



# **Event Shapes, Jet Substructure and $\alpha_s$ Measurements at HERA**

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**On Behalf of the H1 and ZEUS  
Collaborations**

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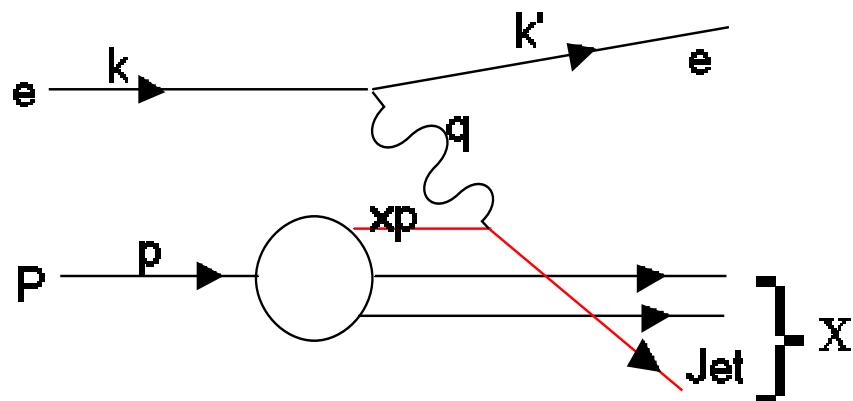
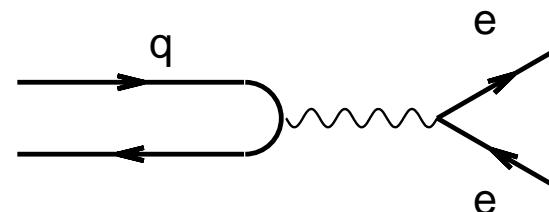
# HERA Kinematic Variables



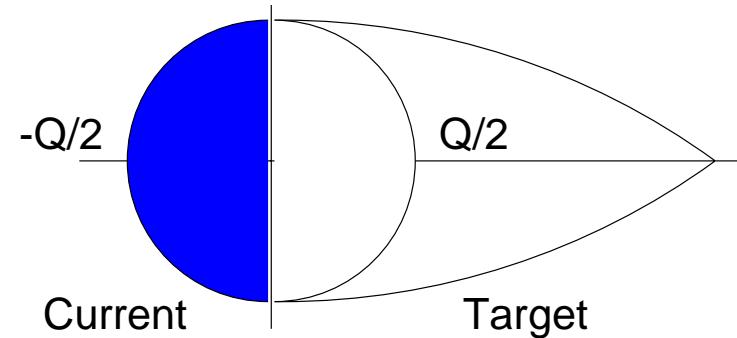
- 920 GeV  $p^+$   
(820 GeV before 1999)
- 27.5 GeV  $e^-$  or  $e^+$
- 318 (300) GeV cms

Breit Frame Definition:

$$q + 2x_B P = 0$$



$$Q^2, x_{Bj}, y$$



Similar to hemisphere in  $e^+e^-$



# Particle and Energy Flow



## Combination of the hard and soft scales

Axis Dependent:

Thrust

$$T = \frac{\sum_i |\vec{p}_i \cdot \hat{n}|}{\sum_i |\vec{p}_i|}$$

$$\begin{aligned} T_T, B_T \\ T_\gamma, B_\gamma \end{aligned}$$

Broadening

$$B = \frac{\sum_i |\vec{p}_i \times \hat{n}|}{\sum_i |\vec{p}_i|}$$

Axis Independent:

C Parameter

$$C = \frac{3 \sum_{ij} |\vec{p}_i| |\vec{p}_j| \sin^2(\theta_{ij})}{2 \left( \sum_i |\vec{p}_i| \right)^2}$$

$$C, M^2$$

Jet Mass

$$M^2 = \frac{\left( \sum_i p_i^\mu \right)^2}{\left( 2 \sum_i E_i \right)^2}$$

Sums are over all momenta in the current hemisphere of the Breit frame



# Approach to Non-perturbative Calculations



pQCD prediction → measured distribution

- Correction factors for non-perturbative (soft) QCD effects

Proposed theory\*: Use power corrections to correct for non-perturbative effects in infrared and collinear safe event shape variable, F:

Used to determine the hadronization corrections

$$\langle F \rangle = \langle F \rangle_{\text{perturbative}} + \langle F \rangle_{\text{power correction}}$$

$$\langle F \rangle_{\text{pow}} = a_v \frac{3MA_1(\alpha_s, \bar{\alpha}_0)}{\pi Q}$$

