A Search For Magnetic Monopoles at HERA

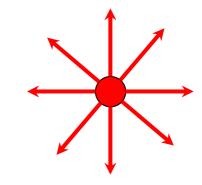


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- Introduction
- Experimental Technique and Preliminary Results
- Future Plans



D. Milstead, T. Sloan

Introduction: Dirac Monopoles

$$\nabla \cdot \vec{E} = \frac{\rho}{\varepsilon_{0}}$$

$$\nabla \cdot \vec{B} = \mu_{0}\rho_{m}$$

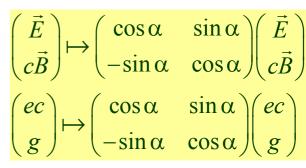
$$\nabla \times \vec{E} = -\frac{\partial \vec{B}}{\partial t} - \mu_{0}j_{m}$$

$$\nabla \times \vec{B} = \mu_{0}\vec{j} + \varepsilon_{0}\mu_{0}\frac{\partial \vec{E}}{\partial t}$$

$$F = e\left(\vec{E} + v \times \vec{B}\right) + g\left(\vec{B} - \frac{1}{c^{2}}(v \times E)\right)$$

•Magnetic monopoles symmetrize Maxwell's equations

•Duality transformation:



•By convention, choose α so g=0

•Look for particles with different electric/magnetic charge ratio

•The Dirac Quantisation Condition: Wu and Yang's construction

 $A_r^{\pm} = A_{\alpha}^{\pm} = 0$

 $|q_e-q_p|/e < 10^{-20}$ Why?

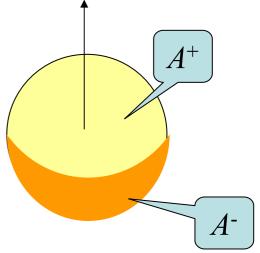
If there is a monopole...

$$\vec{B} = g \frac{\hat{\vec{r}}}{r^2} \qquad B = \nabla \times \vec{A}$$

•(singular) vector potentials

•Related by U(1) gauge transformation

$$A_{f}^{\pm} = \pm \frac{g}{r} \frac{1 \mp \cos q}{\sin q}$$
$$A^{-} = A^{+} - \frac{i}{e} S \nabla_{\phi} S^{-1}$$
$$S = e^{2ige\phi}$$



•Single-valued as
$$\phi \rightarrow \phi + 2\pi \Rightarrow$$

$$e = n \frac{1}{2g} \left(= n \frac{\hbar c}{2g} \right)$$

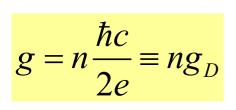
More monopoles...

- •Monopoles in U(1) 'optional'
- •Non-Abelian gauge symmetry
 - + spontaneous symmetry breaking to U(1) subgroup \Rightarrow monopole solutions *t'Hooft Polyakov*
- •Topological in origin: arise from non-trivial configurations of Higgs field. $g = 2g_D$
- •Masses typically very large ~ M_X/α ~ 10¹⁵⁺ GeV
 - •...but 10⁴ GeV and lower in some scenarios
- •...and 'classic' Dirac monopole may have v. low mass:

$$\frac{\frac{g^2}{m_{_{M}}} \approx \frac{e^2}{m_{_{e}}} \Longrightarrow m_{_{M}} \approx 2.4 \text{GeV}}$$

Monopole Properties:

m_M anything from few GeV $\rightarrow \sim$ mass of bacterium!



•Assumes fundamental charge is *e* – maybe *e*/3, 2*e*/3...?

•Maybe restricted to even values – dyons Schwinger et al

 \Rightarrow Minimum magnetic charge could be g_D , $2g_D$, $3g_{D_1}$, $6g_D$

$$\alpha_m = \frac{n^2}{4} \frac{1}{\alpha} \approx 34n^2 \qquad (c.f. \ 1/137) \implies \text{Coupling huge!}$$

•Perturbation theory not applicable.

