

Measurements of Proton Structure Functions at low Q^2 at HERA



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H1 Collaboration



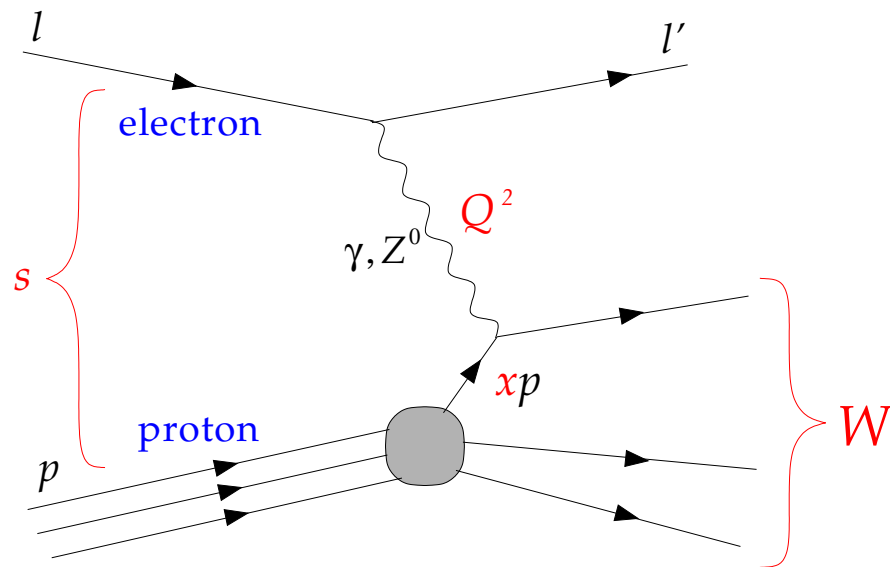
- ▶ Deep Inelastic Scattering at HERA
- ▶ Measurements of F_2 in shifted vertex and radiative events
- ▶ Extraction of F_L



Beijing, 16.08.2004

Inclusive Deep Inelastic Scattering to Study Proton Structure

Neutral Current



▶ 2 degrees of freedom at fixed
cms energy $s = (l + p)^2$

boson virtuality
(resolution scale)

$$Q^2 = -(l - l')^2$$

fractional momentum
of struck quark

$$x = \frac{Q^2}{2p \cdot q}$$

▶ Additional useful variables

inelasticity

$$y = \frac{p \cdot q}{p \cdot l} \approx \frac{Q^2}{xs}$$

invariant mass of
hadronic final state

$$W = \sqrt{Q^2 \frac{1-x}{x} + m_p^2}$$

Structure Functions in DIS

- Measure cross section

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} \left\{ \left[1 + (1-y)^2 \right] F_2(x, Q^2) - y^2 F_L(x, Q^2) + \dots xF_3 \right\}$$

at high Q^2

- Parton distribution functions (PDF) in pQCD

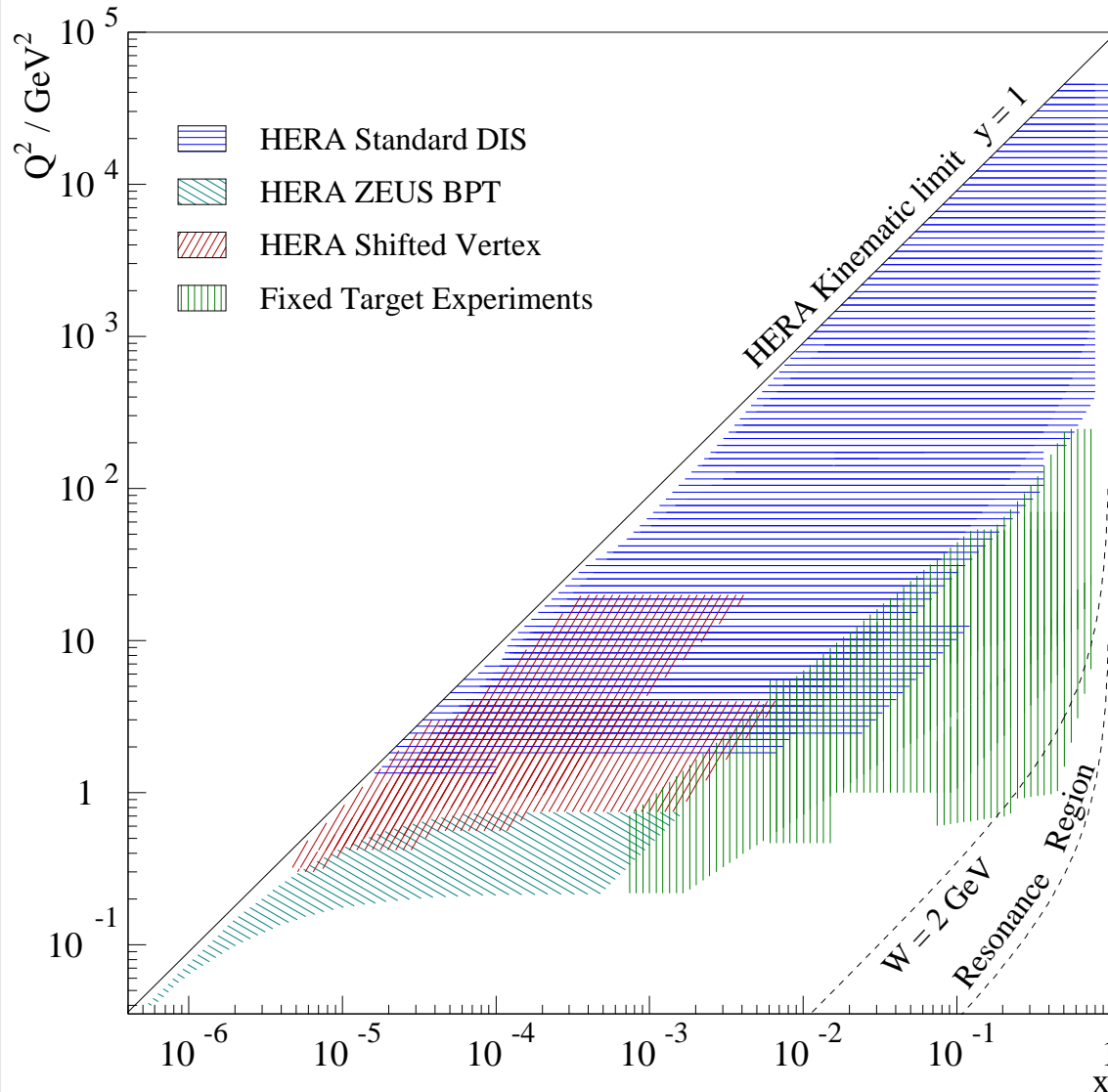
$$F_2^{\text{em}}(x, Q^2) = x \sum_i e_i^2 [q_i(x, Q^2) + \bar{q}_i(x, Q^2)]$$

q_i – probability to find quark with flavour i in proton

- $F_L(x, Q^2)$ – longitudinally polarised photons
 - Contribution only at high y
 - Sensitive to QCD higher orders (gluon emission)
- $F_L \sim \alpha_s g$ — constrains gluon density

Kinematic Regions of Measurements

At HERA: $\sqrt{s} \approx 300 - 320 \text{ GeV}$ $0 < Q^2 < 10^5 \text{ GeV}^2$ $10^{-6} < x < 1$

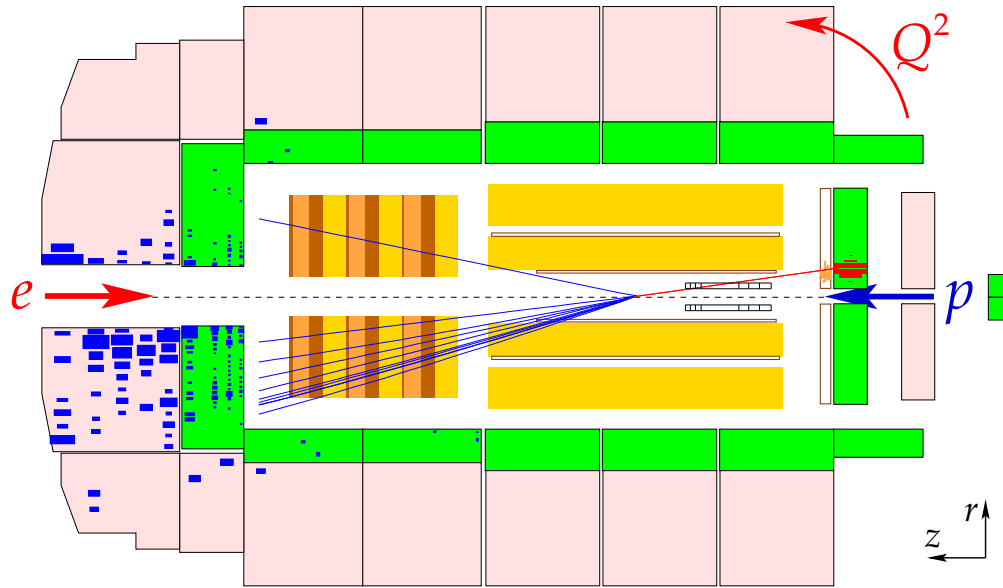


► *Medium – High Q^2*
 asymptotic freedom
 perturbative QCD
 → *talk by Stefan Schmitt*

