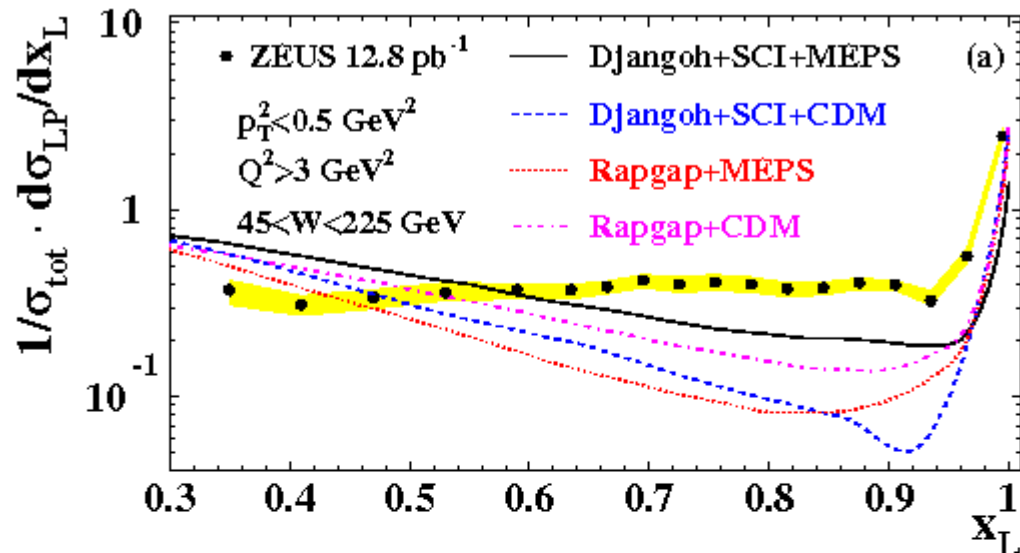


- For pure isovector exchange isospin Clebsch-Gordan  $\Rightarrow r_{\text{LP}} = \frac{1}{2} r_{\text{LN}}$
- Data:  $r_{\text{LP}} \approx 2 r_{\text{LN}}$
- $\Rightarrow$  additional exchanges (isoscalar) needed for LP

# Model comparisons: DIS LP $x_L$ & slopes

- 'Std. fragmentation'+diffraction MCs:

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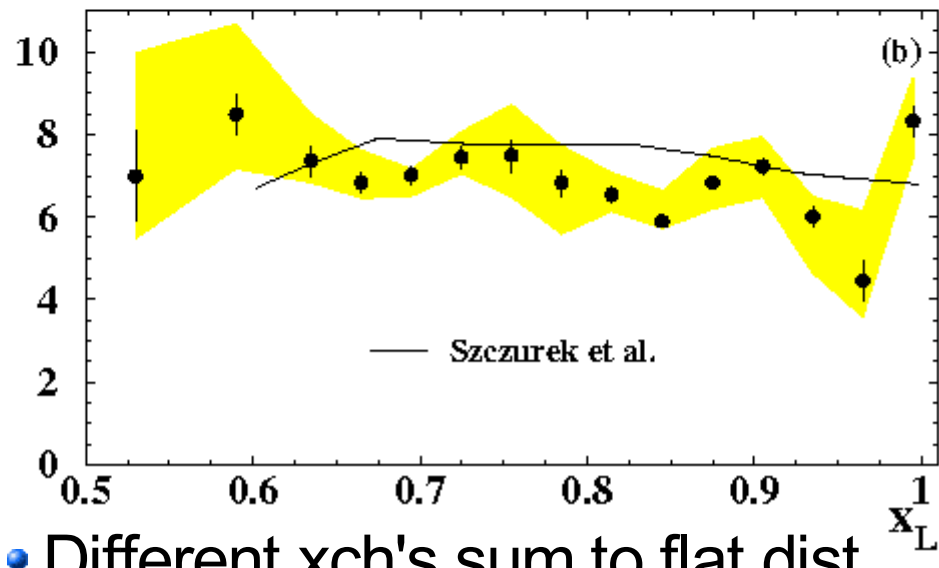
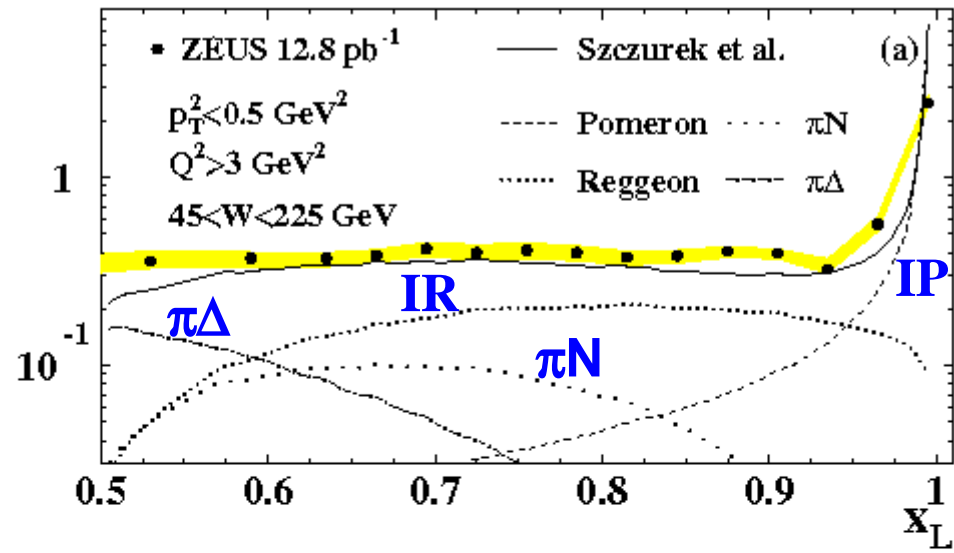


