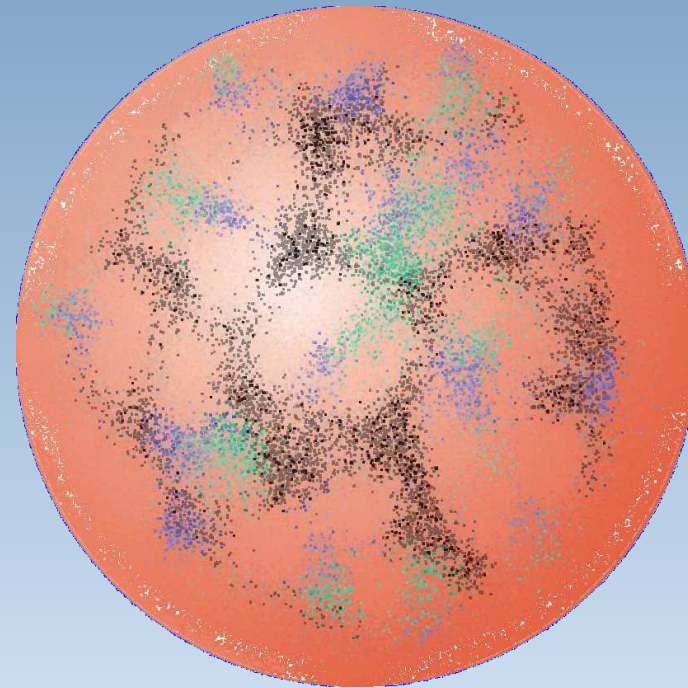
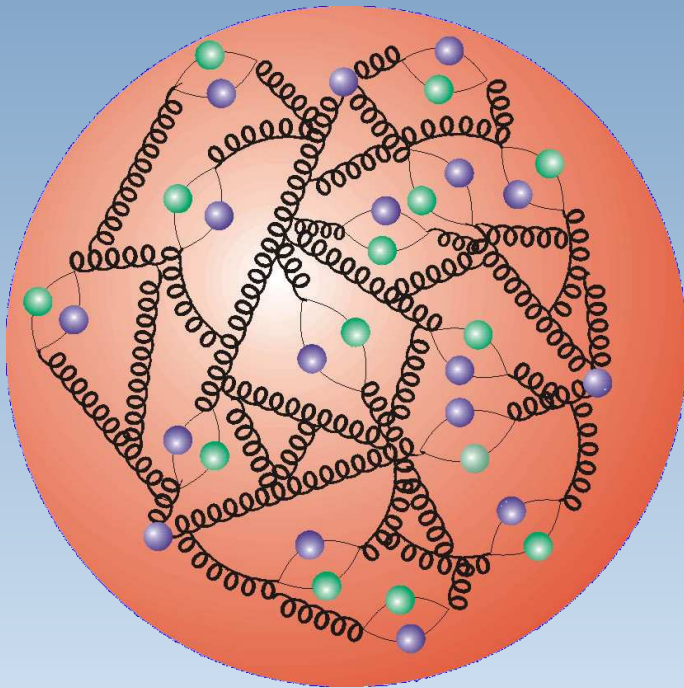


Measurements of Proton Structure at low Q^2 at HERA



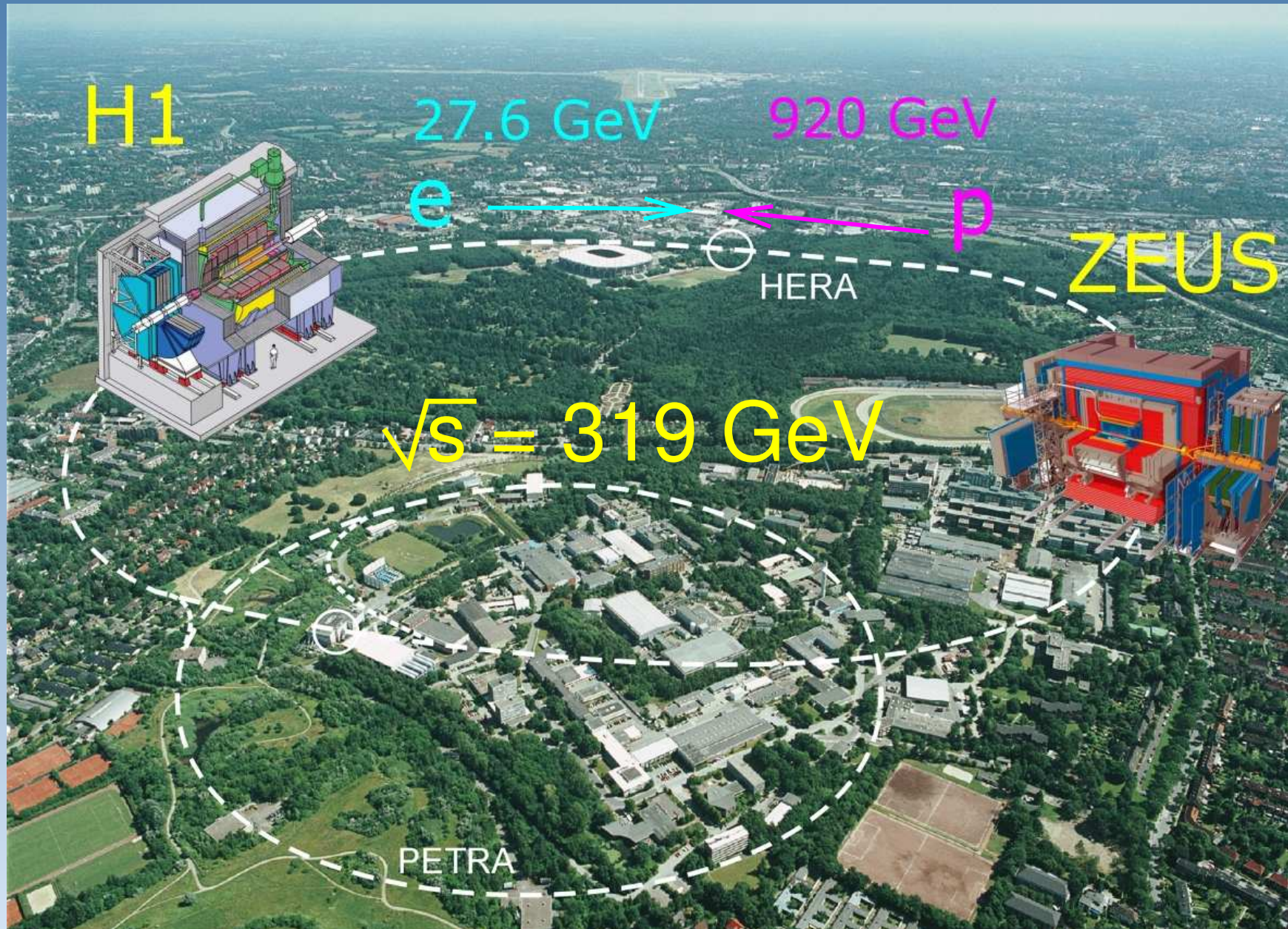
- Deep Inelastic Scattering
- Experimental techniques
- F_2 measurements
- F_L determination
- Summary



Victor Lendermann
University of Heidelberg

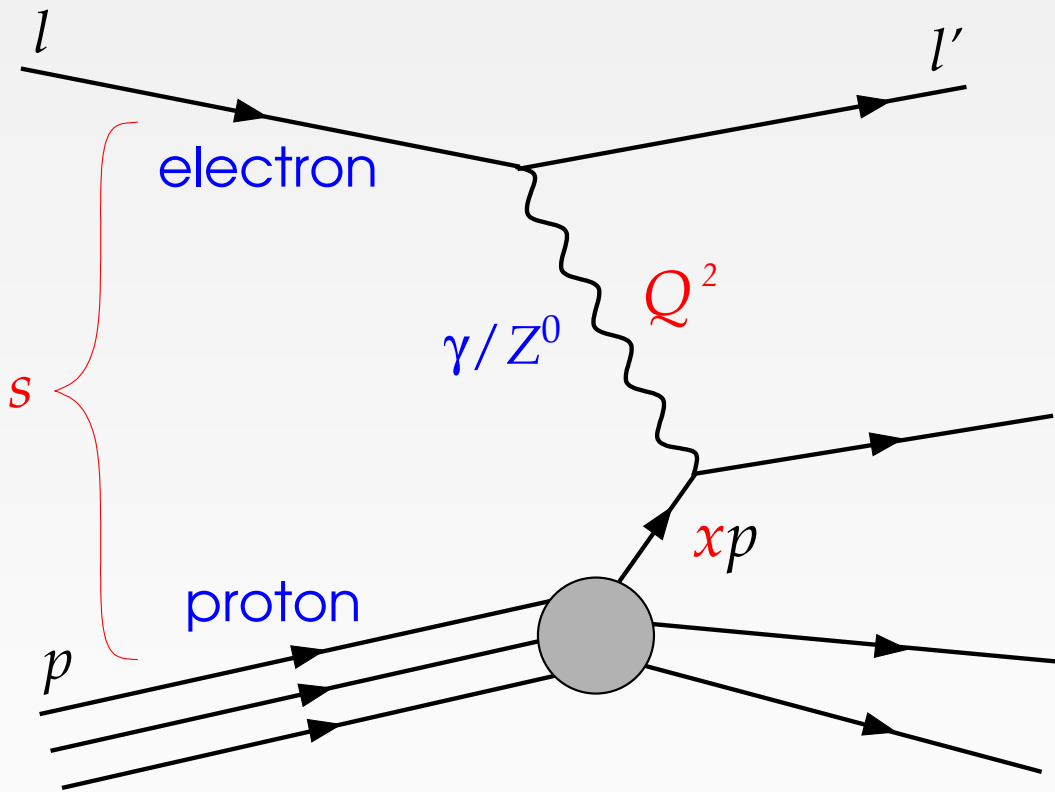
CIPANP 2006
Puerto Rico, 29.05 – 03.06.2006

HERA ep Collider at DESY, Hamburg



Inclusive DIS Kinematics

Neutral Current



2 d.o.f. at fixed $s = (l + p)^2$

boson virtuality
= resolution scale

$$Q^2 = -(l - l')^2$$

fractional momentum
of struck quark

$$x = \frac{Q^2}{2p \cdot (l - l')}$$

inelasticity

$$y = \frac{p \cdot (l - l')}{p \cdot l}$$

$$Q^2 = x y s$$

low $x \iff$ high y

Inclusive DIS at Low Q^2

- Measure NC cross section

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} Y_+ \left\{ F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2) \right\} \quad Y_{\pm} = 1 \pm (1-y)^2$$

Inclusive DIS at Low Q^2

- Measure NC cross section

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} Y_+ \left\{ F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2) \right\} \quad Y_{\pm} = 1 \pm (1-y)^2$$

Reduced cross section $\sigma_r = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$

Inclusive DIS at Low Q^2

- Measure NC cross section

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} Y_+ \left\{ F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2) \right\} \quad Y_{\pm} = 1 \pm (1-y)^2$$

Reduced cross section $\sigma_r = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$

- Parton distribution functions (PDF) in pQCD

$$F_2^{\text{em}}(x, Q^2) = x \sum_i e_i^2 [q_i(x, Q^2) + \bar{q}_i(x, Q^2)]$$

q_i – probability to find quark with flavour i in proton

Inclusive DIS at Low Q^2

- Measure NC cross section

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} Y_{\pm} \left\{ F_2(x, Q^2) - \frac{y^2}{Y_{\pm}} F_L(x, Q^2) \right\} \quad Y_{\pm} = 1 \pm (1-y)^2$$

Reduced cross section $\sigma_r = F_2(x, Q^2) - \frac{y^2}{Y_{\pm}} F_L(x, Q^2)$

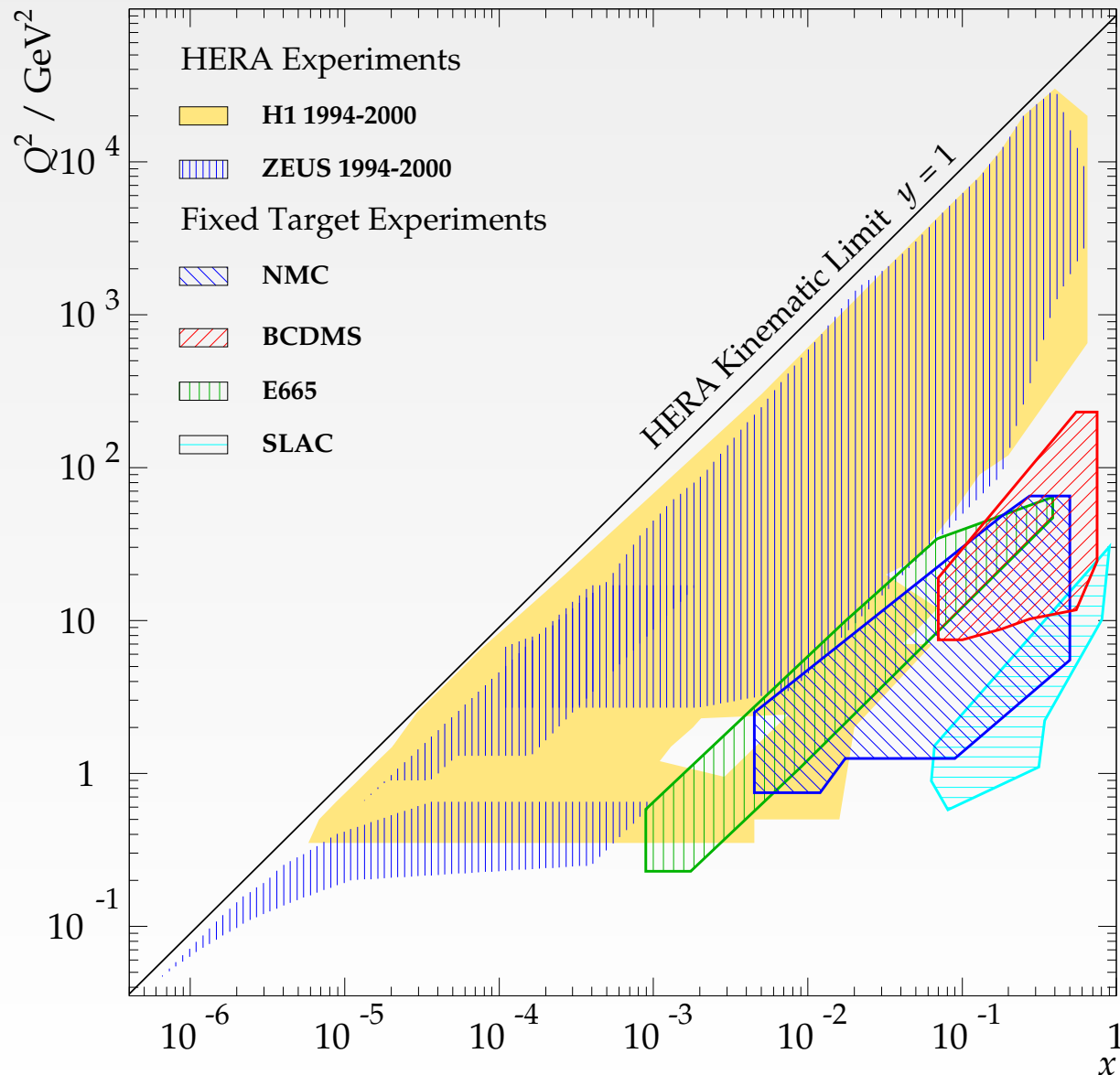
- Parton distribution functions (PDF) in pQCD

$$F_2^{\text{em}}(x, Q^2) = x \sum_i e_i^2 [q_i(x, Q^2) + \bar{q}_i(x, Q^2)]$$

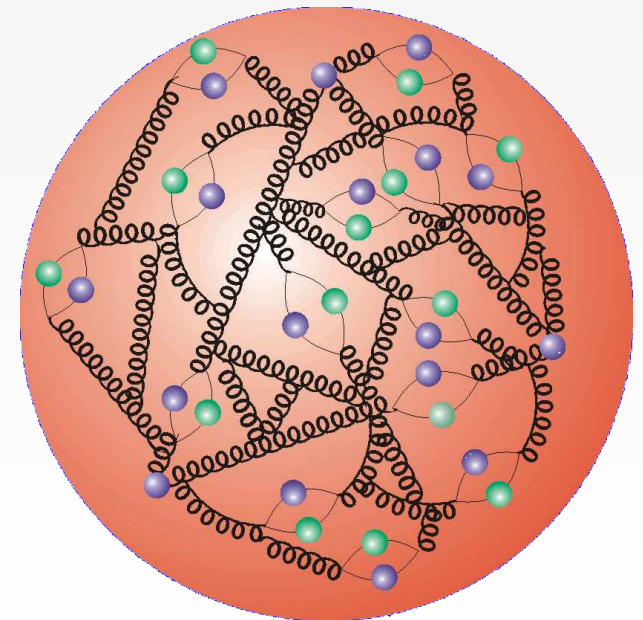
q_i – probability to find quark with flavour i in proton

- $F_L(x, Q^2)$ – longitudinally polarised photons
 - Contribution only at high y
 - Sensitive to QCD higher orders (gluon emission)
 $F_L \sim \alpha_s g$ — constrains gluon density