► *Low Q^2* – transition to γp
 $\alpha_s(Q^2)$ becomes large \implies
 quark confinement

Transition from quarks to hadrons
 → *theoretical challenge*

Experimental Technique at Low Q^2



H1 main detector – side view

$$Q^2 \propto p_{t,e}^2$$

- ▶ Low Q^2 – low θ_e in DIS

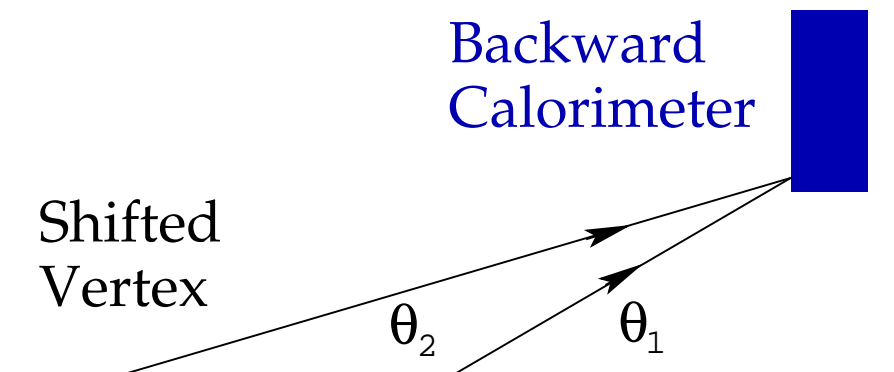
Standard DIS in main detector:

$$Q^2 \gtrsim 2 \text{ GeV}^2$$

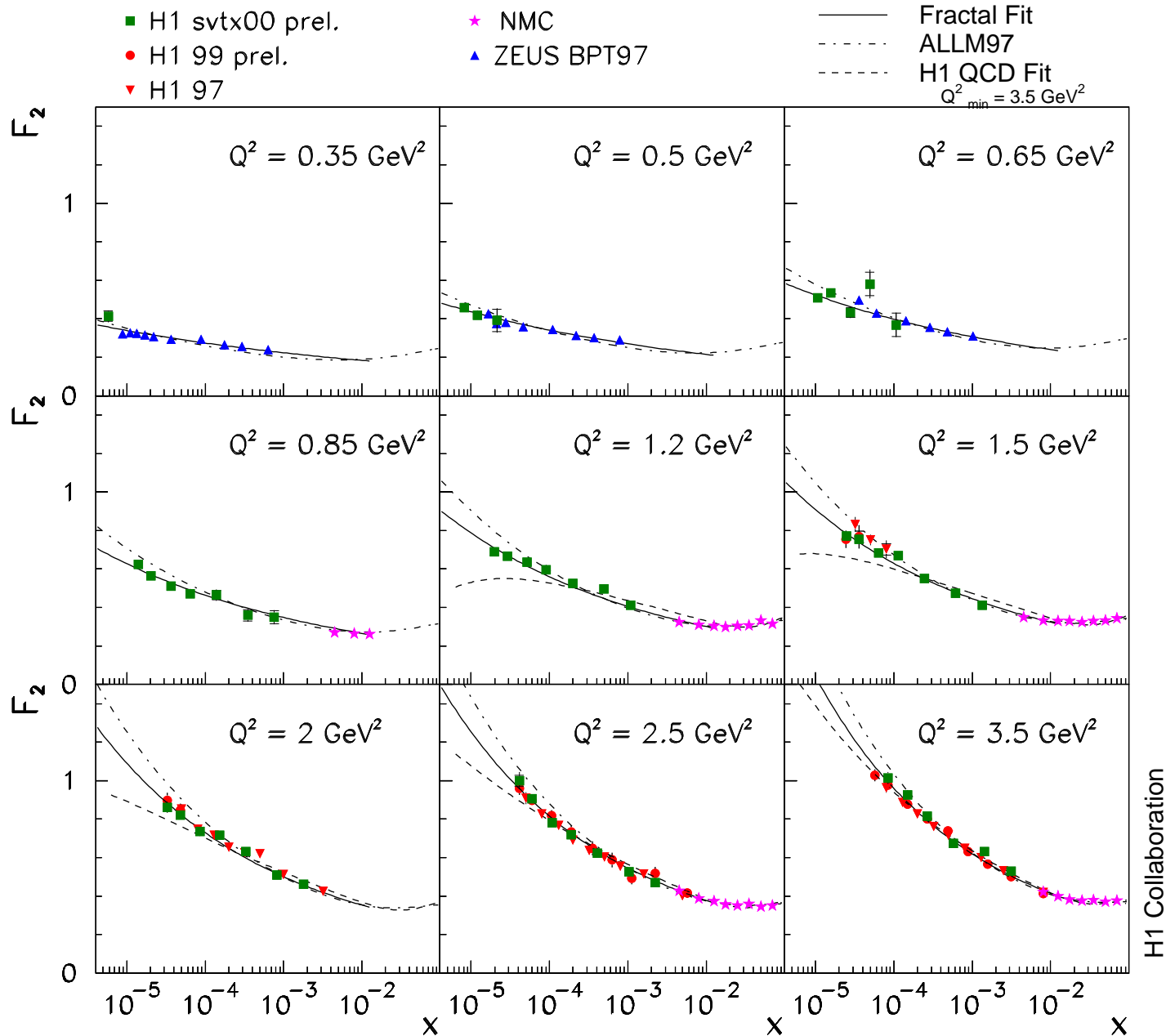
→ *experimental challenge*

- ▶ Approaches

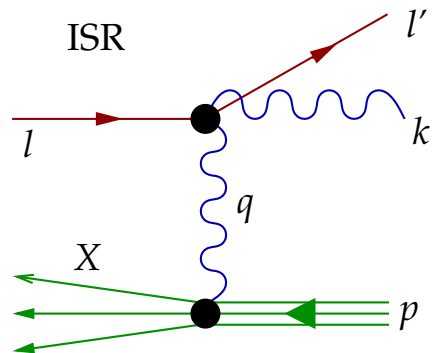
- Very low Q^2 devices – ZEUS BPC/BPT
- **Shifted vertex runs**
- **Radiative events**



Previous Results at Low Q^2



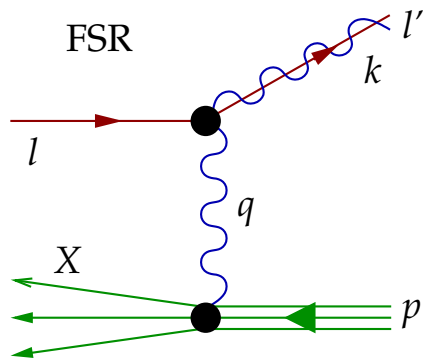
Photon Radiation from Lepton Line



$$q = l - l' - k$$

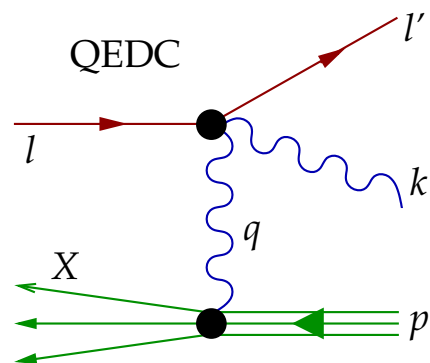
Modified kinematics

Access lower Q^2 and higher x

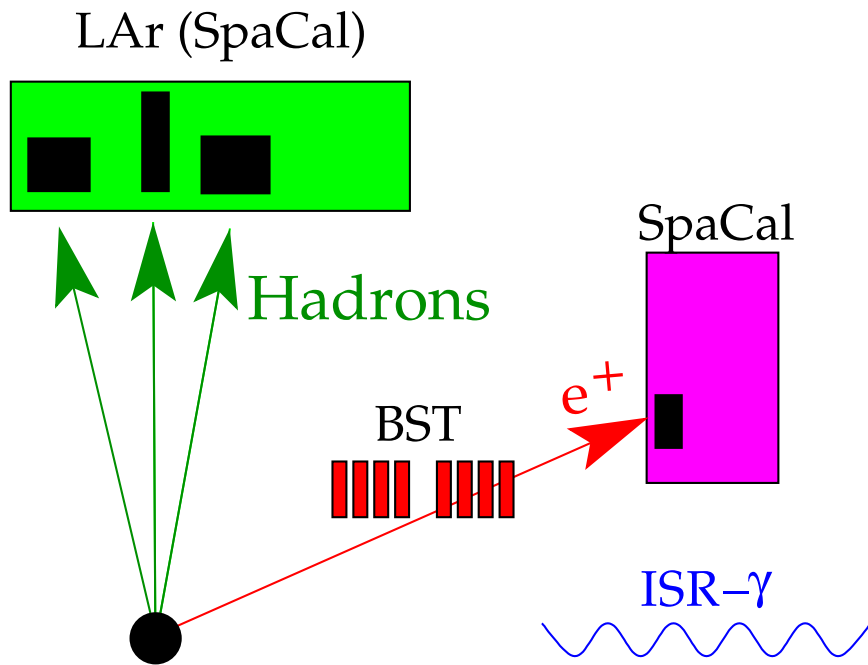
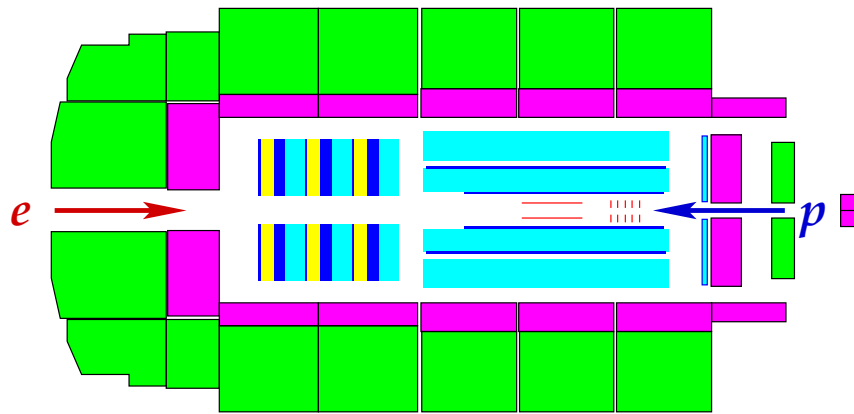