- MCs fall with  $x_L$ , slopes too small

- MCs w/o meson xch. fail

- Model w/ multiple exchanges:

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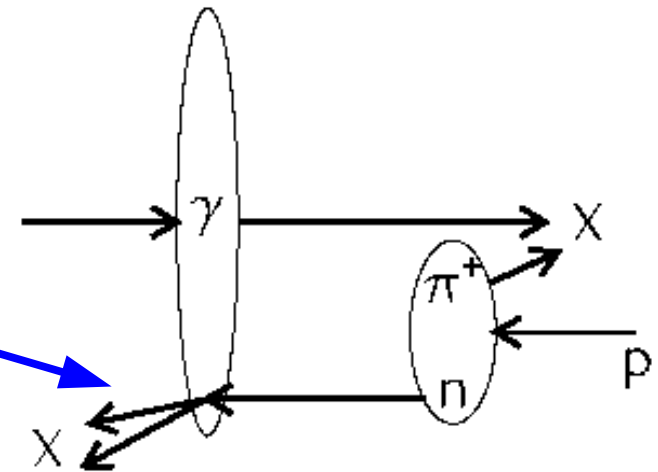
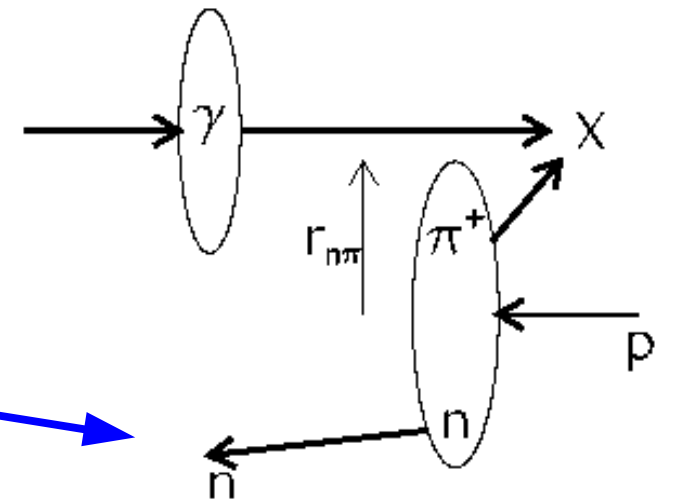
- Different xch's sum to flat dist.

- Good agreement w/ data

# Xch. model refinements: Absorption

For e.g. LN production via  $\pi$ -exchange:

- In DIS  $\gamma^*$  small; small chance both  $n, \pi$  scatter on  $\gamma^*$ :  $n$  reaches detector
- In photoproduction  $\gamma$  large; if  $n$ - $\pi$  separation smaller rescattering of  $n$  may also occur:  $n$  kicked to lower  $x_L$  & higher  $p_T$ , and may escape detection (absorption loss)
- In another language: multi-Pomeron exchange
- Compare photoproduction & DIS  $Q^2$  dependence:
  - effects of absorption?