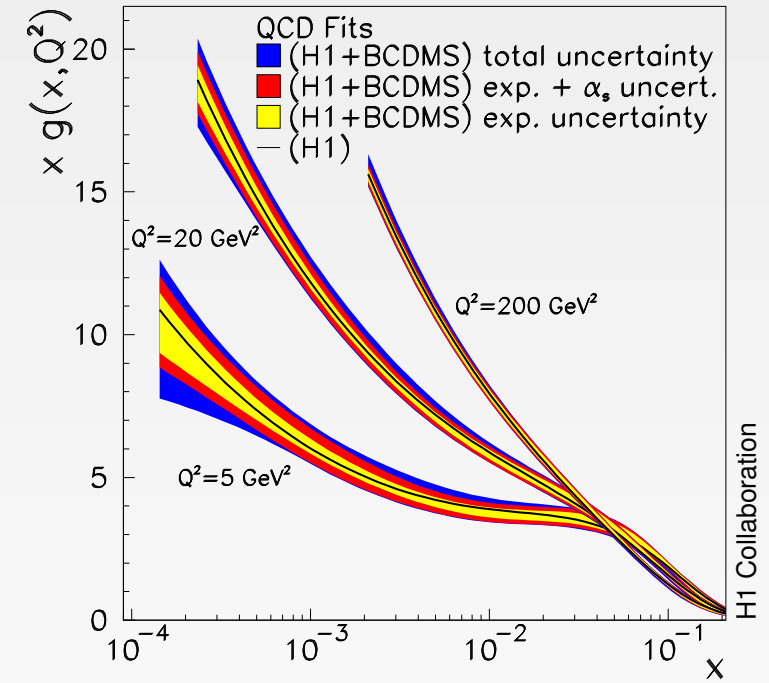
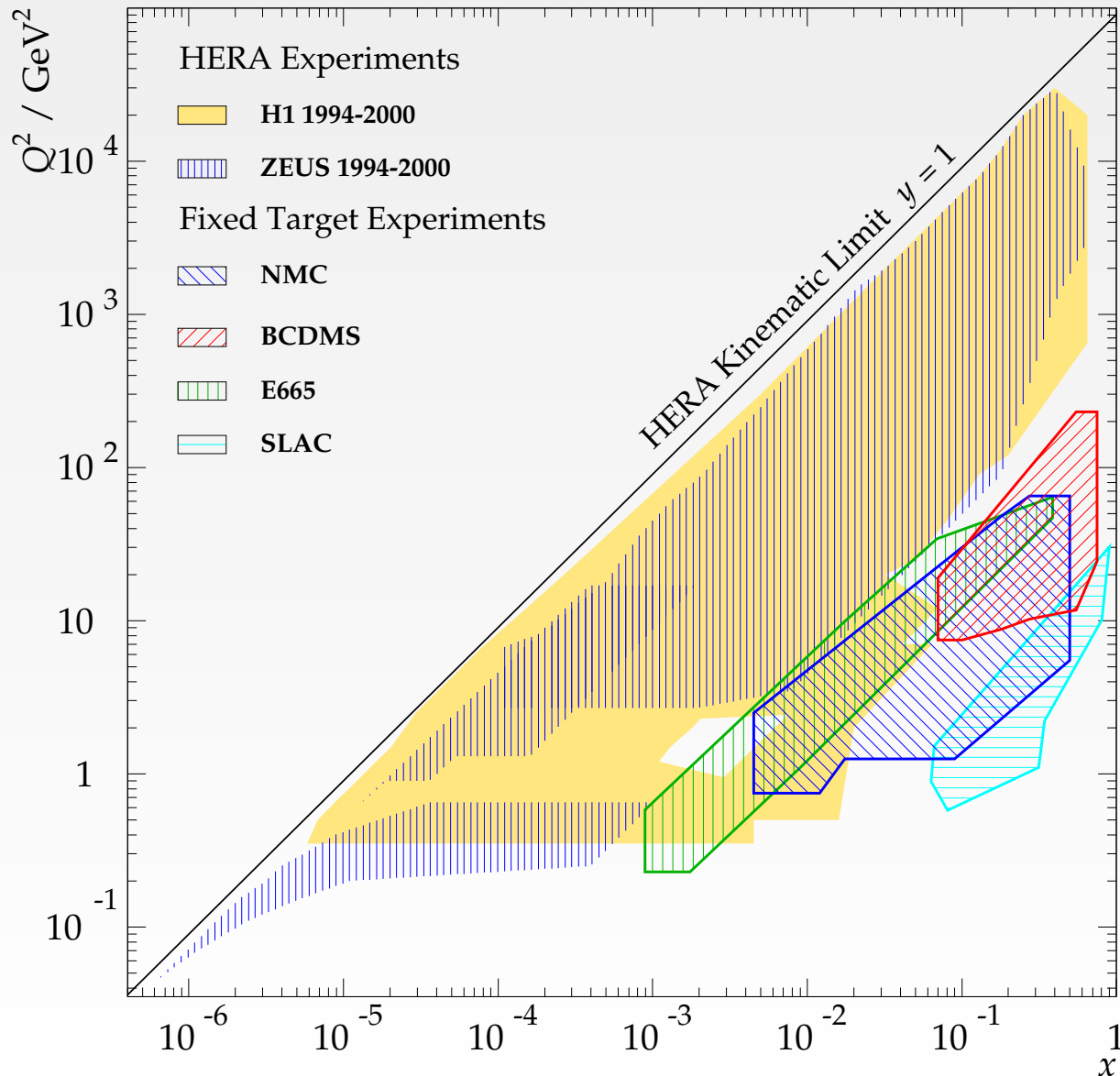
Q^2 Determines QCD Regime



- *High Q^2*
- asymptotic freedom
 - perturbative QCD (DGLAP)
 - *next talk by Y. Ning*
 - el.-weak effects
 - *talk by J. Bracinik yesterday*

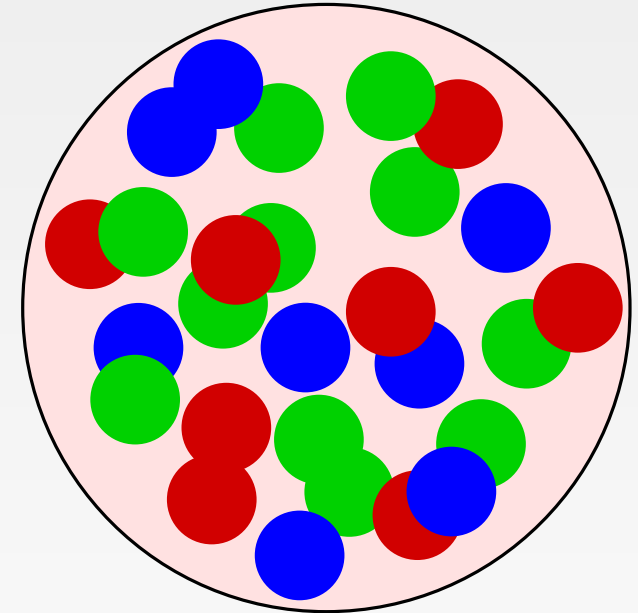
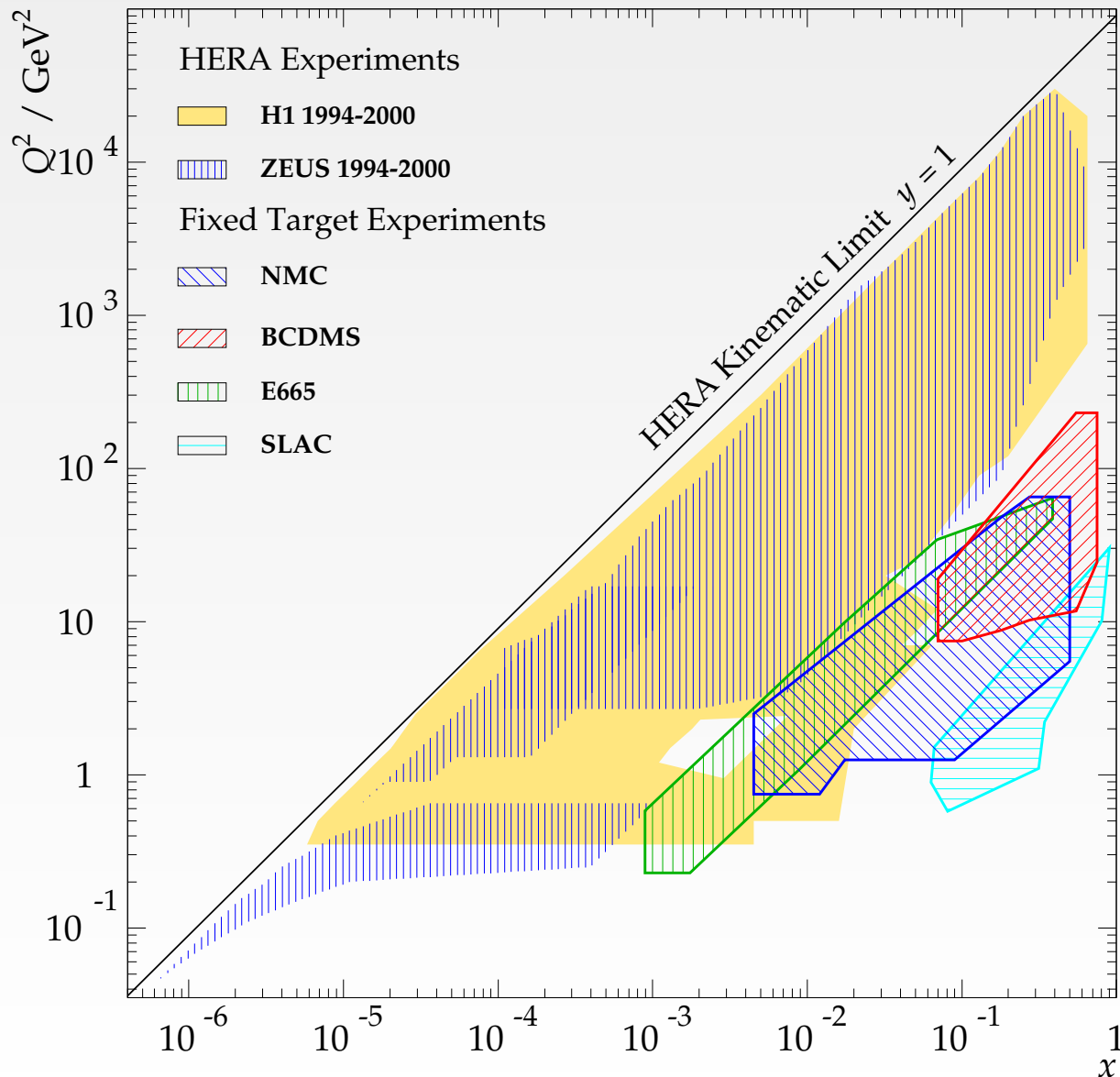


Q^2 Determines QCD Regime



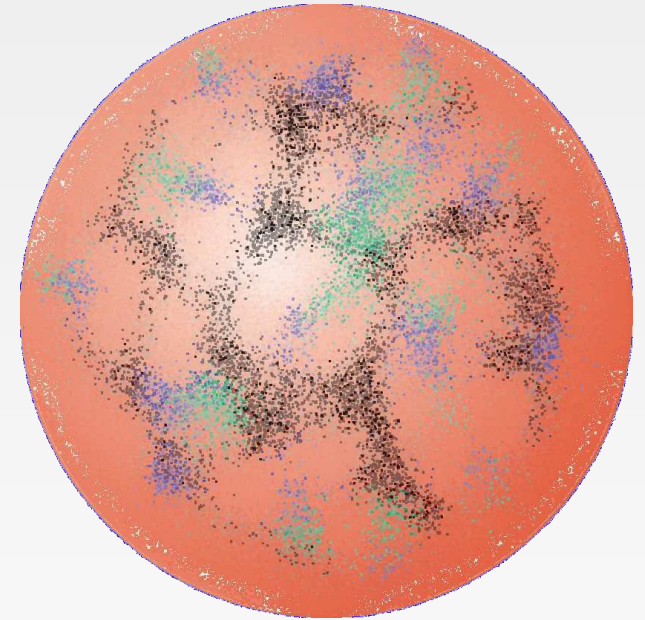
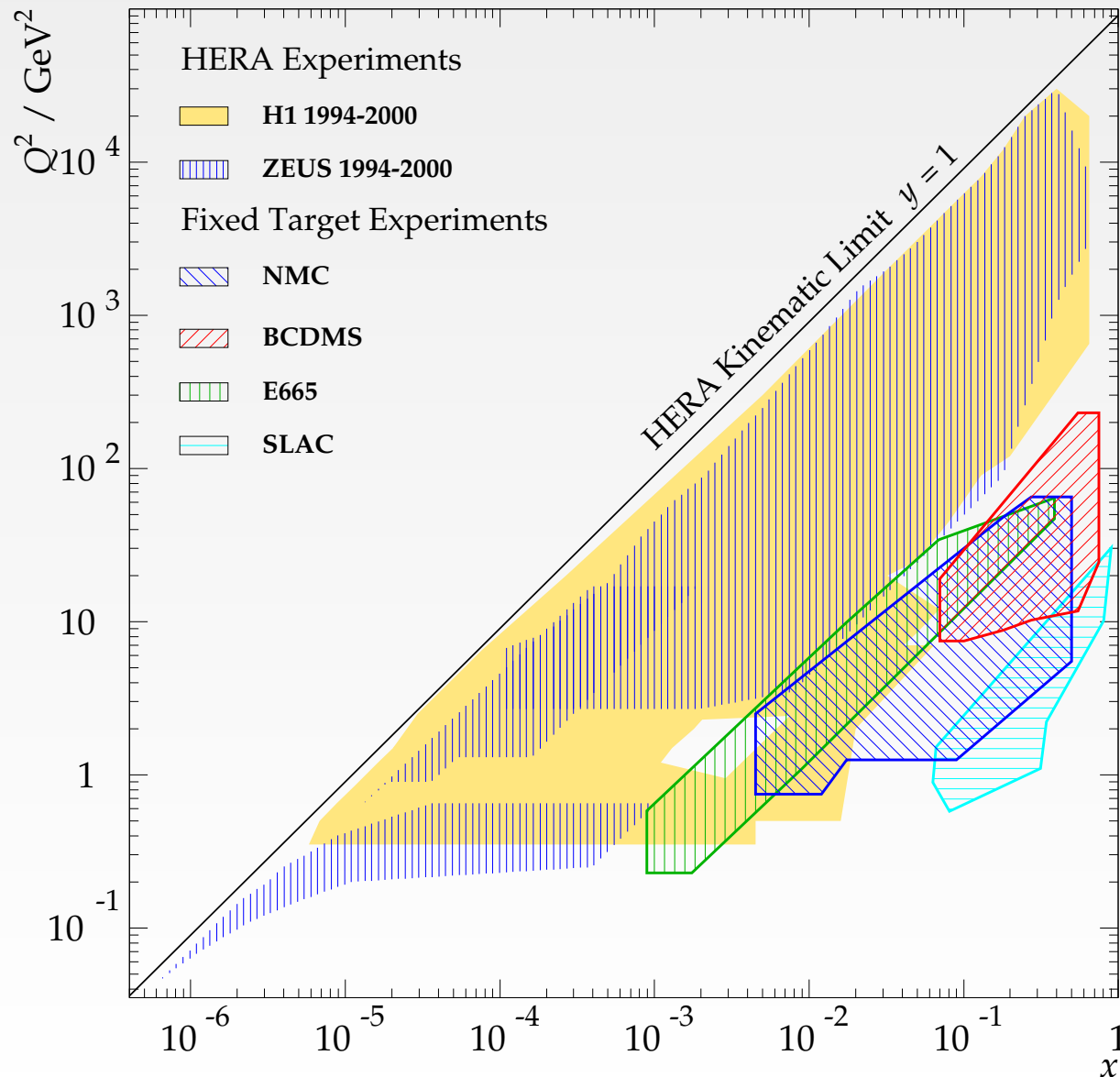
→ *Low $Q^2 \implies \text{Low } x$*
 strongly rising gluon
 testing validity of DGLAP