Valid for event shape means and differential distributions

## Power correction

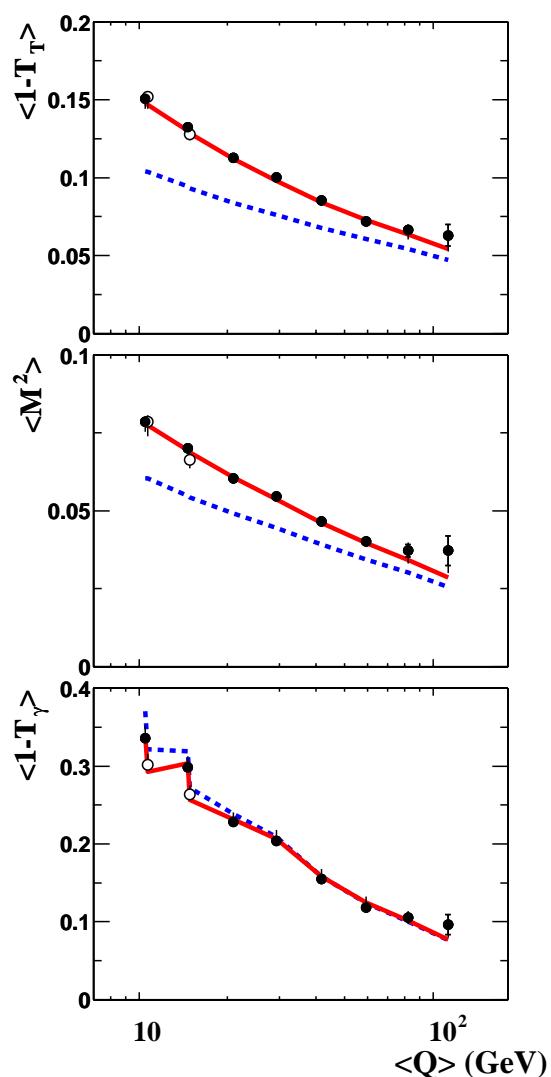
- Independent of any fragmentation assumptions

$\bar{\alpha}_0$  = Universal “non-perturbative parameter”

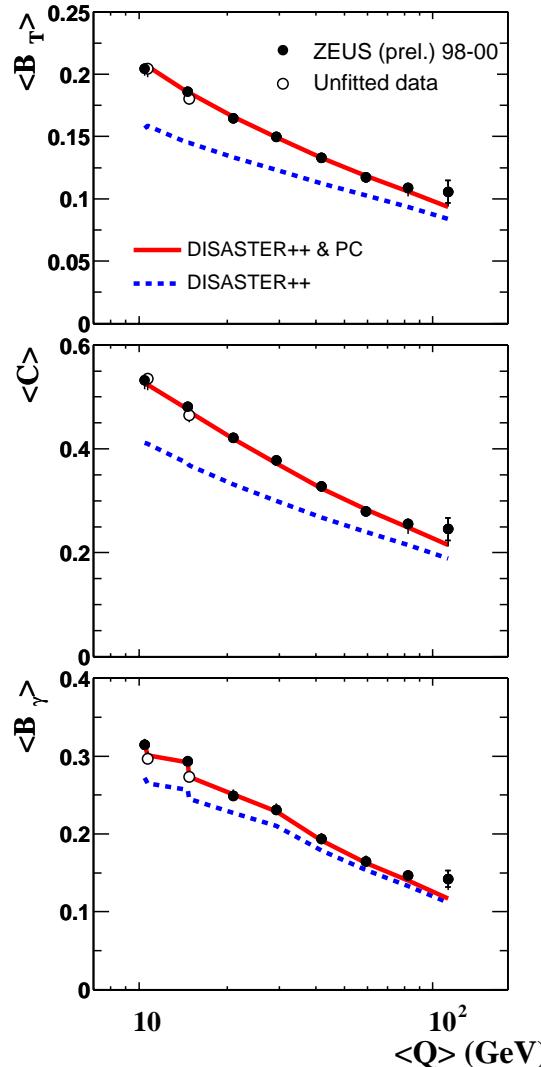
\* – (Dokshitzer, Webber, phys. Lett. B 352(1995)451)



# Shape Means



ZEUS



2-parameter fit

- Simultaneous fit for  $\alpha_s$  and  $\alpha_0$
- Each shape fit separately

Fits use Hessian method for statistical and systematic errors

All variables: good  $\chi^2$

NLO calculation:  
DISASTER++

ZEUS 98-00 (82.2 pb<sup>-1</sup>)  
 $80 < Q^2 < 2 \cdot 10^4$  GeV<sup>2</sup>  
 $2 \cdot 10^{-3} < x < 0.6$