# $Q^2$ dependence of LN production

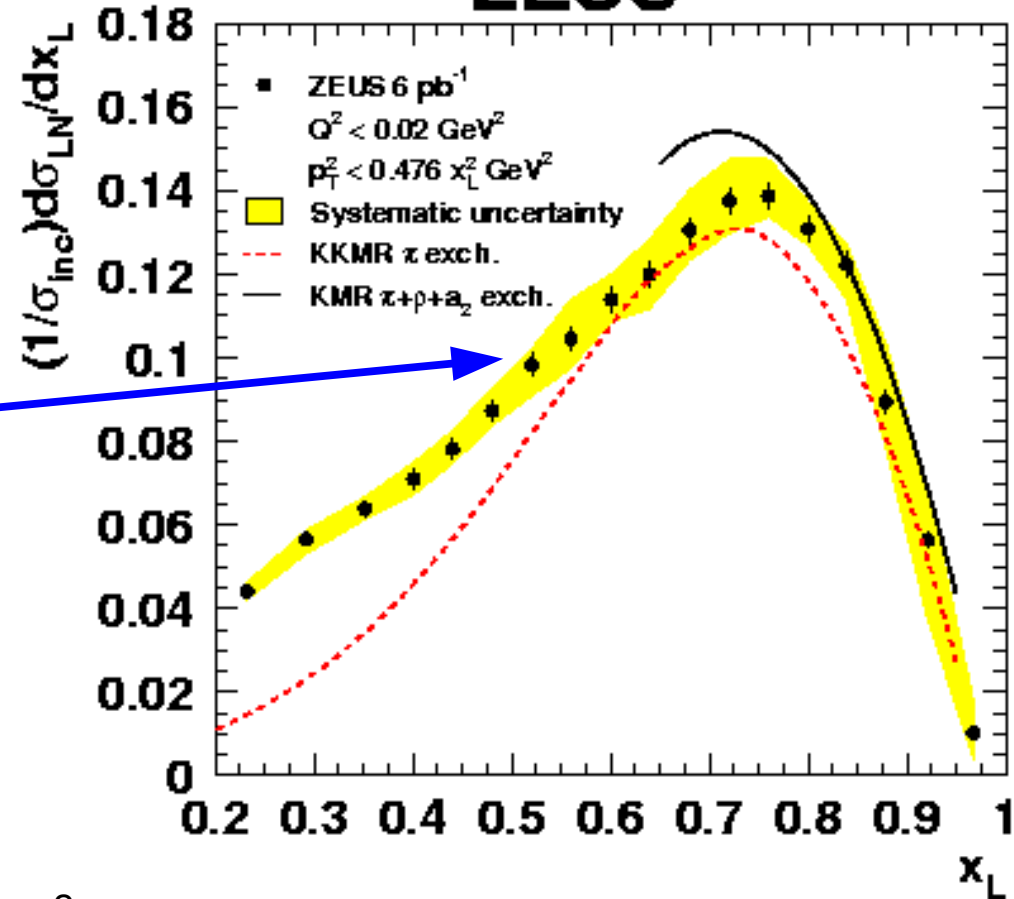