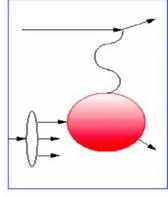
•Large ionisation energy losses in material.

е

Experimental Technique

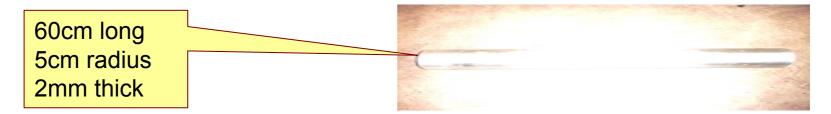
- First search for monopoles in *e*⁺*p* collisions
- Monopoles will be stopped in AI beam pipe

- Binding energy expected to be large - permanent trapping. *Milton et. al.*



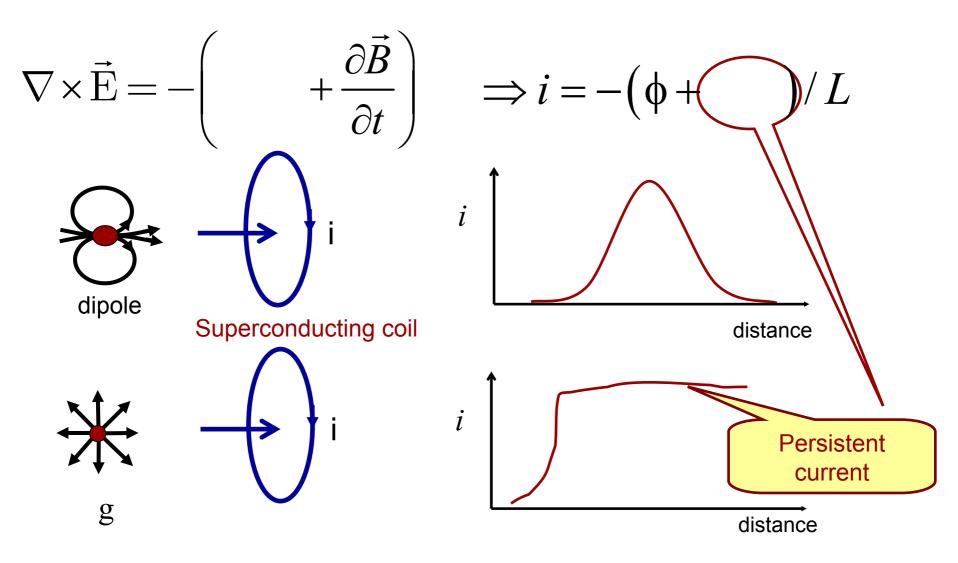
•Use section of H1 beam-pipe around interaction zone.

•1995-1997. Exposed to integrated luminosity=60pb-1



- Sliced into 15 longitudinal strips
- pass samples through a SQUID magnetometer

Monopole signature



Magnetometer

•2G enterprises type 760 magnetometer at Southampton Oceanography Centre.

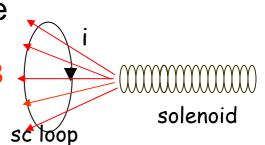
- •Warm bore, high sensitivity low-noise device
- •1/40th fluxon precision from single pass.