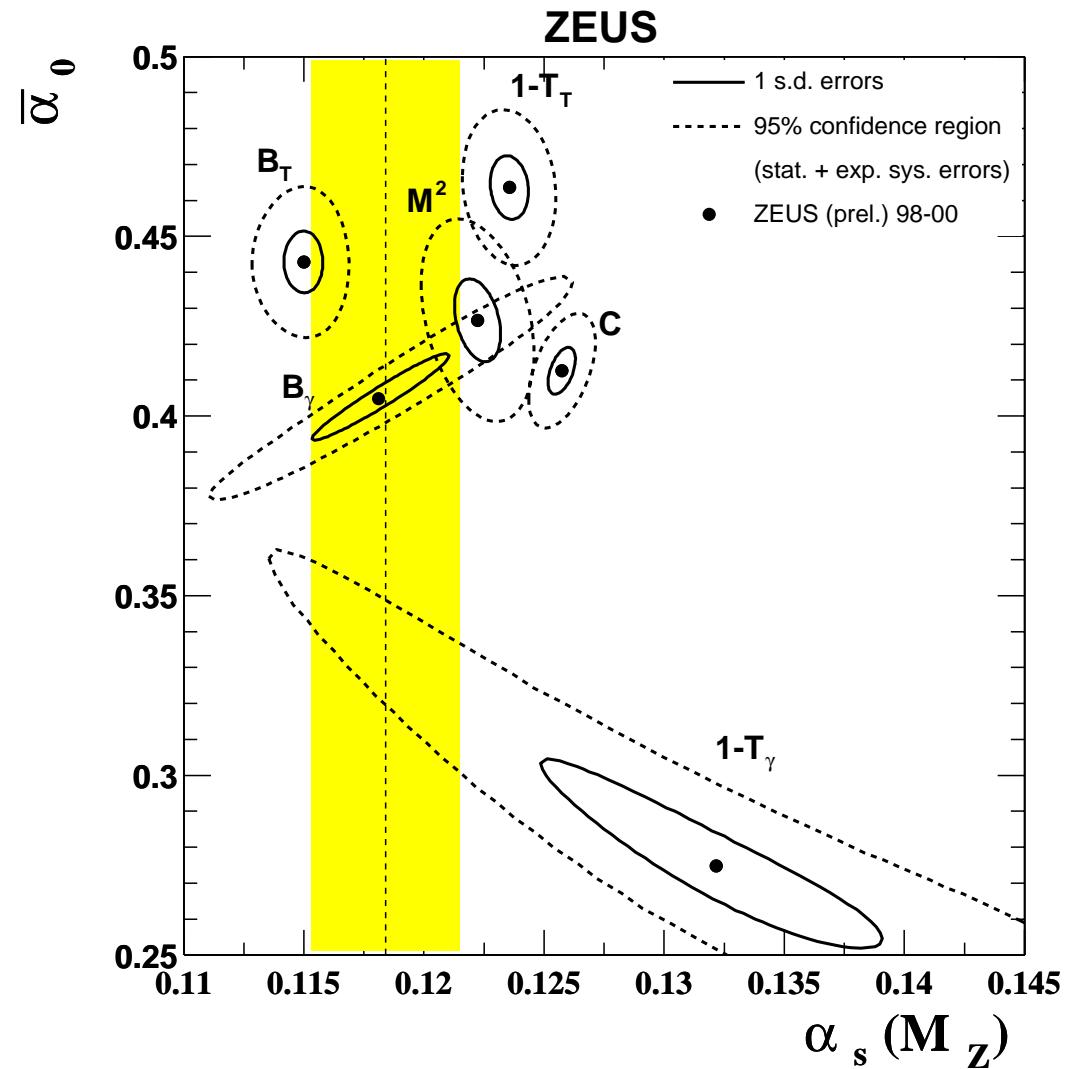
# Mean Parameters



Extracted parameters  
for each shape

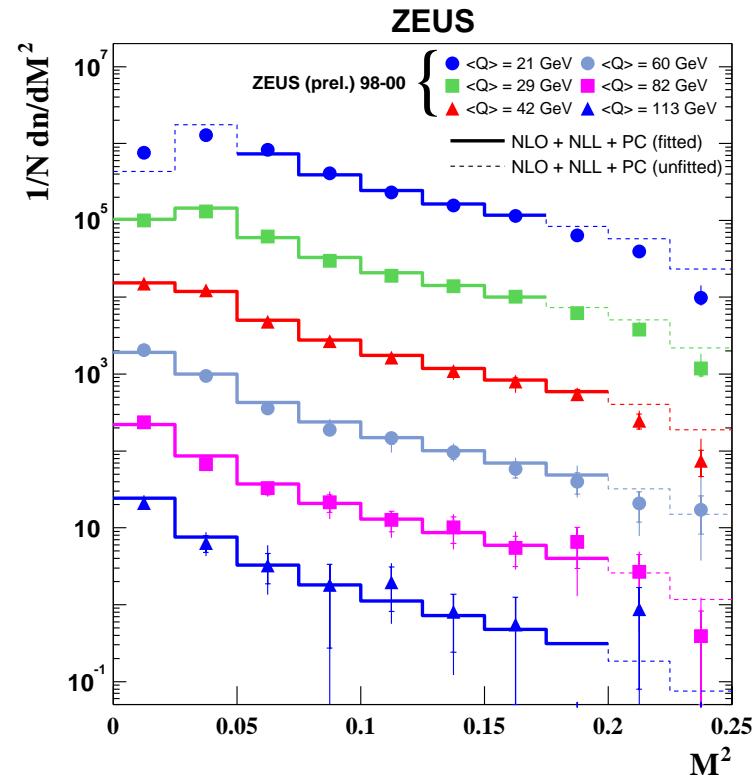
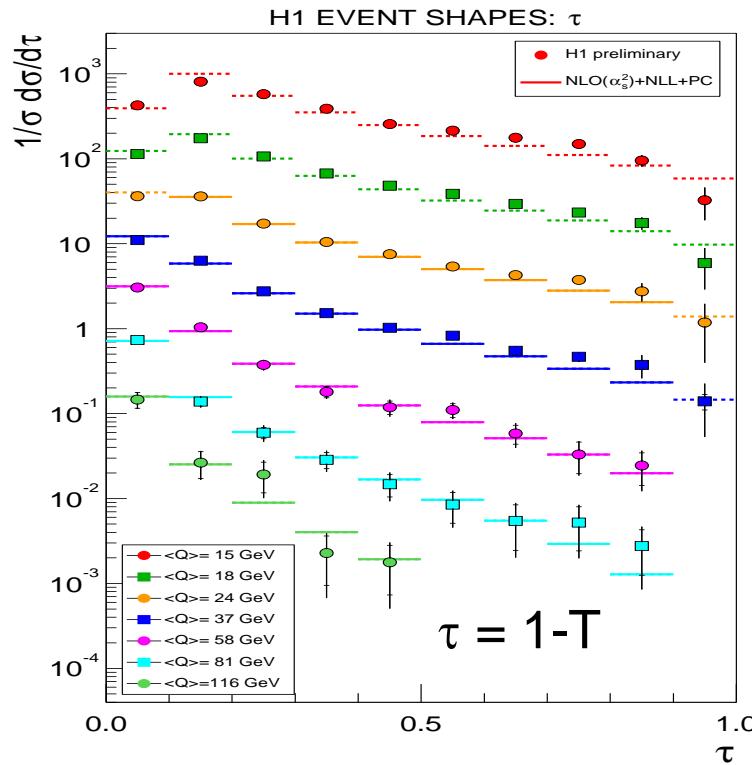
- Fitted  $\alpha_s$  values consistent to within 5%
- Fitted  $\alpha_0 \approx 0.45$  to within 10%

Theory errors dominate, except for  $\gamma$  axis shapes





# Shape Distributions



Fit differential distributions over a limited range.