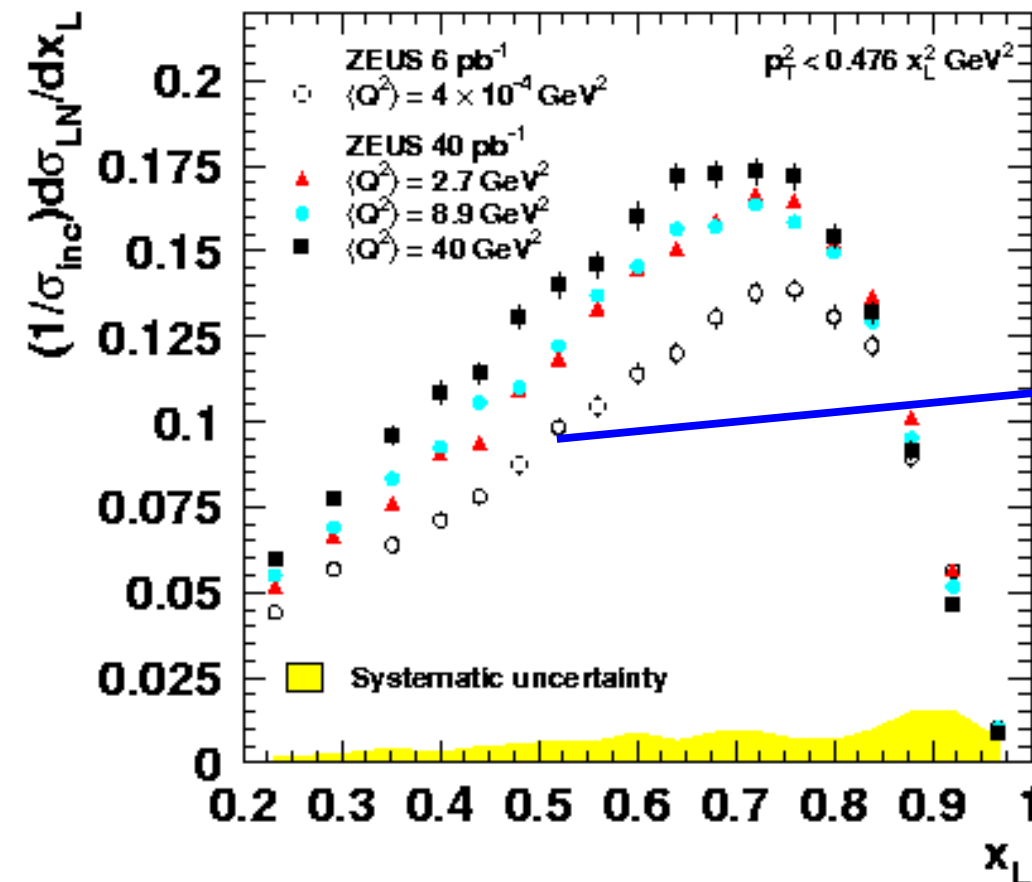
3  $Q^2$  bins DIS +  $\gamma p$ :