Q^2 Determines QCD Regime



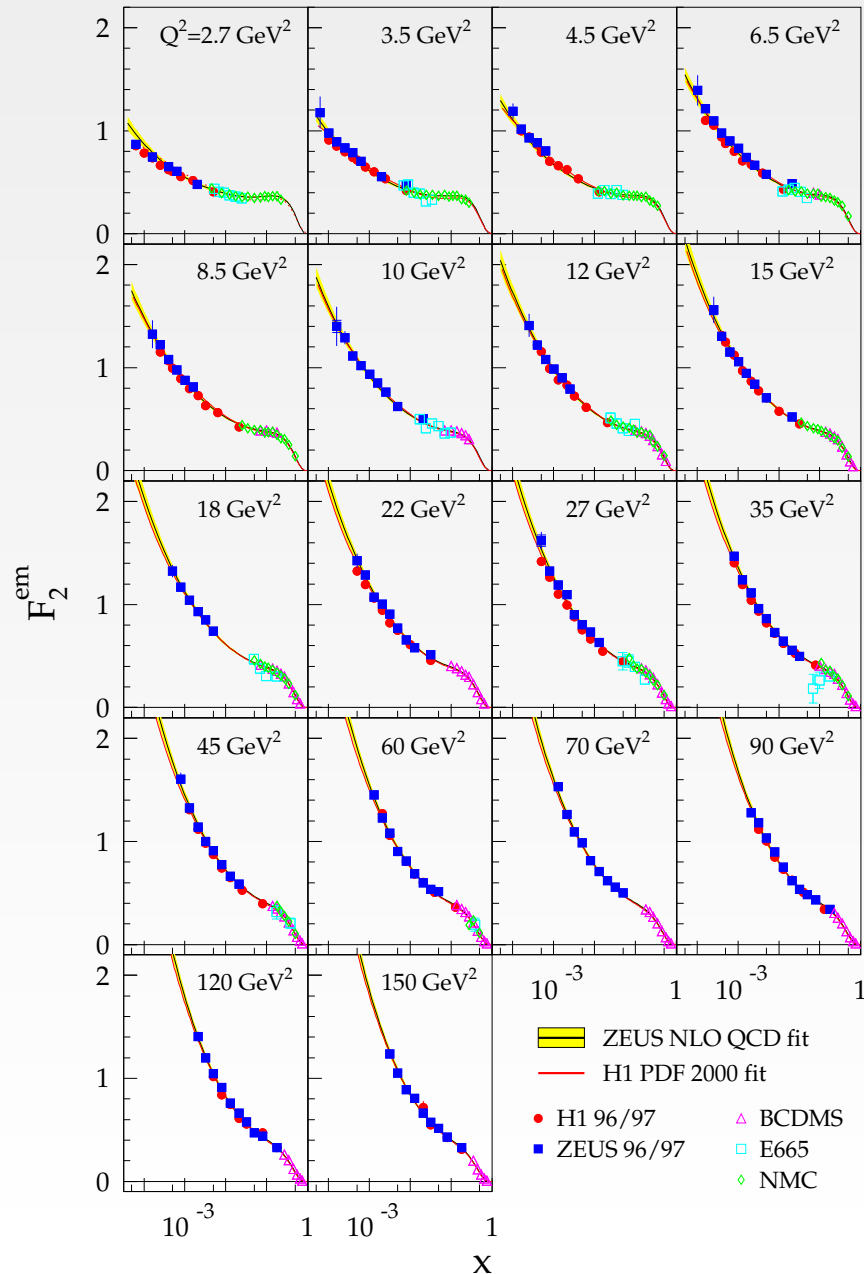
→ $Low Q^2 \implies Low x$
 dense gluon states
 search for saturation

Q^2 Determines QCD Regime



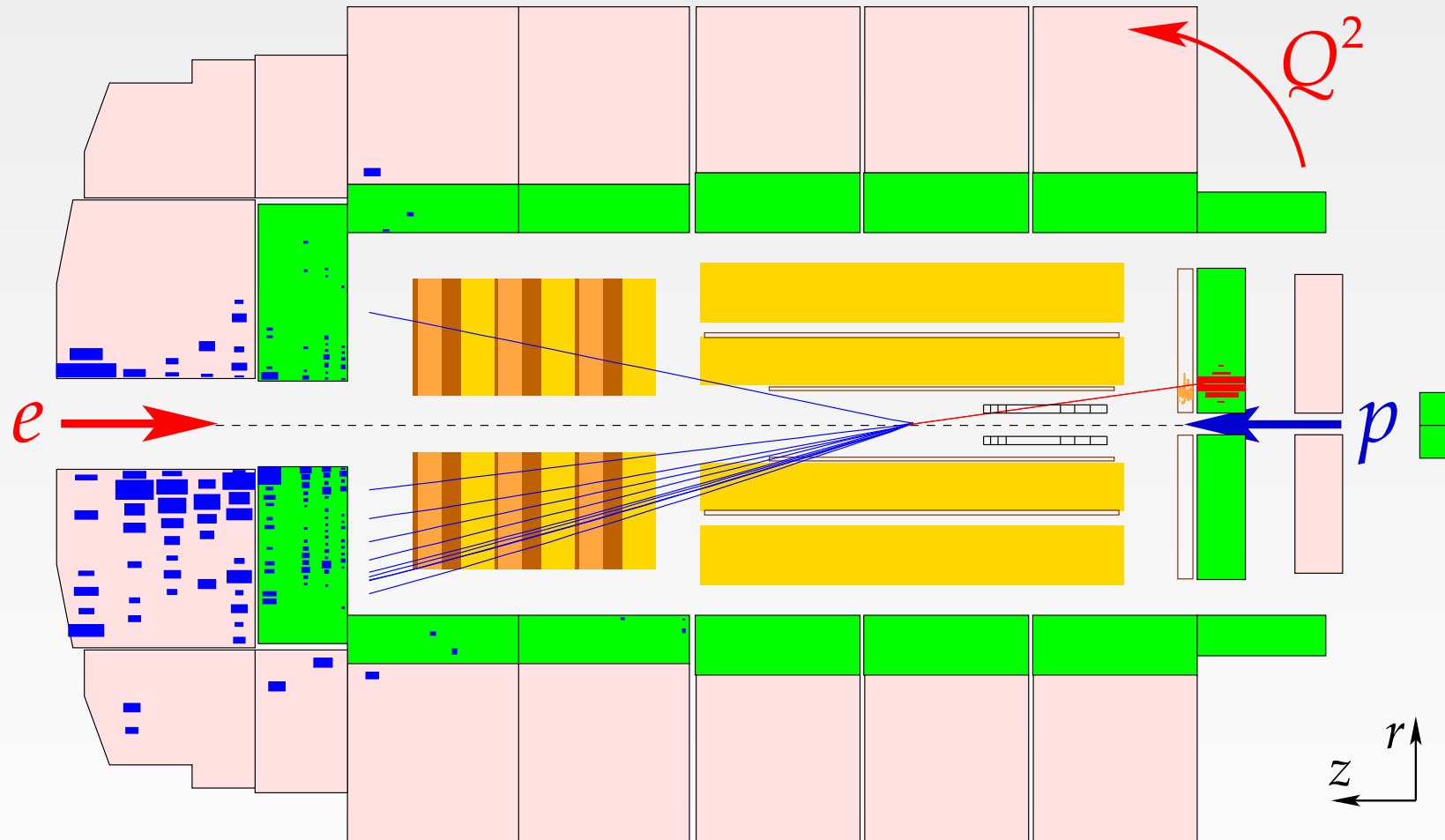
\longrightarrow *Very low Q^2*
 $\alpha_s(Q^2)$ becomes large \implies
 quark confinement
 transition from quarks to hadrons
 \blackrightarrow phenomenological models

F_2 in $pQCD$ Region



- ▶ Scaling violations are well described by NLO QCD DGLAP fits
- ▶ Strong rise of F_2 towards low x
- ▶ No evidence for new dynamics at low x in inclusive data
- ▶ Precision: 2 – 3% in bulk region
- ▶ Also very important for LHC

Low Q^2 DIS Event

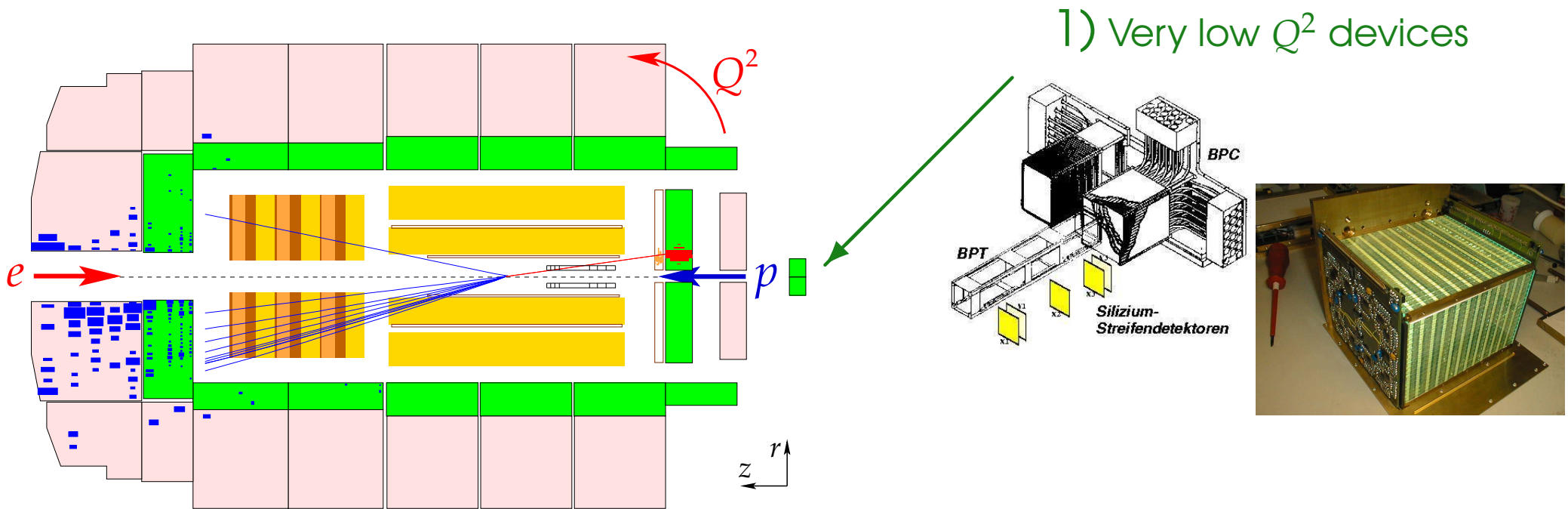


$$Q^2 \sim p_{t,e}^2$$

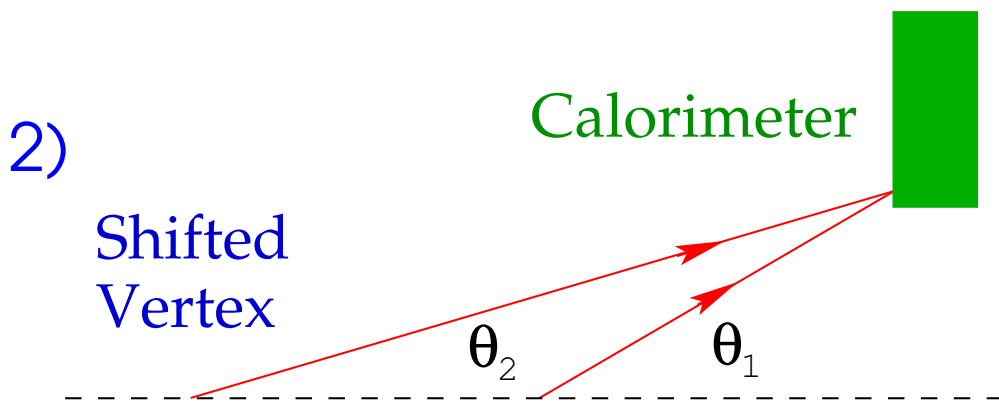
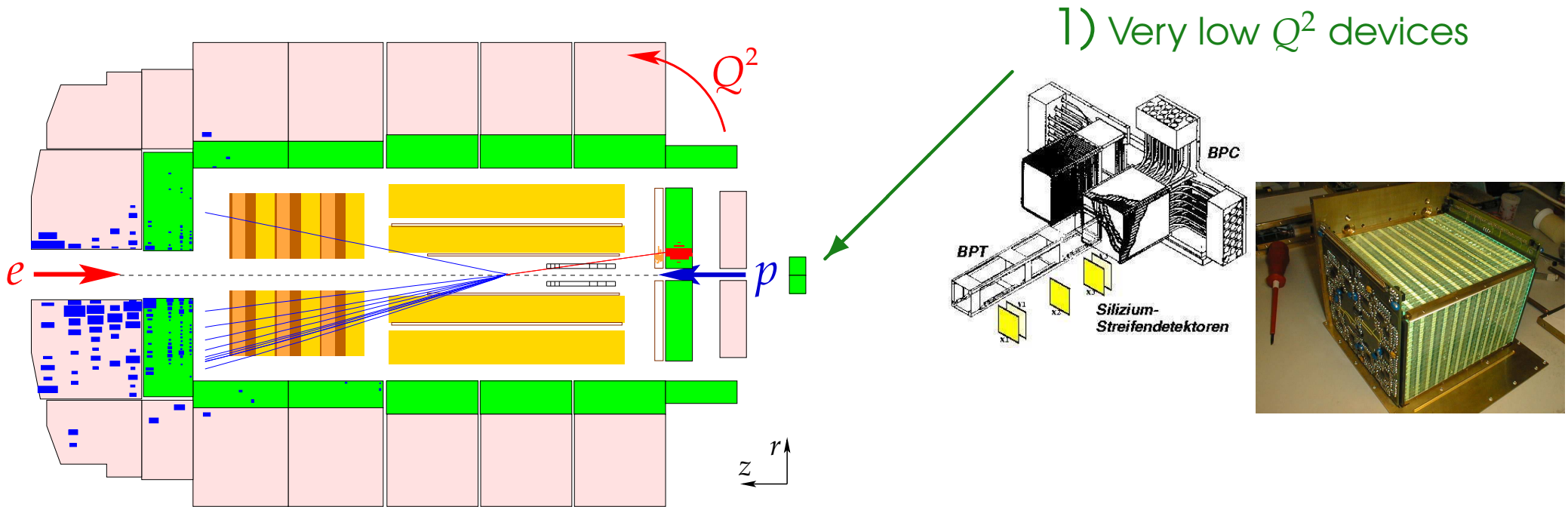
\Rightarrow *experimental challenge*

For main detector: $Q^2 \gtrsim 2 \text{ GeV}^2$

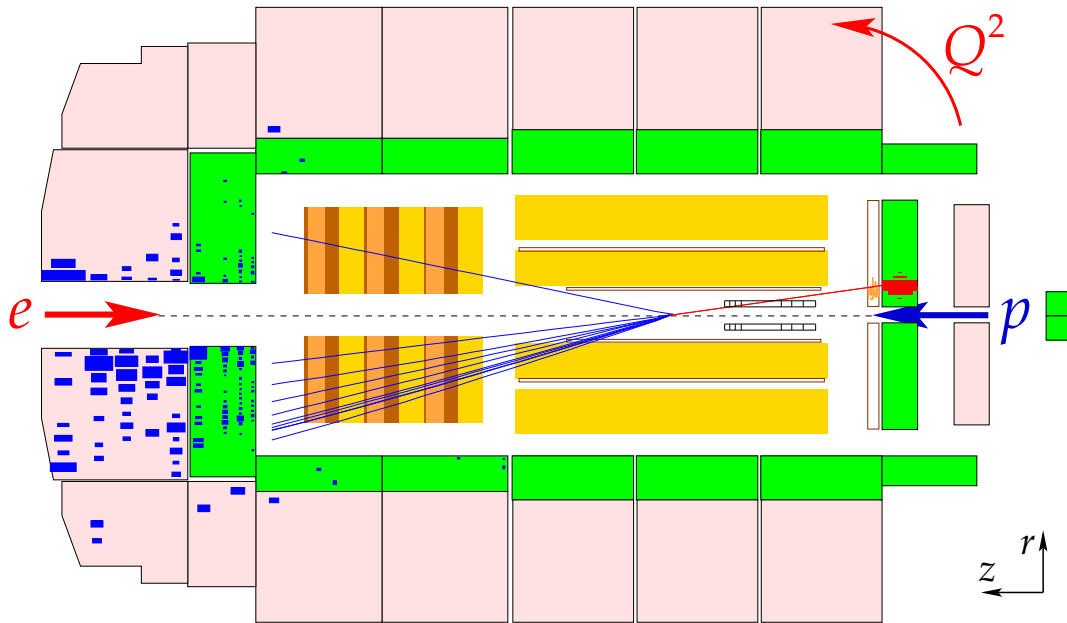
Experimental Techniques at Low Q^2



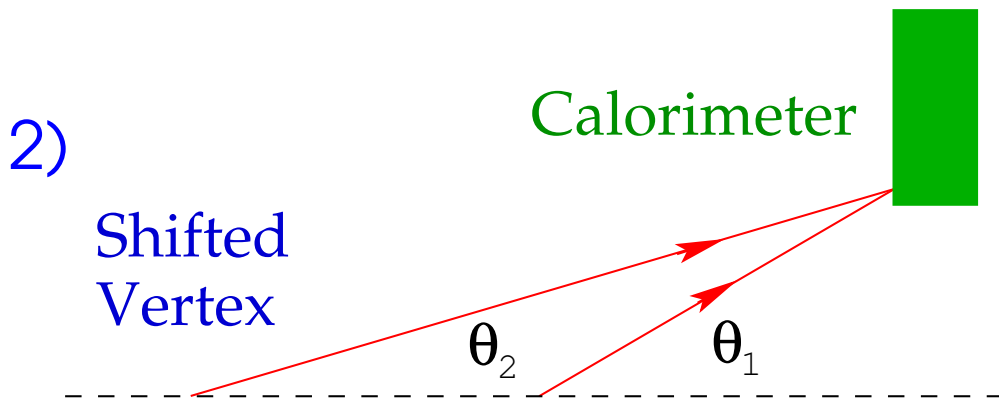
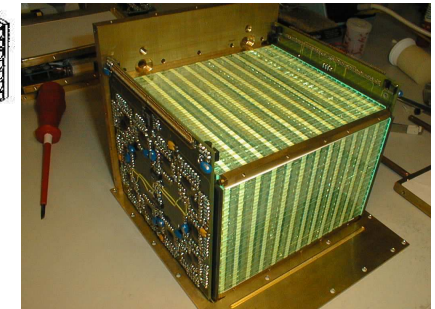
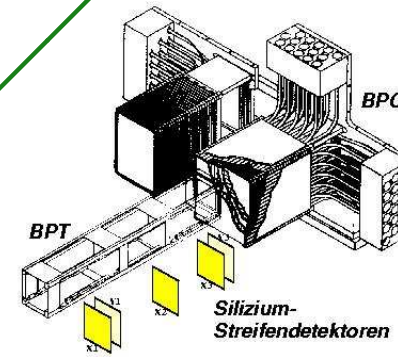
Experimental Techniques at Low Q^2