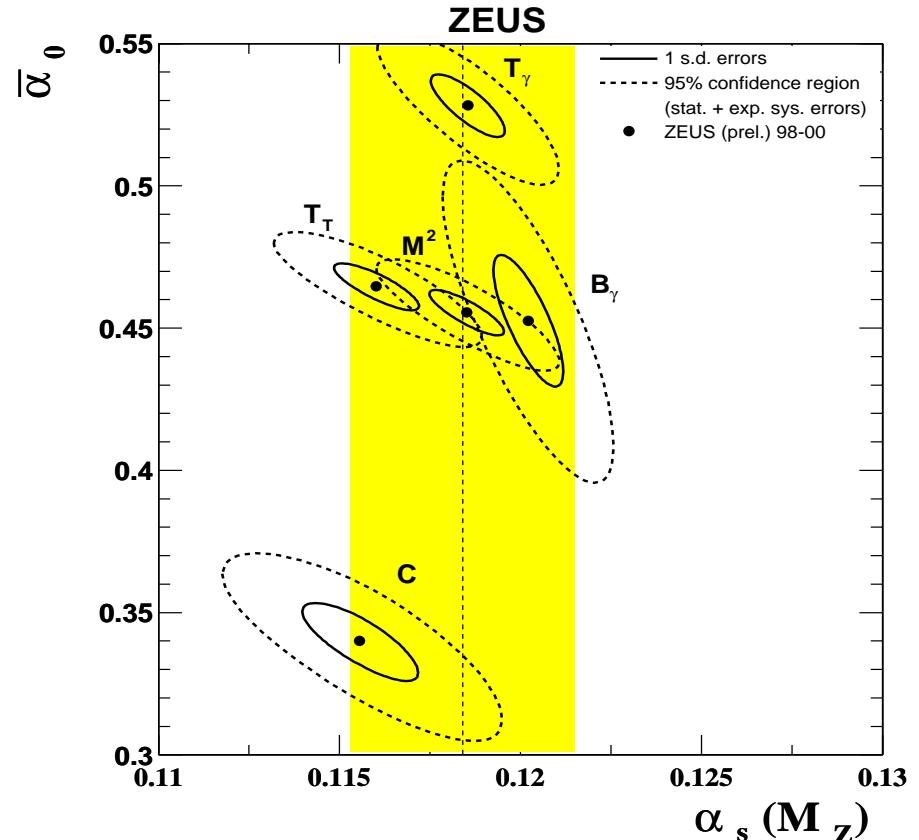
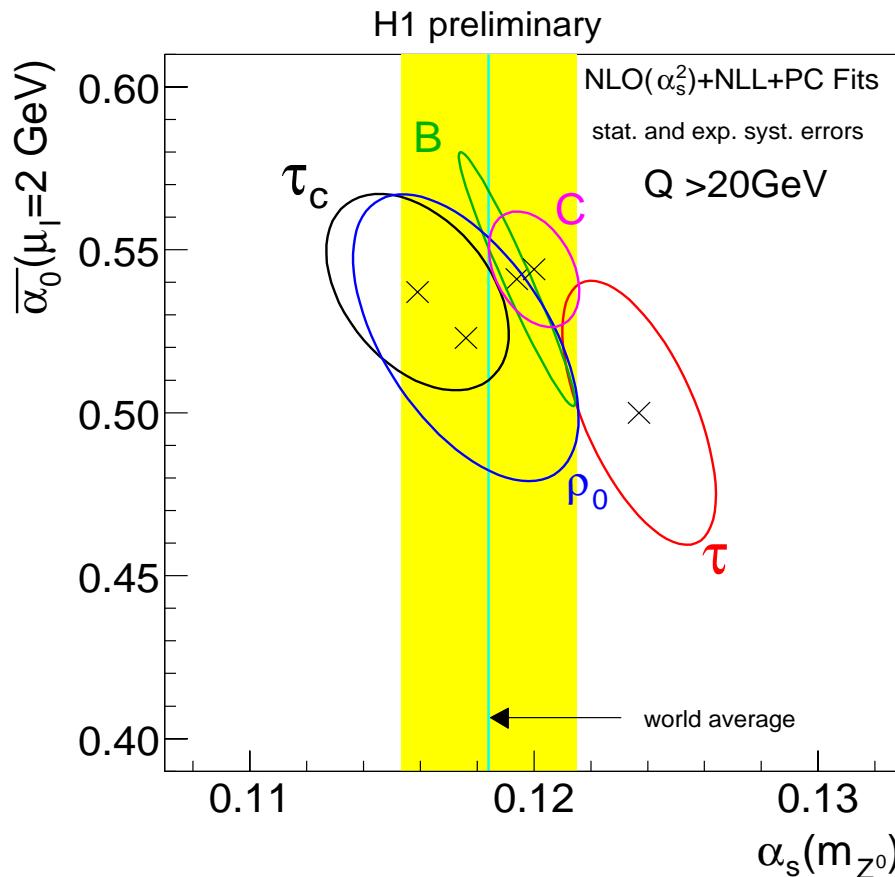
- Bins for which theoretical calculations are expected to be questionable are omitted from fit.
- Resummation is applied with DISRESUM.

H1 (112 pb $^{-1}$ )  
 $14 < Q < 200$  GeV  
 $0.1 < y < 0.7$

ZEUS 98-00 (82.2 pb $^{-1}$ )  
 $9 < Q < 141$  GeV  
 $2 \times 10^{-3} < x < 0.6$



# Distribution Parameters



Fits use Hessian method for statistical and systematic errors.

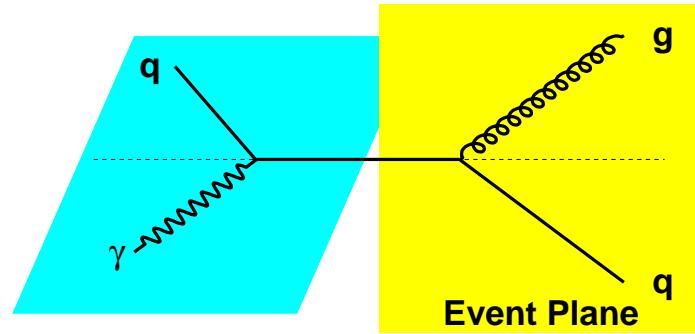
All variables with a good  $\chi^2$ .

Fits are sensitive to matching method.

$\alpha_s$  agrees with world average       $\alpha_0 \approx 0.5$ .