- $x_L$  distributions:

- Calculations: pion, additional mesons with absorption:

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- LN yield increases monotonically w/  $Q^2$
- Consistent w/ absorption:  
 larger  $Q^2 \Rightarrow$  smaller  $\gamma$ , less absorp.

- Absorption calculation accounts for large depletion DIS  $\rightarrow \gamma p$

# $F_2^{LN}$ & ratio to $F_2^P$

- With neutron tag can define LN structure

analogous to proton s.f. with

LN variable:  $F_2^{LN}(x, Q^2, x_L)$

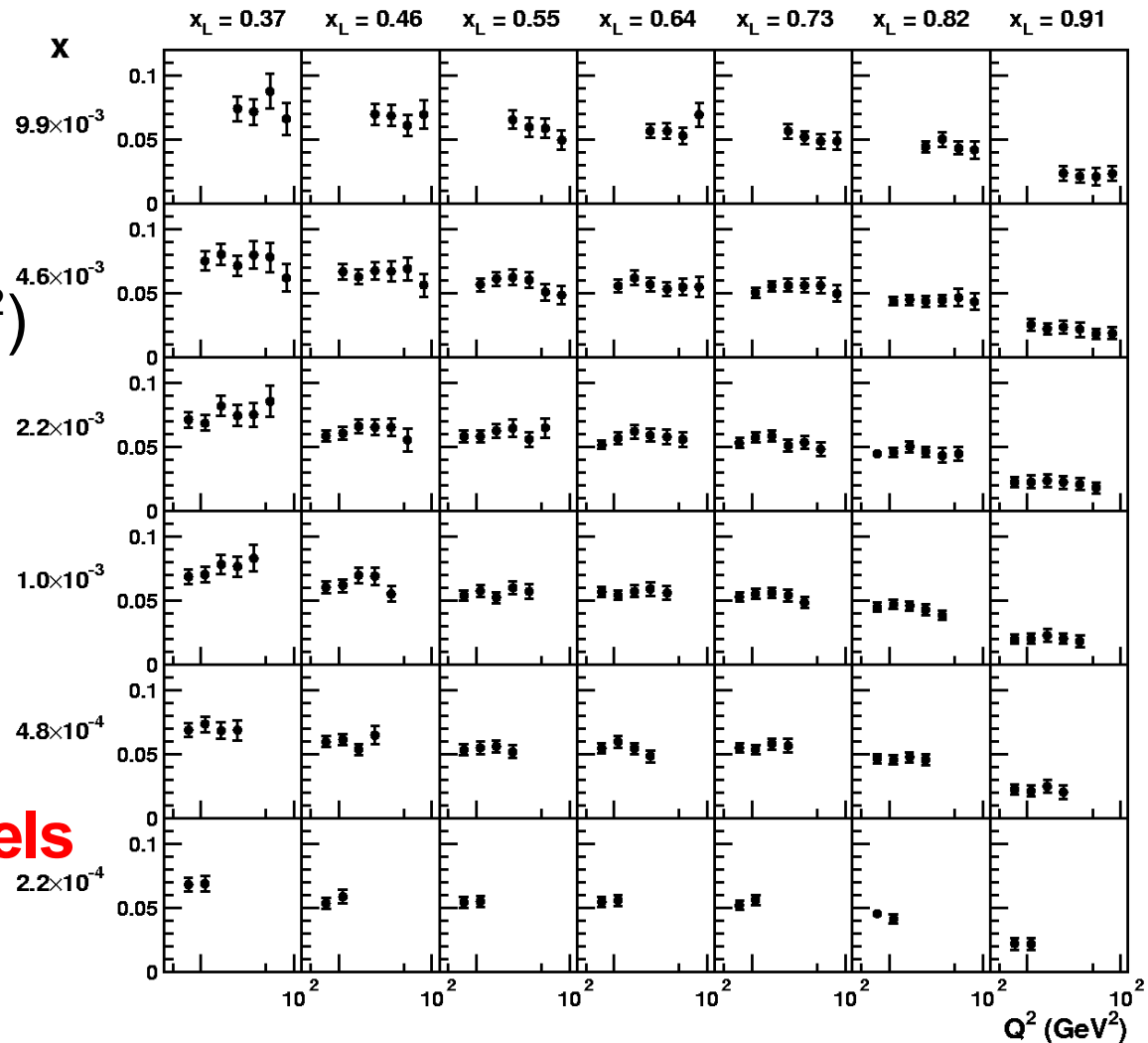
- Look at ratio:

$$r^{LN}(x, Q^2, x_L) = F_2^{LN}(x, Q^2, x_L) / F_2^P(x, Q^2)$$

- $r^{LN} \sim$  independent of  $(x, Q^2)$ :
- LB production rate, kinematics  
 $\sim$  independent of  $(x, Q^2)$

**$\Rightarrow$  factorization as in xch. models**

$F_2^{LN}(Q^2, x, x_L) / F_2(Q^2, x)$  H1 Preliminary (HERA-II)



# $F_2^\pi$ from $F_2^{LN}$

- From factorization in intro. write:  $F_2^{LN}(x, Q^2, x_L) = f_{\pi/p}(x_L) F_2^\pi(\beta, Q^2)$