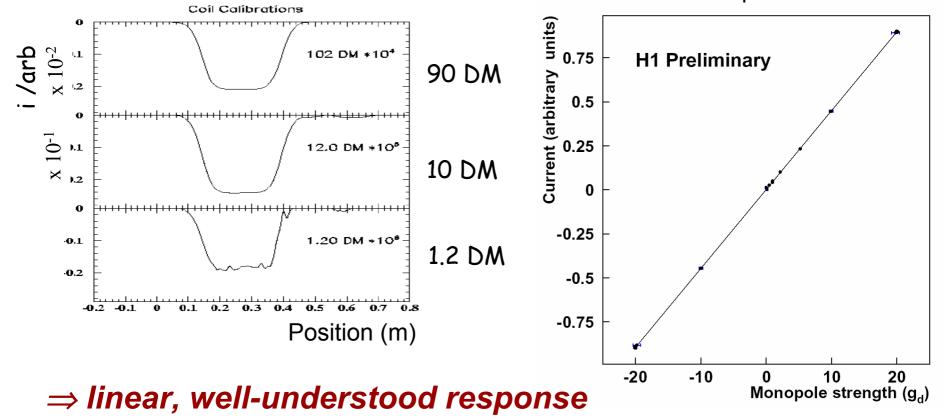


Calibration

•Use long thin solenoids to simulate monopole

•vary current \Rightarrow various monopole strengths B g = NidS (good to 3%)

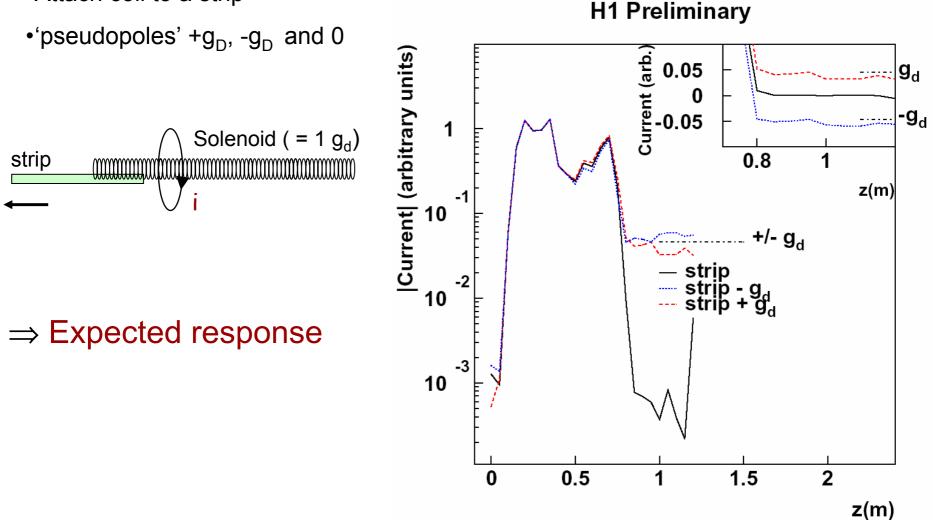




Calibration (2)

Simulate trapped monopole behaviour:

•Attach coil to a strip



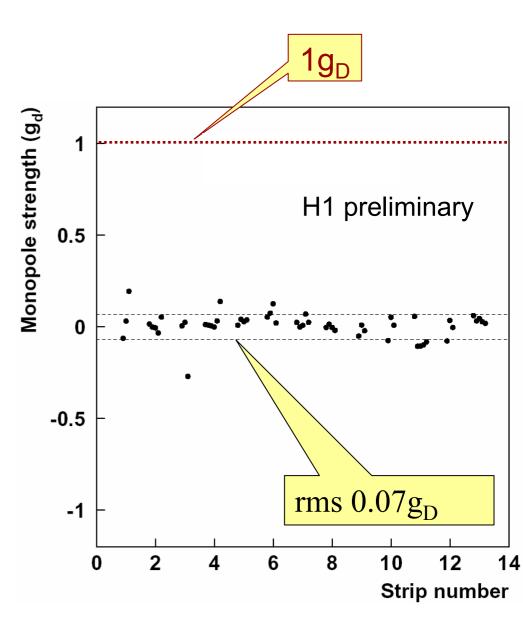
Results

•13 strips measured (several times)

•Care taken to avoid heating and strong magnetising or demagnetising fields

•Magnetometer sensitive to g>~0.2g_D

•No repeatable monopole signal seen



Determination of Upper limits

Acceptance calculation

•Model an allowed production process $\gamma p \rightarrow MMp$ >relies on perturbation theory!