# Event Shapes With Jets



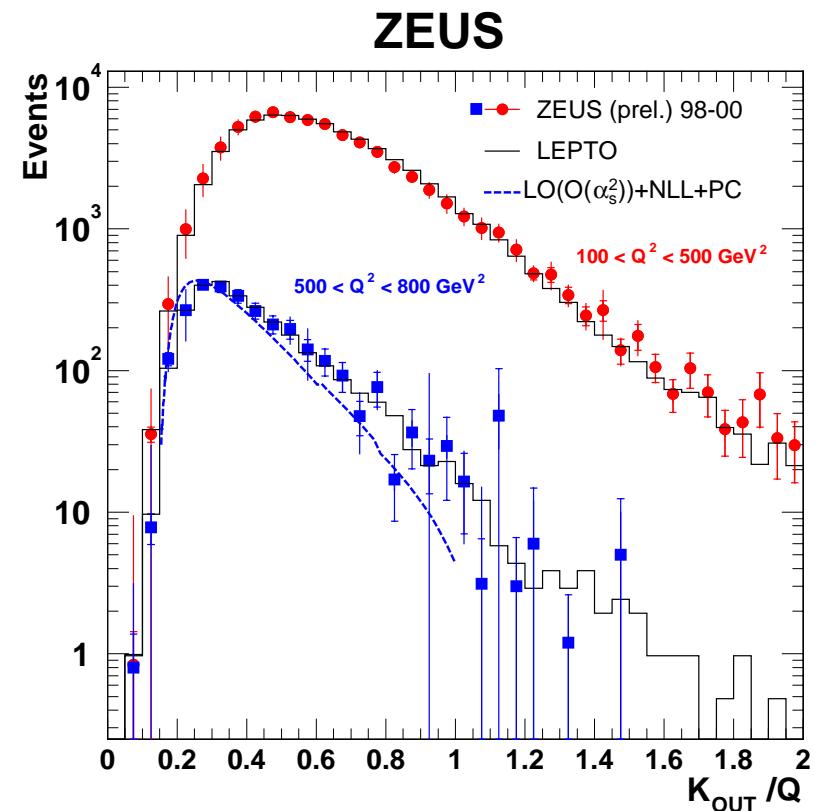
Momentum out of plane

$$K_{out} = \sum_i |\vec{p}_i|$$

## Energy flow out of event plane:

- Sensitive to perturbative & non-perturbative contributions
- Dijet event:
  - Perturbative physics: in plane
  - Non-perturbative physics: out-of-plane momentum

Measured by H1 and ZEUS



First comparison with LO+NLL+PC shown

- $\alpha_s(M_Z) = 0.118$
- $\alpha_0 = 0.52$

ZEUS 98-00 (82.2 pb<sup>-1</sup>)  
100 < Q<sup>2</sup>



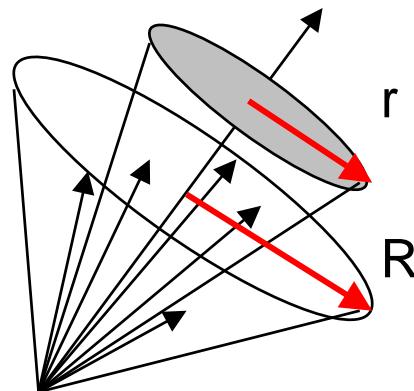
# Jet Substructure



Jet substructure depends mainly on type of primary parton and to lesser extent on the particular hard scattering process

Gluon initiated jets are broader than quark initiated jets

**Jet Shape  $\psi(r)$ :** fraction of the jet  $E_T$  inside a cone in the  $\eta$ - $\varphi$  plane of radius  $r$

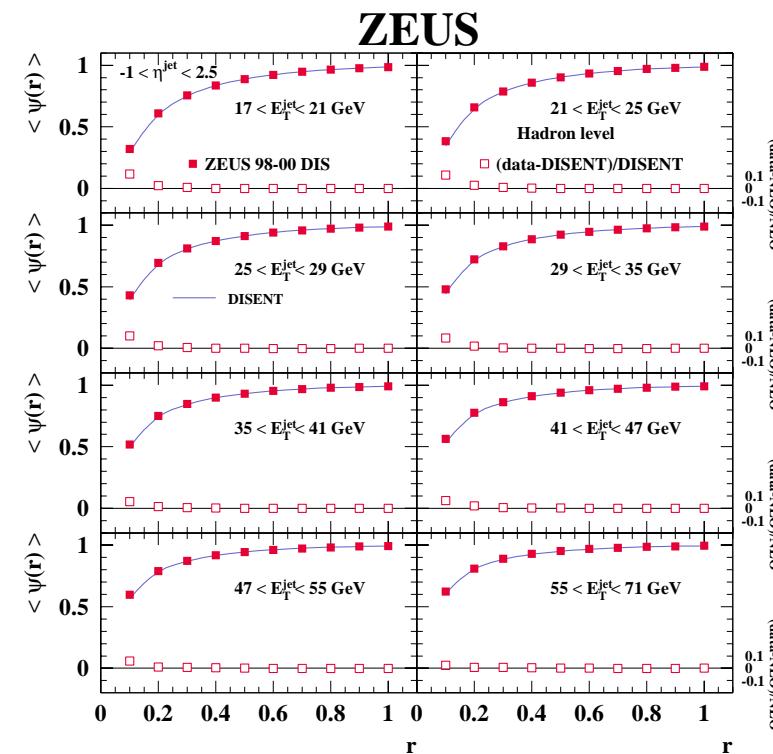


ZEUS 98-00 ( $82.2 \text{ pb}^{-1}$ )