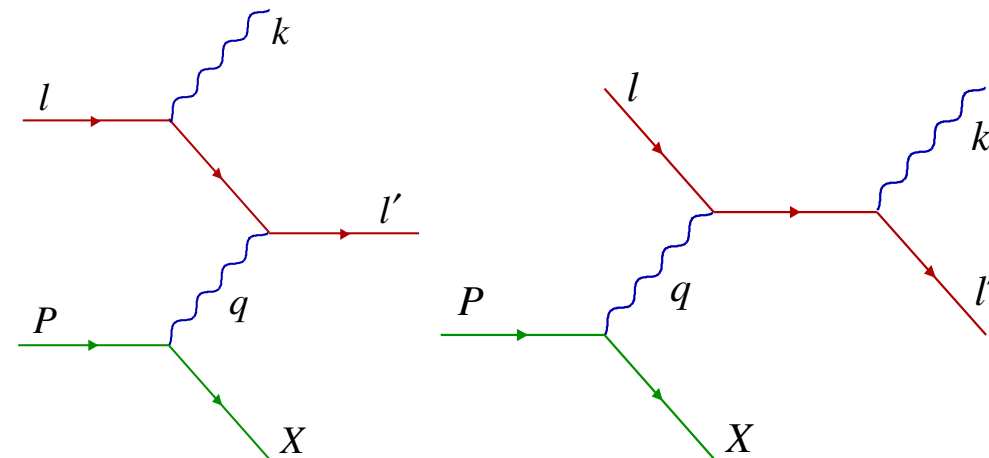
Experimental Techniques at Low Q^2



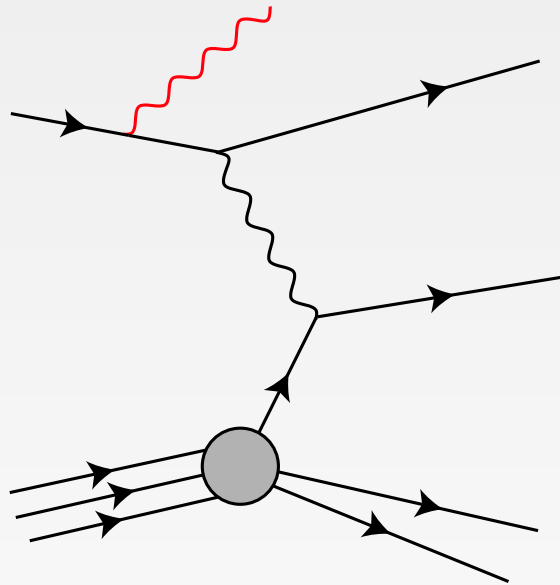
1) Very low Q^2 devices



3) Radiative events



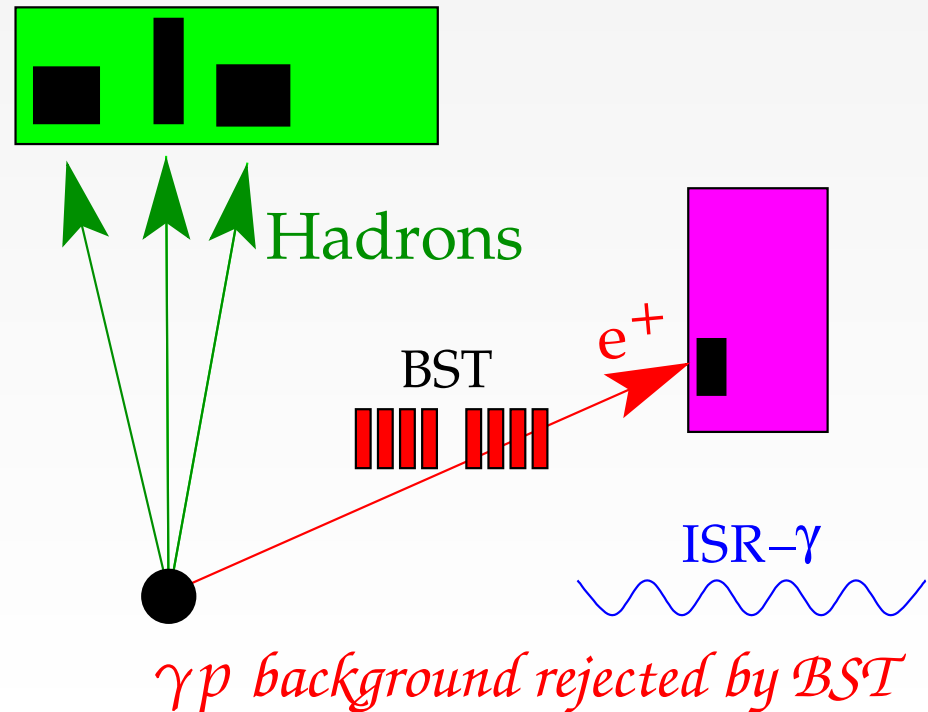
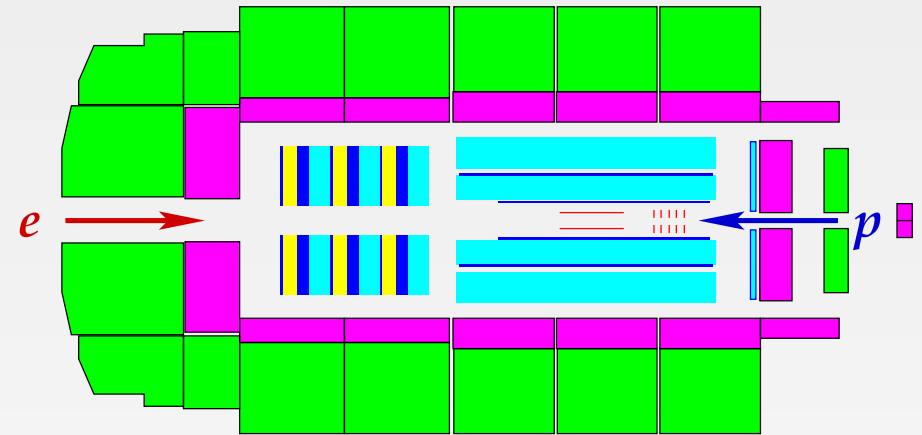
Initial State Radiation – Untagged



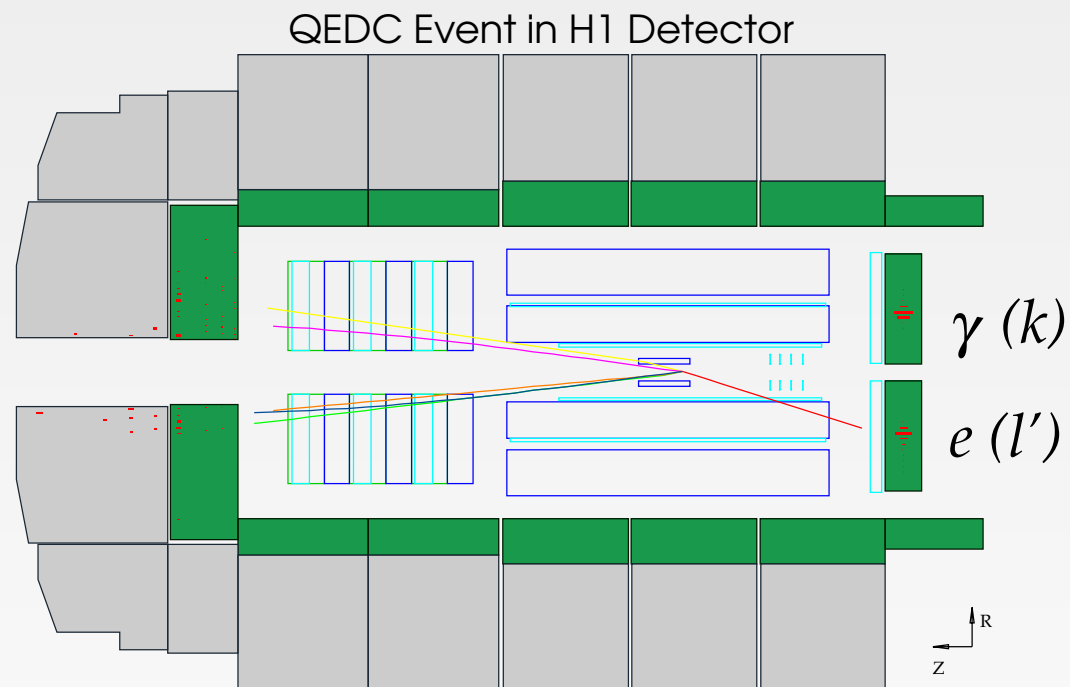
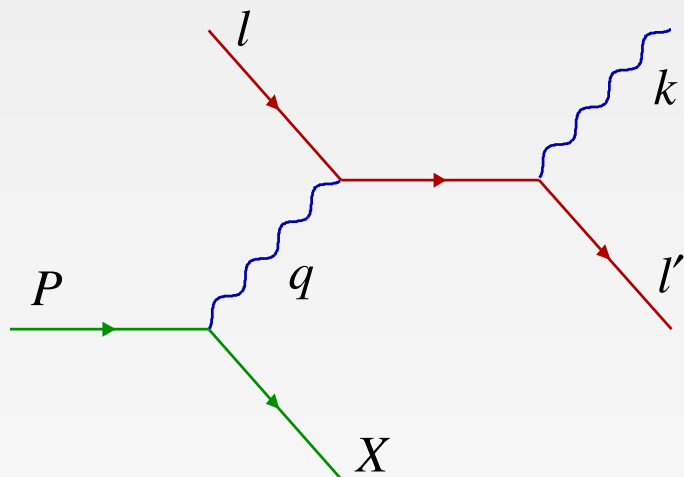
Equivalent to inclusive ep scattering at reduced s

$$Q^2 = xys$$

\Rightarrow Access higher x

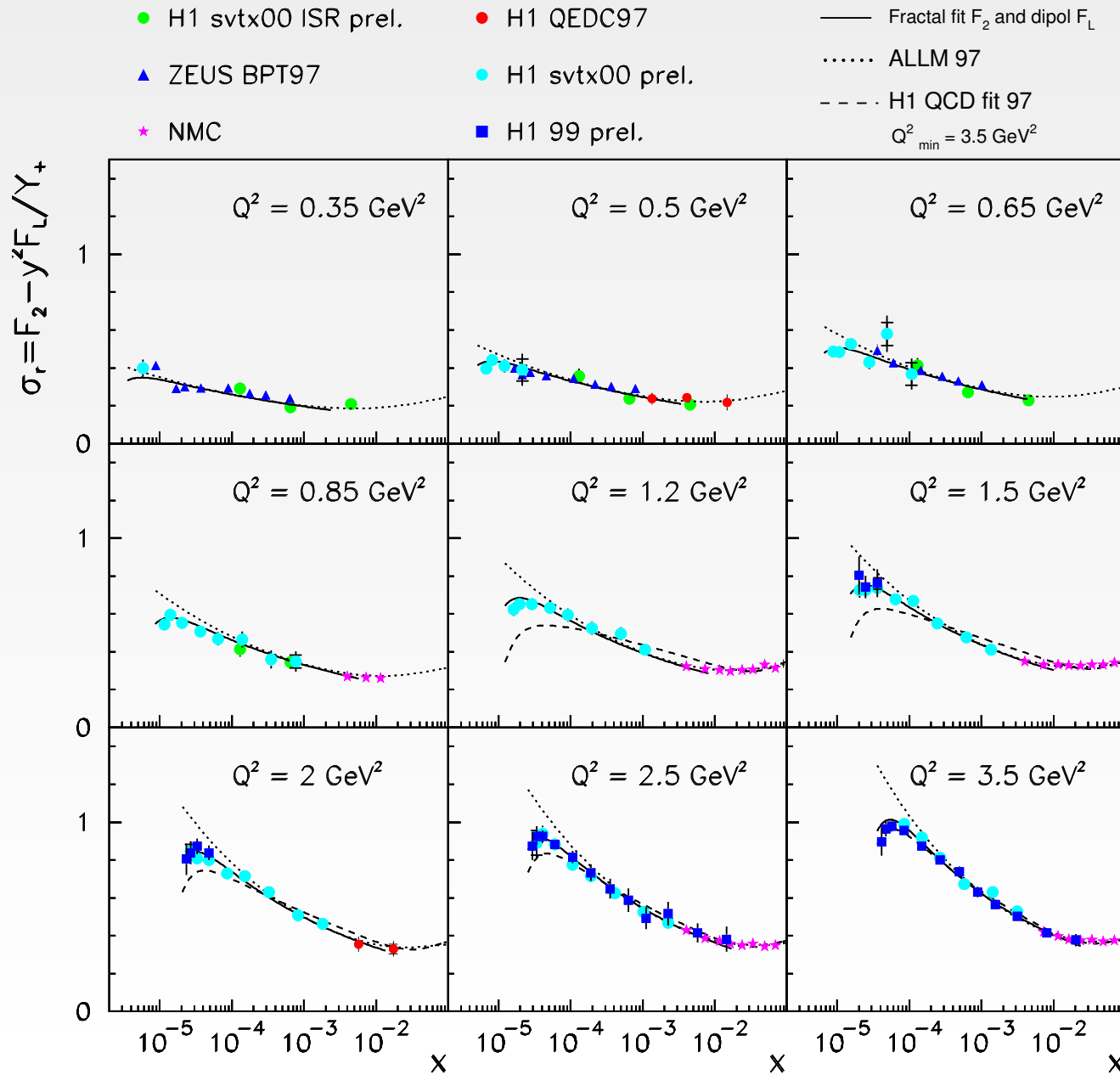


Inelastic QED Compton Scattering



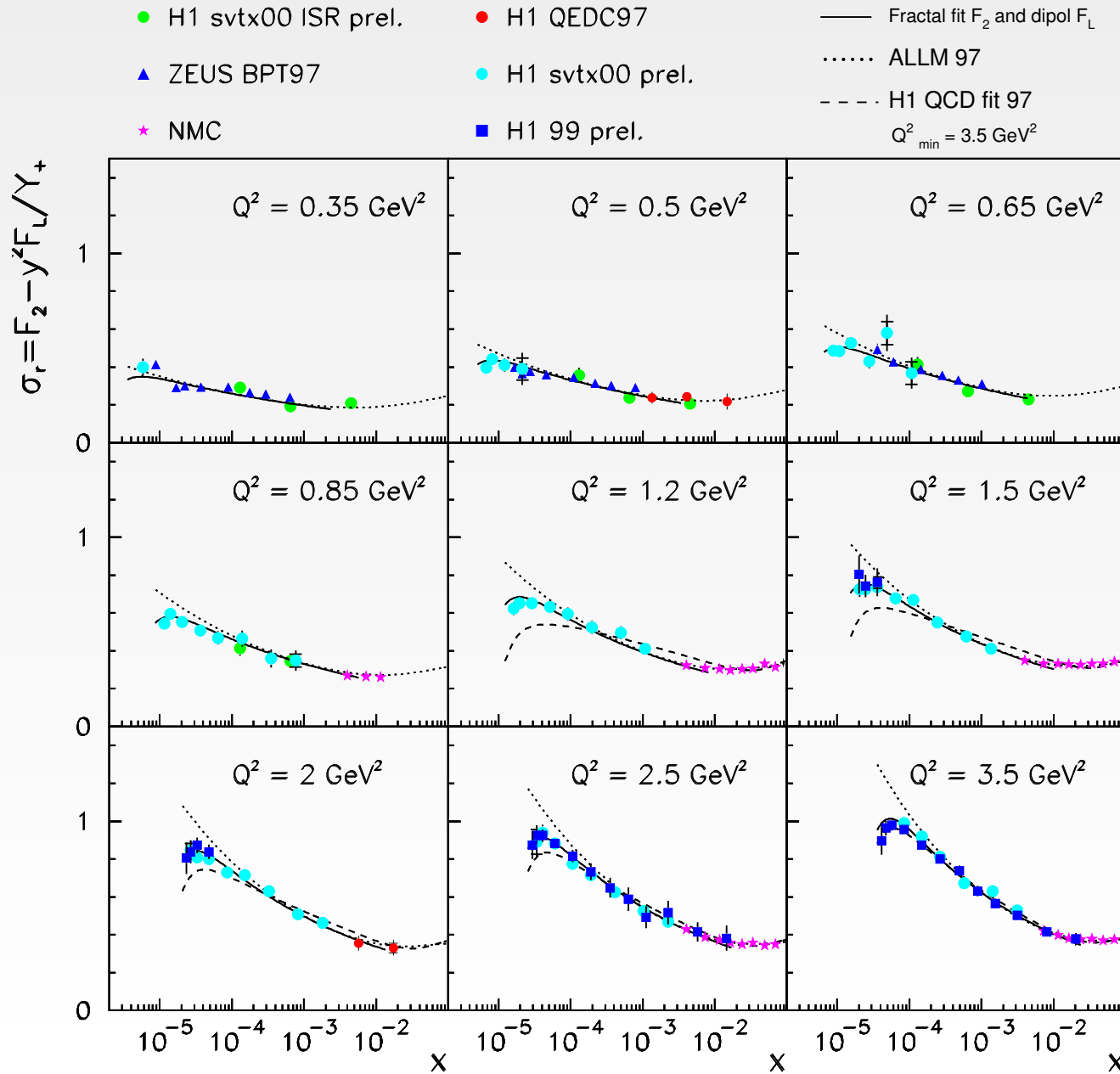
- Equivalent to inclusive ep scattering at low $\theta \implies$ low Q^2
- DIS background at low x : π^0 fakes γ
- *Medium – high x are measured*
- Understanding of HFS at low masses = at low y