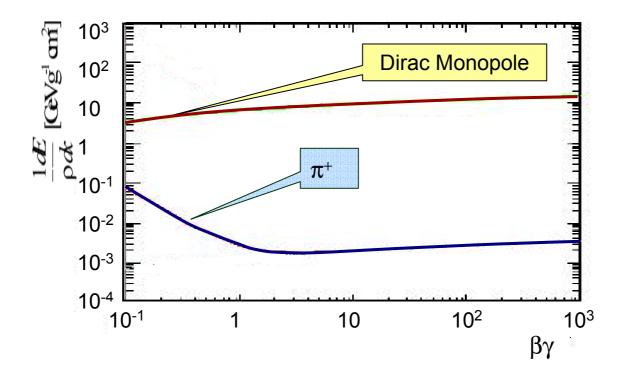
...but acceptances depend mostly on kinematics

•Track through H1 field (1.15 Tesla) and beampipe.

•Compute acceptance as: (geometrical acceptance) x (stopping efficiency)

Ionisation Loss.

- Modified Bethe-Block formula for magnetic charge.
- $dE/dx(g) = (137\beta n/2)2 dE/dx(q)$ (*S.P. Ahlen*)
 - no rise at low β
 - Classical calculation long-range interactions with atomic electrons



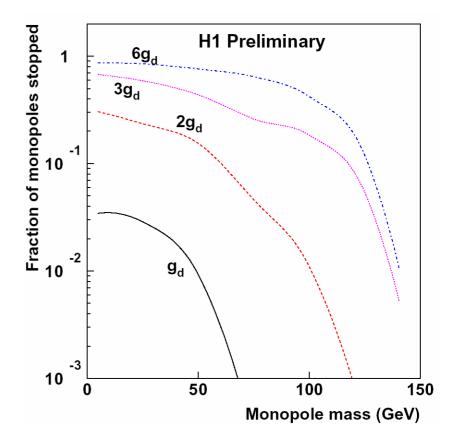


Integrate dE/dx to get range for 1g_D monopoles in Aluminium

•Fraction of monopoles stopped vs. monopole mass:

•Extends to ~ 140 GeV

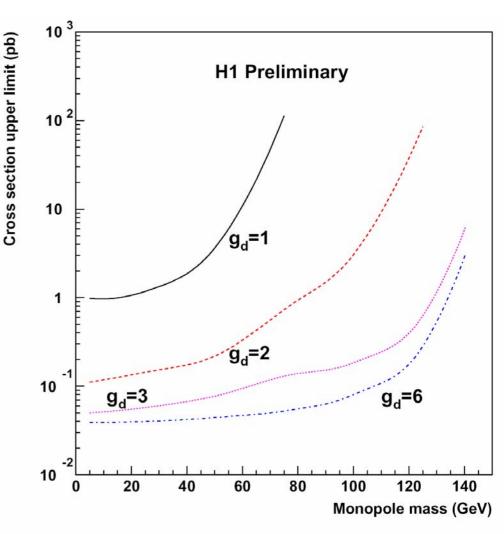
•For $g > 6g_D$ limited by geometric acceptance



Upper limit for monopole production

- •No monopoles detected
- •60 pb⁻¹
- Acceptance calculated as above
- •95% confidence level limits
- •Assume flux small so no cancellation between monopoles and antimonopoles in same strip

•Exclusion up to ~140 GeV



Comparison with other measurements

•Exist limits from diverse processes:

$$e^+p, \quad p\overline{p}, \quad e^+e^-$$
, cosmic rays (pN)