Jets found in LAB frame

$Q^2 < 125 \text{ GeV}^2$

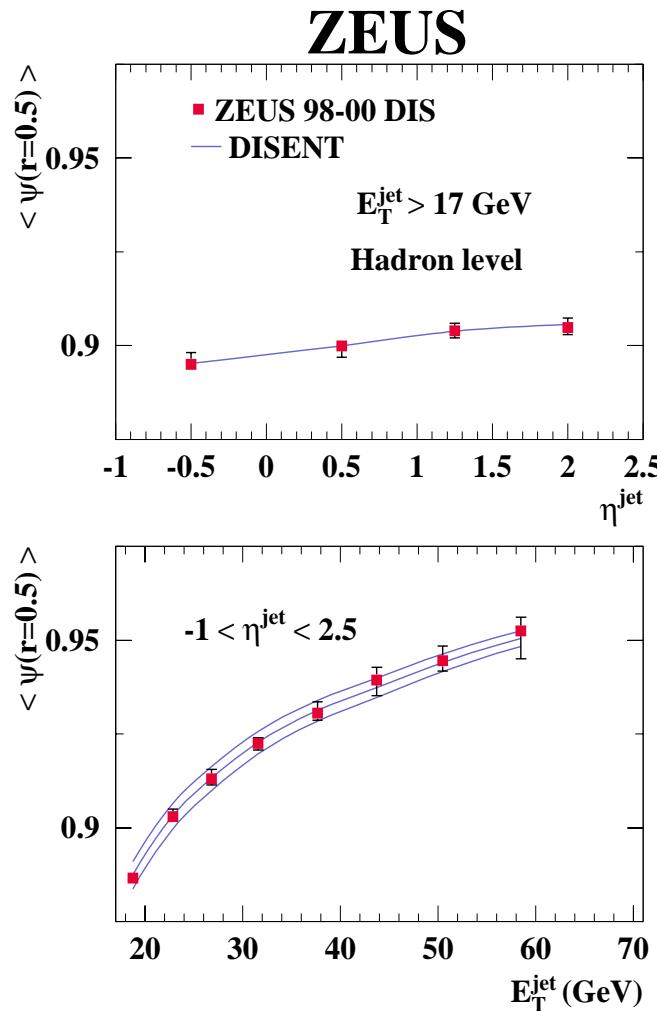
$E_T^{\text{jet}} > 17 \text{ GeV}$      $-1 < \eta^{\text{jet}} < 2.5$



First time studied in photoproduction



# Using Jet Substructure to Study the Hard Subprocess



$E_T^{\text{jet}}$  dependence:

- DIS and  $\gamma p$ : jets become narrower as  $E_T^{\text{jet}}$  increases

$$\alpha_S = 0.1225$$

$$\alpha_S = 0.1175$$

$$\alpha_S = 0.1125$$

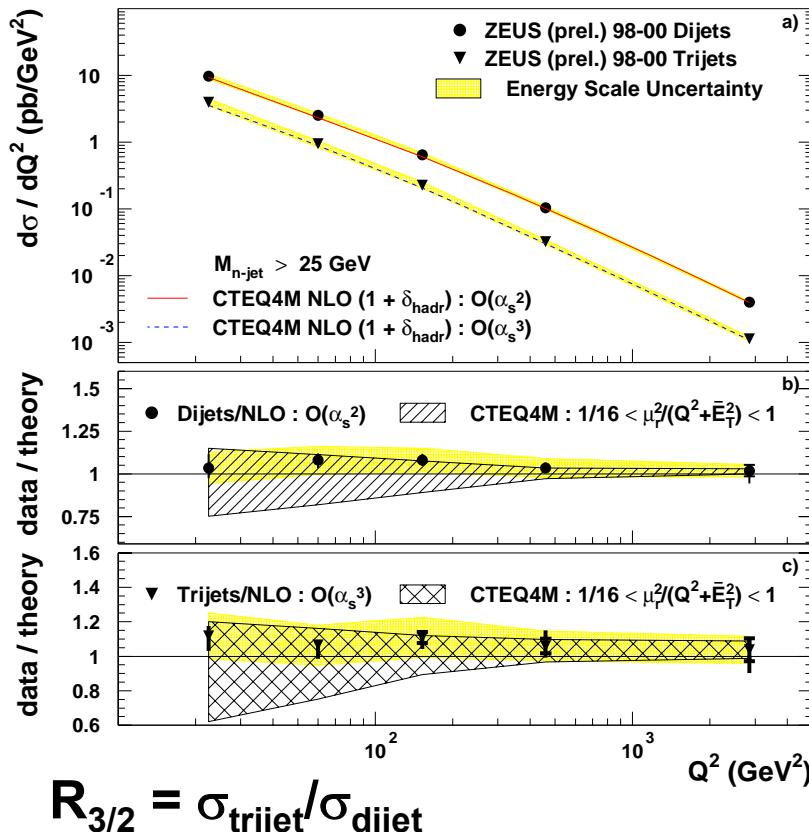
$$\alpha_s(M_z) = 0.1176 \pm 0.0009 \text{ (stat.)} {}^{+0.0009}_{-0.0026} \text{ (exp.)} {}^{+0.0091}_{-0.0072} \text{ (th.)}$$