$\beta = x/(1-x_L)$  parton fraction  $\pi$ -momentum

$$F_2^{LN(3)}(x_L = 0.73) / \Gamma_\pi, \Gamma_\pi = 0.131$$

- From  $\pi$ -xch. model for  $f_{\pi/p}(x_L)$ ,

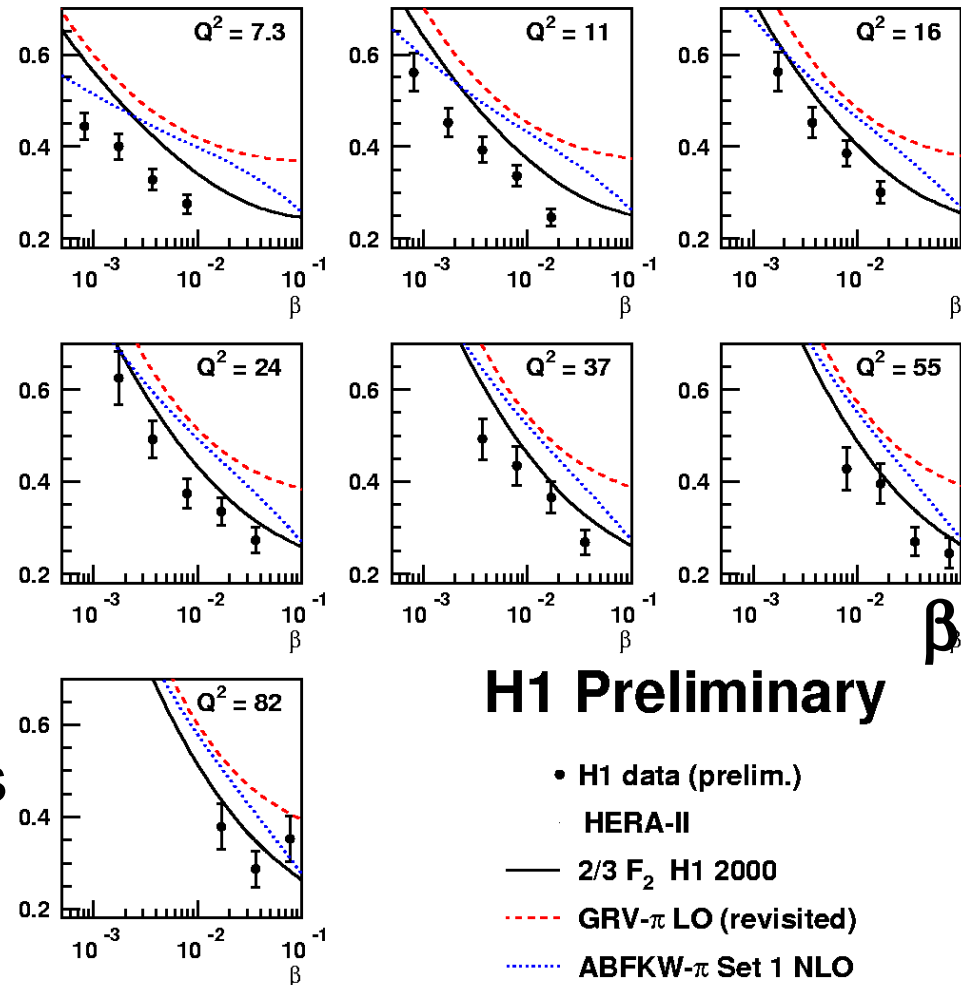
with  $\Gamma_\pi = \int f_{\pi/p}(x_L) dx_L$  can extract

$F_2^\pi$  from measured  $F_2^{LN}$

- $F_2^\pi \approx 2/3 F_2^p \Rightarrow$  additive quark model

- Test, constrain p.d.f. parameterizations

GRV, ABFKW shown here



# Hadronic Total Cross Sections

- Universal behavior (Donnachie & Landshoff):  $\sigma_{\text{tot}}(\text{had.}+\text{had.}) = As^\varepsilon + Bs^{-\eta}$

- $\varepsilon, \eta$  same for all hadronic cross sections (seen in many reactions)

- High energy power  $\varepsilon$  first fixed by Sp $\bar{p}$ S & Tevatron  $p\bar{p}$ :  $\varepsilon=0.08-0.096$

- Photon behaves like hadron:  $\gamma \leftrightarrow q\bar{q}$ ;

Early HERA result  $\sigma_{\text{tot}}(\gamma p)$ :  $\varepsilon=0.100 \pm 0.012$