Mass-charge exclusion regions largely from kinematics

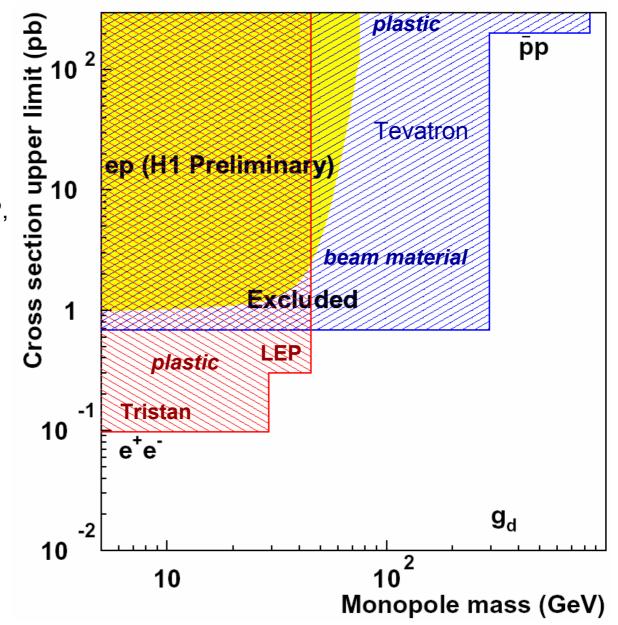
•*Model-dependent cross-section limits* – different assumptions made

For low charge monopoles:

•H1 mass limits similar to LEP, lower than Tevatron

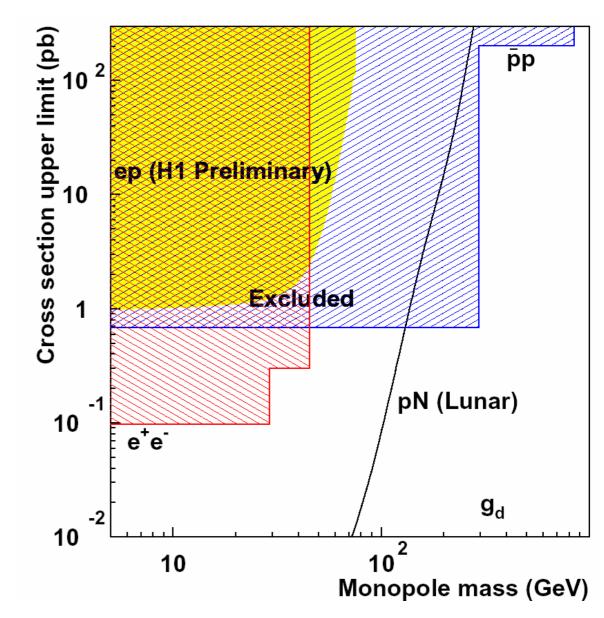
But

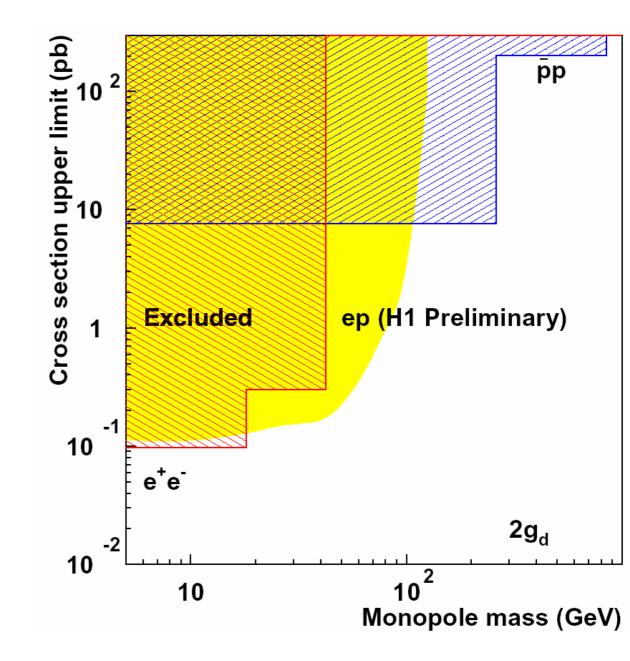
•Different cross sections, different assumptions