Distinct topologies:

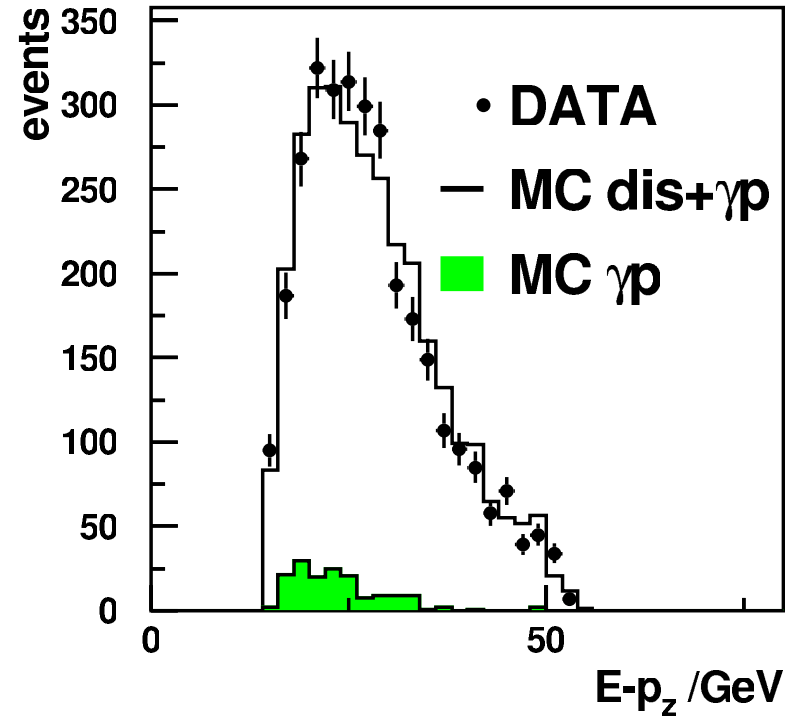
- Initial State Radiation (ISR) : $\vec{k} \parallel \vec{l}$
- Final State Radiation (FSR) : $\vec{k} \parallel \vec{l}'$
- QED Compton (QEDC) : $\vec{q} \parallel \vec{l}$



Untagged ISR Signature

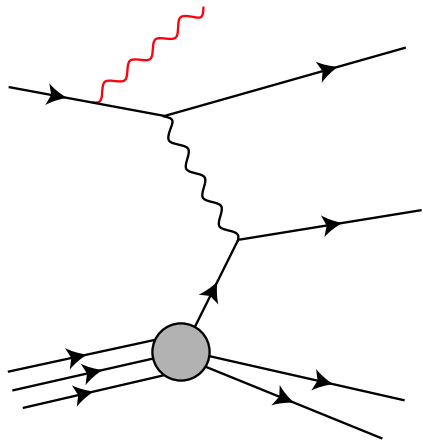


$$\sum (E - P_z)_i < 2E_{e\text{-beam}}$$



γp background rejected by BST

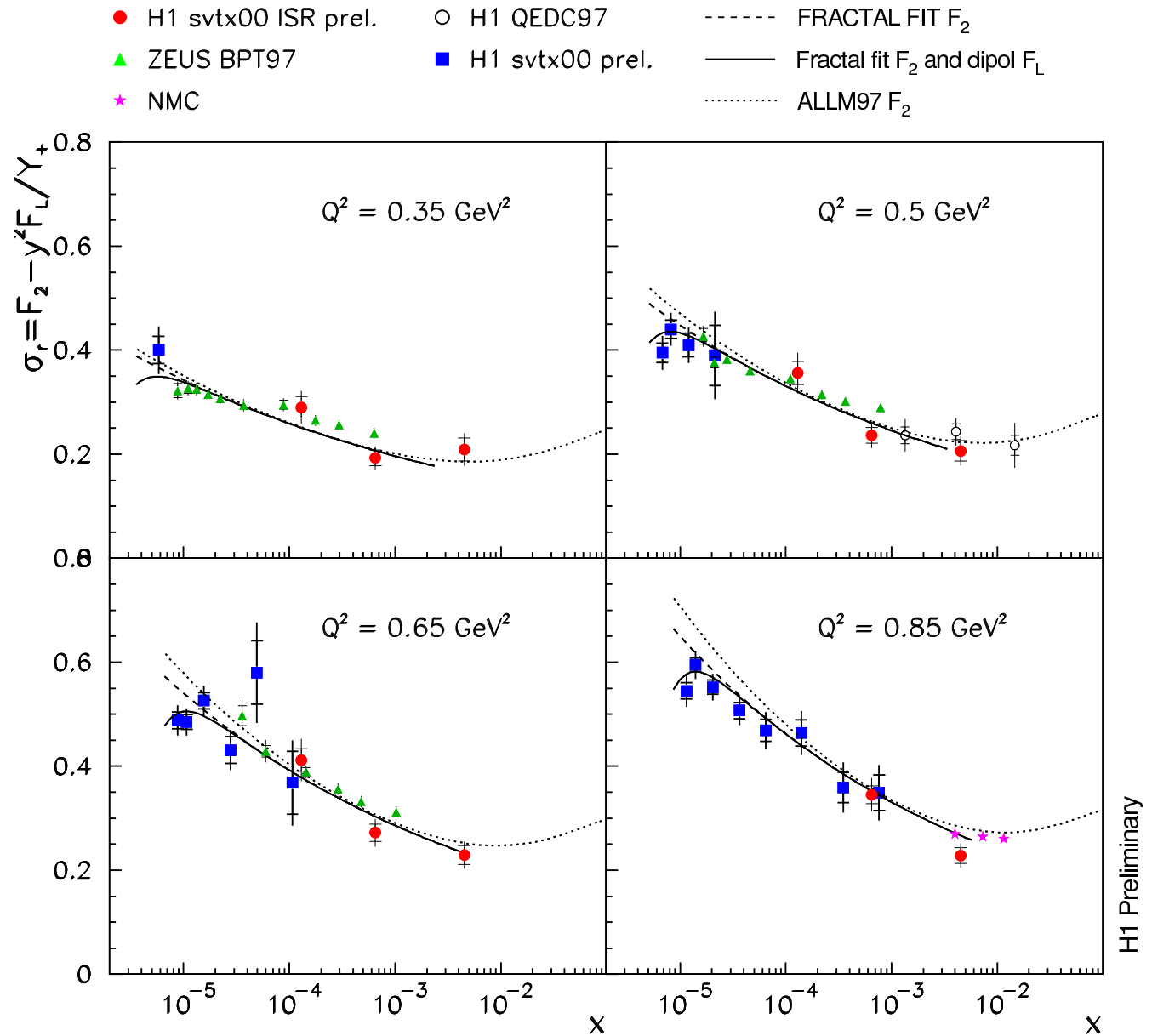
F_2 in Shifted Vertex ISR



Equivalent to inclusive DIS at reduced s

$$Q^2 = xys$$

Access higher x



Improved Extraction of $\lambda(Q^2)$

$$\lambda = \frac{\partial \ln F_2}{\partial \ln x}$$

- Rise of F_2 at $x < 10^{-2}$ is well parameterised by

$$F_2 = c(Q^2) \cdot x^{-\lambda(Q^2)}$$

- At $Q^2 \gtrsim 3 \text{ GeV}^2$:

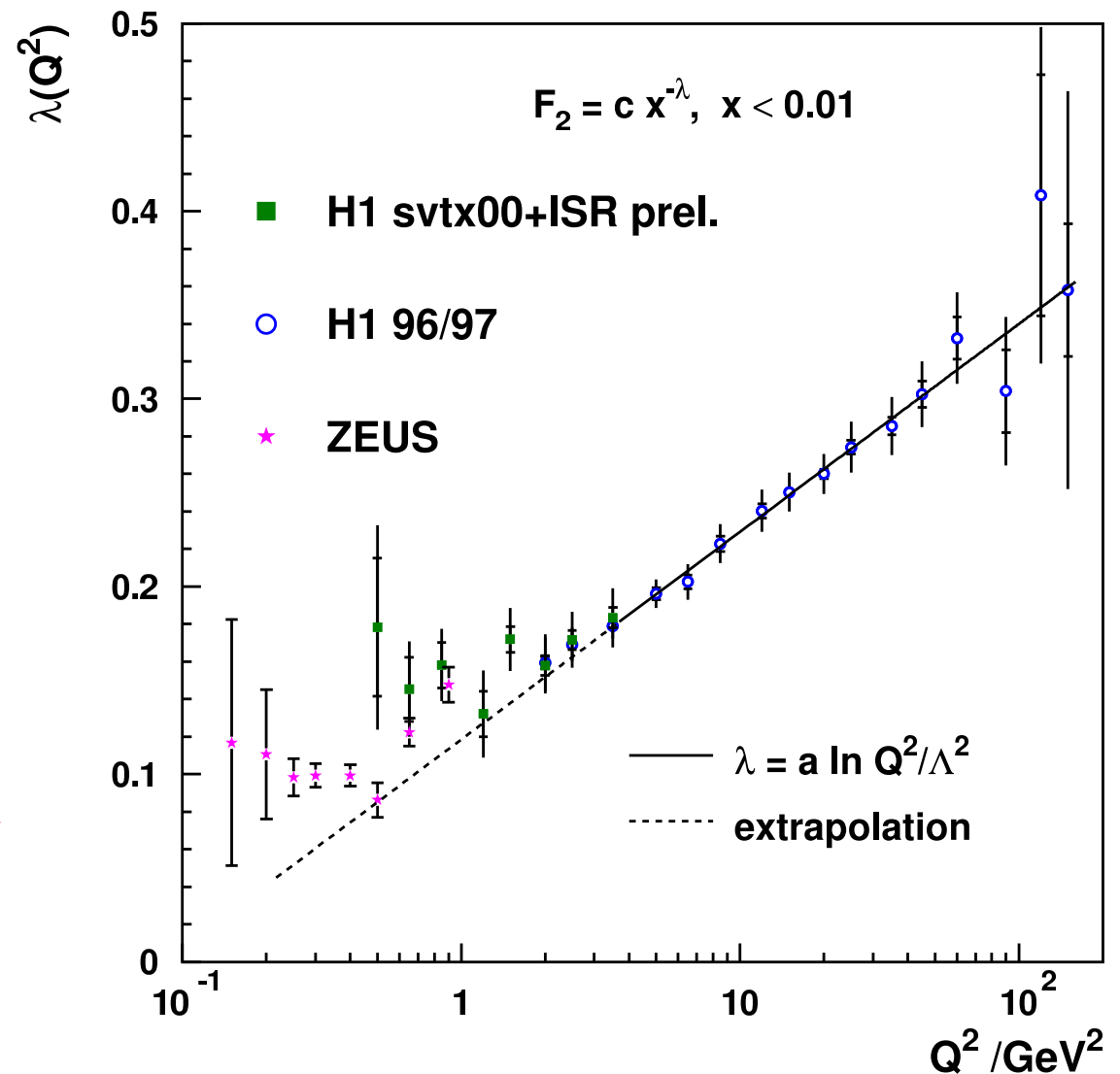
$$\lambda \sim \ln Q^2, \quad c \sim \text{const}$$

Partonic degrees of freedom

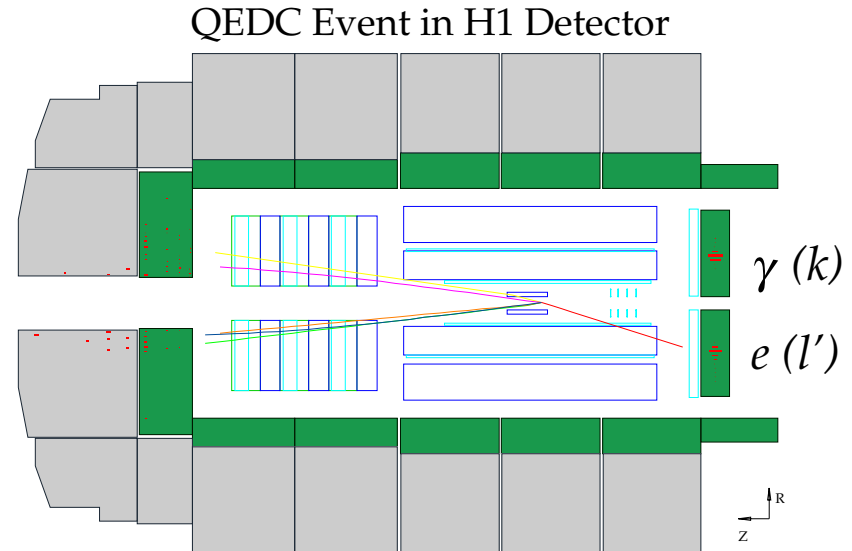
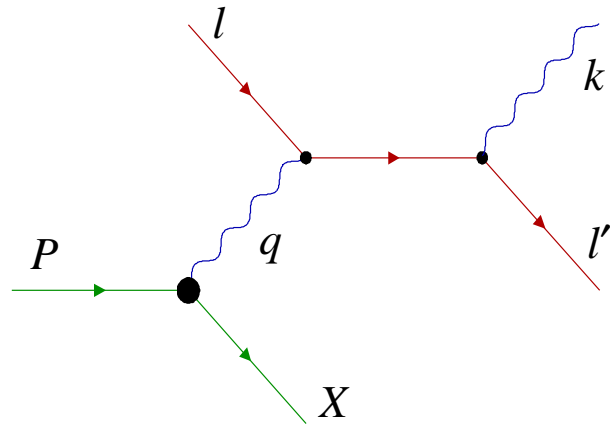
- At $Q^2 \lesssim 2 \text{ GeV}^2$:

$$\lambda(Q^2) \rightarrow 0.08$$

Transition to hadronic degrees of freedom



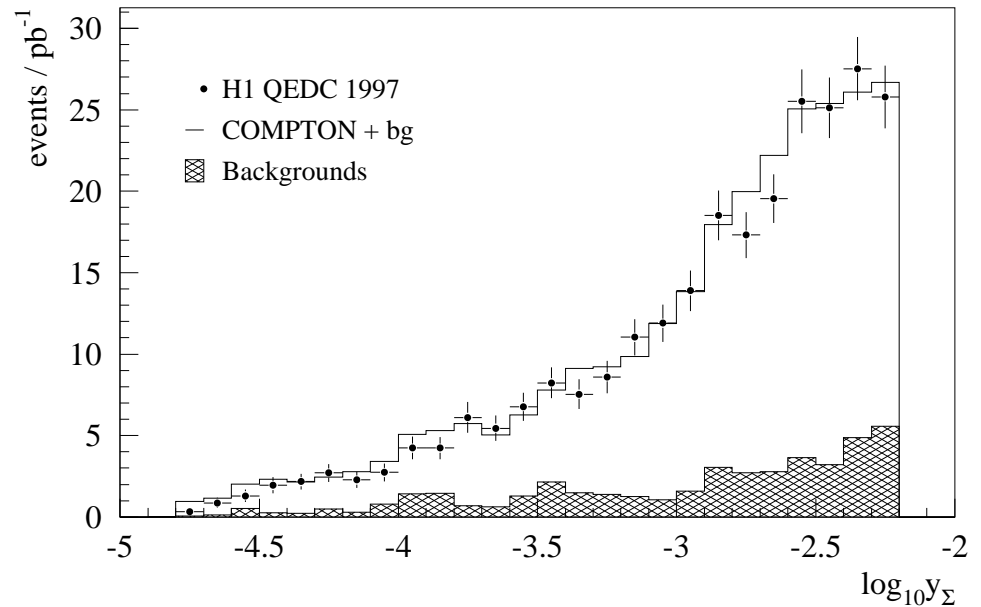
Inelastic QED Compton Events



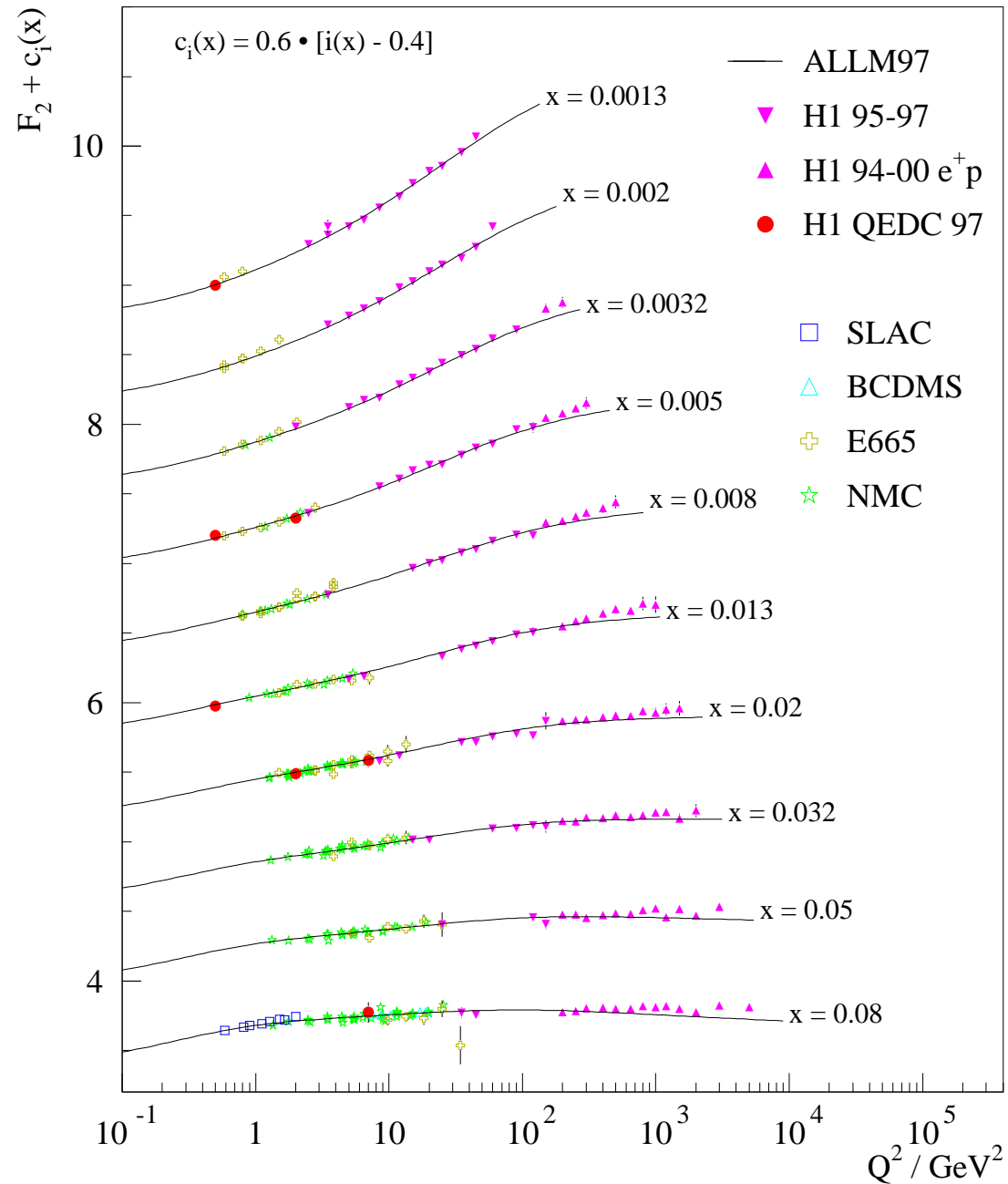
DIS background at low x : π^0 fakes γ

Medium – high x are measured

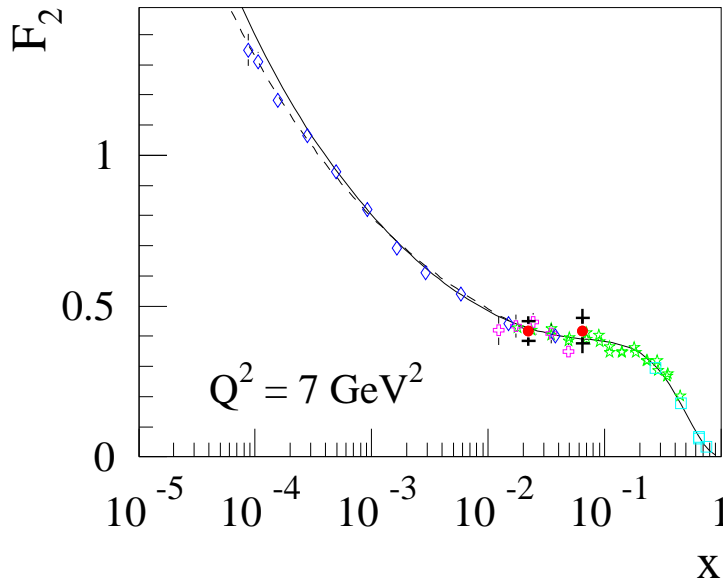
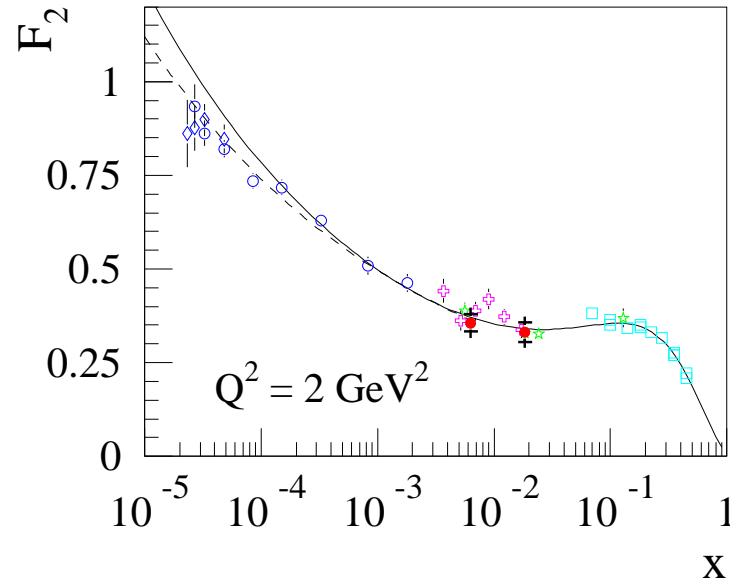
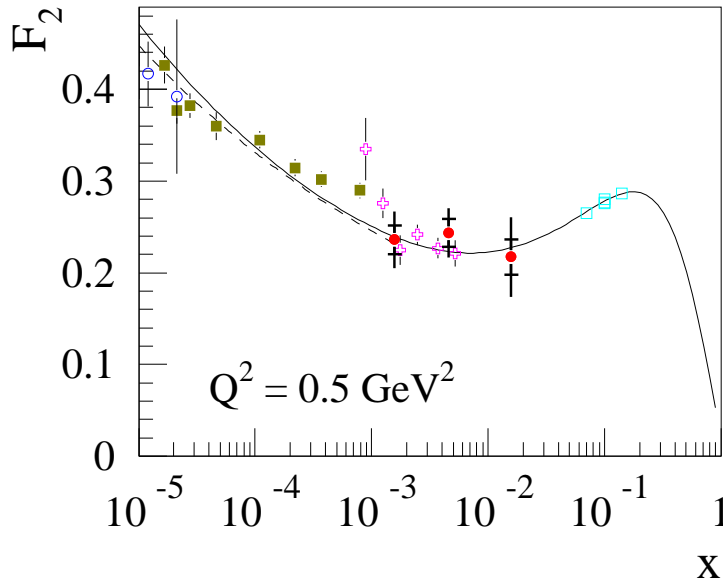
- ▶ Understanding of HFS at low W
- ▶ Use SOPHIA MC model



Kinematic Region of QEDC Measurement



Results of F_2 Measurement in QEDC



- H1 QEDC 1997
- H1 SV 2000 prel
- ◇ H1 1999 prel
- ZEUS BPT
- ⊕ E665
- ☆ NMC
- SLAC
- ALLM97
- Fractal

Good agreement with fixed target experiments

Determination of F_L

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} \left\{ \left[1 + (1-y)^2 \right] F_2(x, Q^2) - y^2 F_L(x, Q^2) \right\}$$

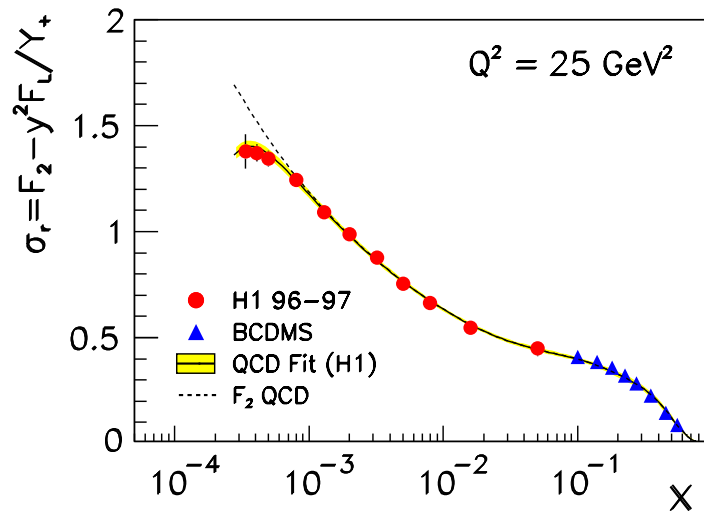
- ▶ Data sensitive at highest y only
- ▶ Direct measurement requires data at different $s \rightarrow$ lower E_p runs
- ▶ Indirect determination
extrapolating F_2 to higher y