# Multijet Test of QCD



## ZEUS



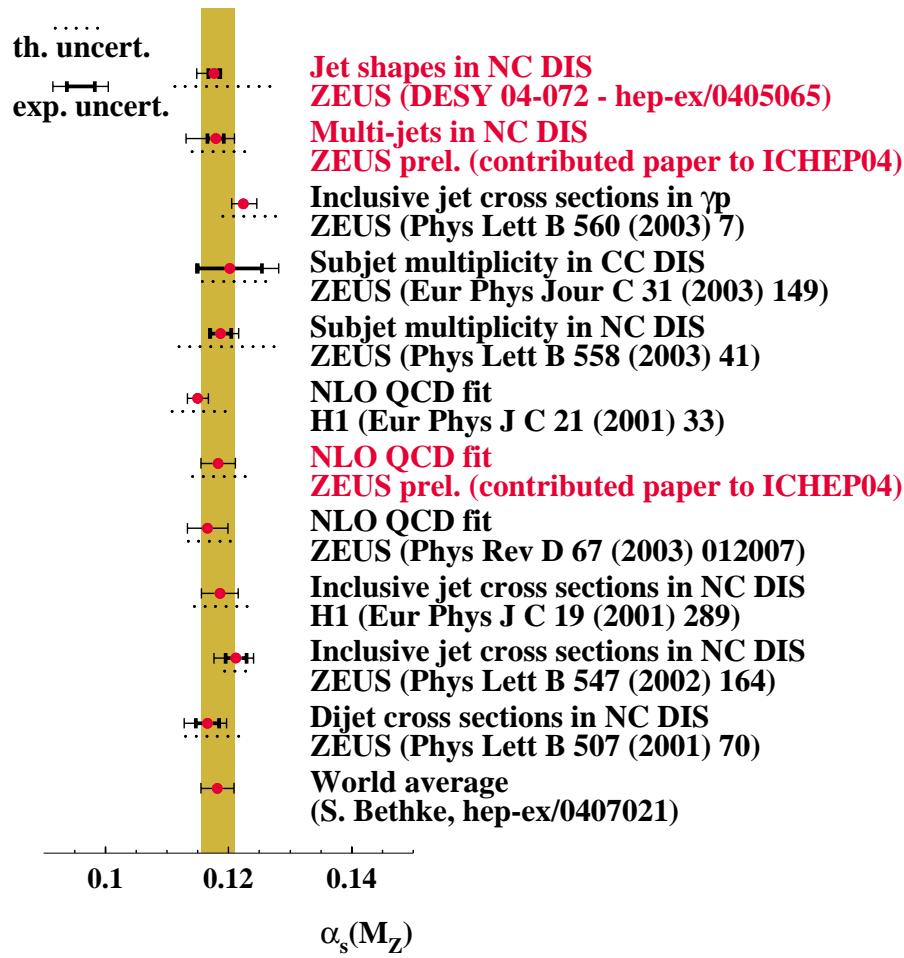
$$R_{3/2} = \sigma_{\text{trijet}} / \sigma_{\text{dijet}}$$

Systematic uncertainties substantially reduced  
Very sensitive test of QCD calculation

$$\alpha_s(M_z) = 0.1179 \pm 0.0013(\text{stat.})^{+0.0028}_{-0.0046} (\text{syst.})^{+0.0061}_{-0.0047} (\text{th.})$$



# Summary



- Good experimental measurement of event shapes
  - Means, Differential Distributions, and new event shapes for jet events
  - Need some theoretical input for higher order calculations and resummations for the event shapes in jet events
- Jet substructure, jet rates, and jet ratios demonstrate the validity of the description of the internal structure of jets by QCD
  - Using  $R_{3/2}$  cross section ratio gives possibility to measure  $\alpha_s$  at very low  $Q^2$