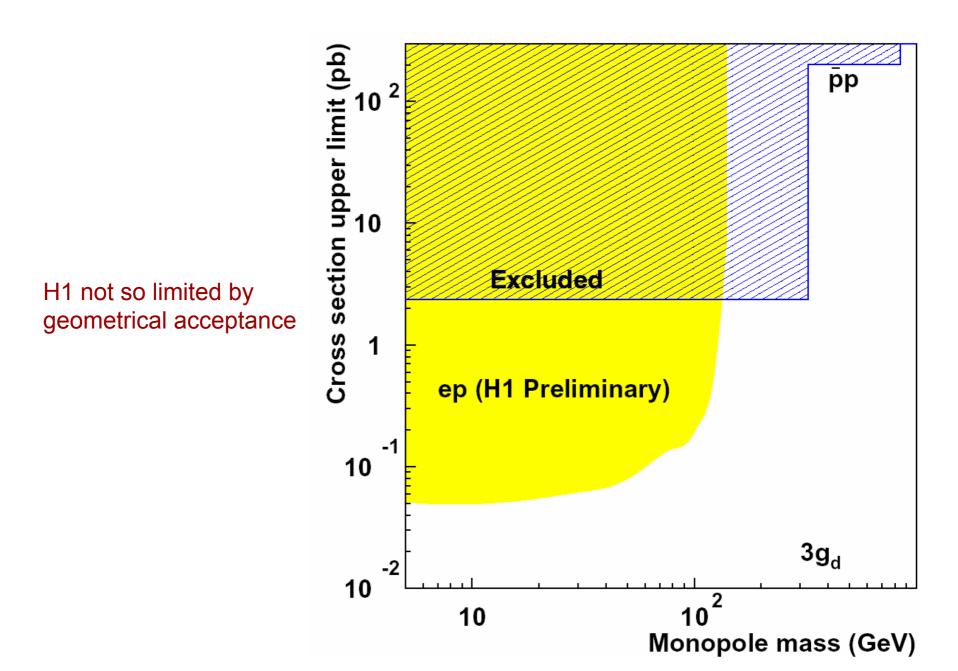


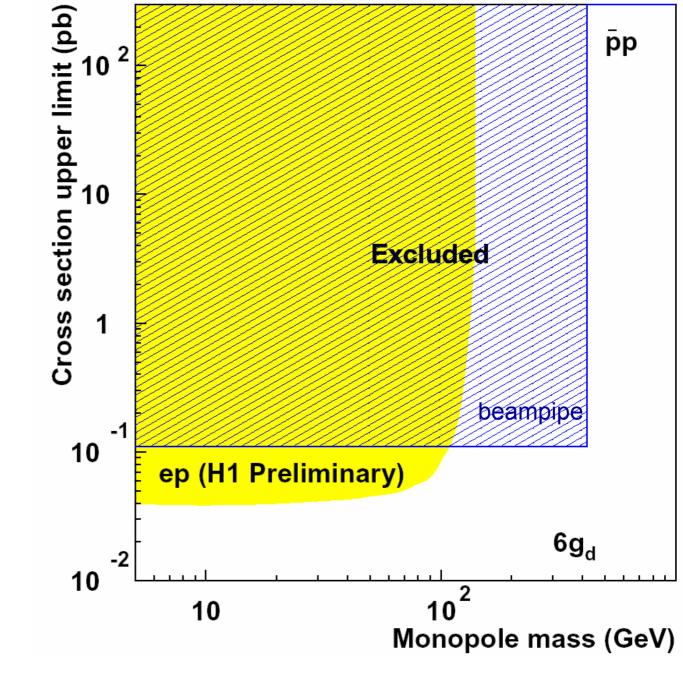
Moon rock

- •Fixed target *pN*!
- •500 Myrs exposure
- •assumes:
 - cosmic ray flux stable
 - •no churning









Conclusions and Future Prospects

•First search for magnetic monopoles in *e*⁺*p* collisions

- •Upper limits set for monopole pair production for monopoles with m <150 GeV and charge $1g_{\rm D}-6g_{\rm D}$
- •Sensitive to larger range of mass and charge than e^+e^-
- $p\overline{p}$ higher mass limits but more assumptions

Future plans

- Additional models
- •Analyse more sections of beampipe (more forward)
- •Complement with dE/dx measurements in trackers