Current Results for Transition Region

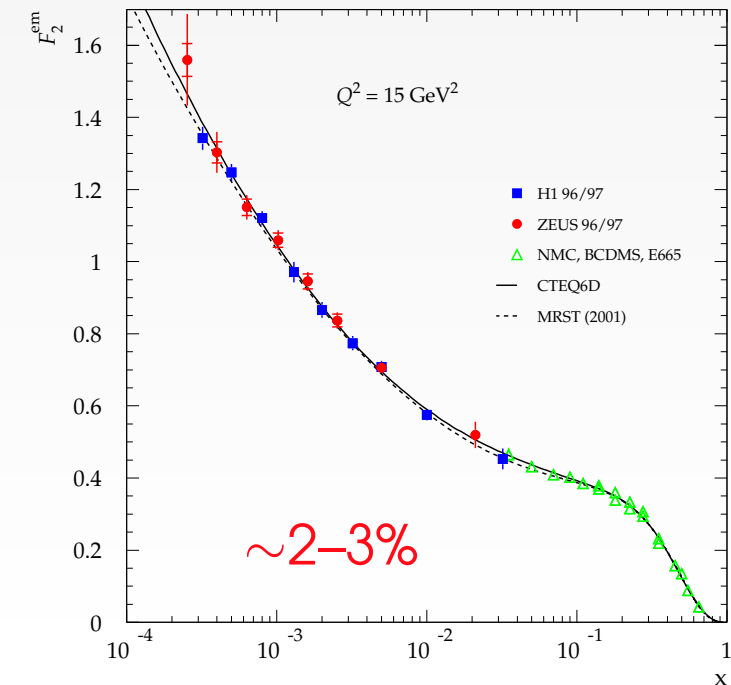


Precision $\sim 2-4\%$
reached for inclusive data

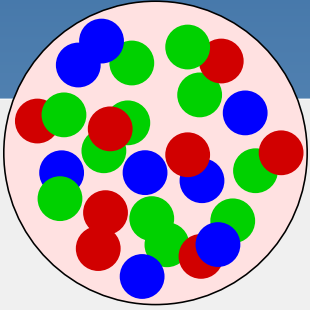
Current Results for Transition Region



Precision $\sim 2-4\%$
reached for inclusive data



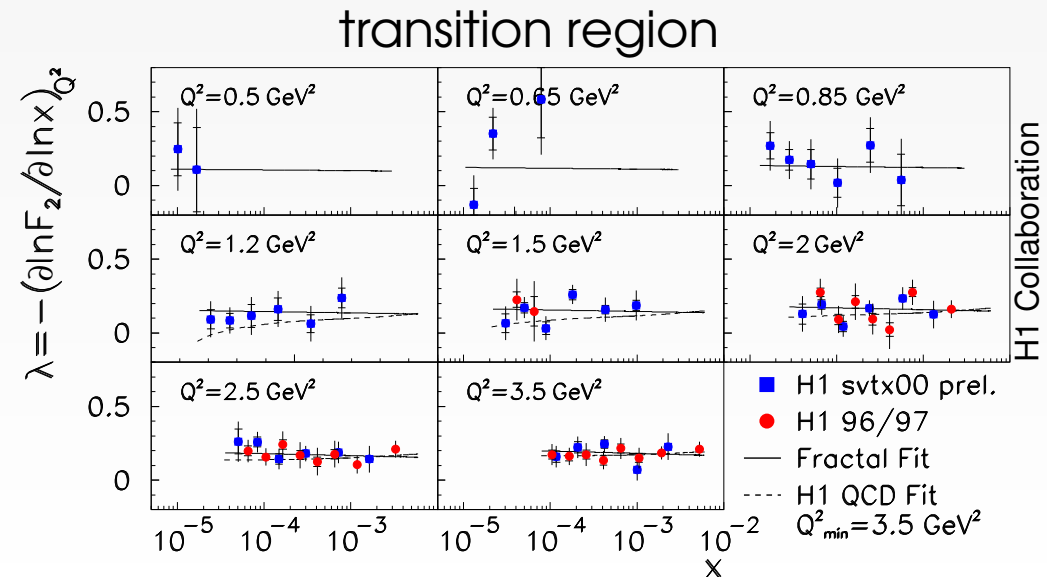
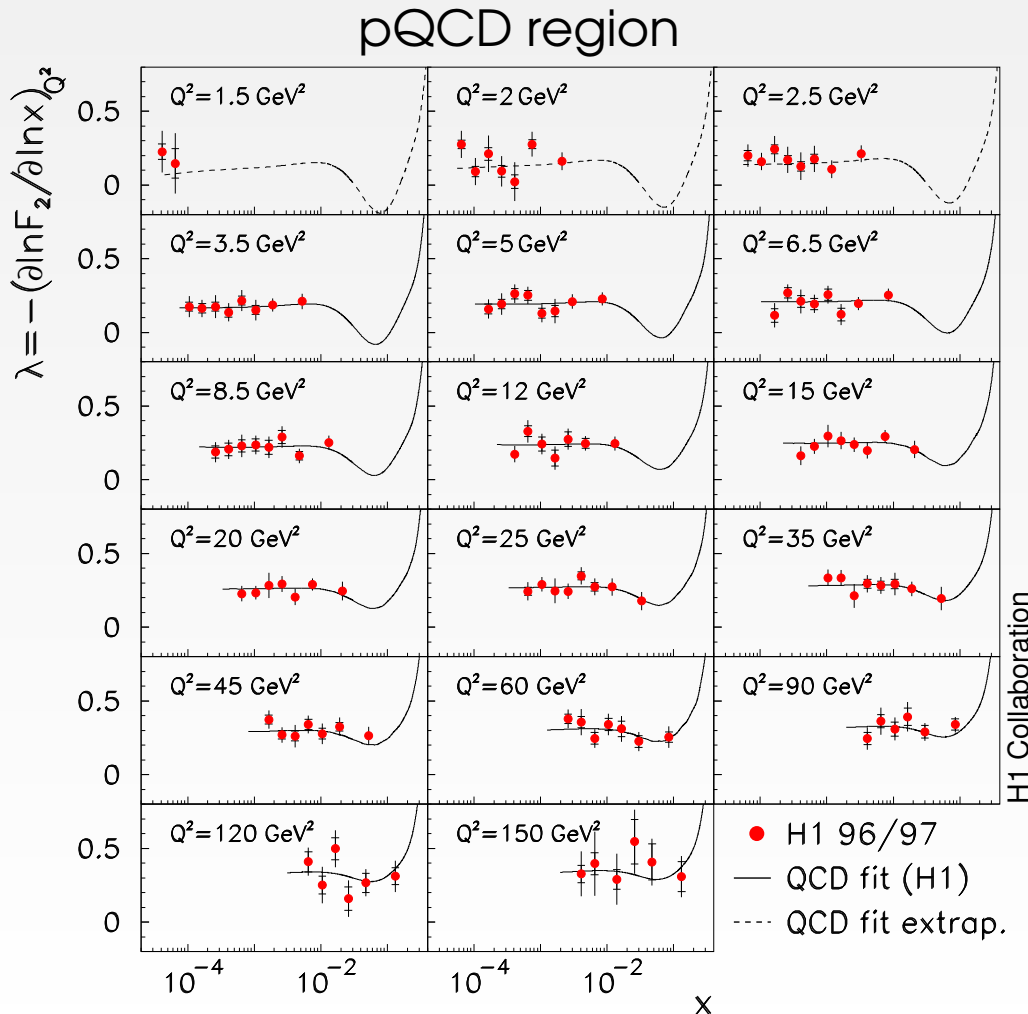
x Dependence of F_2 at Low Q^2



- ▶ If saturation effects present, expect taming of rise of F_2 at low x

- ▶ Extract $\lambda = \frac{\partial \ln F_2}{\partial \ln x}$ at fixed Q^2

- ▶ Derivative independent of x for $x < 10^{-2}$
no evidence for saturation



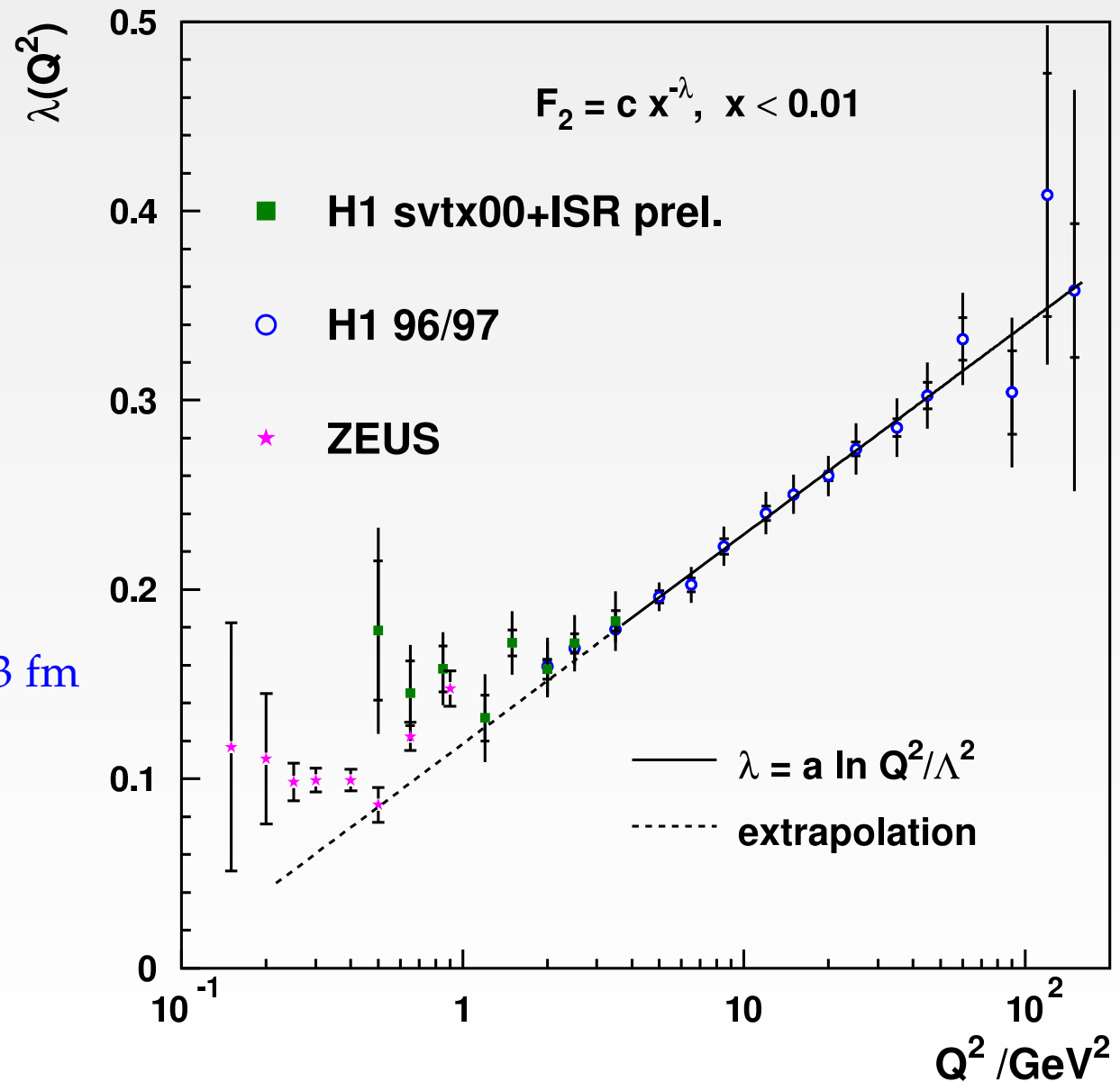
Extraction of $\lambda(Q^2)$

- Rise of F_2 at $x < 10^{-2}$ is well parameterised by

$$F_2 = c(Q^2) \cdot x^{-\lambda(Q^2)}$$
- At $Q^2 \gtrsim 3 \text{ GeV}^2$:

$$\lambda \sim \ln Q^2, c \sim \text{const}$$
 Partonic degrees of freedom
- At $Q^2 \lesssim 2 \text{ GeV}^2$:
 Transition to hadronic d.o.f. at $\sim 0.3 \text{ fm}$

$$Q^2 \rightarrow 0: \lambda \rightarrow 0.08 \text{ (Regge model)}$$
- H1 improved its λ extraction by ISR



Combined Extraction of $\lambda(Q^2)$

- Rise of F_2 at $x < 10^{-2}$ is well parameterised by

$$F_2 = c(Q^2) \cdot x^{-\lambda(Q^2)}$$

- At $Q^2 \gtrsim 3 \text{ GeV}^2$:

$$\lambda \sim \ln Q^2, \quad c \sim \text{const}$$

Partonic degrees of freedom

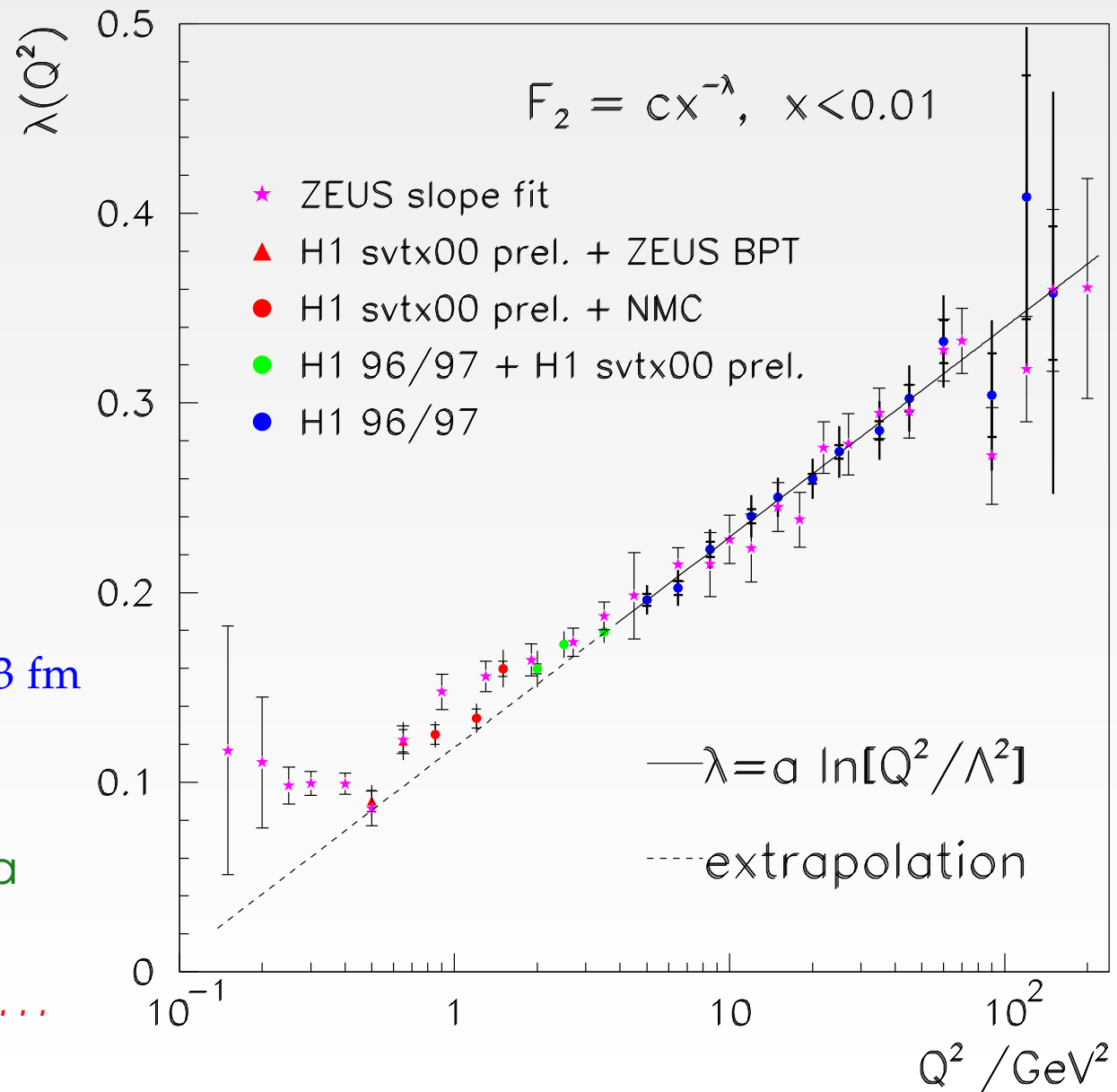
- At $Q^2 \lesssim 2 \text{ GeV}^2$:

Transition to hadronic d.o.f. at $\sim 0.3 \text{ fm}$

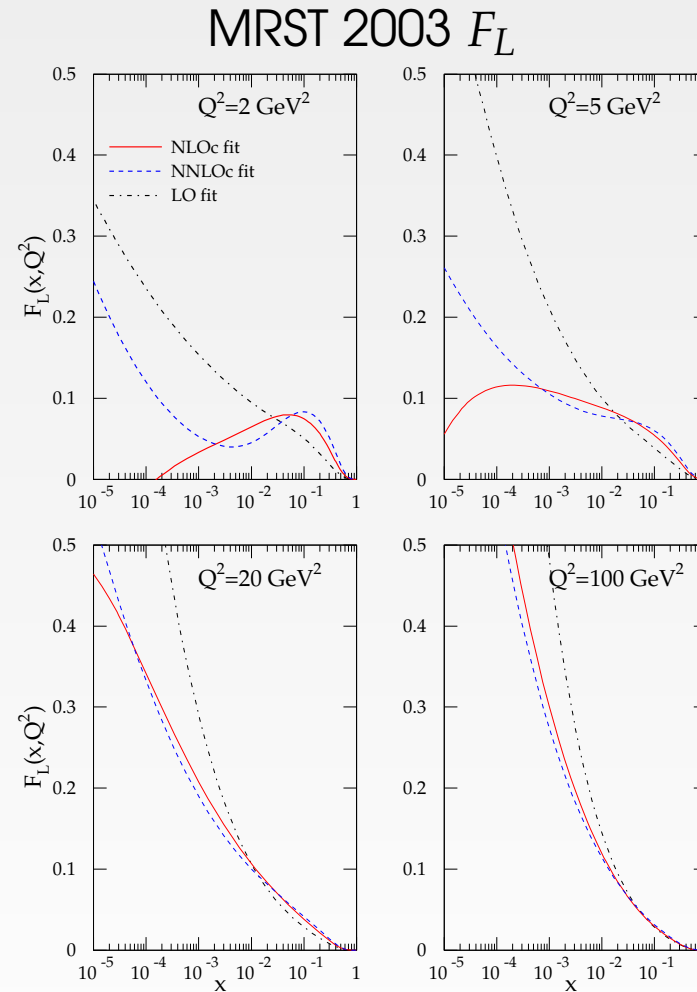
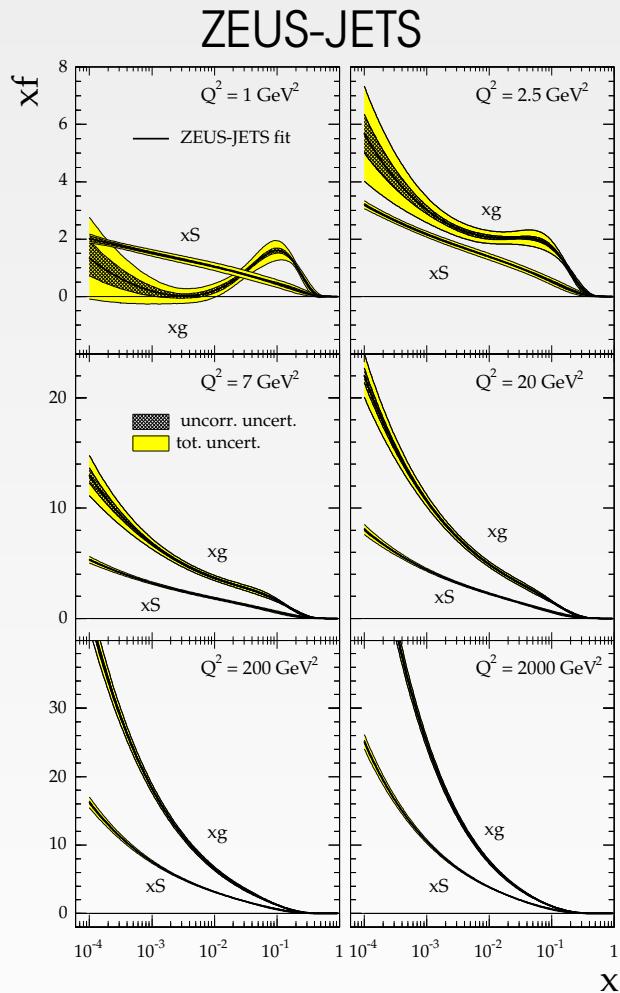
$Q^2 \rightarrow 0$: $\lambda \rightarrow 0.08$ (Regge model)

- Best precision from combined data

Looking forward to the final results ...



Gluon and F_L

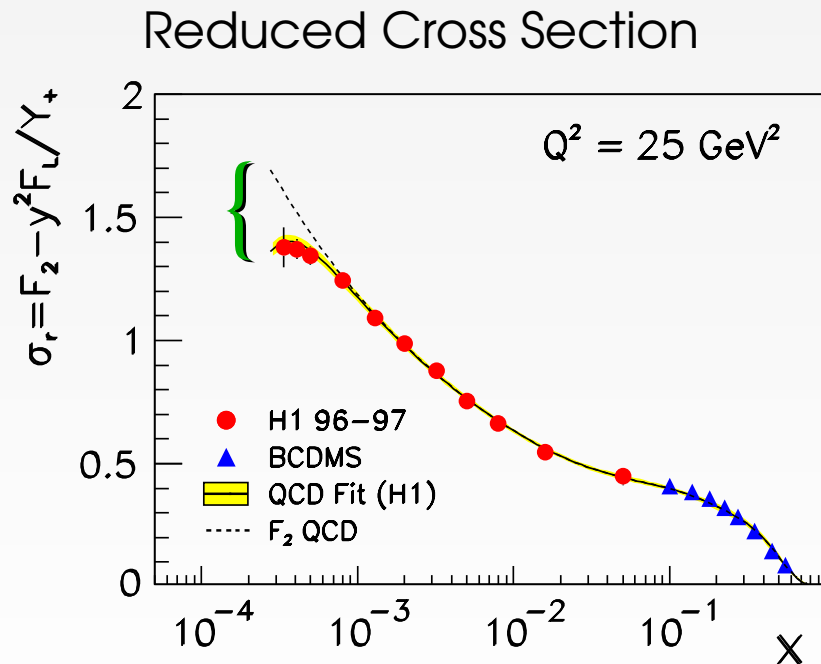


- Critical corner – low Q^2 and low x
Gluon becomes valence-like or even negative
- Large spread of calculations for gluon and F_L

Determination of F_L

$$\sigma_r = F_2(x, Q^2) - \frac{y^2}{Y_+} F_L(x, Q^2)$$

- Data sensitive at highest y only
- Direct measurement requires data at different $s \rightarrow$ *lower E_p runs*
 $Q^2 = x y s$
- Indirect determination at high y

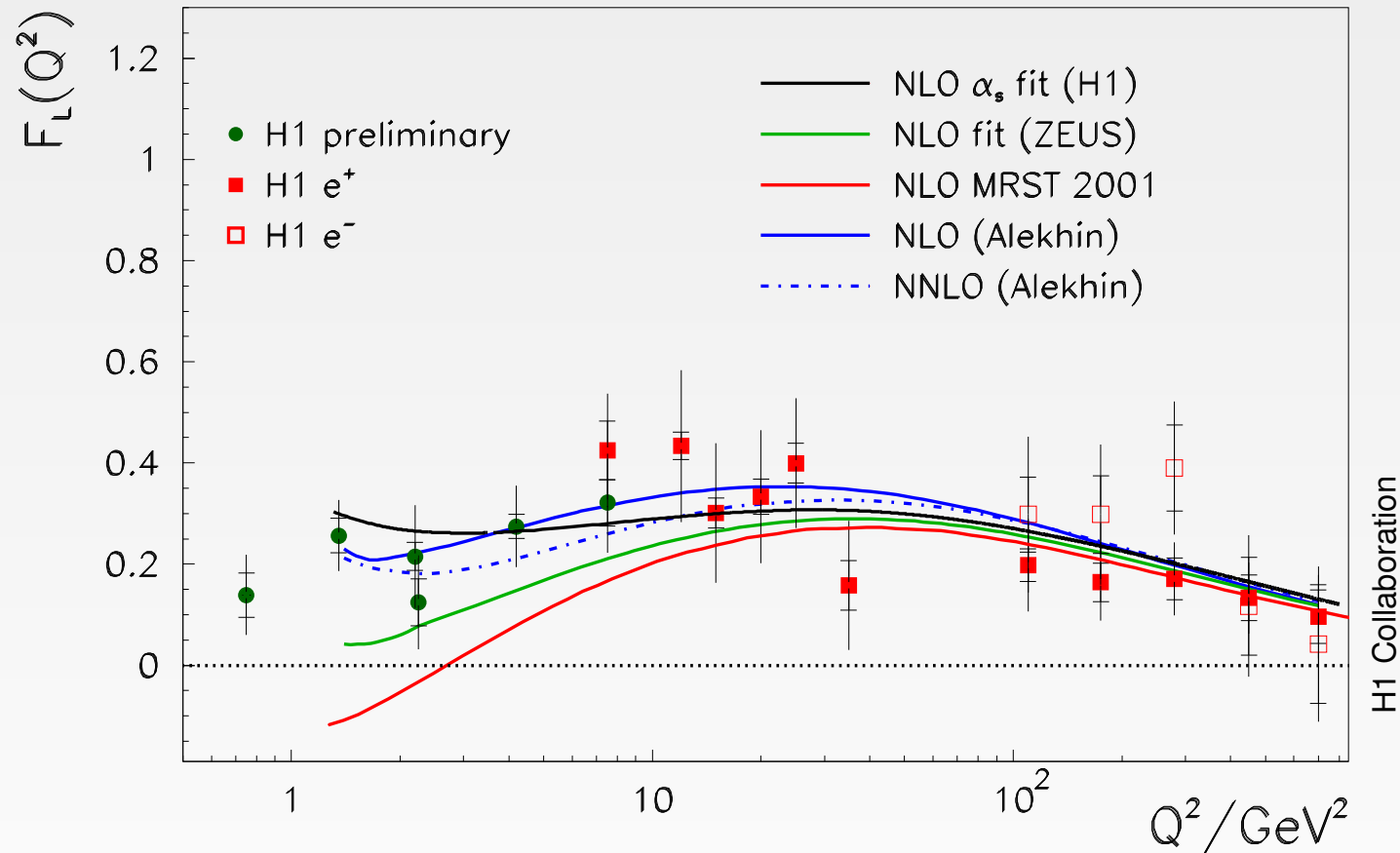


- ▶ Newest approach – **Shape method**

$$\sigma_{\text{fit}} = c x^{-\lambda} - \frac{y^2}{Y_+} F_L$$

Shape driven by kin. factor rather than F_L
Model dependent

F_L at Fixed $y = 0.75$

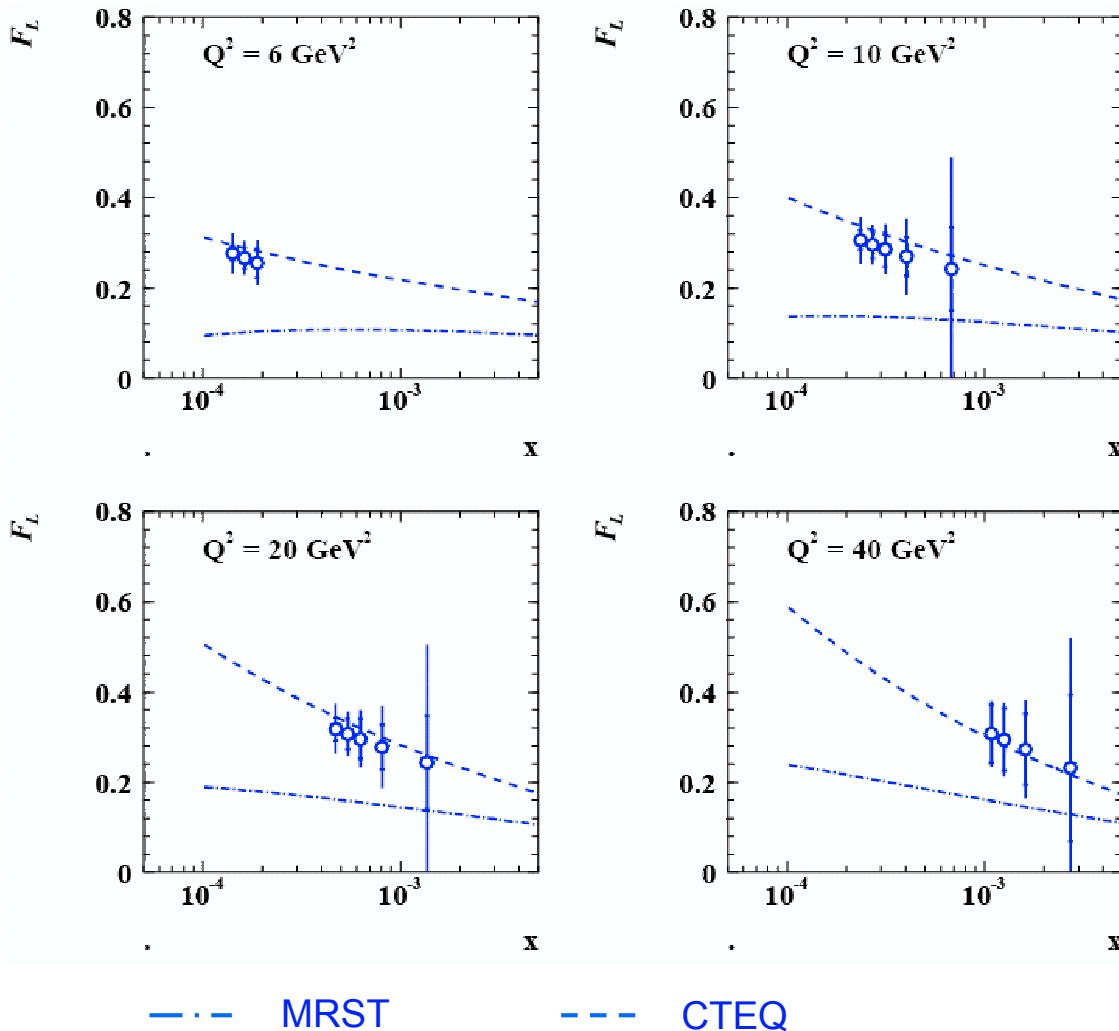


- ▶ New constraints from low Q^2 data
- ▶ F_L spans 3 orders of magnitude in Q^2
- ▶ Basic agreement with NLO pQCD fits
- ▶ Non-negligible F_L at low Q^2
- ▶ x dependence is still missing → *need low E_p run*

Future Low Energy Run

H1 and ZEUS expressed interest to perform low E_p run

DESY Physics Research Committee recommended a run of 3 months $\approx 10 \text{ pb}^{-1}$



Simulation

30 pb^{-1} at $E_p = 920 \text{ GeV}$

10 pb^{-1} at $E_p = 460 \text{ GeV}$

Abs. error $\sim 0.05 - 0.1$

Summary

- Inclusive data in pQCD region are well described by DGLAP
Strongly rising gluon towards low x
No clear sign for different dynamics, saturation . . .
- DIS- γp transition region is described by phenomenological models
Accessed using special experimental techniques
Transition occurs at ~ 0.3 fm
Looking forward to final results
- F_L is important to pin down gluon at low Q^2 and low x
So far determined only indirectly
 F_L is described by pQCD fits at $Q^2 > 2 \text{ GeV}^2$
 $F_L > 0$ also at $Q^2 < 1 \text{ GeV}^2$
Planning low energy run at the end of HERA II