$$F_L \propto F_2 - \sigma_r$$

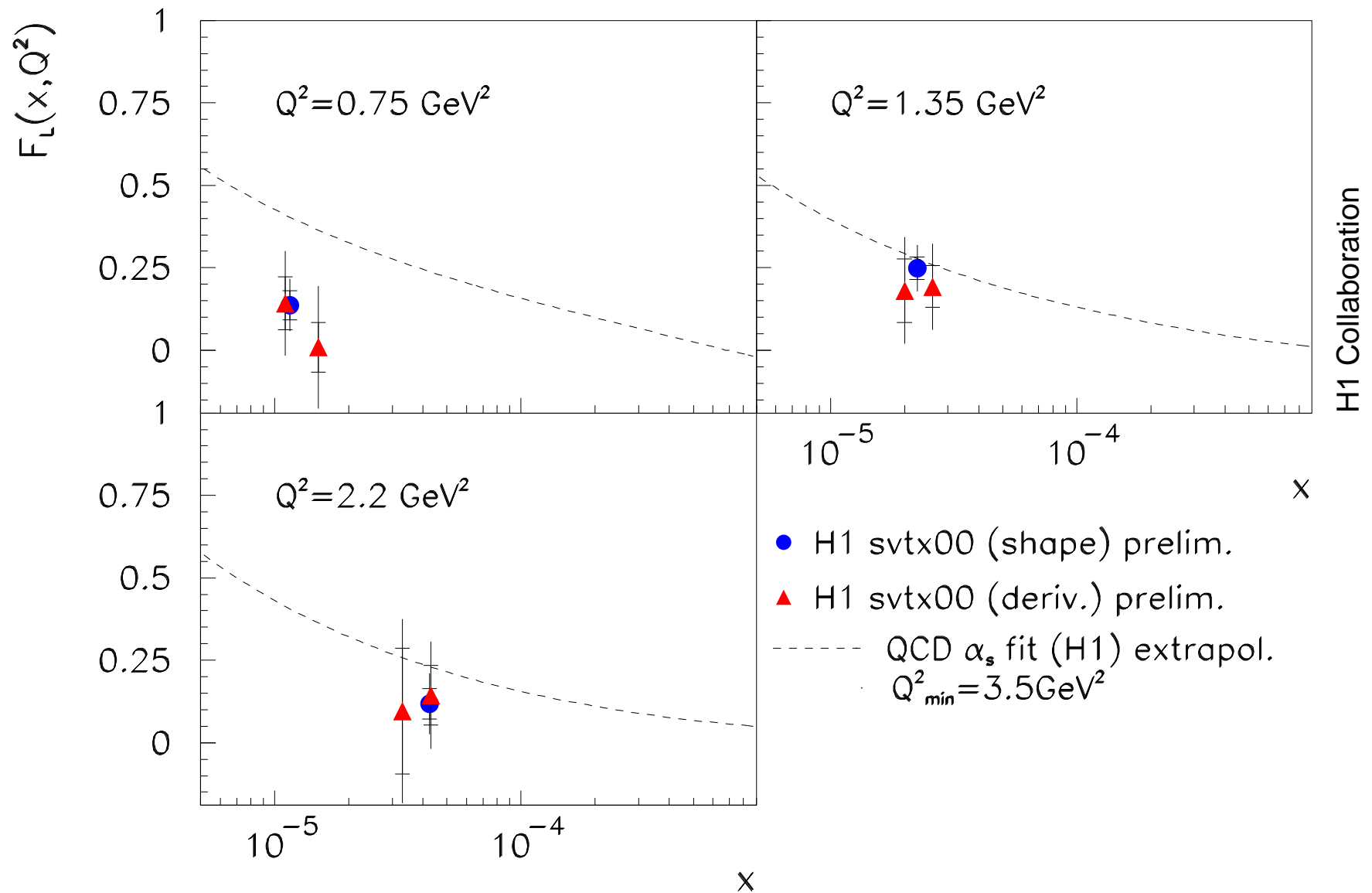
- derivative method
- shape method

$$\sigma_{\text{fit}} = cx^{-\lambda} - \frac{y^2}{1 + (1-y)^2} F_L$$

Reduced Cross Section

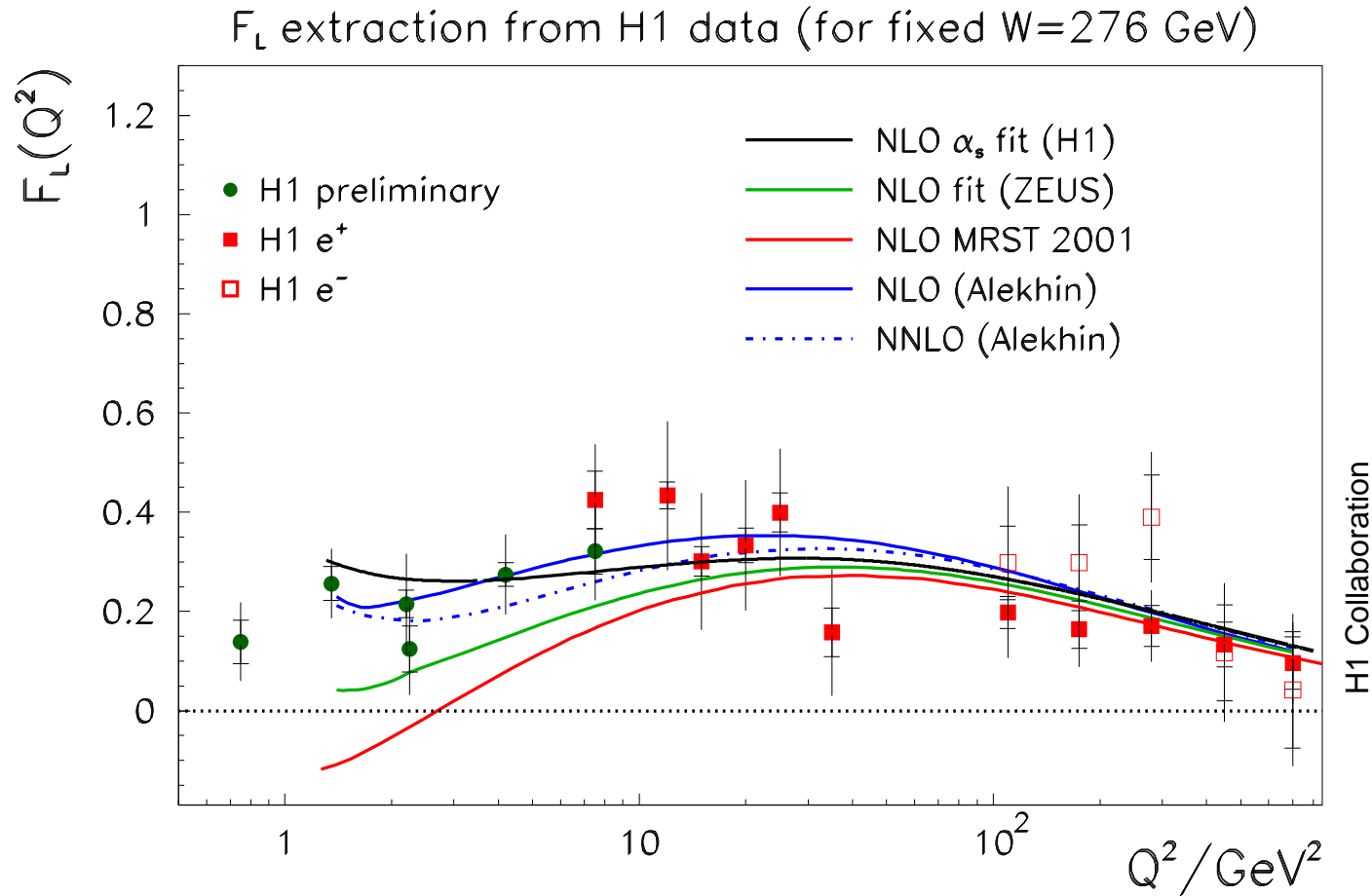


Shape Method vs. Derivative Method



Shape method provides higher precision

F_L at Fixed $y = 0.75$



- ▶ New constraints from low Q^2 data
- ▶ F_L spans 3 orders of magnitude in Q^2
- ▶ Basic agreement with NLO pQCD fits
- ▶ H1 non-negligible F_L at low $Q^2 \implies$ *positive g*

Summary of New Results by H1

New approaches to proton structure function measurements at low Q^2 in transition region from DIS to γp