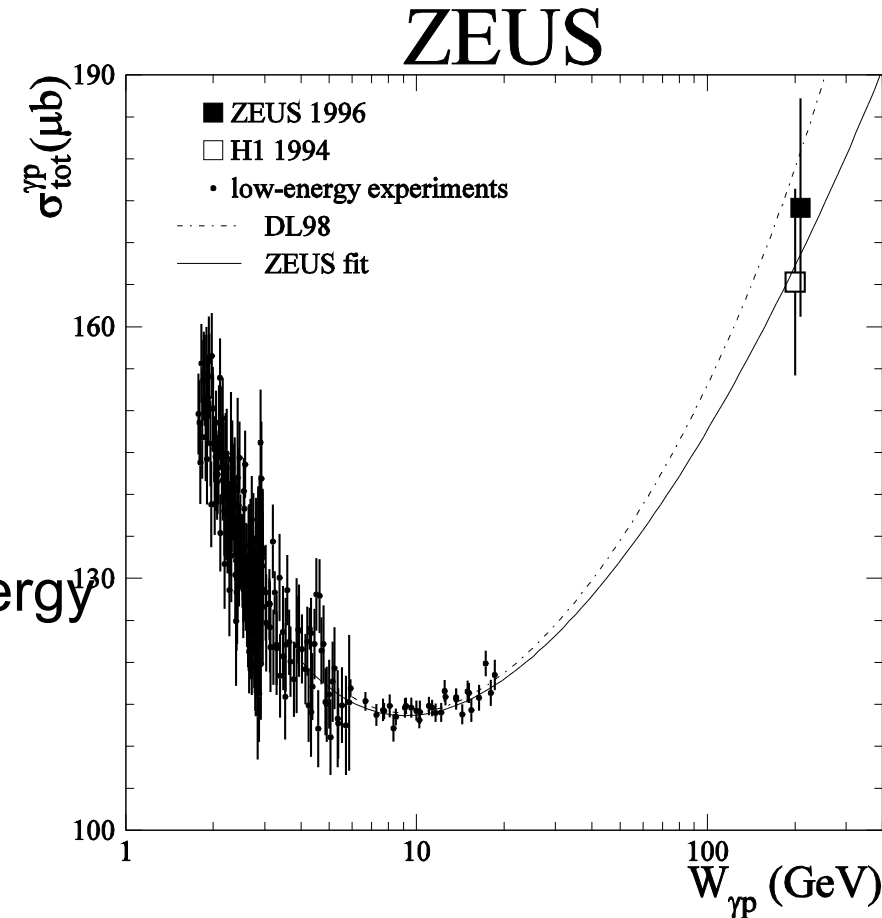
- Results from different low/high energy experiments: large systematic uncertainties

- End of HERA: lowered  $p$ -energy, same  $e$ -energy

Measurement repeated @ two values  $s=W_{\gamma p}^2$

- Measure  $\varepsilon$  by cross section ratio

- Same apparatus: acceptance, many systematics cancel



# $\sigma_{\text{tot}}(\gamma p)$ ratio @ HERA

- $\gamma p$  cross section ratio HER/LER (High-Energy-Run/Low-Energy-Run)

$$R = \frac{\sigma_{\text{HER}}^{\gamma p}}{\sigma_{\text{LER}}^{\gamma p}} = \frac{N_{\text{evt}}^{\text{HER}}}{N_{\text{evt}}^{\text{LER}}} \cdot \frac{\mathcal{L}_{\text{LER}}}{\mathcal{L}_{\text{HER}}} \cdot \frac{f_{\text{LER}}}{f_{\text{HER}}} \quad \begin{array}{l} f=e \rightarrow e\gamma \\ \text{photon flux} \end{array}$$

Uncertainties:

$$\pm 0.52\% \text{ (stat.)} \quad \pm 1.05\% \text{ (sys.)} \quad \pm 1\% \quad \pm 3.5\%$$

from:            signal measurement            LUMI             $\gamma$ -tag (much room to improve!)

- Final result:  $R = 1.050 \pm 0.005 \text{ (stat.)} \pm 0.040 \text{ (sys.)}$
- In D&L model  $\sigma \propto W^{2\varepsilon}$ :  $\varepsilon = 0.070 + 0.054 / -0.056 \text{ (sys.)}$   
consistent w/ previous:  $\varepsilon = 0.08-0.10$
- Improvements coming in signal measurement &  $\gamma$ -tag understanding

# Summary

## Important non-pQCD experimental results from HERA:

### ★ Leading particles $\Rightarrow$ leading baryons (LB) @ HERA:

- Standard fragmentation models do not describe LB production
- Exchange (meson...) models describe LB kinematics,  $Q^2$  dependence
- For LN production,  $\pi$ -xch.  $\Rightarrow$  extract pion structure  $F_2^\pi(x, Q^2)$

### ★ Hadronic total cross sections:

- Independent (one experiment) measure of high-energy

dependence of  $\sigma_{\text{tot}}(\gamma p) \Leftrightarrow$  consistent w/ previous measurements

- Improved measurement coming:

$\Rightarrow$  Universal high-energy dependence hadronic total cross sections