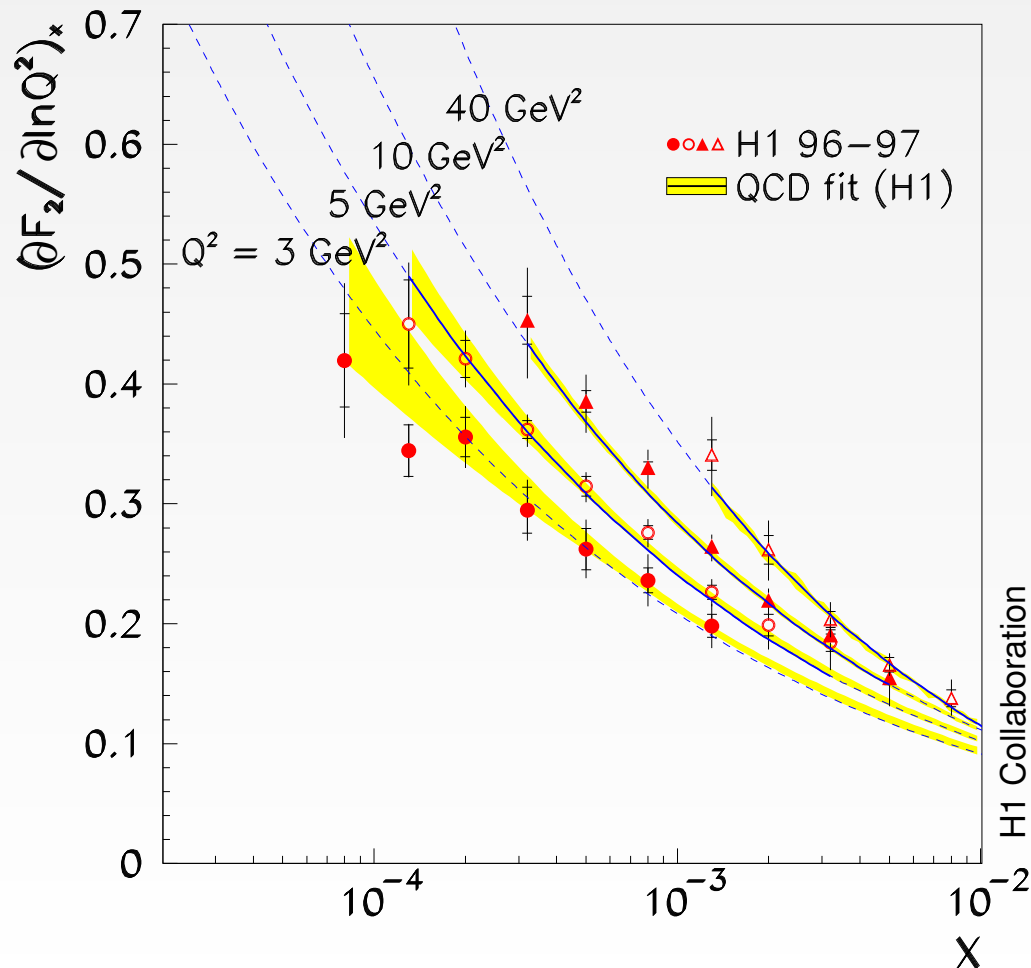
Backup

Additional Information

Scaling Violations at Low x

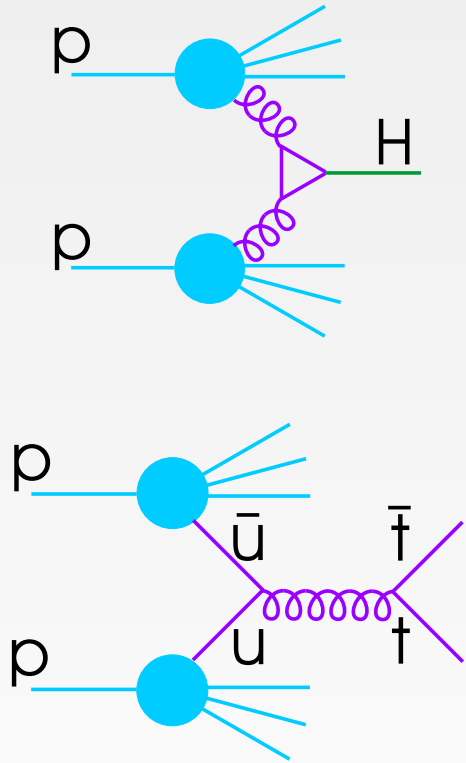
Local derivatives

$$\left. \frac{\partial F_2}{\partial \ln Q^2} \right|_x \propto \alpha_s(Q^2) x g(x, Q^2)$$

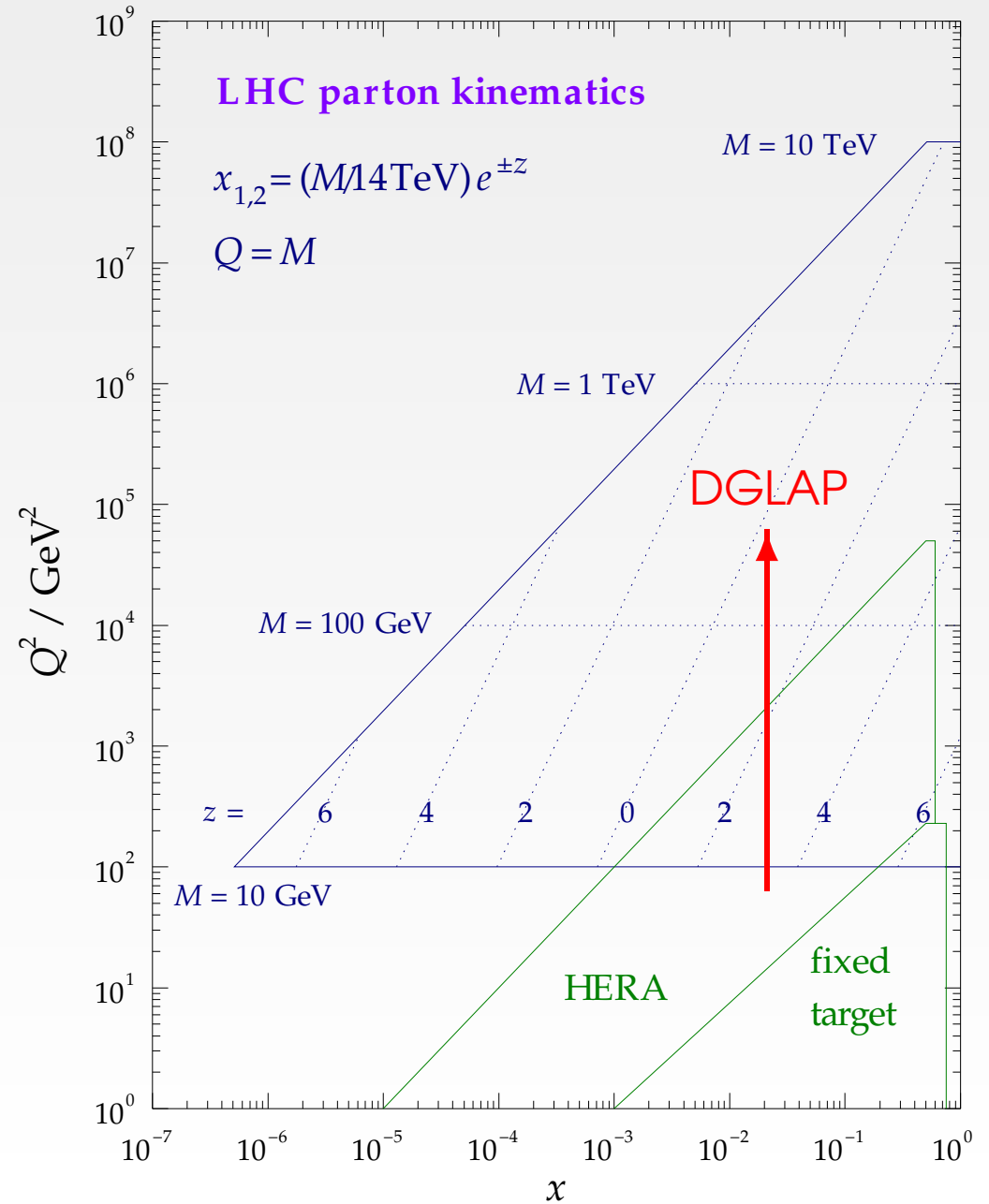


- Consistent with DGLAP QCD fits for $Q^2 \gtrsim 3 \text{ GeV}^2$
- No sign of new dynamics
- More precision desirable

PDFs for LHC



Precise quark and gluon densities are required in the whole x range to understand signal and background

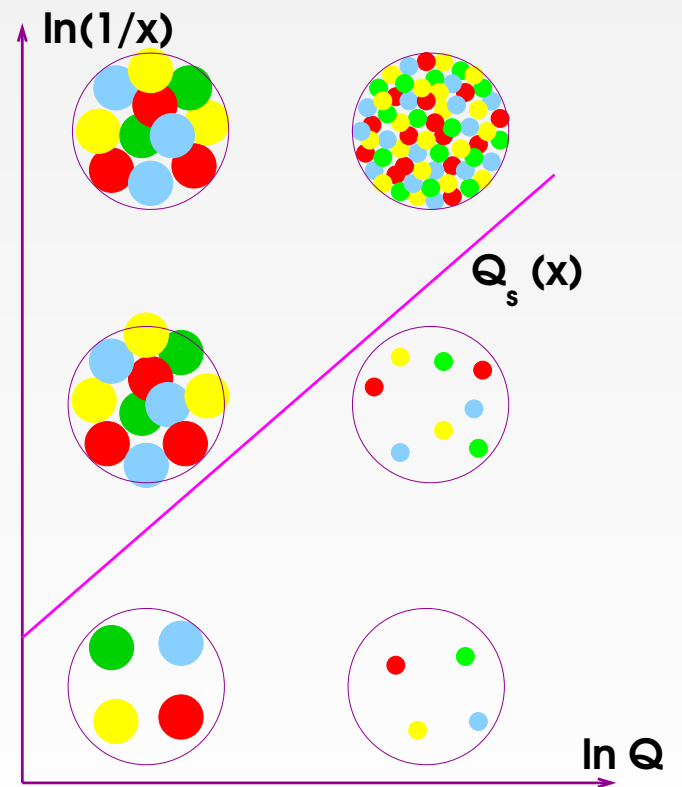
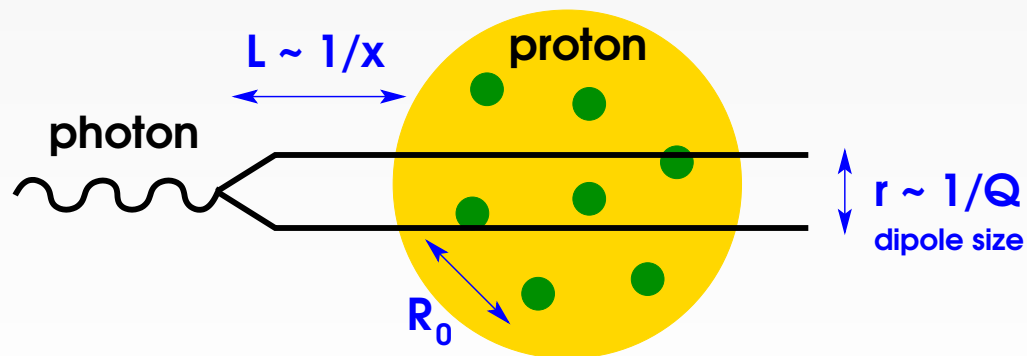


Models for Low Q^2 Region

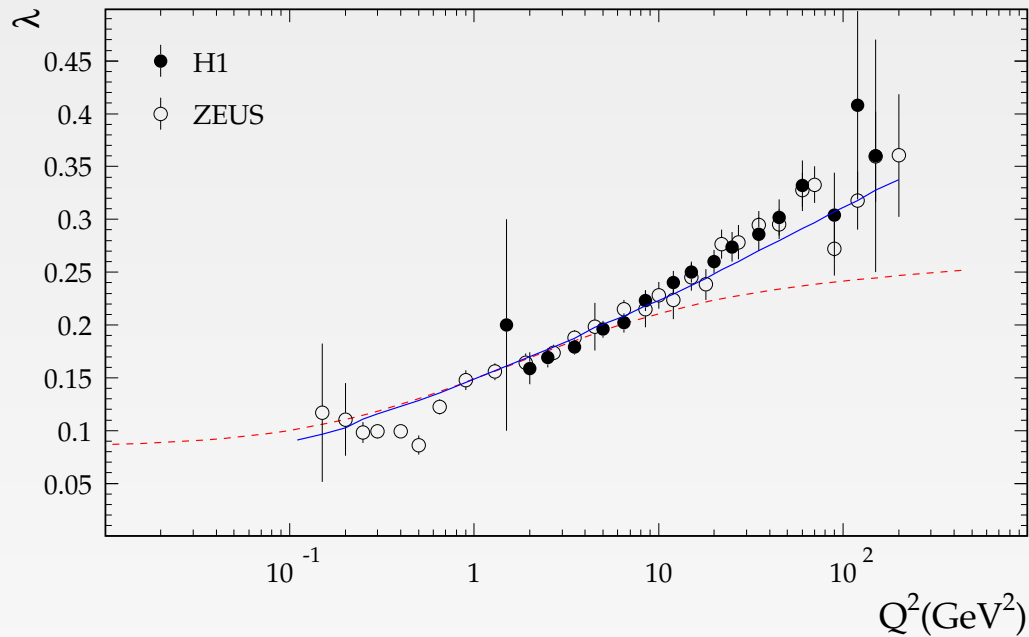
- Inspired by Regge approach — Pomeron + Reggeon exchange
Several models available

- Dipole models for low x region

Example: saturation model (Golec-Biernat, Wüsthoff)
using $R_0(x)$ – x -dependent saturation scale
= average gluon distance



Data Are Described by Saturation Model



- ▶ Fitted using 5 parameters
GBW + DGLAP evolution
(J. Bartels, K. Golec-Biernat, H. Kowalski)

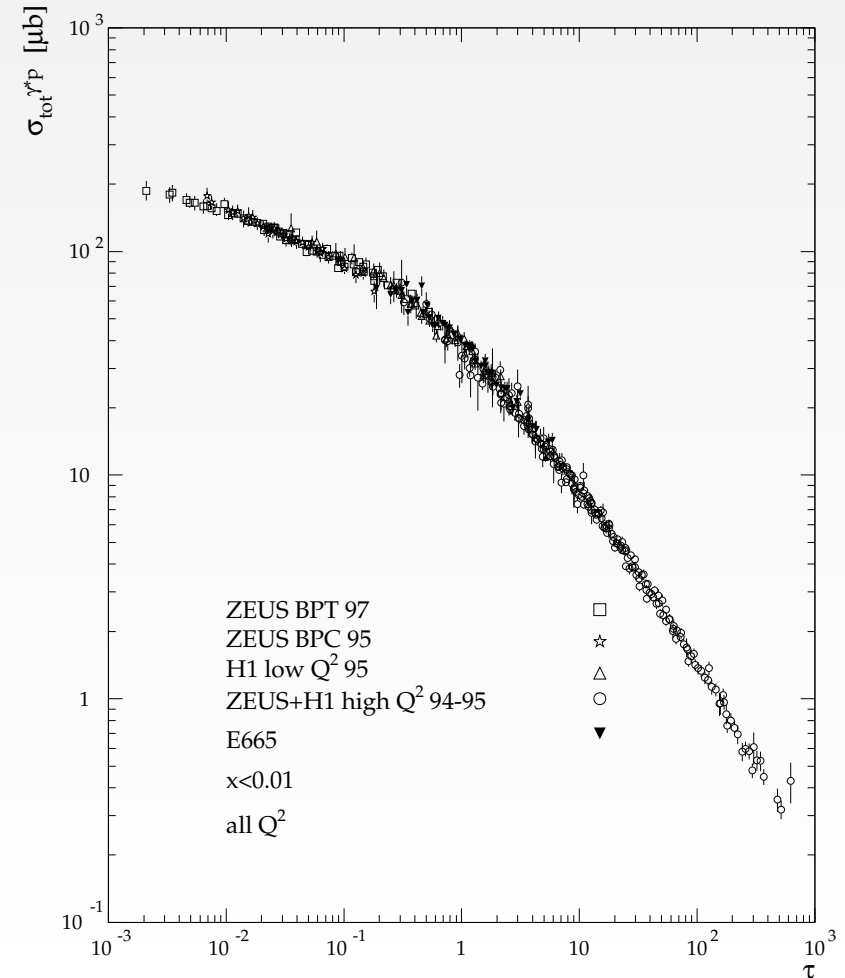
- ▶ $F_2 = F_2(\tau), \tau = Q^2 R_0^2(x)$ – *Geometric scaling*

(A.M. Stasto, K. Golec-Biernat, J. Kwieciński)