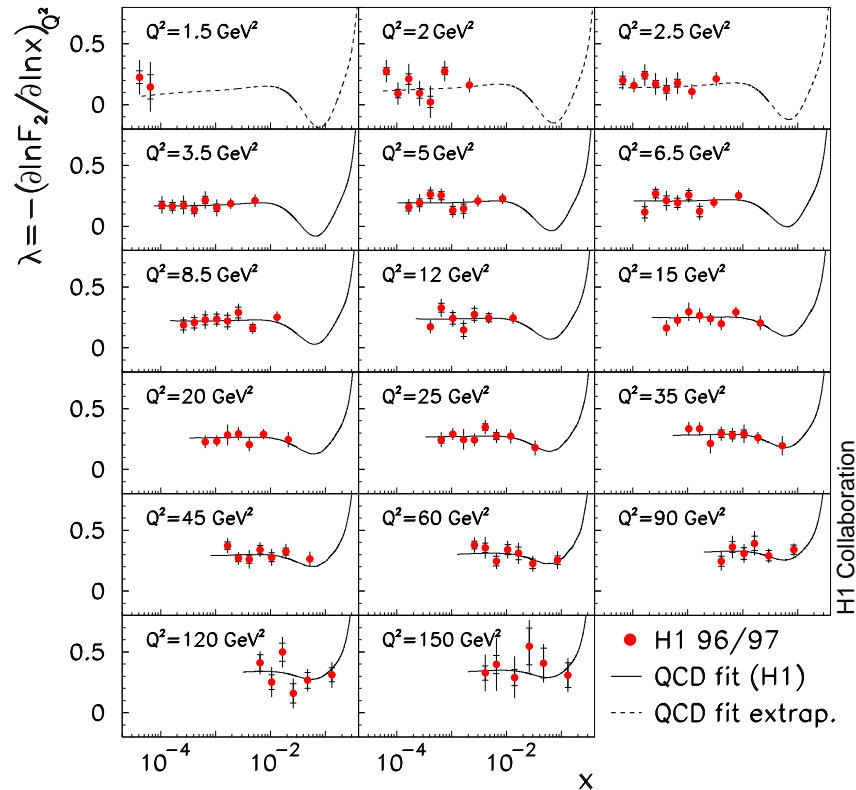
- ▶ $F_2(x, Q^2)$ in QED Compton scattering at $Q^2 \rightarrow 0.1 \text{ GeV}^2$ and $0.001 \lesssim x \lesssim 0.1$
 - Extended low Q^2 domain of HERA towards higher x
 - Better HFS modelling at low W
 - Good agreement with fixed target data

- ▶ Preliminary: $F_2(x, Q^2)$ using shiftex vertex untagged ISR at $0.35 < Q^2 < 0.85 \text{ GeV}^2$ and $10^{-4} \lesssim x \lesssim 5 \cdot 10^{-3}$
 - Extended SV domain towards higher x
 - Improved extraction of $\lambda(Q^2)$

- ▶ Preliminary: $F_L(Q^2)$ at $W = 276 \text{ GeV}$:
 - Derivative method
 - Shape method — more precise

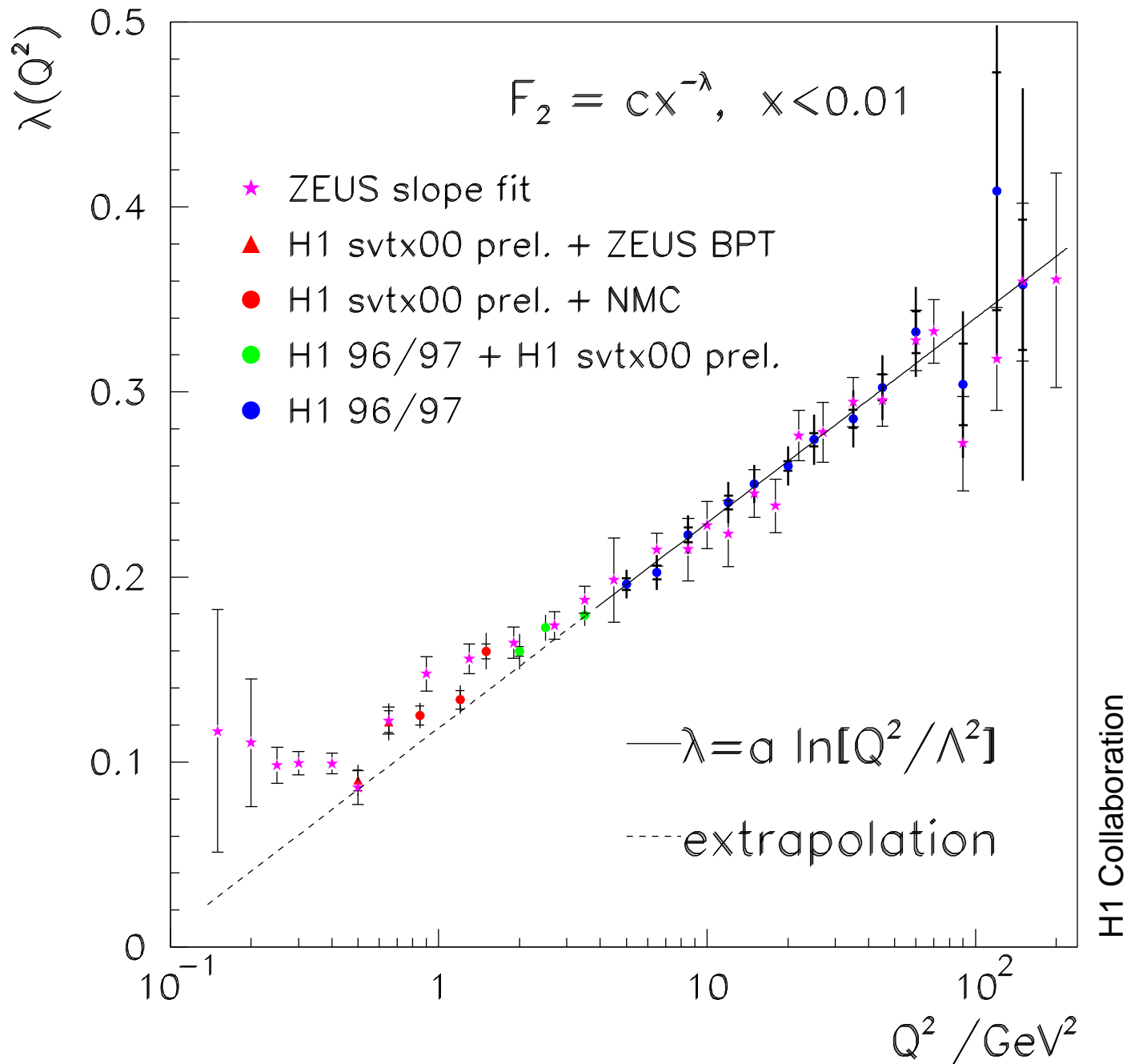
Additional Information

x Dependence of F_2 at Low Q^2

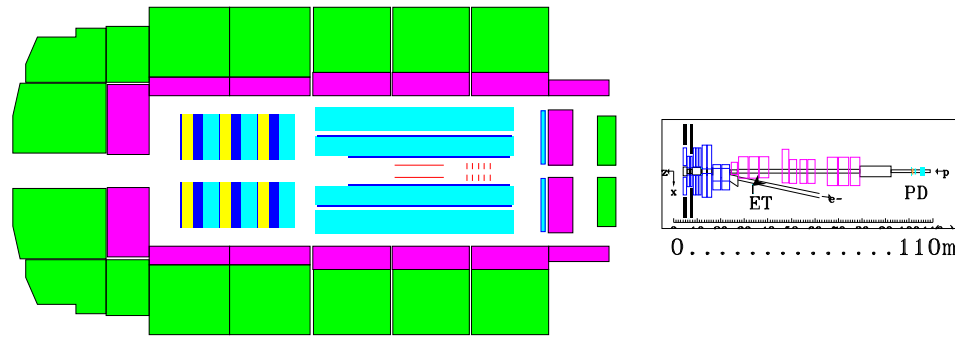


- ▶ If unitarisation effects present, expect taming of rise of F_2 at low x
- ▶ Extract $\lambda = \frac{\partial \ln F_2}{\partial \ln x}$ at fixed Q^2
- ▶ Derivative independent of x for $x < 10^{-2}$
no evidence for saturation