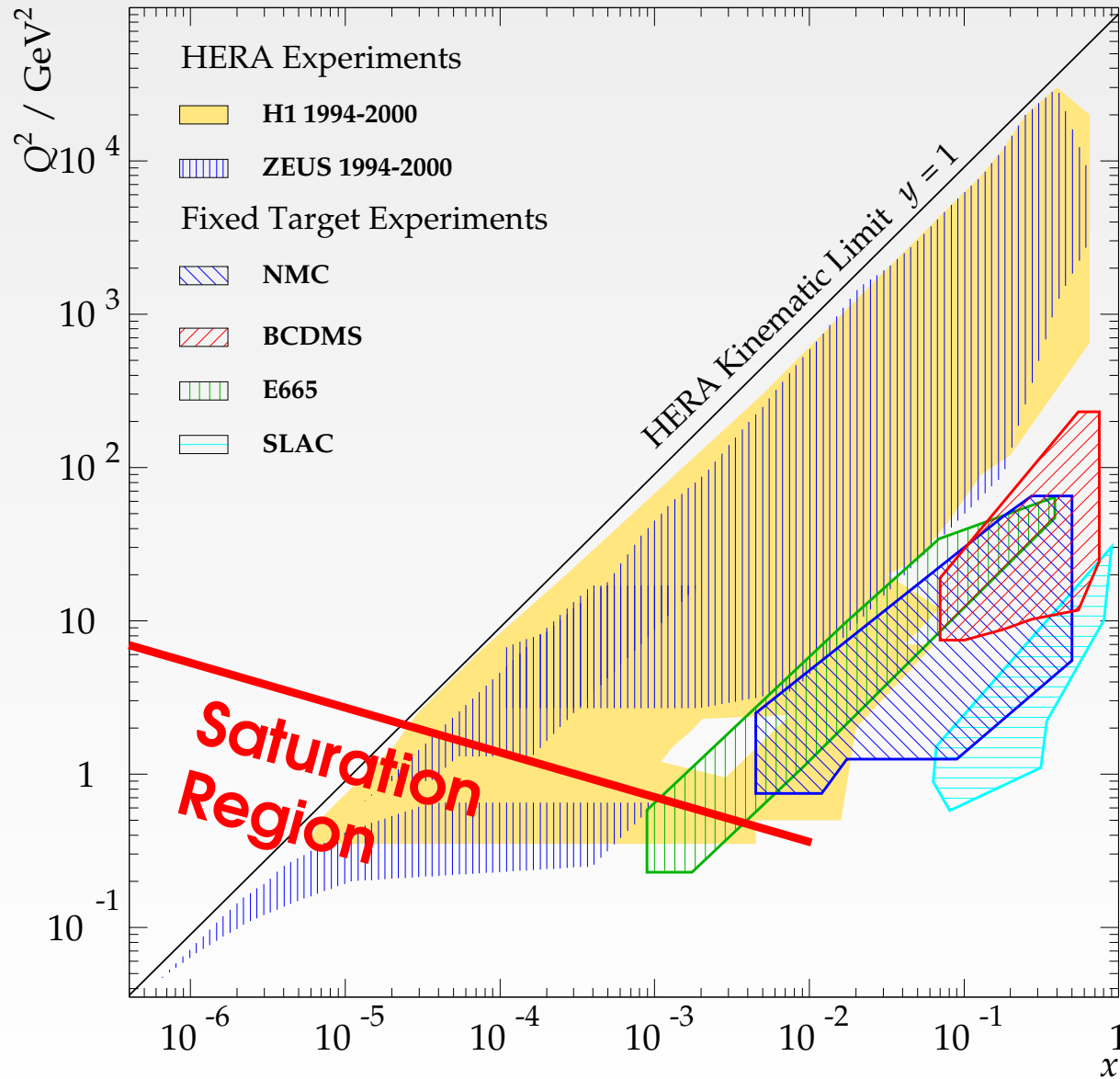
Data manifest existence of saturation scale
as used in saturation model

- ▶ Also describes $\frac{\sigma_{\text{diffDIS}}}{\sigma_{\text{DIS}}} = \text{const}$

- ▶ Also describes F_L



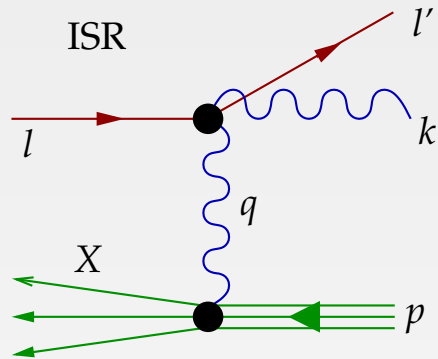
Saturation Region in Dipole Model



- For pQCD Q^2 scales saturation region is beyond HERA reach
- For $Q^2 \lesssim 1 - 2 \text{ GeV}^2$ saturation model claims we see saturation

Appealing but not compelling

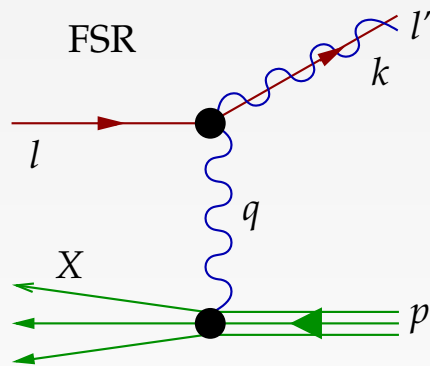
Photon Radiation from Lepton Line



$$q = l - l' - k$$

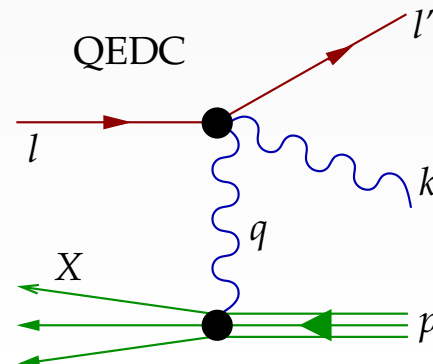
Modified kinematics

Access lower Q^2 and higher x

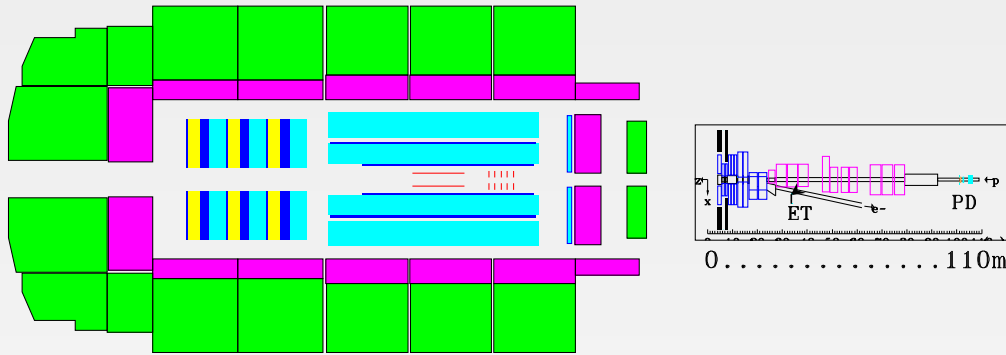


Distinct topologies:

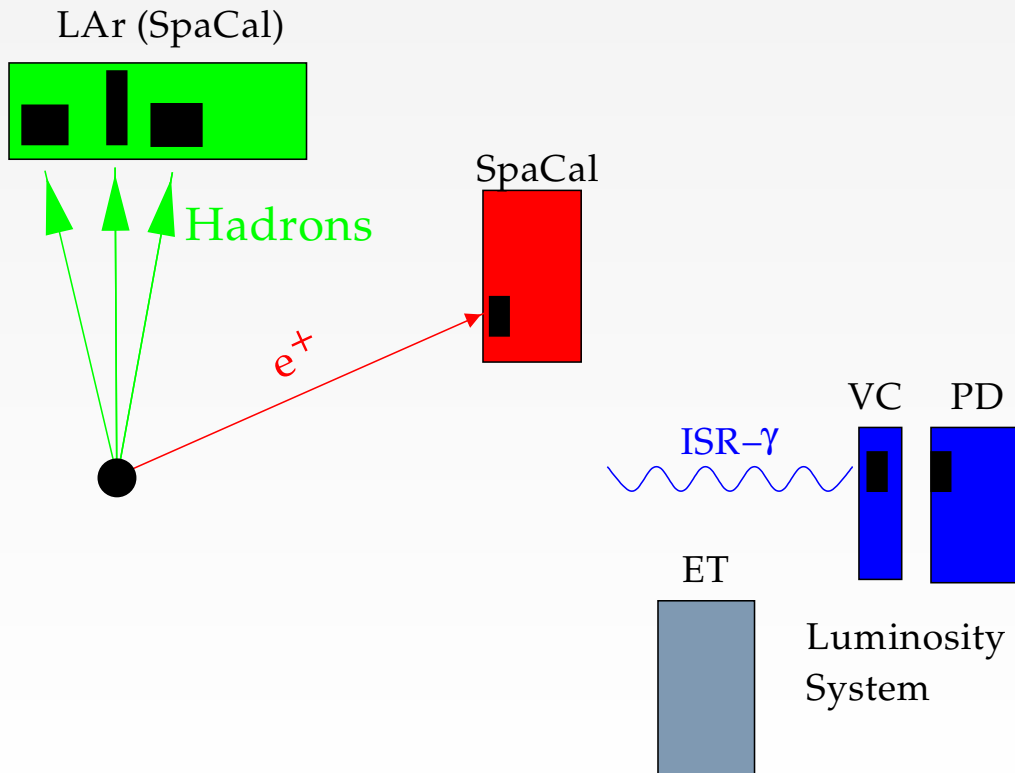
- Initial State Radiation (ISR) : $\vec{k} \parallel \vec{l}$
- Final State Radiation (FSR) : $\vec{k} \parallel \vec{l}'$
- QED Compton (QEDC) : $\vec{q} \parallel \vec{l}$



ISR Event in H1 Detector



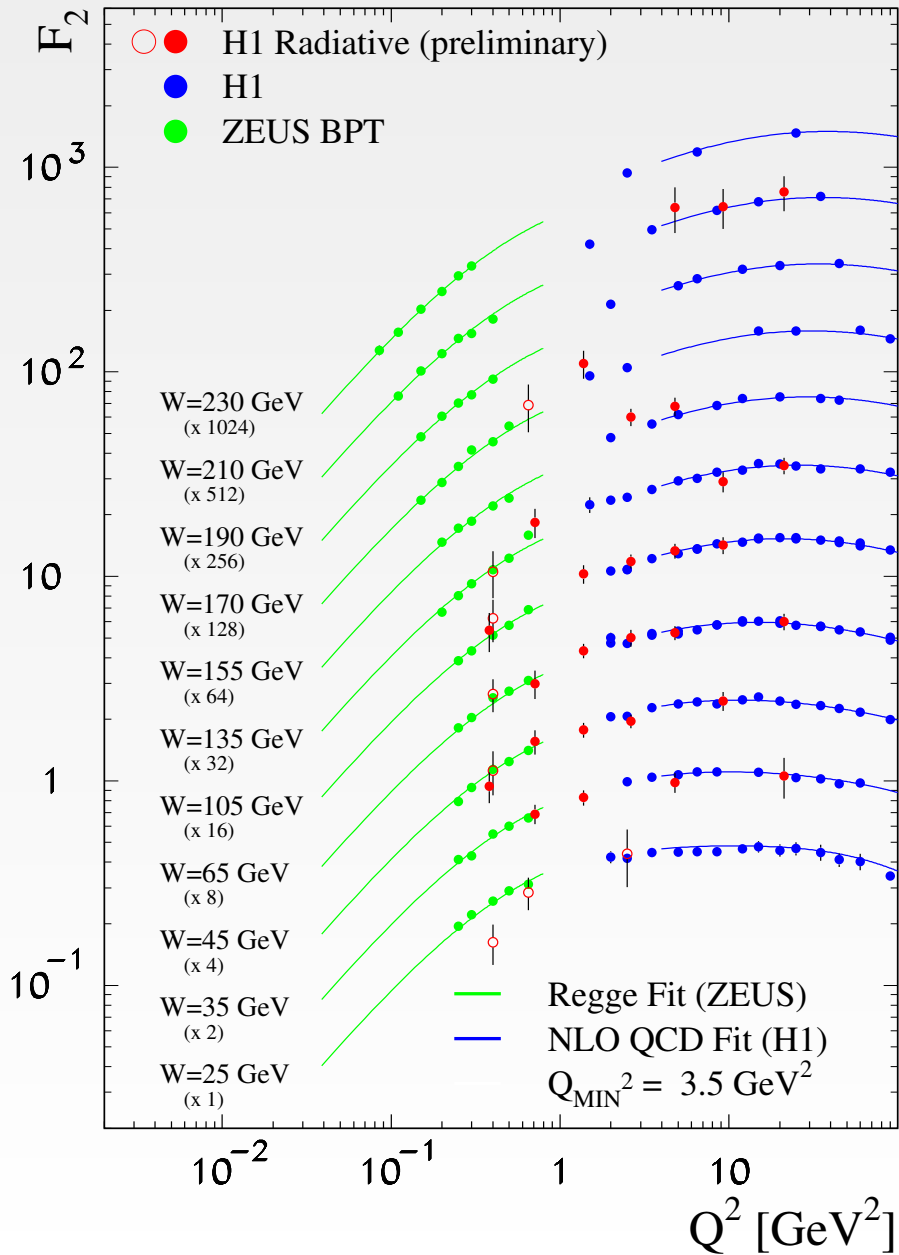
Access lower Q^2



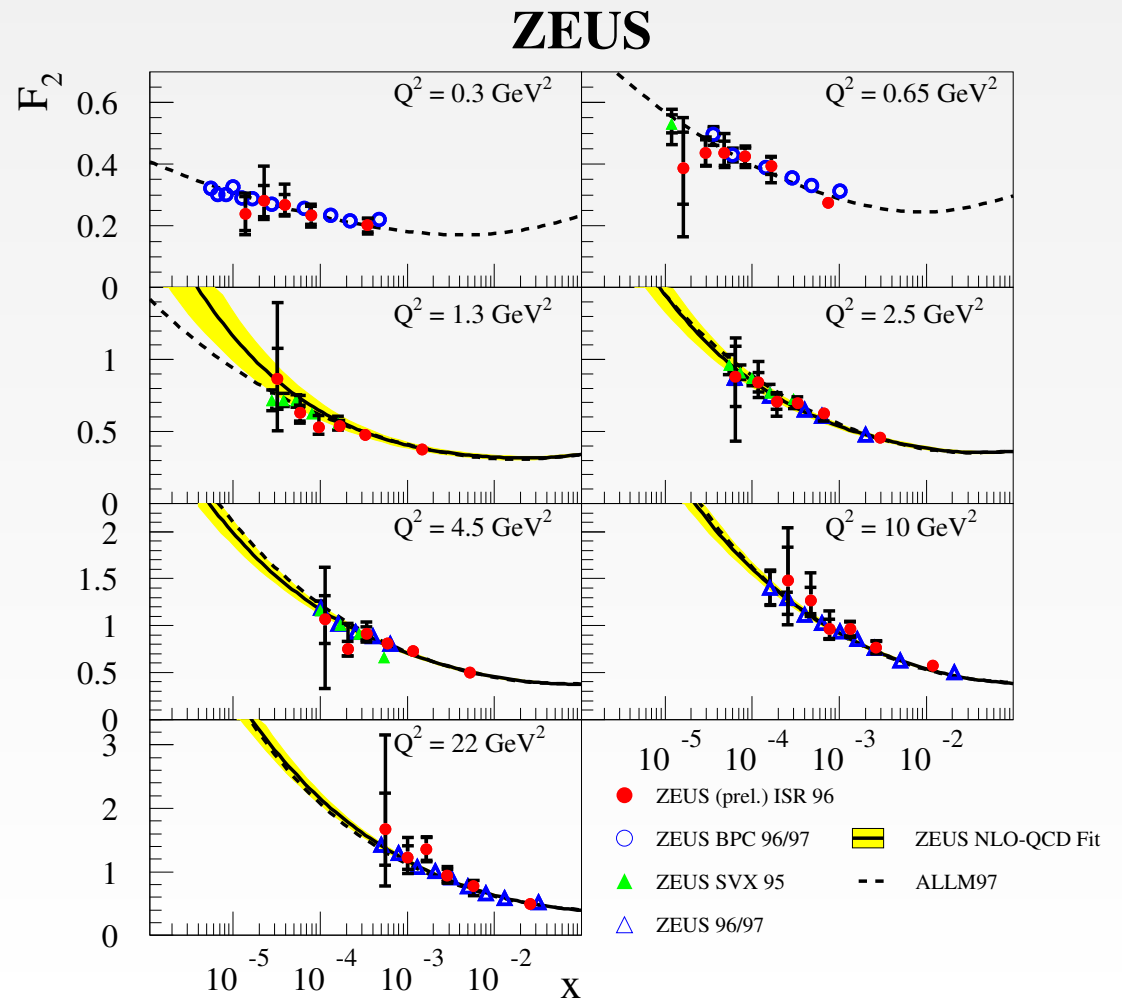
Additional experimental challenges

- Detector acceptance and calibration
- Backgrounds from event overlaps
(DIS + BH, γp + BH, ISR + BH)

Preliminary Results: F_2 in ISR



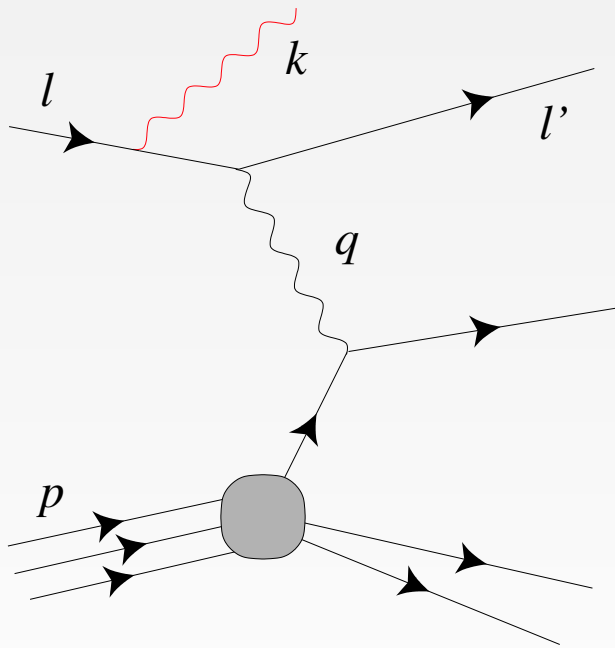
Access both perturbative and non-perturbative domain



Direct Determination of F_L

Modified kinematics:

interpret as incident $E = E_{e\text{-beam}} - E_\gamma$



Need much more ISR statistics