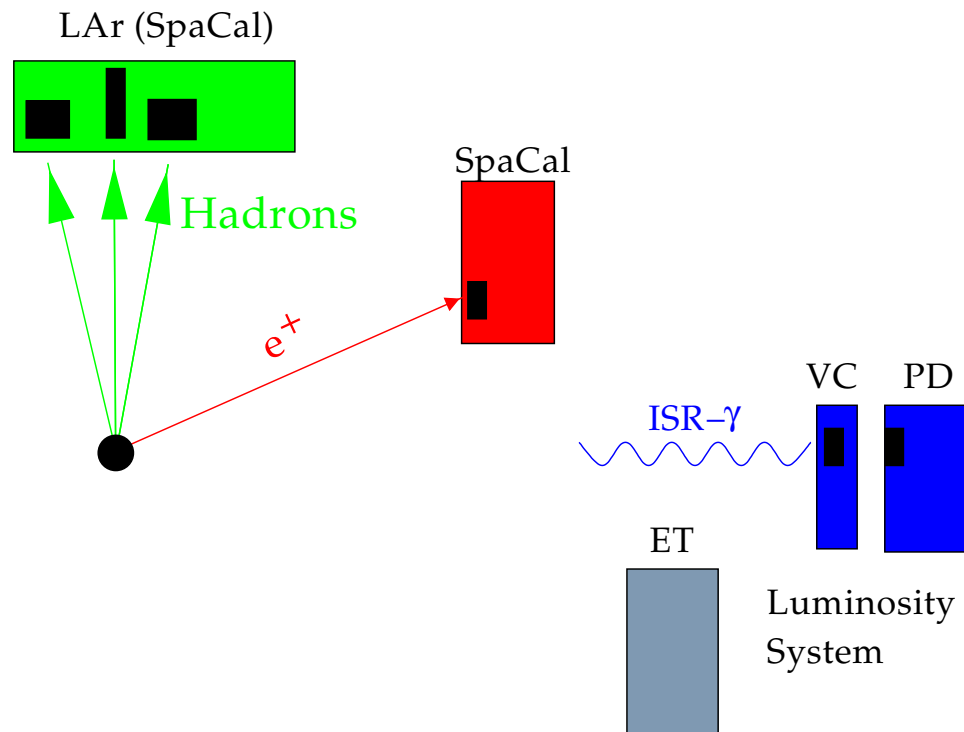
Combined Extraction of λ



ISR Event in H1 Detector



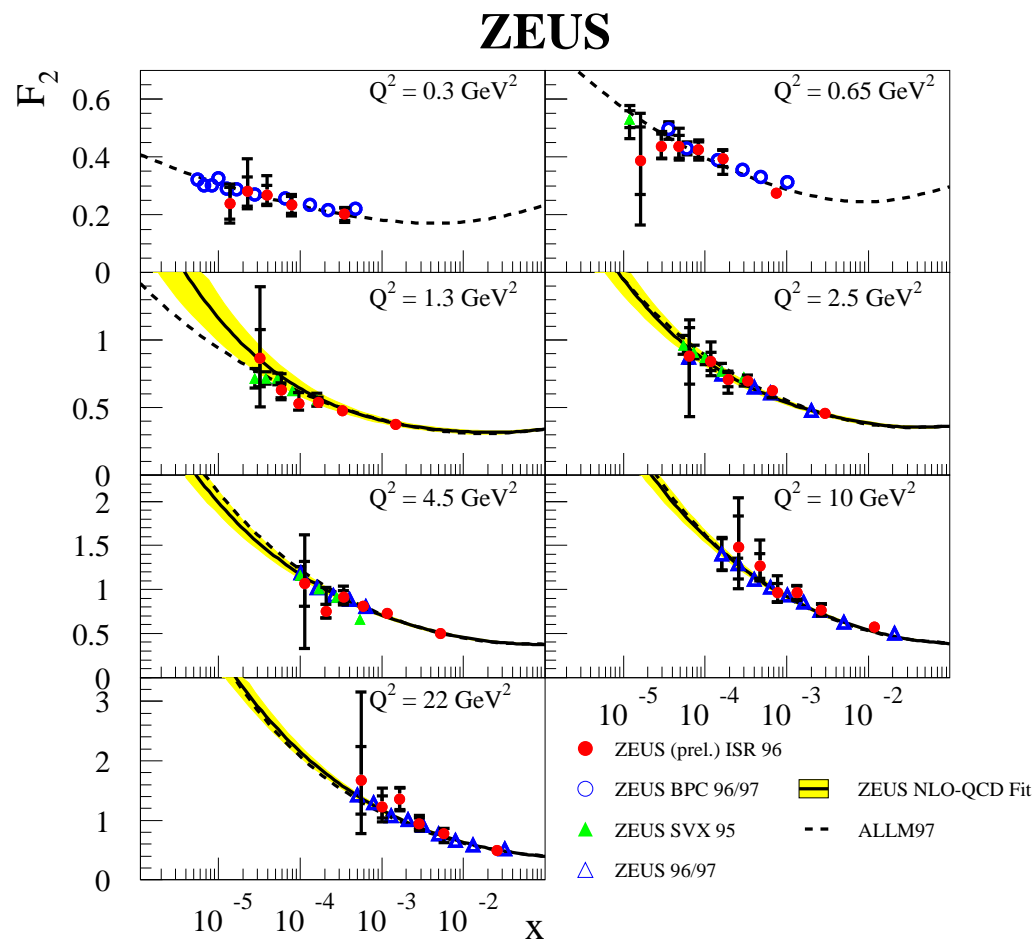
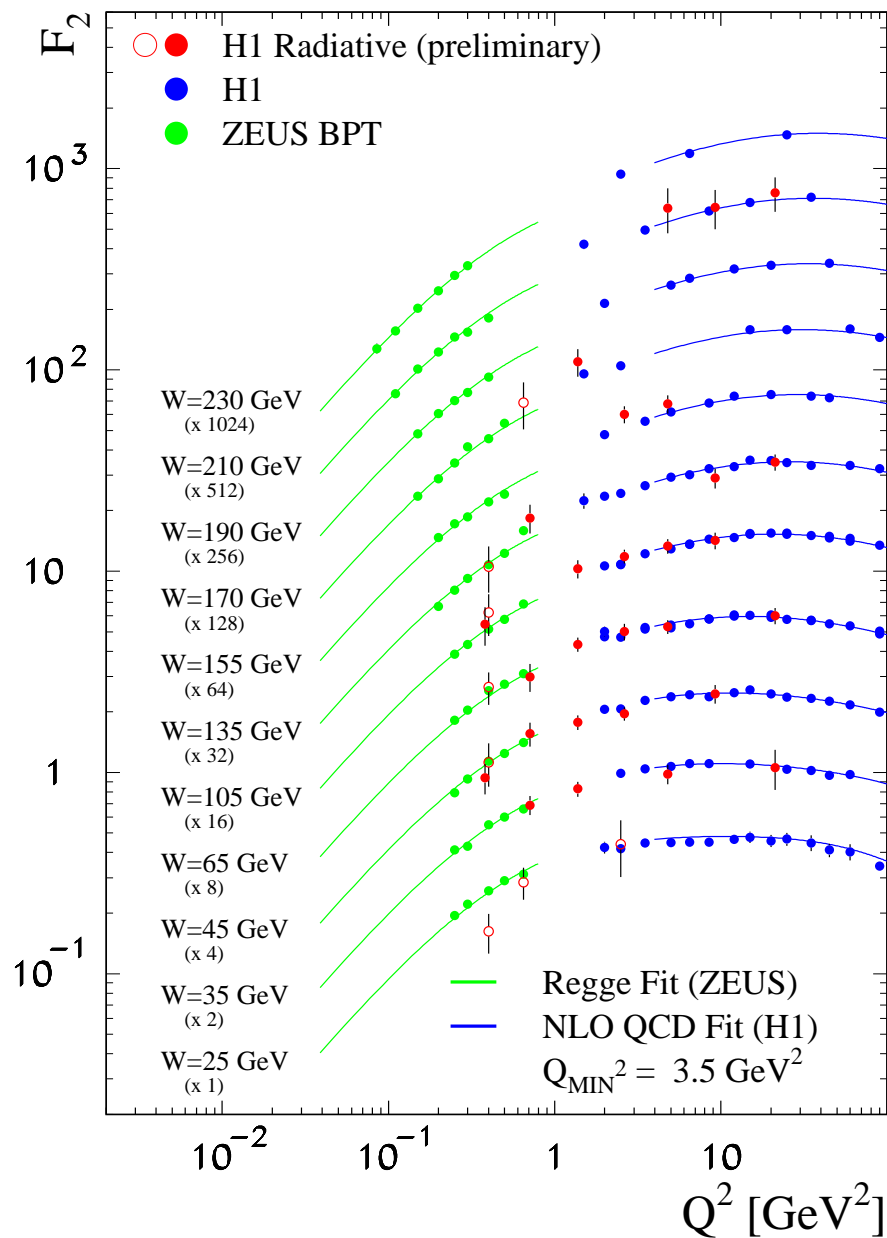
Access lower Q^2



- ▶ **Additional experimental challenges**
 - Detector acceptance and calibration
 - Backgrounds from event overlaps (DIS + BH, γp + BH, ISR + BH)

Preliminary Results: F_2 in ISR

Access both perturbative and non-perturbative domain

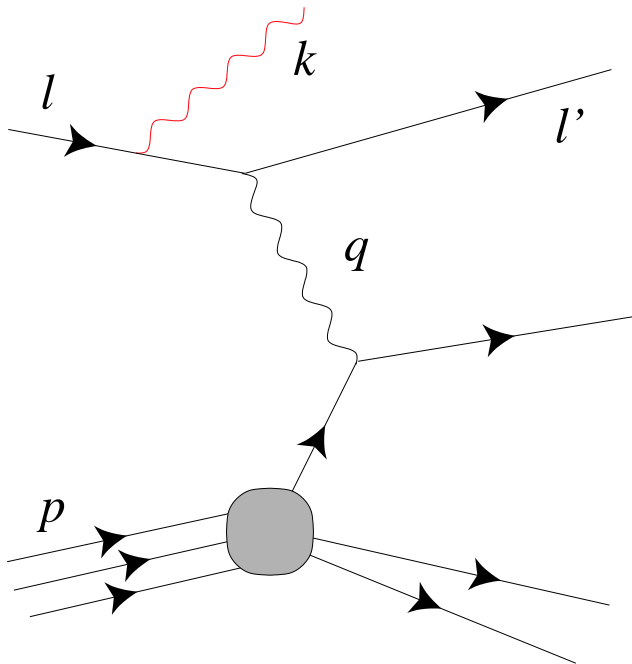


Direct Determination of F_L

► Modified kinematics:

interpret as incident $E = E_{e\text{-beam}} - E_\gamma \implies$ variation of y :

$$y = \frac{p \cdot q}{p \cdot (l - k)}$$



Need much more ISR statistics

ZEUS

